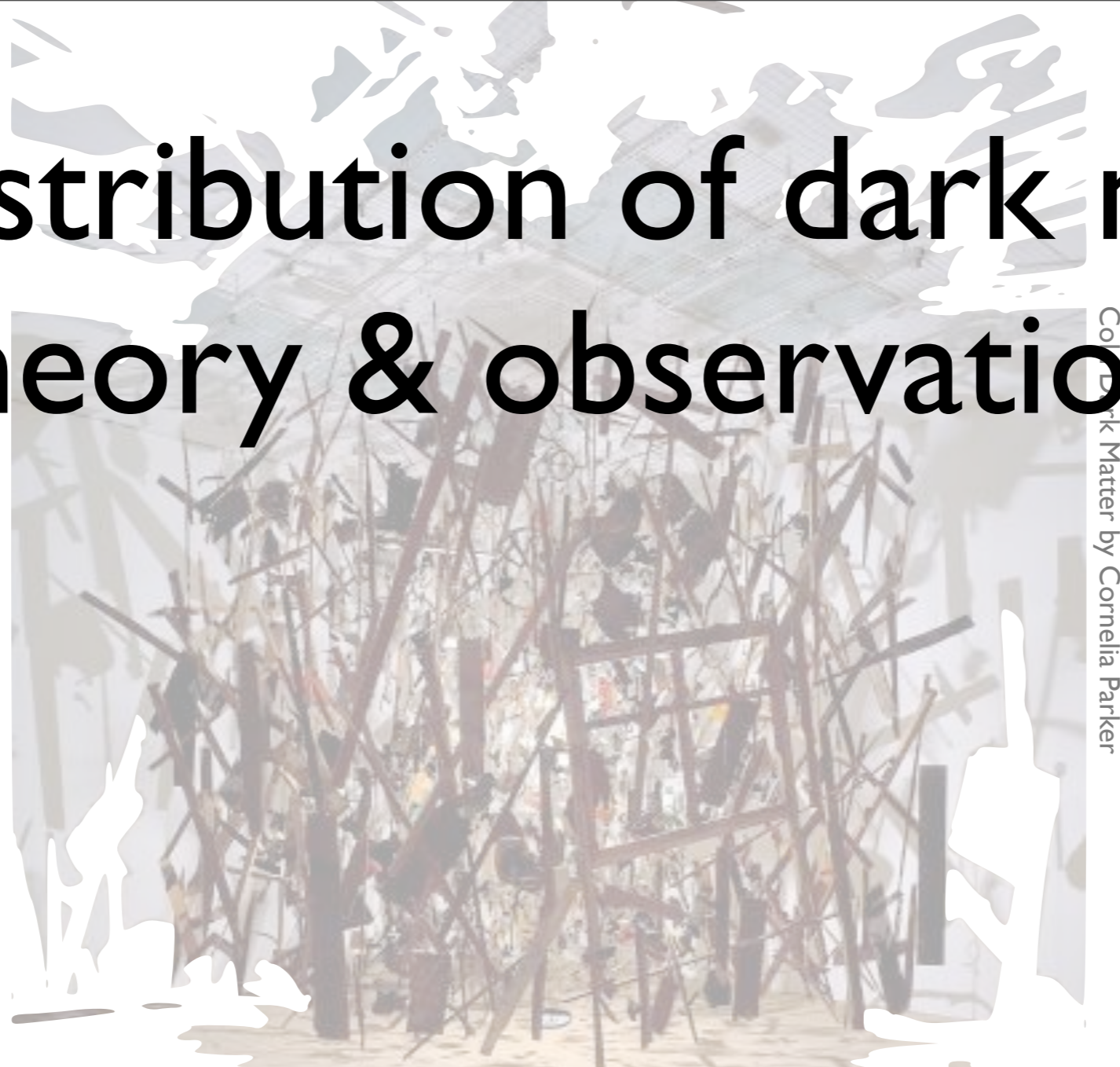


The distribution of dark matter (theory & observation)



Colours of Dark Matter by Cornelia Parker

Justin Read
ETH Zürich | University of Leicester

With:

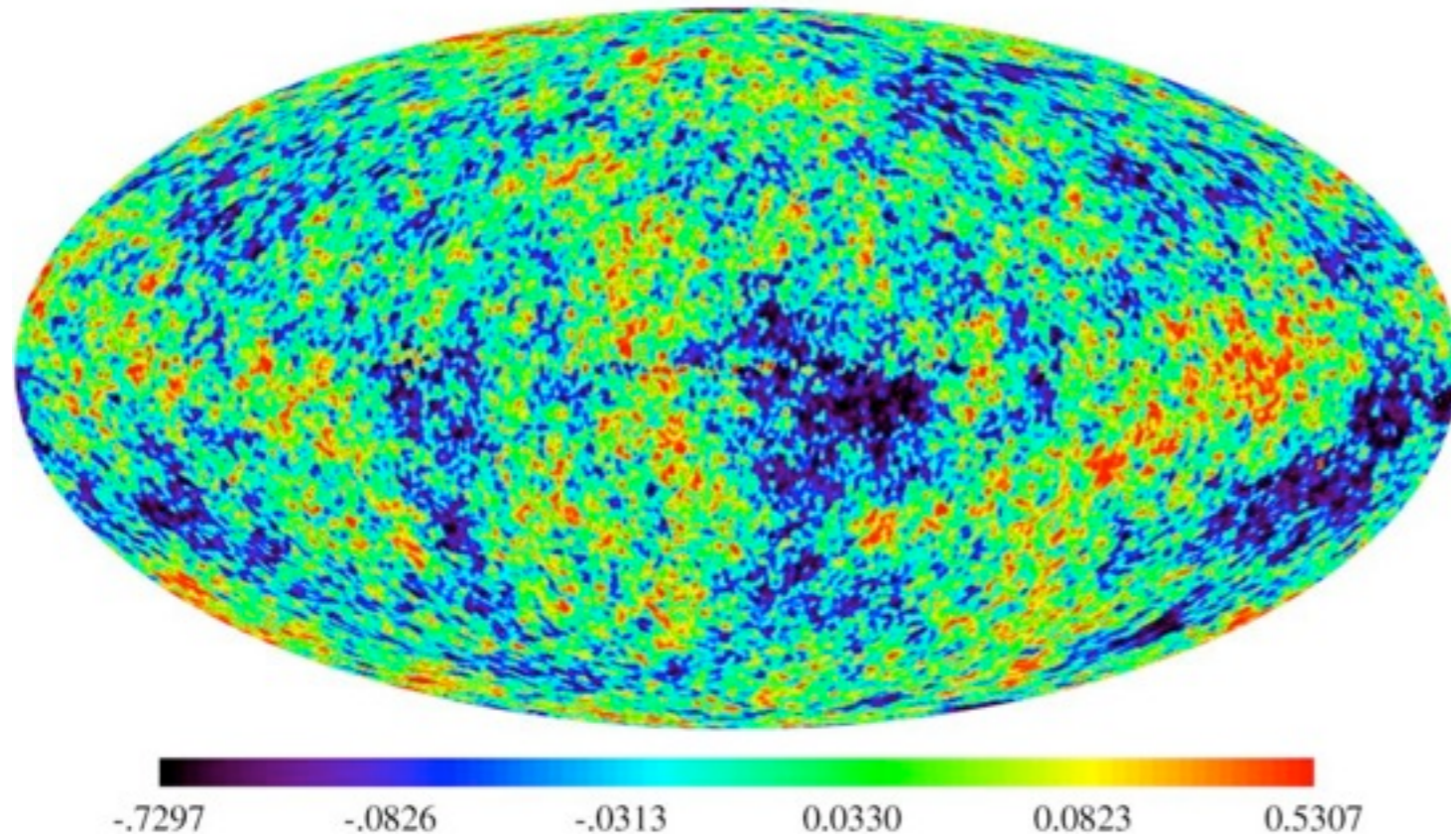
Silvia Garbari, Pascal Steger, George Lake, Victor Debattista, Oscar Agertz, Tobias Bruch,
Annika Peter, Laura Baudis, Lucio Mayer, Fabio Governato, Alyson Brooks, Romain Teyssier,
Aaron Boley, Prasenjit Saha, Jonathan Coles, Mark Wilkinson

Background | Why study the distribution of dark matter?

1. Calculate the expected distribution of DM in the Universe (assuming something about DM).
2. Compare with observations \Rightarrow constrain DM properties.
3. Knowledge of the local/nearby DM distribution is important for direct/indirect DM particle detection.

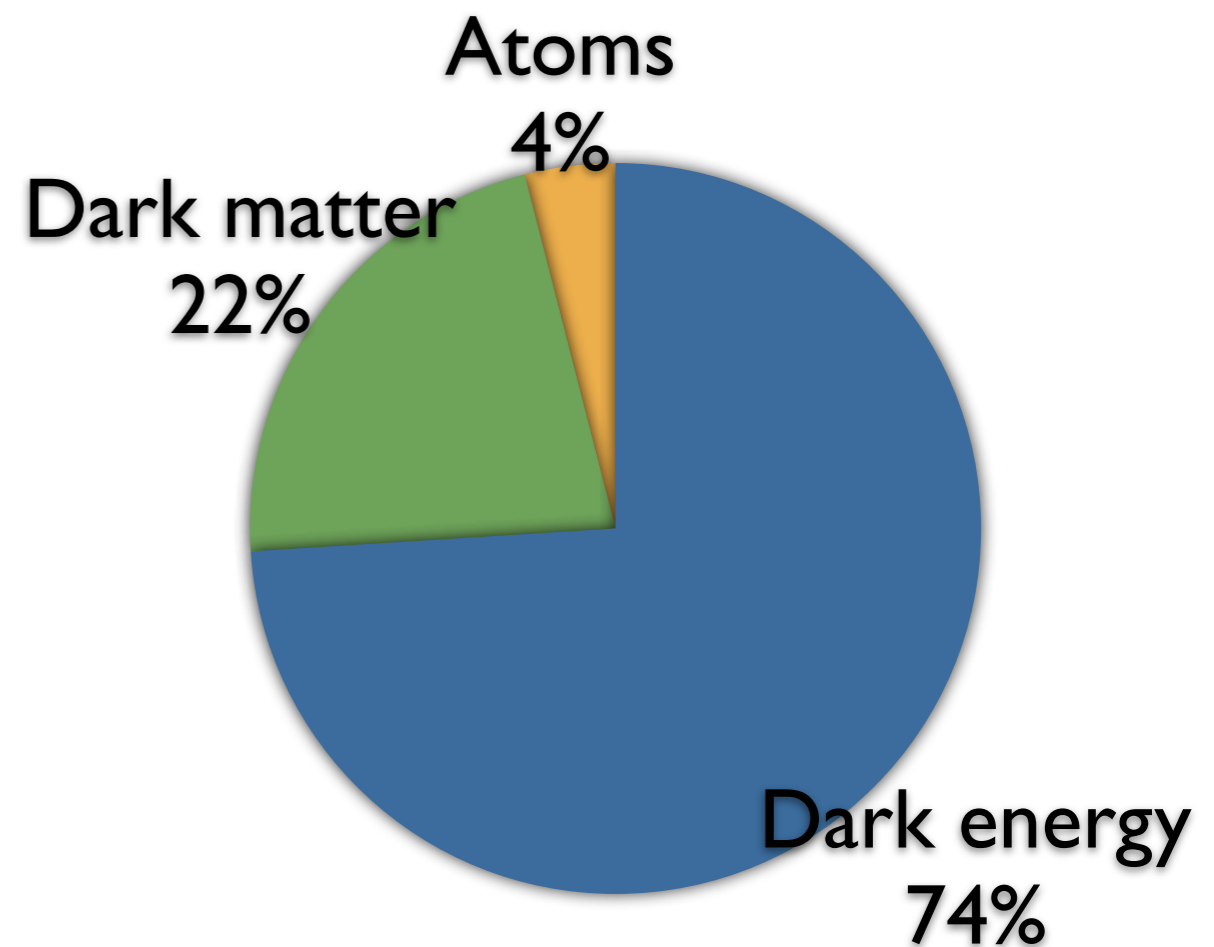
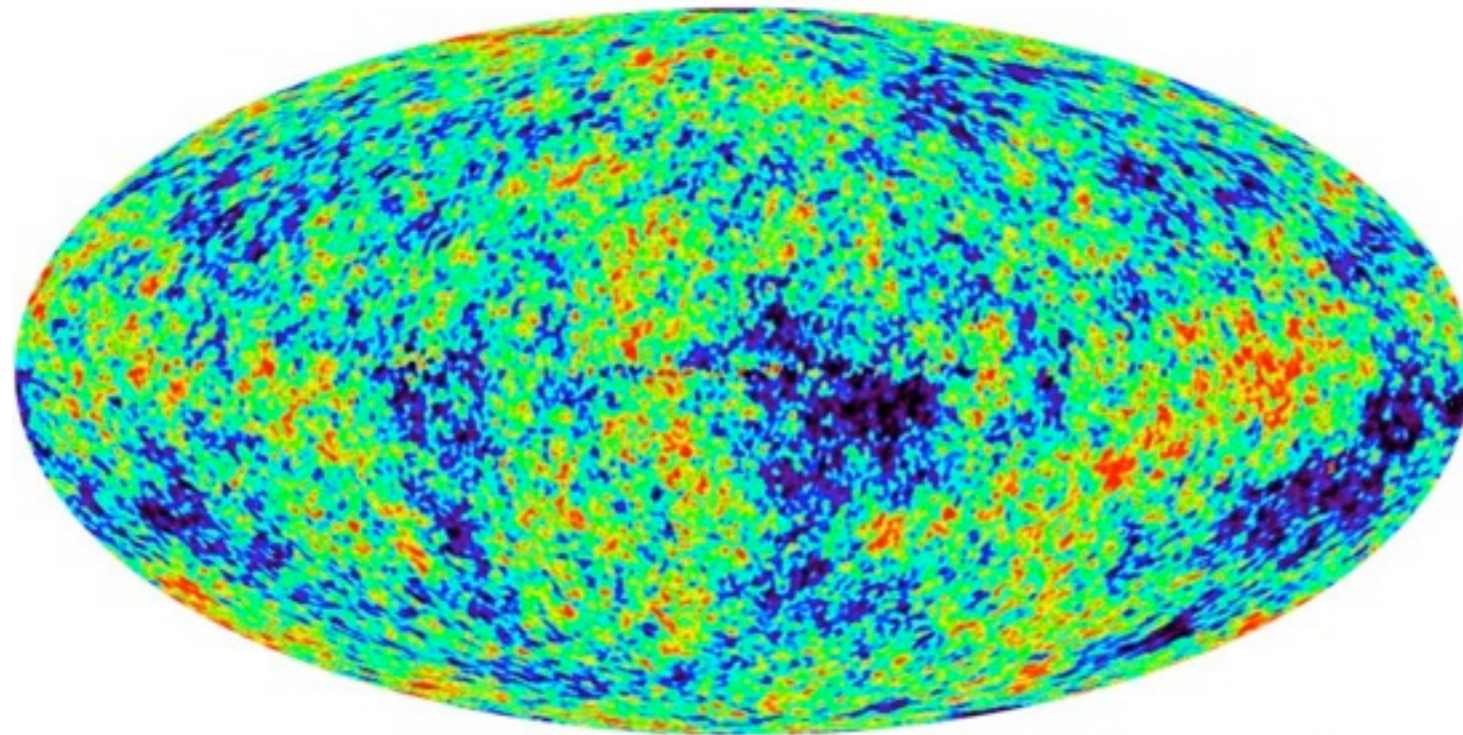
Background | The standard cosmological model LCDM

WMAP 5 year ILC



Background | The standard cosmological model LCDM

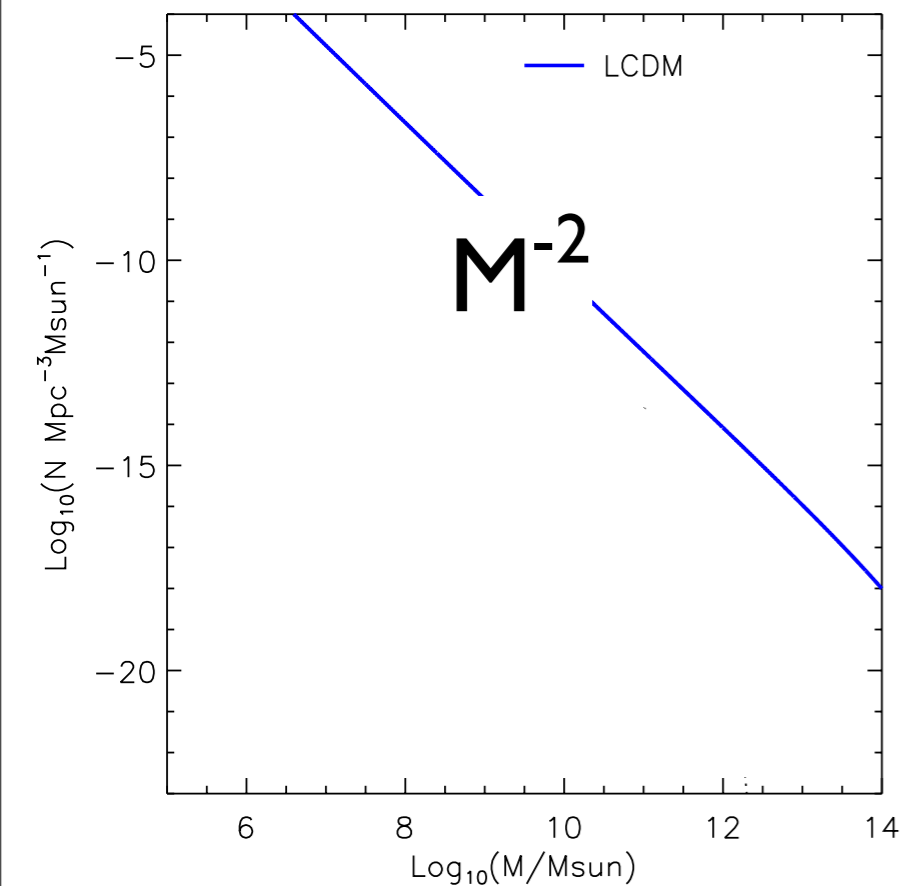
WMAP 5 year ILC



I.Theory | Calculating the dark matter distribution

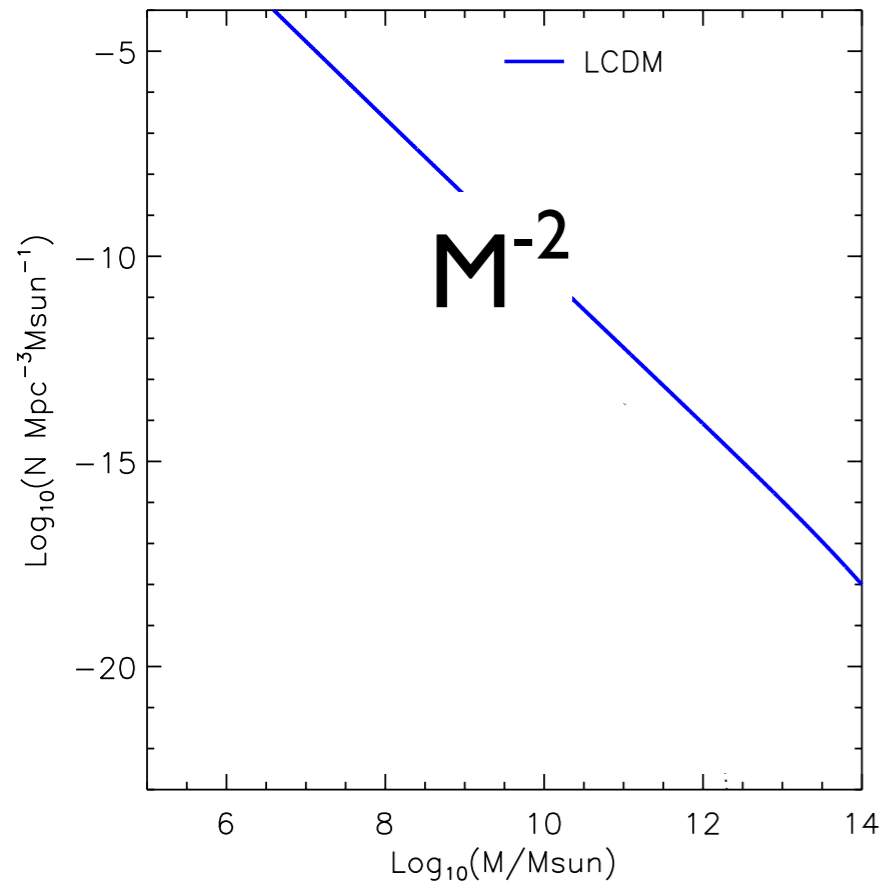
I.Theory | Calculating the dark matter distribution

I. Halo mass function

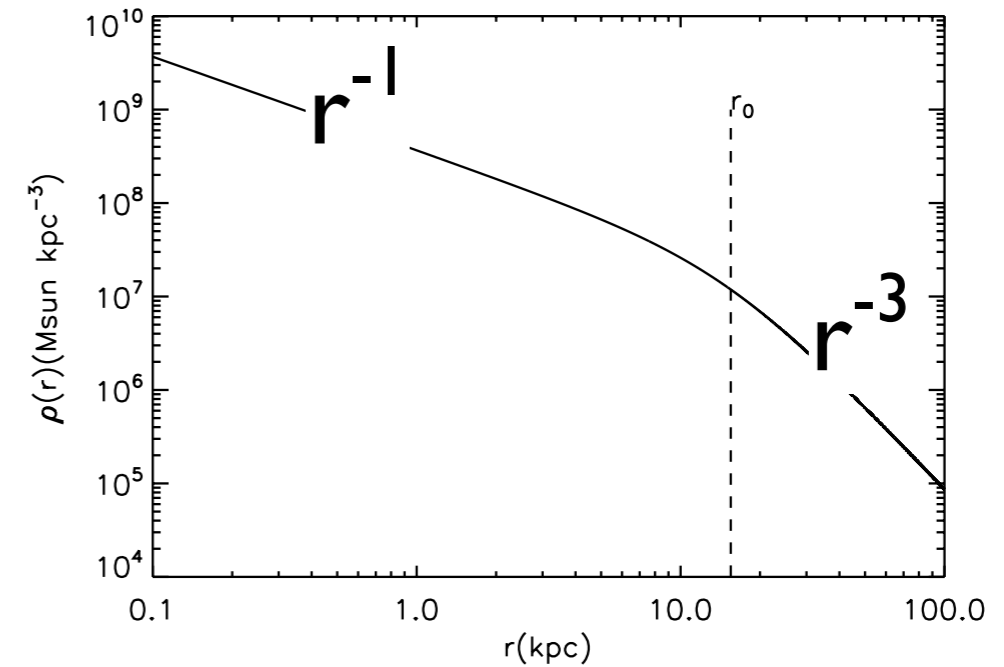


I.Theory | Calculating the dark matter distribution

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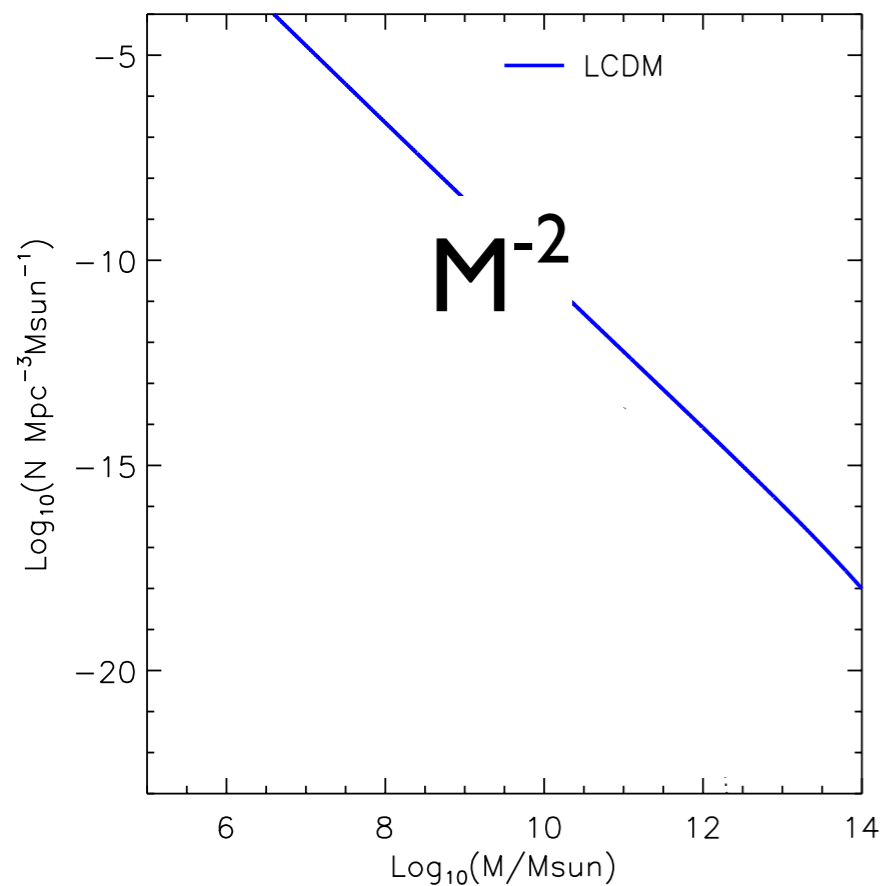


2. 'Universal' density profile

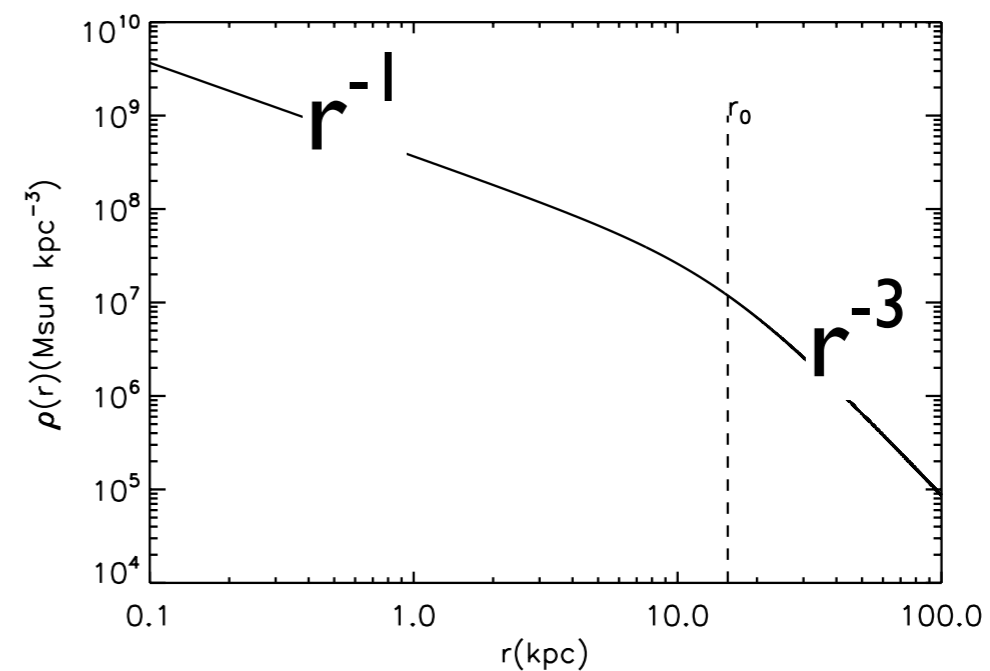


I.Theory | Calculating the dark matter distribution

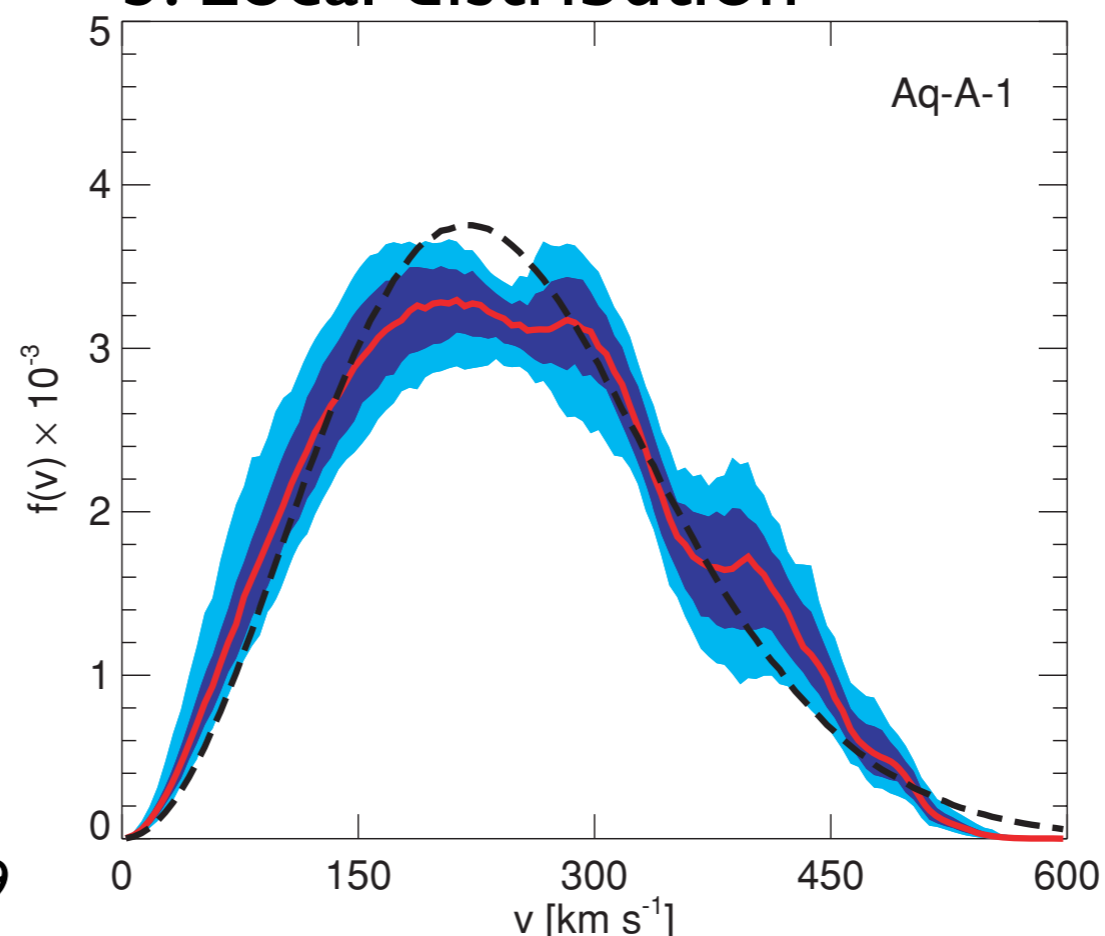
1. Halo mass function



2. 'Universal' density profile

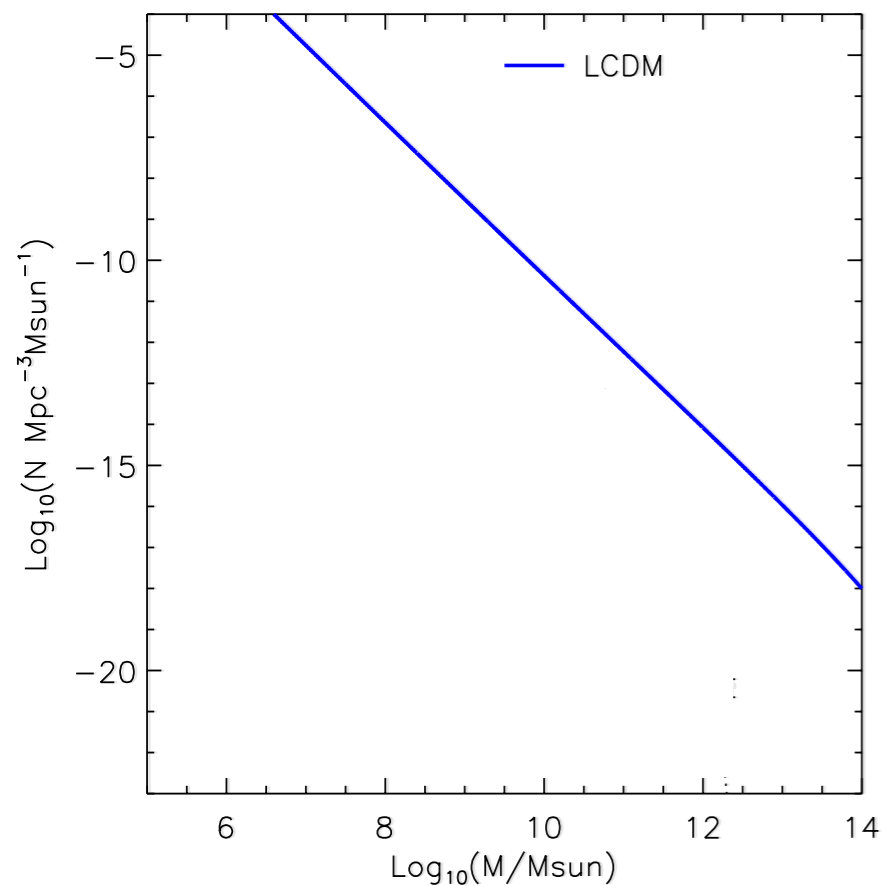


3. Local distribution

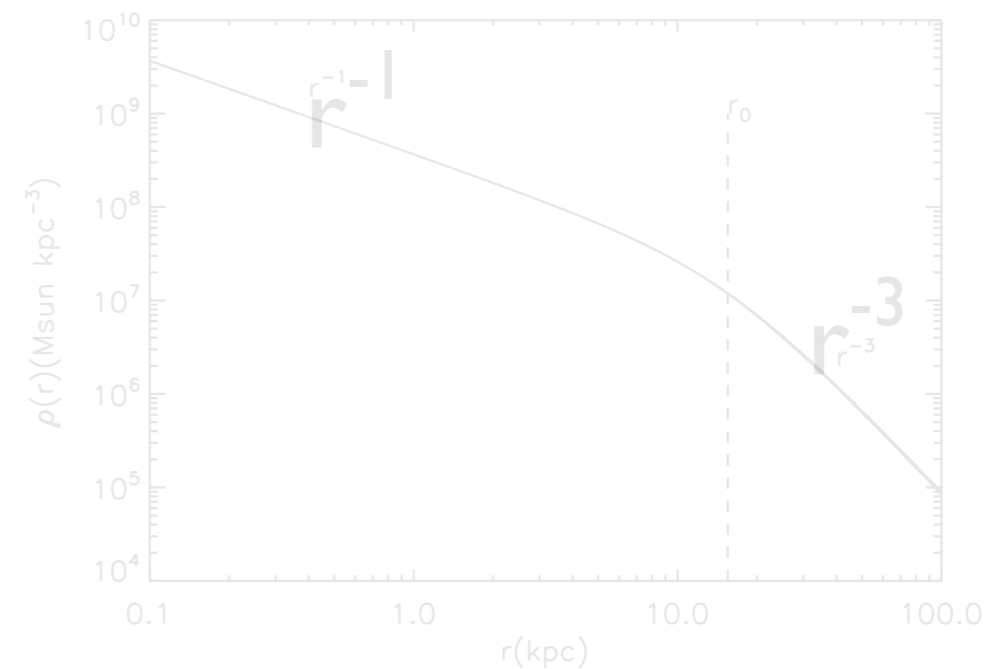


I.Theory | Calculating the dark matter distribution

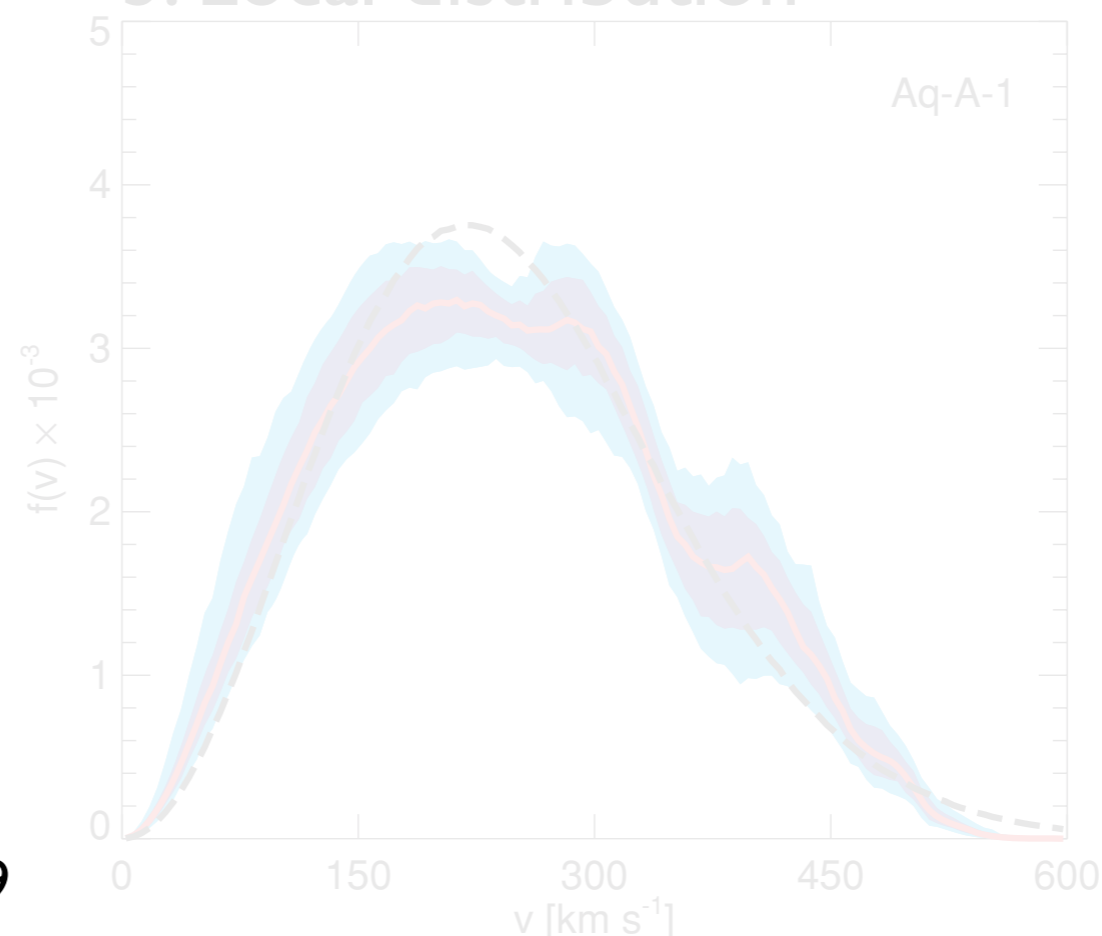
I. Halo mass function



2. 'Universal' density profile

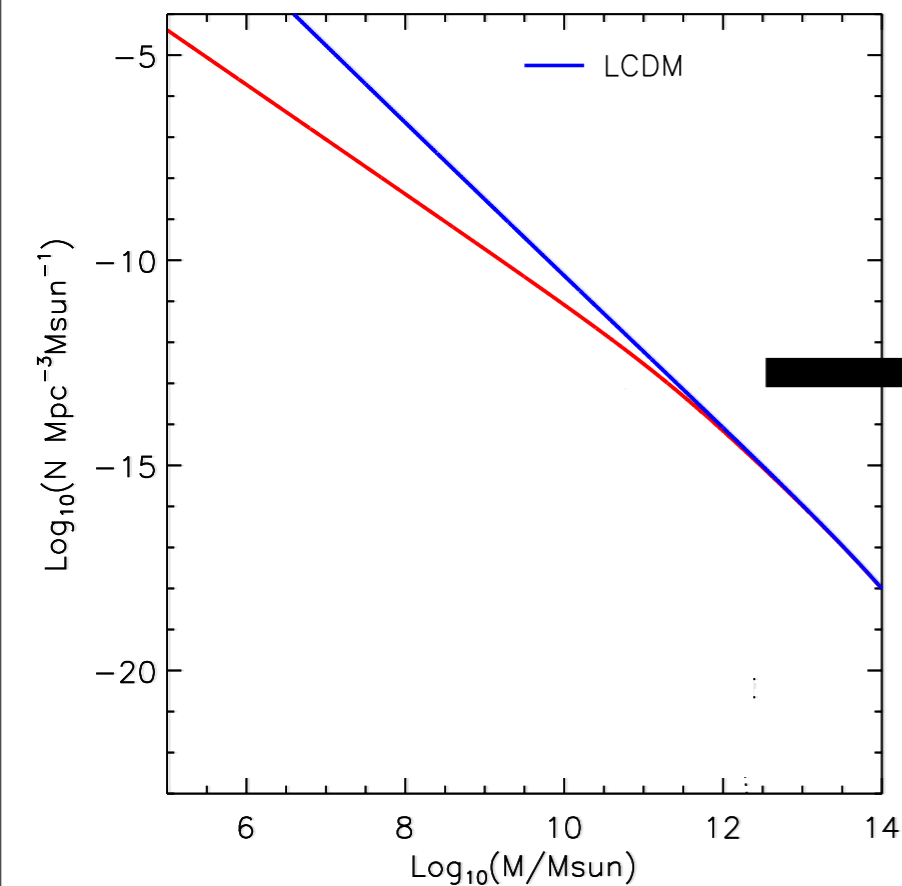


3. Local distribution



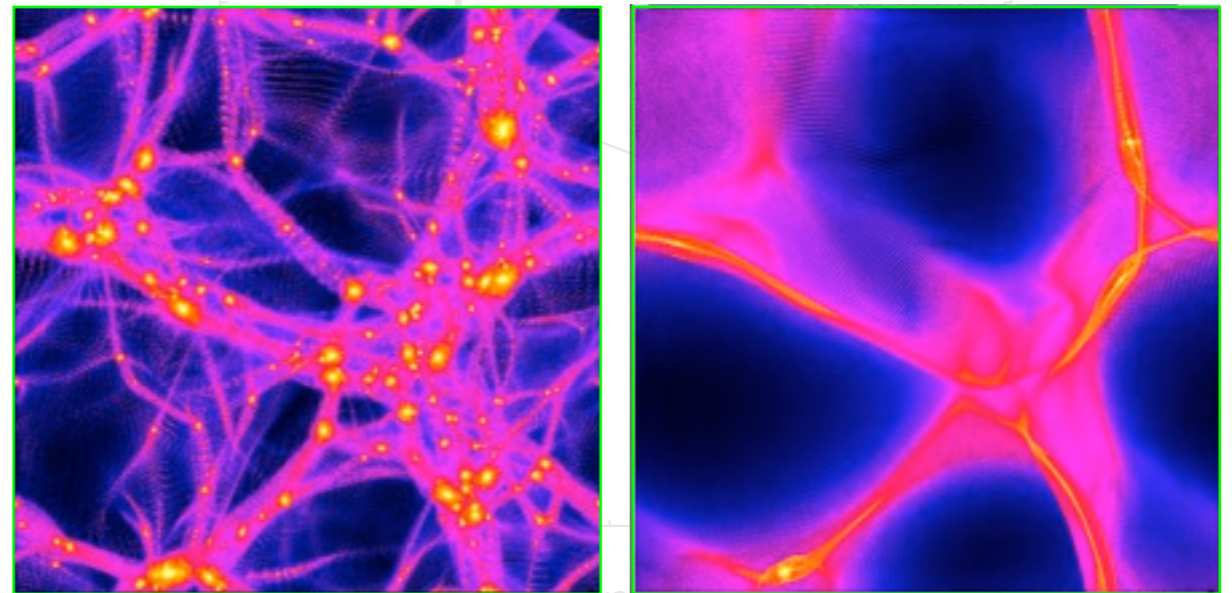
I.Theory | Calculating the dark matter distribution

I. Halo mass function

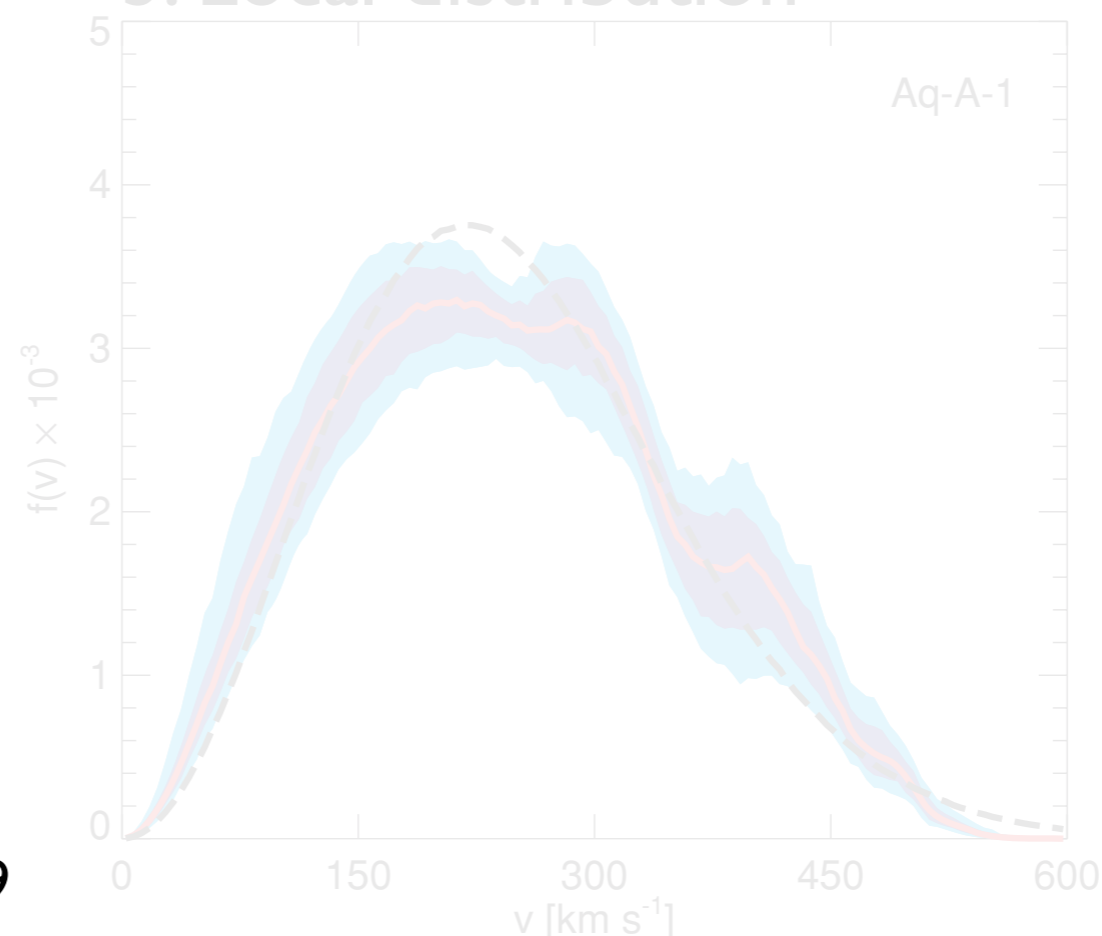


2. 'Universal' density profile

WDM

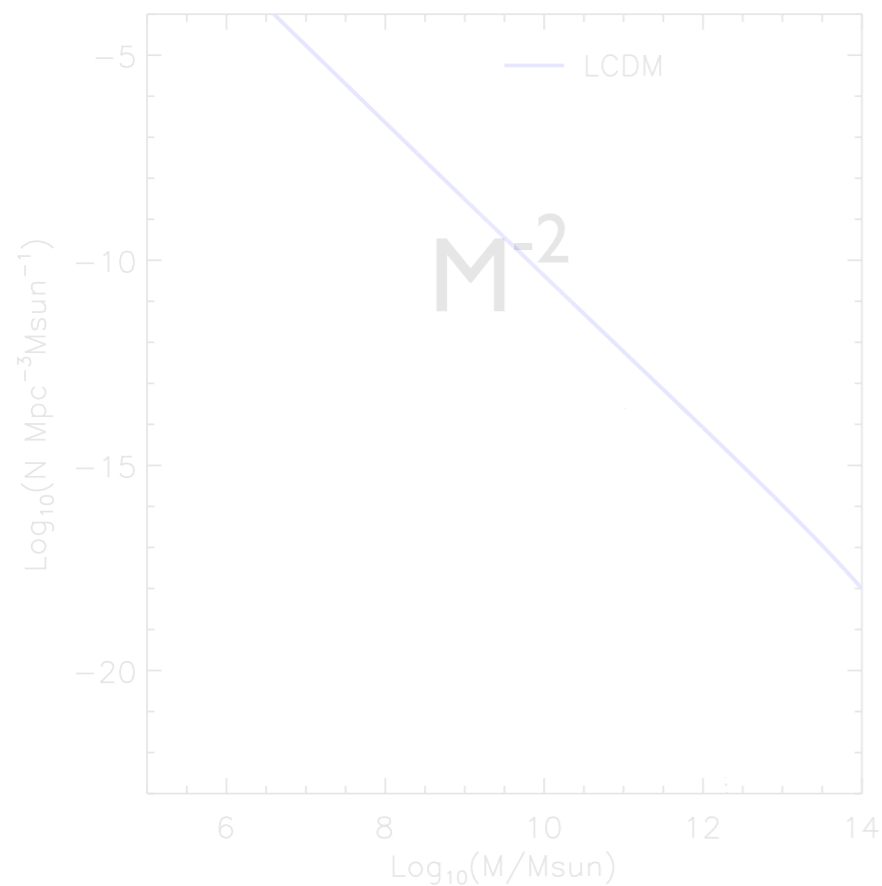


3. Local distribution

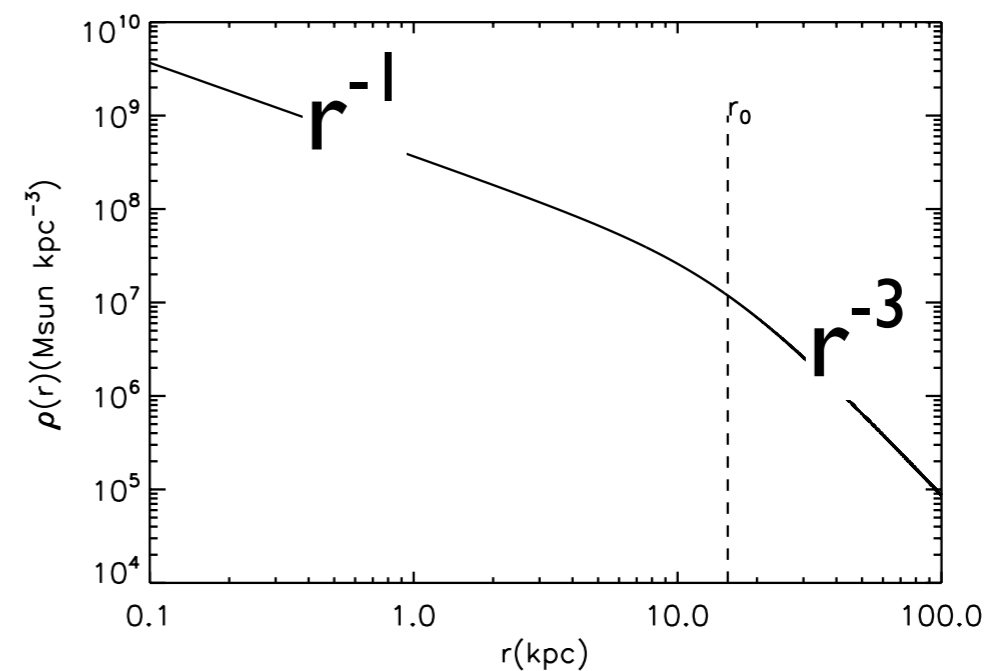


I.Theory | Calculating the dark matter distribution

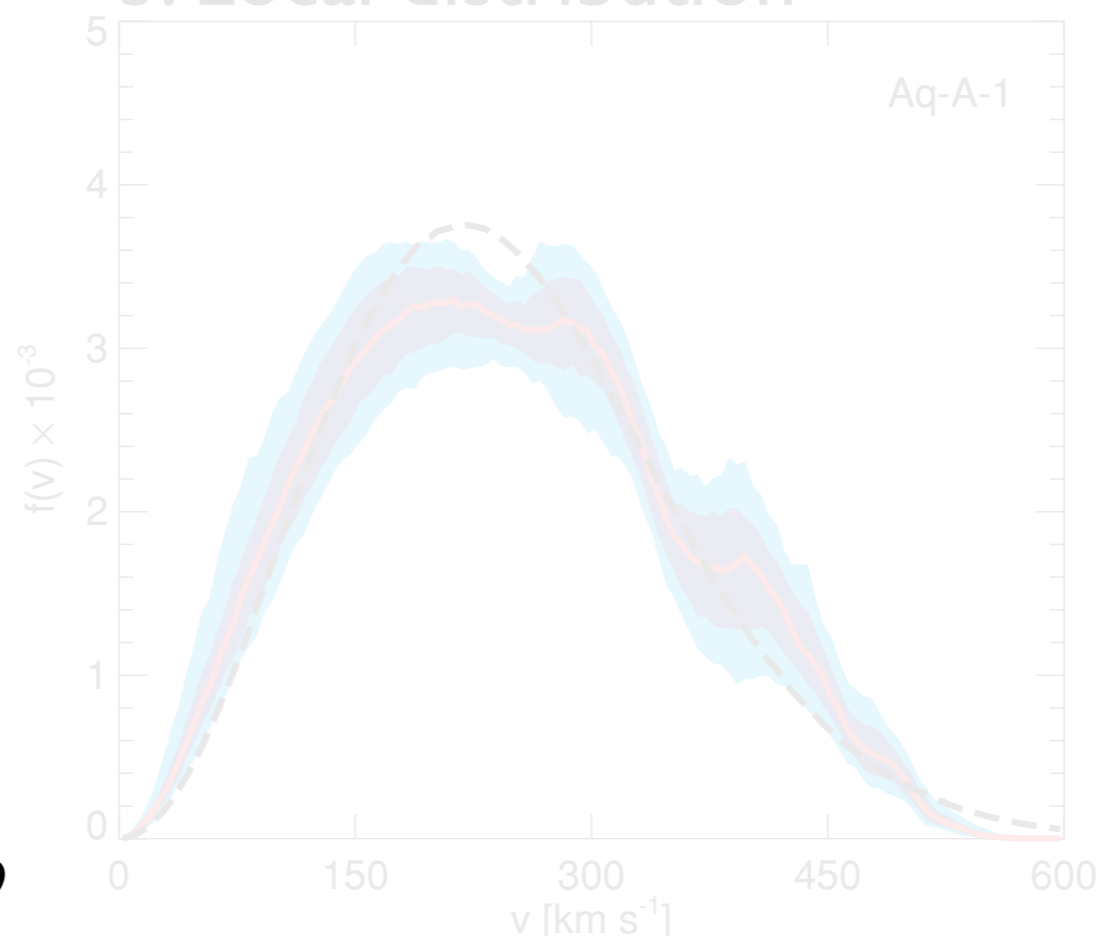
I. Halo mass function



2. 'Universal' density profile



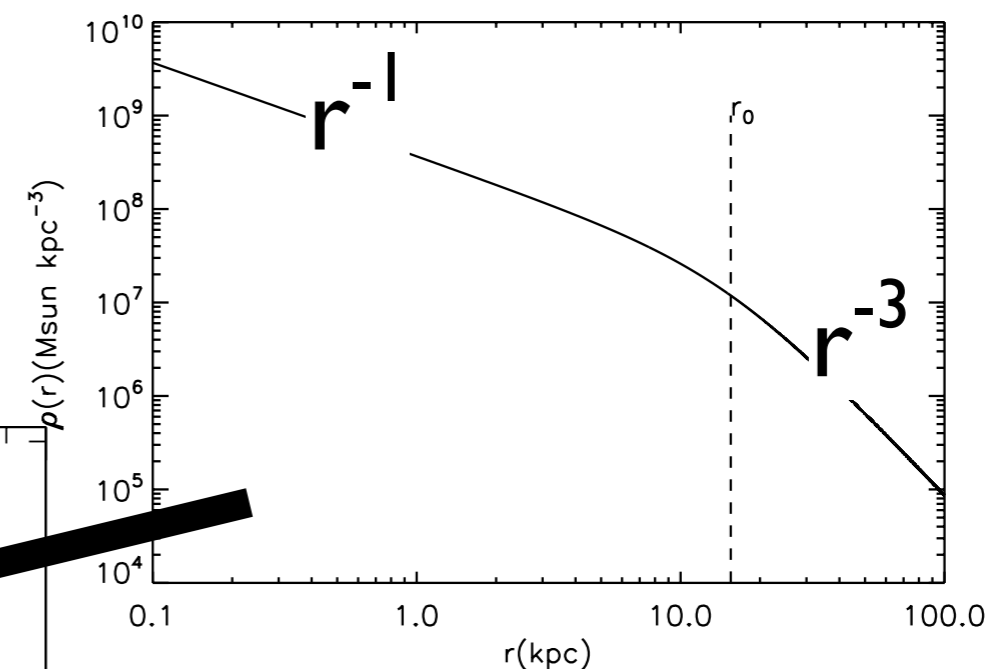
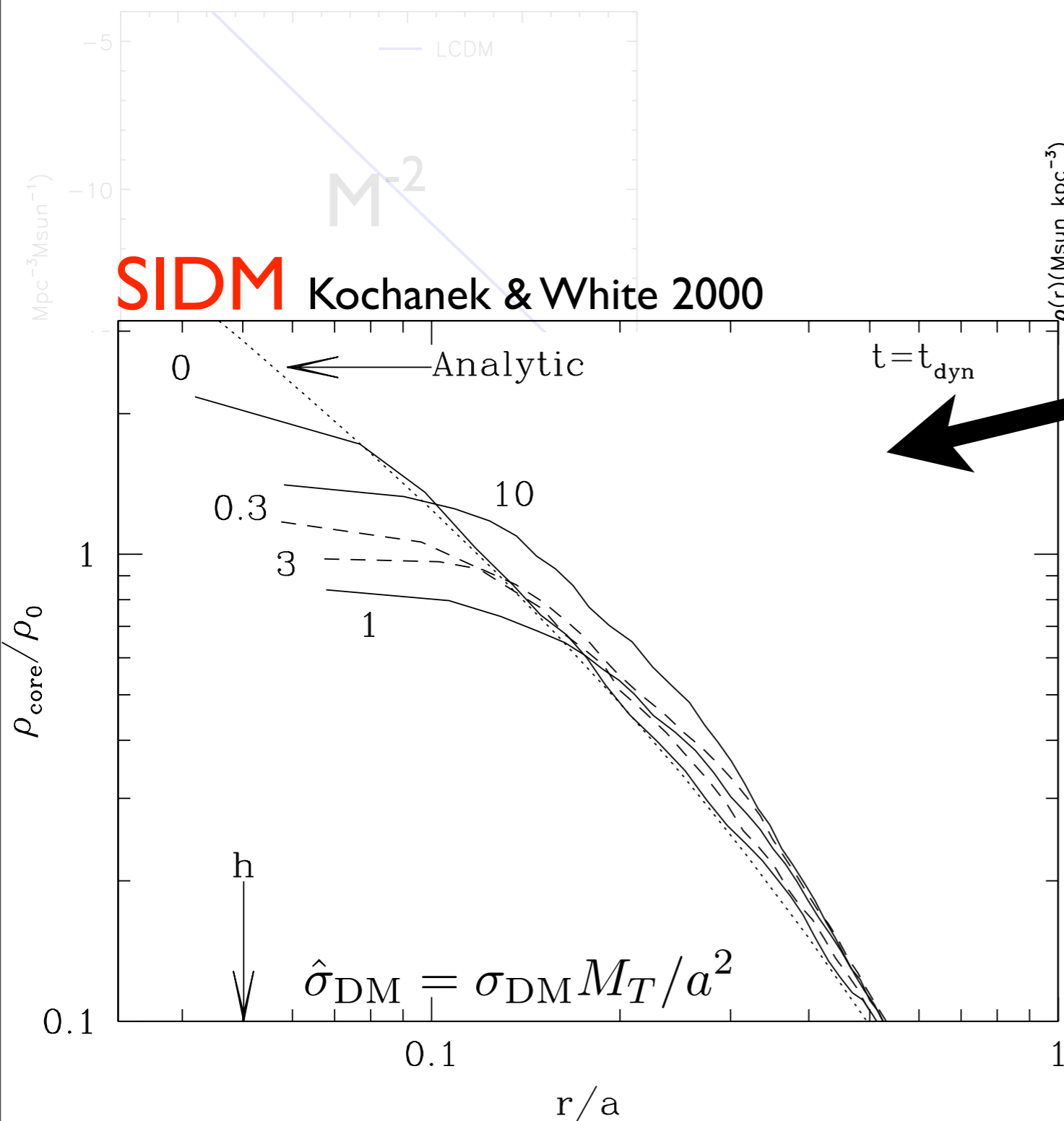
3. Local distribution



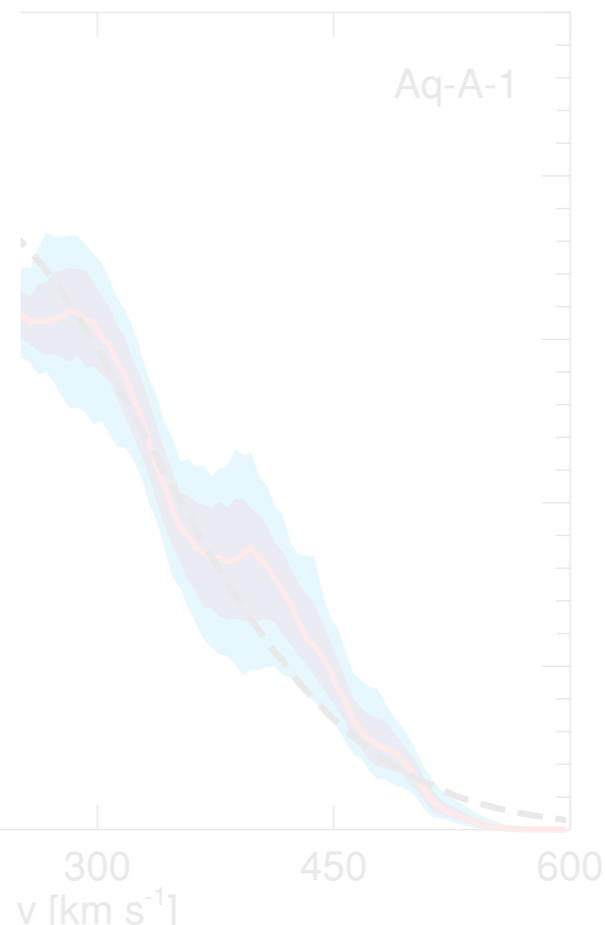
I.Theory | Calculating the dark matter distribution

I. Halo mass function

2. 'Universal' density profile



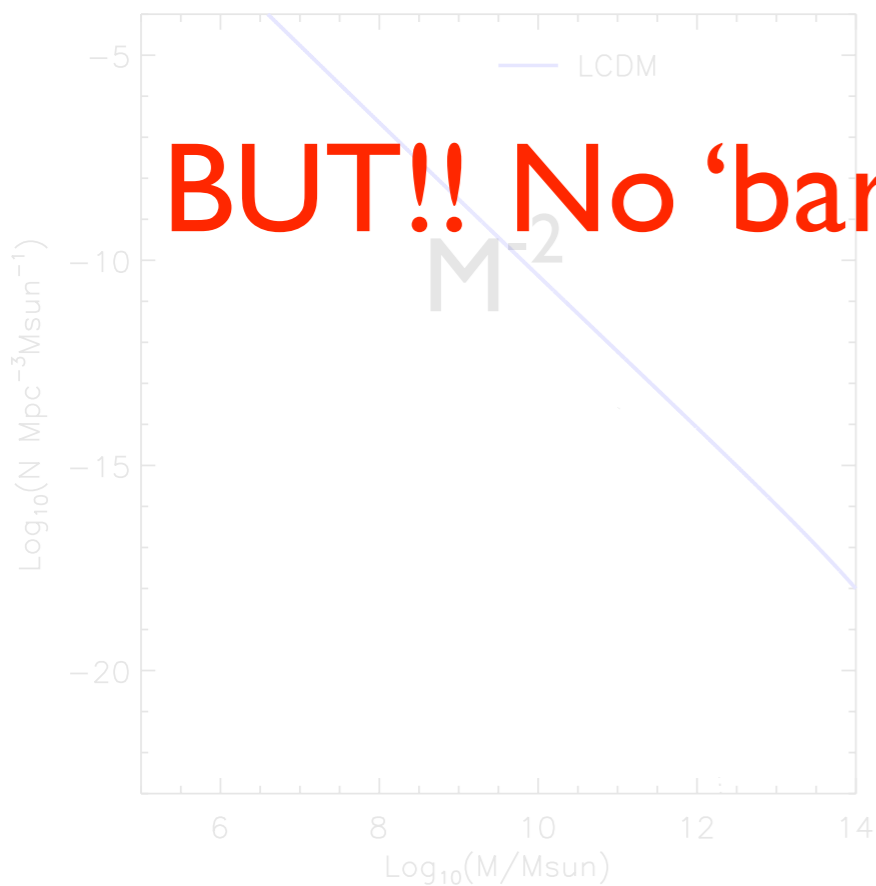
tribution



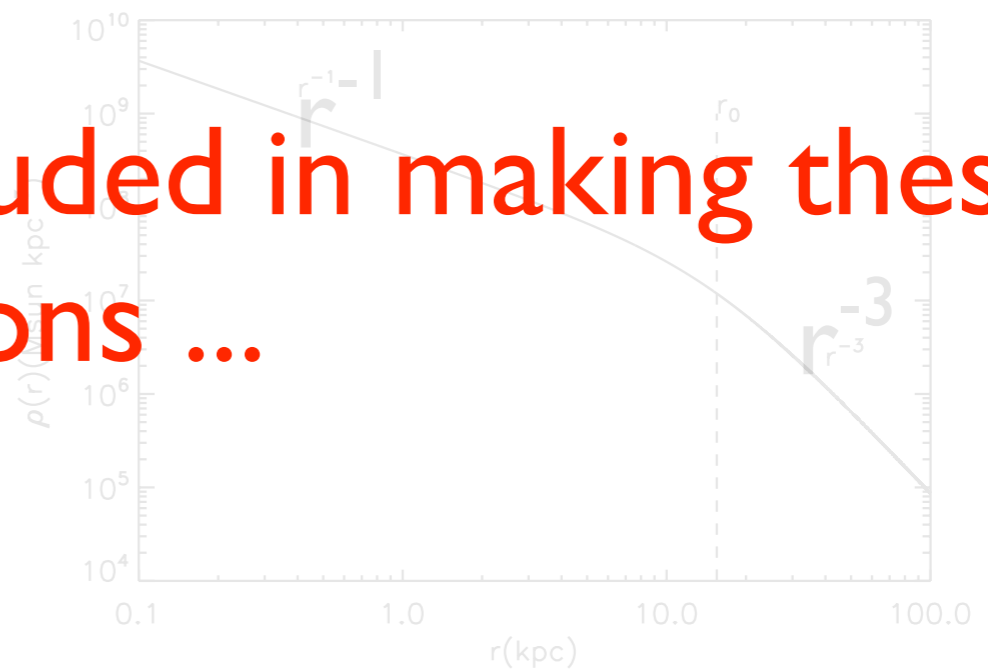
Zemp et al. 2009; Vogelsberger et al. 2009

I.Theory | Calculating the dark matter distribution

1. Halo mass function

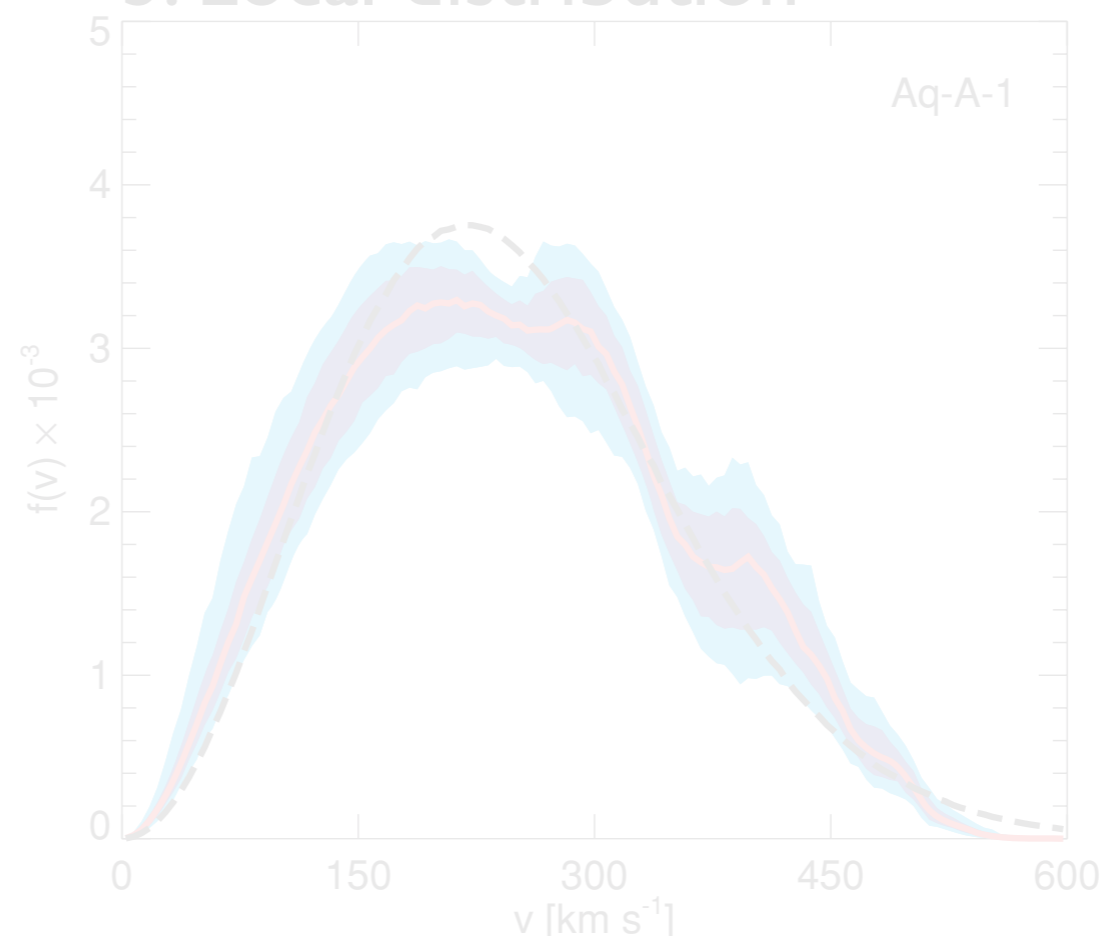


2. 'Universal' density profile



BUT!! No 'baryons' included in making these predictions ...

3. Local distribution

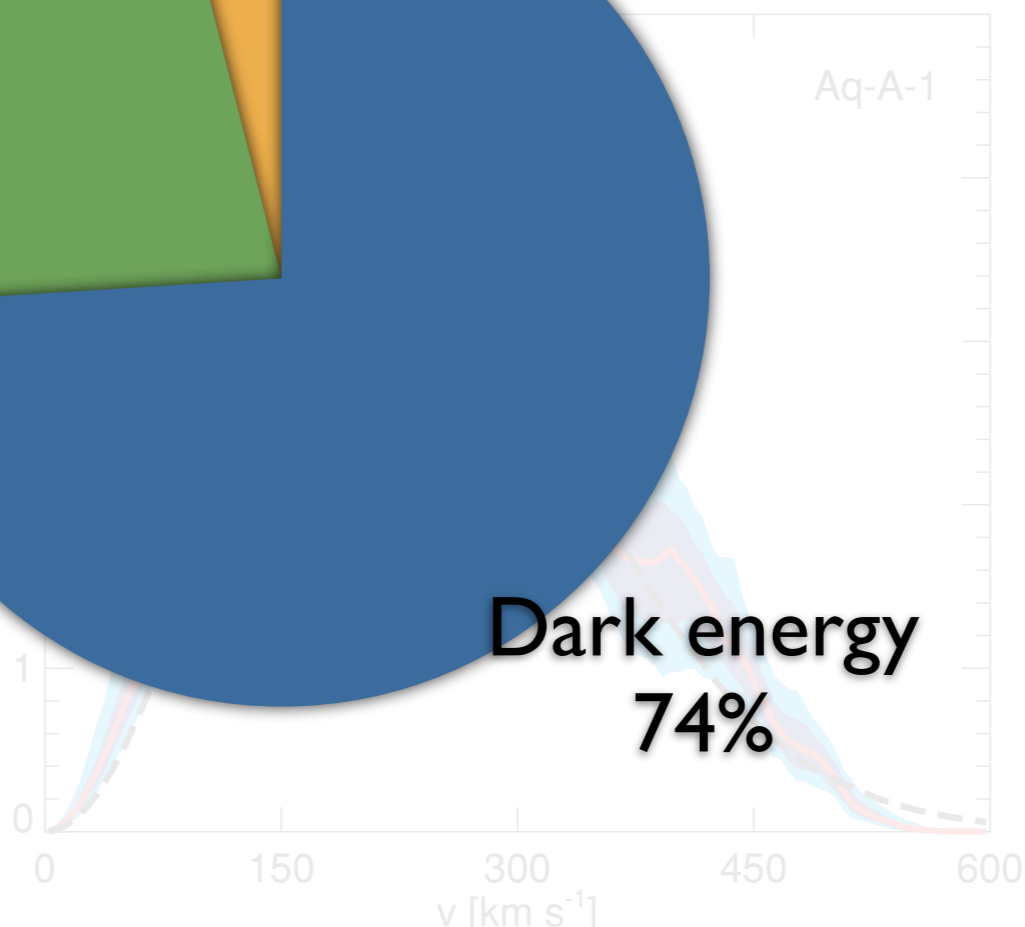
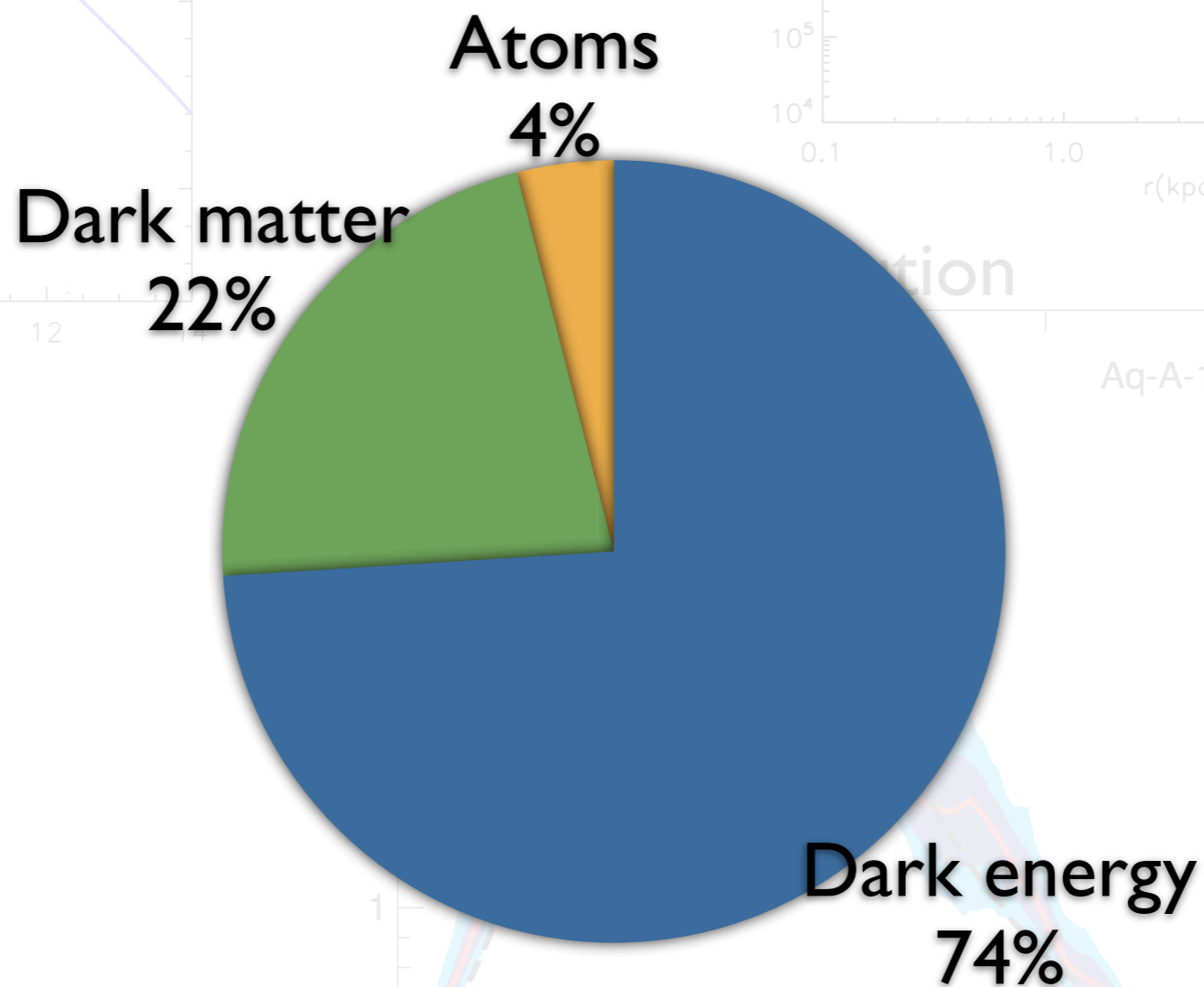
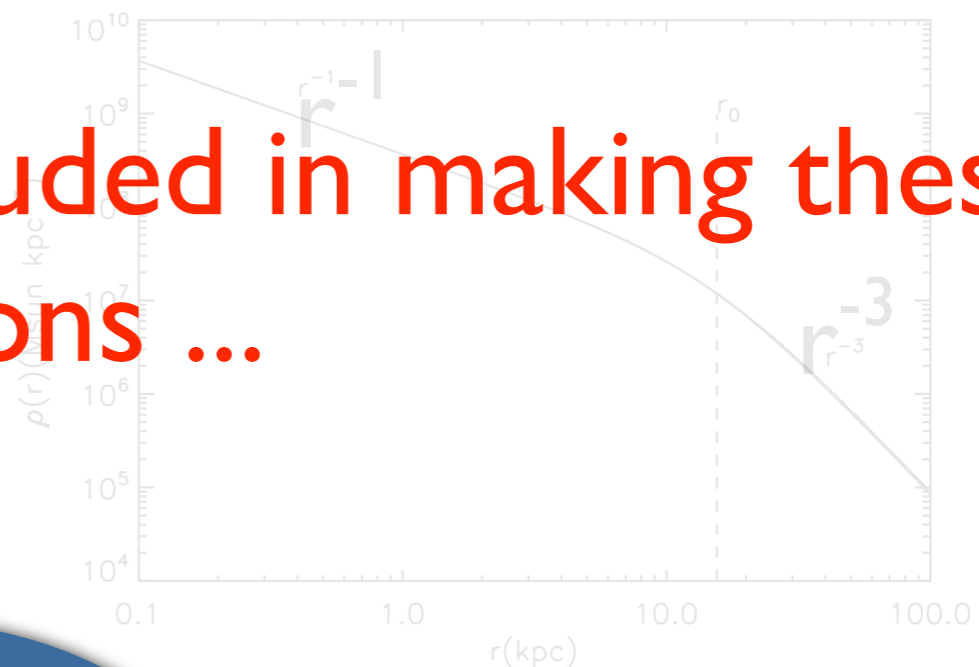


I.Theory | Calculating the dark matter distribution

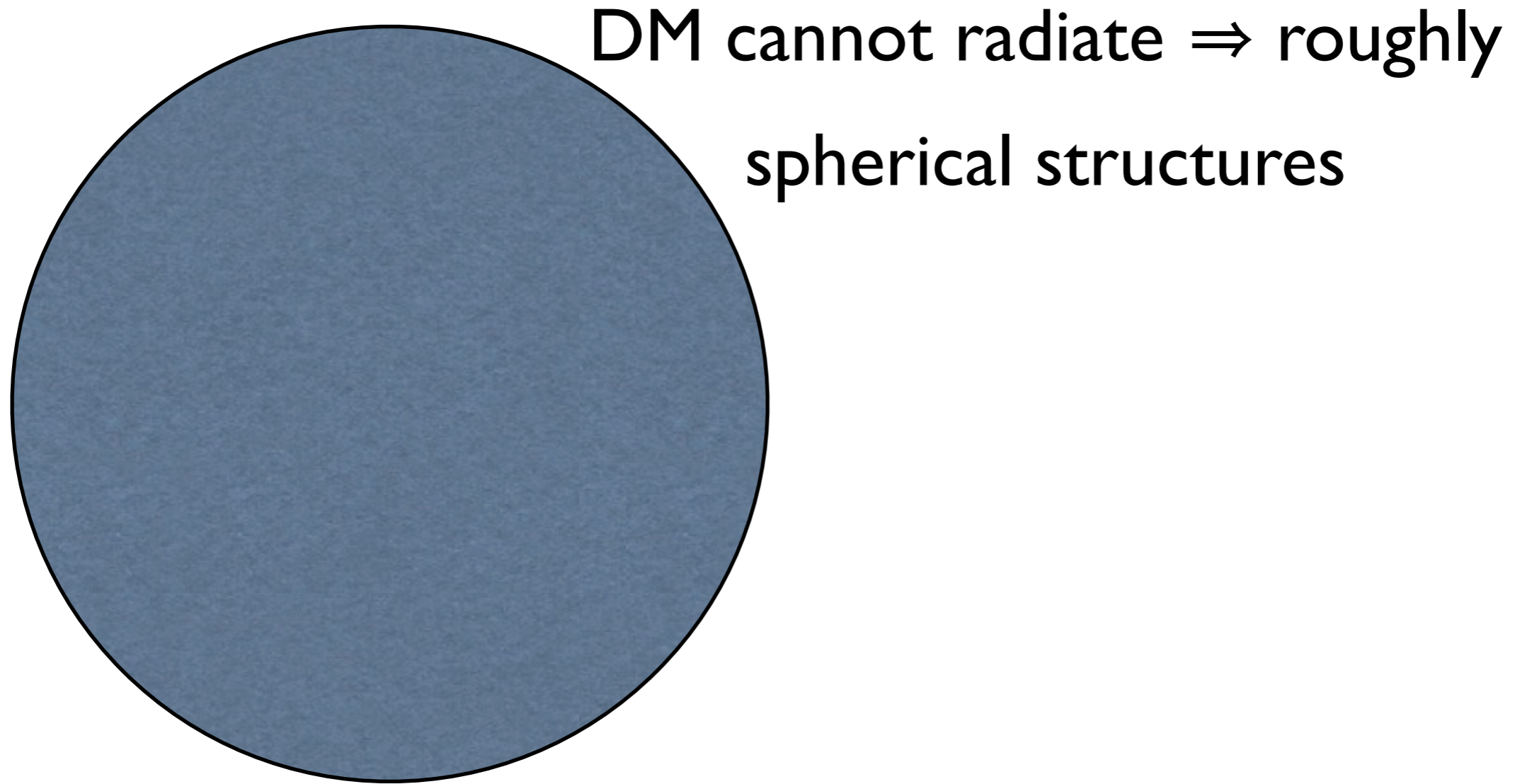
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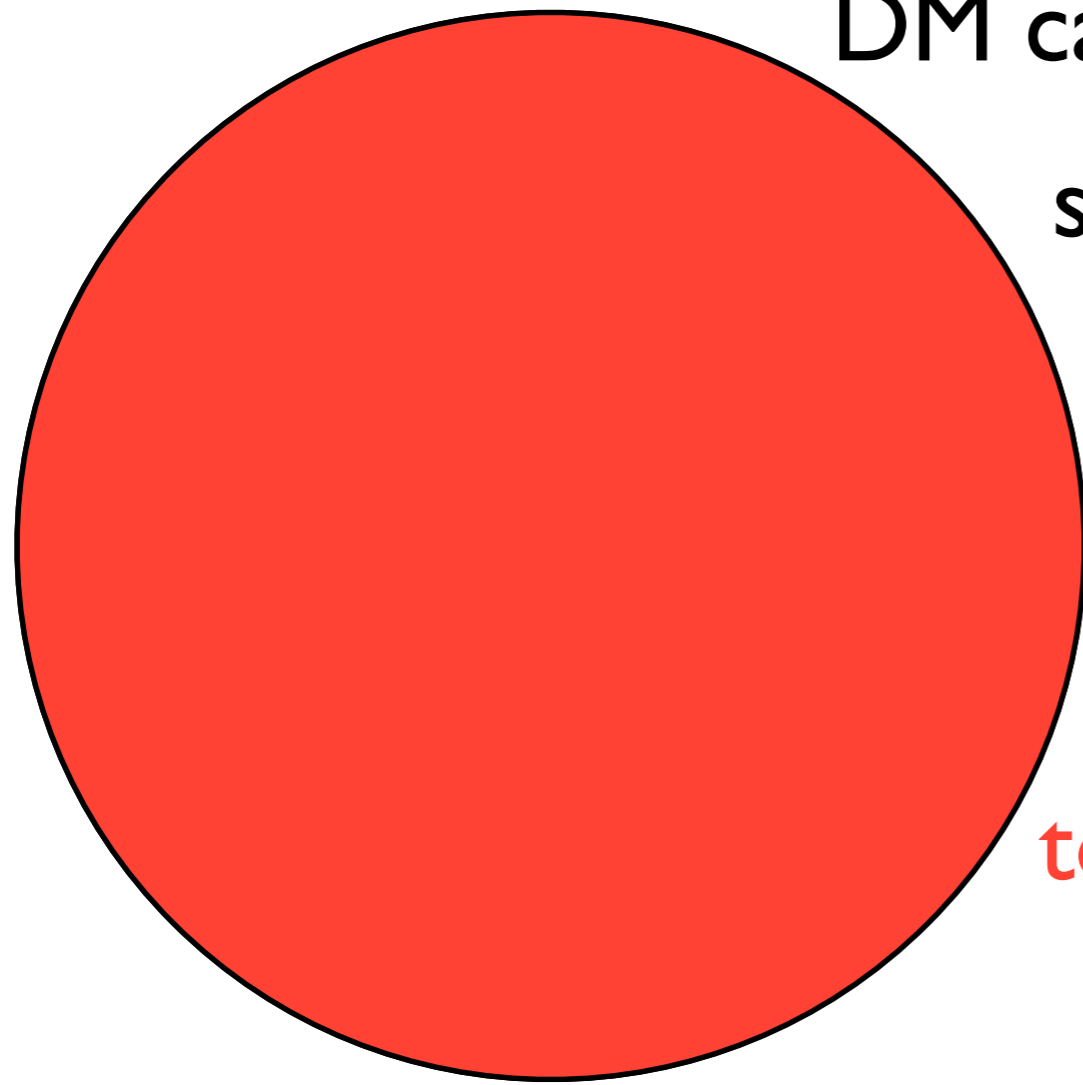
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I.Theory | The importance of baryons



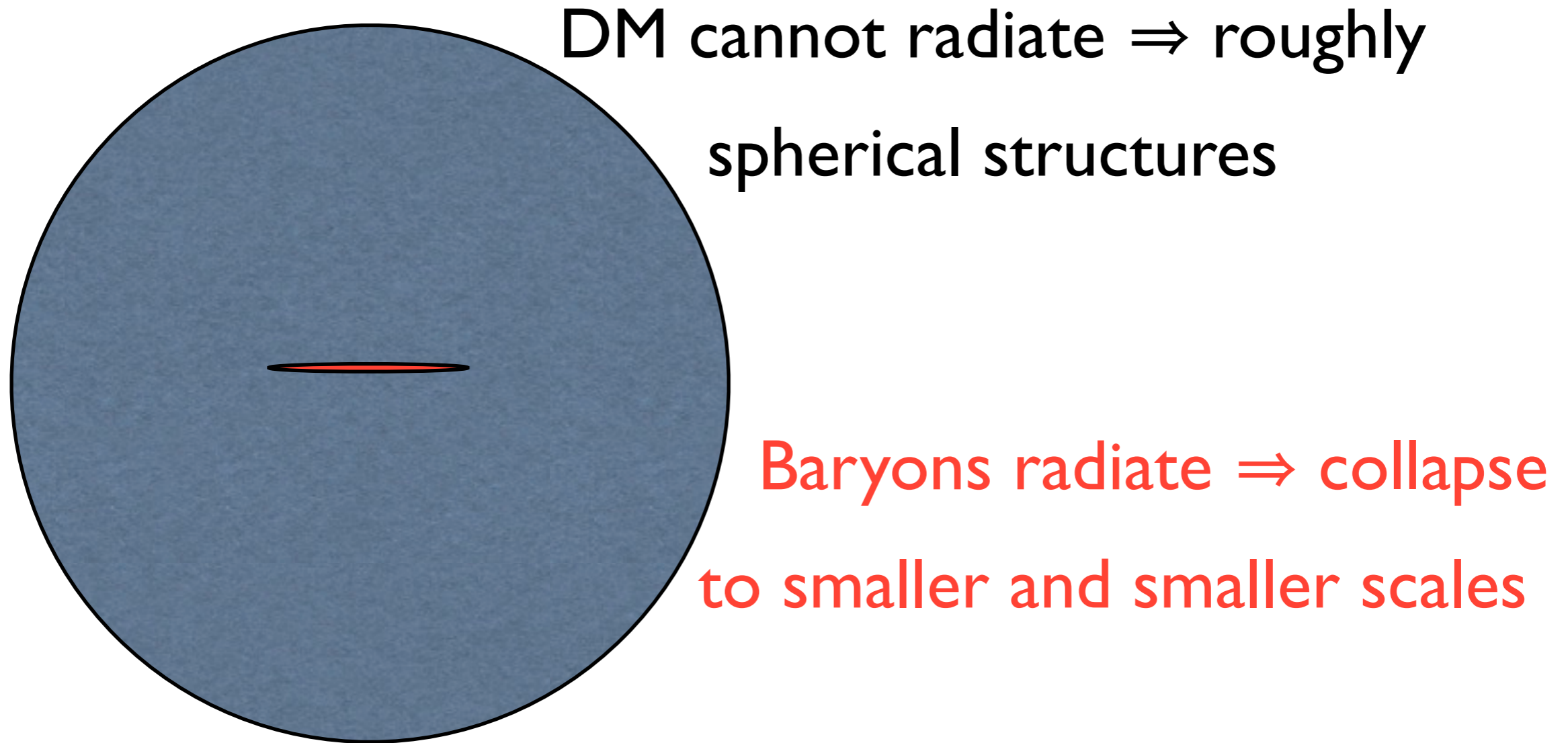
I.Theory | The importance of baryons



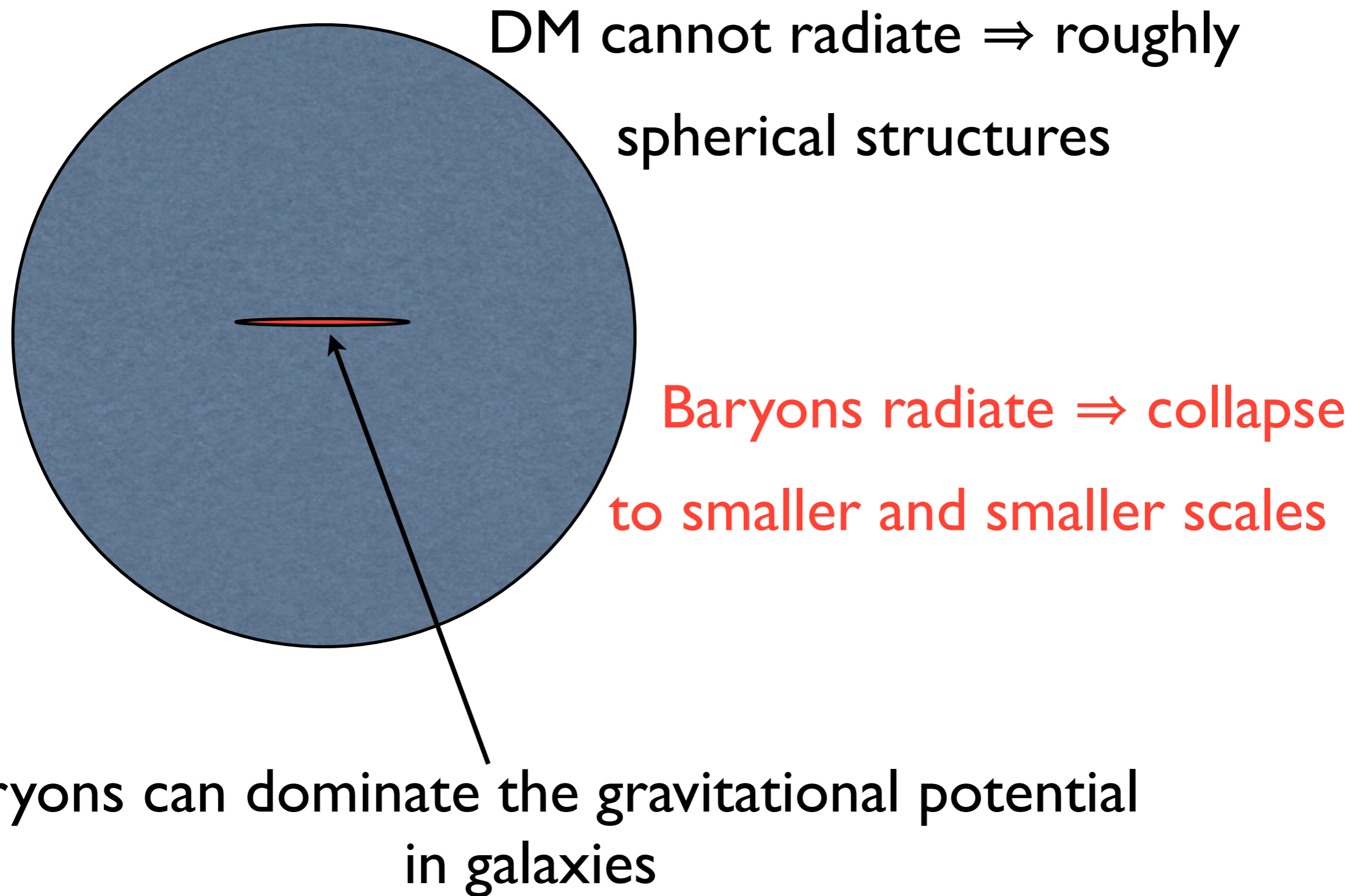
DM cannot radiate \Rightarrow roughly
spherical structures

Baryons radiate \Rightarrow collapse
to smaller and smaller scales

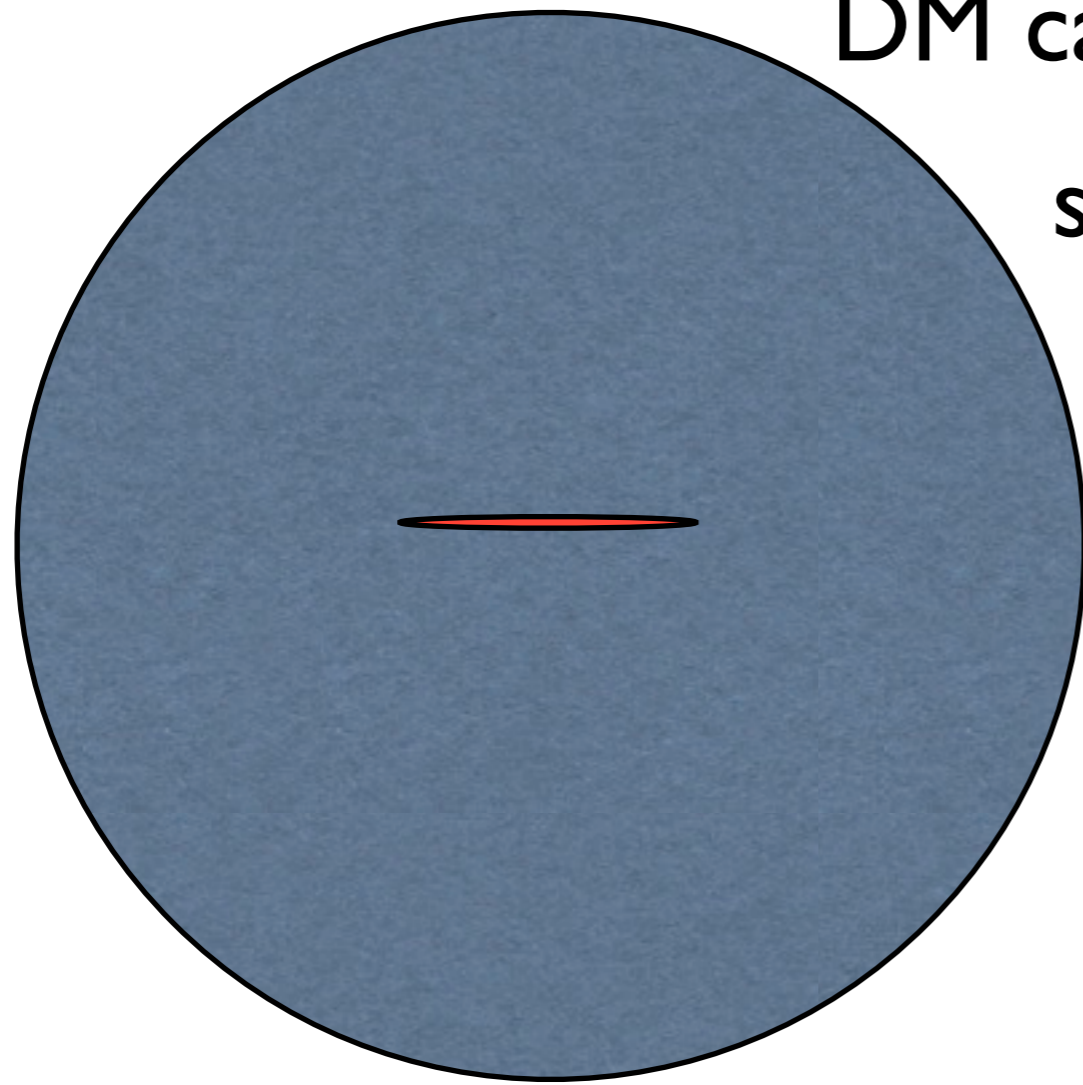
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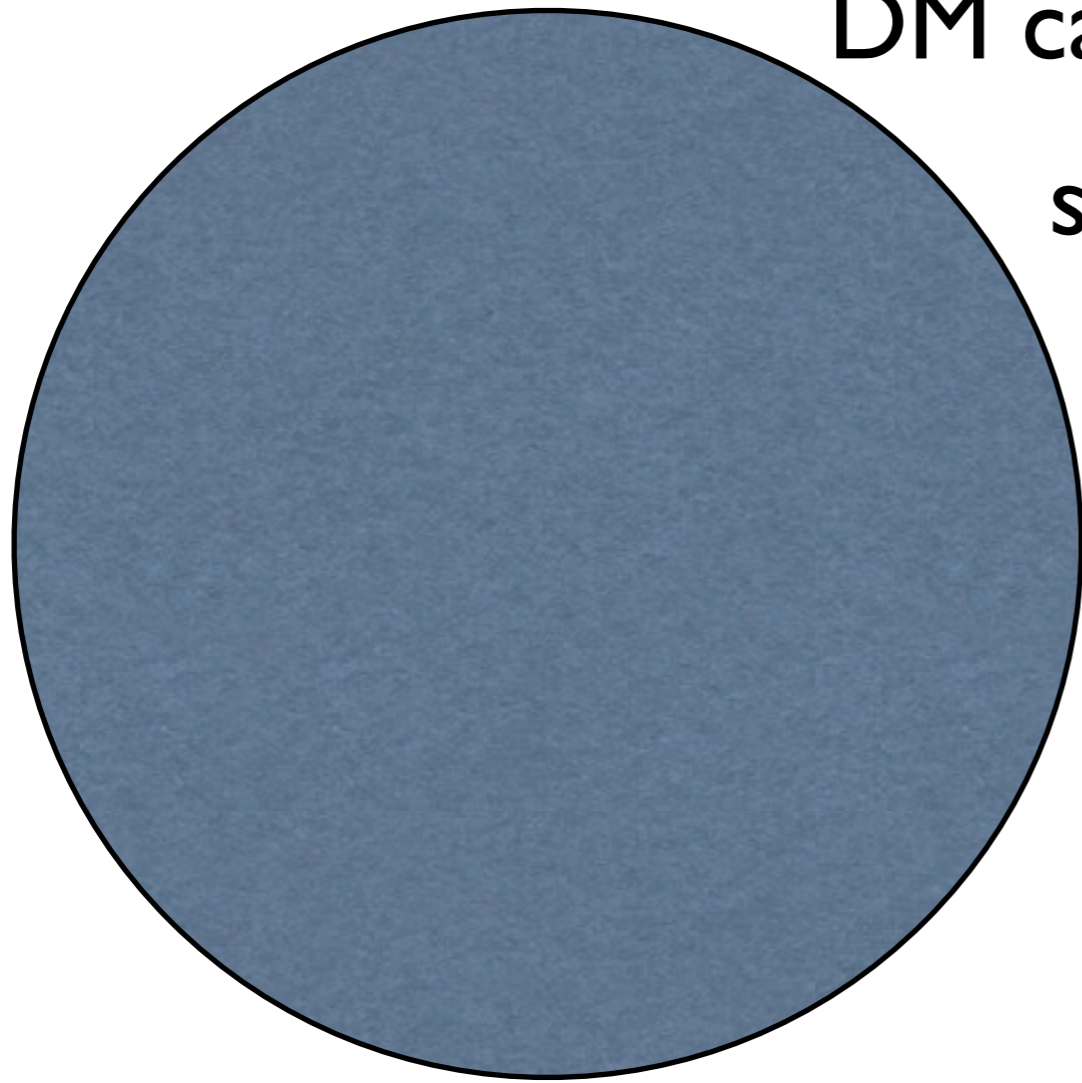
I.Theory | The importance of baryons



DM cannot radiate \Rightarrow roughly spherical structures

Baryons can also be heated by Supernovae explosions etc. \Rightarrow baryons escape the smallest galaxies

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I.Theory | The importance of baryons: feedback in dwarfs



Fornax dwarf

I.Theory | The importance of baryons: feedback in dwarfs

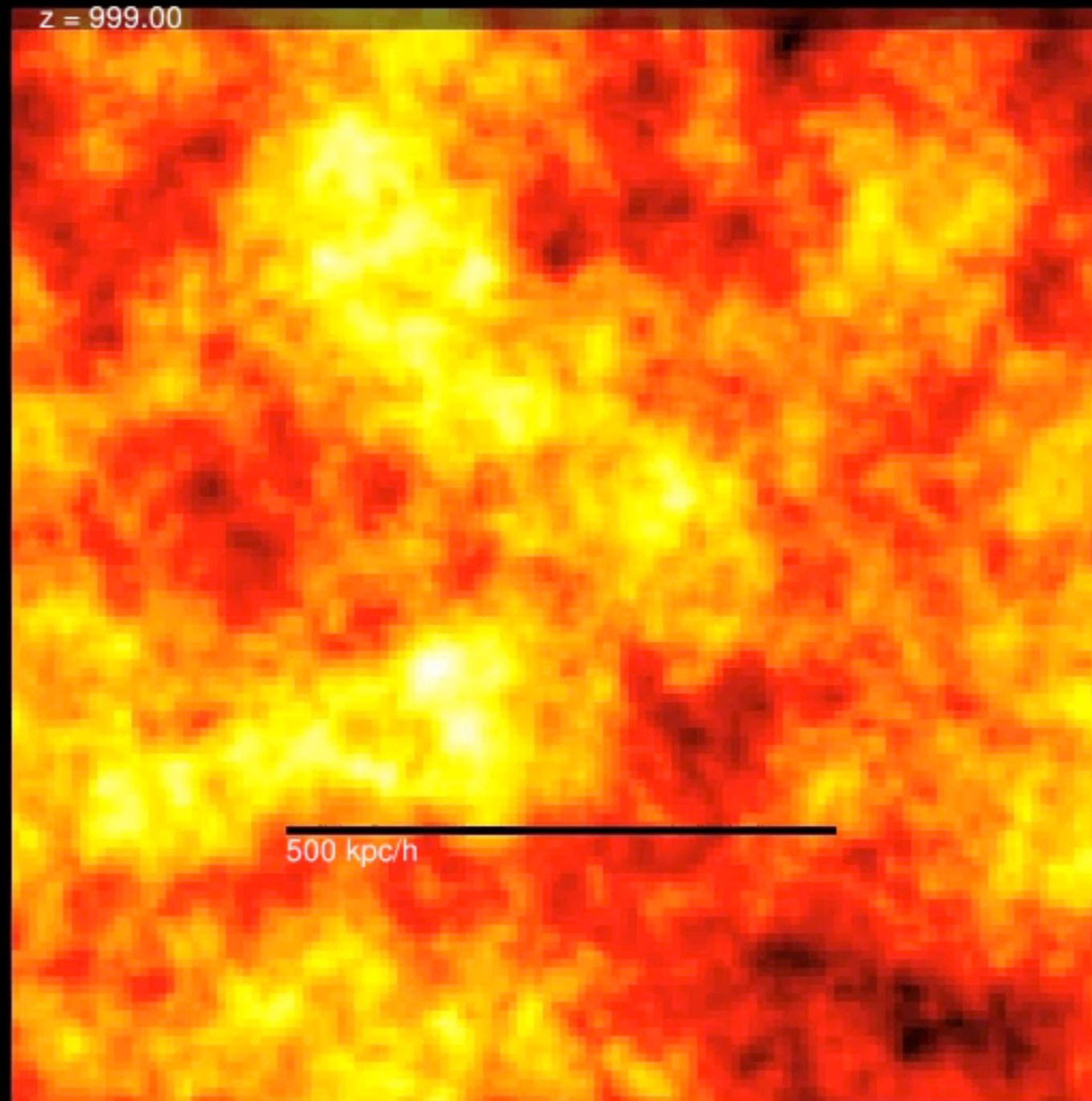


Fornax dwarf

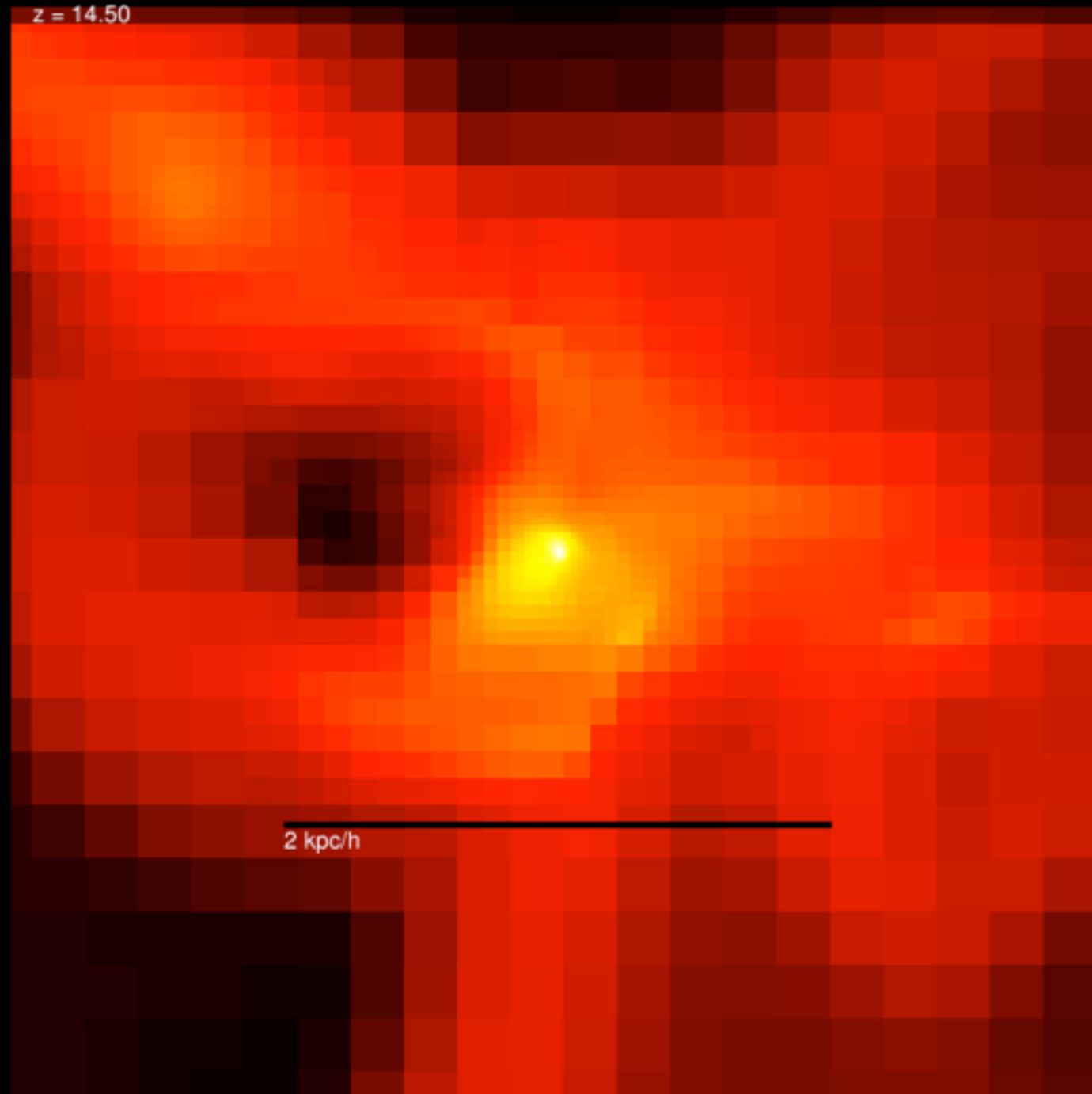
- Smallest known galaxies.
- Nearby \Rightarrow resolve individual stars.
- Very DM dominated \Rightarrow natural DM lab.
- Potential target for DM annihilation.

I.Theory | The importance of baryons: feedback in dwarfs

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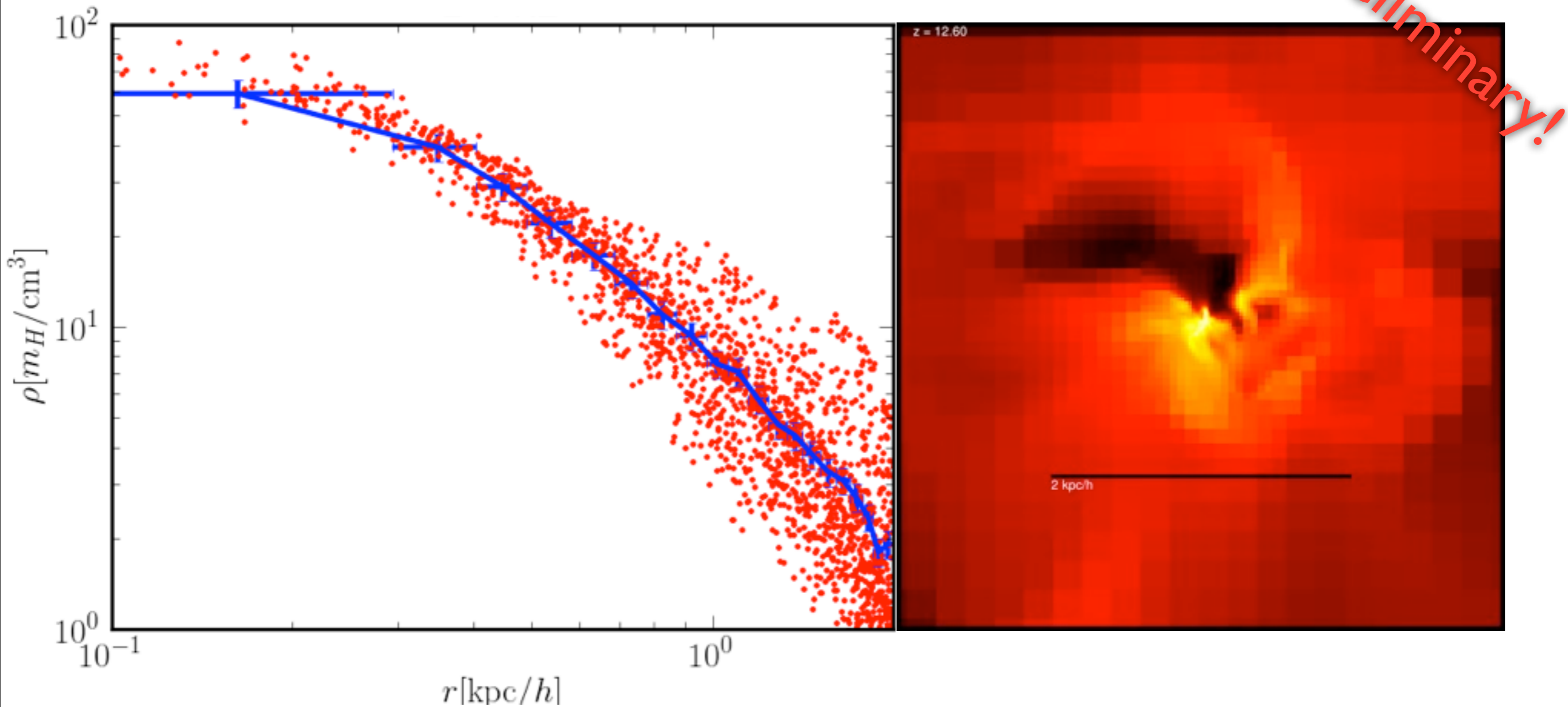


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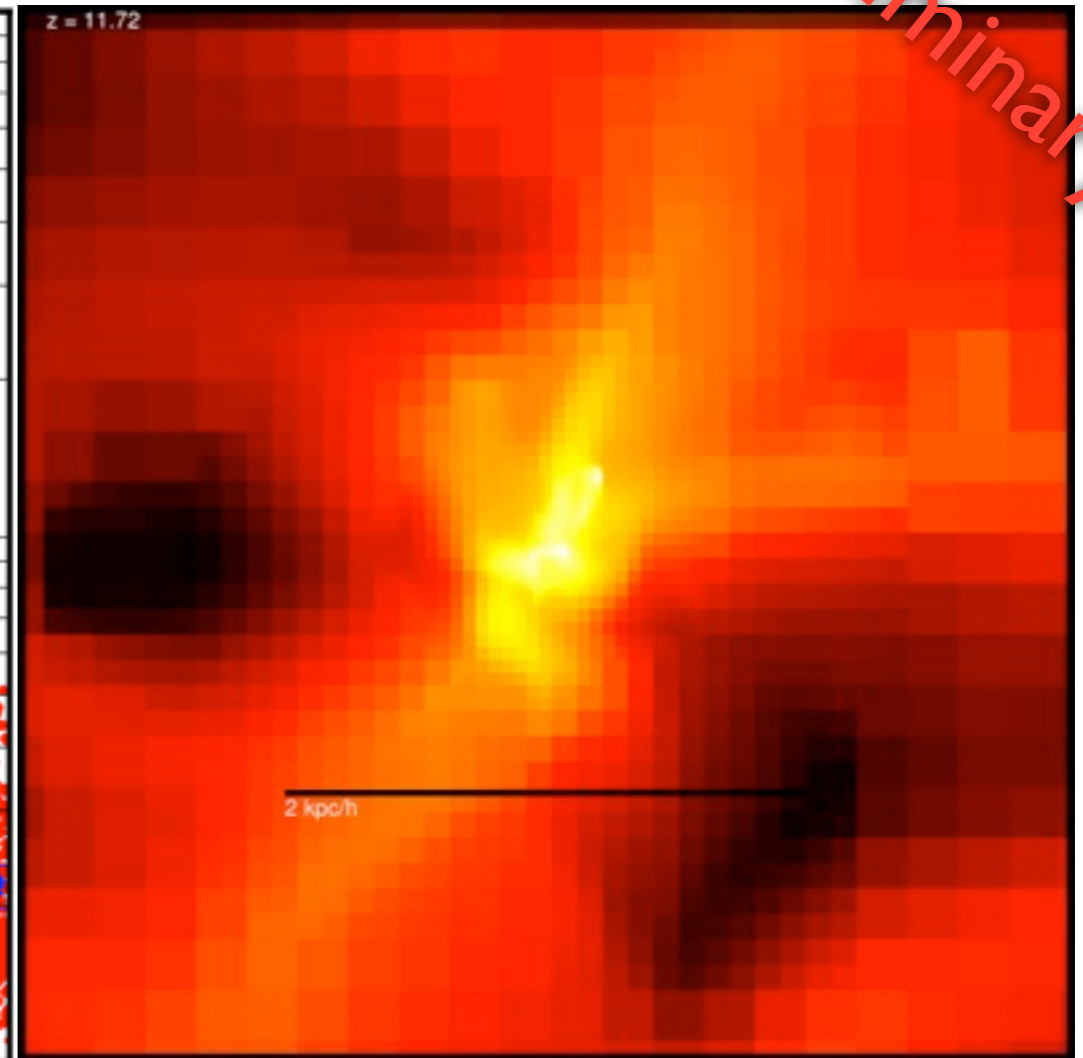
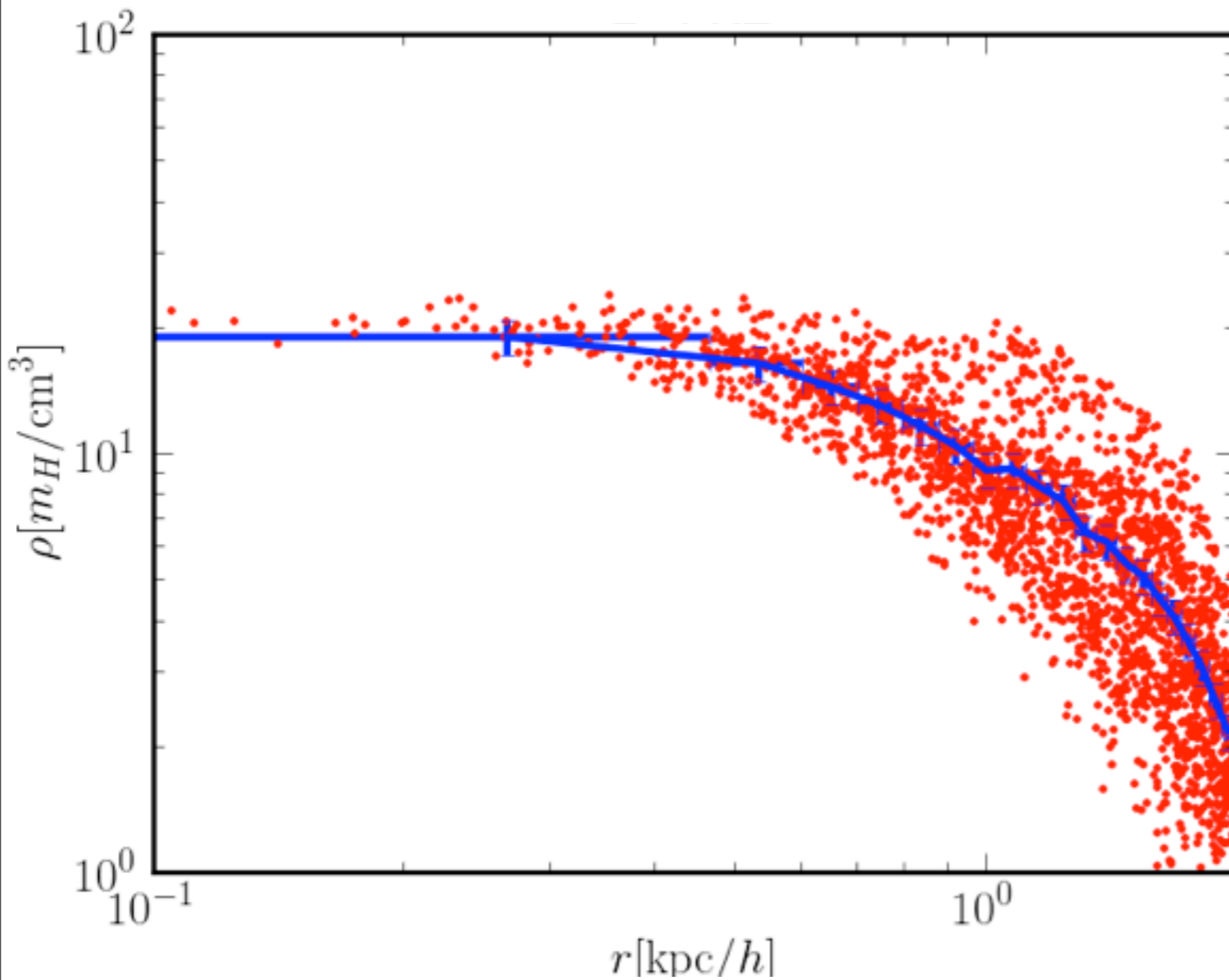
I.Theory | The importance of baryons: feedback in dwarfs

$z = 12.6$



I.Theory | The importance of baryons: feedback in dwarfs

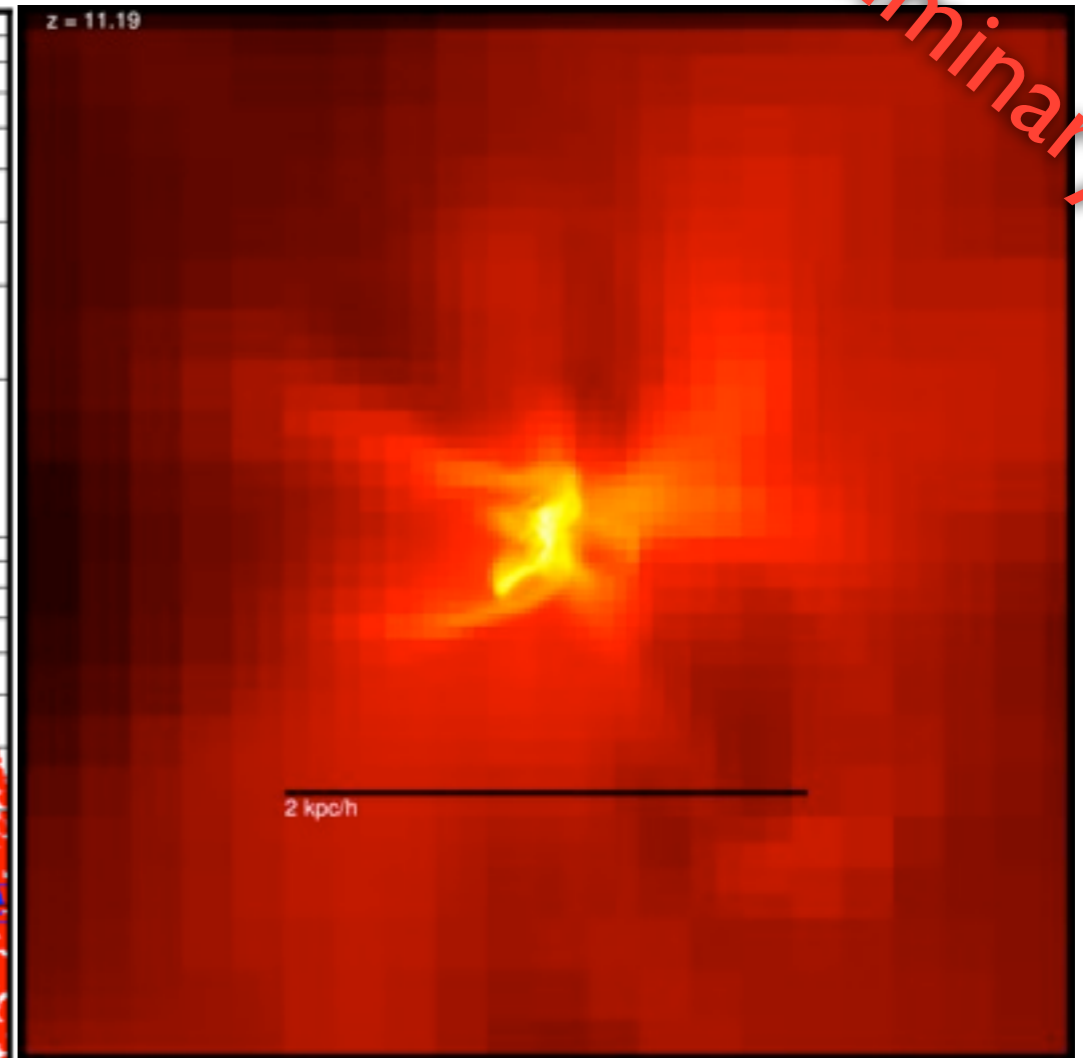
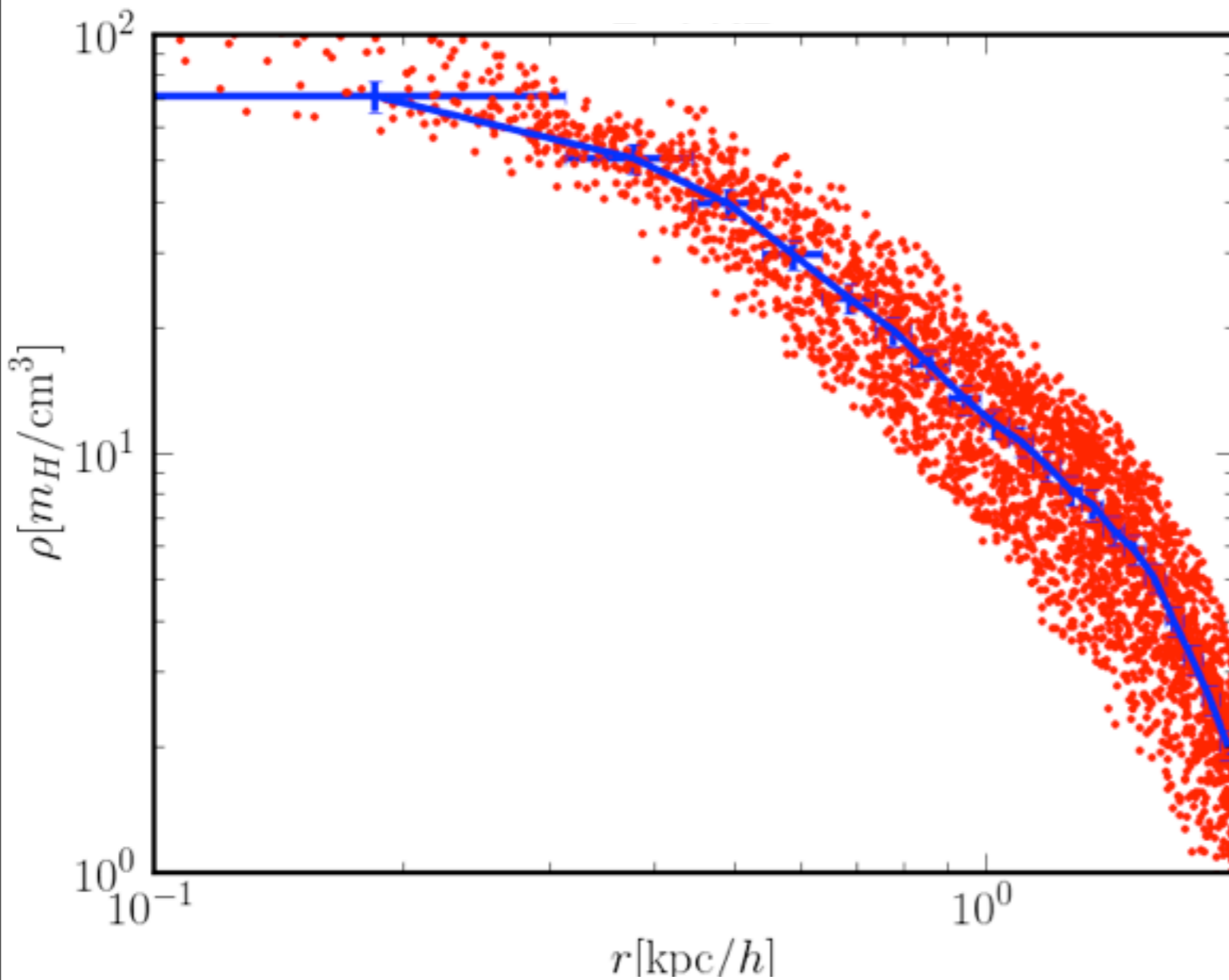
$z = 11.72$



Preliminary!

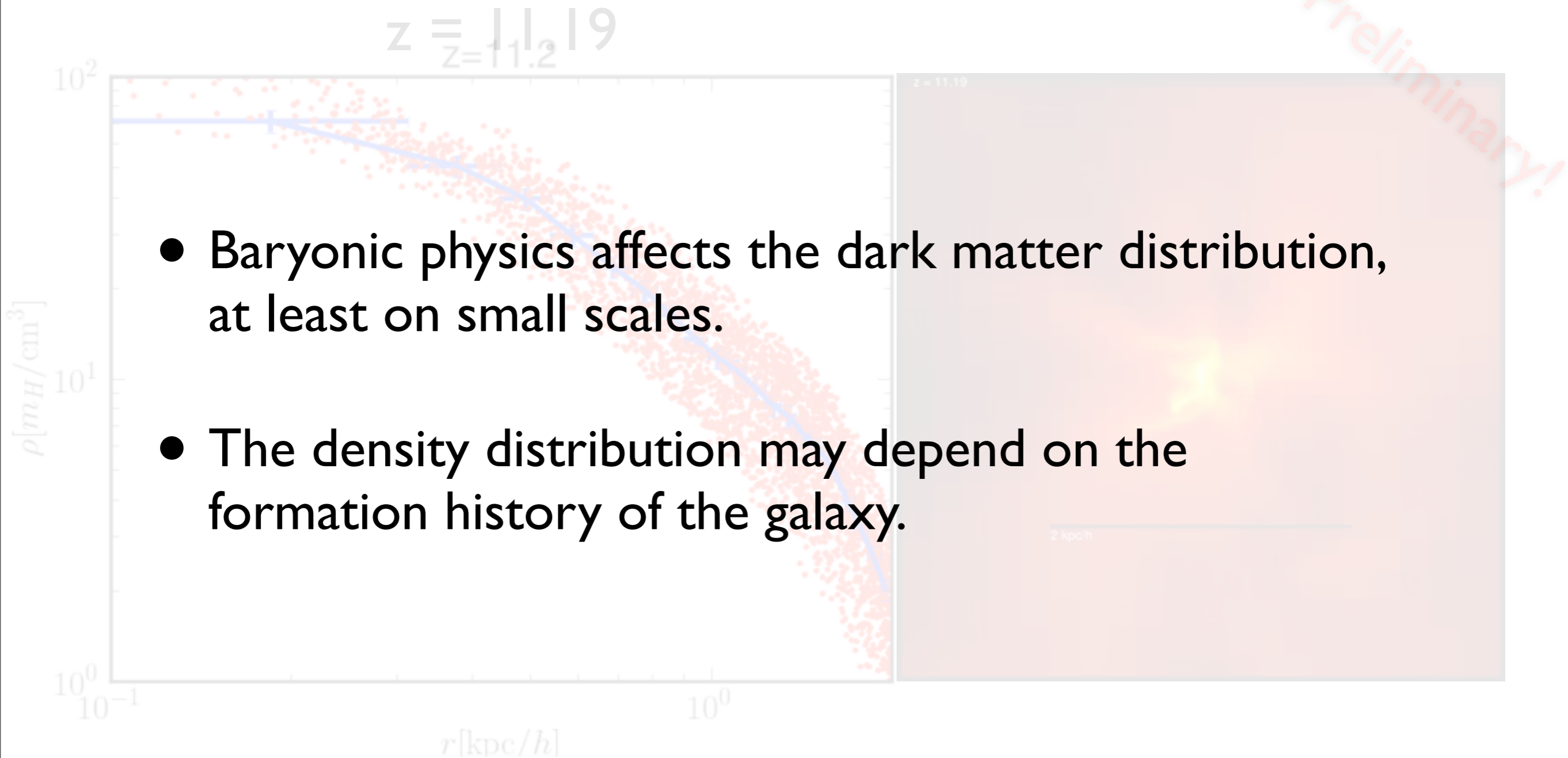
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$z = 11.19$



Preliminary!

I.Theory | The importance of baryons: feedback in dwarfs



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*stars & dark
matter*





I.Theory | The importance of baryons: the dark disc

 Stars
 Gas



*3 Milky Way mass gals. | Governato et al. 2007/2008
concordance LCDM*

*1.4×10^6 dark matter; 3×10^6 stars; 0.73×10^6 gas
force softening: 0.3 kpc*

DM particle mass: 7.6×10^5 Msun

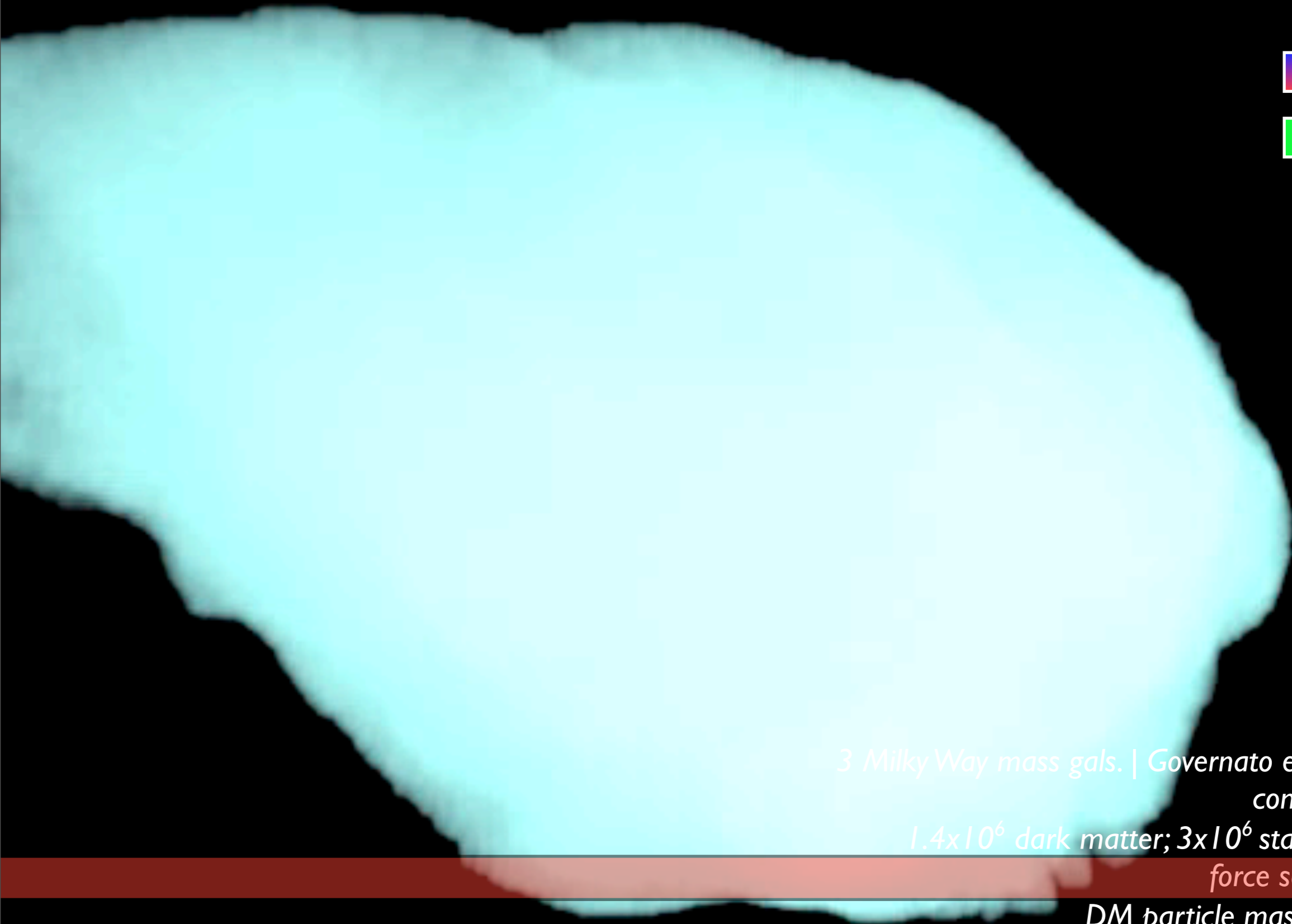
star particle mass: 0.23×10^5 Msun

gas particles mass: 0.34×10^5 Msun

Read et al., MNRAS 2009; arXiv:0902.0009

I.Theory | The importance of baryons: the dark disc

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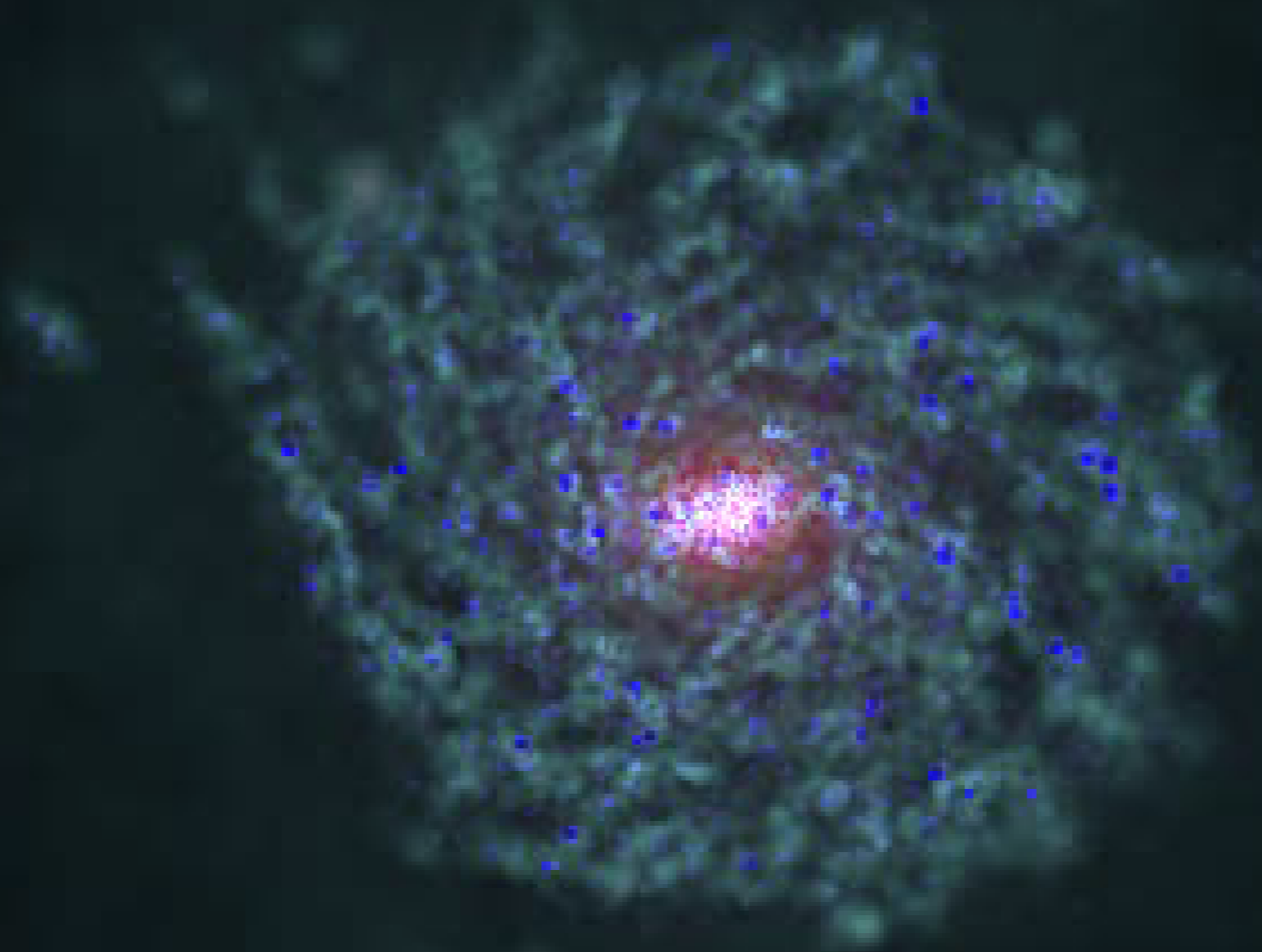
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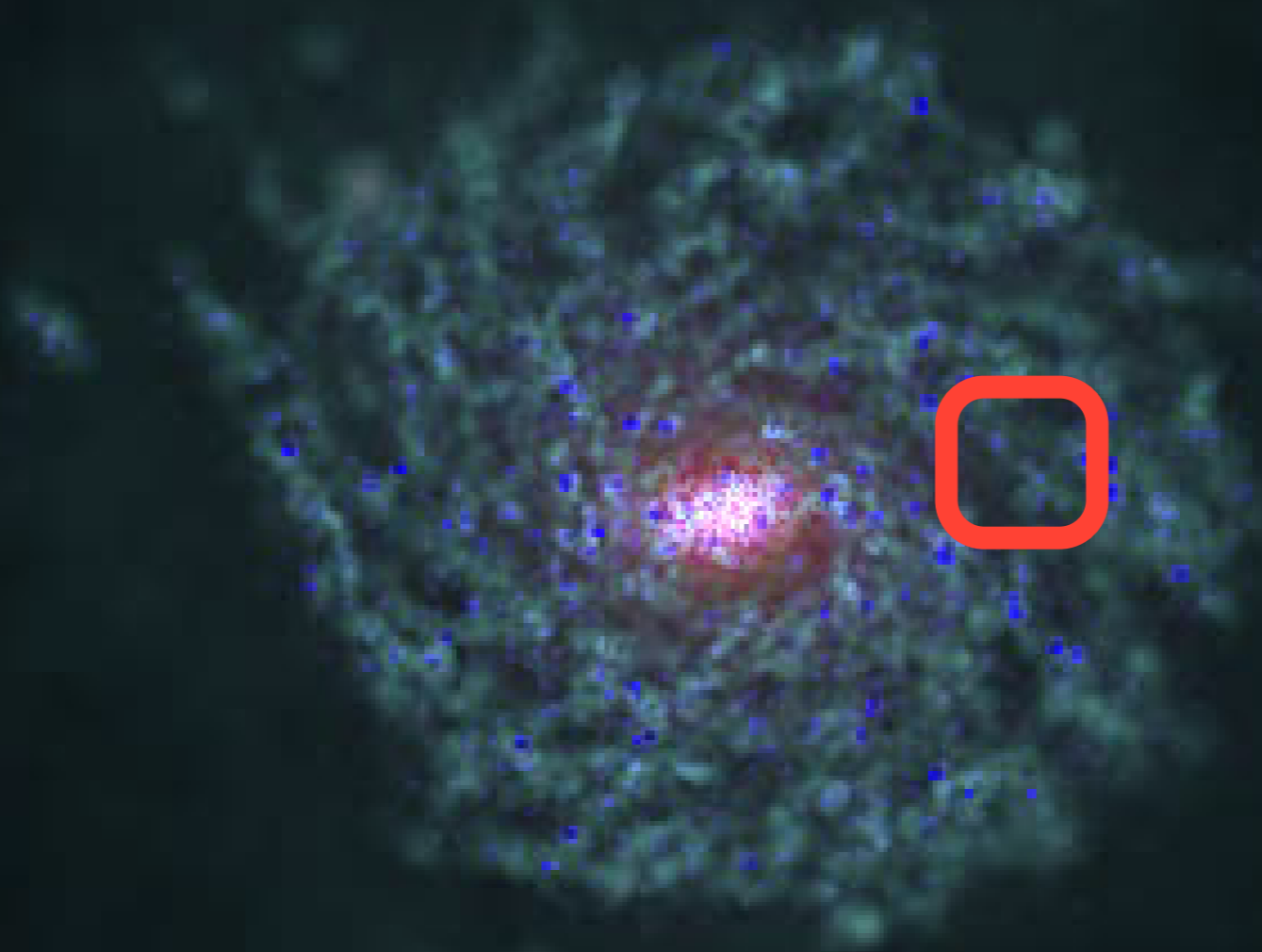
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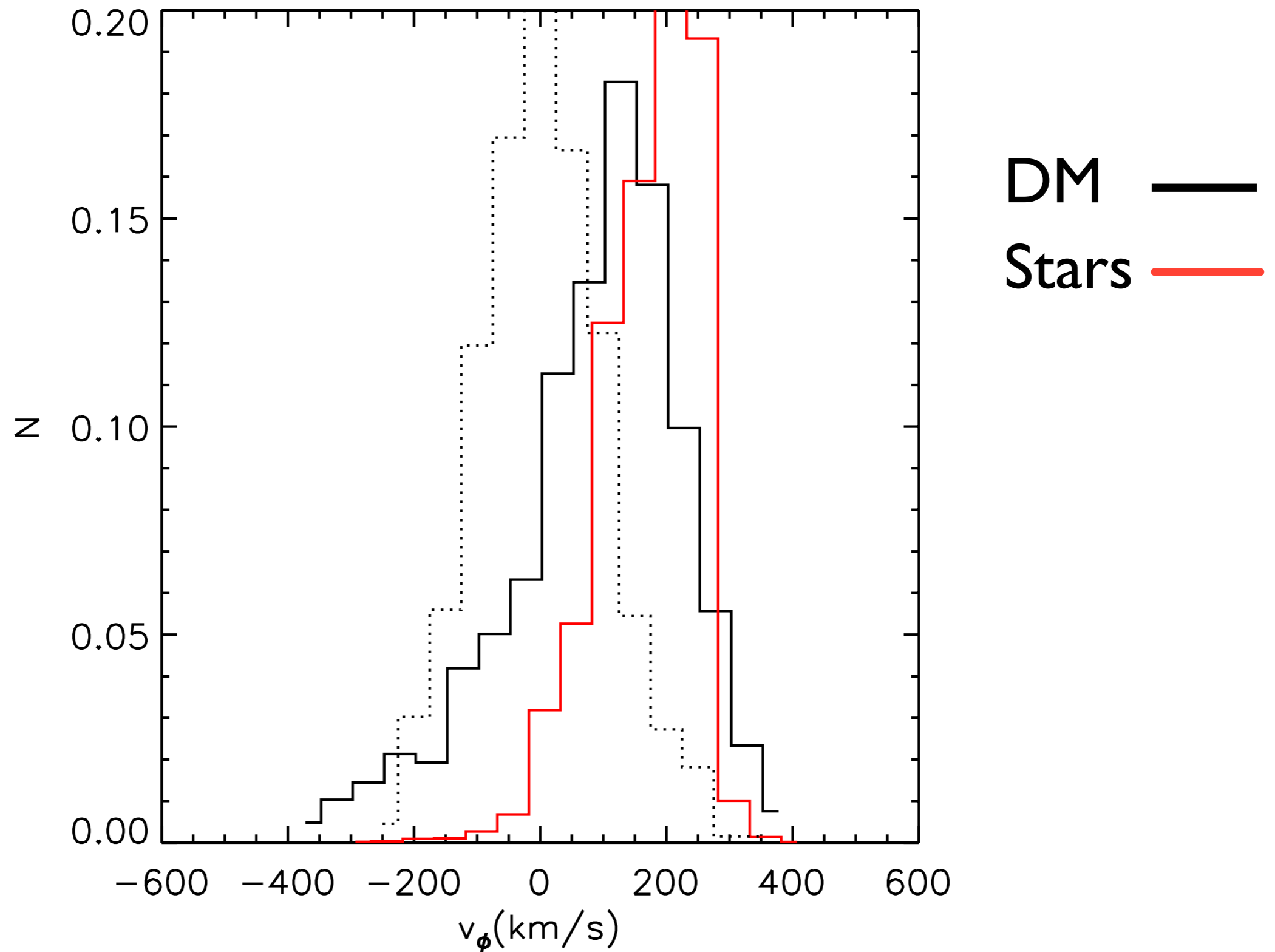
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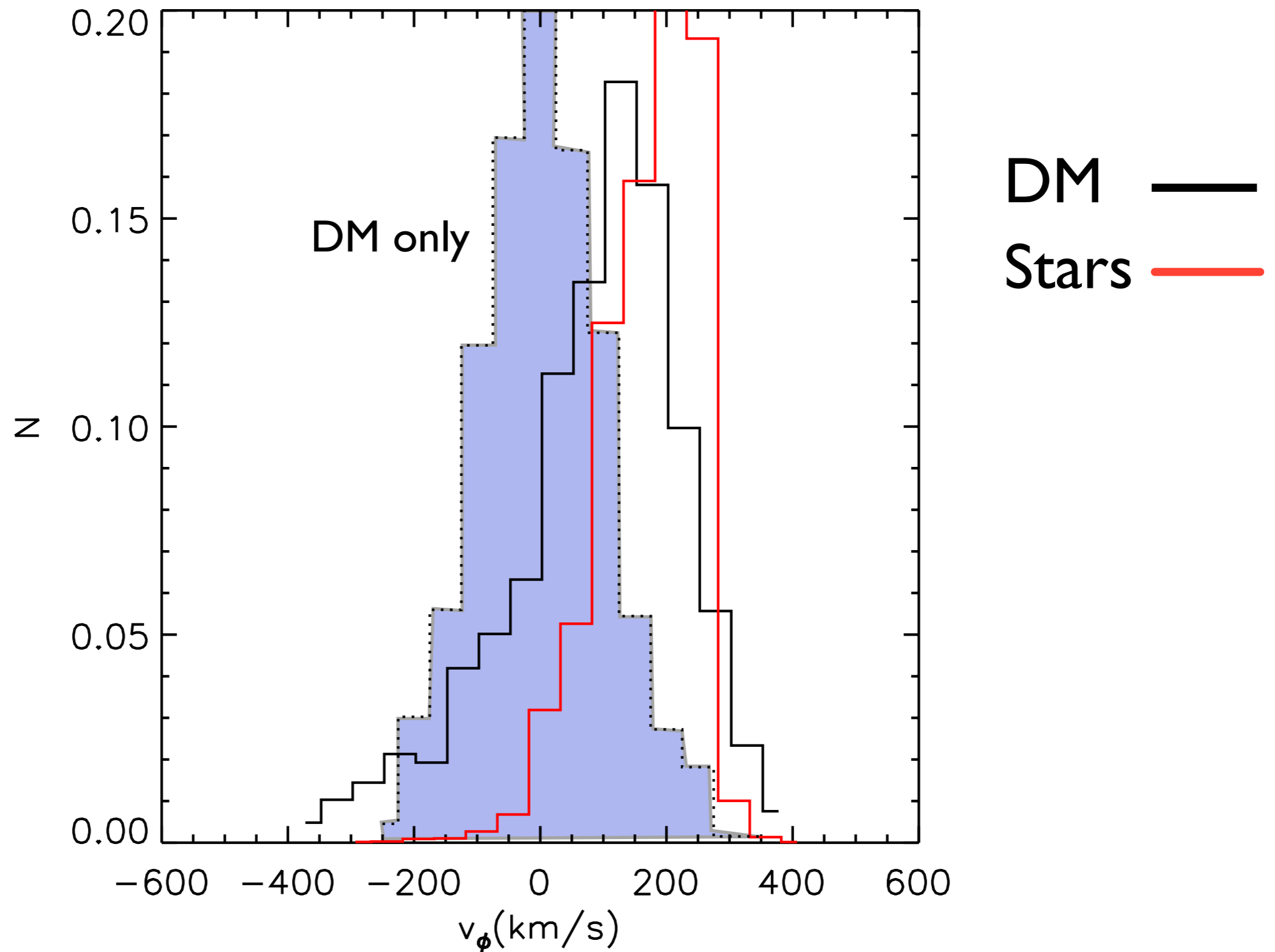
Read et al., MNRAS 2009; arXiv:0902.0009

I.Theory | The importance of baryons: the dark disc

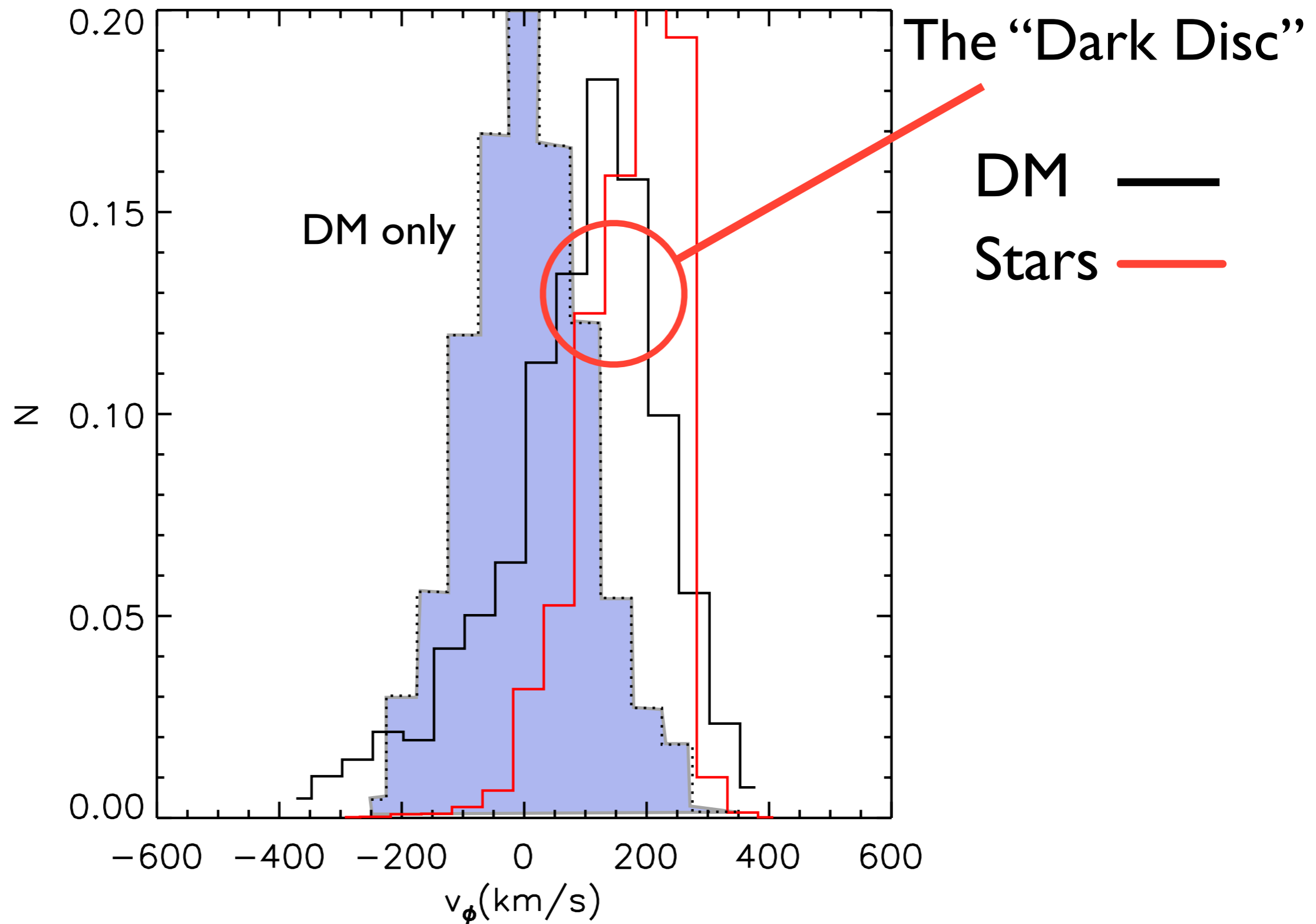


Read et al., 2008/9; Bruch et al. 2009a/b.

I.Theory | The importance of baryons: the dark disc



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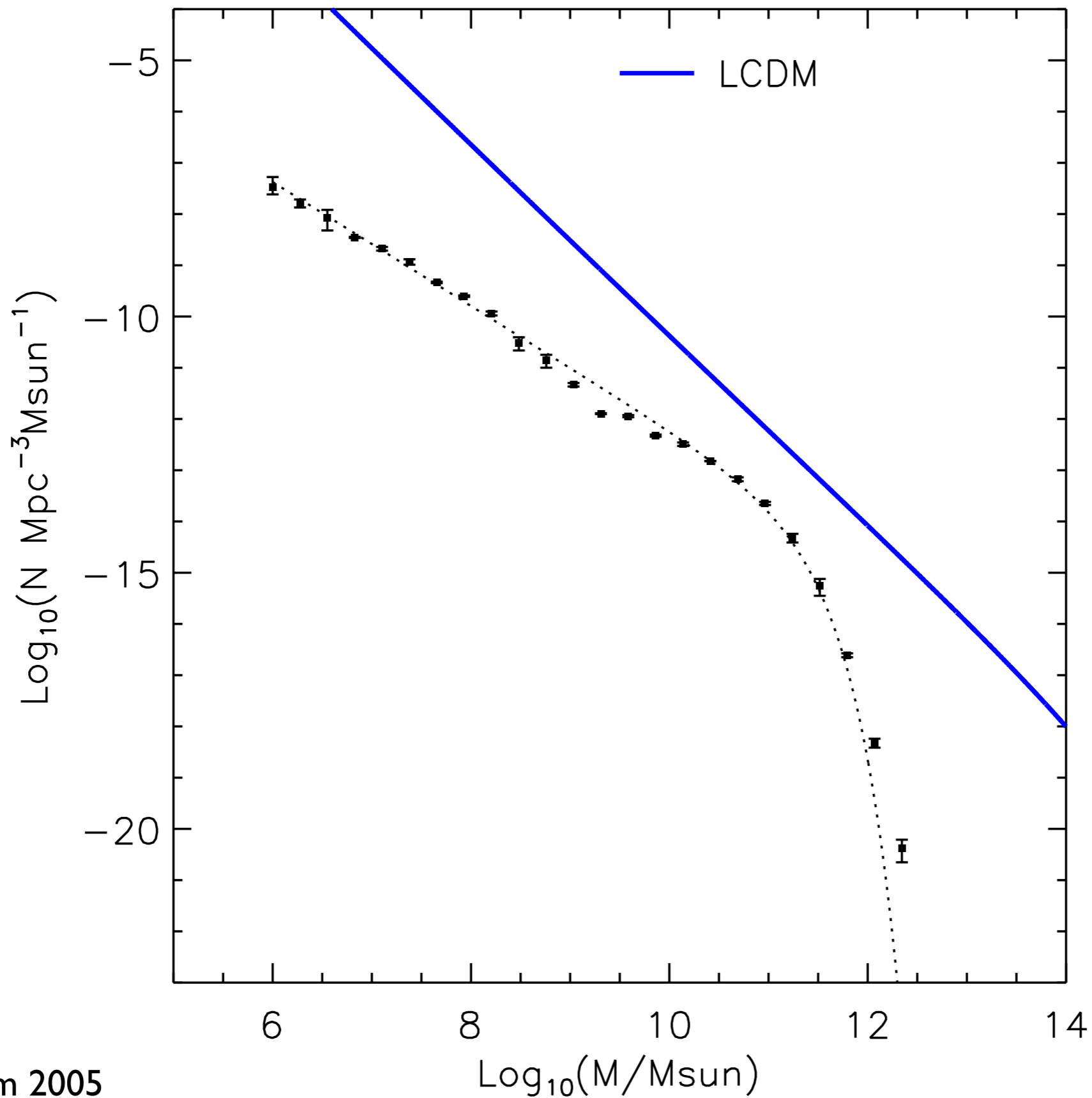
$$\rho_{\text{dd}} = 0.25\text{-}1.5\rho_{\text{shm}}; v_{\text{lag}} = 0\text{-}150\text{km/s}; \sigma = 50\text{-}90\text{km/s}$$

I.Theory | The importance of baryons: the dark disc

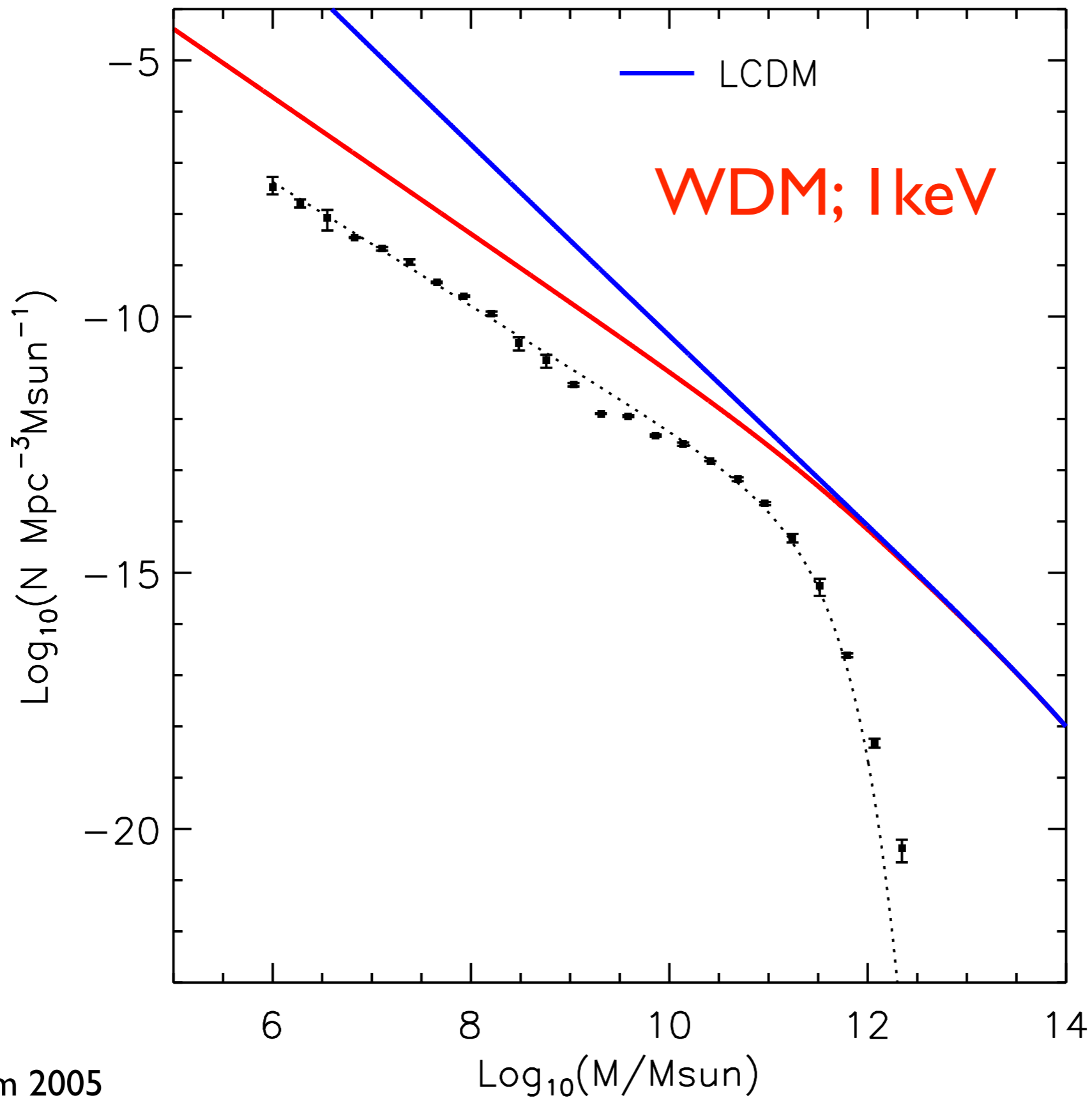
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- Boosts the direct detection signal at low recoil energy by a factor ~ 3 in the 5-20keV range.
- Shifts the phase of the annual modulation signal allowing the WIMP mass to be determined.
- Significantly boosts WIMP capture in the Sun and Earth by factors of ~ 10 and ~ 1000 , respectively.

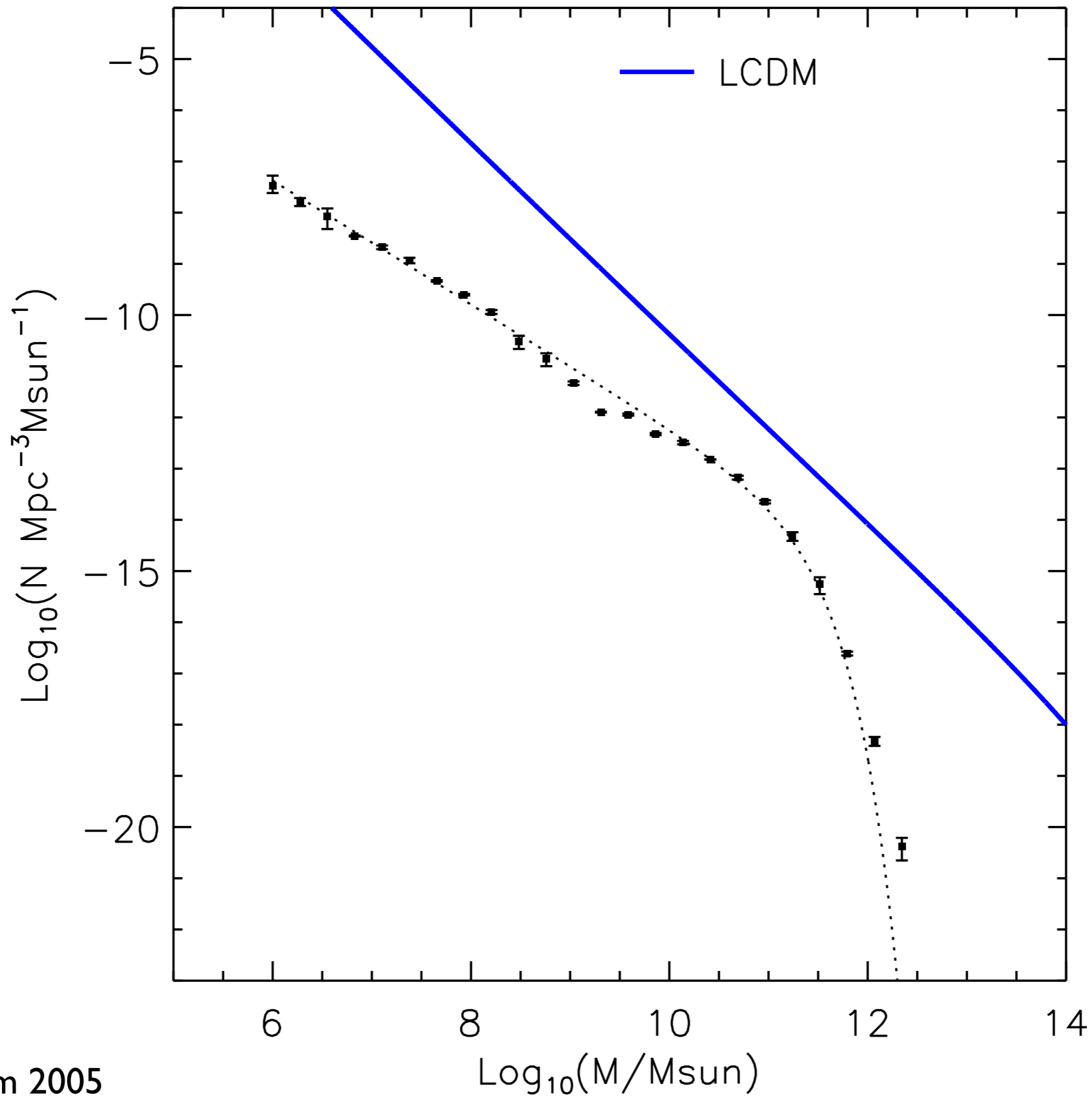
2. Observations | The halo mass function



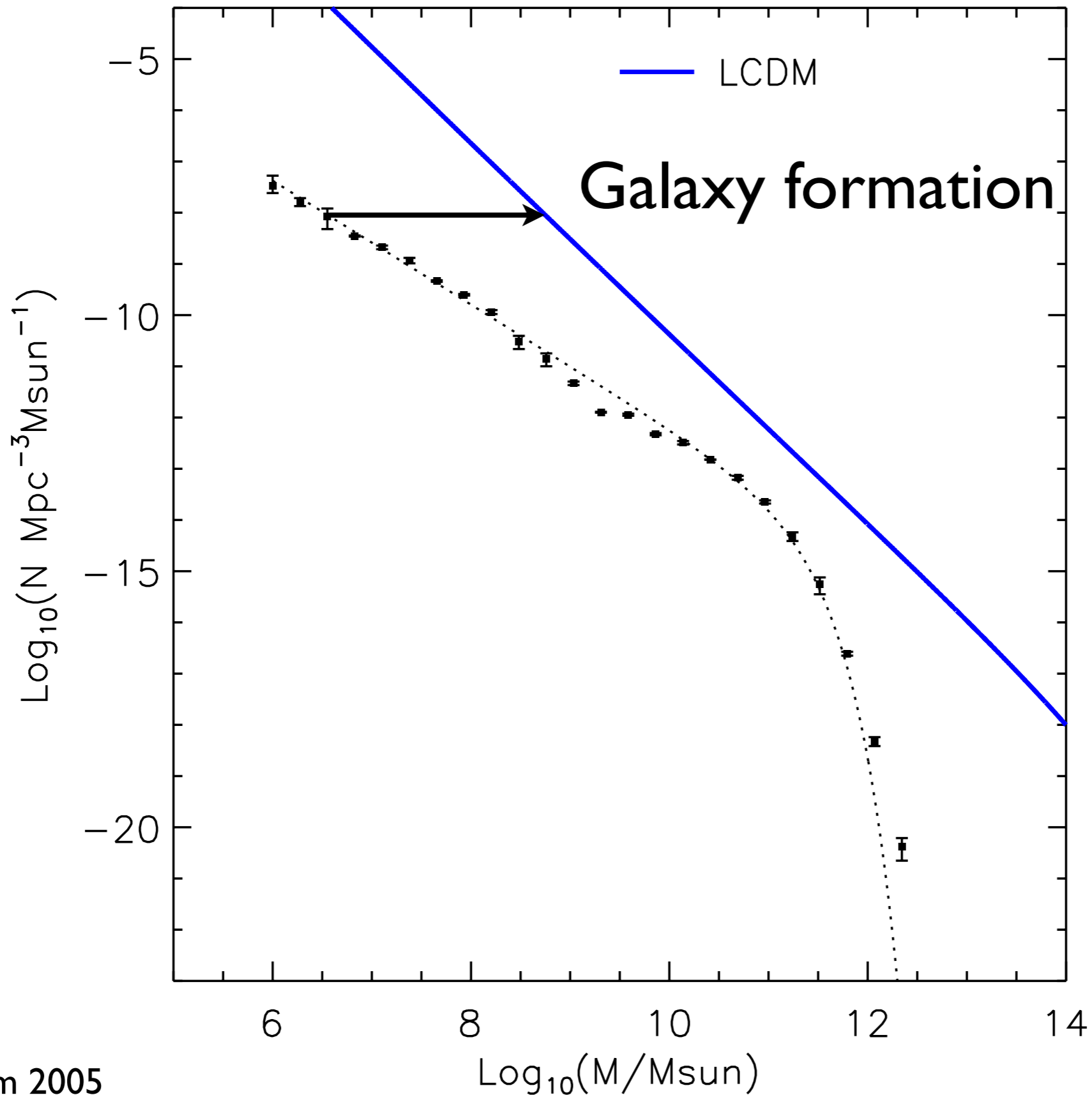
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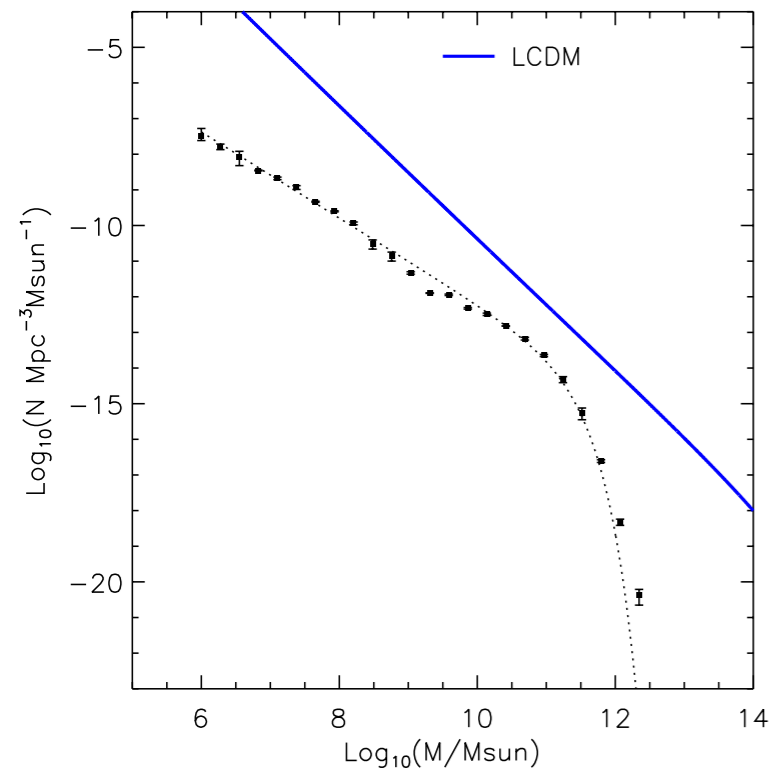
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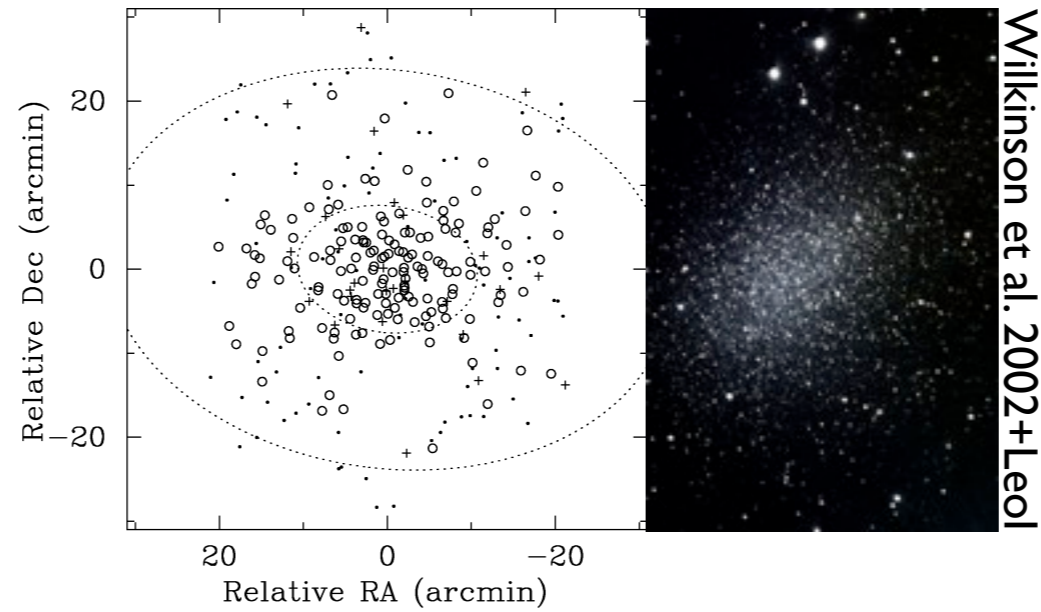
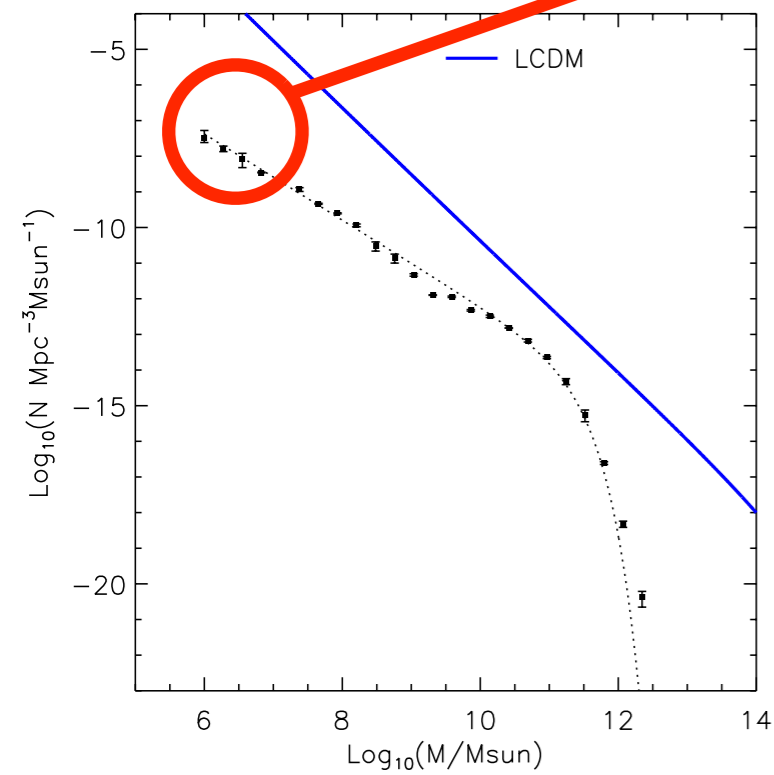
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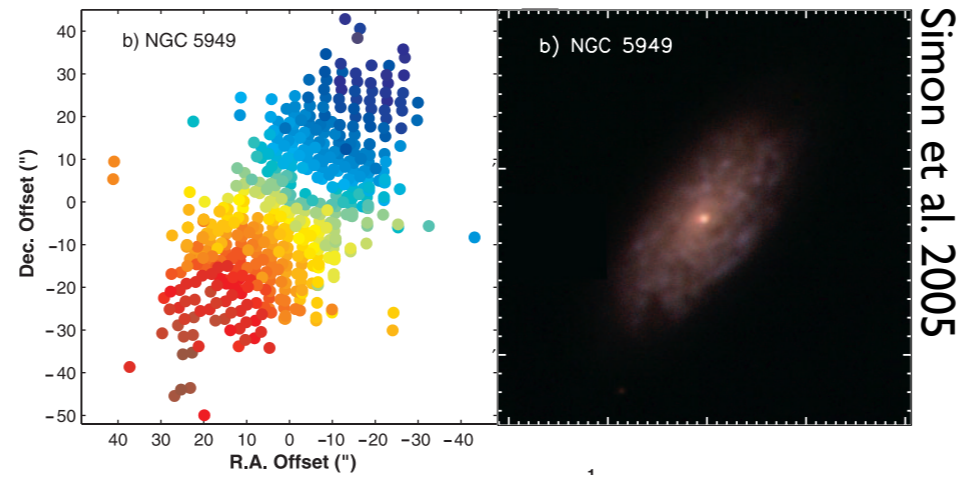
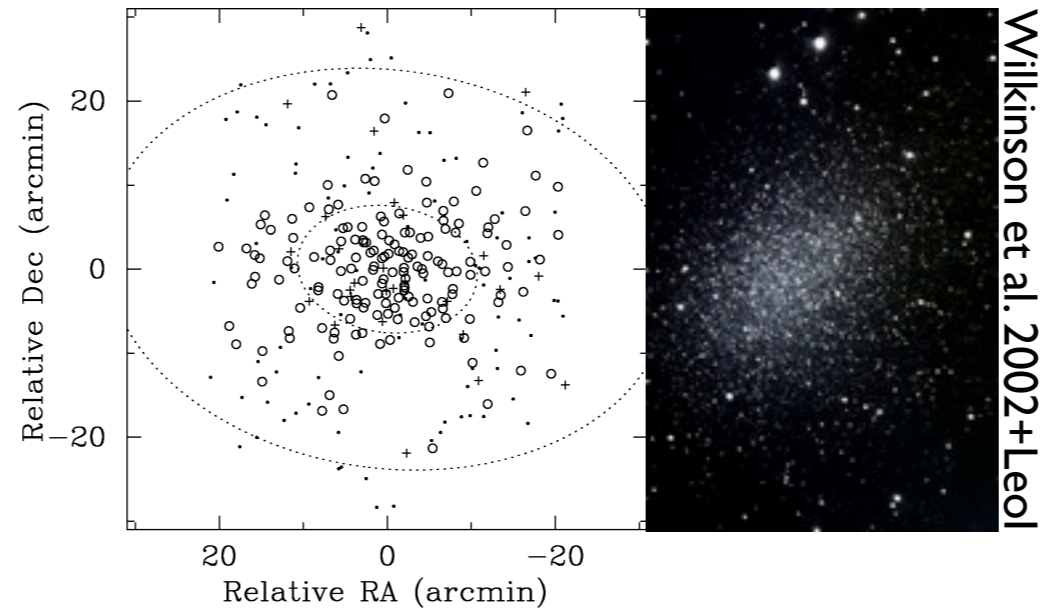
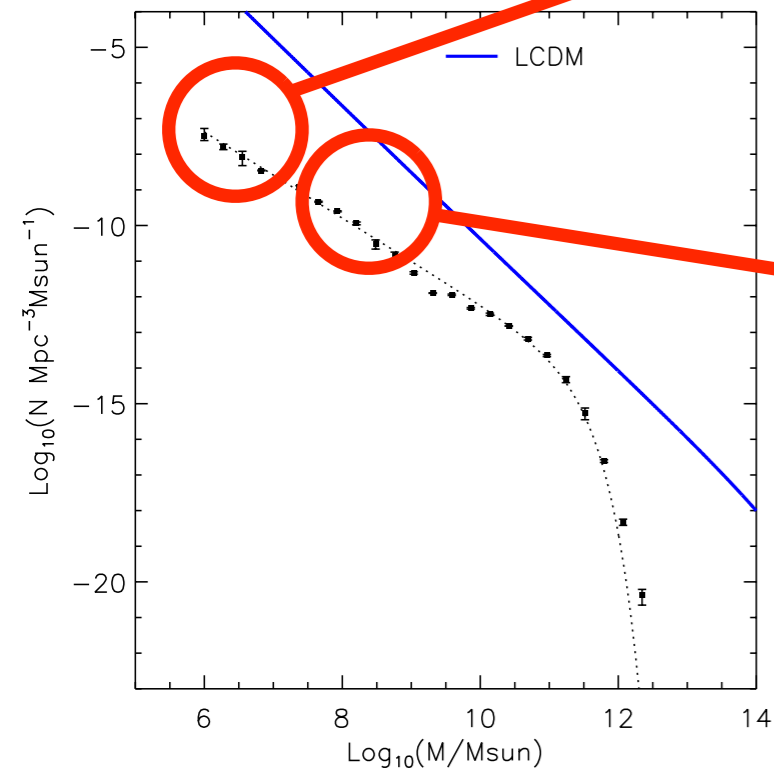
2. Observations | Measuring the halo density profile



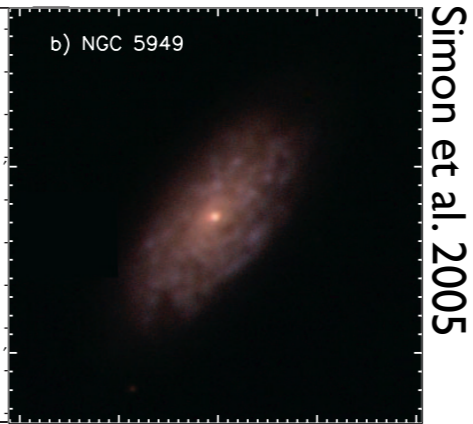
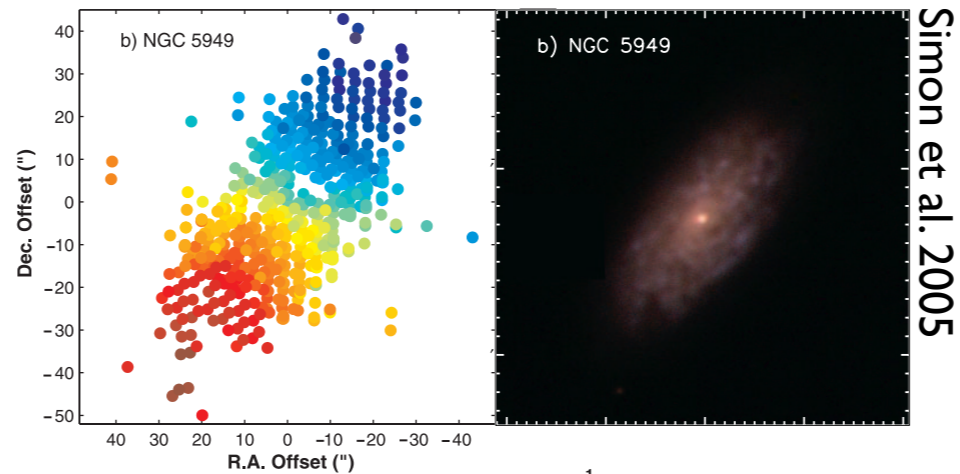
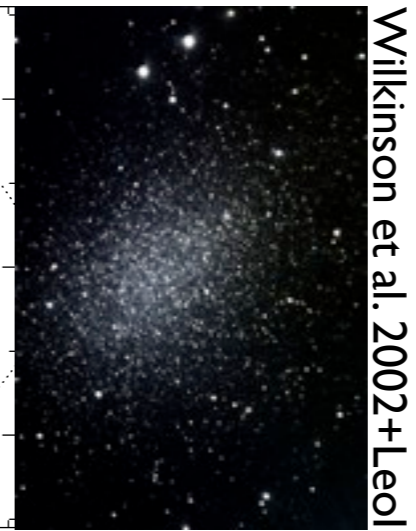
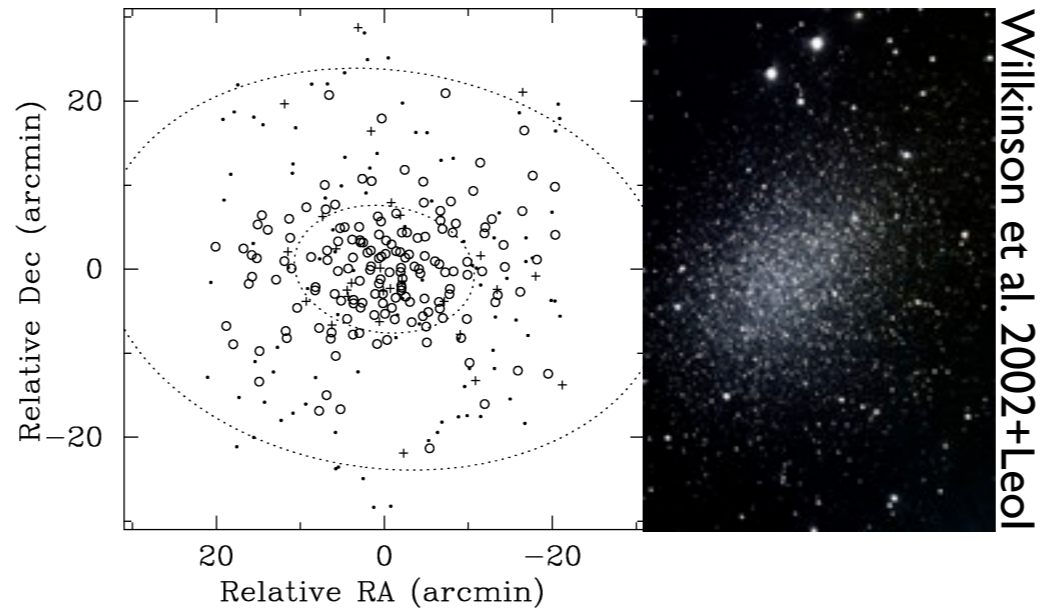
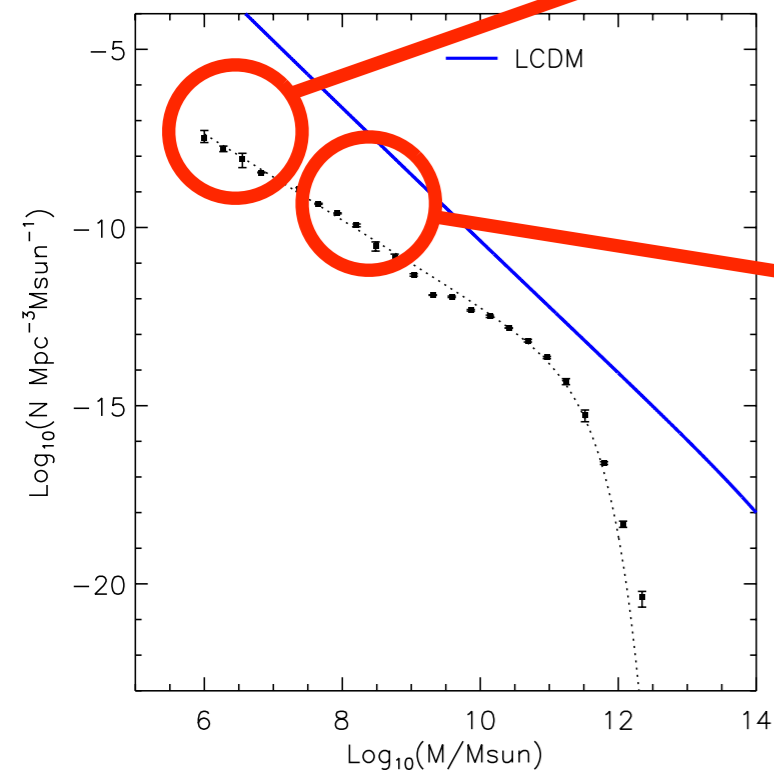
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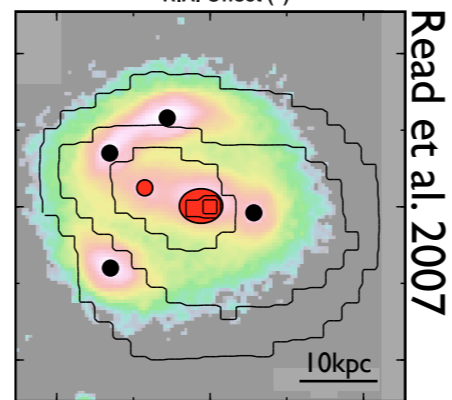
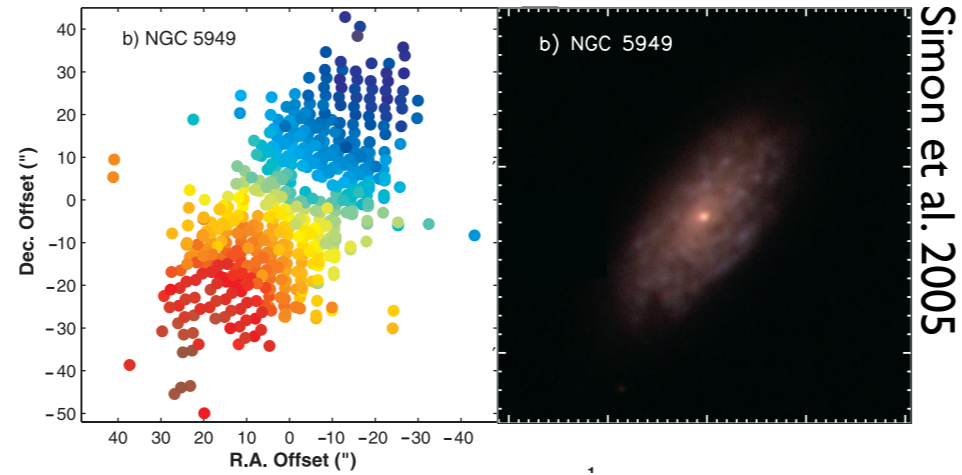
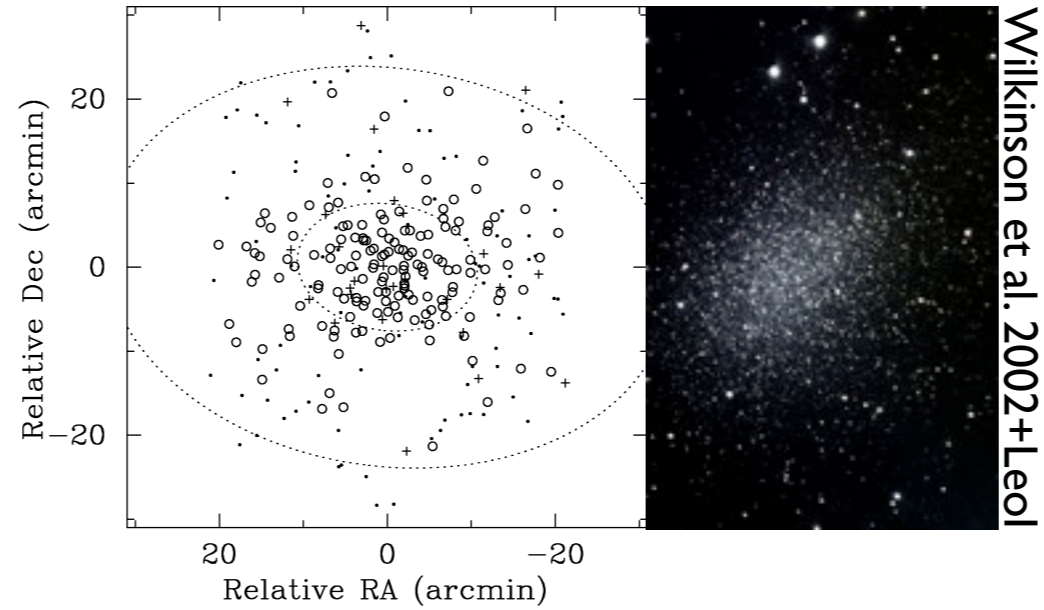
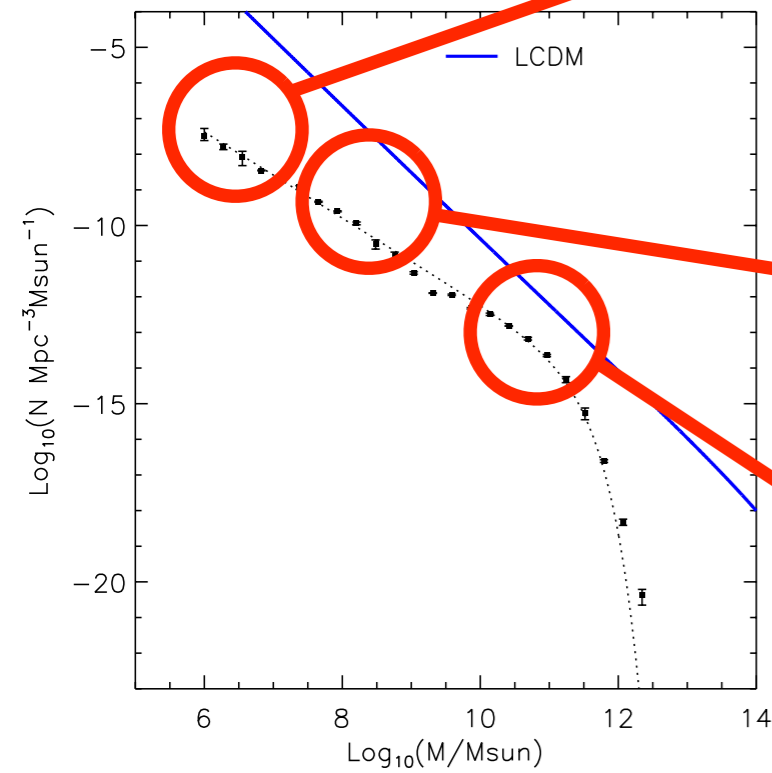


2. Observations | Measuring the halo density profile



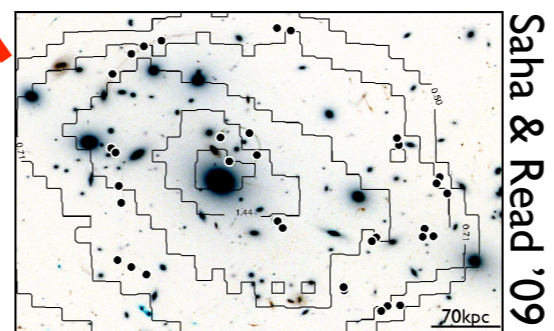
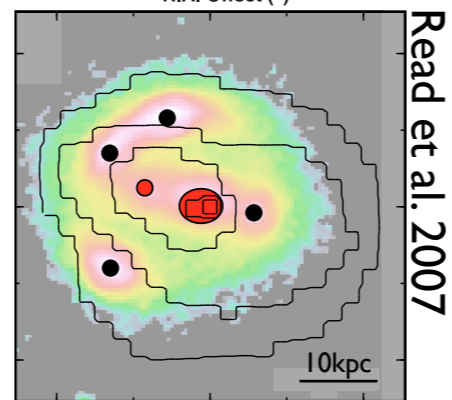
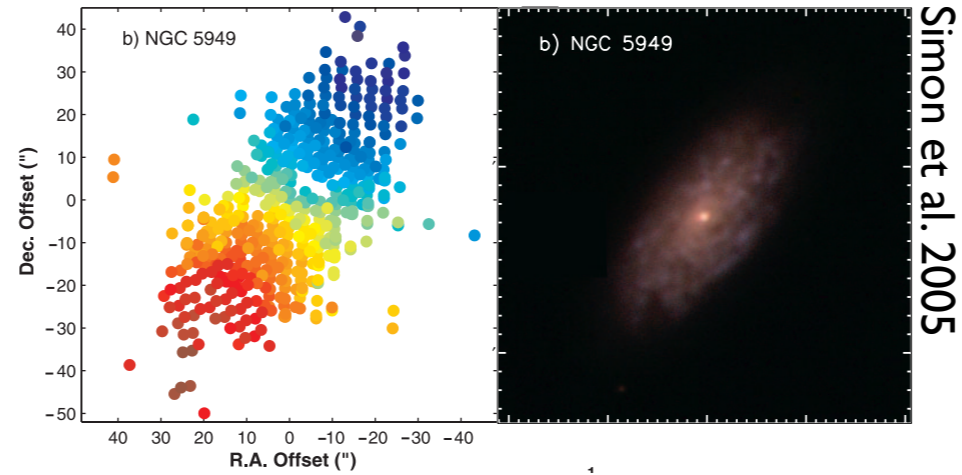
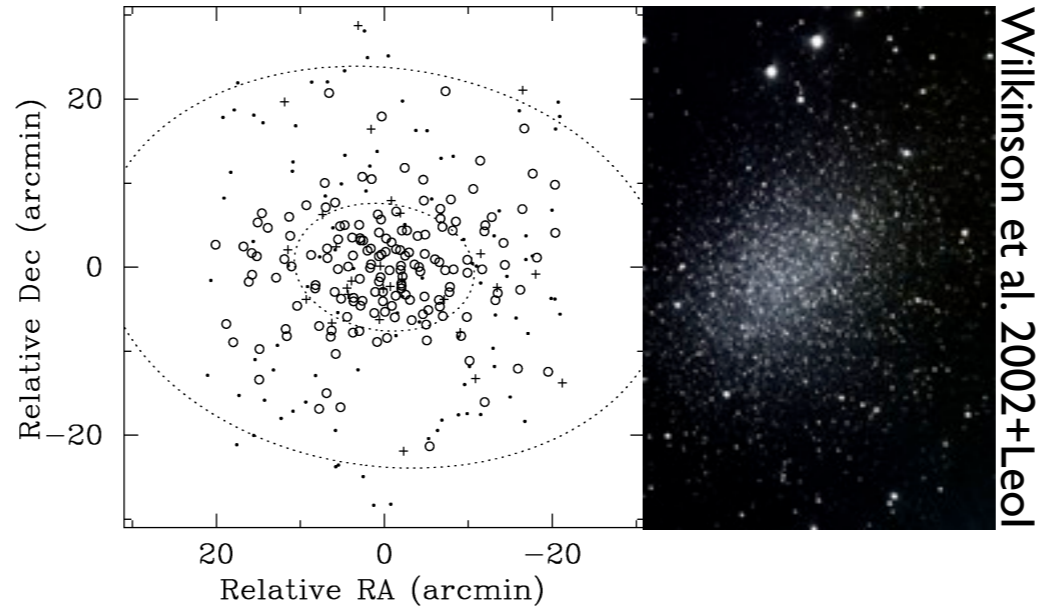
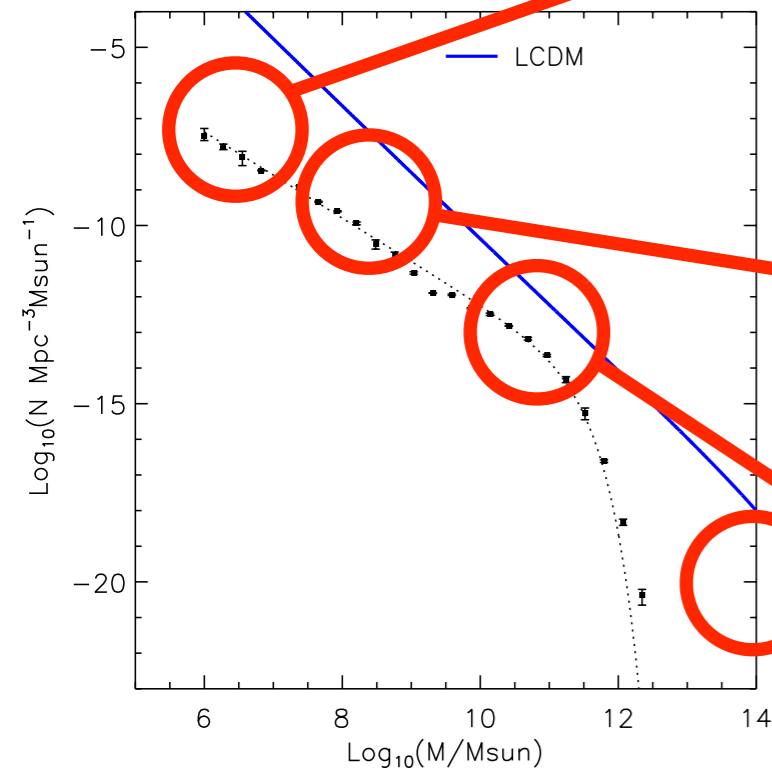
Dynamics

2. Observations | Measuring the halo density profile



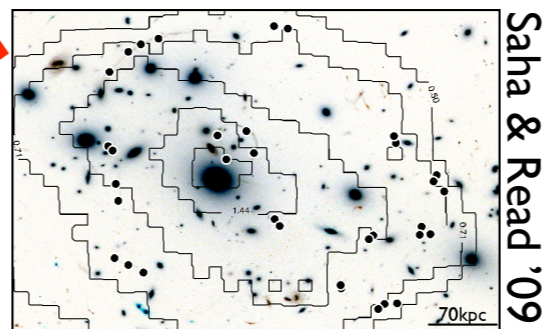
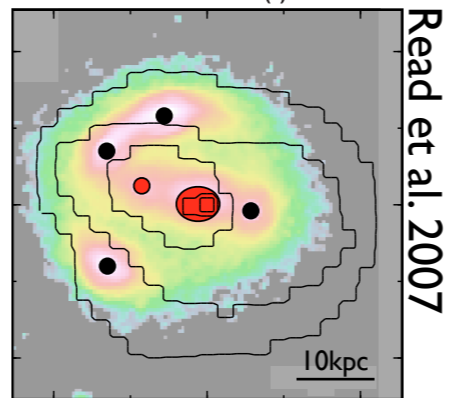
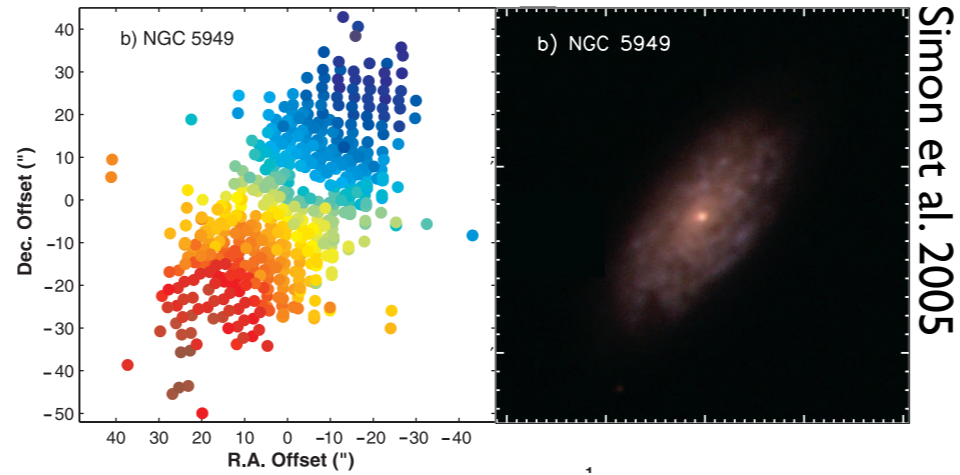
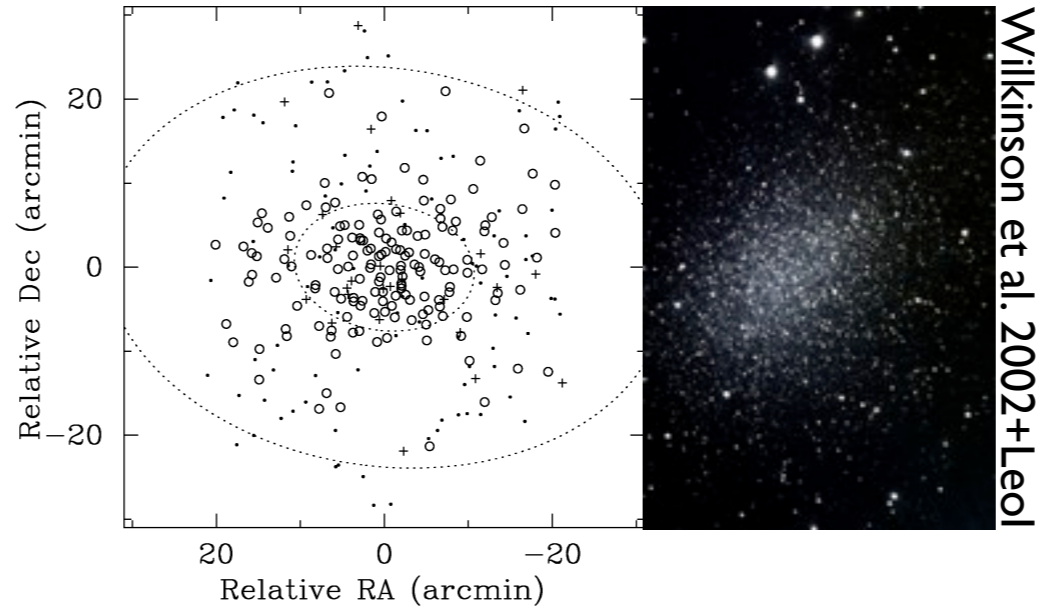
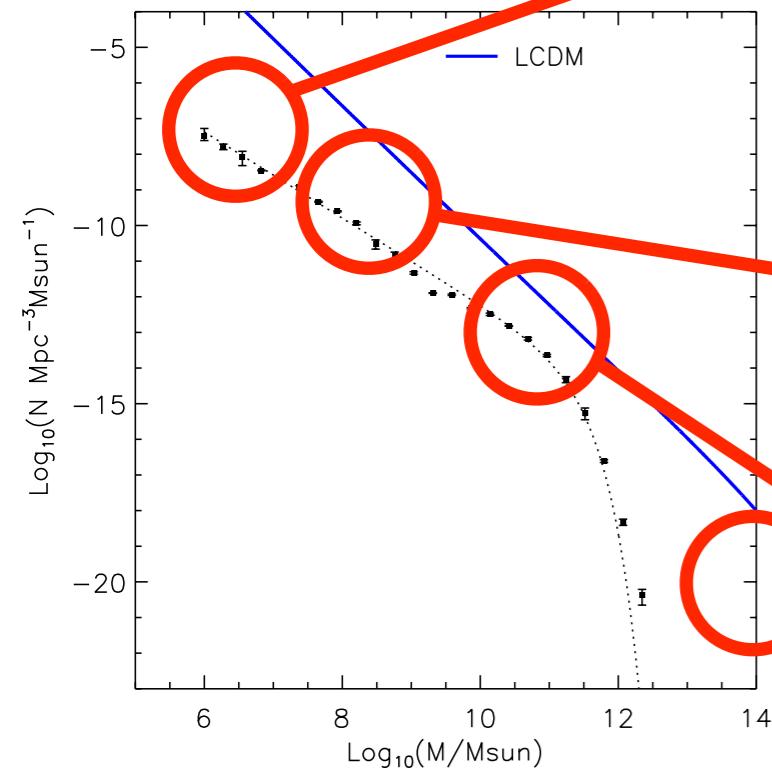
Dynamics

2. Observations | Measuring the halo density profile



Dynamics

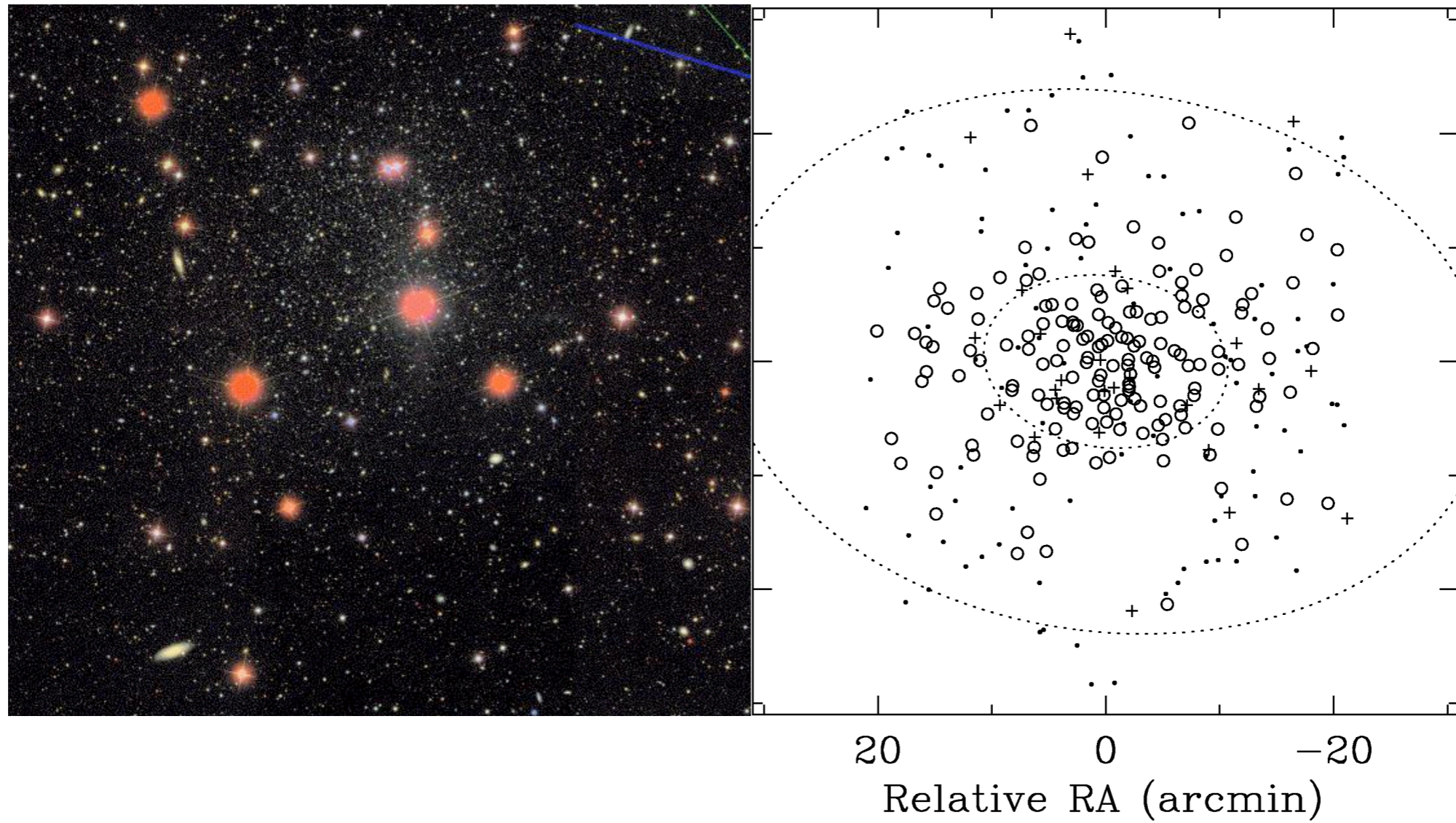
2. Observations | Measuring the halo density profile



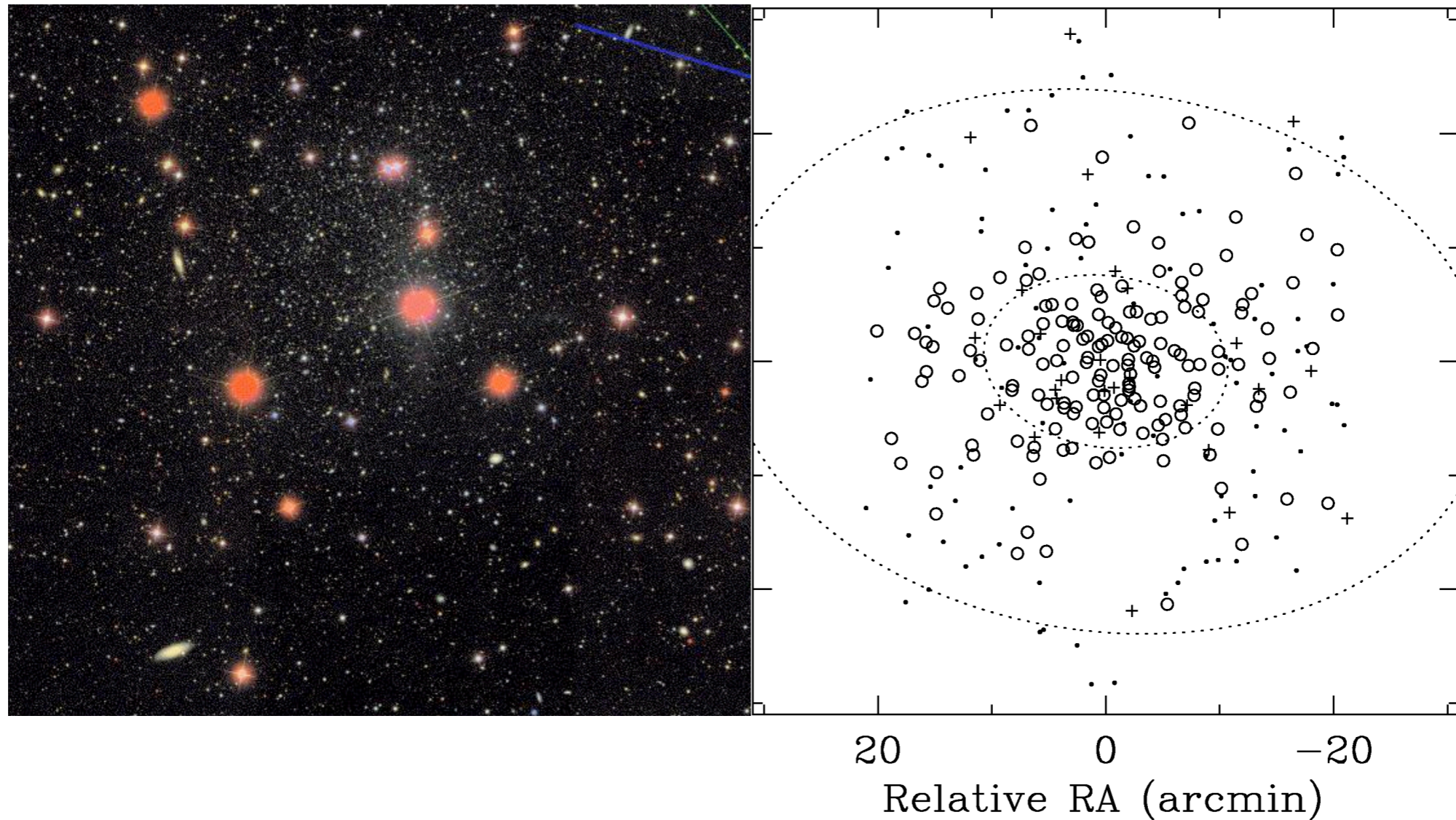
Dynamics

Lensing

2. Observations | The halo density profile: dwarfs

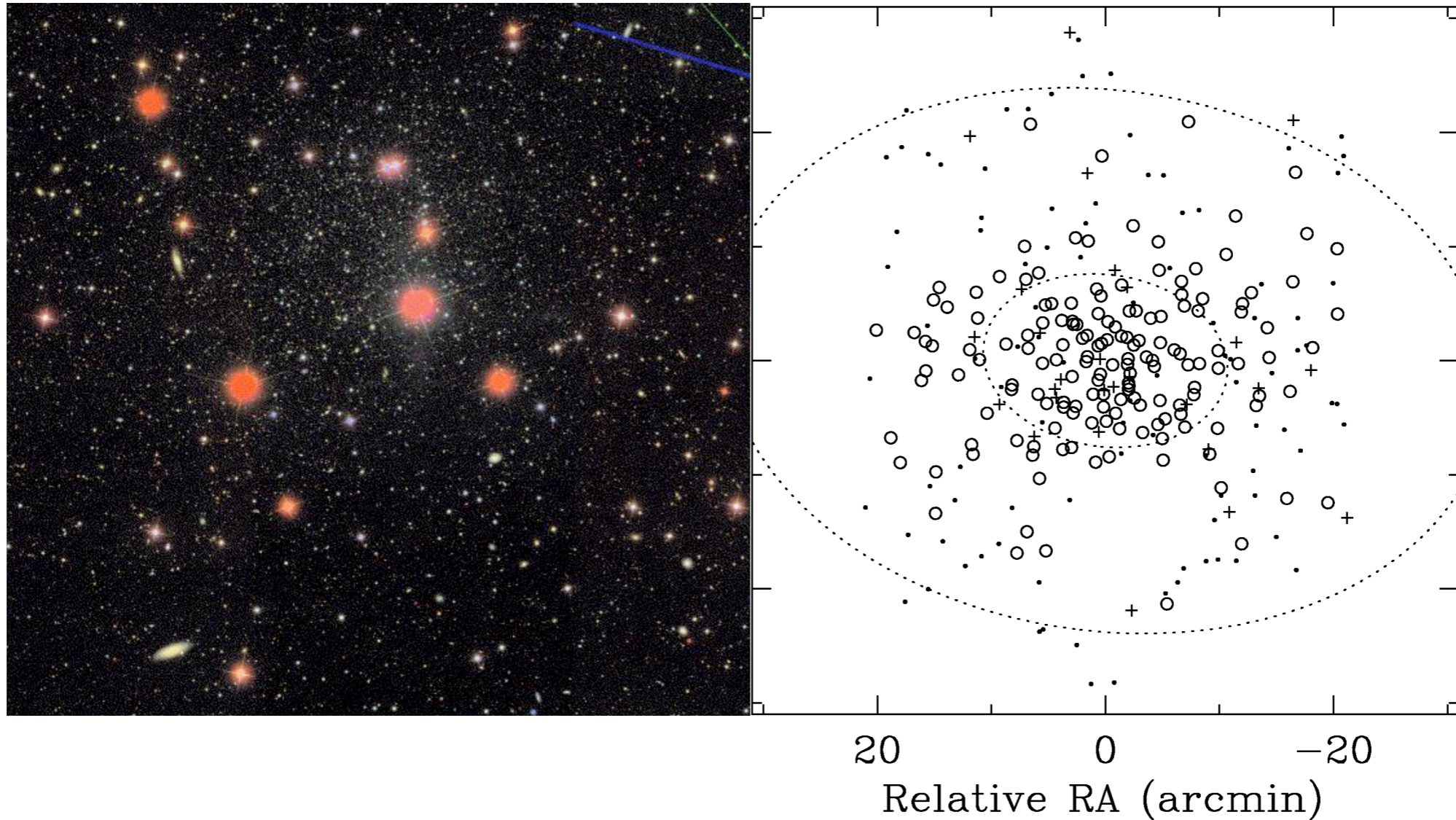


2. Observations | The halo density profile: dwarfs



$$\frac{df}{dt} = 0 = \frac{\partial f}{\partial t} + \mathbf{v} \cdot \frac{\partial f}{\partial \mathbf{r}} - \nabla \Phi \cdot \frac{\partial f}{\partial \mathbf{v}}$$

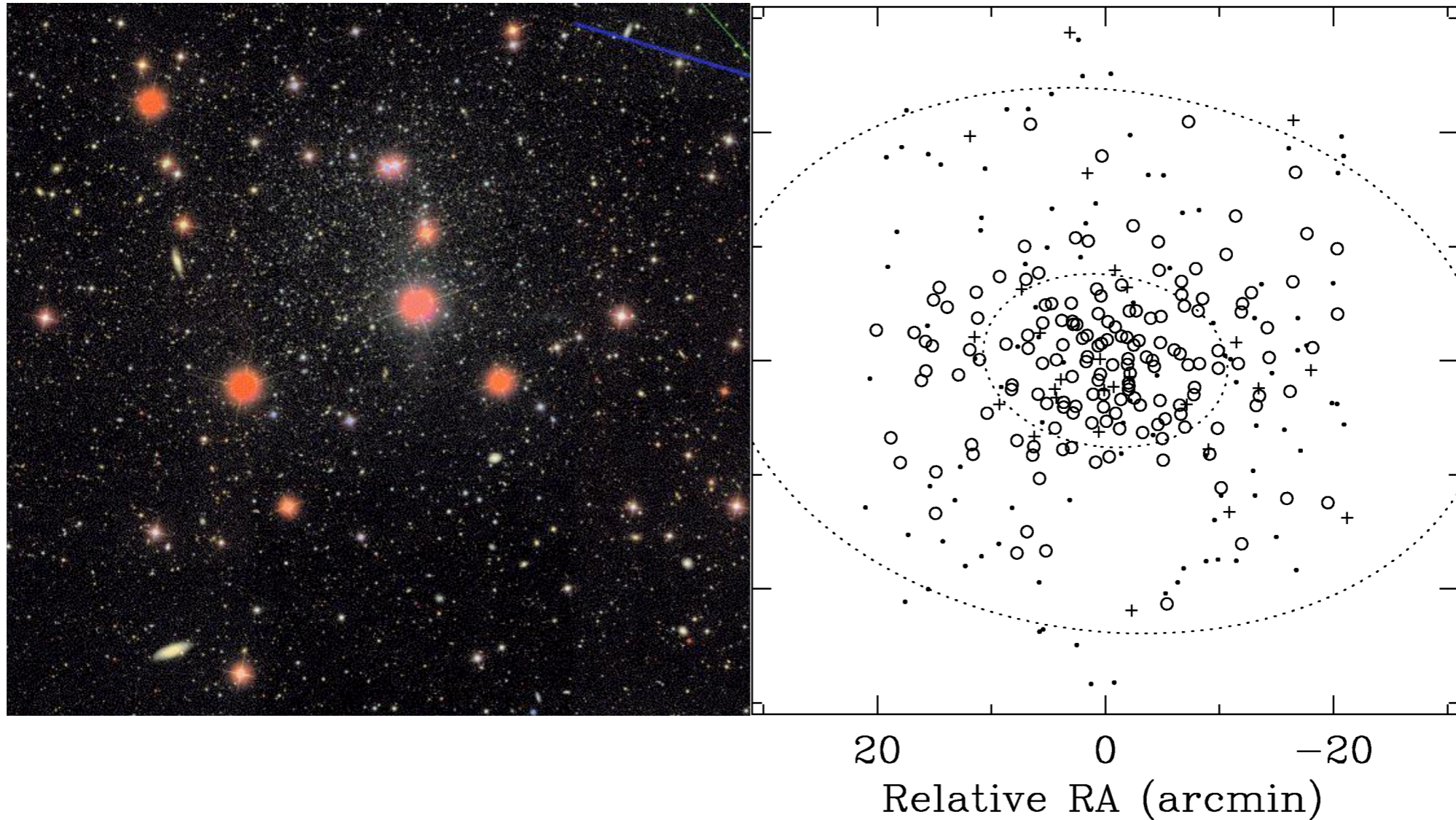
2. Observations | The halo density profile: dwarfs



$$\frac{df}{dt} = 0 = \cancel{\frac{\partial f}{\partial t}} + \mathbf{v} \cdot \frac{\partial f}{\partial \mathbf{r}} - \nabla \Phi \cdot \frac{\partial f}{\partial \mathbf{v}}$$

Steady state

2. Observations | The halo density profile: dwarfs



$$\frac{df}{dt} = 0 = \cancel{\frac{\partial f}{\partial t}} + \mathbf{v} \cdot \frac{\partial f}{\partial \mathbf{r}} - \nabla \Phi \cdot \frac{\partial f}{\partial \mathbf{v}}$$

Steady state

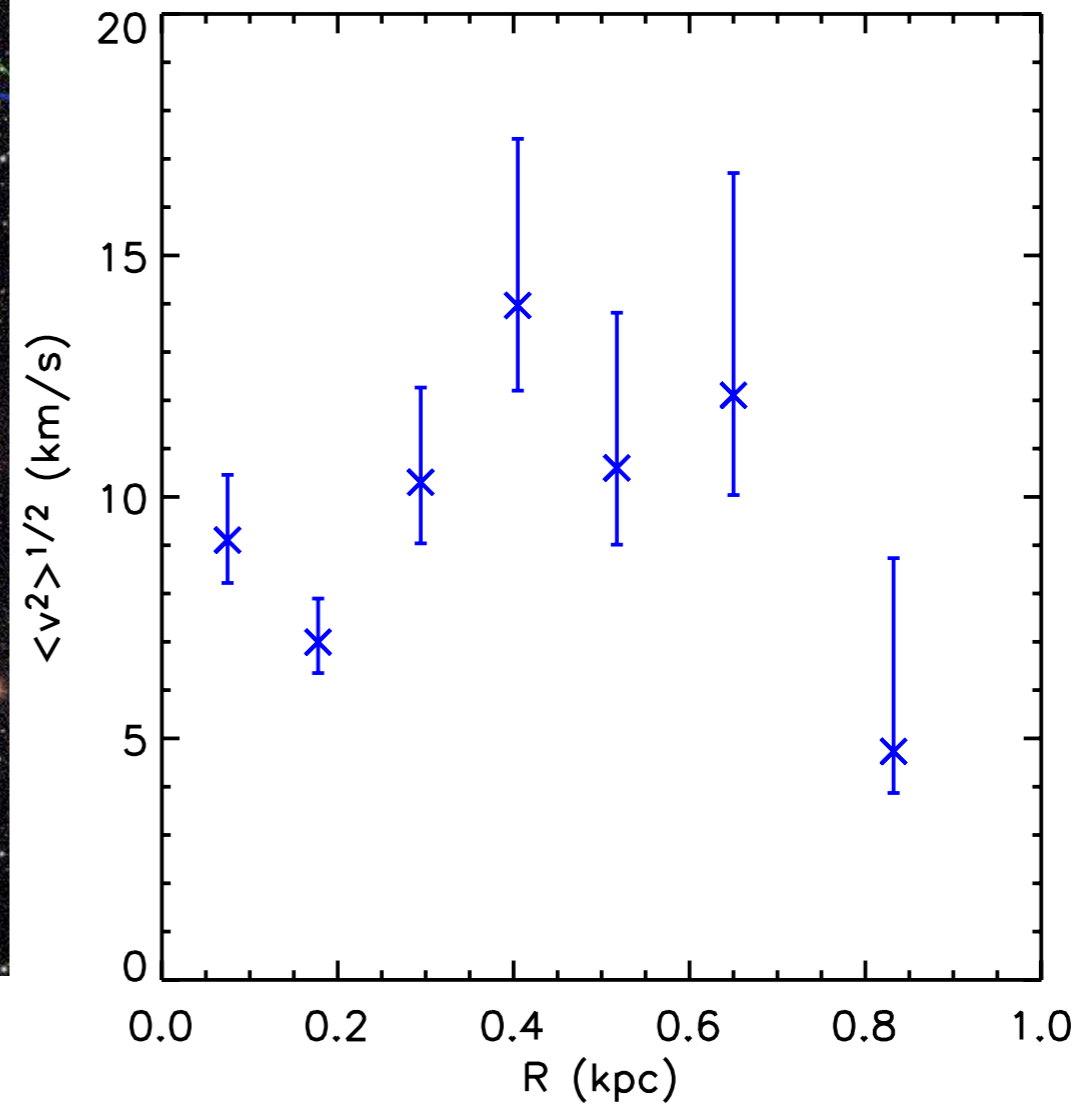
But! hard to measure $f(\mathbf{r}, \mathbf{v})$

2. Observations | The halo density profile: dwarfs

- Integrate out velocity \Rightarrow Jeans equations
- Assume spherical symmetry
- Bin the data ...

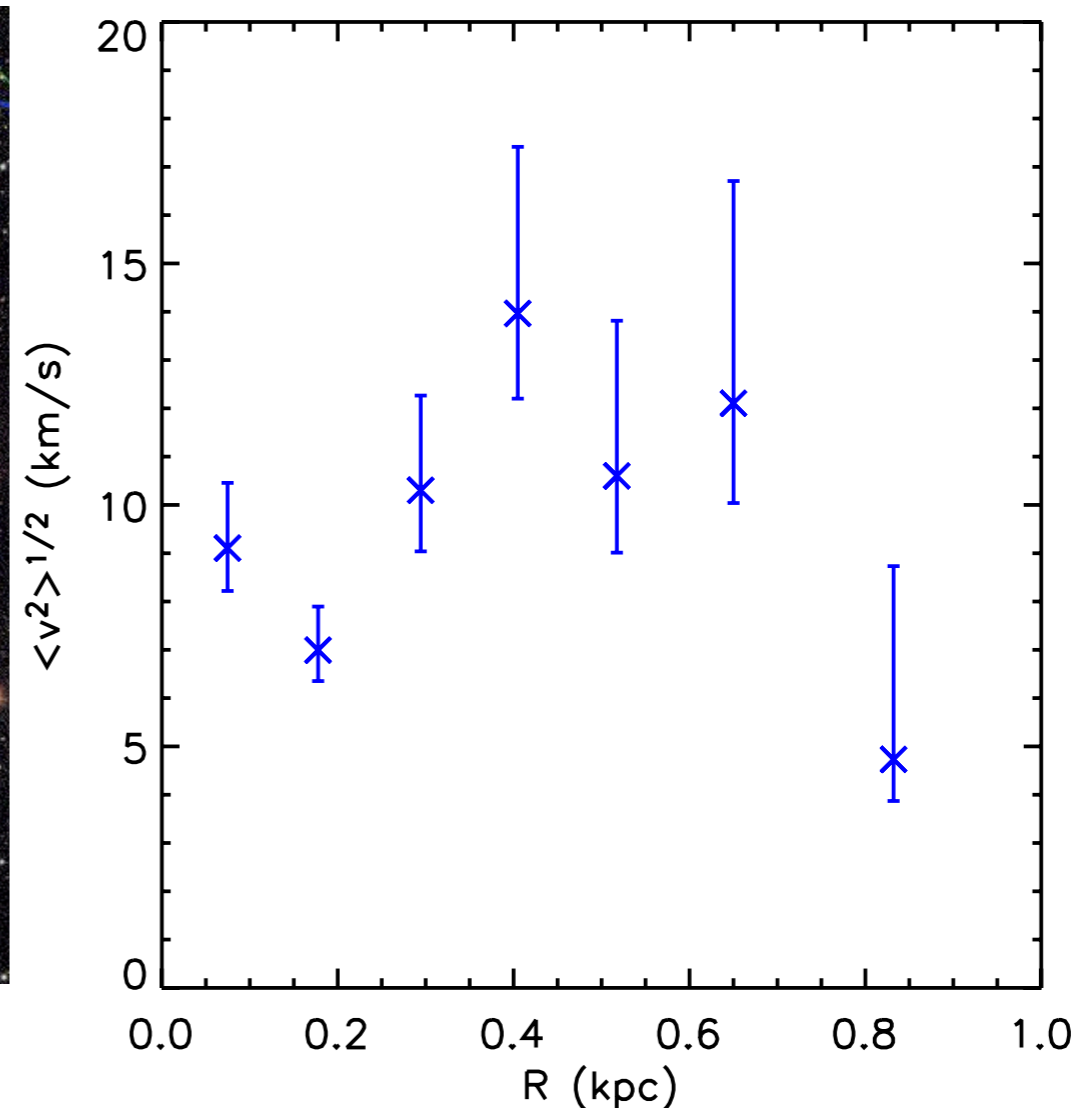
$$f(\mathbf{r}, \mathbf{v})$$

2. Observations | The halo density profile: dwarfs



See also: Evans, An & Walker 2009; Wilkinson et al. 2004; $f(r)$ is integrating factor that depends only on $\beta(r)$

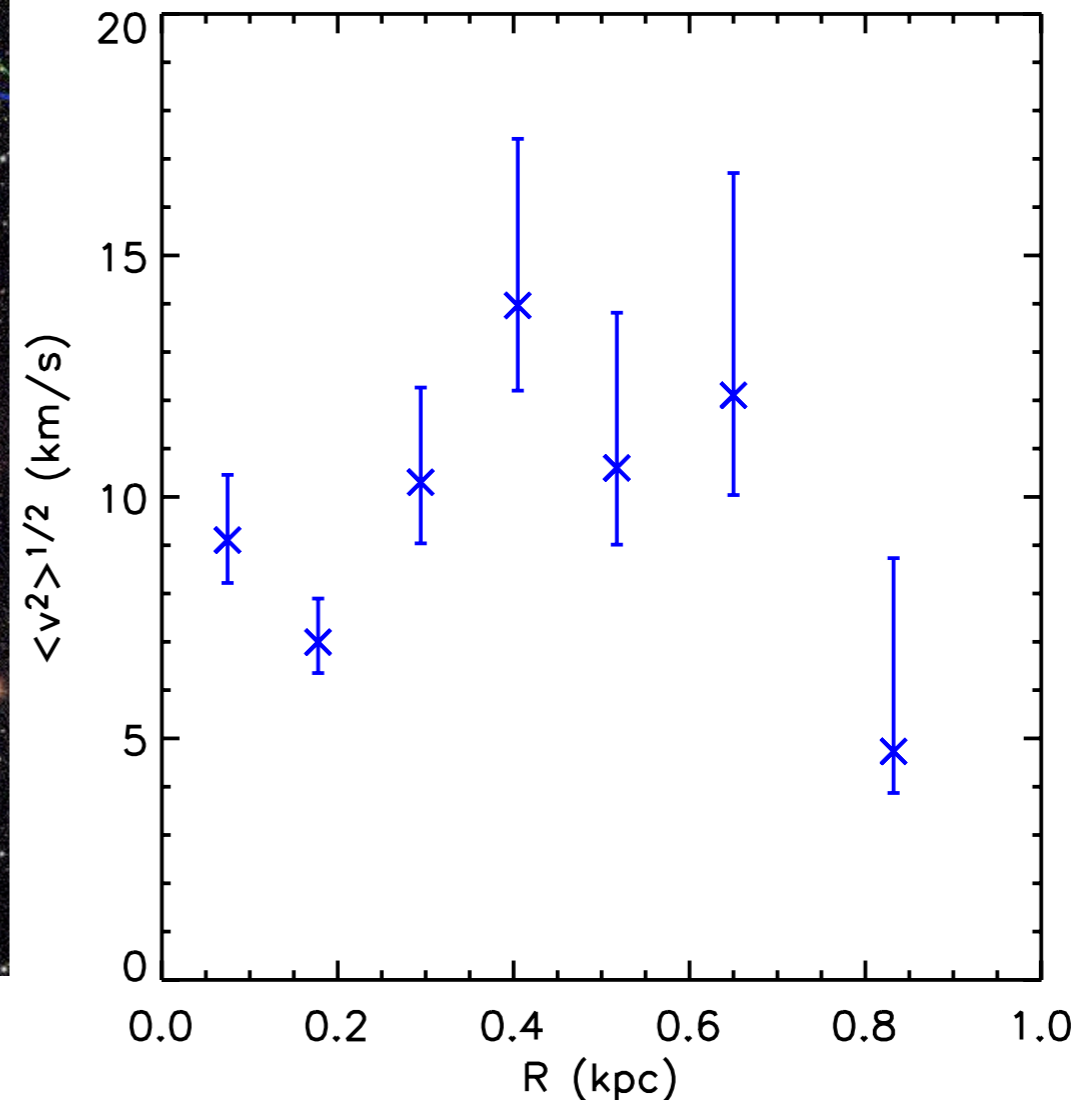
2. Observations | The halo density profile: dwarfs



$$\sigma_P^2(R) = \frac{2}{I(R)} \int_R^\infty dr \, \nu(r) f(r) \frac{GM(r)}{r} \\ \times \int_R^r dw \, \frac{w}{f(w) \sqrt{w^2 - R^2}} \left[1 - \beta(w) \frac{R^2}{w^2} \right]$$

See also: Evans, An & Walker 2009; Wilkinson et al. 2004; $f(r)$ is integrating factor that depends only on $\beta(r)$

2. Observations | The halo density profile: dwarfs

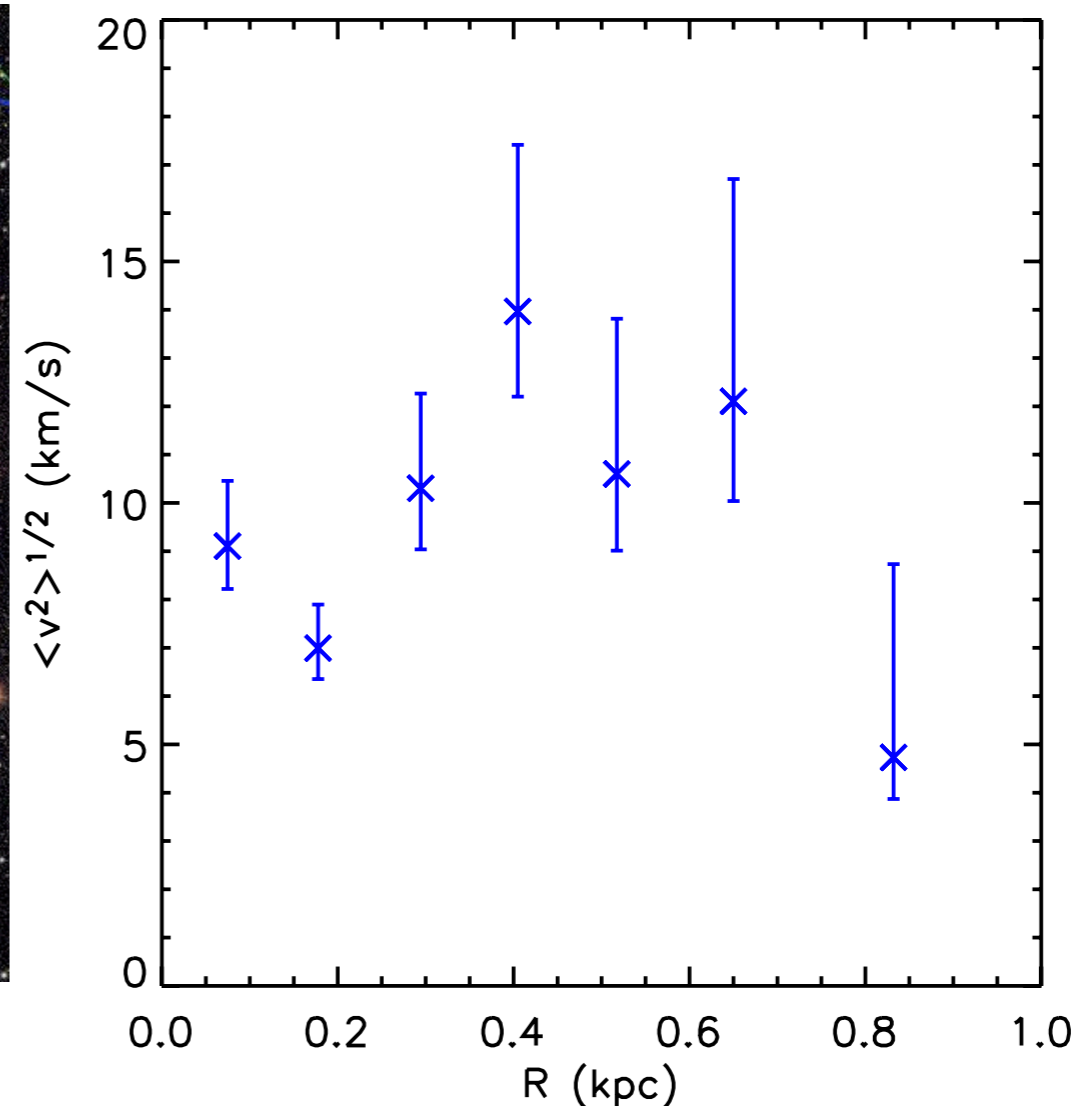


$$\sigma_P^2(R) = \frac{2}{I(R)} \int_R^\infty dr \, \nu(r) f(r) \frac{GM(r)}{r} \quad \text{Light distribution}$$

$$\times \int_R^r dw \frac{w}{f(w) \sqrt{w^2 - R^2}} \left[1 - \beta(w) \frac{R^2}{w^2} \right]$$

See also: Evans, An & Walker 2009; Wilkinson et al. 2004; $f(r)$ is integrating factor that depends only on $\beta(r)$

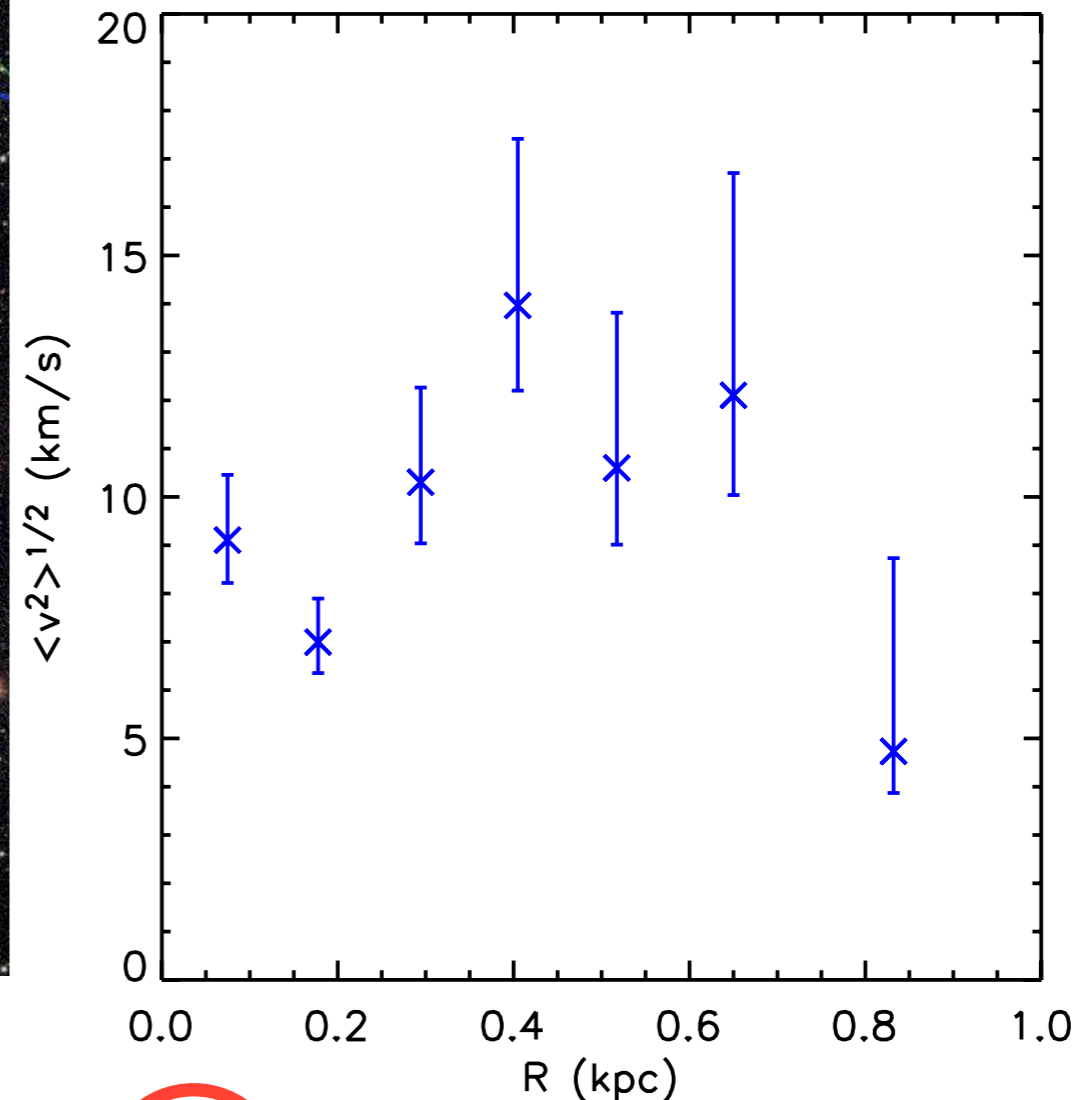
2. Observations | The halo density profile: dwarfs



$$\sigma_P^2(R) = \frac{2}{I(R)} \int_R^\infty dr \, \nu(r) f(r) \frac{GM(r)}{r} \\ \times \int_R^r dw \, \frac{w}{f(w) \sqrt{w^2 - R^2}} \left[1 - \beta(w) \frac{R^2}{w^2} \right]$$

See also: Evans, An & Walker 2009; Wilkinson et al. 2004; $f(r)$ is integrating factor that depends only on $\beta(r)$

2. Observations | The halo density profile: dwarfs

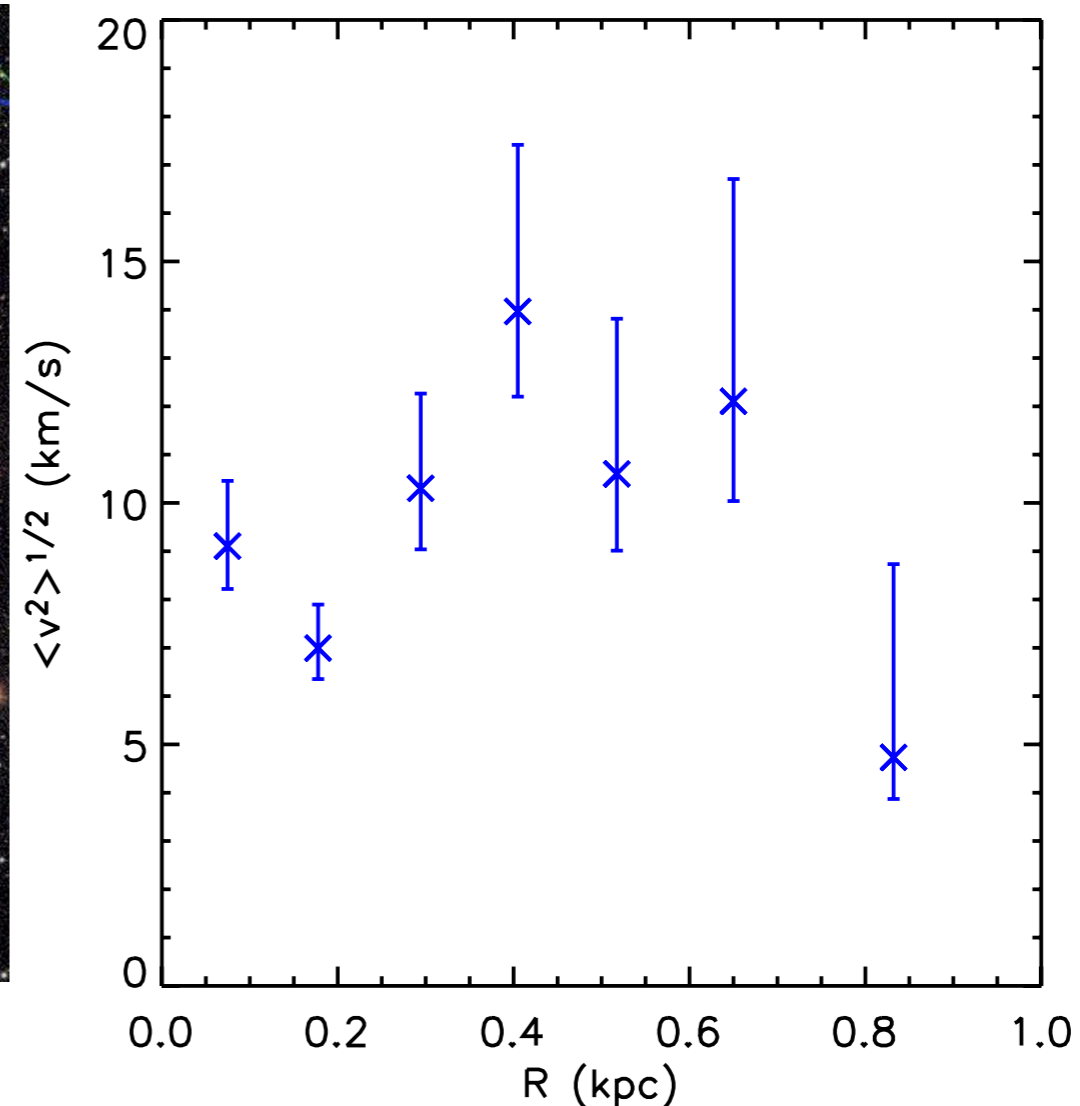


$$\sigma_P^2(R) = \frac{2}{I(R)} \int_R^\infty dr \, \nu(r) f(r) \frac{GM(r)}{r} \times \int_R^r dw \, \frac{w}{f(w) \sqrt{w^2 - R^2}} \left[1 - \beta(w) \frac{R^2}{w^2} \right]$$

Mass distribution

See also: Evans, An & Walker 2009; Wilkinson et al. 2004; $f(r)$ is integrating factor that depends only on $\beta(r)$

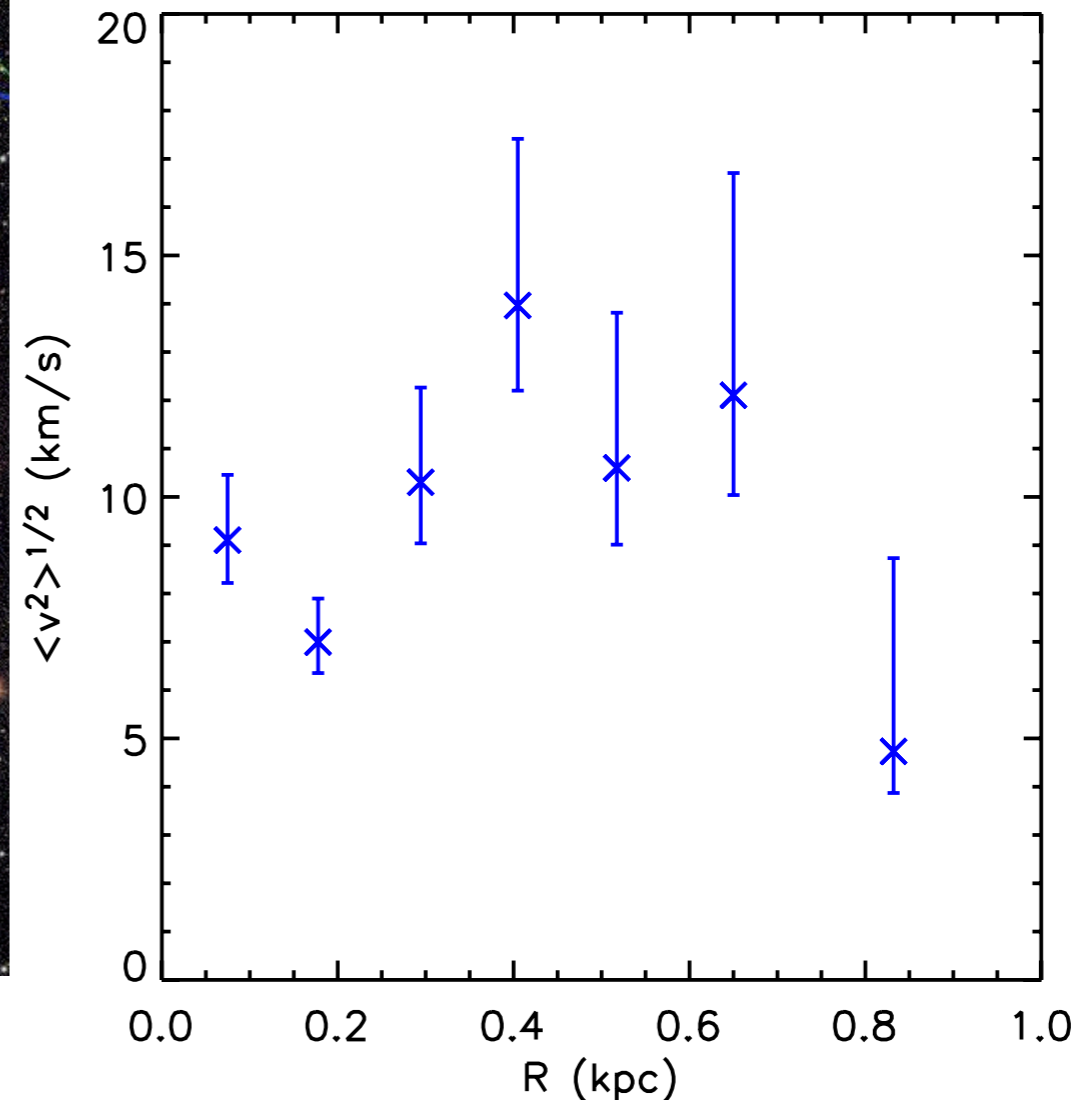
2. Observations | The halo density profile: dwarfs



$$\sigma_P^2(R) = \frac{2}{I(R)} \int_R^\infty dr \, \nu(r) f(r) \frac{GM(r)}{r} \\ \times \int_R^r dw \, \frac{w}{f(w) \sqrt{w^2 - R^2}} \left[1 - \beta(w) \frac{R^2}{w^2} \right]$$

See also: Evans, An & Walker 2009; Wilkinson et al. 2004; $f(r)$ is integrating factor that depends only on $\beta(r)$

2. Observations | The halo density profile: dwarfs



$$\sigma_P^2(R) = \frac{2}{I(R)} \int_R^\infty dr \, \nu(r) f(r) \frac{GM(r)}{r} \quad \text{Velocity anisotropy}$$

$$\times \int_R^r dw \, \frac{w}{f(w) \sqrt{w^2 - R^2}} \left[1 - \beta(w) \frac{R^2}{w^2} \right]$$

See also: Evans, An & Walker 2009; Wilkinson et al. 2004; $f(r)$ is integrating factor that depends only on $\beta(r)$

2. Observations | The halo density profile: dwarfs

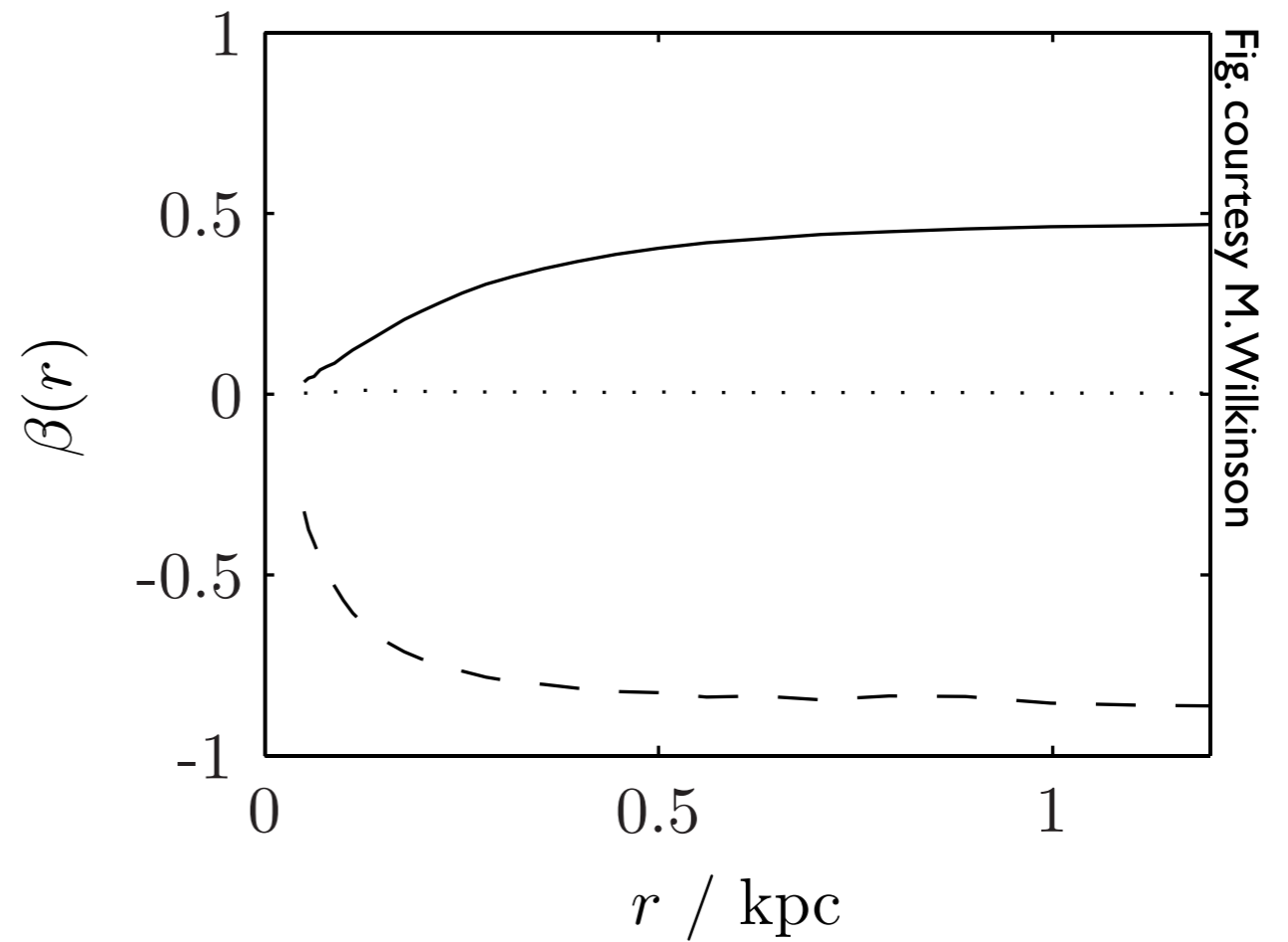
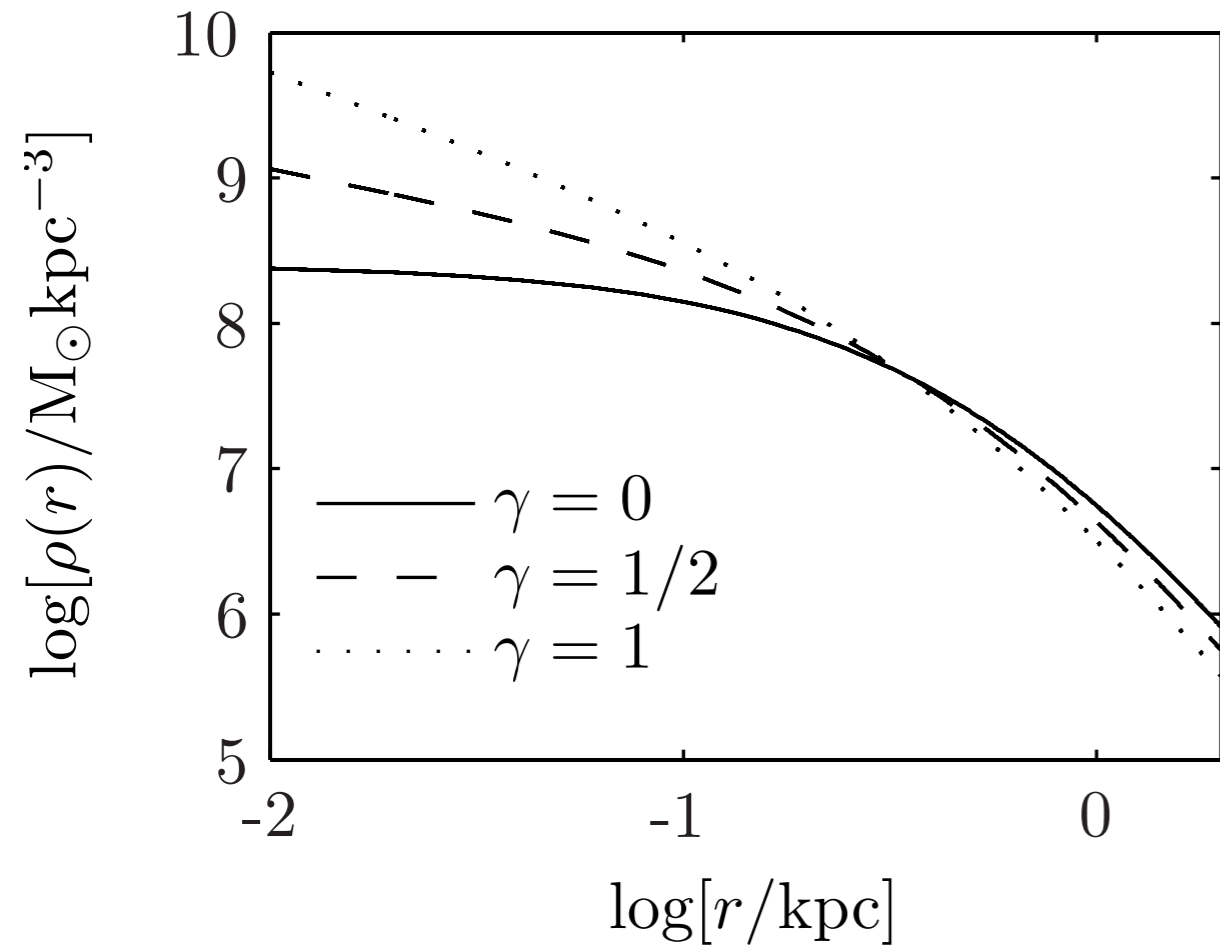


Fig. courtesy M. Wilkinson

2. Observations | The halo density profile: dwarfs

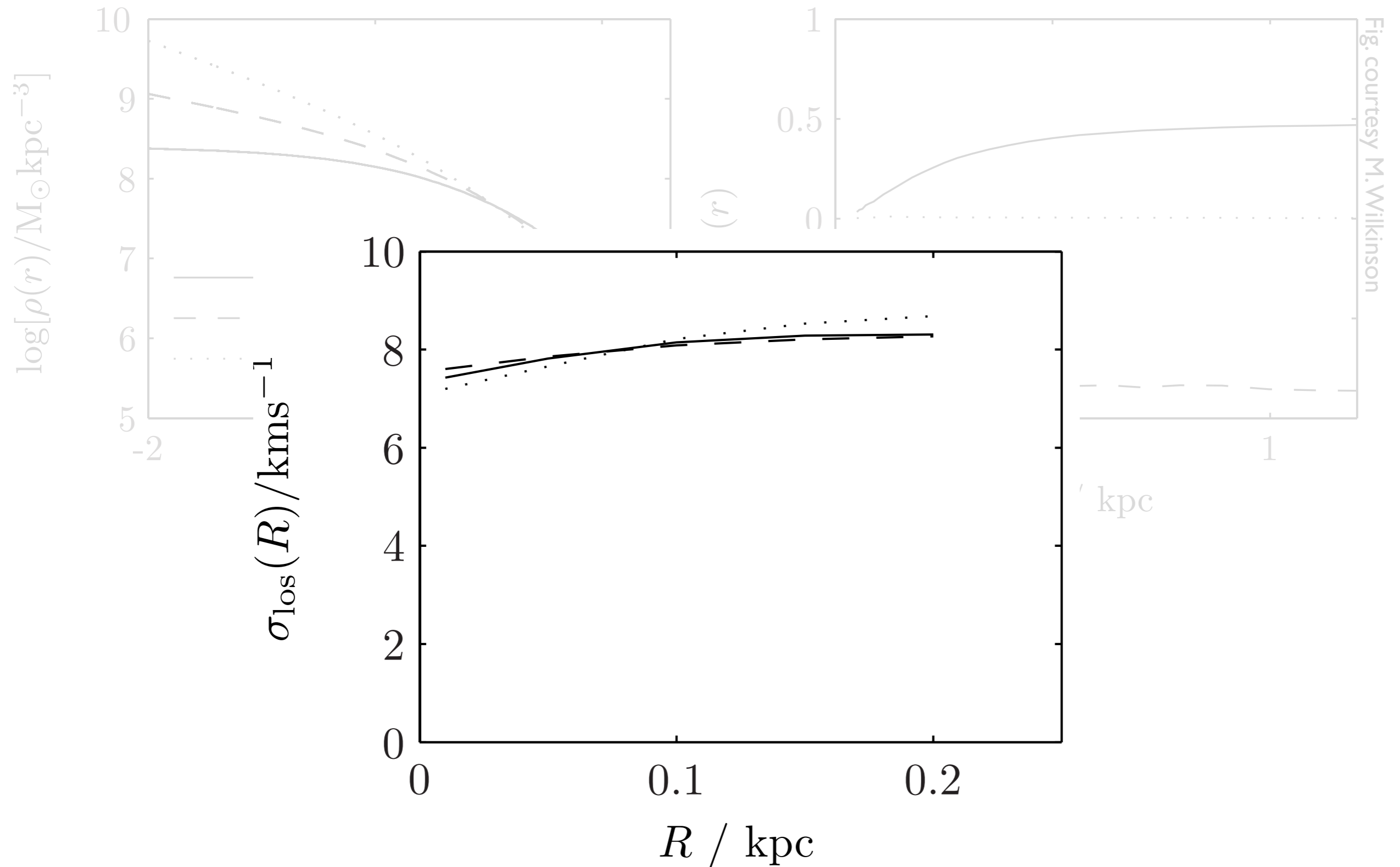
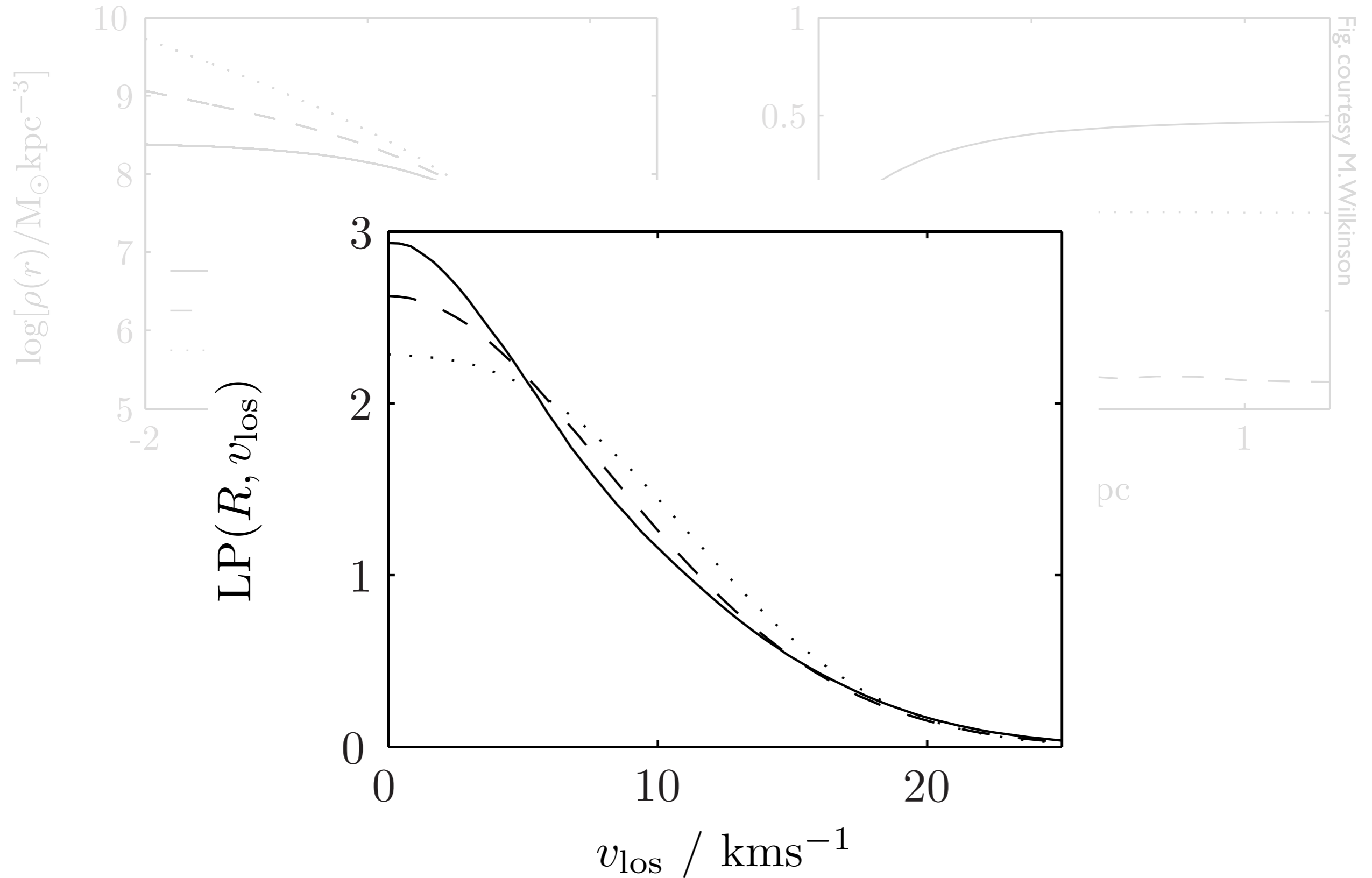
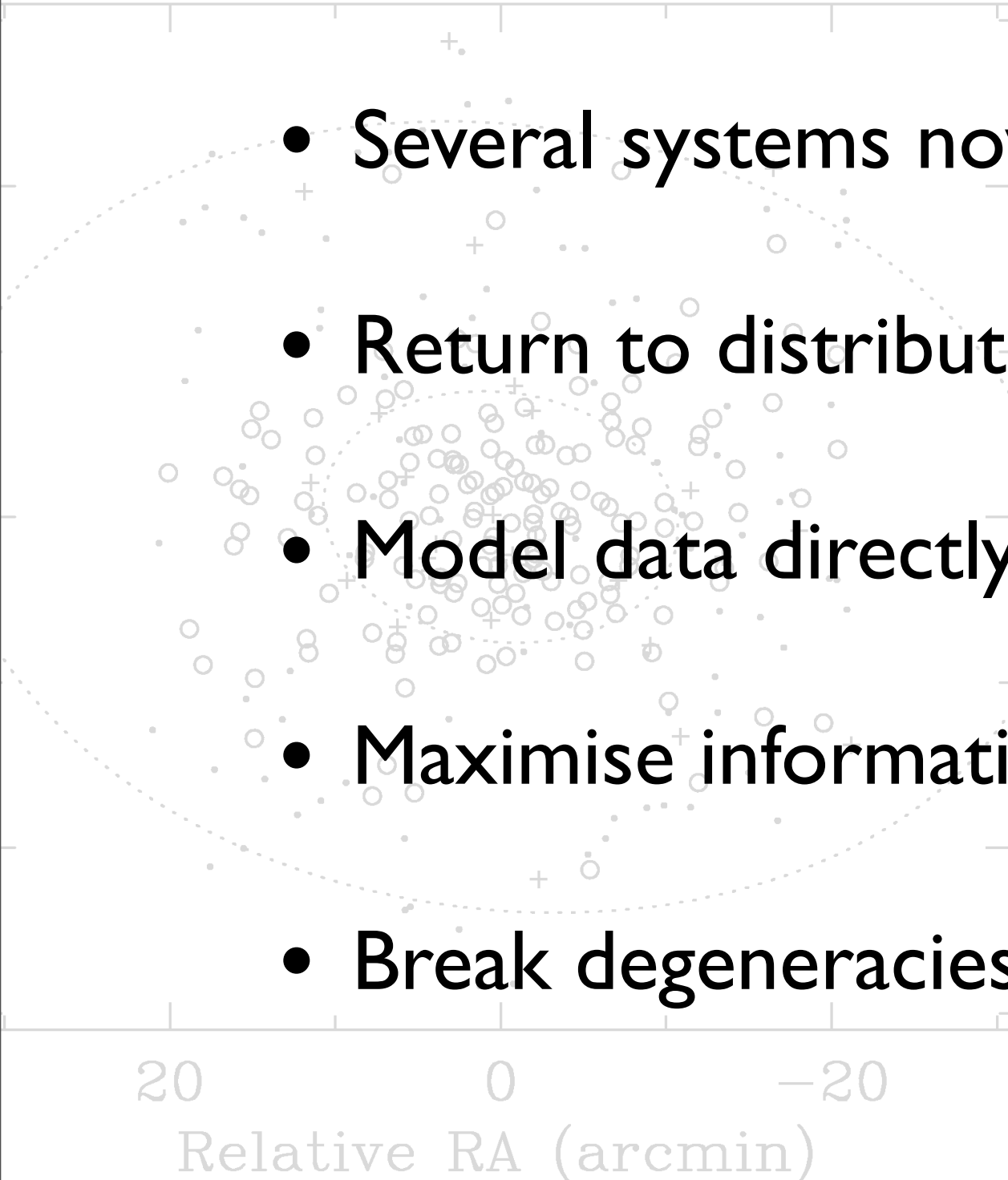


Fig. courtesy M. Wilkinson

2. Observations | The halo density profile: dwarfs

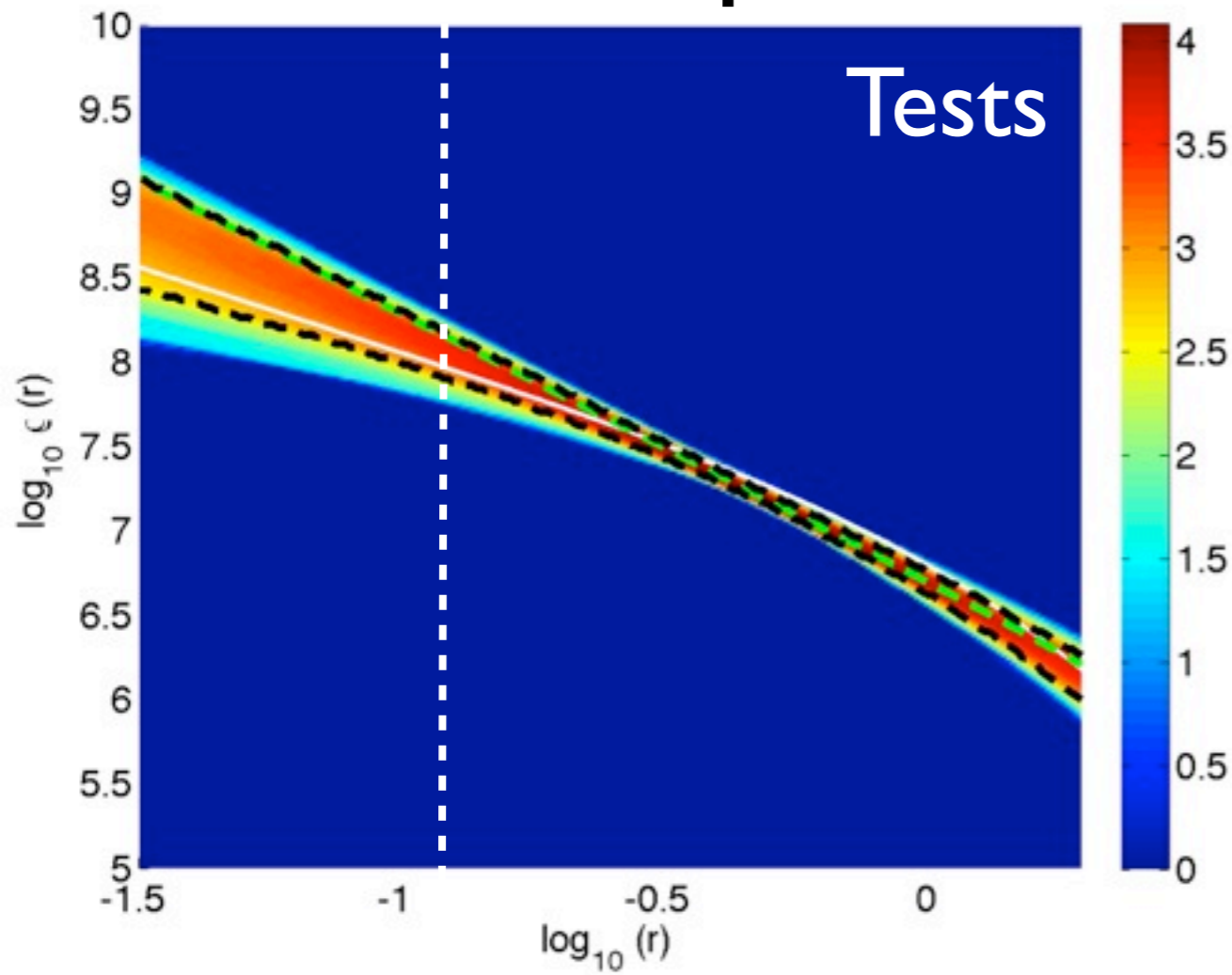


2. Observations | The halo density profile: dwarfs

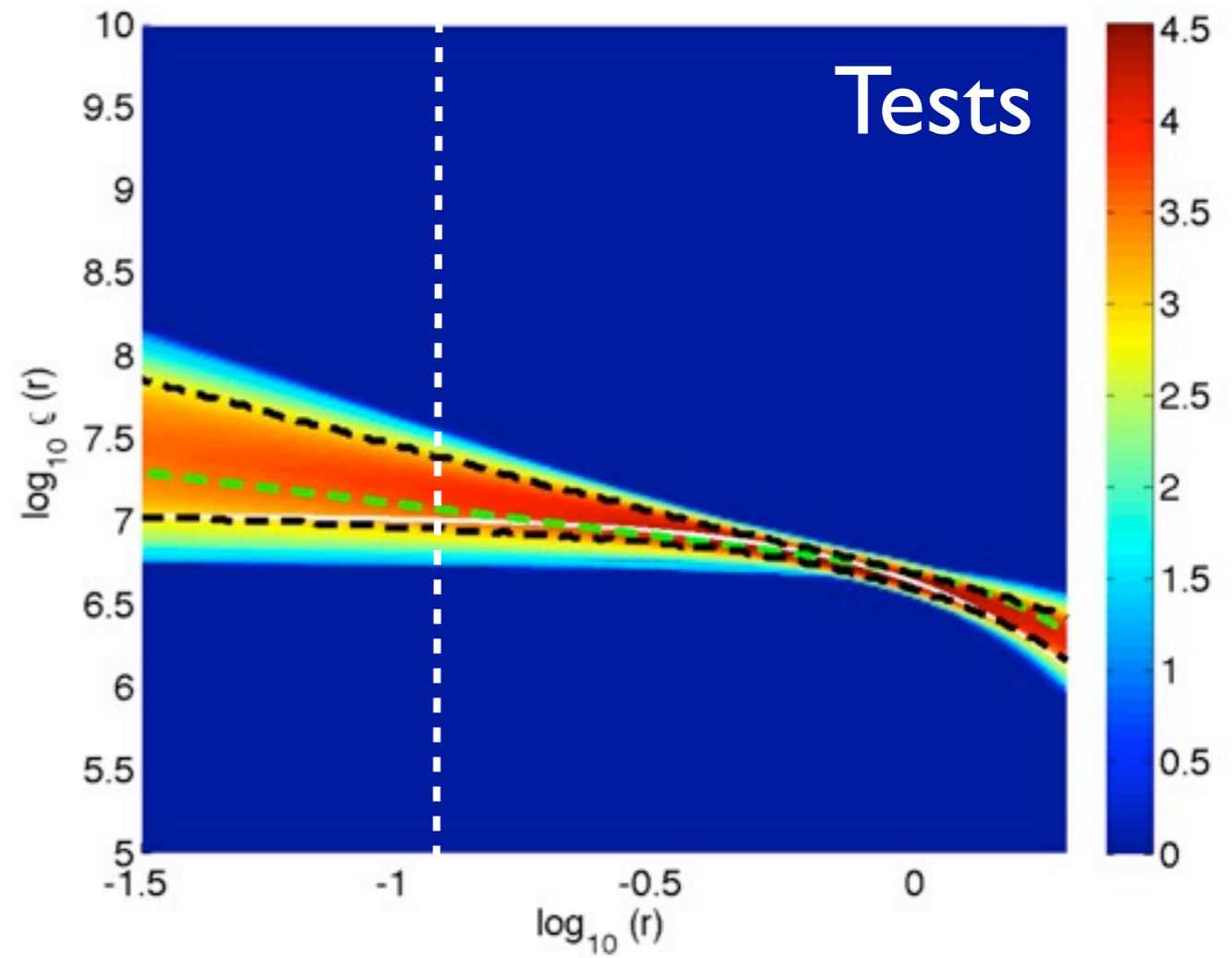
- 
- Several systems now with 1000s of velocities
 - Return to distribution function modelling
 - Model data directly (no binning)
 - Maximise information in the data
 - Break degeneracies!

2. Observations | The halo density profile: dwarfs

Cusp



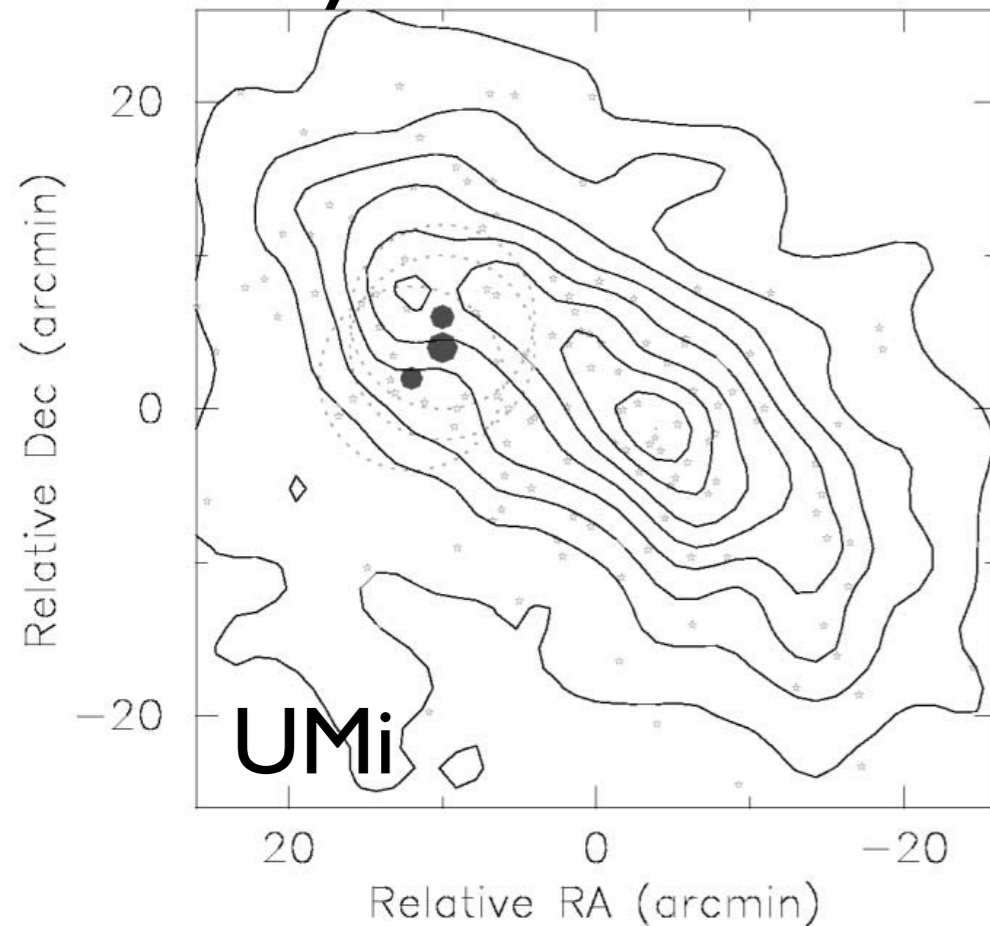
Core



2. Observations | The halo density profile: dwarfs

Hints of **dark matter cores** ...

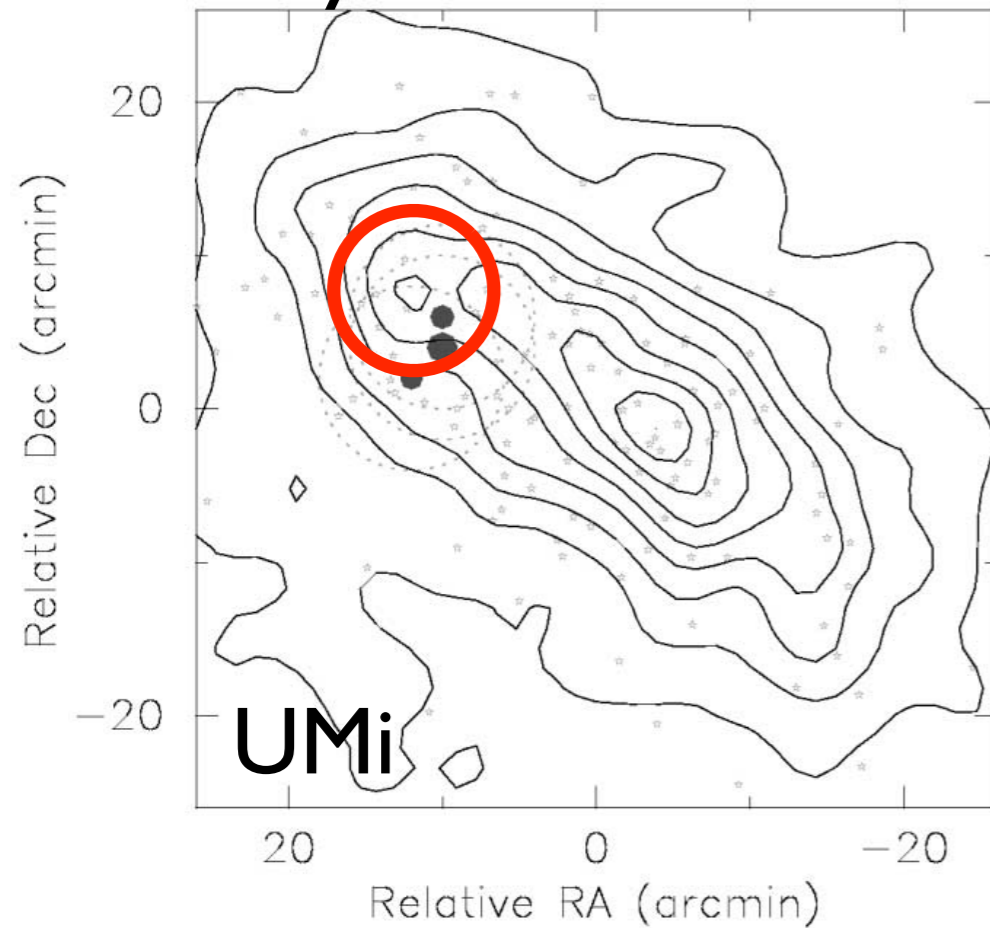
Kleyna et al. 2003



2. Observations | The halo density profile: dwarfs

Hints of **dark matter cores** ...

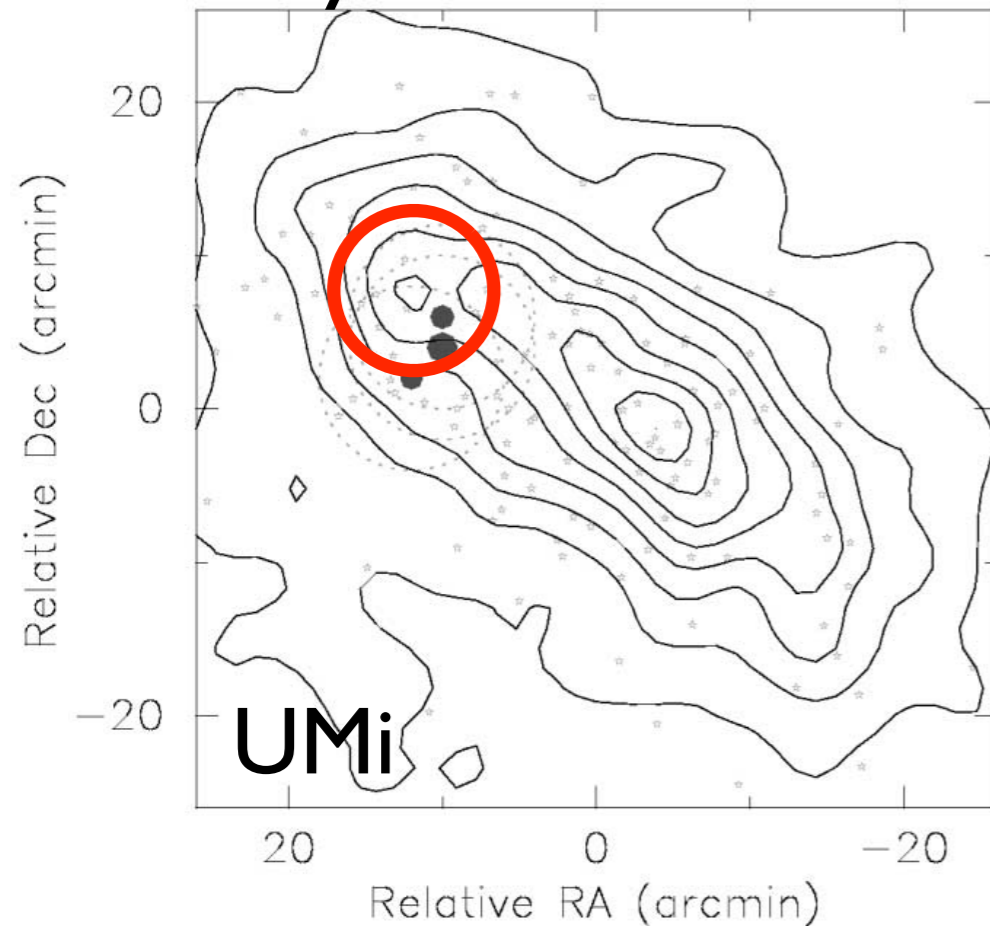
Kleyna et al. 2003



2. Observations | The halo density profile: dwarfs

Hints of **dark matter cores** ...

Kley et al. 2003

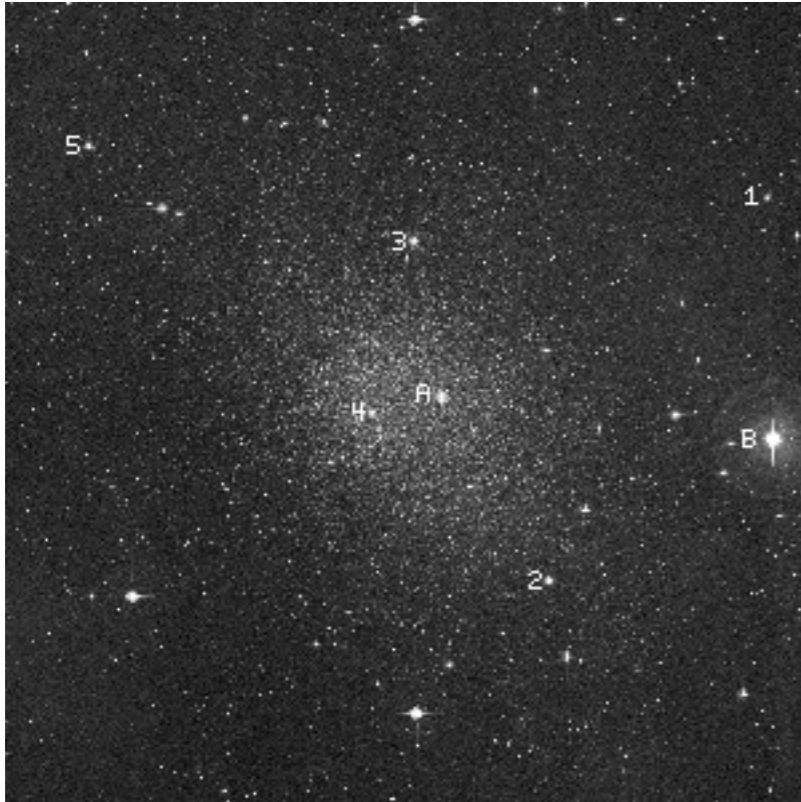


$$\Omega^2 = \frac{GM(r)}{r^3}$$

2. Observations | The halo density profile: dwarfs

Hints of **dark matter cores** ...

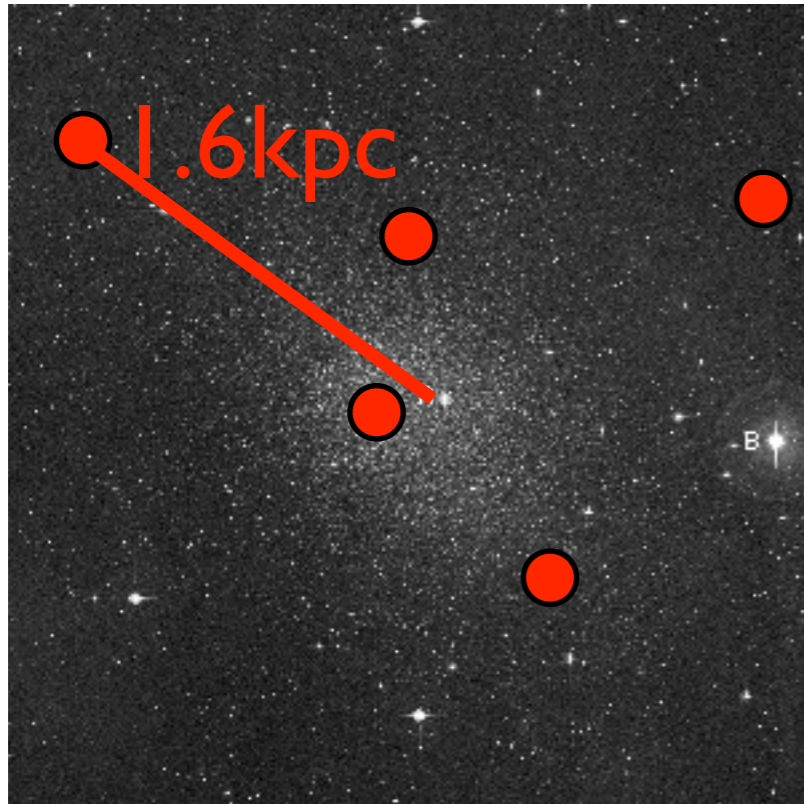
Goerdt et al. 2006



2. Observations | The halo density profile: dwarfs

Hints of **dark matter cores** ...

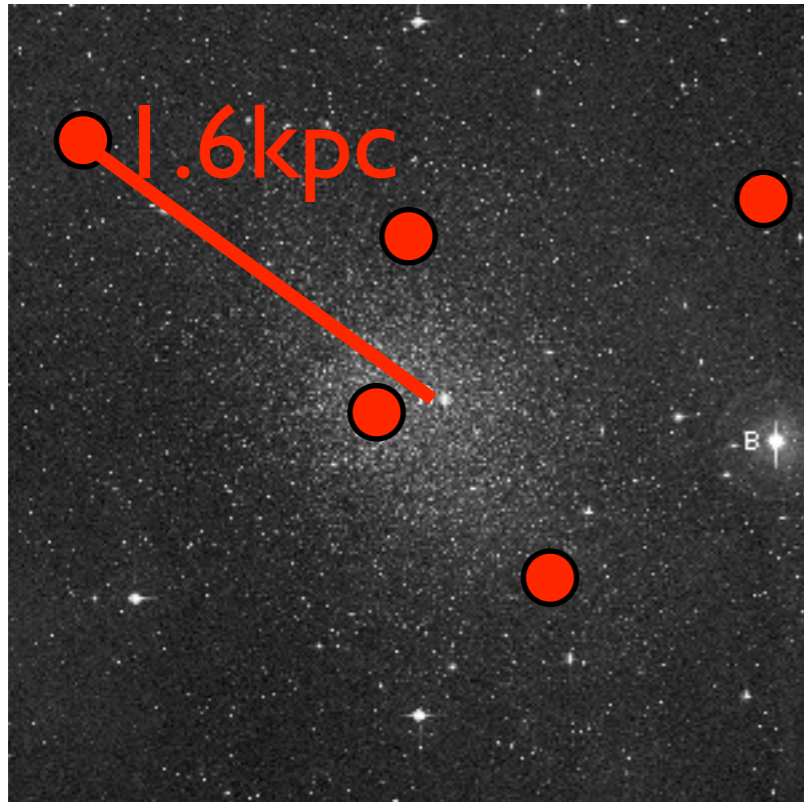
Goerdt et al. 2006



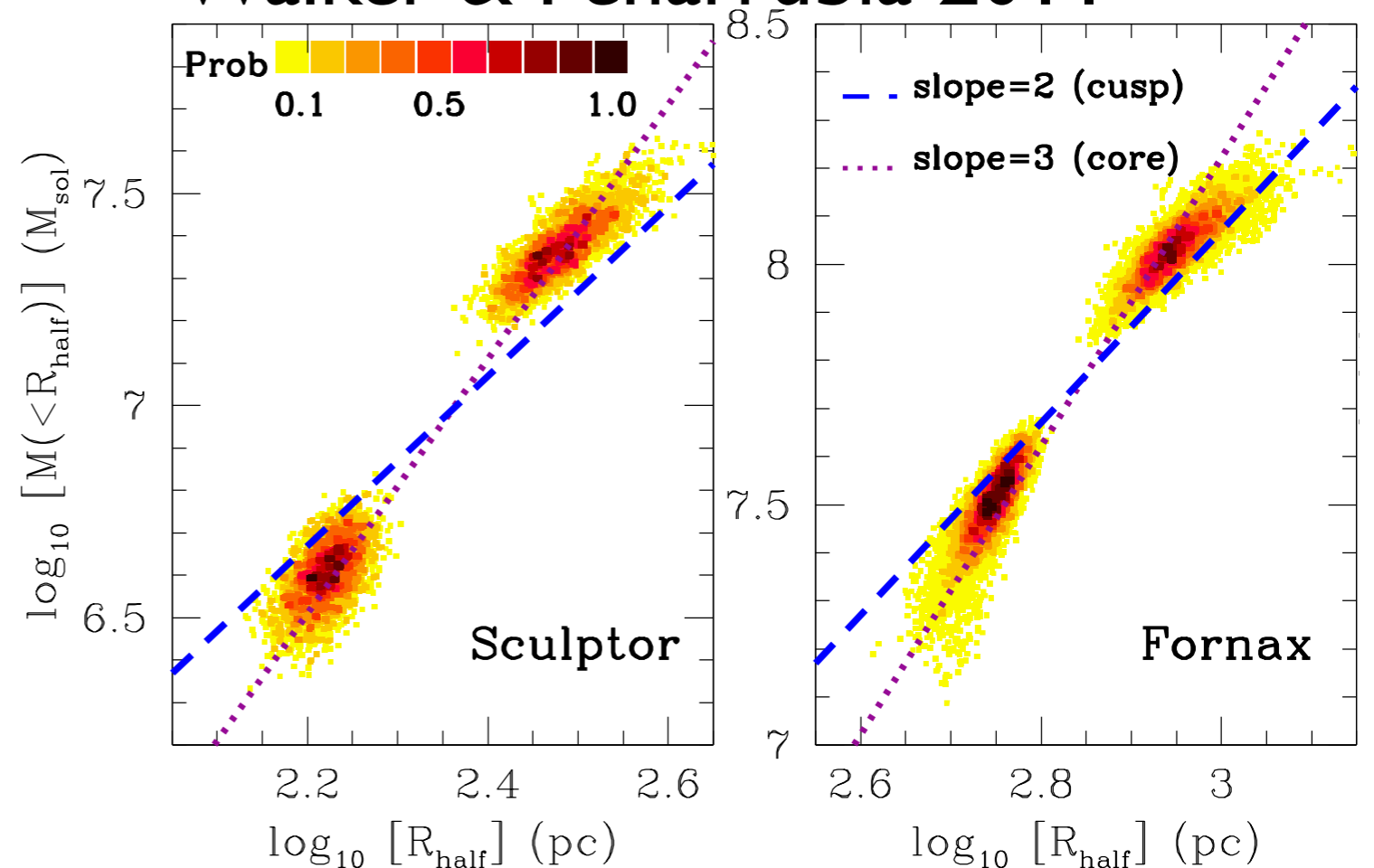
2. Observations | The halo density profile: dwarfs

Hints of **dark matter cores** ...

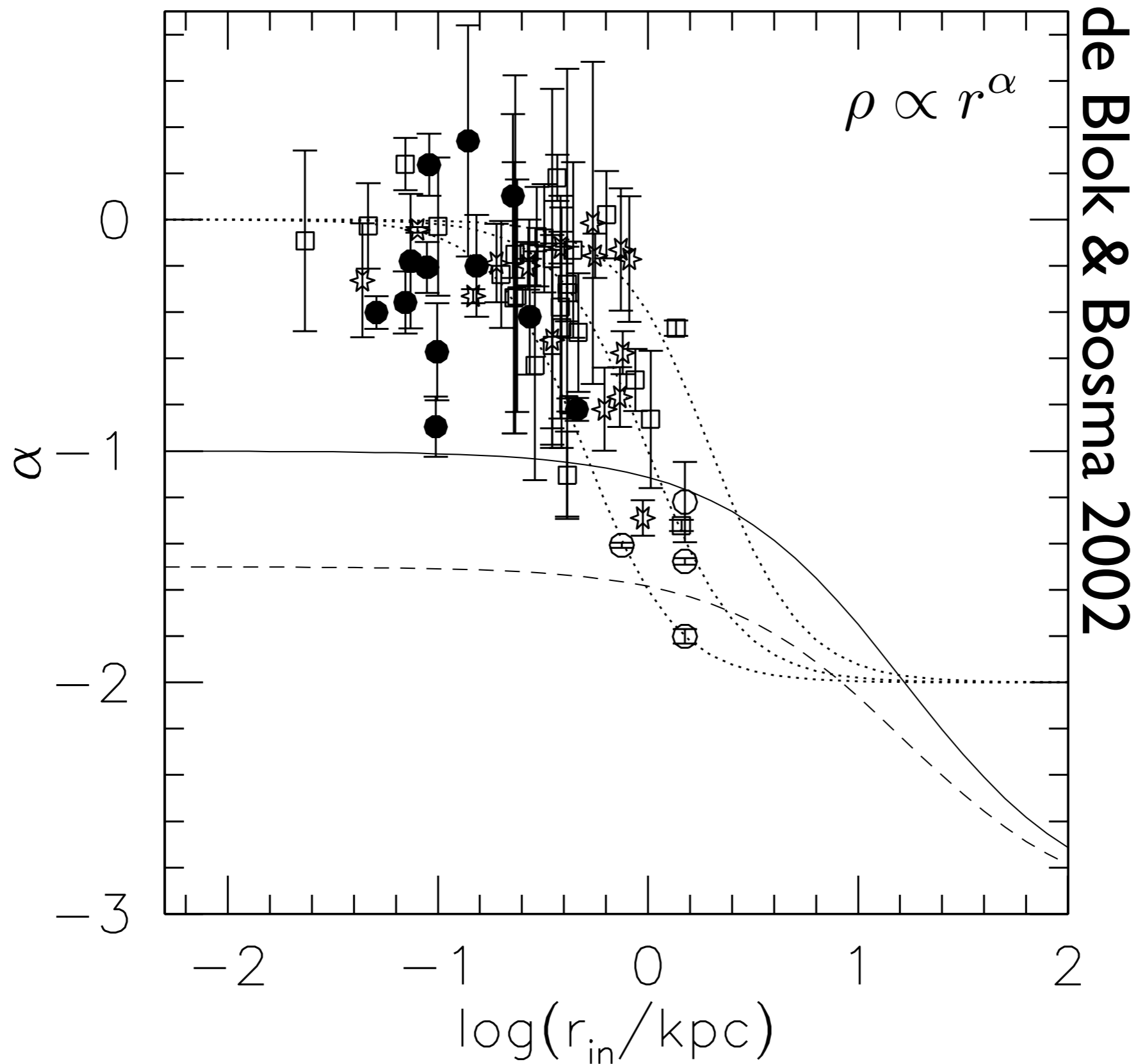
Goerdt et al. 2006



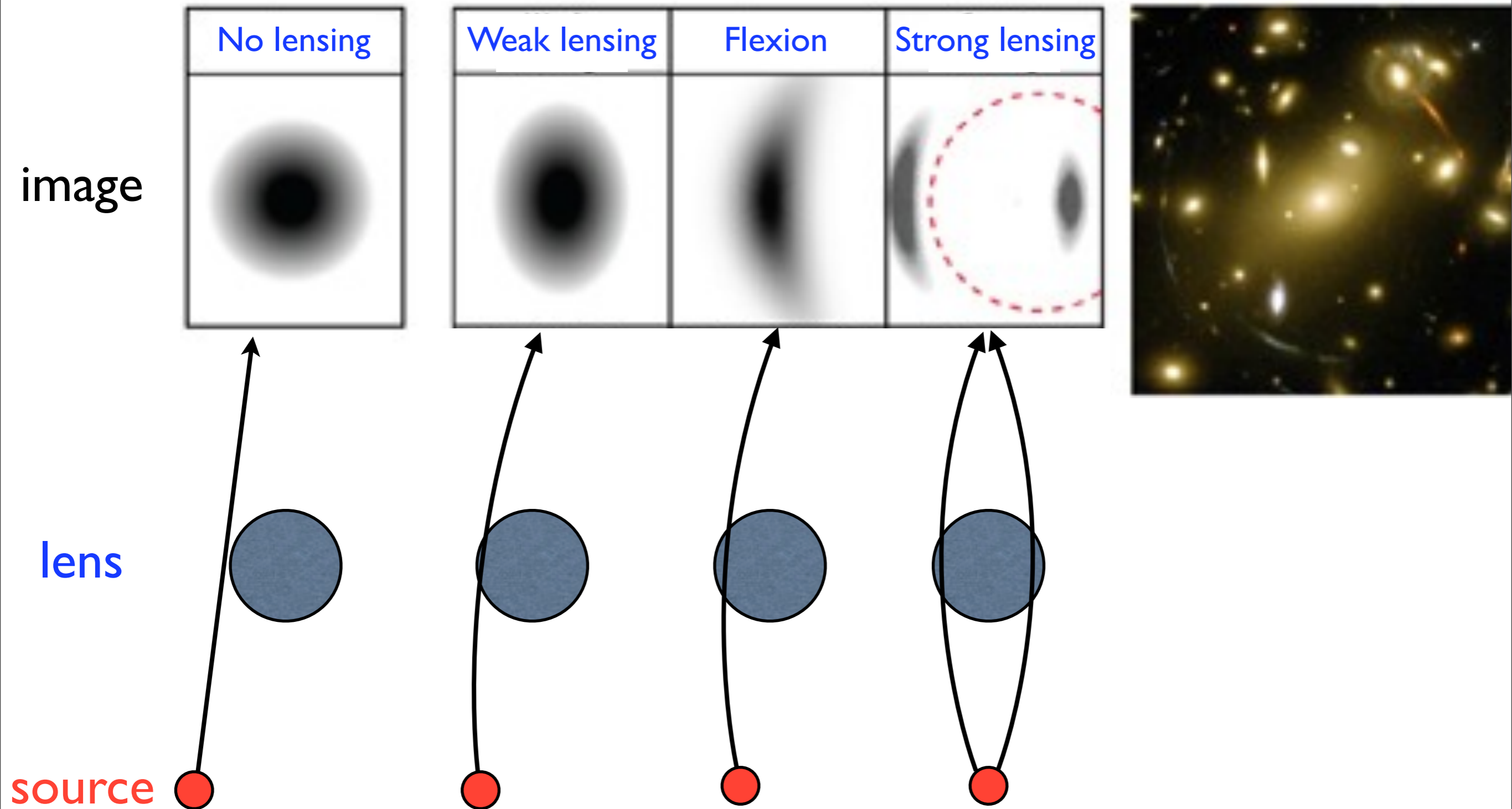
Walker & Peñarrubia 2011



2. Observations | The halo density profile: 'LSB' galaxies

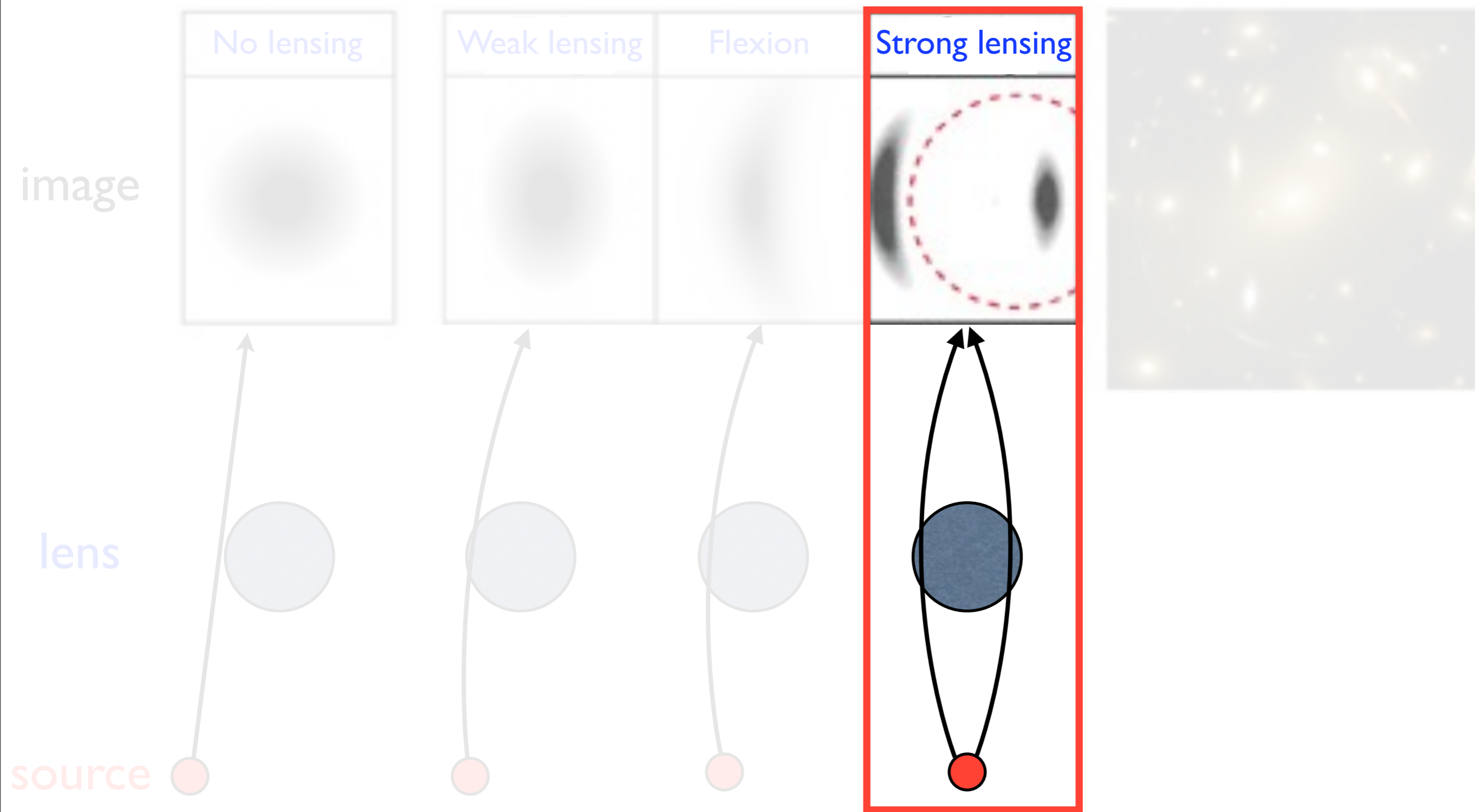


2. Observations | The halo density profile: galaxies/clusters



Adam Amara; Credit for Abell 1669: NASA, ESA, and Johan Richard (Caltech, USA)

2. Observations | The halo density profile: galaxies/clusters



Adam Amara; Credit for Abell 1669: NASA, ESA, and Johan Richard (Caltech, USA)

2. Observations | The halo density profile: galaxies/clusters



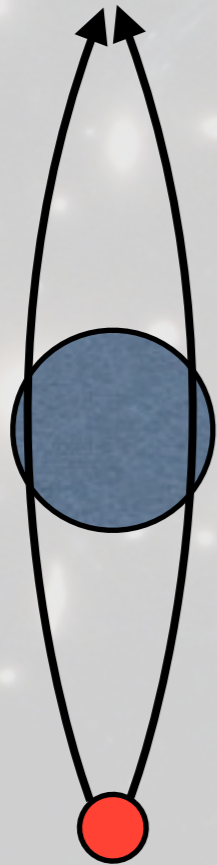
Saha & Read 2009

Thursday, August 25, 2011

2. Observations | The halo density profile: galaxies/clusters

Lensing degeneracies ...

AI703

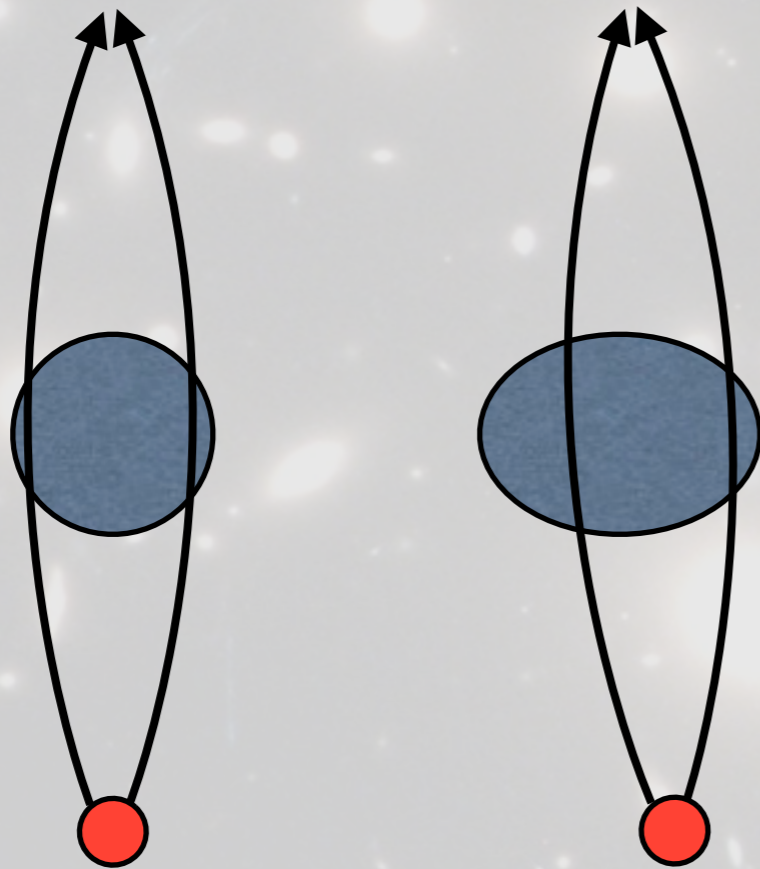


70kpc

2. Observations | The halo density profile: galaxies/clusters

Lensing degeneracies ...

AI703

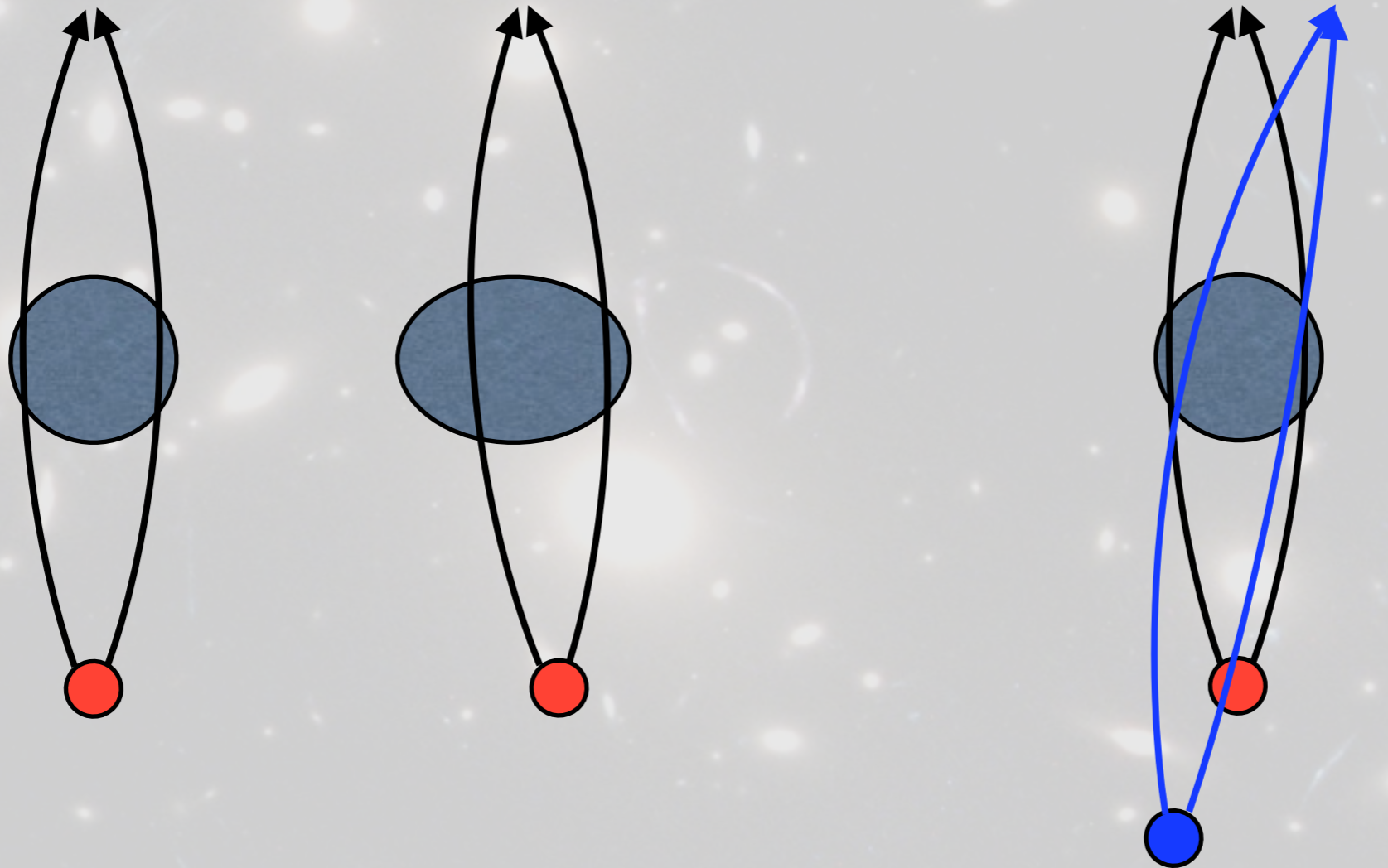


70kpc

2. Observations | The halo density profile: galaxies/clusters

Lensing degeneracies ...

A1703



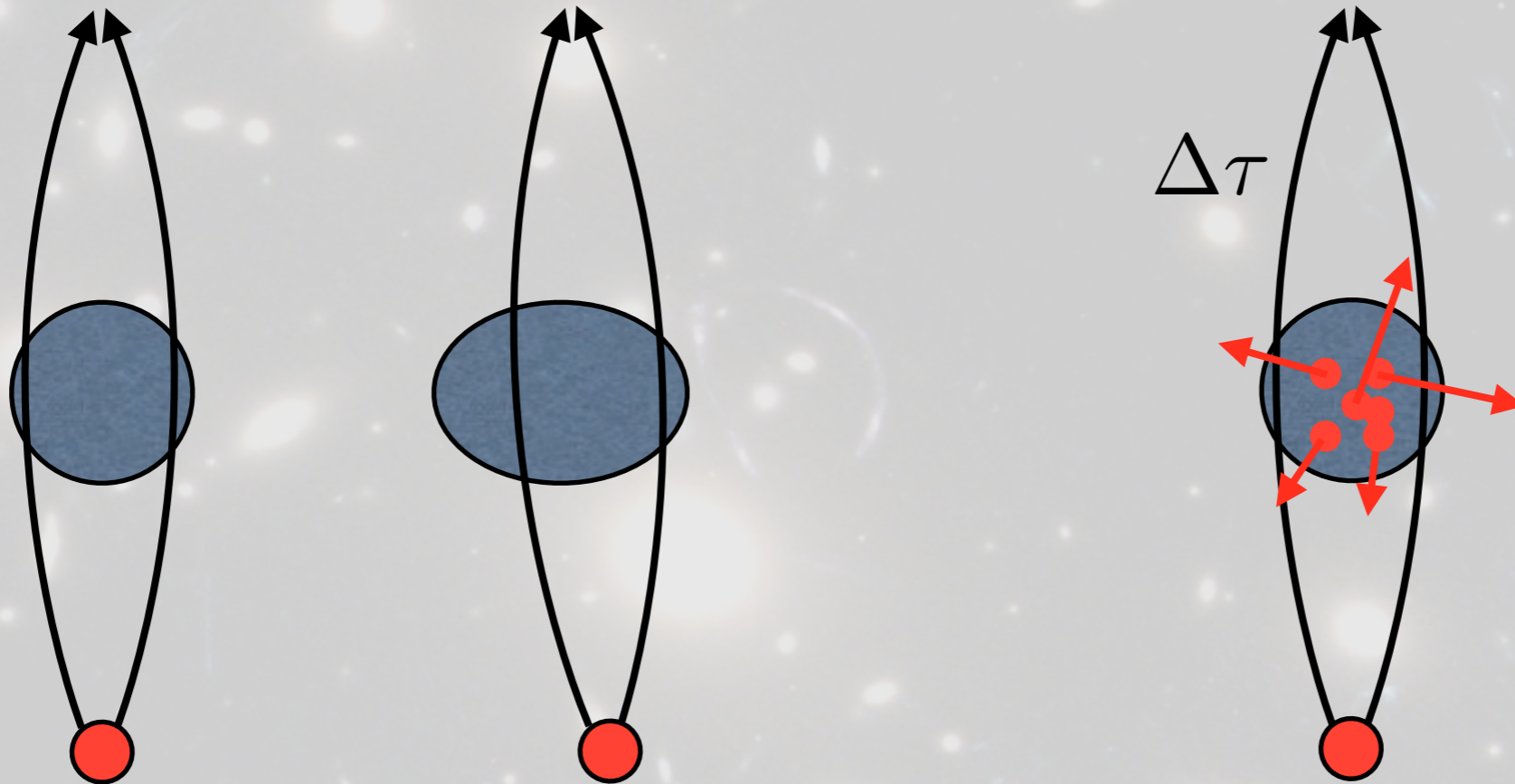
Clusters

70kpc

2. Observations | The halo density profile: galaxies/clusters

Lensing degeneracies ...

A1703

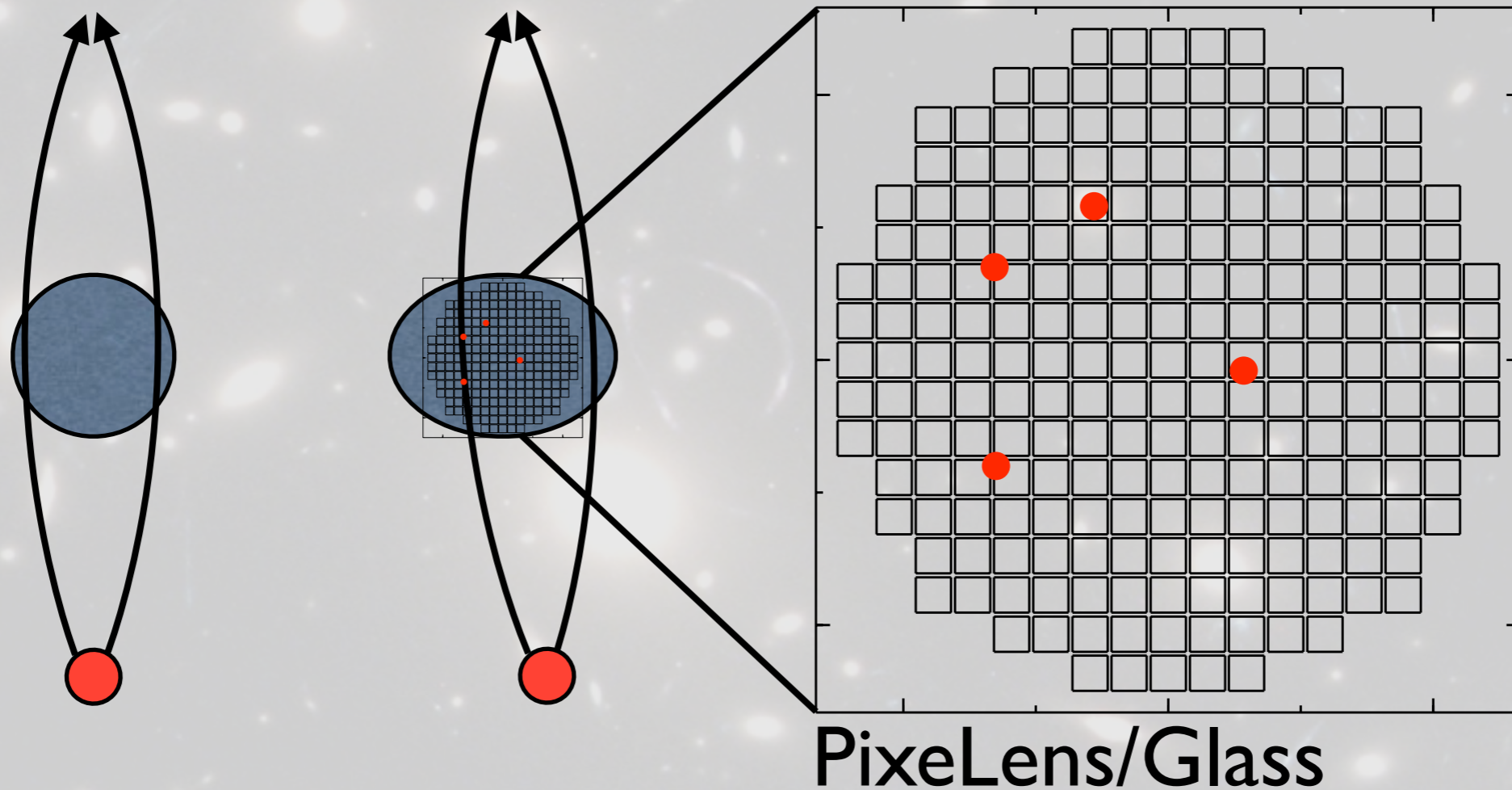


Galaxies

70kpc

2. Observations | The halo density profile: galaxies/clusters

Lensing degeneracies ...



A1703

70kpc

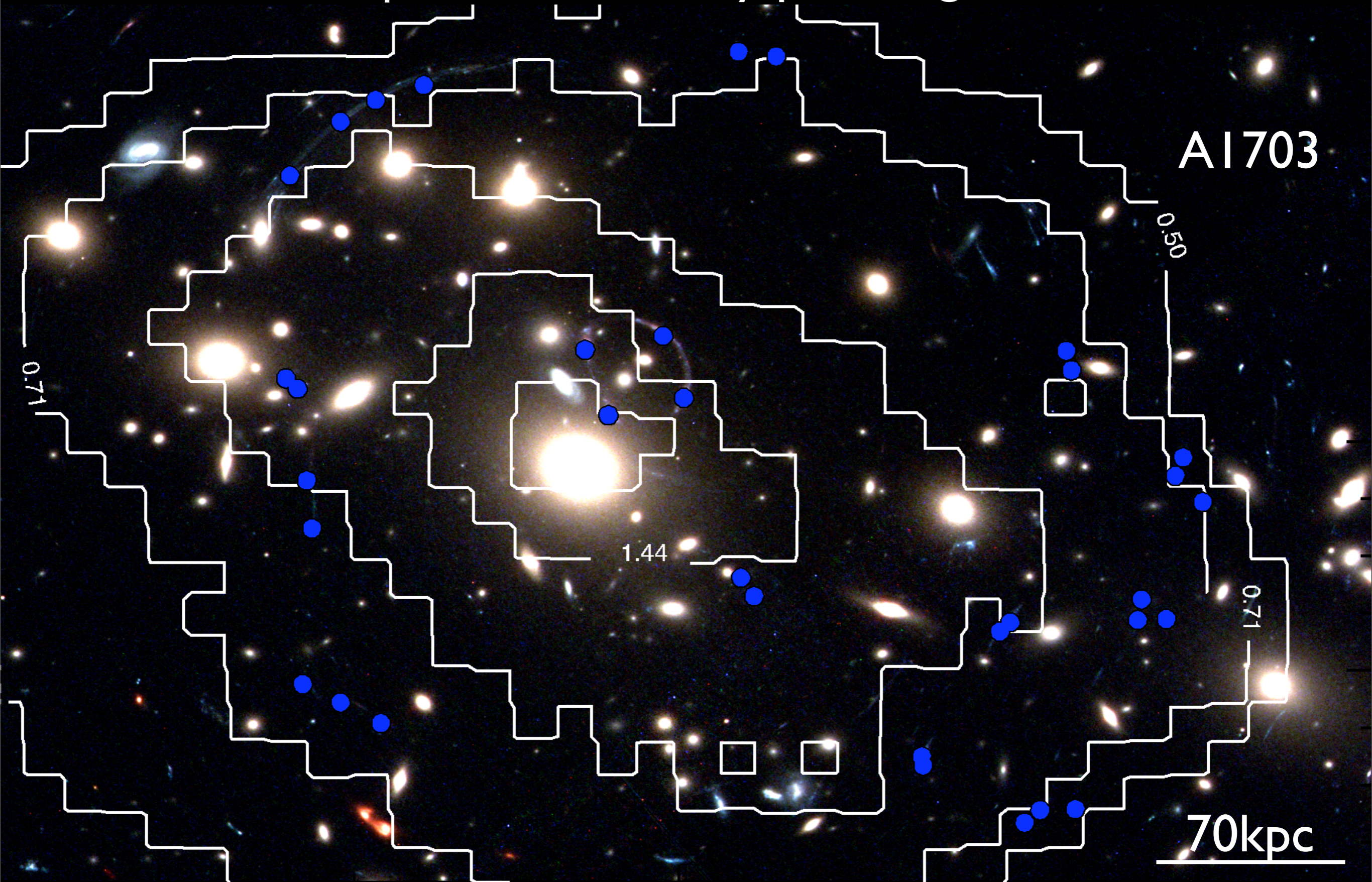
2. Observations | The halo density profile: galaxies/clusters



Saha & Read 2009

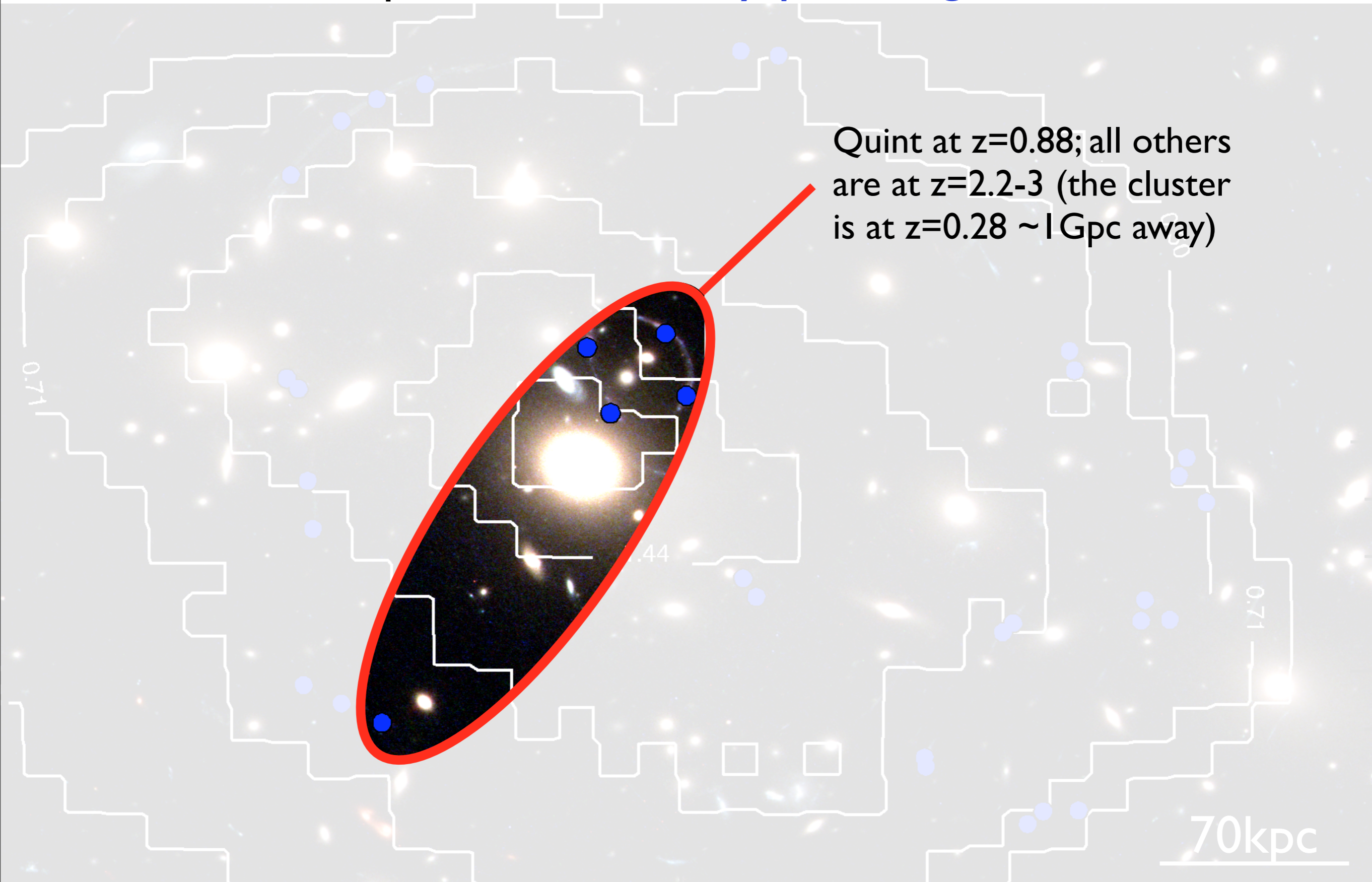
Thursday, August 25, 2011

2. Observations | The halo density profile: galaxies/clusters

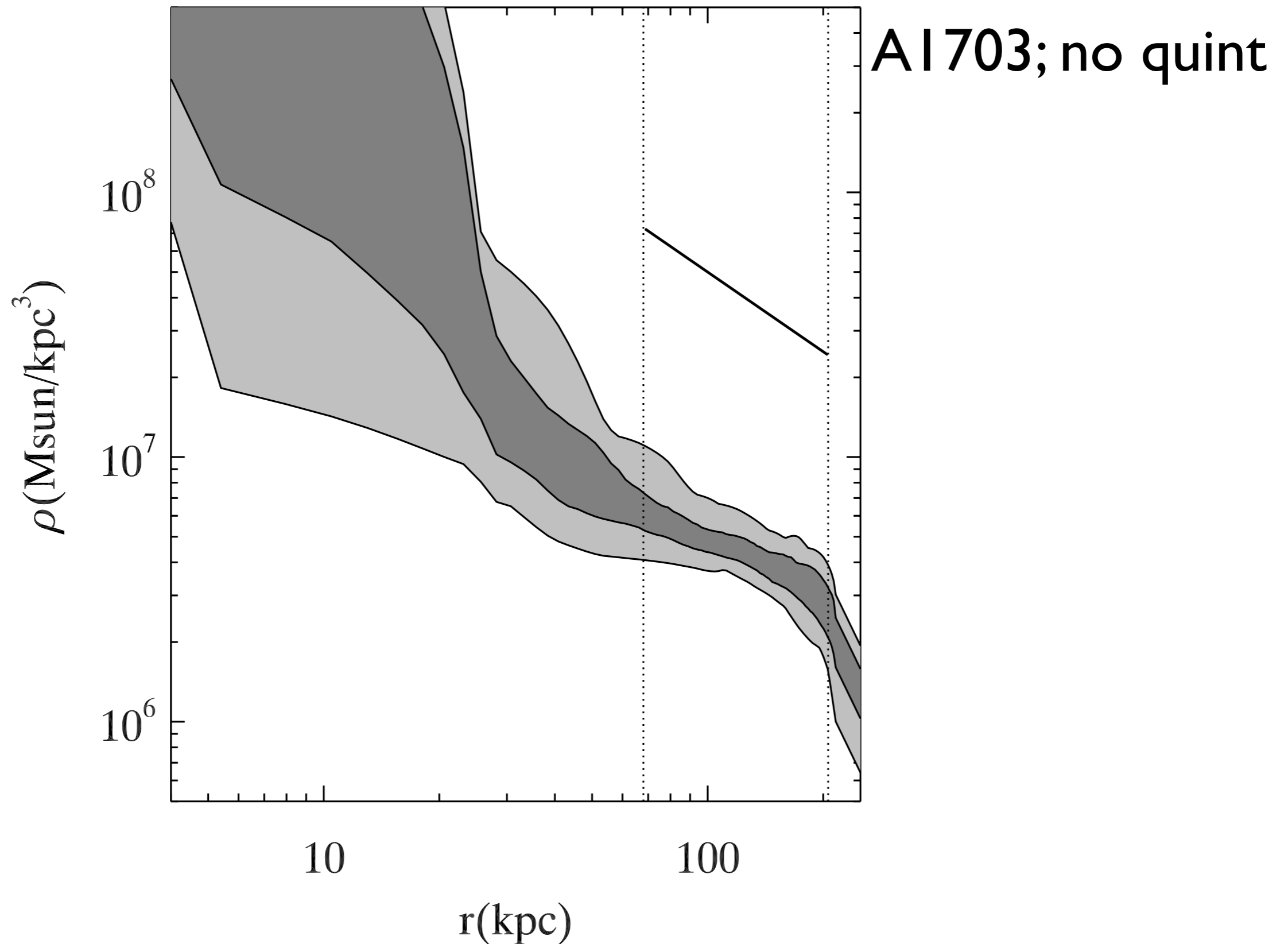


Saha & Read 2009

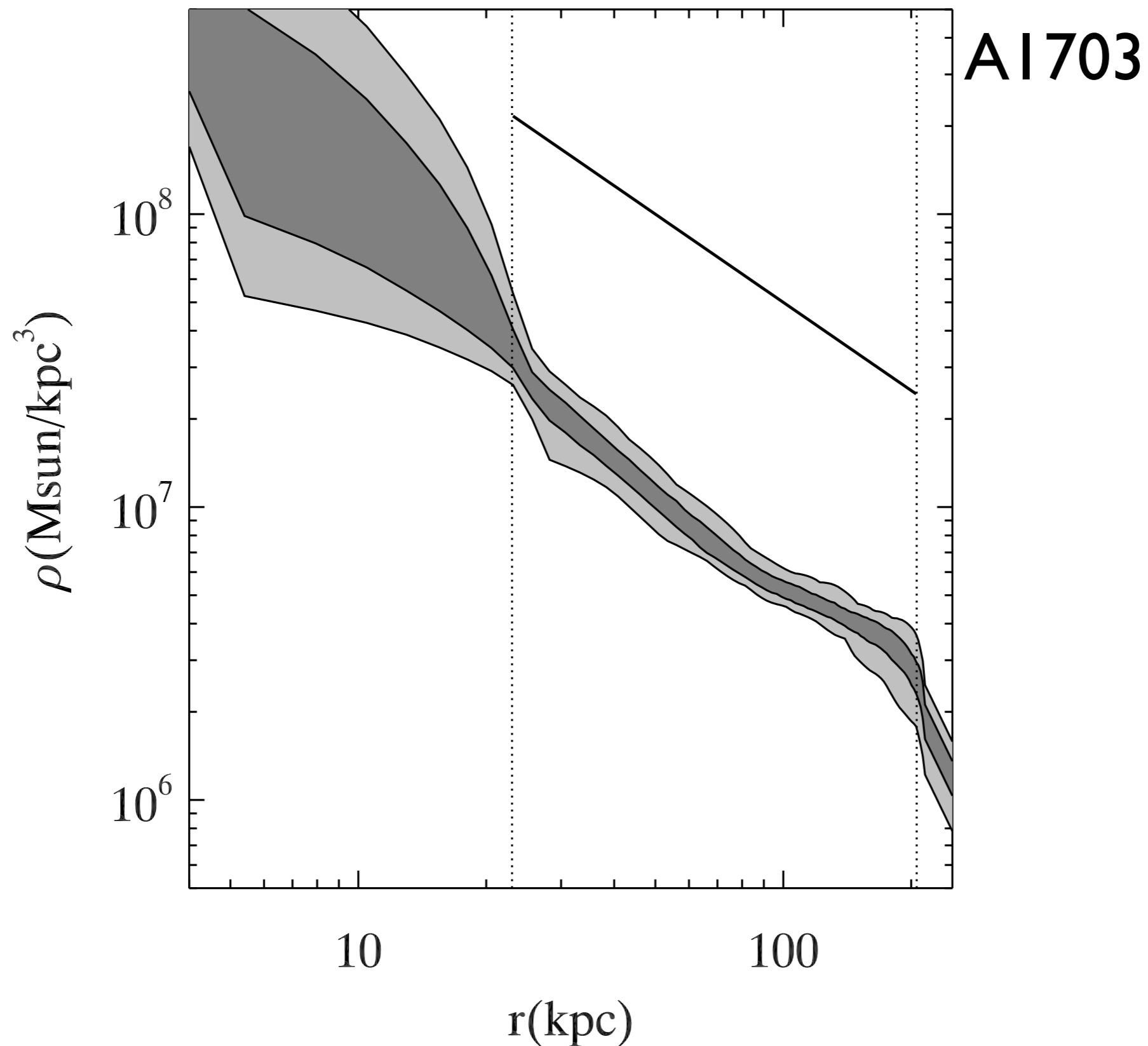
2. Observations | The halo density profile: galaxies/clusters



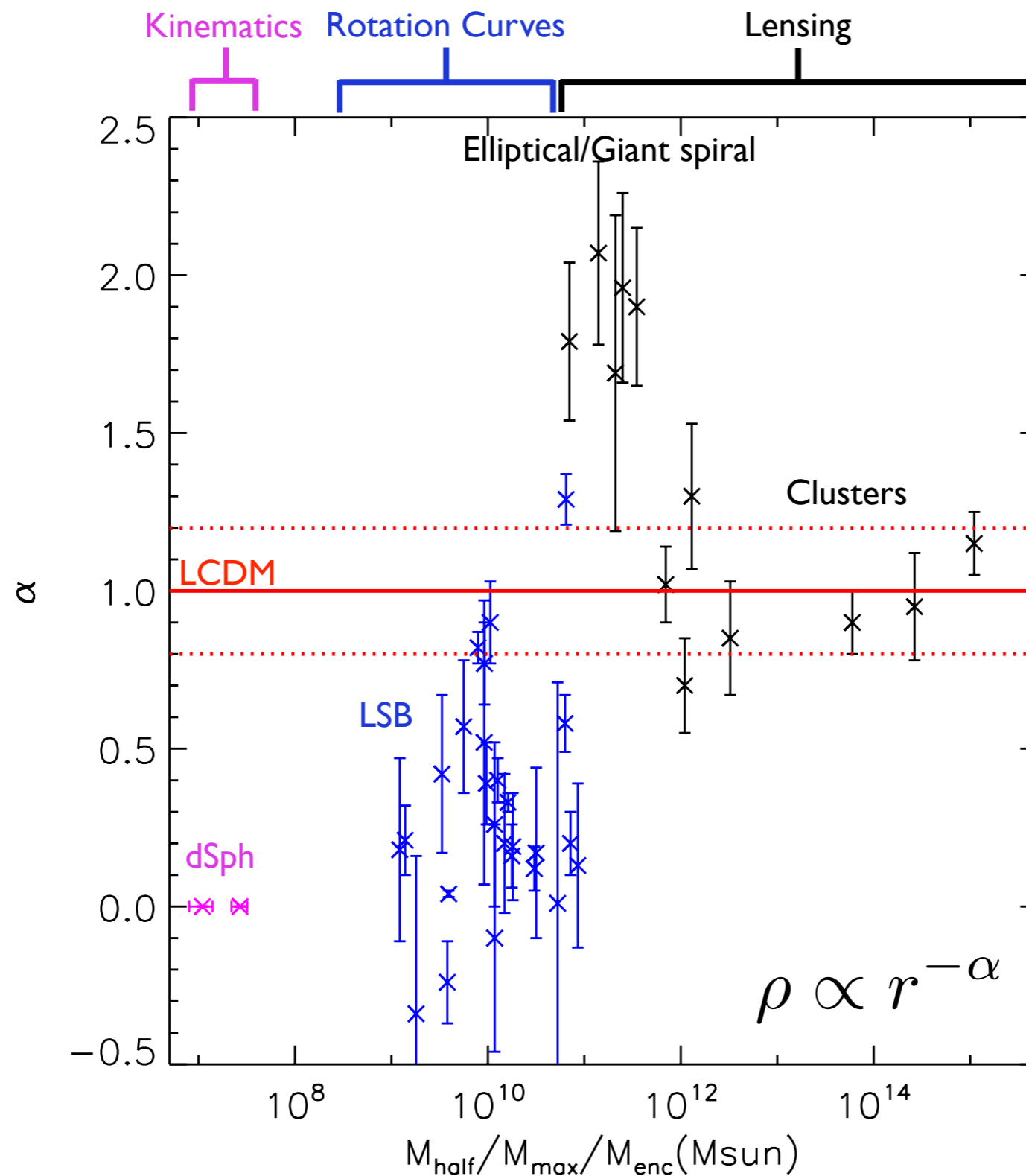
2. Observations | The halo density profile: galaxies/clusters



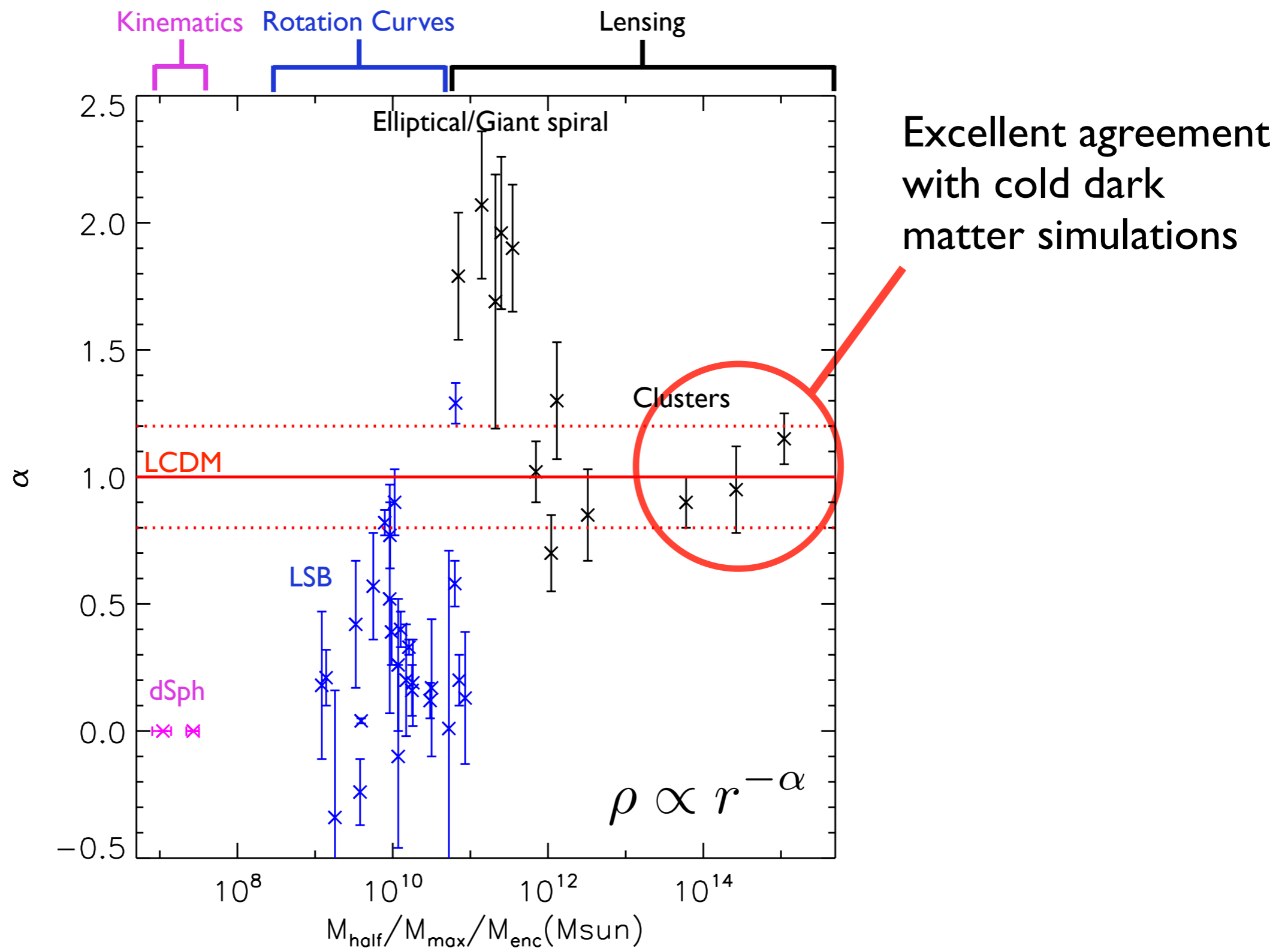
2. Observations | The halo density profile: galaxies/clusters



2. Observations | The halo density profile: overview

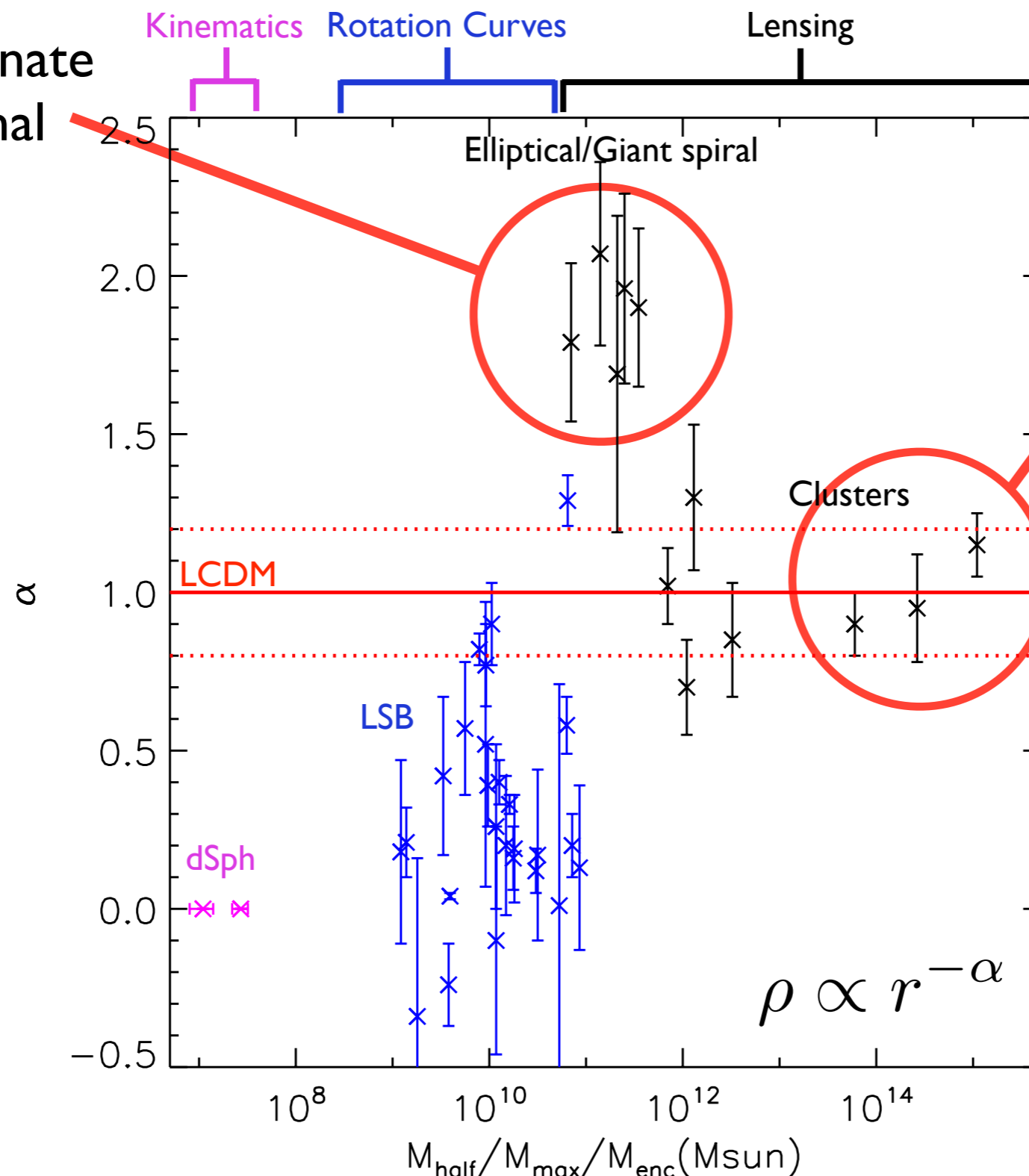


2. Observations | The halo density profile: overview



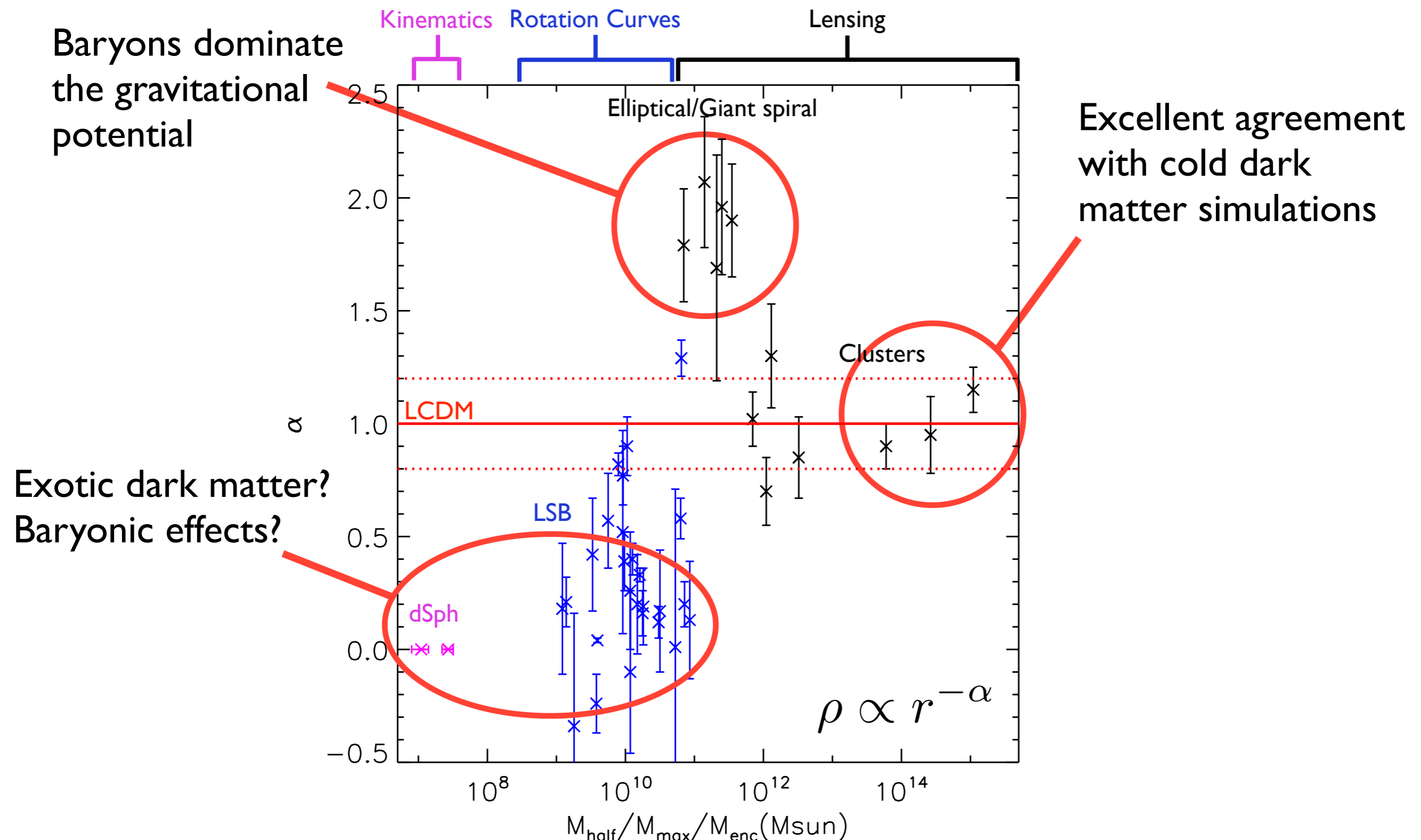
2. Observations | The halo density profile: overview

Baryons dominate
the gravitational
potential



Excellent agreement
with cold dark
matter simulations

2. Observations | The halo density profile: overview



3. Hunting for DM | The importance of astrophysics

Direct detection:

$$\frac{dR}{dE} = \frac{\rho \sigma_{\text{wn}} |F(E)|^2}{2m\mu^2} \int_{v > \sqrt{ME/2\mu^2}}^{v_{\text{max}}} \frac{f(\mathbf{v}, t)}{v} d^3v$$

3. Hunting for DM | The importance of astrophysics

Direct detection:

$$\frac{dR}{dE} = \frac{\rho \sigma_{\text{wn}} |F(E)|^2}{2m\mu^2} \int_{v > \sqrt{ME/2\mu^2}}^{v_{\text{max}}} \frac{f(\mathbf{v}, t)}{v} d^3v$$

3. Hunting for DM | The importance of astrophysics

Direct detection:

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3. Hunting for DM | The importance of astrophysics

Direct detection:

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Need simulations [see previous]

3. Hunting for DM | The importance of astrophysics

Direct detection:

$$\frac{dR}{dE} = \frac{\rho \sigma_{\text{wn}} |F(E)|^2}{2m\mu^2} \int_{v > \sqrt{ME/2\mu^2}}^{v_{\text{max}}} \frac{f(\mathbf{v}, t)}{v} d^3v$$

But can **measure** this!

Need simulations [see previous]

3. Hunting for DM | The importance of astrophysics

Direct detection:

$$\frac{dR}{dE} = \frac{\rho \sigma_{\text{wn}} |F(E)|^2}{2m\mu^2} \int_{v > \sqrt{ME/2\mu^2}}^{v_{\text{max}}} \frac{f(\mathbf{v}, t)}{v} d^3v$$

3. Hunting for DM | The importance of astrophysics

Direct detection:

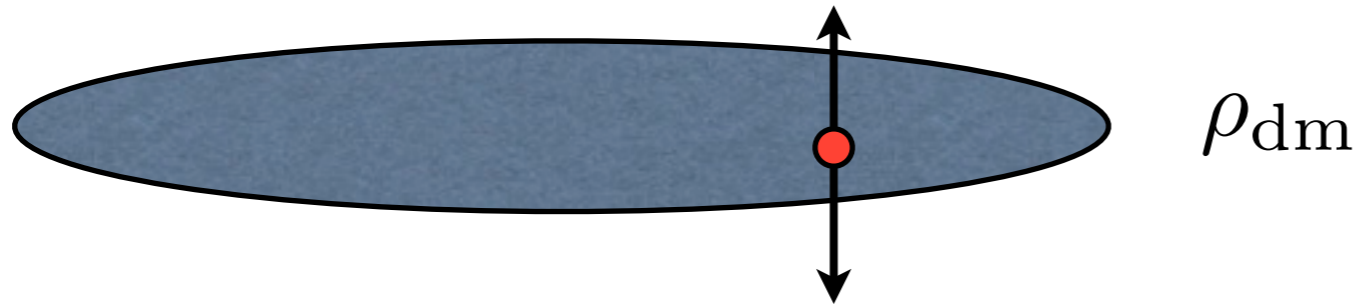
$$\frac{dR}{dE} = \frac{\rho \sigma_{\text{wn}} |F(E)|^2}{2m\mu^2} \int_{v > \sqrt{ME/2\mu^2}}^{v_{\text{max}}} \frac{f(\mathbf{v}, t)}{v} d^3v$$

Indirect detection:

$$\frac{d\Phi_\gamma}{dE_\gamma} = \frac{1}{4\pi} \frac{\langle \sigma_{\text{ann}} v \rangle}{2m_\chi^2} \frac{dN_\gamma}{dE_\gamma} \int_{\Delta\Omega} \int \rho_{\text{DM}}^2 dl d\Omega$$

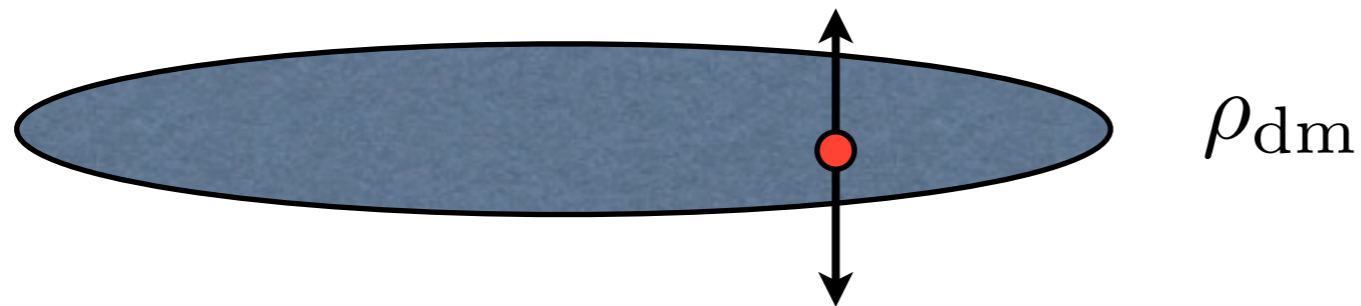
3. Hunting for DM | The local dark matter distribution

1. Local measure:

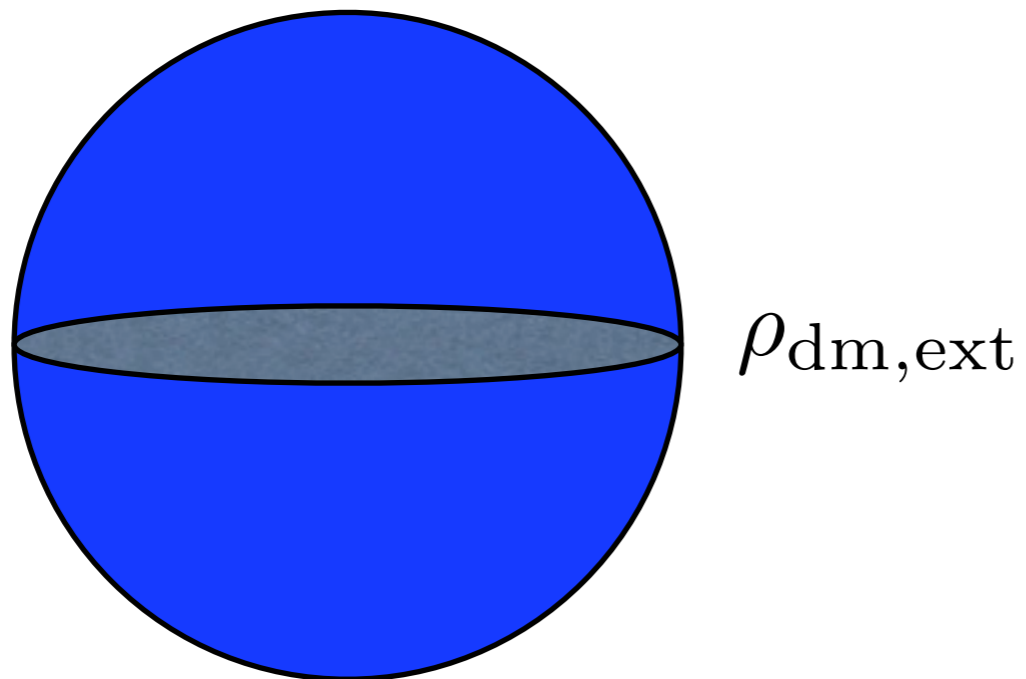


3. Hunting for DM | The local dark matter distribution

1. Local measure:

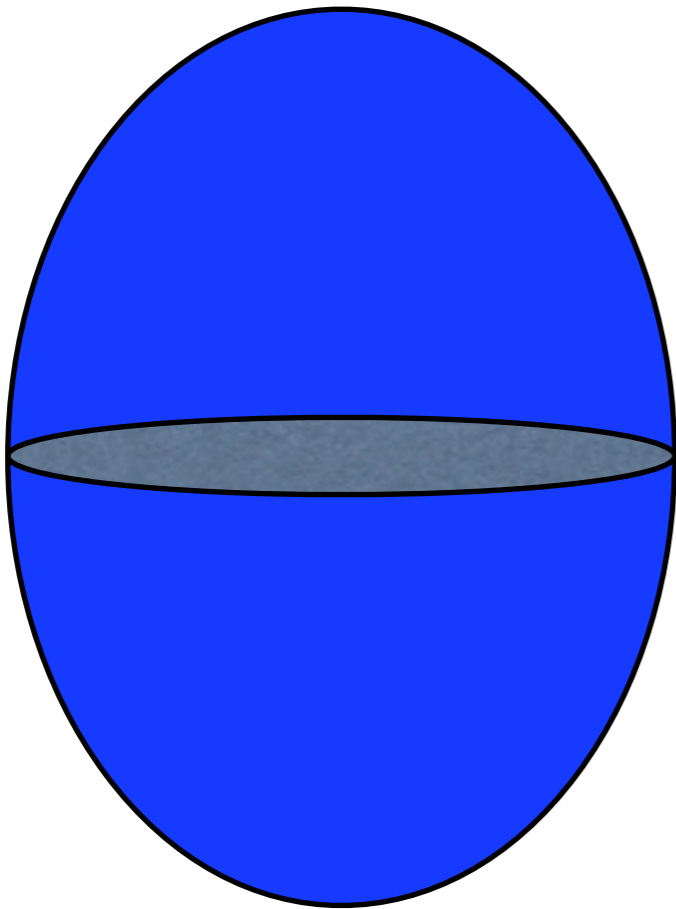


2. Global measure: $v^2 \sim GM(r)/r$



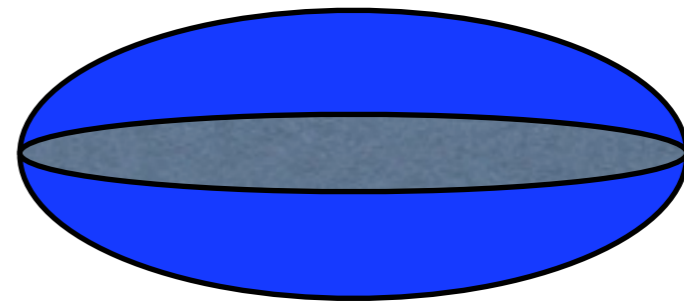
3. Hunting for DM | The local dark matter distribution

$$\rho_{\text{dm}} < \rho_{\text{dm,ext}}$$



Prolate

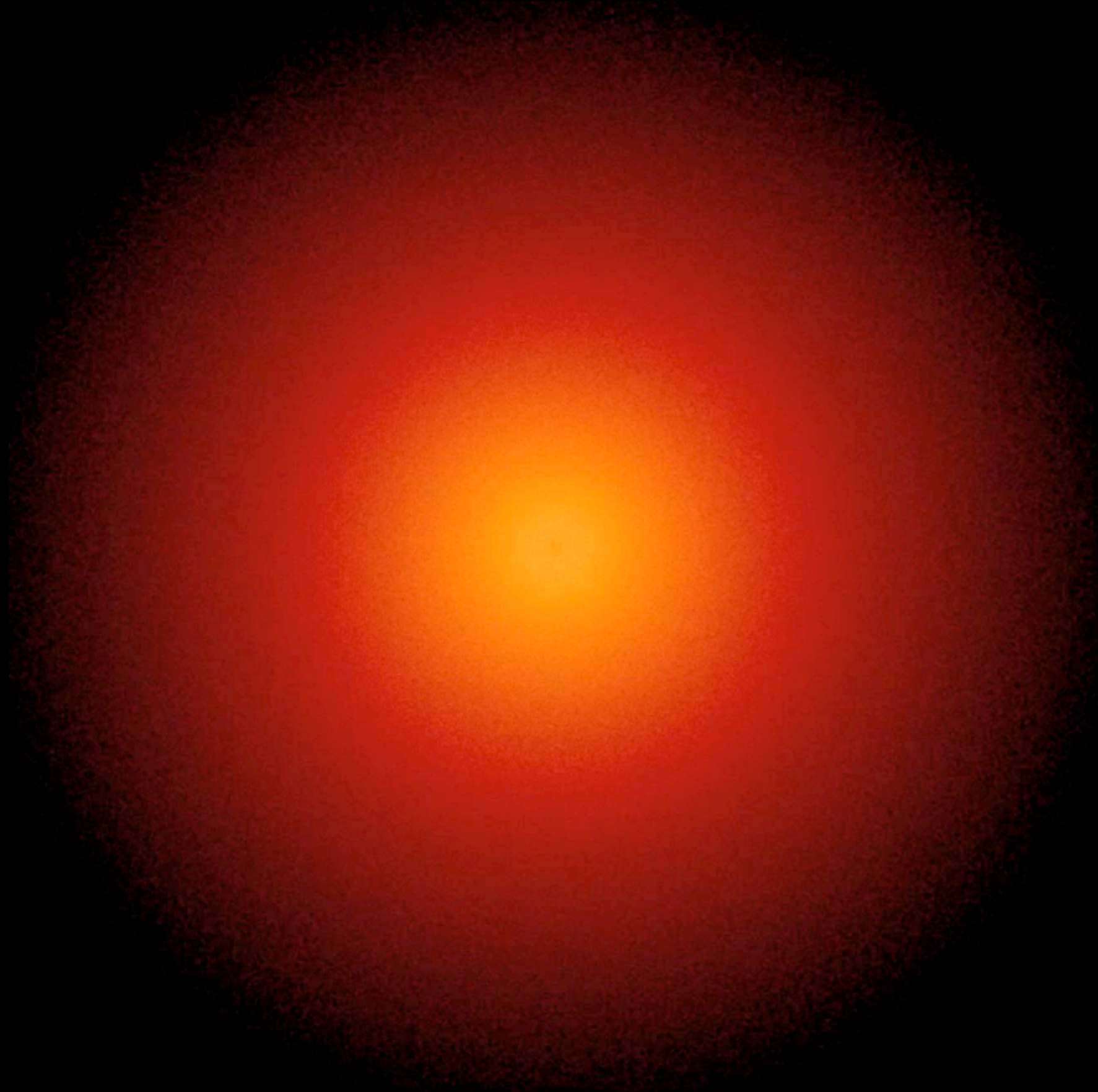
$$\rho_{\text{dm}} > \rho_{\text{dm,ext}}$$



Oblate/dark disc

3. Hunting for DM | The local dark matter distribution

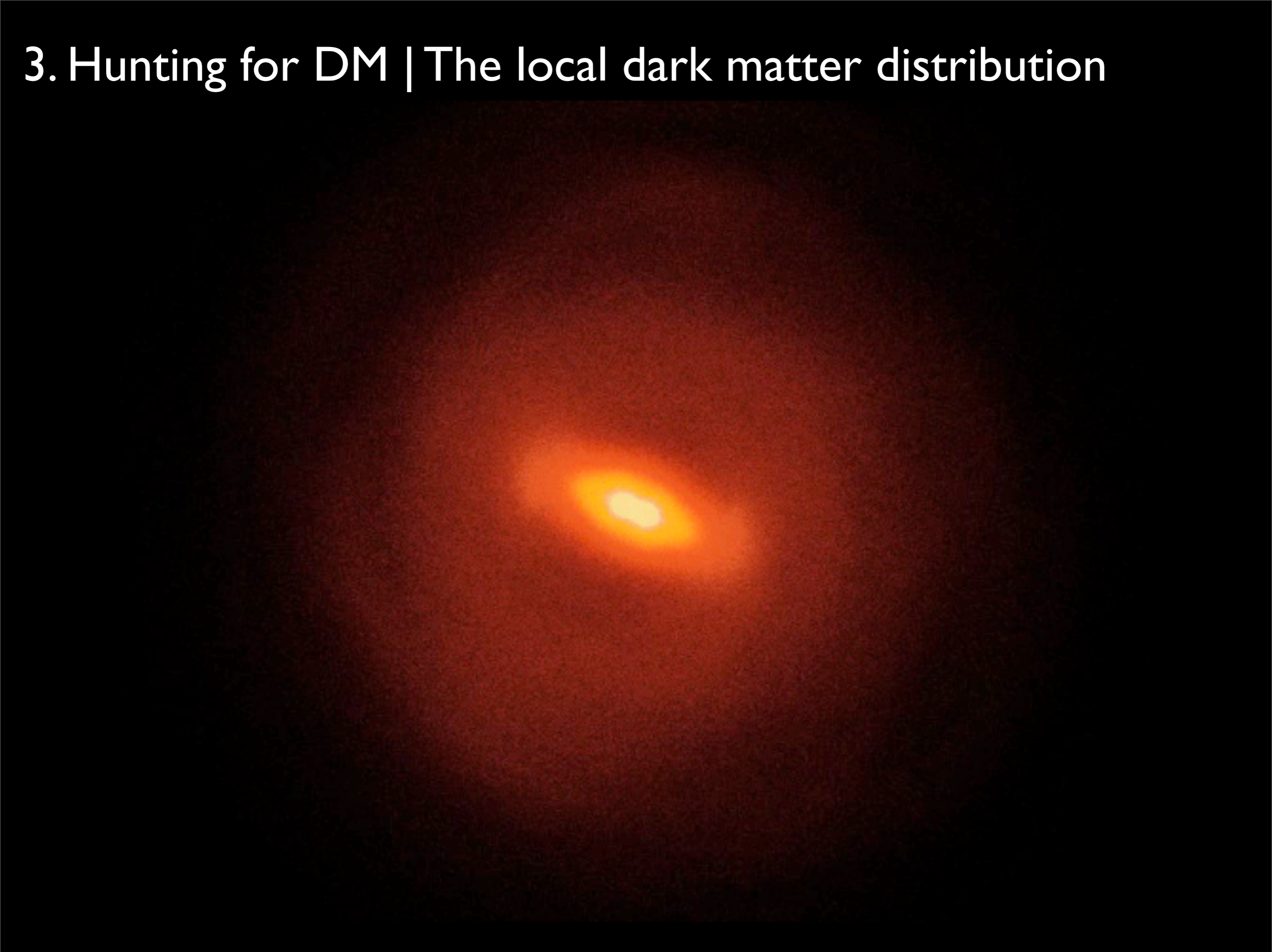
3. Hunting for DM | The local dark matter distribution



3. Hunting for DM | The local dark matter distribution

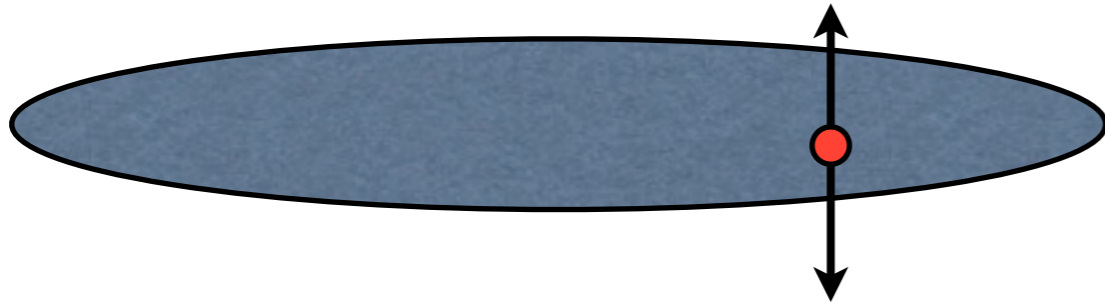
3. Hunting for DM | The local dark matter distribution

3. Hunting for DM | The local dark matter distribution



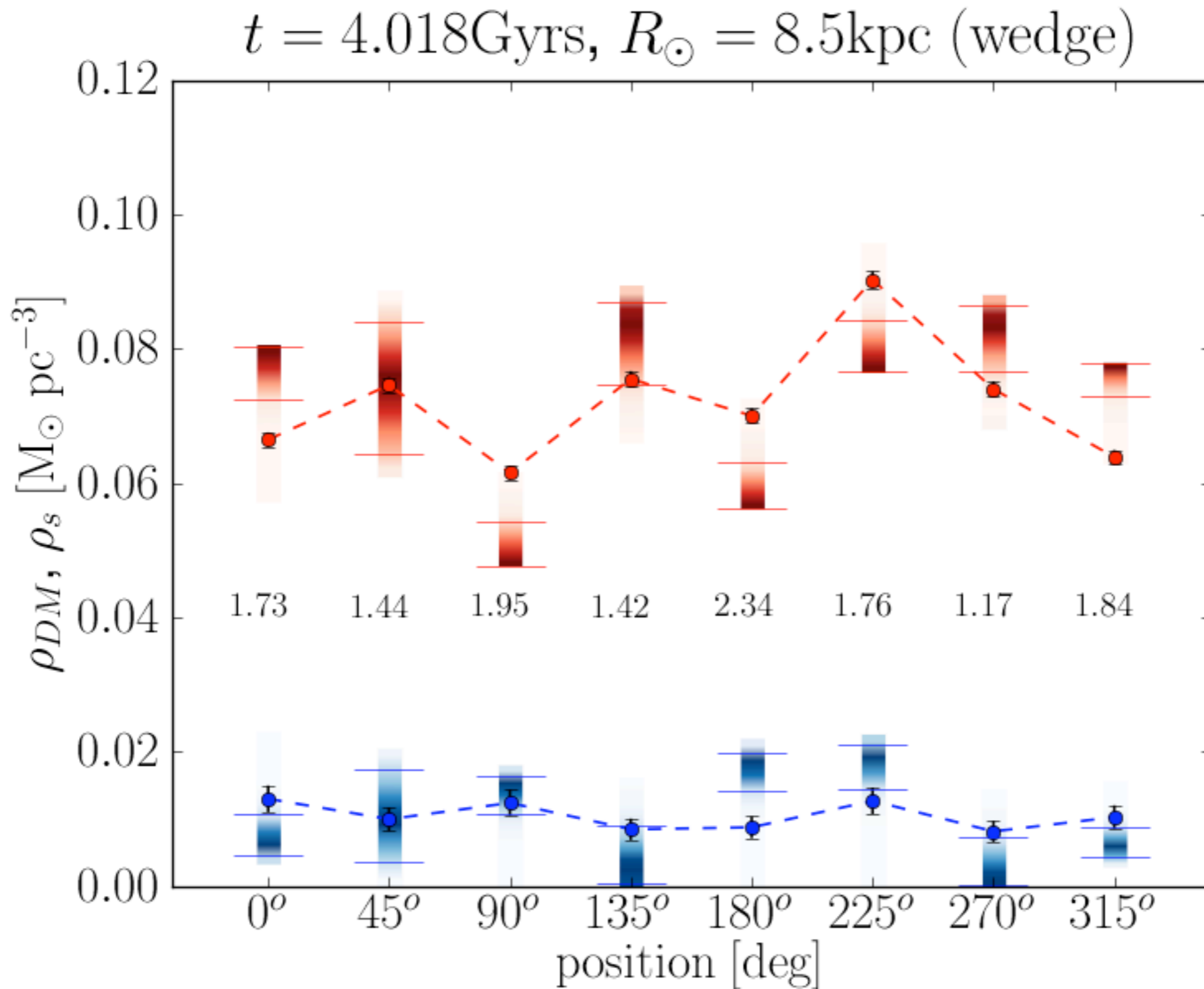
3. Hunting for DM | The local dark matter distribution

The catch-22:



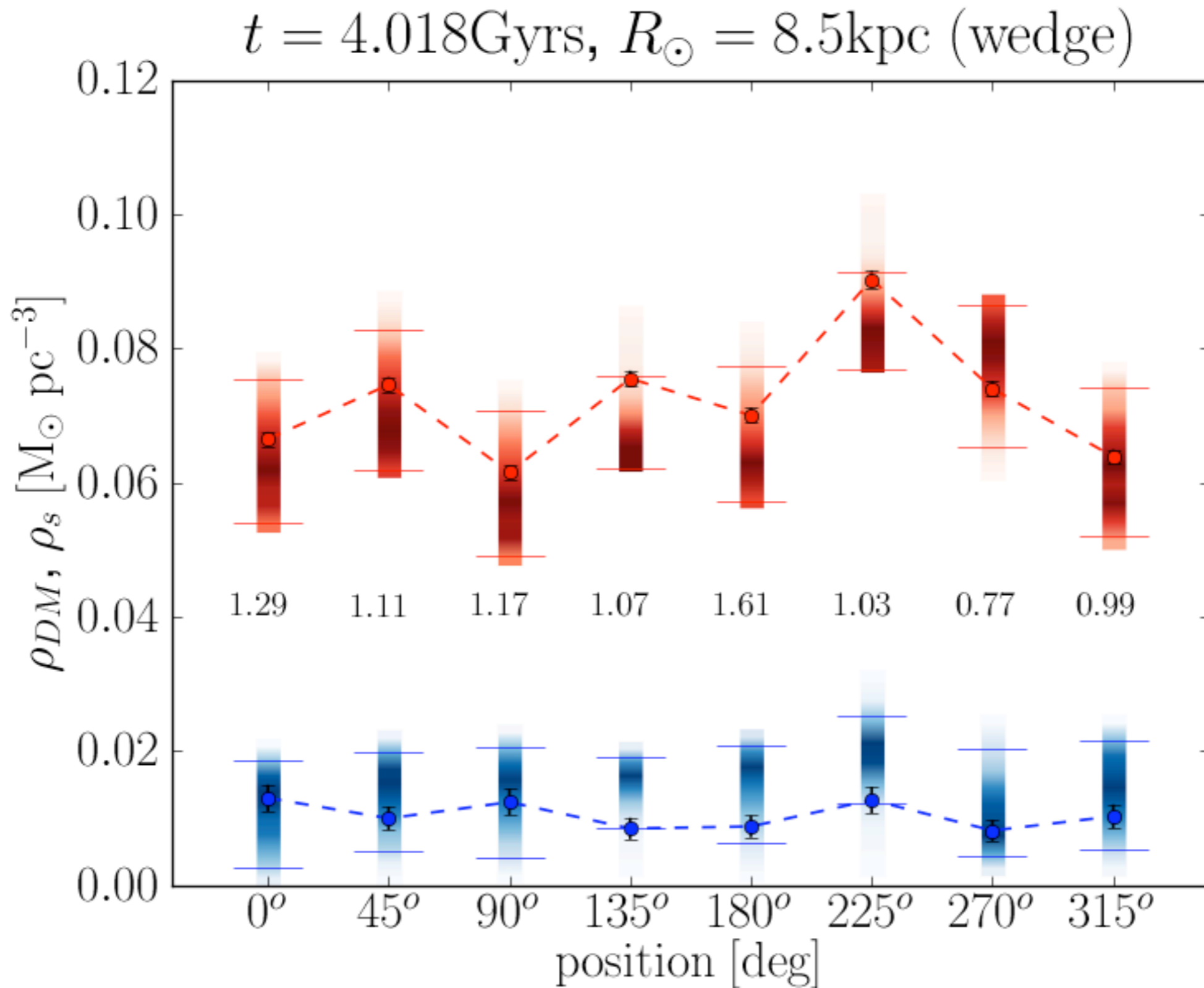
Need to sample **above the plane** to see the DM

3. Hunting for DM | The local dark matter distribution



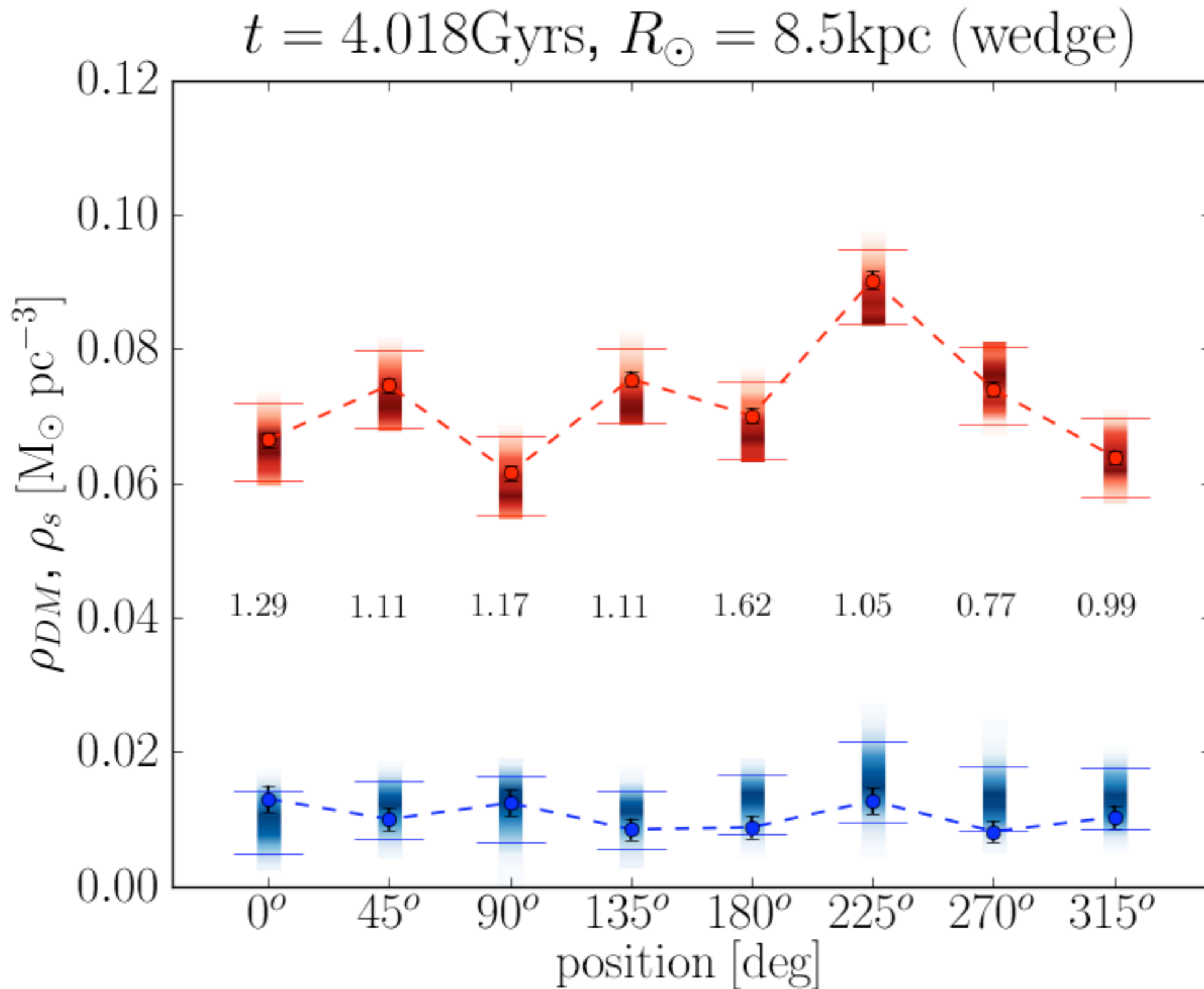
Garbari, Read & Lake 2011, MNRAS accepted ... and see Silvia's talk!

3. Hunting for DM | The local dark matter distribution



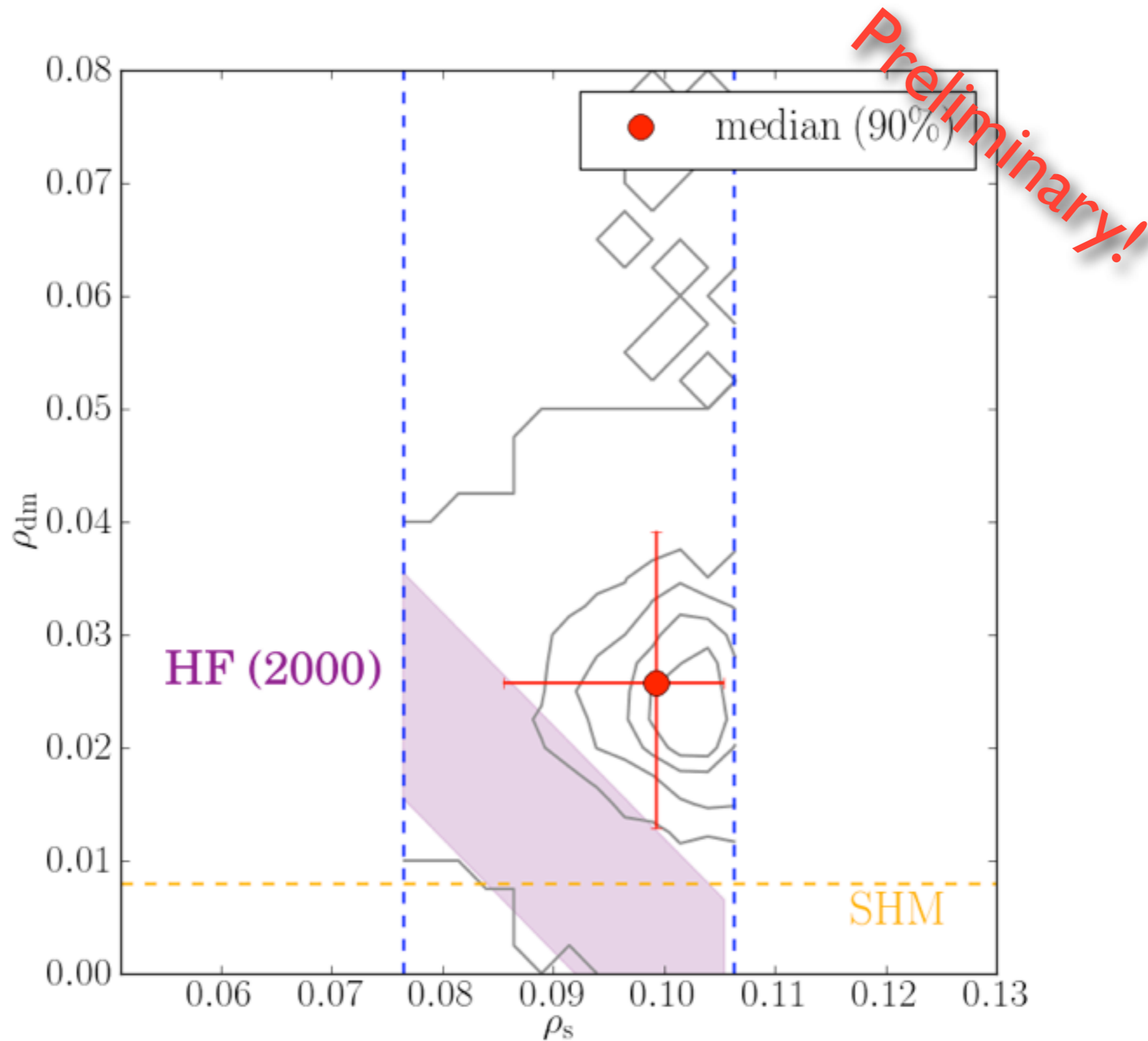
Garbari, Read & Lake 2011, MNRAS accepted ... and see Silvia's talk!

3. Hunting for DM | The local dark matter distribution



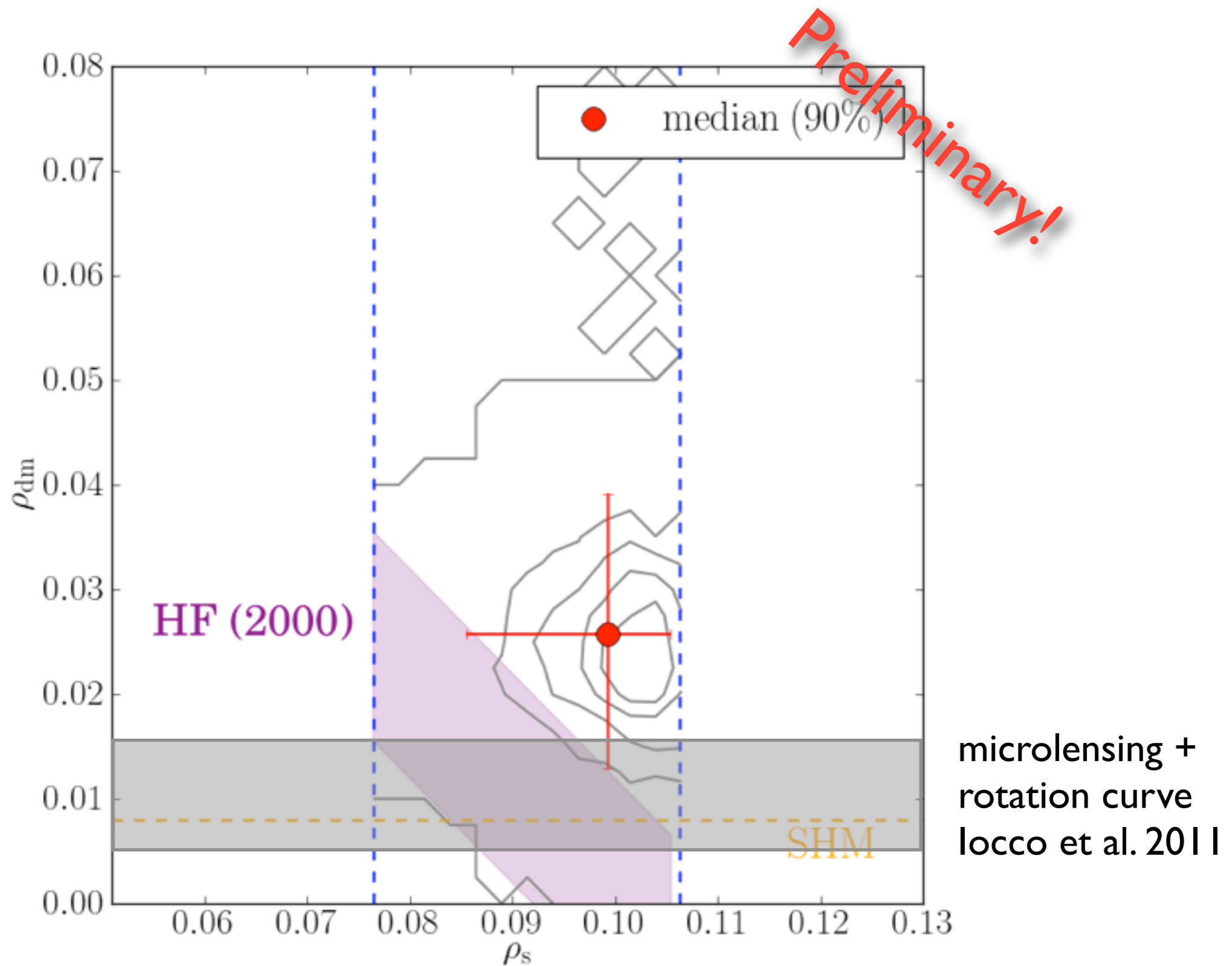
Garbari, Read & Lake 2011, MNRAS accepted ... and see Silvia's talk!

3. Hunting for DM | The local dark matter distribution



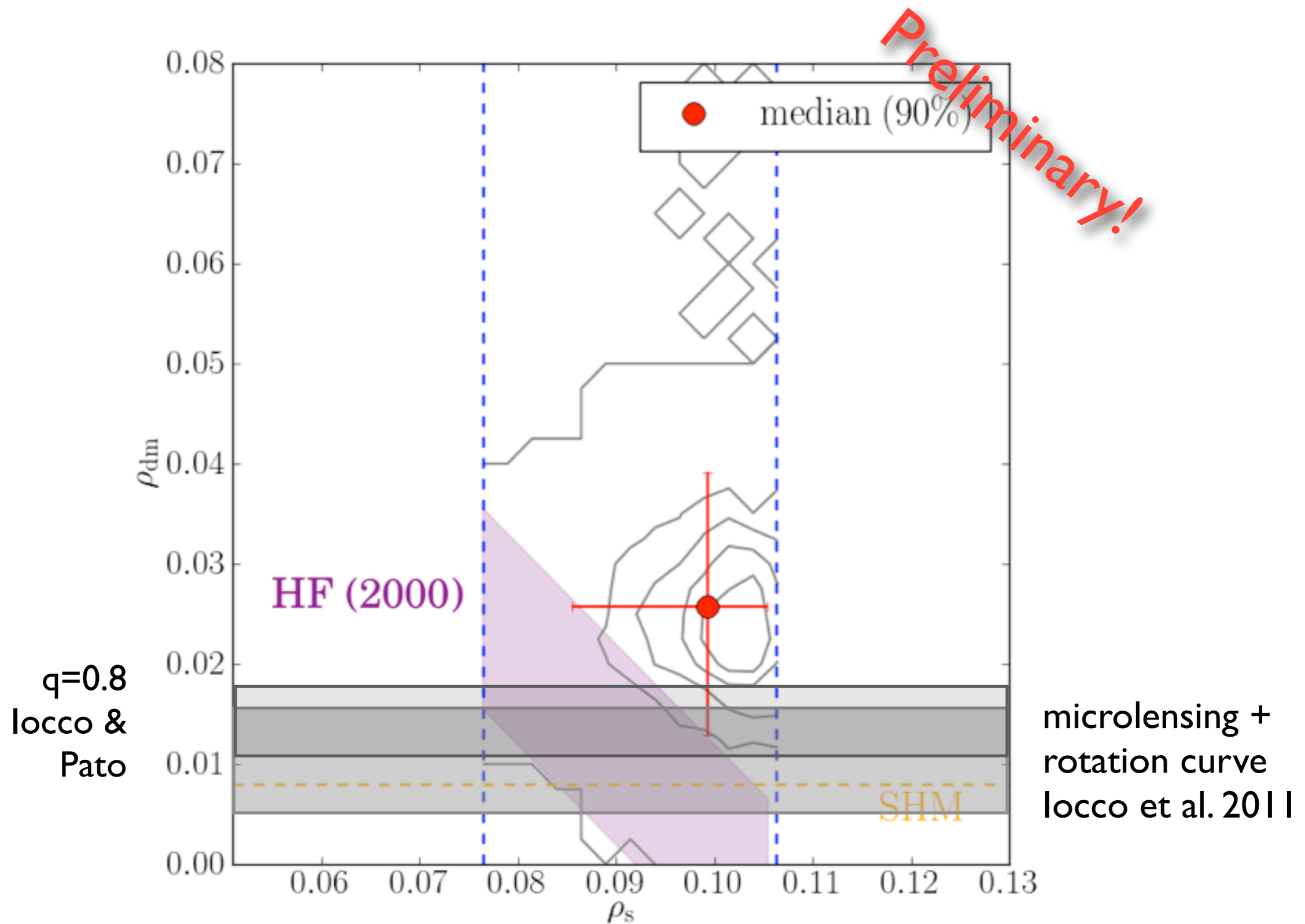
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3. Hunting for DM | The local dark matter distribution



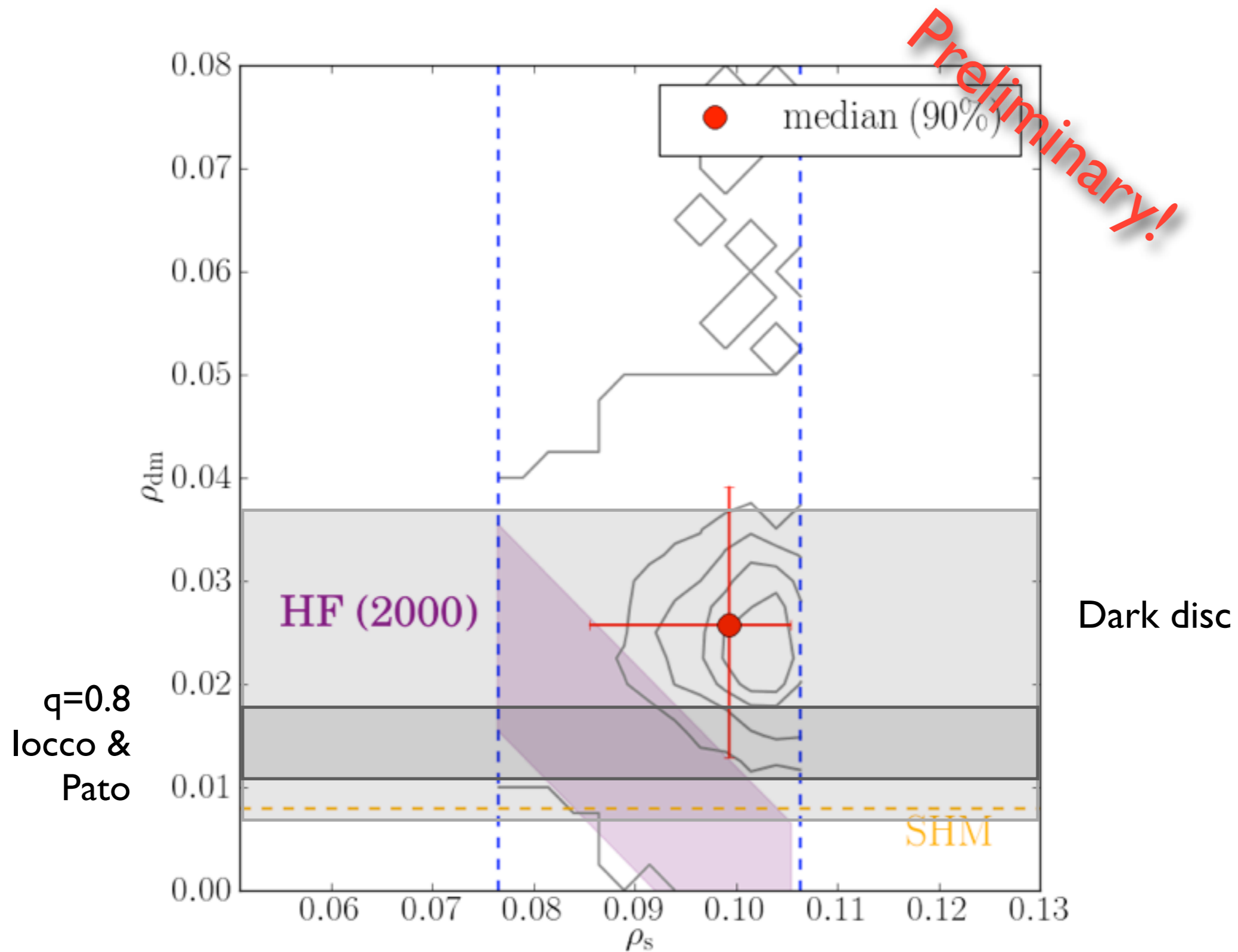
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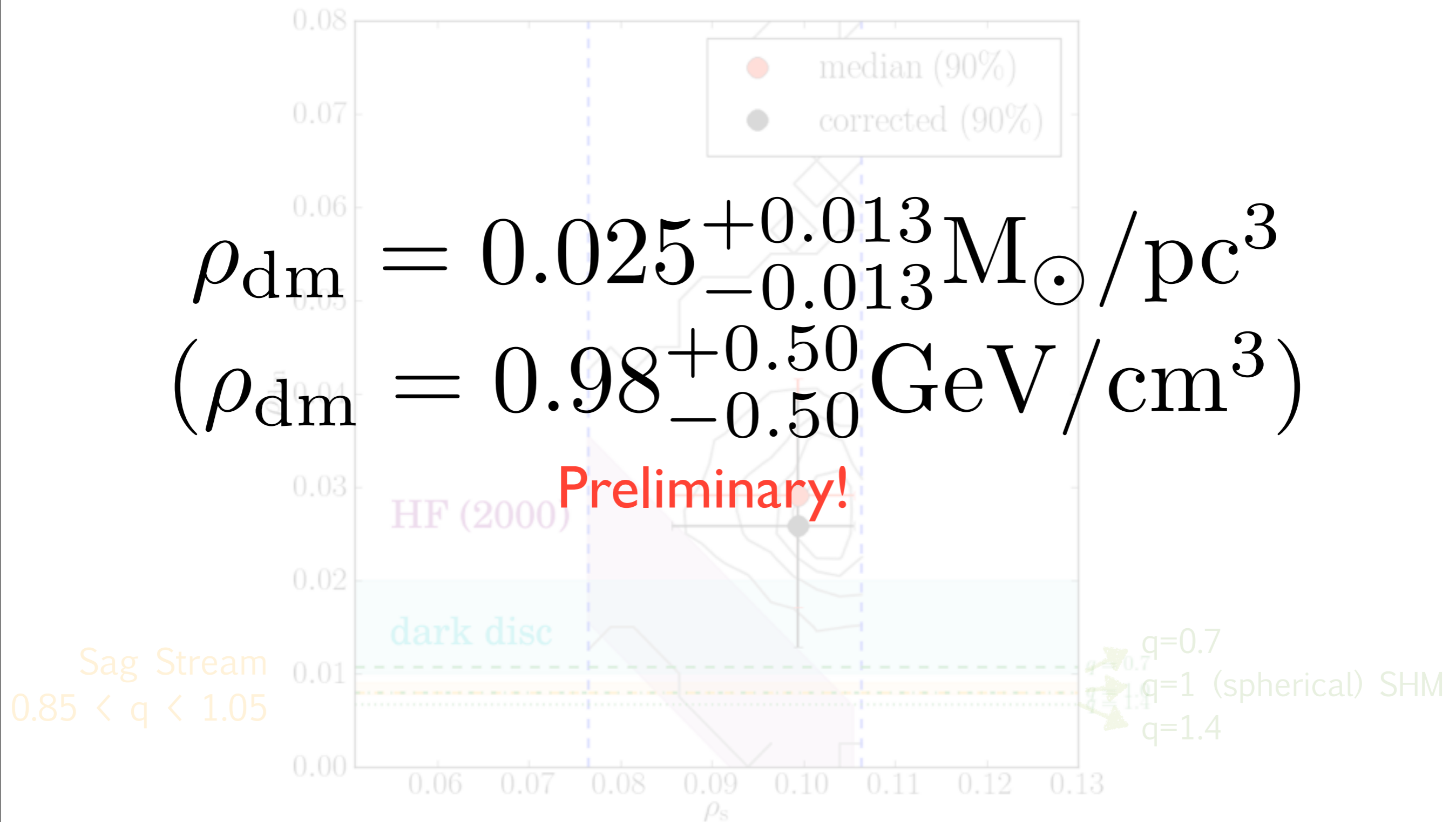


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3. Hunting for DM | The local dark matter distribution

$$\rho_{\text{dm}} = 0.025^{+0.013}_{-0.013} \text{M}_{\odot} / \text{pc}^3$$
$$(\rho_{\text{dm}} = 0.98^{+0.50}_{-0.50} \text{GeV} / \text{cm}^3)$$

Preliminary!



Garbari, Liu, Read & Lake in prep. ... and see Silvia's talk!

3. Hunting for DM | Annihilation signals: where to look

The ‘Classical’ dwarfs...

$$J = \int_{\Delta\Omega} \int \rho_{\text{DM}}^2(l, \Omega) dl d\Omega.$$

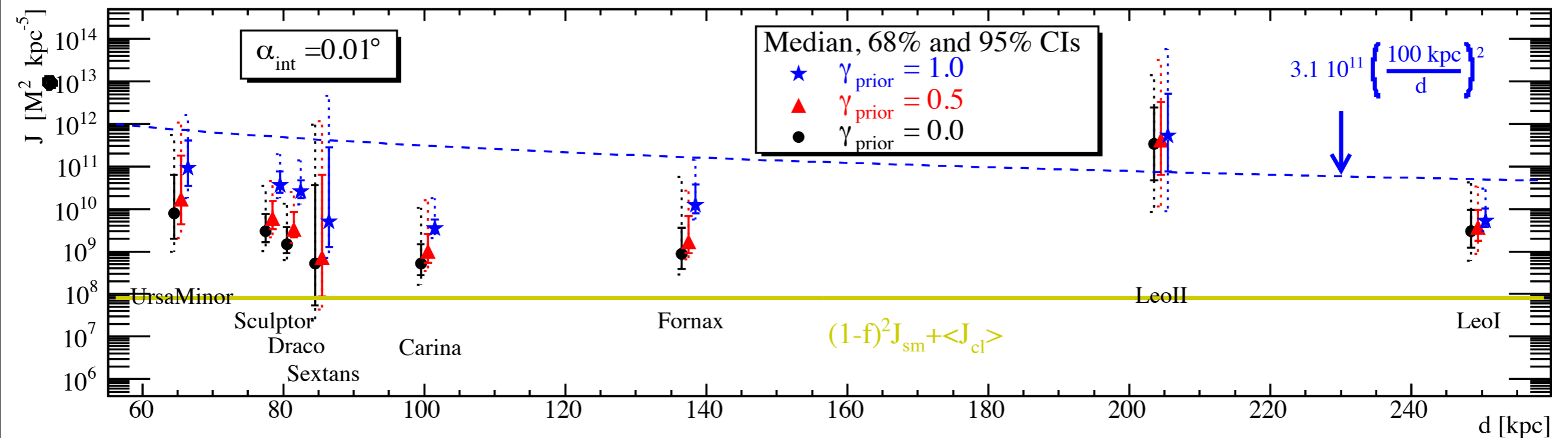
$$\Delta\Omega = 2\pi \cdot (1 - \cos(\alpha_{\text{int}}))$$

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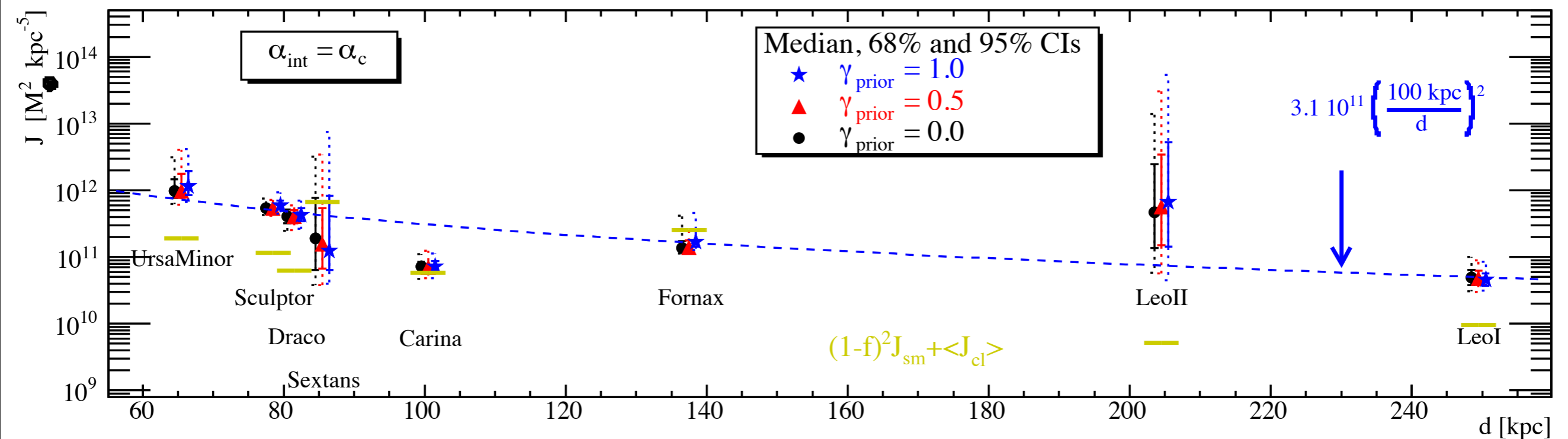
Charbonnier, A.; Combet, C.; Daniel, M.; Funk, S.; Hinton, J. A.; Maurin, D.; Power, C.; Read, J. I.; Sarkar, S.; Walker, M. G.; Wilkinson, M. I.; Walker et al. 2011

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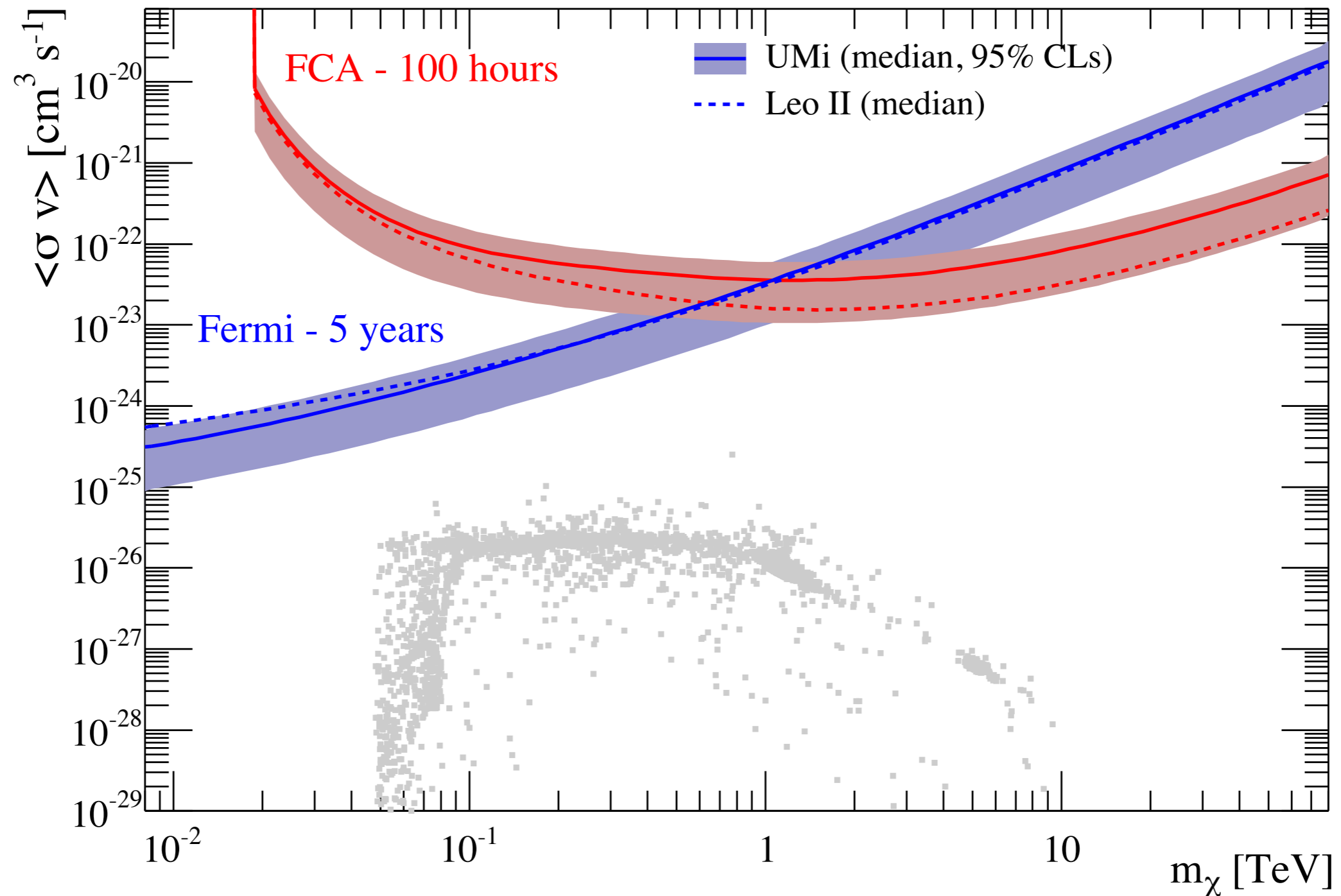
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Charbonnier, A.; Combet, C.; Daniel, M.; Funk, S.; Hinton, J. A.; Maurin, D.; Power, C.; Read, J. I.; Sarkar, S.; Walker, M. G.; Wilkinson, M. I.; Walker et al. 2011

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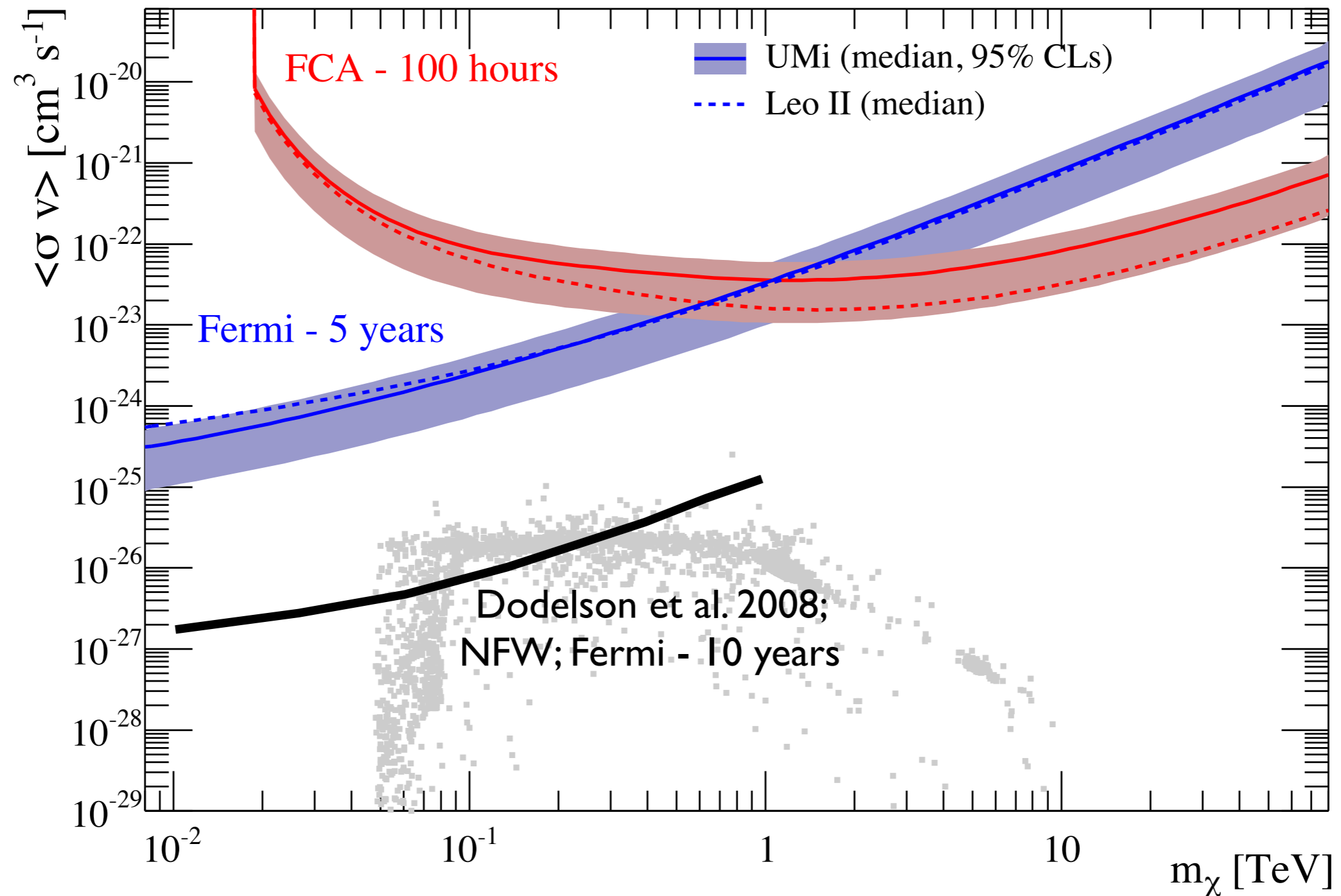
The bottom line ...



Charbonnier, A.; Combet, C.; Daniel, M.; Funk, S.; Hinton, J. A.; Maurin, D.; Power, C.; Read, J. I.; Sarkar, S.; Walker, M. G.; Wilkinson, M. I. 2011

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The bottom line ...



Charbonnier, A.; Combet, C.; Daniel, M.; Funk, S.; Hinton, J. A.; Maurin, D.; Power, C.; Read, J. I.; Sarkar, S.; Walker, M. G.; Wilkinson, M. I. 2011

Conclusions

- On galaxy cluster scales dark matter is **cold** and seemingly ‘vanilla’.
- On LSB galaxy scales and below there is mounting evidence for **dark matter cores**. However, these can arise naturally as a consequence of rapid, multiple, gas inflows and outflows driven by mergers and supernovae. Improved simulations that successfully model hydrodynamic processes are vital to make further progress.
- Baryons are also important for estimating the local dark matter distribution. Including them leads to the expectation that our Galaxy has a **dark matter disc**.
- We have recently revisited the local dark matter density, finding: $\rho_{\text{DM}} = 0.98 \pm 0.5 \text{ GeV/cm}^3$. This may be at tension with simple extrapolations from the Milky Way rotation curve.
- The Galactic centre is really the only game in town for annihilation signals for current/planned instruments [unless Sommerfeld ...].