

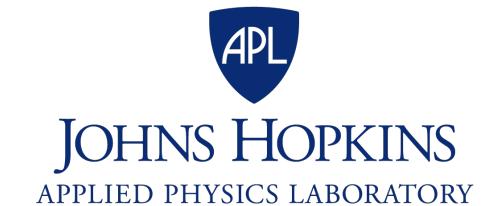


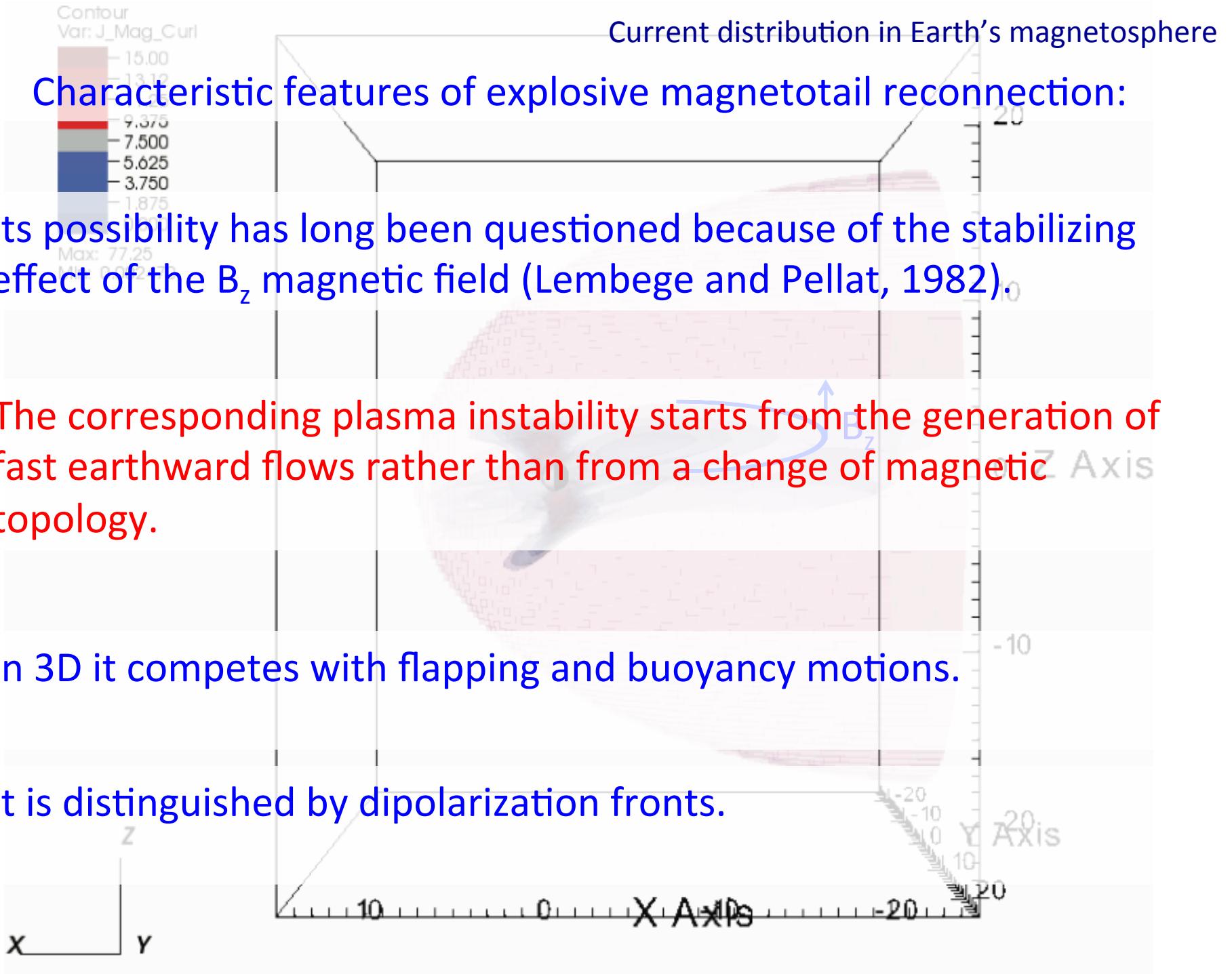
Magnetic Reconnection in Plasmas, Nordita, Stockholm, August 11, 2015

Three-dimensional kinetic picture of magnetic reconnection, buoyancy and flapping motions in the magnetotail

Collaborators: Slava Merkin, Marc Swisdak, Natasha Buzulukova, Tetsuo Motoba, Tom Moore, Barry Mauk, Shin Ohtani

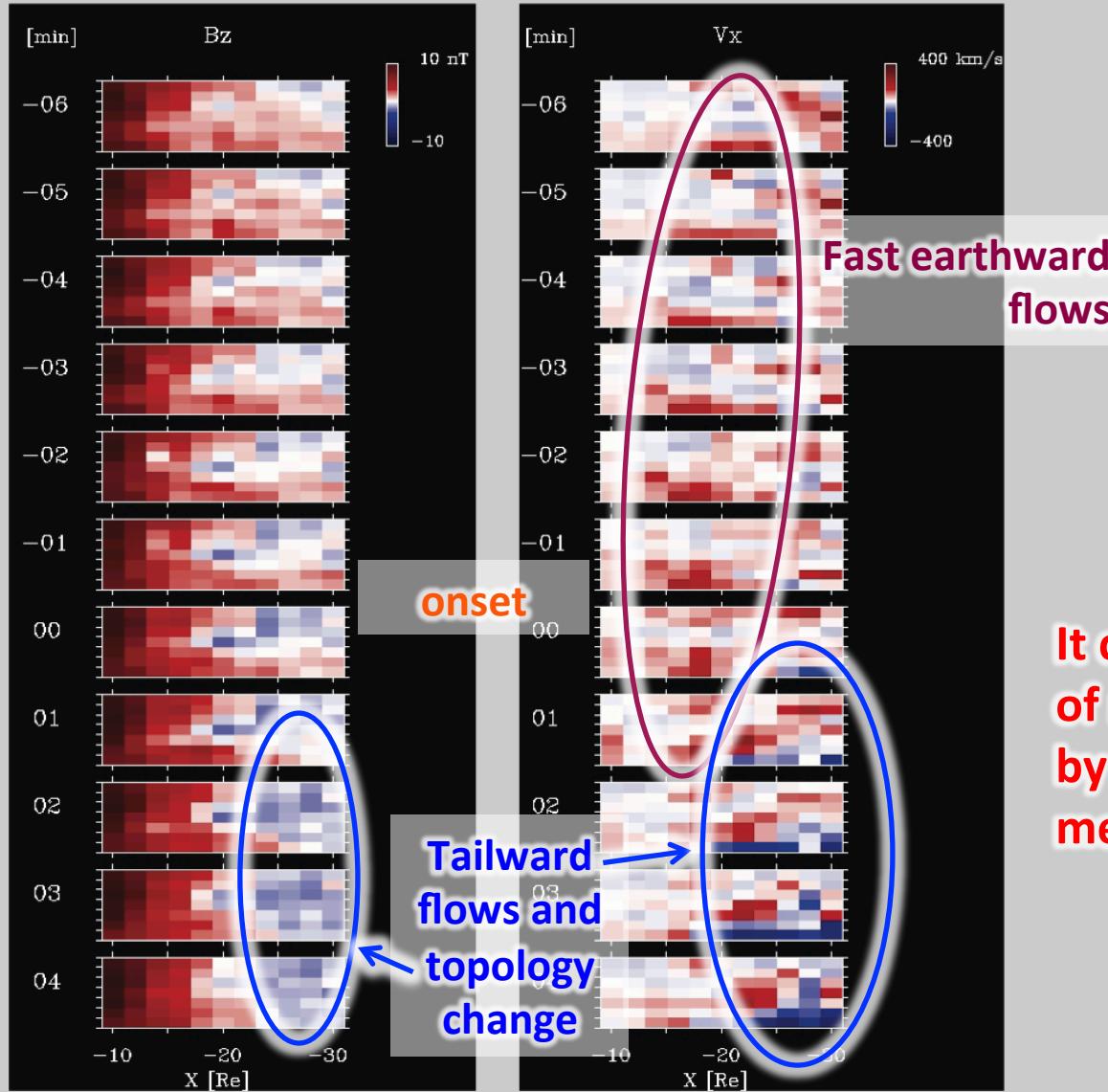
Mikhail Sitnov





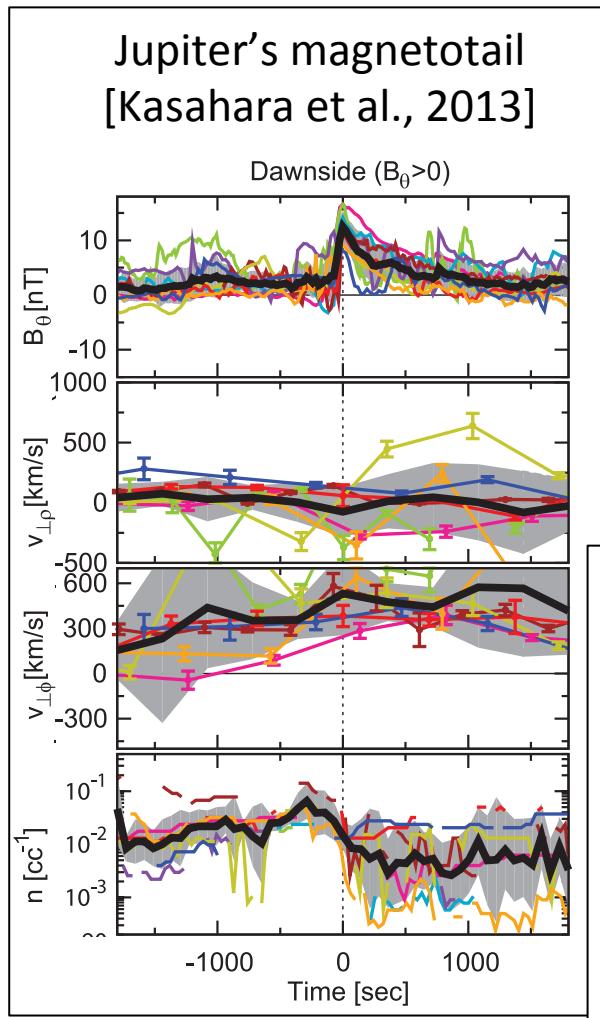
Magnetotail explosion (substorm) starts from the generation of fast earthward flows rather than from a change of magnetic topology

Machida et al. [2009]

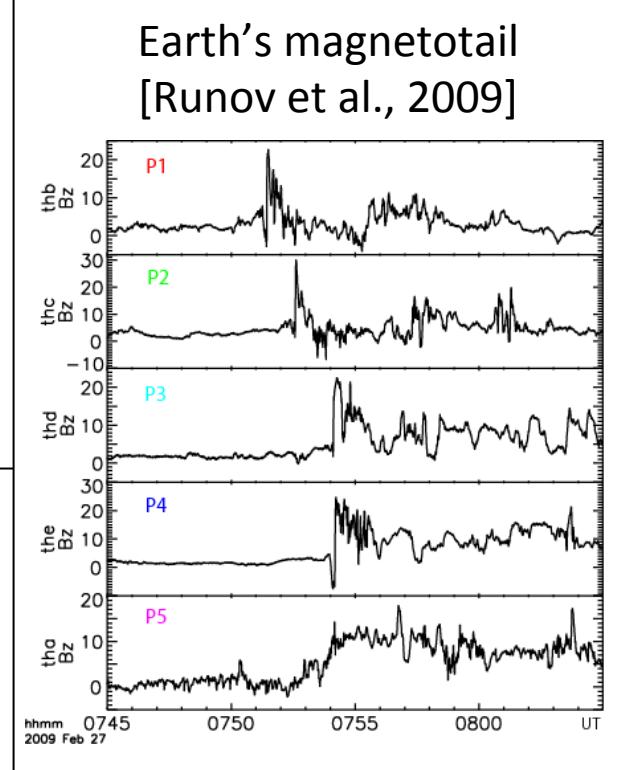


**It challenges explanation
of magnetotail explosions
by magnetic reconnection
mechanism**

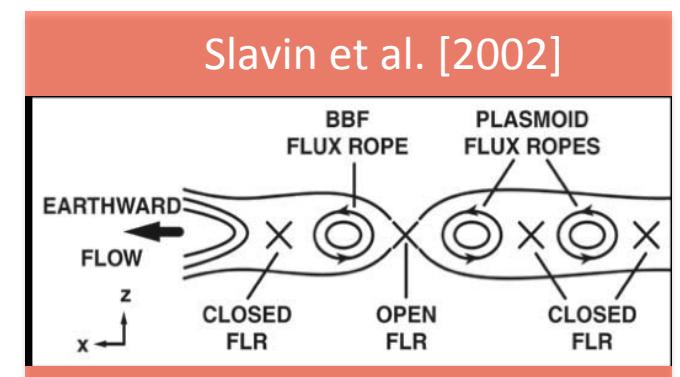
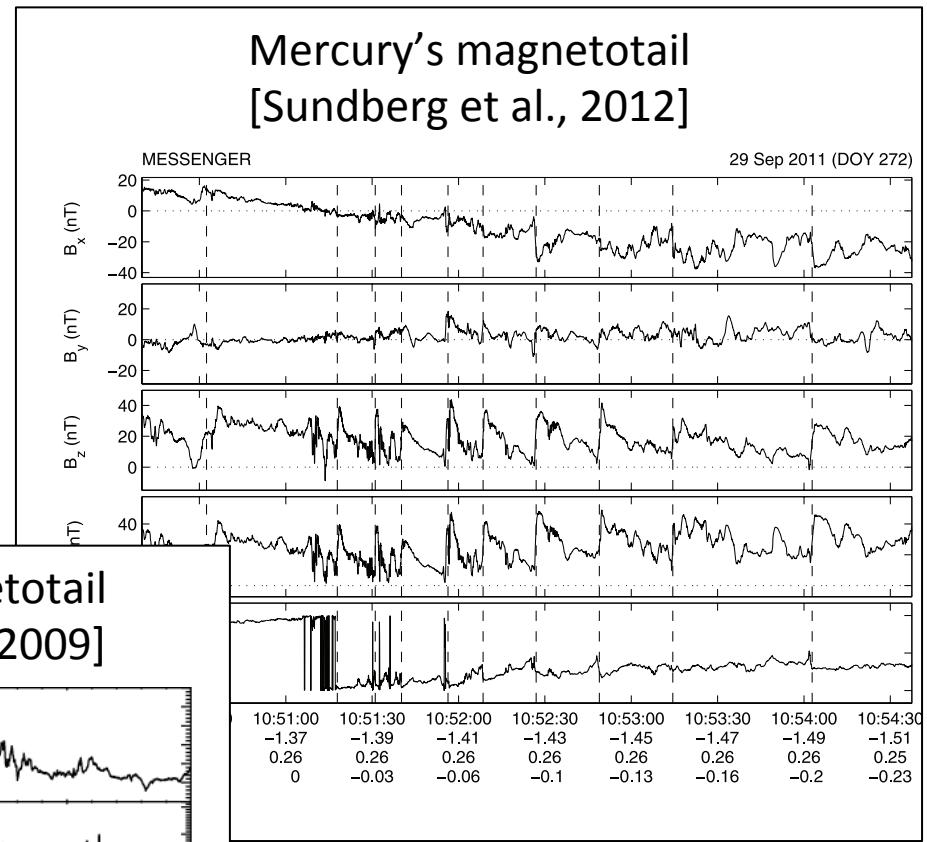
Dipolarization fronts challenge conventional reconnection picture



Conventional
reconnection
picture implies
bipolar B_z
perturbations!



No room for
multiple plasmoids!



Tearing linear stability theory

Coppi, Laval and Pellat [1966]: Electron tearing instability of 1D current sheet

Fairfield and Ness [1970]: $B_z \neq 0$

Schindler [1974]: Ion tearing instability

Lembege and Pellat [1982]:

$$\frac{kL_z B_0}{B_z} > \frac{4}{\pi}$$

Sufficient stability criterion for the ion tearing mode coincides with WKB approximation condition, which means that **spontaneous reconnection is not possible in the magnetotail**

Sitnov et al. [2010]: L&P stability criterion revisited

$$\frac{kL_z B_0}{\pi B_z} > \left(\frac{VB_z}{\pi L_z} \right)^2 \equiv C_d^2$$

Lembege and Pellat:

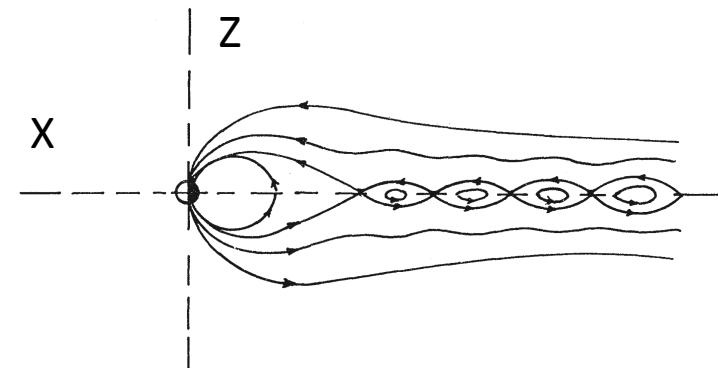
$$V = \int \frac{dl}{B} \approx \frac{2L_z}{B_z}$$

$C_d \leq 1$	- Stable
$C_d > 1$	- Potentially unstable

For equilibria [Schindler, 1972] $\psi = LB_0 \ln [\beta(x) \cosh(z/[L\beta(x)])]$ $\beta'_x / \beta = B_z / B_0$

The destabilization factor C_d can be presented in the form:

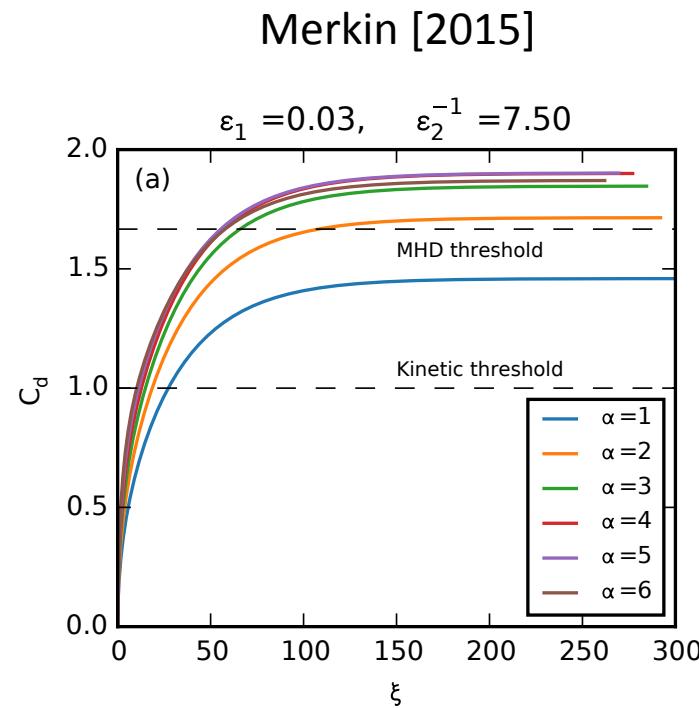
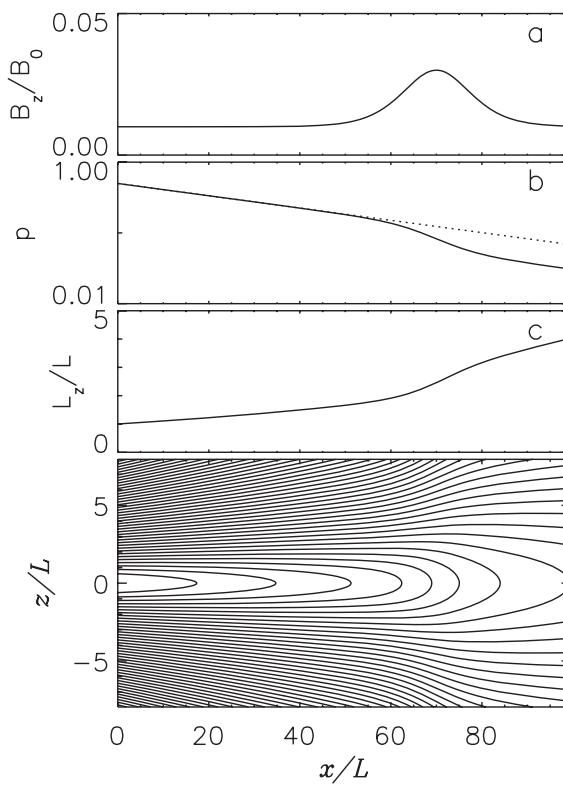
$$C_d = \frac{\beta'_x(x)}{\pi \beta(x)} \int_0^\infty \frac{\beta(x(u))}{\beta'_x(x(u))} \frac{du}{\sqrt{e^u - 1}}, \quad u = 2\psi/LB_0 - 2\ln \beta$$



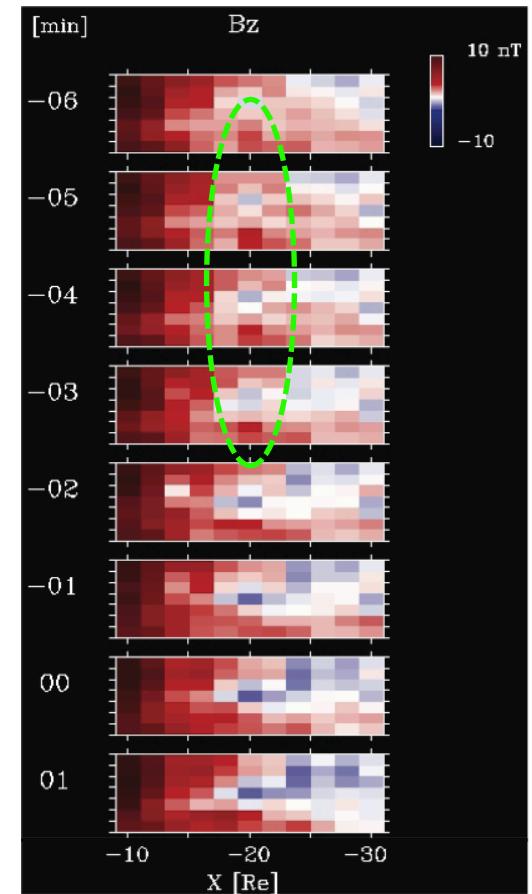
Tail configuration prior to onset

The only class of tail equilibria which have a potential for spontaneous reconnection onset must have a region of the tailward B_z gradient

$$B_z = \varepsilon_1 B_0 \left[1 + \frac{\alpha}{\cosh^2(\varepsilon_2(\xi - \xi_0))} \right] \quad \xi = x / L, \quad \varepsilon_1 \ll \varepsilon_2 \ll 1$$



Machida et al. [2009]



And it must be located sufficiently far from the planet

Sufficient instability condition

To be unstable the tail current sheet must also be sufficiently thin [Biskamp et al., 1970; Schindler, 1974; Pritchett et al, 1991; Brittnacher et al., 1995]:

$$L_z \leq \rho_{0i} (B_0 / B_z)^{1/\nu}$$

$\nu=5/2$ for $L_z >> \rho_{0i}$ and $\nu=3$ for $L_z < \rho_{0i}$

Here is a problem:

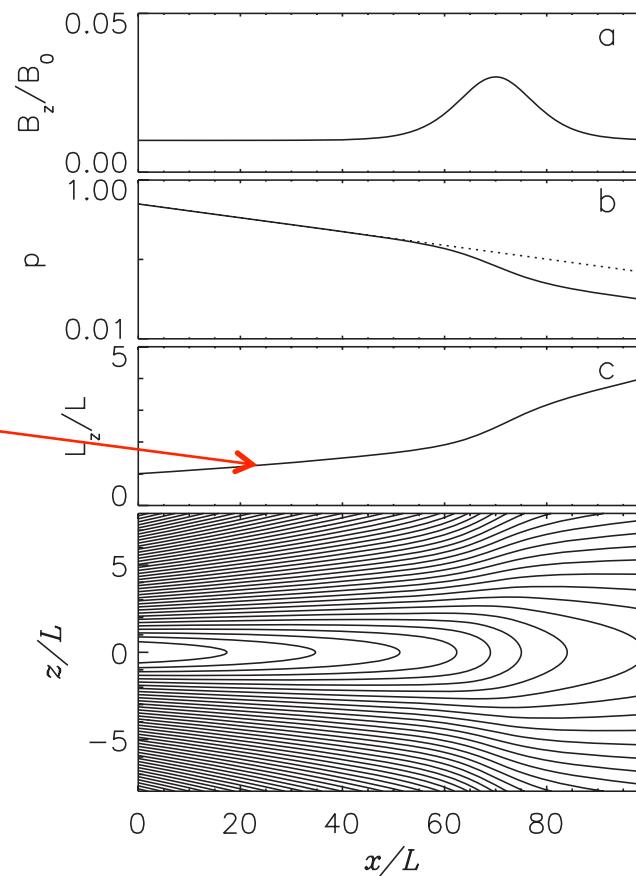
For 1972 Schindler-class magnetotail equilibria L_z is increasing tailward because

$$\frac{\partial(\log L_z)}{\partial x} = \frac{B_z}{LB_0}$$

To be more precise: $L_z \propto \rho_{0i} \propto 1/B_0$

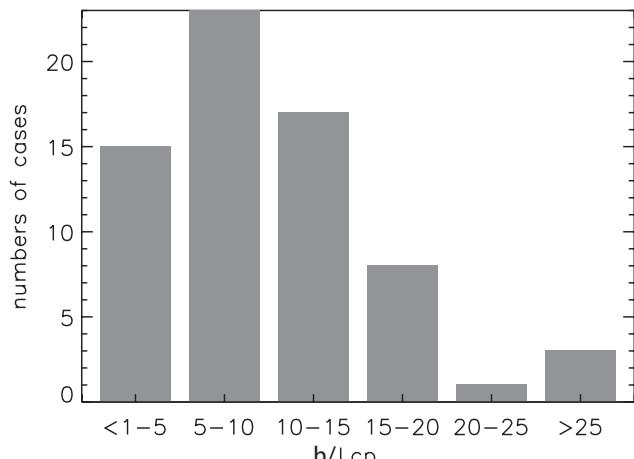
Thus, the instability window shrinks with the distance from Earth

How can one explain sufficiently thin current sheets far from the planet?

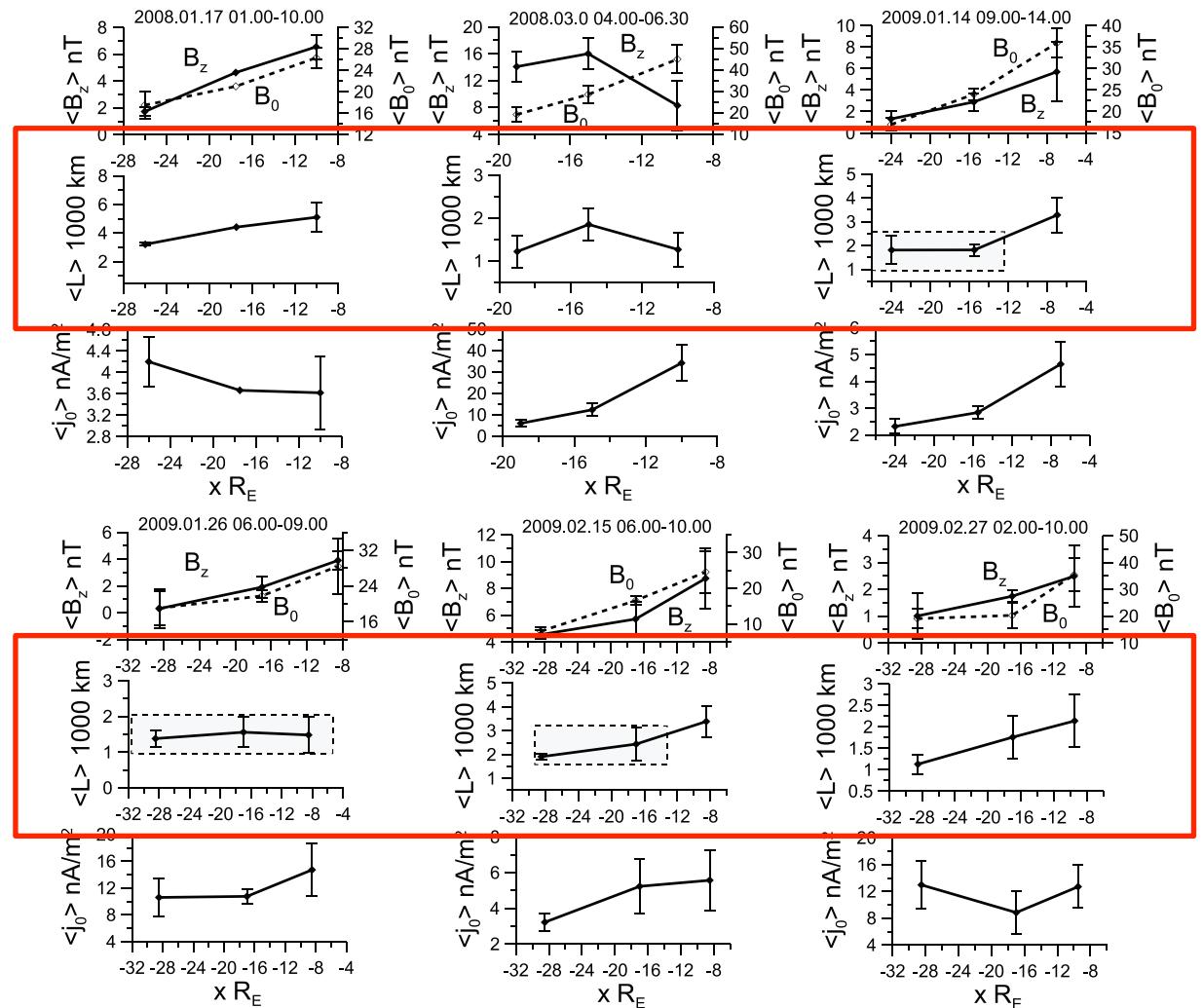


Observations

Cluster [Runov et al., 2005]

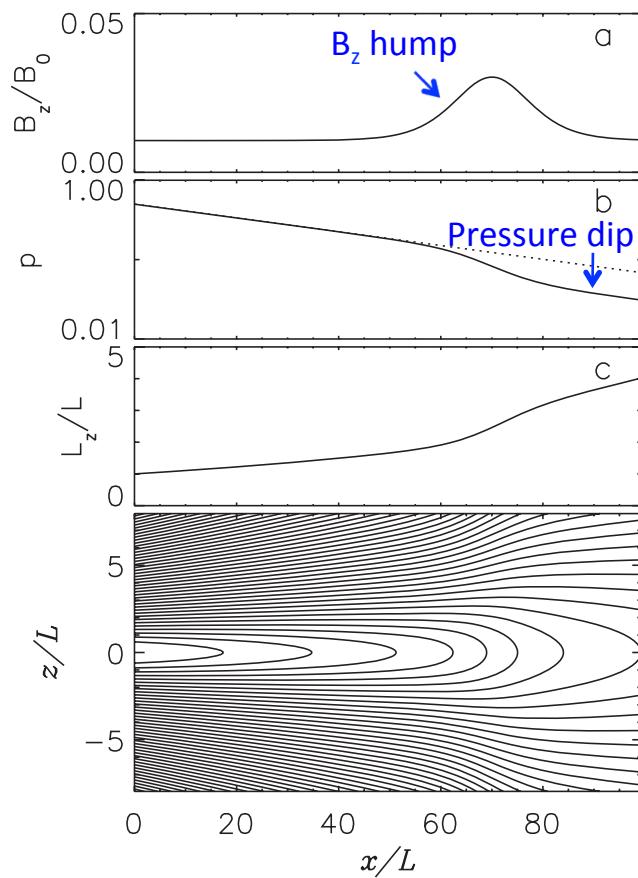


THEMIS [Artemyev et al., 2015]

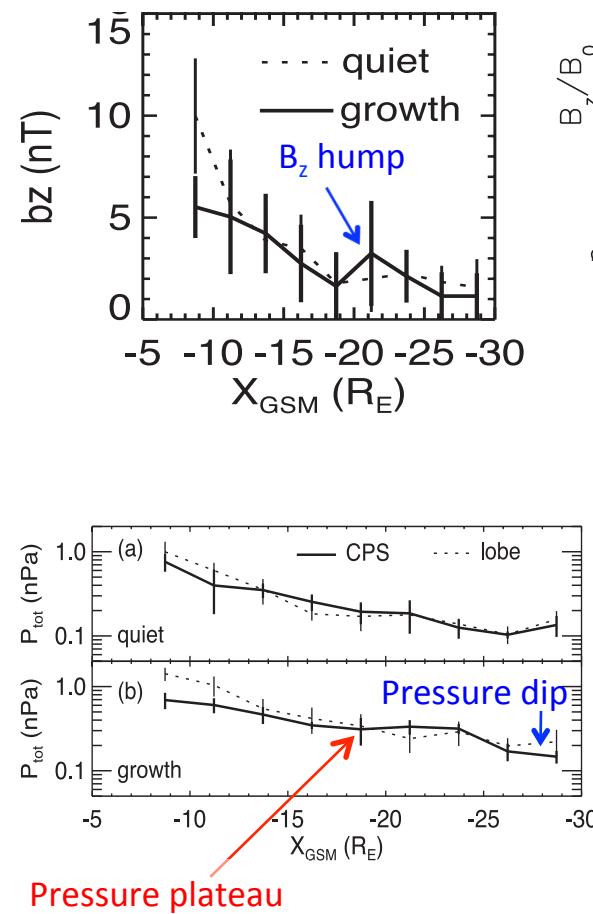


2D current sheet equilibrium taking into account the dipole field

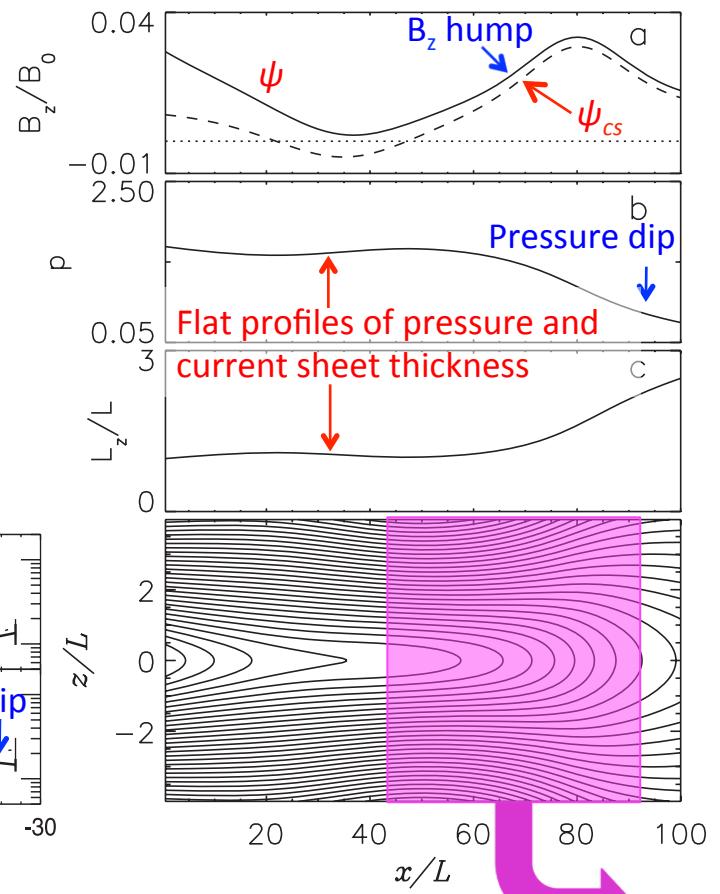
2010 tail equilibrium



Wang et al. [2004]



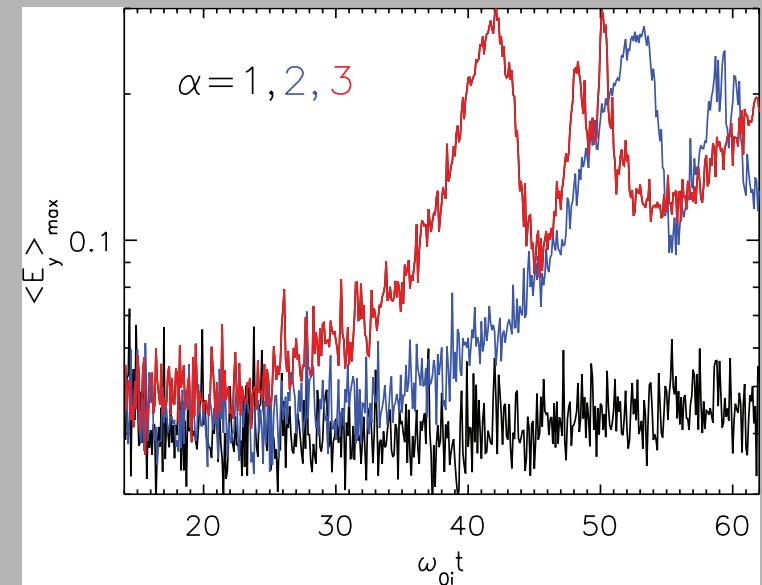
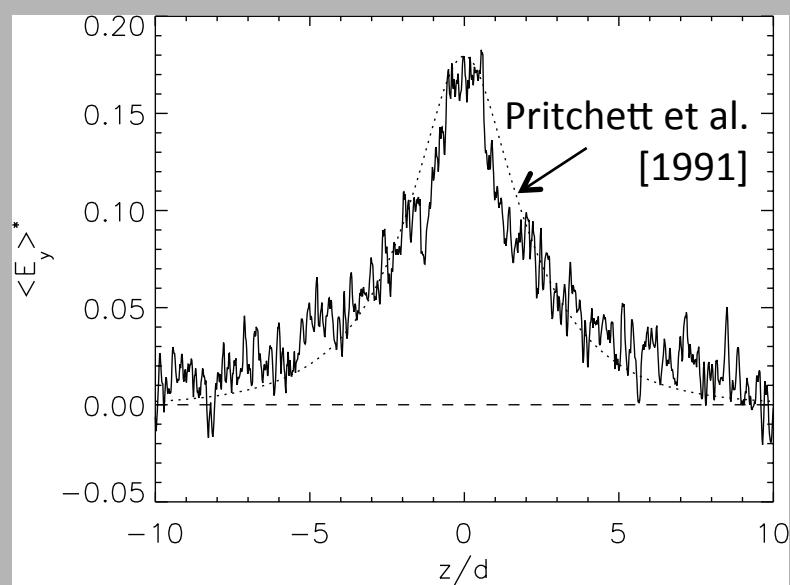
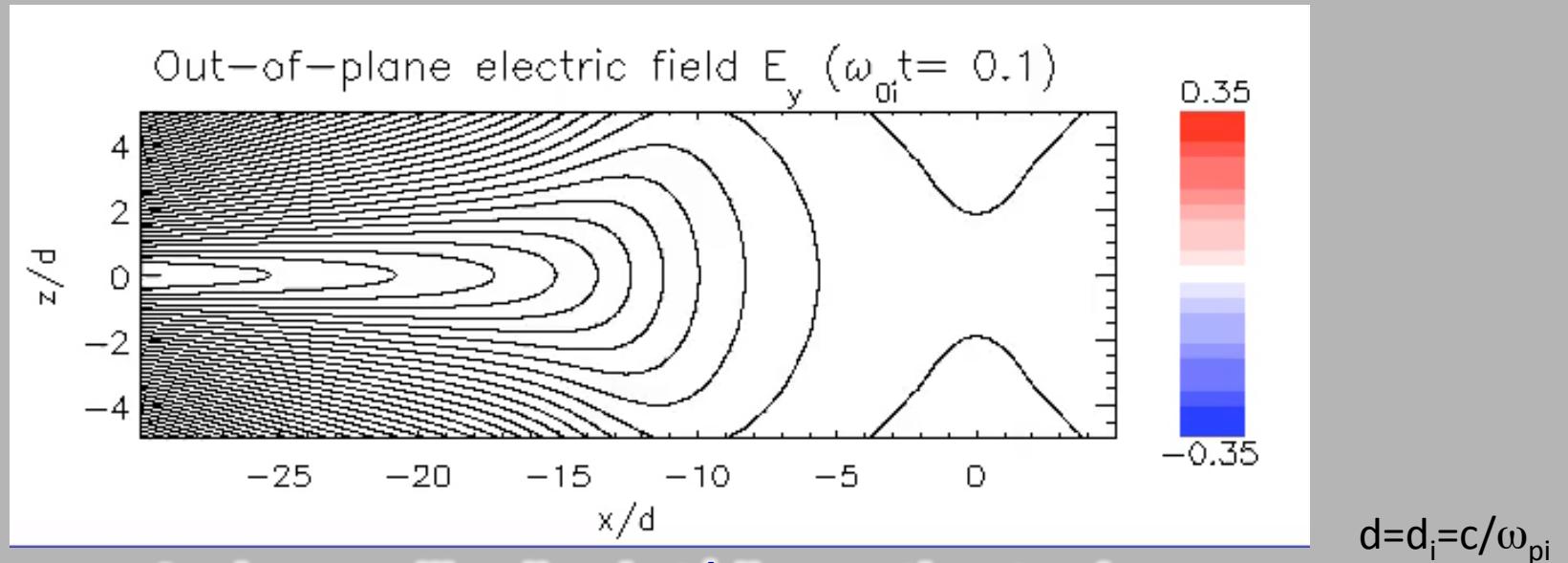
B_z hump with dipole field



New class of 2D equilibria describes flat profiles of pressure and current sheet thickness, and it helps explain why the current sheet may be sufficiently thin far from the Earth.

Smaller box with open boundaries

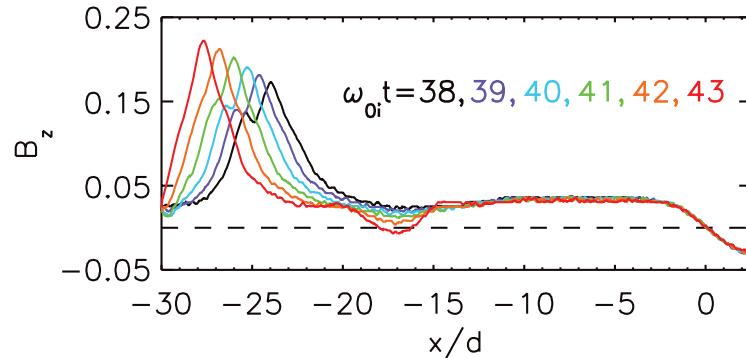
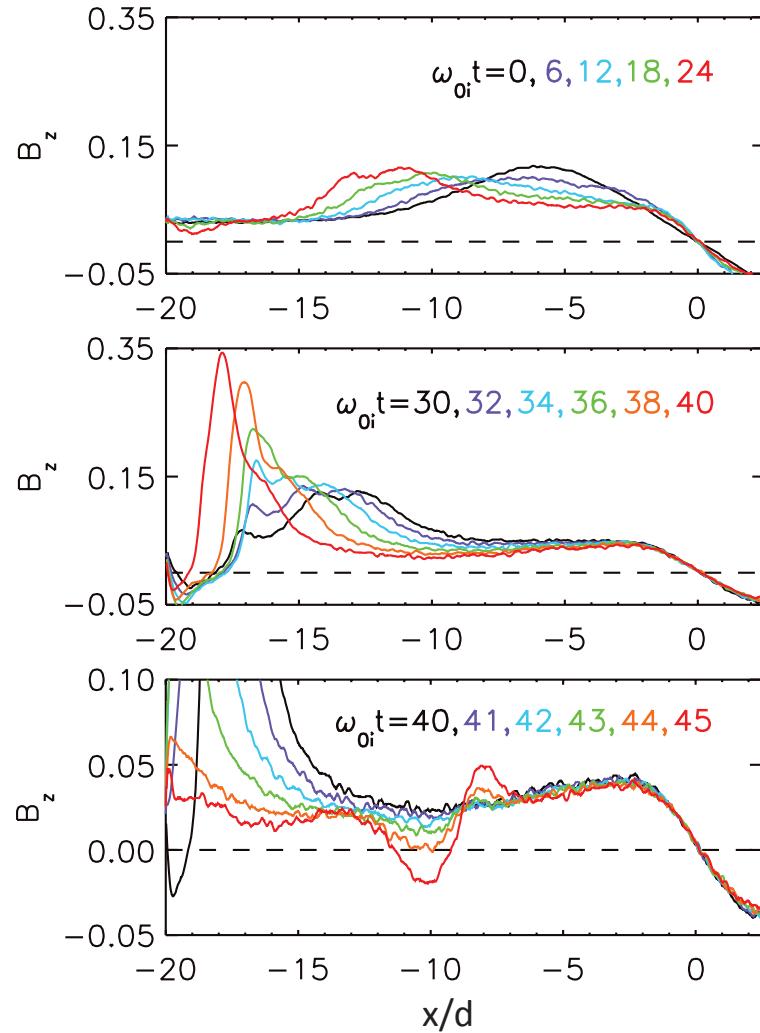
2D PIC simulations with open boundaries



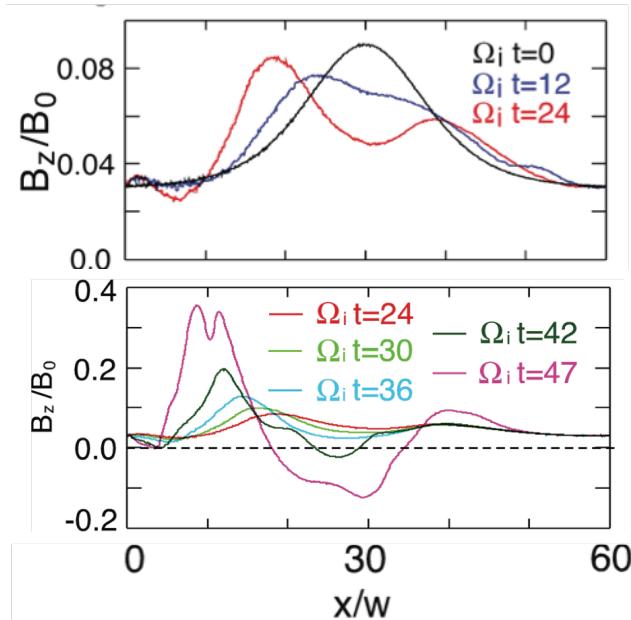
Instability has formal signatures of the ion tearing

Dipolarization front as a reconnection trigger

Sitnov, Buzulukova, Swisdak, Merkin, Moore [2013]



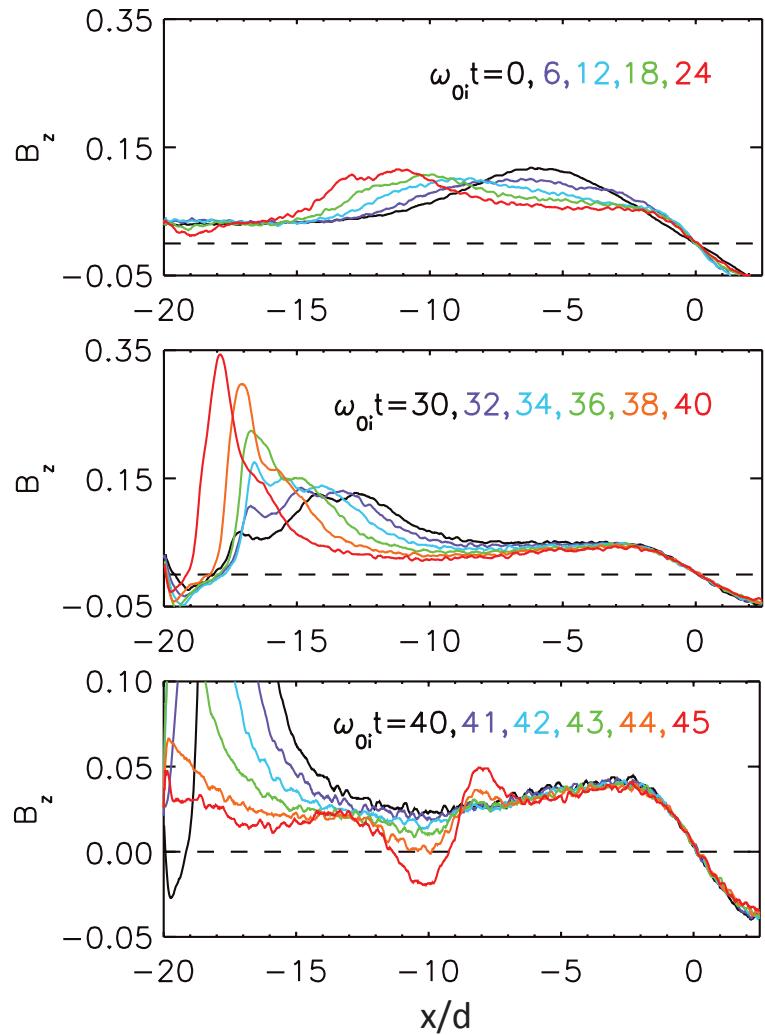
Bessho and Bhattacharjee [2014]



Spontaneous tail reconnection onset is possible, but it is manifested primarily by the formation of fast earthward flows and dipolarization fronts

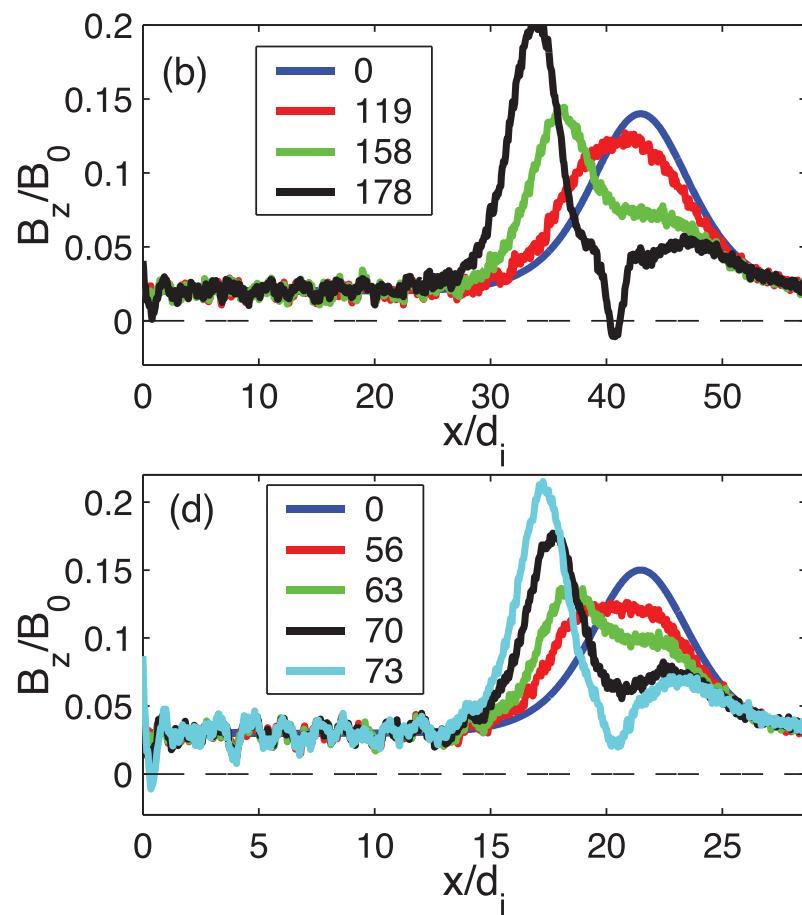
Different 2D PIC simulations compared

Sitnov, Buzulukova, Swisdak,
Merkin, Moore [2013]

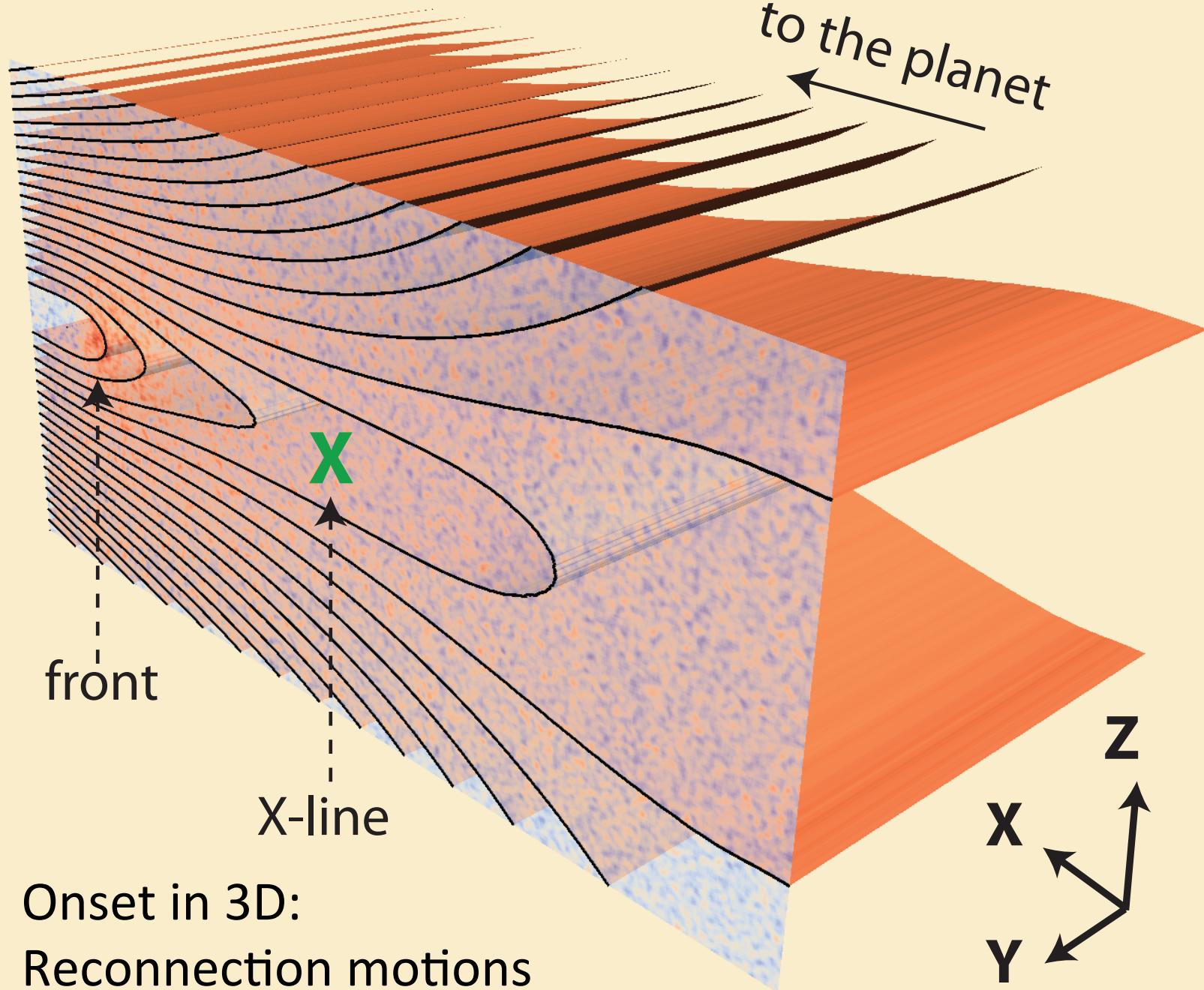


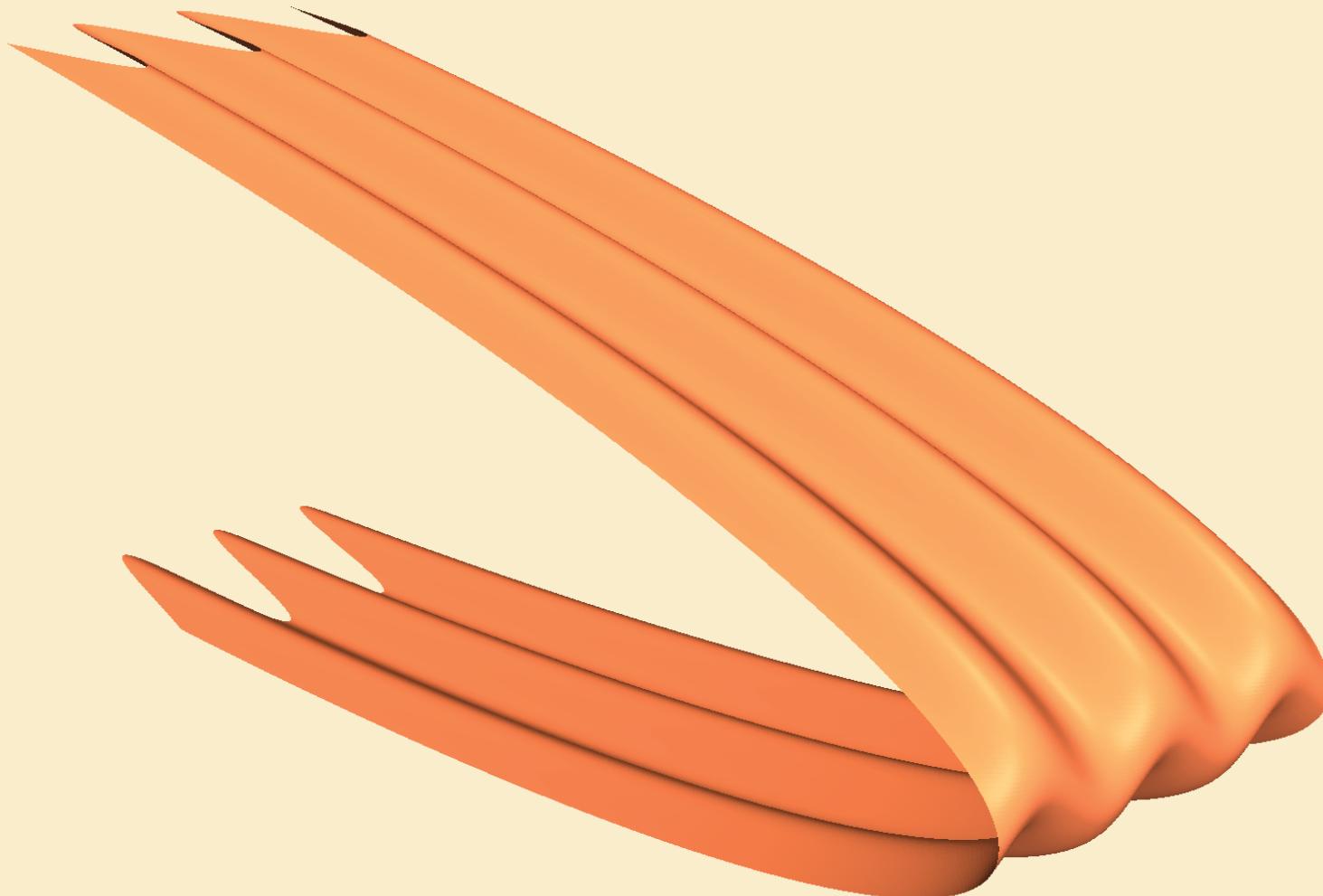
Open boundaries

Pritchett [2015]

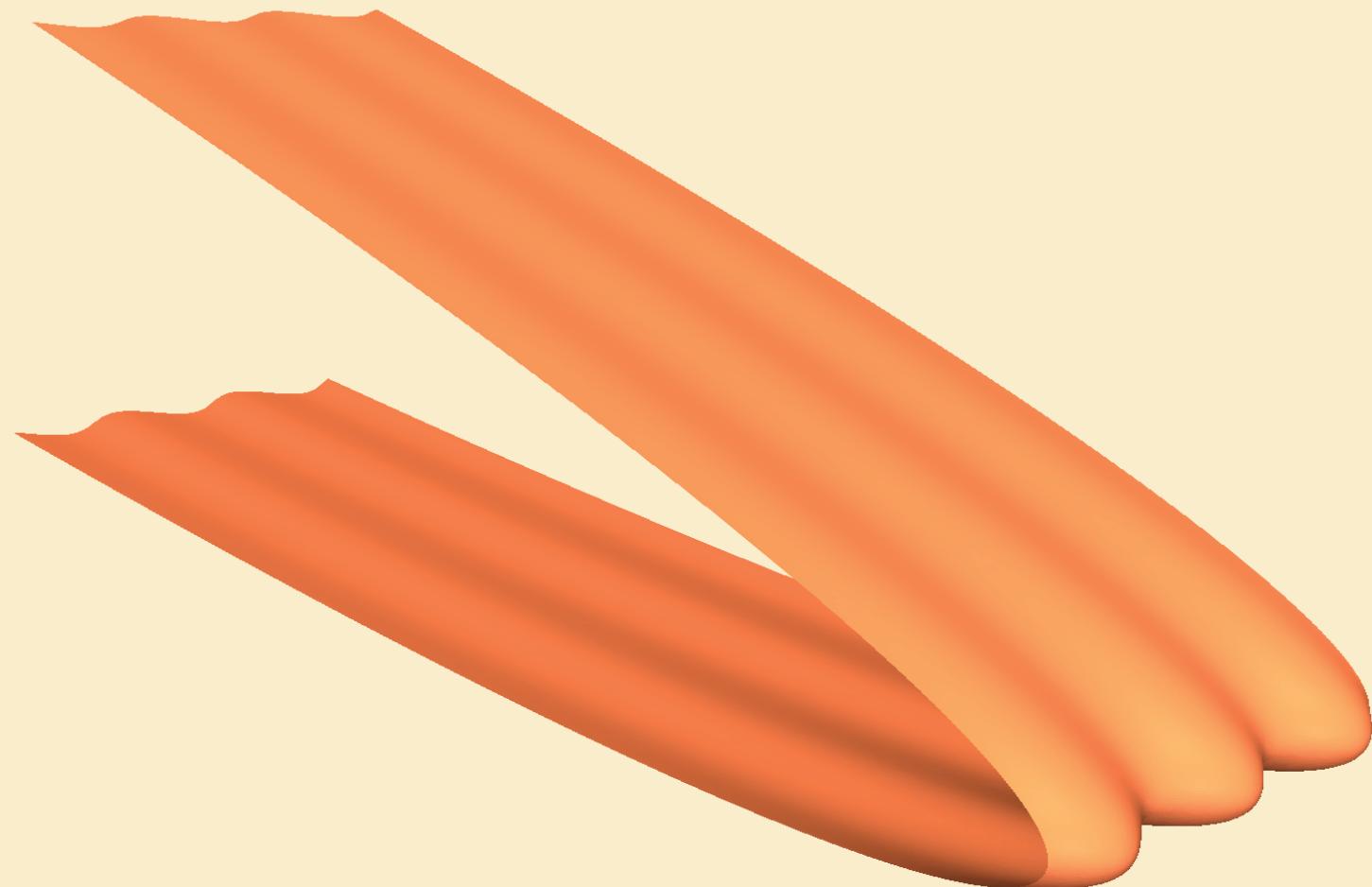


Closed boundaries





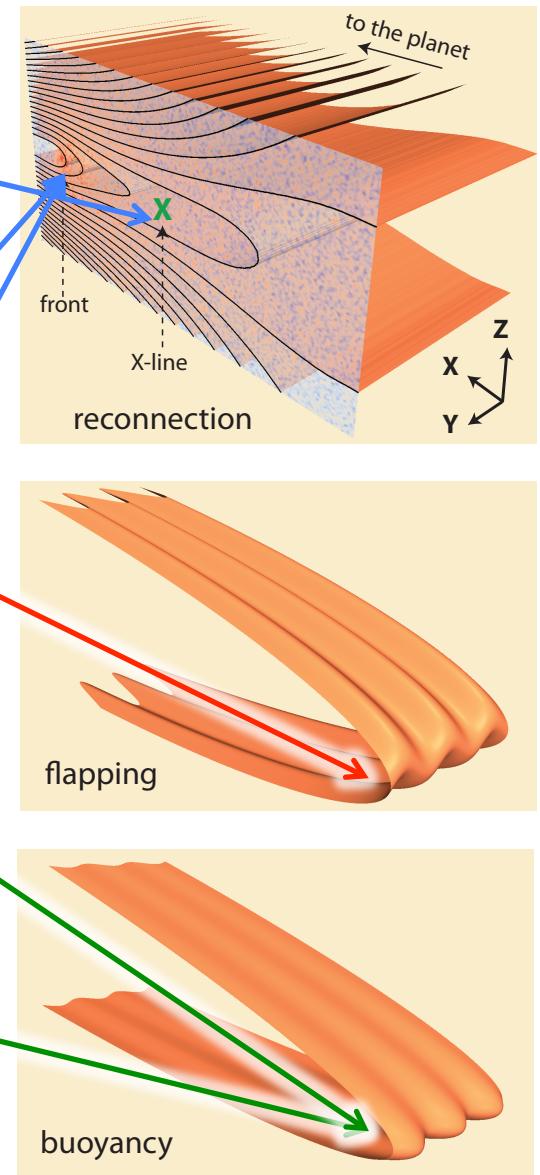
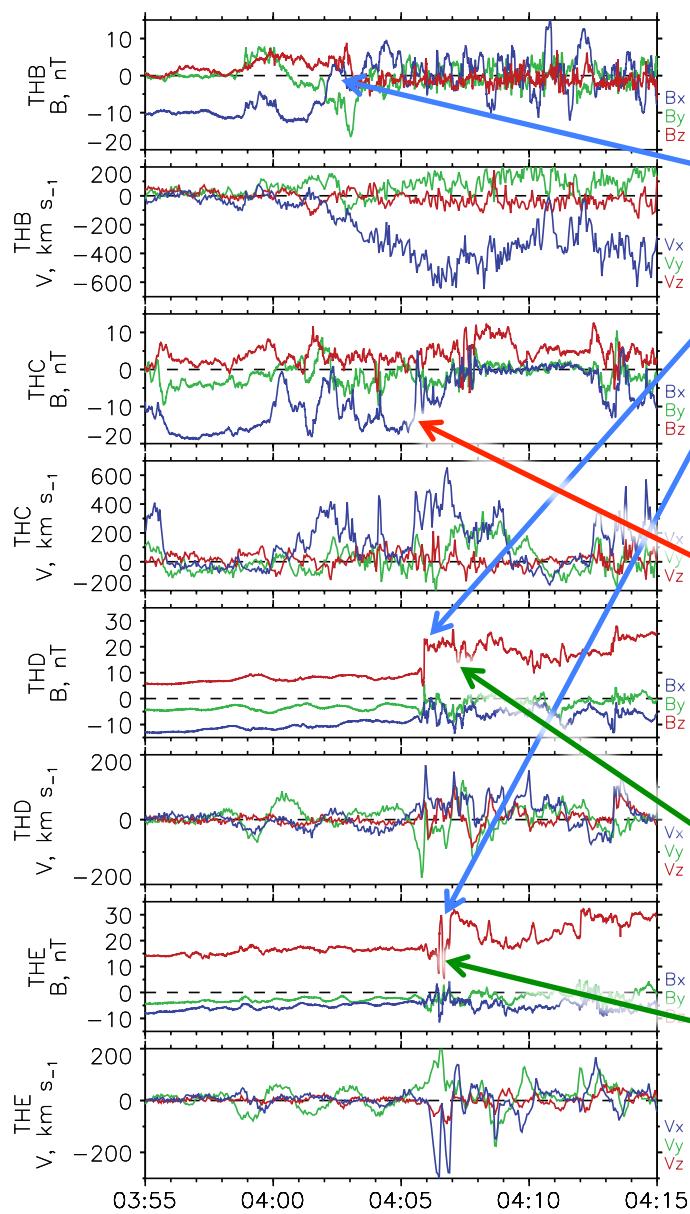
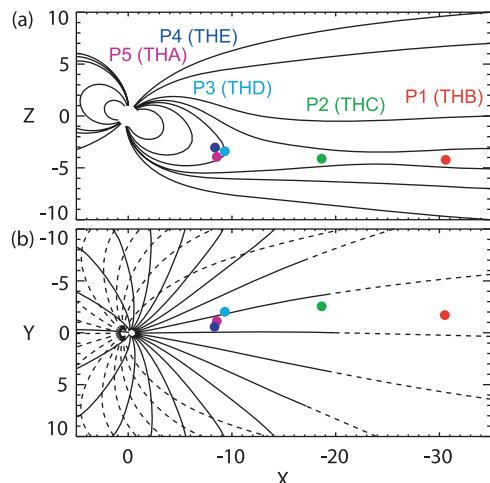
Onset in 3D:
Flapping motions



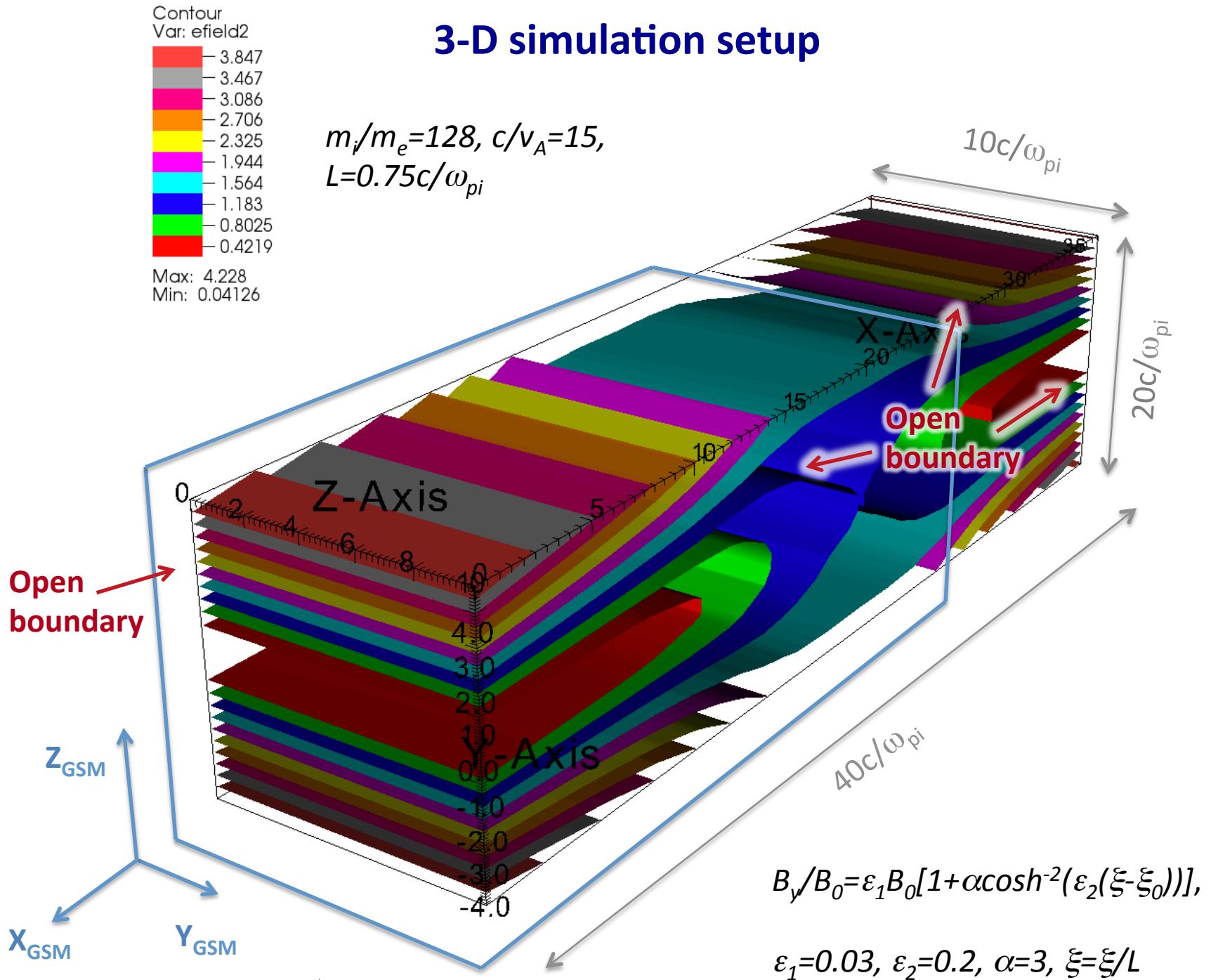
Onset in 3D:
Buoyancy motions

Observations of magnetotail explosions

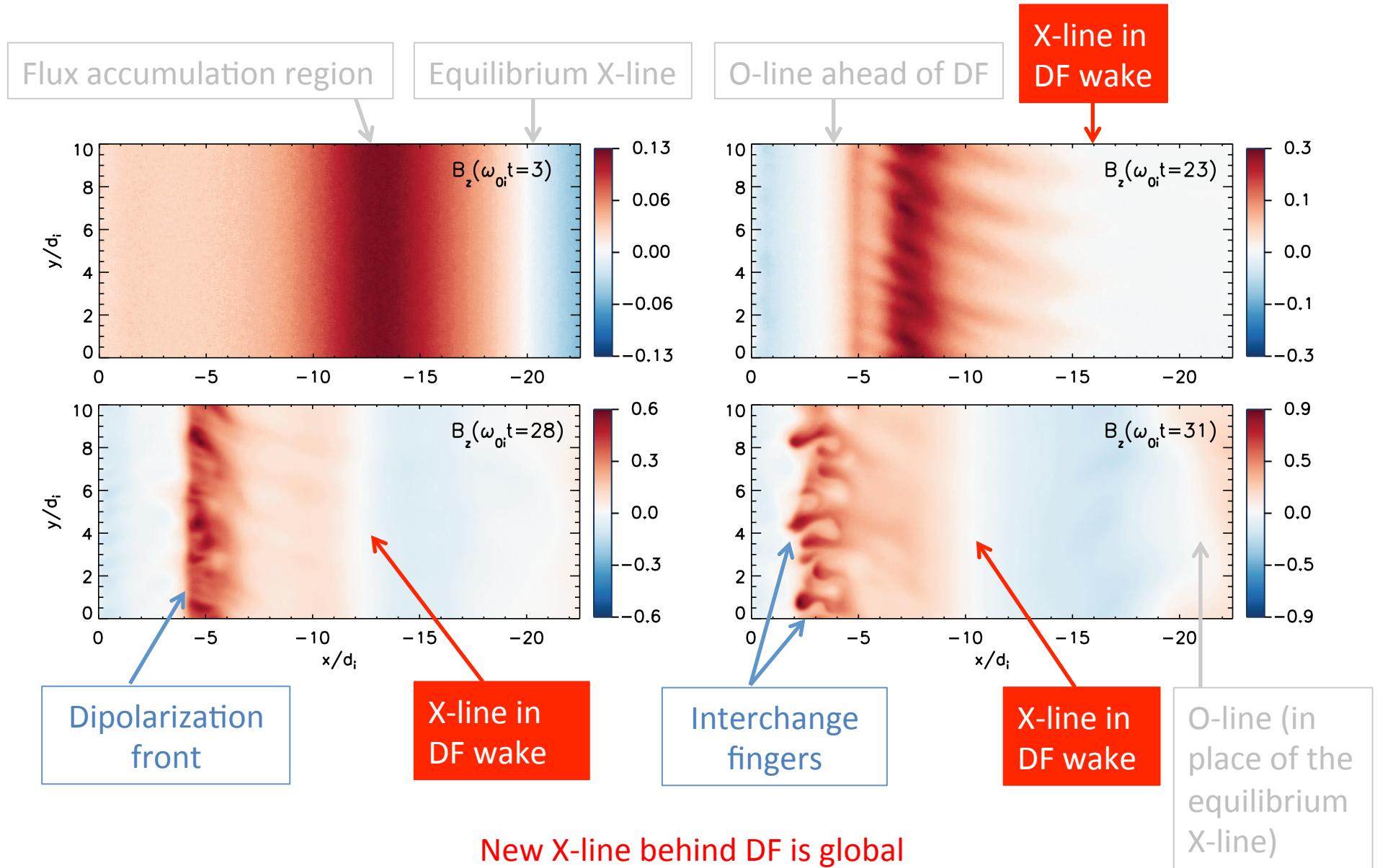
THEMIS
02/07 2009
[Oka et al., 2011]



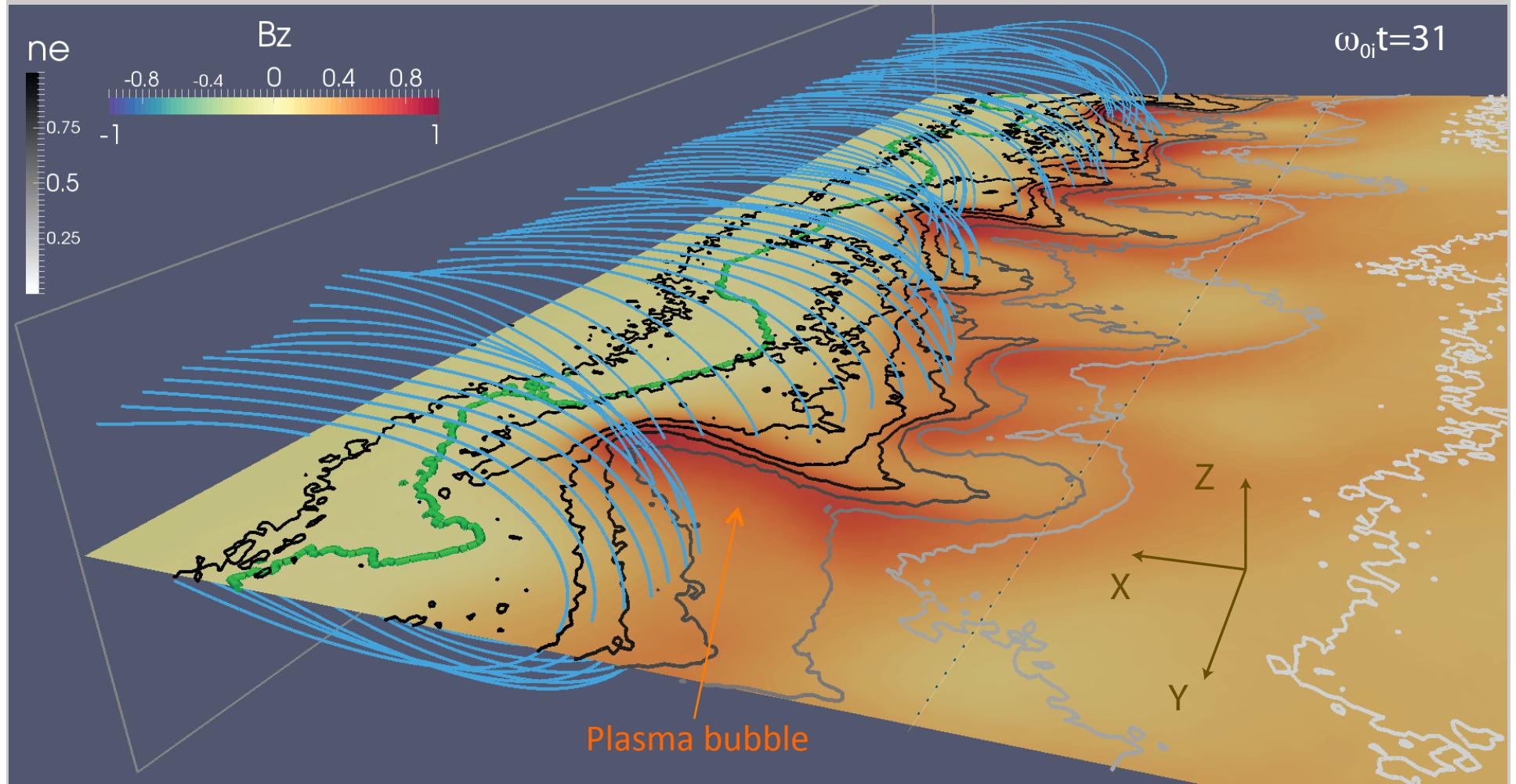
3-D simulation setup



Reconnection and buoyancy motions



Reconnection front and plasma bubbles

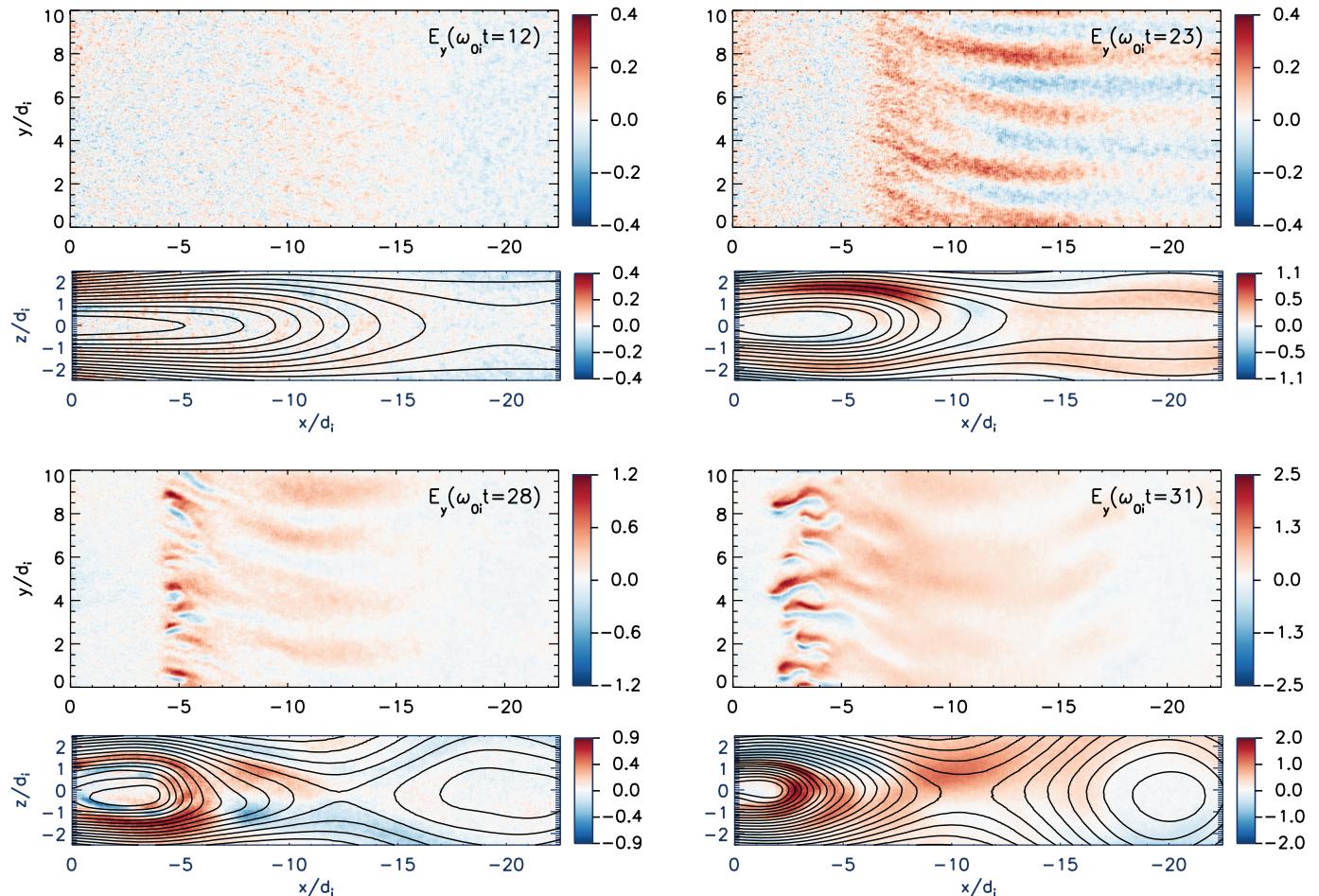


Buoyancy motions substantially perturb the dipolarization front but neither destroy it nor even change it critically

Dawn-dusk electric field

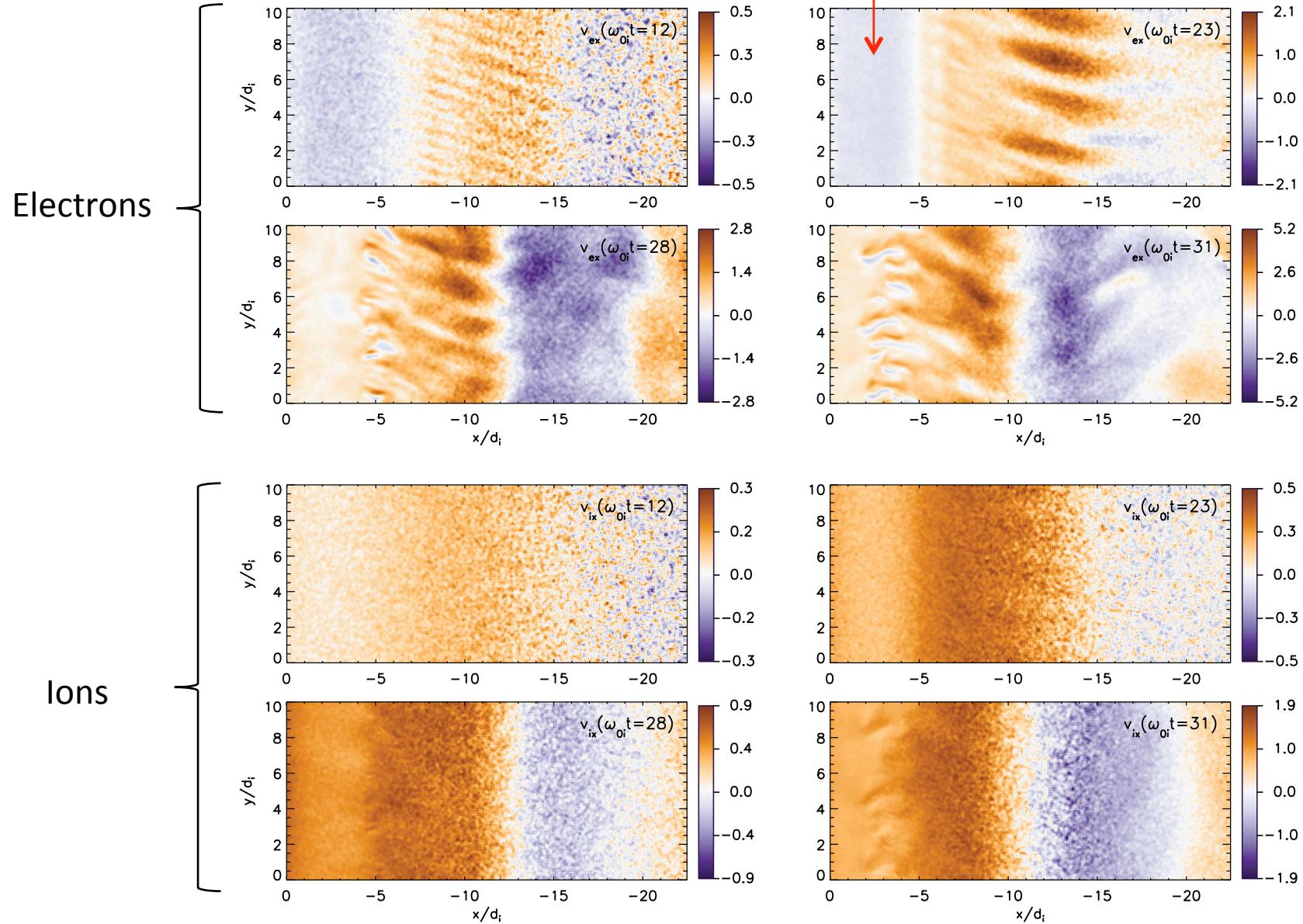
Distinctive features:

1. Strong reconnection field ($\langle E_y(z=0) \rangle_y \neq 0$) at DFs
2. Dawn-dusk modulation – buoyancy effect
3. North-south asymmetry of the dawn-dusk electric field – flapping effect



Plasma flows

Different motions of electron and ions species

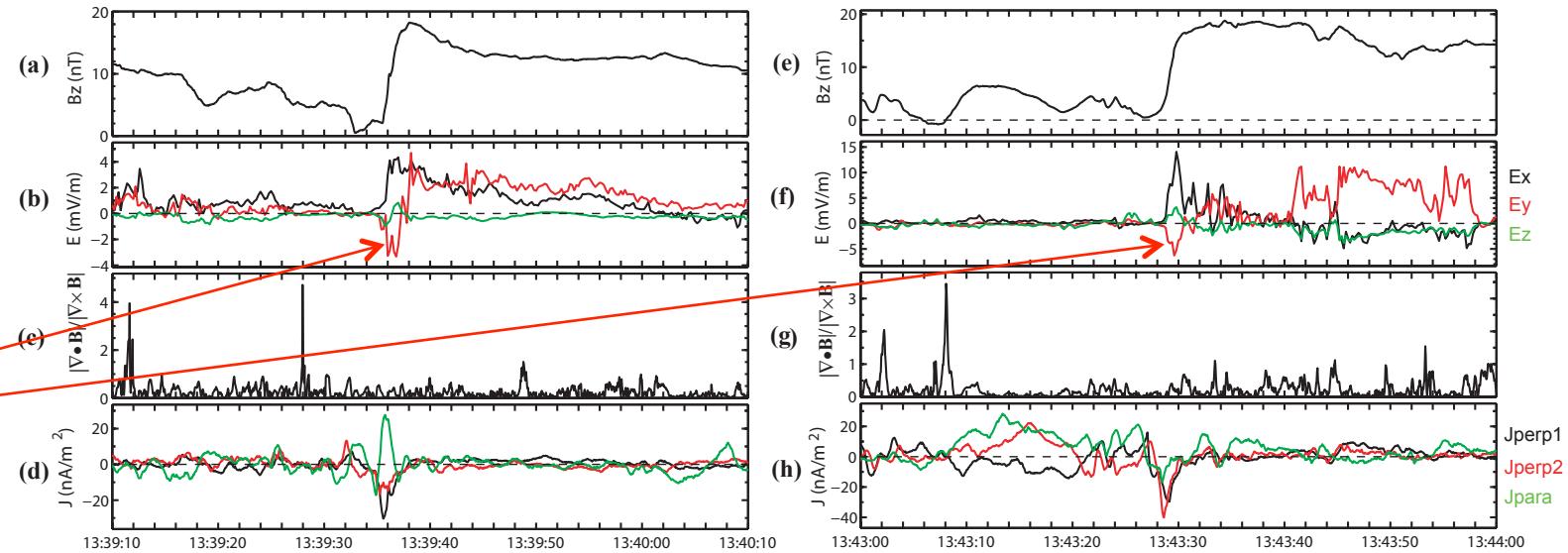
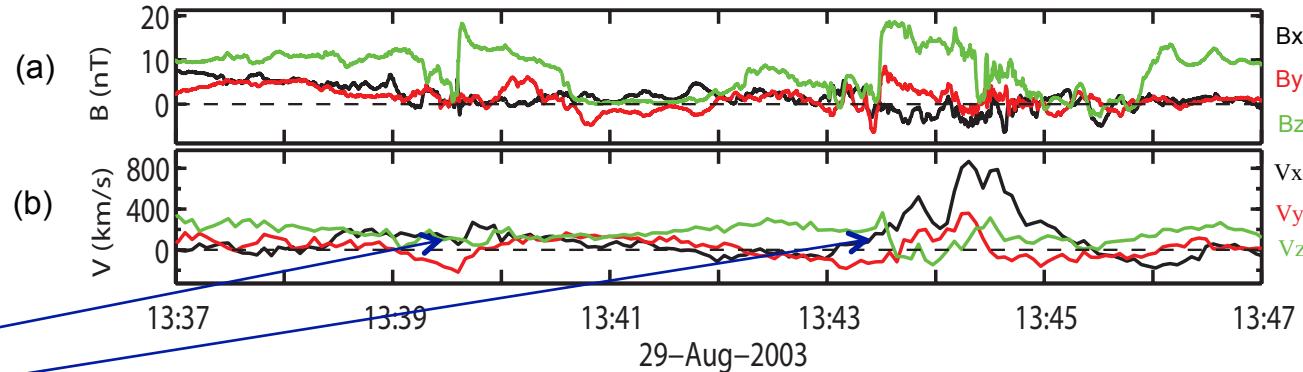


DF tsunami drawback effect: observational signatures

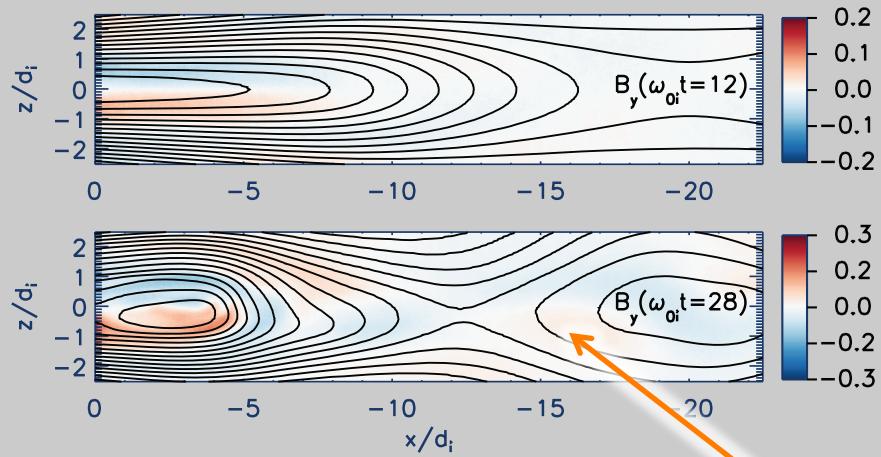
Cluster observations
[Huang et al., 2012]

Earthward
ion motion

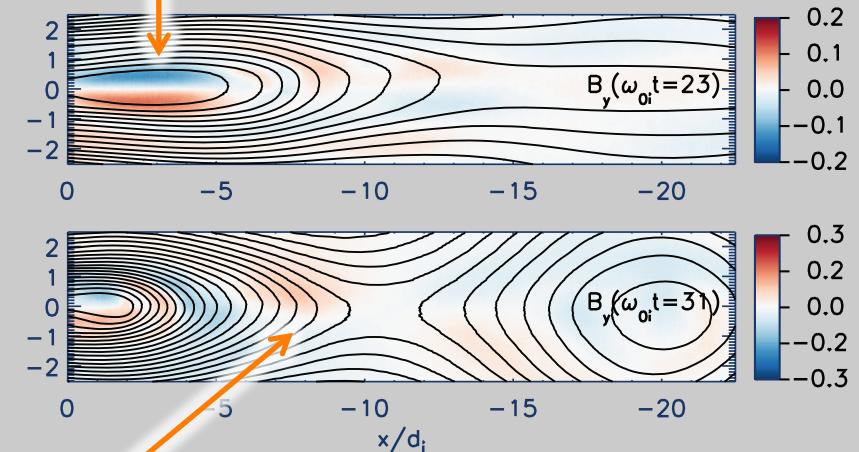
Tailward
electron
motion



Hall magnetic field



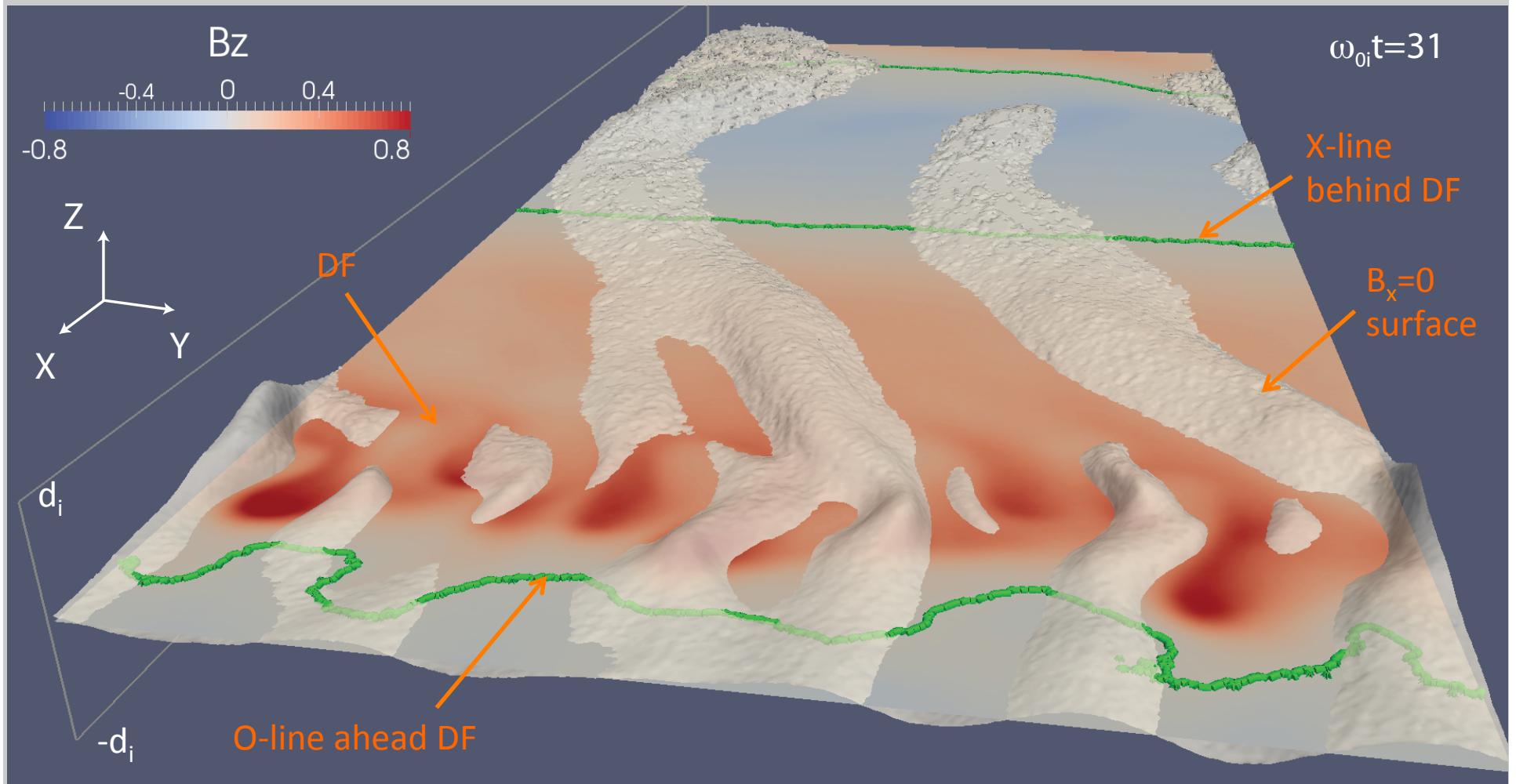
Dipolar pattern



Quadrupolar pattern

In contrast to the classical quadrupolar B_y structure near the X-line,
DFs have dipolar B_y structure

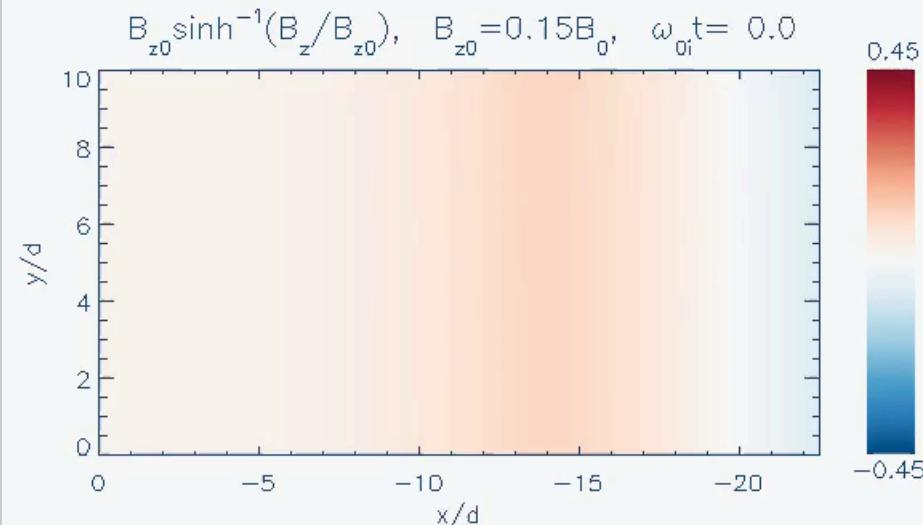
Flapping motions and global X-line behind DF



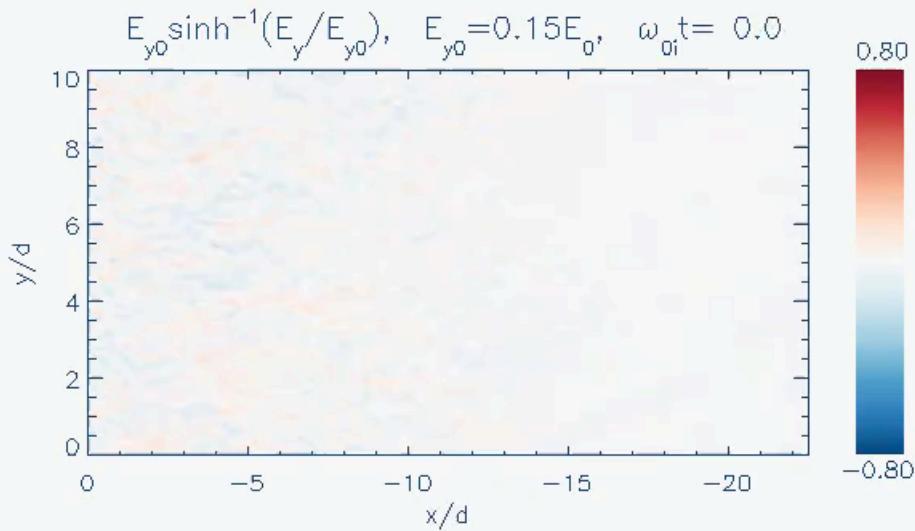
Flapping motions are strong but they do not affect DF or new X-line in its wake

Coherent growth of reconnection, buoyancy and flapping motions

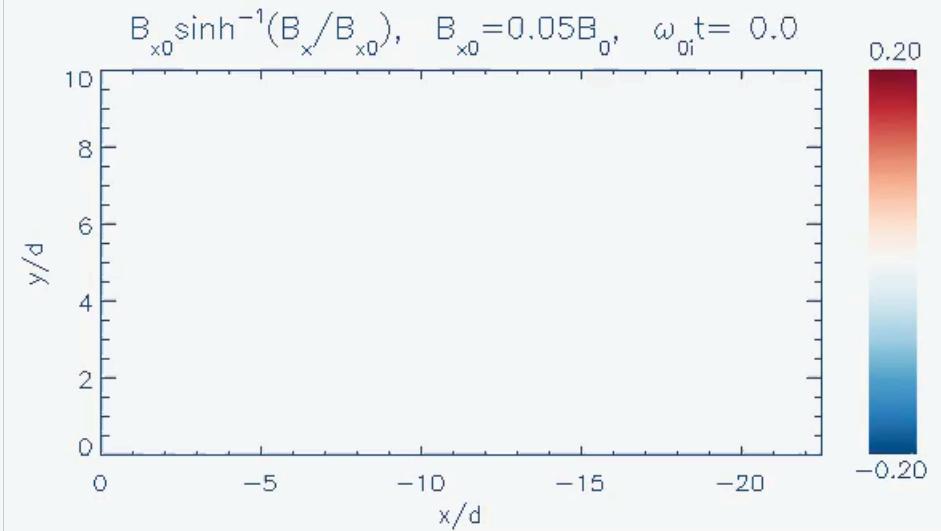
reconnection and buoyancy (B_z)



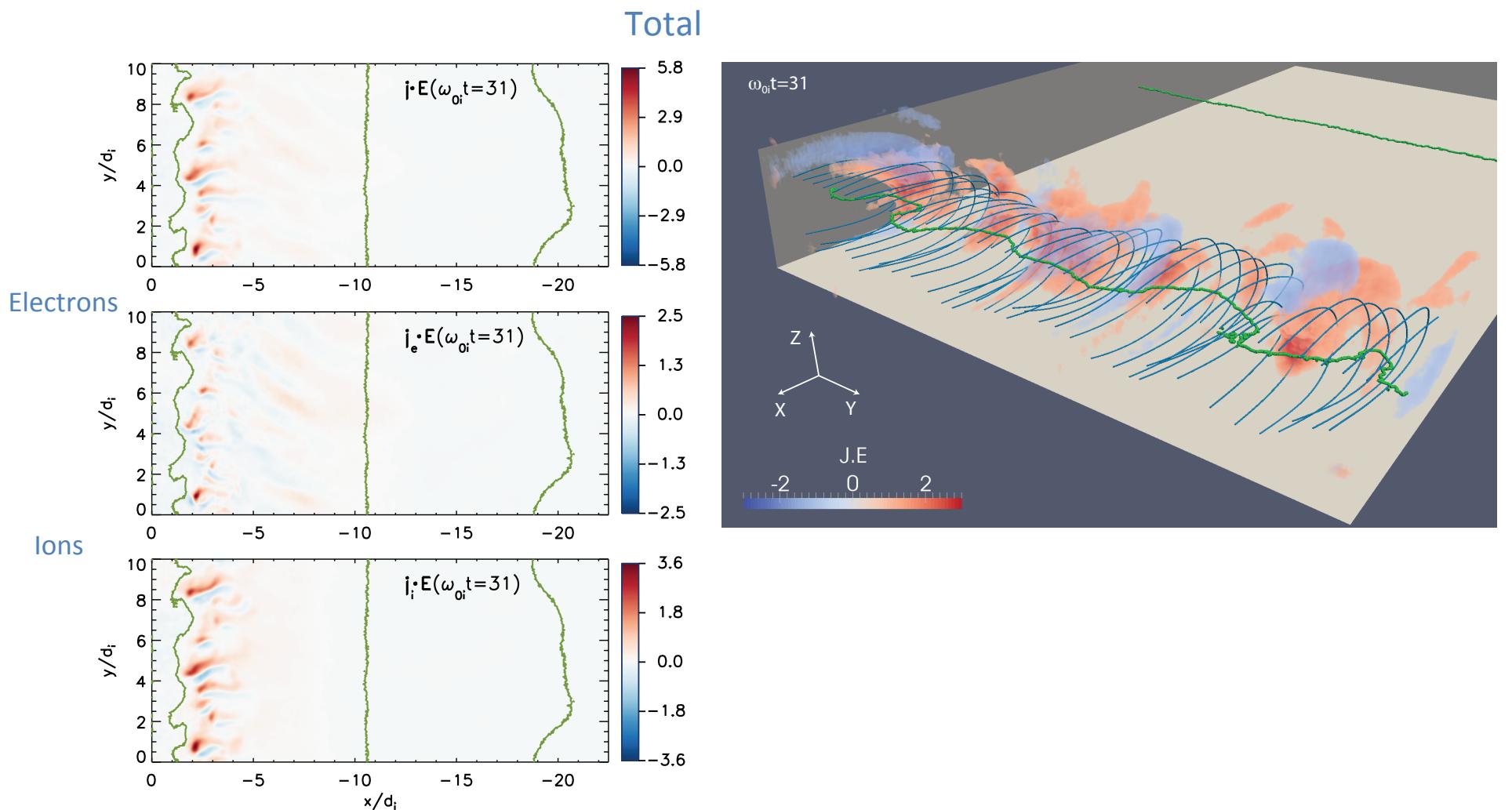
reconnection and buoyancy (E_y)



flapping (B_x)

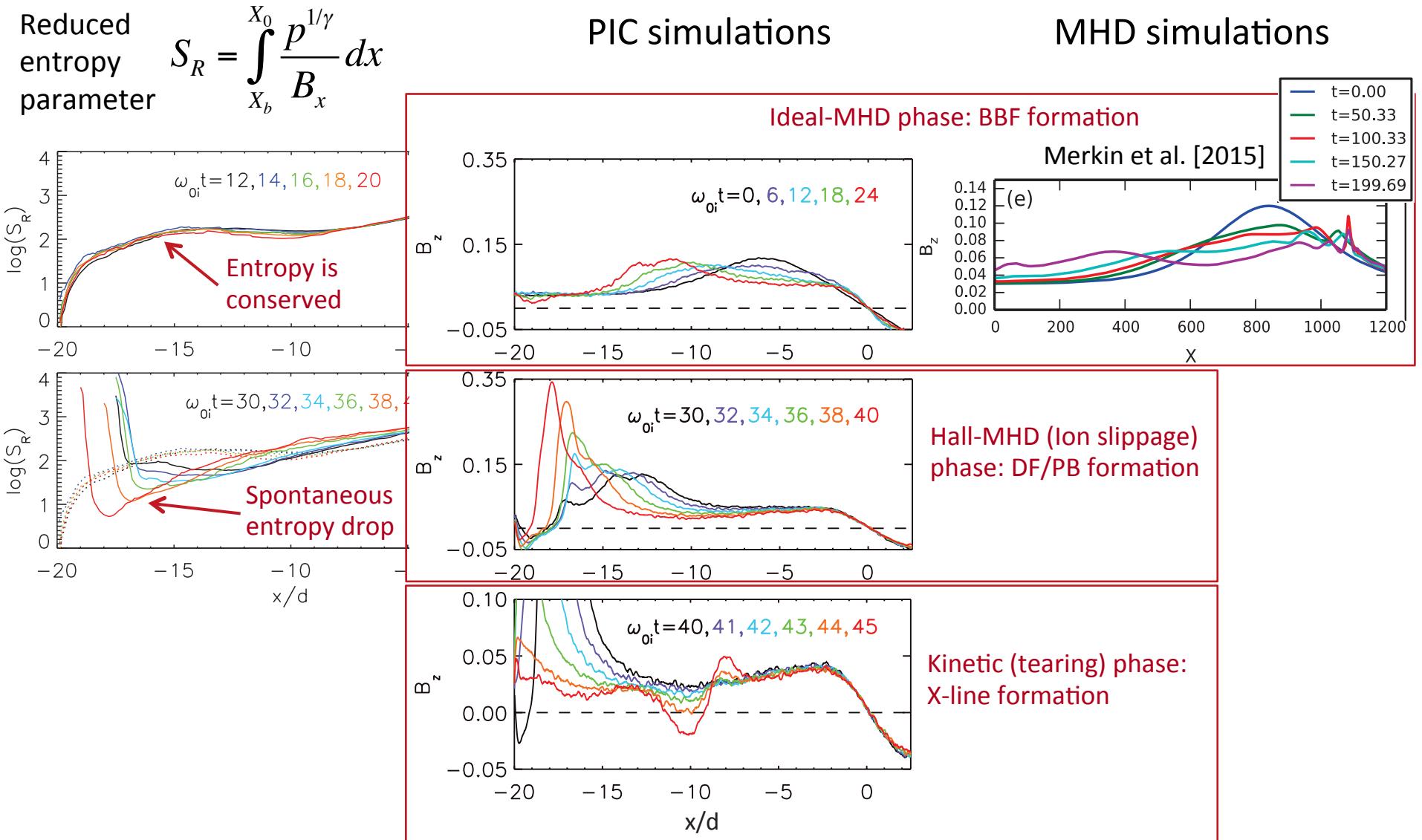


Energy conversion



Consistent with THEMIS observations [Angelopoulos et al., 2013] the energy conversion takes place at DFs, **away from X- and O-lines**, and it involves scales less than the ion inertial length d_i .

Key phases of the magnetotail reconnection onset

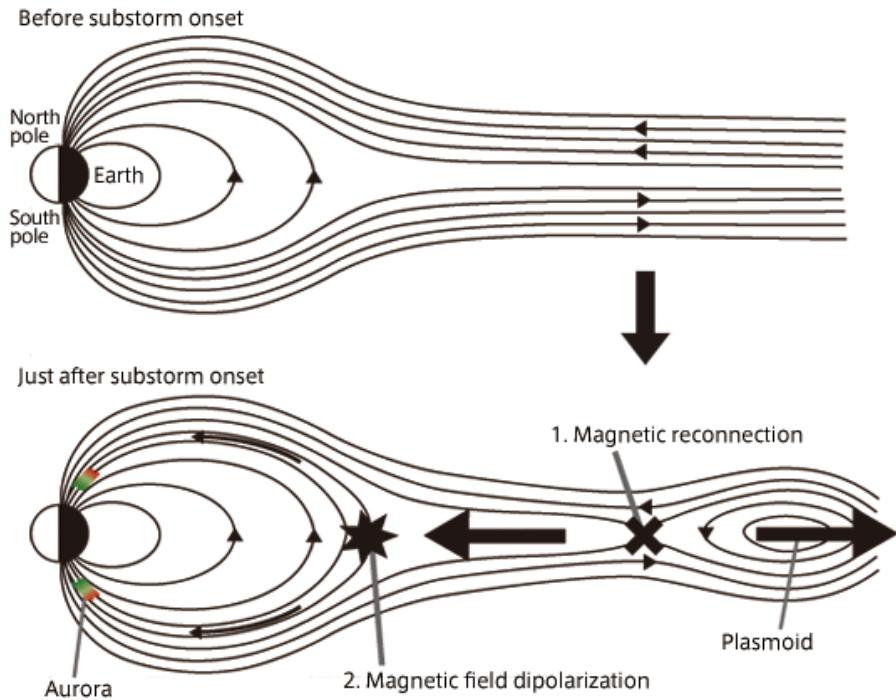


Tail reconnection onset has MHD, Hall-MHD and kinetic phases

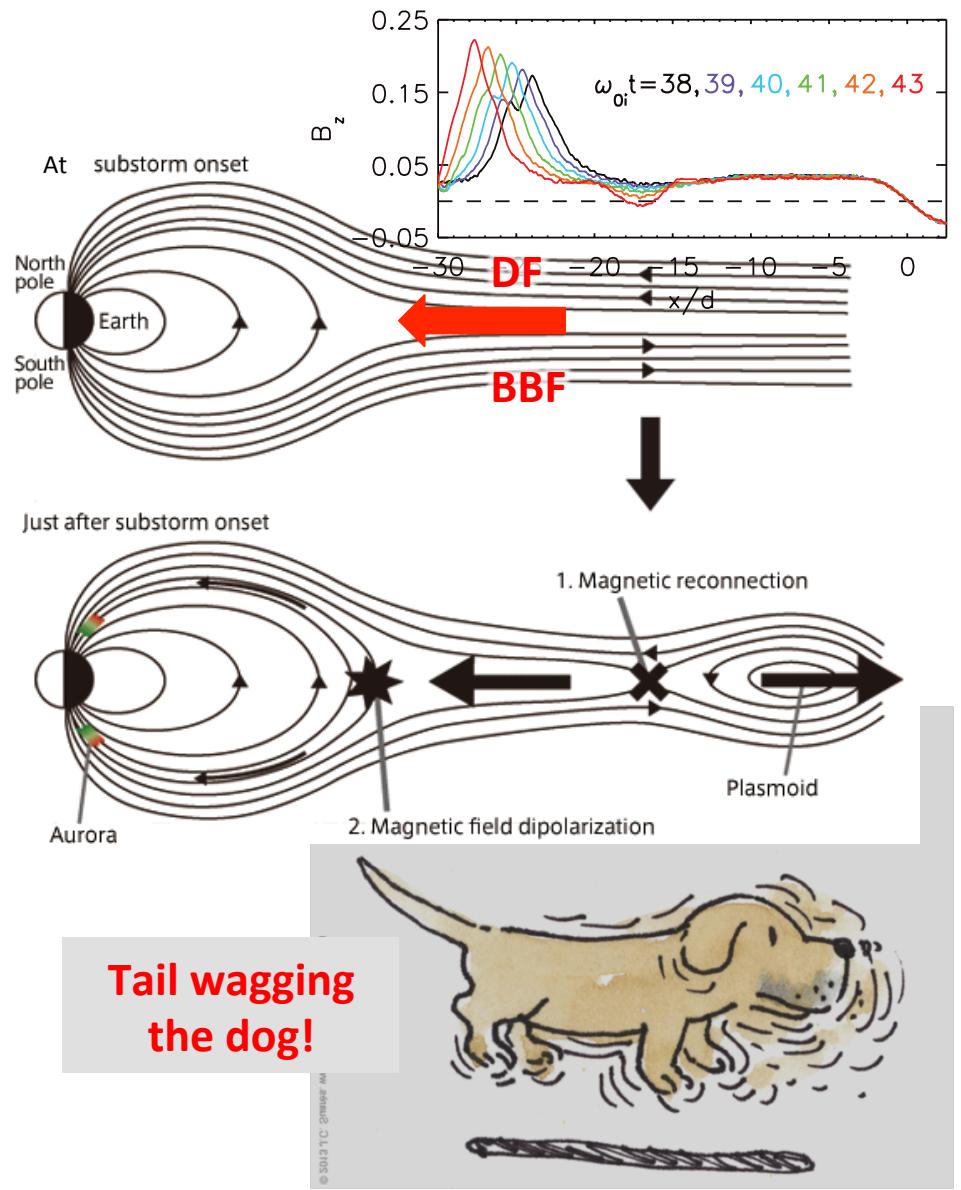
Conclusion

- Spontaneous reconnection is possible in the magnetotail in case of the tailward B_z gradient; but it is manifested primarily by the formation of fast plasma flows (BBFs) and dipolarization fronts.
- BBFs and fronts are accompanied by buoyancy and flapping motions; the latter substantially perturb the dipolarization front but neither destroy it nor even change it critically.
- Magnetotail reconnection instability(ies?) has MHD (BBF, snowplow, DF), Hall-MHD (bubble-blob formation) and fully kinetic (magnetic topology change) phases.
- Magnetotail reconnection instability starts before a magnetic topology change

Traditional understanding of magnetic reconnection: topology change causes fast plasma flows



New picture of magnetotail reconnection: fast plasma flows cause the magnetic topology change





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