

New picture of jet quenching dictated by color coherence Konrad Tywoniuk

Work done in collaboration with: Y. Mehtar-Tani, C.A. Salgado, J. Casalderrey-Solana

Partikeldagarna 2012, Stockholm 26-27 November 2012









Induced radiation carry an imprint of the medium characteristics.

one-gluon spectrum (BDMPS-Z, GLV, HT,...)

inclusive observablesenergy loss of particle



- one-gluon spectrum (BDMPS-Z, GLV, HT,...)
 - inclusive observablesenergy loss of particle
 - ? (working models)
 - exclusive observablesjet substructure





$$\lambda_{\perp} \sim \frac{1}{k_{\perp}} = \frac{1}{\omega \theta}$$
$$r_{\perp} \sim \theta_0 t_f = \frac{\theta_0}{\omega \theta^2}$$

- antenna grows during the formation time of the gluon
- λ⊥≪r⊥: gluon resolves the charges of antenna legs
- λ⊥≫r⊥: gluon resolves the total charge (0 if color singlet)

$$\lambda_{\perp} < r_{\perp} \rightarrow \theta < \theta_0$$

$$k_{\perp} < \mathbf{z}Q$$

Angular ordering condition!

Coherent parton evolution



Jet scale: $Q = E\Theta_{jet}$

$$\frac{d}{d\ln M_{\perp}} D_A^B(x, M_{\perp}) = \frac{\alpha_s}{2\pi} \int_x^1 \frac{dz}{z} P_A^C(z) D_C^B(x/z, z M_{\perp})$$

$$\theta' \sim \theta_{jet} \to M'_{\perp} = \omega' \theta' \sim \omega' \theta_{jet} = z M_{\perp}$$

Coherent parton evolution

 $\begin{array}{ccc} & & & & \\ & & & \\ &$

$$\frac{d}{d\ln M_{\perp}} D_A^B(x, M_{\perp}) = \frac{\alpha_s}{2\pi} \int_x^1 \frac{dz}{z} P_A^C(z) D_C^B(x/z, z M_{\perp})$$

$$\theta' \sim \theta_{jet} \rightarrow M'_{\perp} = \omega' \theta' \sim \omega' \theta_{jet} = z M_{\perp}$$

Coherent parton evolution

Jet scale: $Q = E\Theta_{jet}$ ω В $\frac{d}{d\log Q} D_A^B(x, Q) = \frac{\alpha_s}{2\pi} \int_x^1 dz P_{+A}^C(z) D_C^B(x/z, \mathbf{Z}Q)$ $Q' = \omega' \theta' \sim \omega' \Theta_{\text{jet}} = zQ \quad \rightarrow \text{effective scale}$ D100 incoh: Q = 1000 GeV $B_{T}(x/z, z M_{\perp})$ incoh: Q = 500 GeV • suppression of soft particles coh: Q = 1000 GeV 10 coh: Q = 500 GeV $\begin{array}{c} \text{at large angles} \\ = \omega' \theta' \sim \omega' \theta_{jet} = z M_{\perp} \end{array}$ D(x,Q) basis for precision pQCD 1.8 1.3 • jet is a well-calibrated probe! 0.8 0.01 0.3 0.001 Bassetto, Ciafaloni, Marchesini, Mueller, 0.01 0.1 Dokshitzer, Fadin, Lipatov (80's) 0.001 Х





In the deconfined medium

Radiative processes

- induced radiation
- absorptive reactions

Elastic processes

- momentum broadening
- drag effects

Can we get a handle on each/one separately?

Identify the typical momentum & time scales:

vacuum ⇔ medium

quantum⇔classical[pQCD][Boltzman eq., ...]



How is the medium resolved

- medium fluctuates with typical transverse wave length Q_s-1
- zero color on average, $\lambda > Q_s^{-1}$
- resolved by $\lambda < Q_s^{-1}$



How is the medium resolved

- medium fluctuates with typical transverse wave length Q_s-1
- zero color on average, $\lambda > Q_s^{-1}$
- resolved by $\lambda < Q_s^{-1}$



How is the medium resolved

- medium fluctuates with typical transverse wave length Q_s-1
- zero color on average, $\lambda > Q_s^{-1}$
- resolved by $\lambda < Q_s^{-1}$

What probes the medium?





How is the medium resolved

- medium fluctuates with typical transverse wave length Q_s-1
- zero color on average, $\lambda > Q_s^{-1}$
- resolved by $\lambda < Q_s^{-1}$

What probes the medium?

$$Q_s^2(t) = \hat{q}t$$

transverse momentum sq. per unit t x length

Medium-induced radiation



Mehtar-Tani, Salgado, KT JHEP 1210, 197, Blaizot, Dominguez, Iancu, Mehtar-Tani arXiv:1209.4585

LPM effect in QCD

$$t_{\rm form} = \lambda_{\rm mfp} N_{\rm coh}$$

$$t_{\rm form} = \sqrt{\omega/\hat{q}}$$

$$k_{\rm ind}^2 = \mu^2 N_{\rm coh}$$

$$k_{\rm ind}^2 = \sqrt{\hat{q}\omega}$$

- soft gluons are formed rapidly!
- in contrast to the vacuum
- induced gluon is de-correlated!

Baier, Dokshitzer, Mueller, Peigné, Schiff (1997-2000), Zakharov (1996), Wiedemann (2000), Gyulassy, Levai, Vitev (2000), Arnold, Moore, Yaffe (2001)

Medium-induced radiation



LPM effect in QCD

$$t_{\rm form} = \lambda_{\rm mfp} N_{\rm coh}$$

$$t_{\rm form} = \sqrt{\omega/\hat{q}}$$

$$k_{\rm ind}^2 = \mu^2 N_{\rm coh}$$

$$k_{\rm ind}^2 = \sqrt{\hat{q}\omega}$$

- soft gluons are formed rapidly!
- in contrast to the vacuum
- induced gluon is de-correlated!

Dominguez, Iancu, Mehtar-Tani arXiv:1209.4585

$$\omega \frac{dN}{d\omega} \propto \alpha_s \frac{L}{t_{\rm form}} = \alpha_s \sqrt{\frac{\hat{q}L^2}{\omega}}$$

Energy loss:

$$\Delta E \propto \hat{q} L^2$$

Baier, Dokshitzer, Mueller, Peigné, Schiff (1997-2000), Zakharov (1996), Wiedemann (2000), Gyulassy, Levai, Vitev (2000), Arnold, Moore, Yaffe (2001)

Interferences in the medium

Mehtar-Tani, Salgado, KT PRL106,122002; PLB 707, 156; JHEP 1204, 064; JHEP 1210, 197 Casalderrey-Solana, Iancu JHEP 1108 (2011) 015

Importance of interferences:

- condition: color correlation between emitters
- what is the probability that the pair remains correlated?

$$\Delta_{\rm med}(\mathbf{t}) = 1 - \exp\left(-\frac{1}{12}r_{\perp}^2 Q_s^2(\mathbf{t})\right)$$

decoherence parameter



Interferences in the medium

Mehtar-Tani, Salgado, KT PRL106,122002; PLB 707, 156; JHEP 1204, 064; JHEP 1210, 197 Casalderrey-Solana, lancu JHEP 1108 (2011) 015 $Q_s^2(t) = \hat{q}t$

Importance of interferences:

- condition: color correlation between emitters
- what is the probability that the pair remains correlated?

$$\Delta_{\rm med}(\mathbf{t}) = 1 - \exp\left(-\frac{1}{12}r_{\perp}^2 Q_s^2(\mathbf{t})\right) \implies$$

decoherence parameter

 $t_d = (\hat{q}\theta_0^2)^{-1/3}$ characteristic

 θ_0

 $= \theta_0 t$

decoherence time

Interferences in the medium

Mehtar-Tani, Salgado, KT PRL106,122002; PLB 707, 156; JHEP 1204, 064; JHEP 1210, 197 Casalderrey-Solana, lancu JHEP 1108 (2011) 015

Importance of interferences:

- condition: color correlation between emitters
- what is the probability that the pair remains correlated?

$$\Delta_{\rm med}(\mathbf{t}) = 1 - \exp\left(-\frac{1}{12}r_{\perp}^2 Q_s^2(\mathbf{t})\right) \implies$$

decoherence parameter

characteristic decoherence time

 $t_d = (\hat{q}\theta_0^2)^{-1/3}$

- at $t > t_d$: independent radiation
- at short timescales: sensitive to interferences





A simple conclusion



- •Shower size < $1/Qs \Rightarrow$ rad. as the total charge
- •Shower size > $1/Qs \Rightarrow$ rad. as a independent partons

Medium acts in a two-fold way: resolves effective charges & induces radiation



Casalderrey-Solana, Mehtar-Tani, Salgado, KT arXiv:1210.7765

$$\begin{split} \Delta_{\rm med} &= 1 - \exp\left(-\frac{1}{12}r_{\perp}^2Q_s^2(t_f)\right)\\ \lambda_{\perp} &\sim 1/k_{\perp} \end{split}$$

t₀

to+tf



Casalderrey-Solana, Mehtar-Tani, Salgado, KT arXiv:1210.7765

consider local scales

to t_0+t_f $\Delta_{\rm med} = 1 - \exp\left(-\frac{1}{12}r_{\perp}^2Q_s^2(t_f)\right)$ $\lambda_{\perp} \sim 1/k_{\perp}$



t₀

Casalderrey-Solana, Mehtar-Tani, Salgado, KT arXiv:1210.7765

- consider local scales
- $r_{\perp} \ll Q_s^{-1}$: unresolved

• all modes
$$\lambda_{\perp} \ll Q_s^{-1}$$

$$\begin{split} \Delta_{\rm med} &= 1 - \exp\left(-\frac{1}{12}r_{\perp}^2Q_s^2(t_f)\right)\\ \lambda_{\perp} &\sim 1/k_{\perp} \end{split}$$

 $t_0 + t_f$



t₀

Casalderrey-Solana, Mehtar-Tani, Salgado, KT arXiv:1210.7765

- consider local scales
- $r_{\perp} \ll Q_s^{-1}$: unresolved
 - all modes $\lambda_{\perp} \ll Q_s^{-1}$
- $r_{\perp} \gg Q_s^{-1}$: resolved
 - $\lambda_{\perp} < Q_s^{-1}$: coherence
 - $\lambda_{\perp} > Q_s^{-1}$: decoherence
- $$\begin{split} \Delta_{\rm med} &= 1 \exp\left(-\frac{1}{12}r_{\perp}^2Q_s^2(t_f)\right)\\ \lambda_{\perp} &\sim 1/k_{\perp} \end{split}$$

 $t_0 + t_f$



to to+tf

$$\begin{split} \Delta_{\rm med} &= 1 - \exp\left(-\frac{1}{12}r_{\perp}^2 Q_s^2(t_f)\right)\\ \lambda_{\perp} &\sim 1/k_{\perp} \end{split}$$

Casalderrey-Solana, Mehtar-Tani, Salgado, KT arXiv:1210.7765

- consider local scales
- $r_{\perp} \ll Q_s^{-1}$: unresolved
 - all modes $\lambda_{\perp} \ll Q_s^{-1}$
- $r_{\perp} \gg Q_s^{-1}$: resolved
 - $\lambda_{\perp} < Q_s^{-1}$: coherence
 - $\lambda_{\perp} > Q_s^{-1}$: decoherence
 - → hard modes are never resolved!

Generic scaling will involve the medium length L In terms of angles: $\Delta_{\rm med} = 1 - e^{-\Theta_{\rm jet}^2/\theta_c^2}$

Generic scaling will involve the medium length L

In terms of angles:

$$\Delta_{\rm med} = 1 - e^{-\Theta_{\rm jet}^2/\theta_c^2}$$
jet definition ($\Theta_{\rm jet}$ =R)!

Generic scaling will involve the medium length L

In terms of angles:

$$\begin{split} \Delta_{\rm med} &= 1 - e^{-\Theta_{\rm jet}^2/\theta_c^2} \\ \theta_c &= 1/\sqrt{\hat{q}L^3} \ \, \text{jet definition } (\Theta_{\rm jet}={\sf R})! \end{split}$$

Generic scaling will involve the medium length L

In terms of angles:

$$\begin{split} \Delta_{\rm med} &= 1 - e^{-\Theta_{\rm jet}^2/\theta_c^2} \\ \theta_c &= 1/\sqrt{\hat{q}L^3} \quad \text{jet definition } (\Theta_{\rm jet}={\sf R})! \end{split}$$



In central collisions: $\Theta_{jet} > \theta_c$

Generic scaling will involve the medium length L

In terms of angles:



In central collisions: $\Theta_{jet} > \theta_c$

$$\begin{split} \Delta_{\rm med} &= 1 - e^{-\Theta_{\rm jet}^2/\theta_c^2} \\ \theta_c &= 1/\sqrt{\hat{q}L^3} \ \, \text{jet definition } (\Theta_{\rm jet}={\sf R})! \end{split}$$

Coherent inner 'core'

- branchings occurring inside the medium with $\theta < \theta_c$
- modes with $\lambda_{\perp} < Q_s^{-1}$ (k_{\perp}>Q_s)
- $t_f < L \rightarrow Q_s^2 L < \omega < E$

Resolved effective charges



medium sees the jet in terms of effective charges

Relevant for LHC

Casalderrey, Mehtar-Tani, Salgado, KT arXiv:1210.7765

- studied the magnitude of the medium resolution @ LHC
- PYTHIA 8.150 + 3D hydro + FastJet (anti-kt, R = 0.3)
- substructure analysis with R_{med} = θ_c
- often we only have one effective fragment within R!
- contains most of the jet energy (jet core)

T. Hirano, P. Huovinen, and Y. Nara, Phys.Rev. C84, 011901 (2011); Phys.Rev. C83, 021902 (2011).



Relevant for LHC

Casalderrey, Mehtar-Tani, Salgado, KT arXiv:1210.7765

- studied the magnitude of the medium resolution @ LHC
- PYTHIA 8.150 + 3D hydro + FastJet (anti-kt, R = 0.3)
- substructure analysis with R_{med} = θ_c
- often we only have one effective fragment within R!
- contains most of the jet energy (jet core)

T. Hirano, P. Huovinen, and Y. Nara, Phys.Rev. C84, 011901 (2011); Phys.Rev. C83, 021902 (2011).

Relevant for LHC

Casalderrey, Mehtar-Tani, Salgado, KT arXiv:1210.7765

- studied the magnitude of the medium resolution @ LHC
- PYTHIA 8.150 + 3D hydro + FastJet (anti-kt, R = 0.3)
- substructure analysis with R_{med} = θ_c
- often we only have one effective fragment within R!
- contains most of the jet energy (jet core)

T. Hirano, P. Huovinen, and Y. Nara, Phys.Rev. C84, 011901 (2011); Phys.Rev. C83, 021902 (2011).

Modifications of the FF

MLLA: collimated modes $Q_0 < k_\perp < z E \theta_c$ Q_0 $z > \frac{1}{E\theta_{c}}$

no modification of the fragmentation function!

Modifications of the FF

MLLA: collimated modes $Q_0 < k_\perp < z E \theta_c$ $z > \frac{Q_0}{E\theta_c}$

no modification of the fragmentation function!

E.g. $\theta_c = 0.05$, E=100 GeV, $Q_o = 1$ GeV $\rightarrow \xi_c = 1.6$

Modifications of the FF

E.g. $\theta_c = 0.05$, E=100 GeV, $Q_o = 1$ GeV $\rightarrow \xi_c = 1.6$

- no modification of the distribution of collimated hard fragments
 - all constituents inside collimated sub-jet lose energy coherently!
- detailed aspects: need further study

Conclusions

- establishing an understanding of jet dynamics in medium in terms of hard scales
 - common framework for jet fragmentation & medium-induced radiation
- developing a space-time picture of radiation
- new picture of "jet quenching" dictated by color coherence emerges
 - appealing observables: collimated jets
 - precise estimate of medium parameters

Backup

Soft gluons with long formation times

- all particles radiate independently
- "memory loss": no color correlation to parent

Mehtar-Tani, Salgado, KT PRL106 (2011) 122002; PLB 707 (2011) 156

Modeling the medium

Medium modeled as a classical background field:

$$A_{\rm med}^{-}(x^{+}, x_{\perp}) = -\frac{1}{\partial_{\perp}^{2}}\rho_{\rm med}(x^{+}, x_{\perp}) \quad , \quad A_{\rm med}^{i} = A_{\rm med}^{+} = 0$$

Modeling the medium

Medium modeled as a classical background field:

 $\langle A^a_{\mathrm{med}}(t, \boldsymbol{q}) A^{*b}_{\mathrm{med}}(t', \boldsymbol{q}') \rangle = \delta^{ab} \delta(t - t') \delta(\boldsymbol{q} - \boldsymbol{q}') V^2(\boldsymbol{q})$

- standard in analyses of energy loss
- can be improved!
- consistency in treatment of other thermal effects [?]