# **Cosmic dust and dark energy**

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# Outline

1. The opacity of the Universe

2. Probing intergalactic dust

3. Implications for constraints on dark energy

### The Hubble diagram of SNe Ia



Kowalski et al. (2008)

#### The opacity of the Universe



 $\delta w \sim \delta m$ 

#### The opacity of the Universe



 $\delta w \sim \delta m$ 

# absorption by hydrogen



## absorption by cosmic matter



## mean absorption spectrum

York et al. (2005)



# **Interstellar material**



A grain of cosmic dust.

Credit: J. Freitag and S. Messenger

composition: C, Si, Mg, Fe, etc.

dust to gas mass ratio: ~1%

dust to metals mass ratio: ~ 25%





The "Black Cloud" B68 (VLT ANTU + FORS1)

ES+ O +





**IRAS/COBE Galactic Dust** 

100 micron map



"Cigar" Galaxy M82 Spitzer Space Telescope • IRAC NASA / JPL-Caltech / R. Kennicutt (Cambridge, University of Arizona) and the SINGS team ssc2006-09

#### **Lifetime of dust grains**

Draine & Salpeter (1979): for  $10^6 < T < 10^9 K$ 

$$\tau_{sput} \approx 2 \times 10^5 \, {\rm yr} \, \left( \frac{{\rm cm}^{-3}}{n_H} \right) \left( \frac{a}{0.1 \, \mu {\rm m}} \right) \label{eq:sput}$$



 $\tau$  (100 kpc) ~ 4 x 10<sup>9</sup> yr

- how much dust is there outside galaxies?
- how far does it get?
- how long does it stay there?
- shape of extinction curve?



What do we know about the opacity of the Universe?

Tolman/Etherington test:  $D_{\rm L} = (1+z)^2 D_{\rm A}$ 

If dust along the line-of-sight:

 $D_{\rm Lobs}^2(z) = D_{\rm Ltrue}^2(z) e^{\tau(z)}$ 

More, Bovy & Hogg 2008: DA from BAO, DL from SNe Ia

In practice:

$$\begin{aligned} \frac{D_{\rm L}(z_2)}{D_{\rm L}(z_1)} &= \frac{[1+z_2]^2}{[1+z_1]^2} \frac{D_{\rm A}(z_2)}{D_{\rm A}(z_1)}\\ D_{\rm V} &= \left[\frac{c \, z \, [1+z]^2 \, D_{\rm A}^2}{H(z)}\right]^{1/3} \end{aligned}$$

#### What do we know about the opacity of the Universe?



## **Parametrizing the cosmological model**

#### base parameters

$\Omega_{\rm m}$	matter density
$\Omega_b$	baryon density
$\Omega_r$	radiation density
h	Hubble parameter
A	adiabatic density perturbation amplitude
τ	reionization optical depth
b	bias parameter (or parameters)

Liddle (2004)

$$egin{aligned} D_{
m L} &= (1+z)^2 \, D_{
m A} \ D_{
m Lobs}^{2}(z) &= D_{
m Ltrue}^{2}(z) \, {
m e}^{ au(z)} \end{aligned}$$

opacity of the Universe: tau(z)

#### candidate parameters

$\Omega_k$	spatial curvature
$N_{\nu} = 3.04$	effective number of neutrino species (CMBFAST defin
m <sub>vi</sub>	neutrino mass for species 'i'
	[or more complex neutrino properties]
mdm	(warm) dark matter mass
w + 1	dark energy equation of state
dw/dz	redshift dependence of w
	[or more complex parametrization of dark energy en
$c_{\rm S}^2 - 1$	effects of dark energy sound speed
$1/r_{top}$	topological identification scale
	[or more complex parametrization of non-trivial top
$d\alpha/dz$	redshift dependence of the fine structure constant
dG/dz	redshift dependence of the gravitational constant
n - 1	scalar spectral index
$dn/d \ln k$	running of the scalar spectral index
kcut	large-scale cut-off in the spectrum
Afeature	amplitude of spectral feature (peak, dip or step)
kfeature	and its scale
	[or adiabatic power spectrum amplitude parametrize
f NL	quadratic contribution to primordial non-gaussianity
	[or more complex parametrization of non-gaussiani
r	tensor-to-scalar ratio
$r + 8n_{\rm T}$	violation of the inflationary consistency equation
$dn_T/d \ln k$	running of the tensor spectral index
Ps	CDM isocurvature perturbation

#### base parameters

$\Omega_{\rm m}$	matter density	
$\Omega_{b}$	baryon density	
$\Omega_r$	radiation density	
h	Hubble parameter	
A	adiabatic density perturbation amplitude	1.0
τ	reionization optical depth	Ę
b	bias parameter (or parameters)	0.8
Lidd	ie (2004)	0.6 c <sup>E</sup>
Л		
$D_{\mathrm{L}}$	$-(1 + x)^2 D$	0.4
	$= (1+z)^2 D_{\mathrm{A}}$	0.4 -
$D_{ m L}$	$= (1+z)^2 D_{ m A}$ ${}^2_{ m obs}(z) = D_{ m Ltrue}^2(z)  { m e}^{ au(z)}$	0.4 -

Avgoustidis et al. (2010)



opacity of the Universe: tau(z)

### What do we know about the opacity of the Universe?

Tolman test:  $D_{\rm L} = (1+z)^2 D_{\rm A}$ More, Bovy & Hogg 2008  $\wedge$ → 0.10 Tolman test  $+ \cos mo$ observer-frame Avgoustidis, Verde & Jimenez 2009 0.01 Tolman test (More et al. 09) QSO color scatter (Moertsell & Goobar 05) SNe Ia + H(z) (Avgoustidis et al. 09) dust around galaxies (Menard et al. 09) dust in MgII absorbers (Menard et al. 07) 0.5 1.5 0.0 1.0 2.0

redshift

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redshift



Steidel et al. (1997)



Wavelength (Angstroms)



#### MgII as a tracer of baryons

Mg II ( $\lambda\lambda$  2796, 2803), z > 0.4 C IV ( $\lambda\lambda$  1548, 1550), z > 1.5 Si IV ( $\lambda\lambda$  1393, 1402), z > 1.8 N V ( $\lambda\lambda$  1238, 1242), z > 2.2 O VI ( $\lambda\lambda$  1031, 1037), z > 2.8 Ca II ( $\lambda\lambda$  3933, 3968), z < 1.0 Na I D( $\lambda\lambda$  5889, 5895), z < 0.3



#### The SDSS sample of MgII absorbers



SDSS: ~ 20,000 MgII absorbers detected in the spectra of 100,000 QSOs

 $dN/dz \sim 0.2$ 

### The dust content of MgII absorbers

Reddening by absorbers: Fall & Pei (1989), B.M. & Péroux (2003), Khare et al. (2004), Murphy et al. (2004), Ellison et al. (2005), B.M. et al. (2007), Vladilo & Prochaska (2007), Wild et al. (2007)



• We can measure reddening values at the 1% level!

### **Dust reddening by CaII absorbers**

Wild et al., 2007



#### The dust content of MgII absorbers



 $=> E_{B-V}(z), A_V(z)$ 

Opacity induced by MgII absorbers:  $A_V(< z) = \int_0^z dz \frac{dN}{dz} A_V(z)$ 



 $A_V(\langle z) = \int_0^z \mathrm{d}z \; \frac{\mathrm{dN}}{\mathrm{d}z} \; A_V(z)$ 



#### A lower limit on the opacity of the Universe

$$A_V(< z) = \int_0^z \mathrm{d} z \; rac{\mathrm{dN}}{\mathrm{d} z} \; A_V(z)$$



inferred without any assumption

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#### The opacity of the Universe



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#### ACS Nearby Galaxy Survey Treasury (ANGST) Holwerda et al. (2008)





### **Quasars shining 'through' galaxies**

Ostman, Goobar & Moerstell et al. (2006)



Fig.2. The two QSO-galaxy pairs that survived the cuts, SDSS J131058.13+010822.2, and SDSS J084957.97+510829.0 from the top. An arrow points out the QSO in the case where it is not clear which object it is.



Fig. 3. Confidence levels for the two low-redshift galaxies corresponding to  $1\sigma$  (black line), 68% (dark blue region) and 90% (pale blue) as defined by the  $\chi^2$  test.

# **Statistical approach**



We can constrain these effects statistically by measuring

 $\langle\,m_{\rm QSO}\,$  .  $n_{\rm gal}\,\rangle(\theta)$ 



- 20 million galaxies at  $z \sim 0.3$
- 85,000 quasars at z > 1



B. M. et al. (2009)

#### **Extinction curve**



#### The galaxy-dust correlation function



## What do we know about the opacity of the Universe?

Tolman test:  $D_{\rm L} = (1+z)^2 D_{\rm A}$ More, Bovy & Hogg 2008

Tolman test + cosmo Avgoustidis, Verde & Jimenez 2009

Mean QSO colors (z) Moertsell & Goobar 2005

Dust in MgII absorbers Ménard et al. 2007

Dust around galaxies Ménard et al. 2010





## **Dust in numerical simulations**

Zu, Weinberg et al. (2011)



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Mean QSO colors (z) Moertsell & Goobar 2005

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Dust around galaxies (o) Ménard et al. 2010

Dust in simulations (x) Zu et al. 2011



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### The opacity of the Universe

$$\tau_{obs}(\lambda, z) = \int_0^z \sigma n_0 \bar{\tau} \left(\frac{\lambda}{1+z}\right) \frac{(1+z)^2}{H(z)} dz$$



# **Extracting cosmological parameters from supernova magnitudes**

1: Correct for dust extinction due to our Galaxy

2: The distance modulus is described with an unknown stretch factor and an unknown extinction

$$\mu_i = m_{\text{obs},i} - M + \alpha(s_i - 1) - \beta c_i$$

Assumption:  $\alpha$  and  $\beta$  are redshift *in*dependent

3: A chi-square is performed to extract the cosmology and the best stretch and extinction coefficients

## **Extracting cosmological parameters from supernova magnitudes**

$$\mu_i = m_{\text{obs},i} - M + \alpha(s_i - 1) - \beta c_i$$

The observed color excess  $c_i$  has several contributions:

$$c_i = \sum_k c_{i,k}$$

Each of them should be corrected with the appropriate  $\beta$  or R<sub>B</sub>:

$$\delta m_i = \sum_k eta_{i,k} c_{i,k}$$

If not, a bias is introduced in the distance modulus estimate:

$$\delta m_{\mathrm{bias},i} = \left(eta_d - eta_0
ight) c_d(z_i)$$

#### **Effects on cosmological parameters**

BM, Kilbinger & Scranton (2010)

$$\mu_B = m_B^* - M + \alpha(s-1) - \beta c$$



#### **Effects on cosmological parameters**

BM, Kilbinger & Scranton (2010)

$$\mu_B = m_B^* - M + \alpha(s-1) - \beta c$$



	No Correction	$\begin{array}{l} \text{High } A_B \\ \beta_{\rm d} = 4.9 \end{array}$	$\begin{array}{l} \text{High } A_B \\ \beta_{\rm d} = 4.9 \pm 2.6 \end{array}$	$\begin{array}{l} \text{Low } A_B \\ \beta_{\rm d} = 4.9 \end{array}$
Parameter				
ACDM: $\Omega_{\rm M}$	$0.291\substack{+0.032\\-0.030}$	$0.308^{+0.034}_{-0.031}~(0.55\sigma)$	$0.308^{+0.039}_{-0.035}~(0.55\sigma)$	$0.304^{+0.033}_{-0.031}~(0.42\sigma)$
wCDM: $\Omega_{\rm b}$	$0.0457\substack{+0.002\\-0.002}$	$0.046^{+0.002}_{-0.002}~(0.35\sigma)$	$0.045^{+0.003}_{-0.002}~(0.25\sigma)$	$0.045^{+0.002}_{-0.002} \ (0.25\sigma)$
h	$0.695\substack{+0.018\\-0.017}$	$0.687^{+0.018}_{-0.017}~(0.45\sigma)$	$0.688^{+0.020}_{-0.019}~(0.40\sigma)$	$0.688^{+0.018}_{-0.017}$ (0.40 $\sigma$ )
$\Omega_{ m M}$	$0.273\substack{+0.017\\-0.016}$	$0.279^{+0.017}_{-0.016}~(0.36\sigma)$	$0.278^{+0.018}_{-0.017}~(0.30\sigma)$	$0.278^{+0.017}_{-0.016}~(0.30\sigma)$
-w	$0.968\substack{+0.068\\-0.061}$	$0.940^{+0.067}_{-0.061}~(0.43\sigma)$	$0.944^{+0.072}_{-0.067}(0.37\sigma)$	$0.944^{+0.062}_{-0.066}(0.37\sigma)$



Parameter	all models
M	$-19.31\pm0.03$
$\alpha$	$1.37\pm0.13$
$\beta$	$2.45\pm0.12$



## a wrong dust redshift dependence would lead to a non-zero w(a)

for the past 10 years there has been some confidence that observers are on the right track because there is a reference model.

Next, there will be no guidance telling us if we are doing things right **Departures from** *w***=-1: Microphysics, High Energy Physics, Gravity.** 

(as described in Eric Linder's talk)







Trotta, Kunz & Liddle (2011)

# SUMMARY

• A number of probes reveal a substantial amount of dust outside galaxies

- We start to have *some* idea of the opacity of the Universe at low redshift.
- Cosmic dust might affect current w constraints at the ~2-3% level.

## How to handle this:

- observing in the infrared
- detect cosmic extinction from the SNe themselves

