

University of Southern Denmark

Composite Dynamics vs LHC

Francesco Sannino

CP³ - Origins

Particle Physics & Cosmology

Nordita June 2012













Fermi Scale

 $v = 1/\sqrt{\sqrt{2}G_F} \approx 246 \text{ GeV}$

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Top has the right energy scale!

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$$\begin{split} M_W &= g \; \frac{v}{2} \approx g \; 123 \; \text{GeV} \\ M_H &= \lambda \; \sqrt{2} \; v \approx \lambda \; 345 \; \text{GeV} \\ m_f &= \lambda_f \frac{v}{\sqrt{2}} \approx \lambda_f \; 174 \; \text{GeV} \quad \text{or zero [E. Eichten]} \end{split}$$

Top has the right energy scale!

Light quarks and leptons are also natural!

O' Higgs, where art thou!



Excluded @ 95% CL

 $112.7 < M_H < 115.5 \text{ GeV}$ $131 < M_H < 453 \text{ GeV}$ except 237 - 251 GeV











 $pp \to \gamma \gamma \ 4.9 \text{fb}^{-1} \ m_H = 126.5 \pm 0.7 \text{ GeV} \ R = 2^{+0.9}_{-0.7}$

 $pp \to WW^* \to \ell^+ \nu \ell'^- \bar{\nu}' \quad 4.7 \text{fb}^{-1} \text{ no excess } R = 0.16^{+0.6}_{-0.6} @126 \text{GeV}$ $pp \to ZZ^* \to \ell^+ \ell^- \ell'^- \ell'^+ \quad 4.8 \text{fb}^{-1} \quad m_{\text{H}} = 126 \pm 2 \text{ GeV } R = 1.2^{+1.2}_{-0.8}$





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• Maybe yes



A new particle?

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- SM Higgs ?
- Low scale SUSY ?
- Composite ?
- ??
- Maybe not

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- Composite ?
- Flavor scale SUSY ?

• ??

What if Higgs-like state is there?

"Higgs" @ 125 GeV vs unitarity scale:

$$\frac{M_H}{1.2 \text{ TeV}} \simeq 0.1$$
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$$\langle D|\partial_{\mu}D^{\mu}|0\rangle = -f_D m_D^2$$

Di Vecchia, like the eta pirme

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• What kind of models can do this?

• Conformal technicolor models (Light Composite Higgs)

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$$\frac{M_H}{v} \simeq (N_f^c - N_f)^{\nu}$$

Dietrich, Sannino, Tuominen hep-ph/0510217 Dietrich, Sannino hep-ph/0611341

- u critical exponent
- N_f^c critical number of techniflavors for conformality

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- Explicit examples?
 - Calculable perturbative examples

Grinstein, Uttayarat 1105.2370 Antipin, Mojaza, Sannino 1107.2932

Compositeness





• Standard Model Fermions are composite [Preons]



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- Partial compositeness: Bosonic/SUSY Technicolor ...



- Standard Model Fermions are composite [Preons]
- Partial compositeness: Bosonic/SUSY Technicolor ...
- X compositeness



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SM goes magnetic



SM goes magnetic


SM goes magnetic



SM goes magnetic



SM goes magnetic



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Electro - Magnetic



Electro - Magnetic



Large N QCD is an example



No fundamental scalars in the electric description

eSM contains only fermions



Could one explain why we have at least 3 families?

A SM-like example



$$N_f = 2n_g$$

Pati-Salam Lepton - Quark Unification

A SM-like example



$$N_f = 2n_g$$

Pati-Salam Lepton - Quark Unification



A SM-like example



Adding stuff..

Fields	[<i>SU</i> (4)]	$SU(N_f)_L$	$SU(N_f)_R$	$U(1)_{p}$	$U(1)_{AF}$
λ_m	Adj	1	1	0	1
p p			1	$\frac{2n_g-4}{4}$	$-\frac{4}{2n_{\varphi}}$
\widetilde{p}		1		$-\frac{2n_g-4}{4}$	$-\frac{4}{2n_{\sigma}}$
Φ_p			1	$\frac{2n_g-4}{4}$	$-\frac{2n_g^{\delta}-4}{2n_{\alpha}}$
$\widetilde{\Phi}_{\widetilde{p}}$		1		$-\frac{2n_g-4}{4}$	$-\frac{2n_g-4}{2n_g}$
M	1			0	$-1 + \frac{8}{2n_{\sigma}}$
H	1			0	$\frac{8}{2n_g}^{\delta}$

Adding stuff..



Adding stuff..



• 't Hooft AMC

Nardecchia, Mojaza, Pica, Sannino 1101.1522

• Flavor Decoupling



Sannino 1102.5100



• The Higgs in electric variable is: $H = P\lambda\lambda\widetilde{P}$

Sannino 1102.5100



- The Higgs in electric variable is: $H = P\lambda\lambda\widetilde{P}$
- Bound on the number of generations:

$$3 \le n_g \le 6$$

Sannino 1102.5100



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Sannino 1102.5100

Much needs to be tested...

• eSM bound states at the TeV scale

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- Vector like top particles

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- Ordinary Higgs + excitations

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- Vector like top particles
- Ordinary Higgs + excitations
- Non Higgs composite scalars

Back to Technicolor









$L(H) \to -\frac{1}{4} F^{a\mu\nu} F^a_{\mu\nu} + i \bar{Q} \gamma^\mu D_\mu Q + \cdots$

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Dots are partially fixed by Anomalies as well as other principles

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$\cdots \rightarrow L(\text{New SM Fermions})$





Natural to use QCD-like dynamics.



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 $SU(N)_{TC} \times SU(3)_C \times SU_L(2) \times U_Y(1)$



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 $SU(N)_{TC} \times SU(3)_C \times SU_L(2) \times U_Y(1)$

$$\langle Q^f \tilde{Q}_{f'} \rangle = \Lambda^3_{TC} \qquad \qquad \Lambda_{TC} \simeq 1 \text{ TeV}$$

Need novel dynamics

Large & Positive S from QCD-like Technicolor



SU(3) + 1 Fund. Doublet

Weinberg, Susskind

SM Fermion Masses
Extending Technicolor





Eichten & Lane 80



Eichten & Lane 80



Eichten & Lane 80

$$\alpha_{ab} \frac{\bar{Q} T^a Q \bar{Q} T^b Q}{\Lambda_{ETC}^2} + \beta_{ab} \frac{\bar{Q}_L T^a Q_R \bar{\psi}_R T^b \psi_L}{\Lambda_{ETC}^2} + \gamma_{ab} \frac{\bar{\psi}_L T^a \psi_R \bar{\psi}_R T^b \psi_L}{\Lambda_{ETC}^2} + \dots$$



Eichten & Lane 80





Eichten & Lane 80





Eichten & Lane 80







Antola, Di Chira, Sannino, Tuominen 10,11













Need to go beyond QCD



$$\delta = n_f - n_f^c$$

Miransky 85 Miransky & Yamawaki 89 Miransky & Yamawaki 97 Yamawaki, Bando, Matumoto 86 Appelquist, Karabali, Wijewardhana 86



Walking



[©] Francesco Sannino

Condensate Enhancement

$$\langle \bar{Q}Q \rangle_{\mu} = \exp\left(\int_{\alpha(\Lambda)}^{\alpha(\mu)} \mathrm{d}\alpha \frac{\gamma(\alpha)}{-\alpha^{2}((\alpha-1)^{2}+|\delta|)}\right) \langle \bar{Q}Q \rangle_{\Lambda}$$

$$\simeq \exp\left(\gamma(1) \int_{\alpha(\Lambda)}^{\alpha(\mu)} \mathrm{d}\alpha \frac{1}{\beta_{MY}}\right) \langle \bar{Q}Q \rangle_{\Lambda} = \left(\frac{\mu}{\Lambda}\right)^{\gamma(1)} \langle \bar{Q}Q \rangle_{\Lambda}$$

$$m_{\rm f} \approx \frac{g_{ETC}^2}{\Lambda_{ETC}^2} < \bar{Q}Q >_{ETC} = \frac{g_{ETC}^2}{\Lambda_{ETC}^2} \left(\frac{\Lambda_{ETC}}{\Lambda_{TC}}\right)^{\gamma(\alpha^*)} < \bar{Q}Q >_{TC}$$

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If large anomalous dimension, around $\gamma(\alpha^*) \sim 1.7$

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Fermion Mass Enhancement & FCNC decoupling





Sannino 2012

Jumping



Jumping



Walking or Jumping?



Walking or Jumping?



© Francesco Sannino

Walking or Jumping?





• Minimal Technicolor passing precision tests

- Minimal Technicolor passing precision tests
- ETC for Fermion masses generation

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- ETC for Fermion masses generation
- Non QCD dynamics / Walking not Jumping

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- Large mass anomalous dimensions

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- Non QCD dynamics / Walking not Jumping
- Large mass anomalous dimensions
- Dark matter candidates

SU(N) Phase Diagram



Ν
SU(N) Phase Diagram



SU(N) Phase Diagram



Ν

$\int_{\alpha} SU(N)$ Phase Diagram



N

SU(N) Phase Diagram



N

SU(N) Phase Diagram



No seriously, Walking?



Dietrich Sannino 06 Fukano & Sannino 10

No seriously, Walking?



Dietrich Sannino 06 Fukano & Sannino 10

How can one tune an integer number?

No seriously, Walking?



Dietrich Sannino 06 Fukano & Sannino 10

How can one tune an integer number?

Anomalous dimensions may be small

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Fukano & Sannino 10

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Appelquist, Soldate, Takeuchi and Wijewardhana, 88 Miranky and Yamawaki 88 Kondo, Mino, Yamawaki 89 Takeuchi 96 Yamawaki, Kurachi and Shrock 08

Fukano & Sannino 10



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Fukano & Sannino 10

• As if the number of flavors is continuous



- As if the number of flavors is continuous
- Anomalous dimensions increase



Fukano & Sannino 10

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• Phenomenologically viable

- As if the number of flavors is continuous
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- Phenomenologically viable
- Being tested!

iWalk recipe

- TC in isolation is in the CW
- Strong four fermion brings theory out of CW



U D



Sannino & Tuominen 04 Dietrich, Sannino, Tuominen 05 Frandsen, Masina, Sannino 09

• Minimal WT $SU(2)_{TC} \square \begin{matrix} \mathbf{U} & \mathbf{N} \\ \mathbf{D} & \mathbf{E} \end{matrix}$

Sannino & Tuominen 04 Dietrich, Sannino, Tuominen 05 Frandsen, Masina, Sannino 09



Sannino, Tuominen 04 Dietrich, Sannino, Tuominen 05

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Sannino & Tuominen 04 Dietrich, Sannino, Tuominen 05 Frandsen, Masina, Sannino 09

• Next to MWT $SU(3)_{TC} \square \begin{bmatrix} \mathbf{U} \\ \mathbf{D} \end{bmatrix}$

Sannino, Tuominen 04 Dietrich, Sannino, Tuominen 05

• Orthogonal $SO(4)_{TC} \square \begin{matrix} \mathbf{U} \\ \mathbf{D} \end{matrix}$

Frandsen, Sannino 09

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• Orthogonal $SO(4)_{TC} \square \begin{bmatrix} \mathbf{U} \\ \mathbf{D} \end{bmatrix}$

Frandsen, Sannino 09

• Ultra MT $SU(2)_{TC} \square \begin{bmatrix} \mathbf{U} \\ \mathbf{D} \end{bmatrix}$

Ryttov & Sannino 08

Vanilla TC

(Next) Minimal Walking Technicolor

(Next) Minimal Walking Technicolor

• Next to minimal is just outside the conformal window

Fodor, Holland, Kuti, Nogradi, Schroeder, Wong

(Next) Minimal Walking Technicolor

Minimal Walking TC is ideal for iWalk

Catterall & Sannino; Del Debbio, Lucini Patella, Pica, Rago Hietanen, Rummukainen, Tuominen Catterall, Giedt, Sannino

• Next to minimal is just outside the conformal window

Fodor, Holland, Kuti, Nogradi, Schroeder, Wong



U(I)

SU(2)

SU(3)

F.S. + Tuominen 04 Dietrich, F.S., Tuominen 05



U and D: Adj of SU(2)

S beyond TC...



$S = S_{(W)TC} + S_{NS}$







 $S = S_{(W)TC} + S_{NS}$

Offset the first term

New Leptons

Fermions :
$$\psi_L = \begin{pmatrix} \psi_{1L} \\ \psi_{2L} \end{pmatrix}$$
, ψ_{1R} , ψ_{2R}
Hypercharge : Y , $Y + \frac{1}{2}$, $Y - \frac{1}{2}$

$$S_{\text{Leptons}} = \frac{1}{6\pi} \left[1 - 2Y \ln\left(\frac{M_1}{M_2}\right)^2 + \frac{1 + 8Y}{20} \left(\frac{m_Z}{M_1}\right)^2 + \frac{1 - 8Y}{20} \left(\frac{m_Z}{M_2}\right)^2 + O\left(\frac{m_Z^4}{M_i^4}\right) \right]$$

$$M_{1,2}^2 \gg m_Z^2$$

New Leptons & Precision Data



Exotic Leptonic hypercharge Y=-3/2

Standard Model Leptonic hypercharge

MWT Lagrangian

$$\mathcal{L}_{H} \rightarrow -\frac{1}{4} \mathcal{F}^{a}_{\mu\nu} \mathcal{F}^{a\mu\nu} + i\bar{Q}_{L}\gamma^{\mu}D_{\mu}Q_{L} + i\bar{U}_{R}\gamma^{\mu}D_{\mu}U_{R} + i\bar{D}_{R}\gamma^{\mu}D_{\mu}D_{R}$$
$$+i\bar{L}_{L}\gamma^{\mu}D_{\mu}L_{L} + i\bar{N}_{R}\gamma^{\mu}D_{\mu}N_{R} + i\bar{E}_{R}\gamma^{\mu}D_{\mu}E_{R}$$

$$\mathcal{F}^{a}_{\mu\nu} = \partial_{\mu}\mathcal{A}^{a}_{\nu} - \partial_{\nu}\mathcal{A}^{a}_{\mu} + g_{TC}\epsilon^{abc}\mathcal{A}^{b}_{\mu}\mathcal{A}^{c}_{\nu} \qquad a, b, c = 1, \dots, 3$$

$$D_{\mu}Q_{L}^{a} = \left(\delta^{ac}\partial_{\mu} + g_{TC}\mathcal{A}^{b}_{\mu}\epsilon^{abc} - i\frac{g}{2}\vec{W}_{\mu}\cdot\vec{\tau}\delta^{ac} - ig'\frac{y}{2}B_{\mu}\delta^{ac}\right)Q_{L}^{c}$$
MWT Lagrangian

$$\mathcal{L}_{H} \rightarrow \left(\frac{1}{4} \mathcal{F}^{a}_{\mu\nu} \mathcal{F}^{a\mu\nu} + i\bar{Q}_{L}\gamma^{\mu}D_{\mu}Q_{L} + i\bar{U}_{R}\gamma^{\mu}D_{\mu}U_{R} + i\bar{D}_{R}\gamma^{\mu}D_{\mu}D_{R} \right)$$
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$$\mathcal{F}^{a}_{\mu\nu} = \partial_{\mu}\mathcal{A}^{a}_{\nu} - \partial_{\nu}\mathcal{A}^{a}_{\mu} + g_{TC}\epsilon^{abc}\mathcal{A}^{b}_{\mu}\mathcal{A}^{c}_{\nu} \qquad a, b, c = 1, \dots, 3$$

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What you see is "not" what LHC will see

MWT Effective Lagrangian

 $\mathcal{L}(\text{Composites}) + \mathcal{L}(\text{Mixing with SM}) + \mathcal{L}(\text{New Leptons}) + \mathcal{L}(\text{SM} - \text{Higgs})$

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Composite Higgs

Composite Axial - Vector States



MWT Effective Lagrangian

 $\mathcal{L}(\text{Composites}) + \mathcal{L}(\text{Mixing with SM}) + \mathcal{L}(\text{New Leptons}) + \mathcal{L}(\text{SM} - \text{Higgs})$

Composite Higgs

Composite Axial - Vector States



Heavy Electron

2 Heavy Majoranas

Frandsen, Masina, Sannino 09

Hapola, Masina, Sannino 11



Effective Theory for LHC

Vector Mesons

Yukawas

Link to MWT via 2nd modified Weinberg Sum Rule [Appelquist - Sannino]

Written in a renormalizable form

With imposed constraints from Precision Data

Effective Theory for LHC

Vector Mesons

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Written in a renormalizable form

With imposed constraints from Precision Data

A working technicolor benchmark

Constraining MWT



Constraining MWT



Belyaev, Foad, Frandsen, Jarvinen, Pukhov, Sannino 08 M_A (TeV)

• TC theories with smallest naive S-parameter

- TC theories with smallest naive S-parameter
- Non-traditional ETC

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- Simplest theory with dark matter candidate

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SU(2) with two Dirac fundamental flavors

Ryttov, Sannino 08 Appelquist, Sannino 98 Lewis, Pica, Sannino 2011

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SU(2) with two Dirac fundamental flavors

Ryttov, Sannino 08 Appelquist, Sannino 98 Lewis, Pica, Sannino 2011

• Could be made walking by adding EW singlets techniquarks

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• X compositeness

• Walking & jumping

Conclusions

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• Minimal walking models are S-safer

Conclusions

- X compositeness
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- Minimal TC signals at the LHC by Järvinen