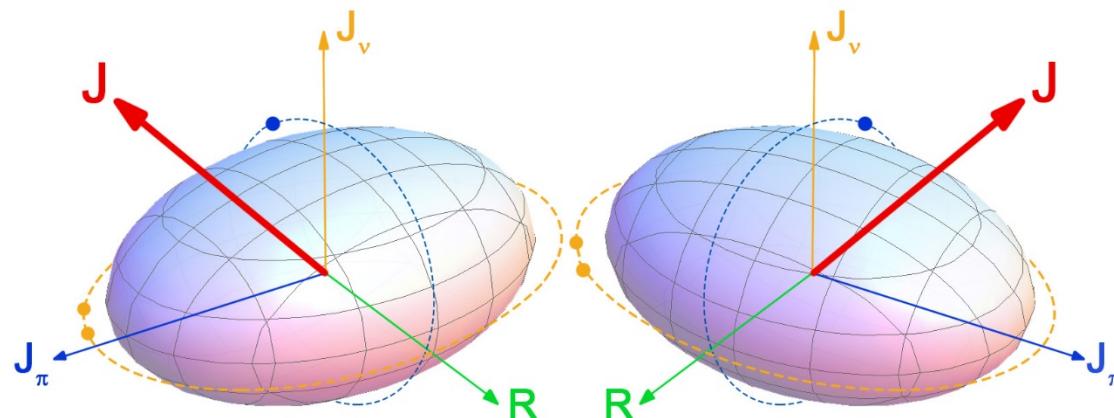
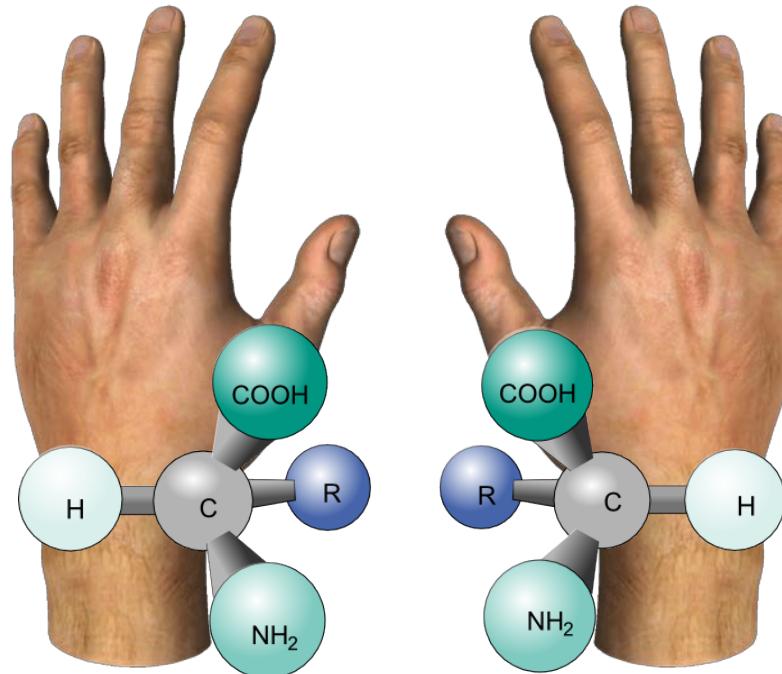


# Multiple chirality in $^{103}\text{Rh}$ and possible chiral cases in region A~130

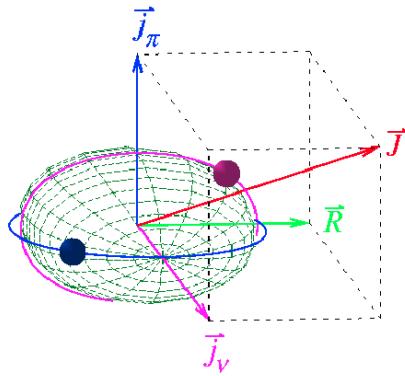


I. Kuti, J. Timár, D. Sohler

# Nuclear chirality



# Fingerprints of chirality – ideal case



Ideal case (three perpendicular vectors):

- maximally triaxial nuclear shape ( $\gamma=30^\circ$ )
- $\pi$  and  $\nu$  in high- $J$  particle and hole states
- degenerate  $\Delta l=1$  bands with the same parity
- similar transition probabilities ( $B(M1)$ ,  $B(E2)$ )
- small odd-spin even-spin energy staggering
- $B(M1)$  staggering?

# Chiral fingerprints in real nuclei – motivation

Eur. Phys. J. A (2012) 48: 118  
DOI 10.1140/epja/i2012-12118-2

THE EUROPEAN  
PHYSICAL JOURNAL A

Regular Article – Theoretical Physics

## Identifying chiral bands in real nuclei

O. Shirinda<sup>1,2,a</sup> and E.A. Lawrie<sup>1,b</sup>

<sup>1</sup> iThemba LABS, National Research Foundation, P.O. Box 722, 7129 Somerset West, South Africa

<sup>2</sup> University of the Western Cape, Private Bag X17, 7525 Bellville, South Africa

Received: 25 April 2012 / Revised: 17 August 2012

Published online: 13 September 2012 – © Società Italiana di Fisica / Springer-Verlag 2012

Communicated by M.C. Birse

**Abstract.** The application of the presently used fingerprints of chiral bands (originally derived for strongly broken chirality) is investigated for real chiral systems. In particular the chiral fingerprints concerning the  $B(M1)$  staggering patterns and the energy staggering are studied. It is found that both fingerprints show considerable changes for real chiral systems, a behaviour that creates a significant risk for misinterpretation of the experimental data and can lead to a failure to identify real chiral systems.

O. Shirinda et al., EPJ A 48, 118 (2012)

Physics Letters B 689 (2010) 66–71

Contents lists available at ScienceDirect

Physics Letters B

[www.elsevier.com/locate/physletb](http://www.elsevier.com/locate/physletb)



ELSEVIER

## Reaching degeneracy in two-quasiparticle chiral bands

E.A. Lawrie <sup>a,\*</sup>, O. Shirinda <sup>a,b</sup>

<sup>a</sup> iThemba LABS, PO Box 722, 7129 Somerset West, South Africa

<sup>b</sup> University of the Western Cape, Private Bag X17, 7535 Bellville, South Africa

### ARTICLE INFO

#### Article history:

Received 5 July 2009

Accepted 3 April 2010

Available online 22 April 2010

Editor: J.-P. Blaizot

#### Keywords:

Chirality

Particle-rotor model

Aplanar rotation

### ABSTRACT

The conditions for reaching degeneracy in chiral partner bands built on two-quasiparticle configurations are examined using the two-quasiparticle-plus-triaxial-rotor model. It is shown that in order for degeneracy to occur it is not sufficient to have an aplanar orientation of the total angular momentum, but the angular momenta of the two valence particles need to be completely aligned along the short and long nuclear axes. Such perfect alignment seems impossible to reach with realistic parameters within this model. These results suggest that two-quasiparticle chiral bands may be formed in suitable nuclei, but perfect degeneracy between the partner bands is unlikely to be found.

© 2010 Elsevier B.V. All rights reserved.

E. Lawrie et al., Phys. Lett. B 689, 66 (2012)

## No simple set of fingerprints!

Study of nuclei with controversial chiral fingerprints should cover their whole band structure, not only the chiral candidate band-pairs.

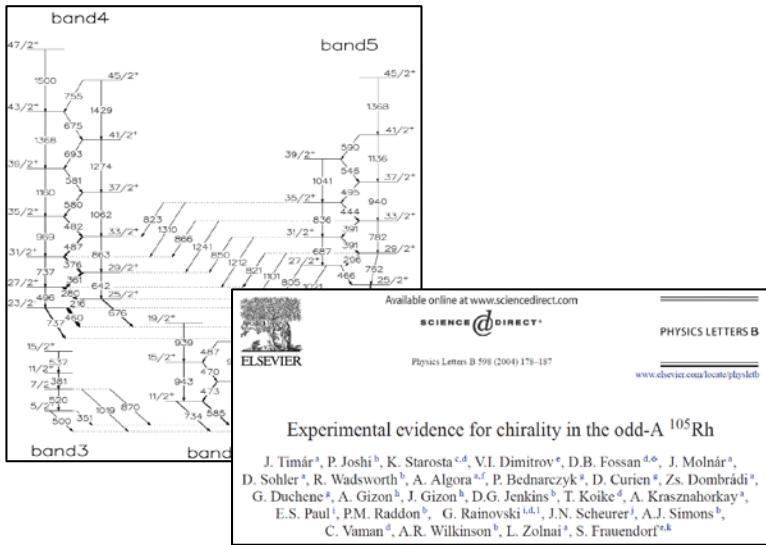
# Chiral fingerprints in real nuclei – motivation

Study of nuclei with controversial chiral fingerprints should cover their whole band structure, not only the chiral candidate band-pairs.

$A \approx 100$  mass region:  
Expected multiple chirality

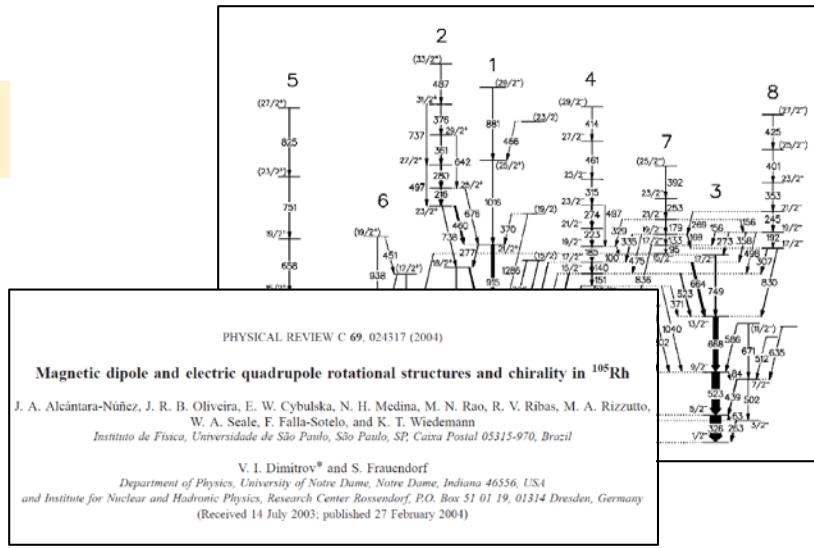
$A \approx 130$  mass region:  
Chiral candidate band pairs with different  $B(E2)$  values

# Chirality in $^{103}\text{Rh}$



Timár et al., Phys. Lett. B 598, p.178 (2004)

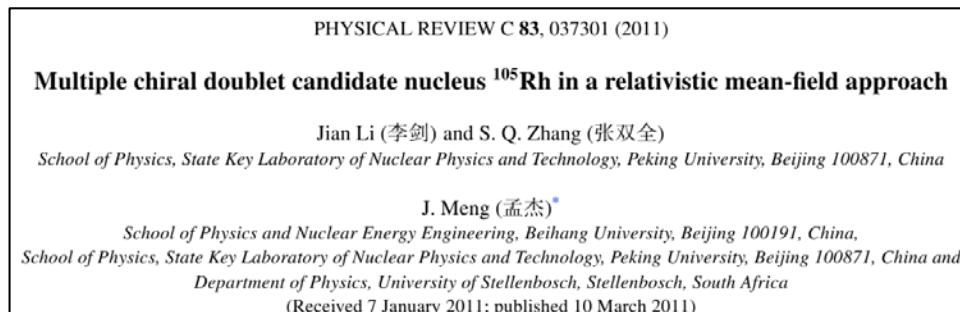
$^{105}\text{Rh}$



Alcántara-Núñez et al., Phys. Rev. C 69 024317 (2004)

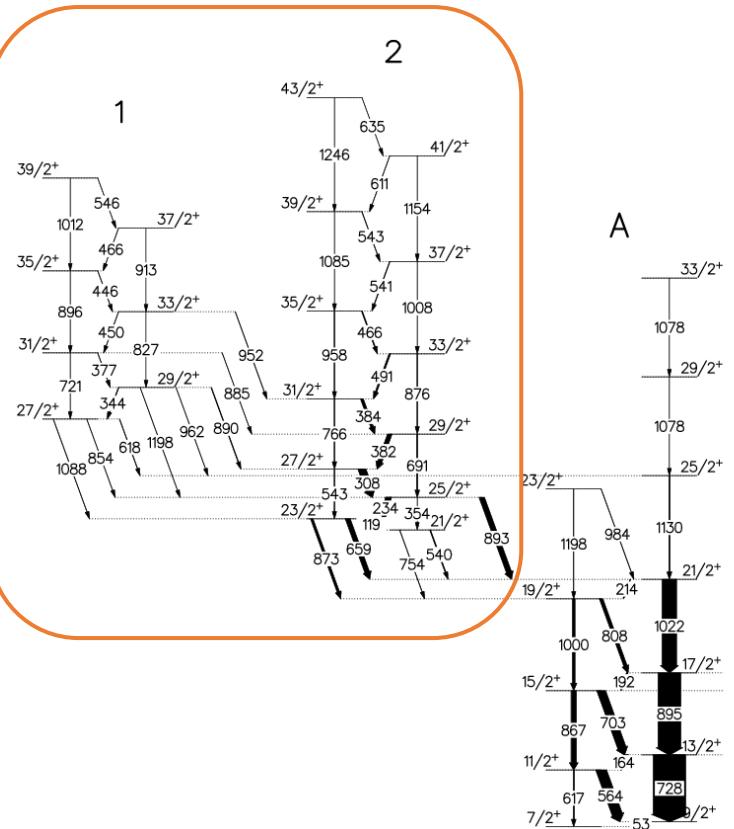
th. calc.: Frauendorf *et al.*

MxD bands in  $^{105}\text{Rh}$  are expected:



th. calc.: Meng *et al.*

# Chirality in $^{103}\text{Rh}$

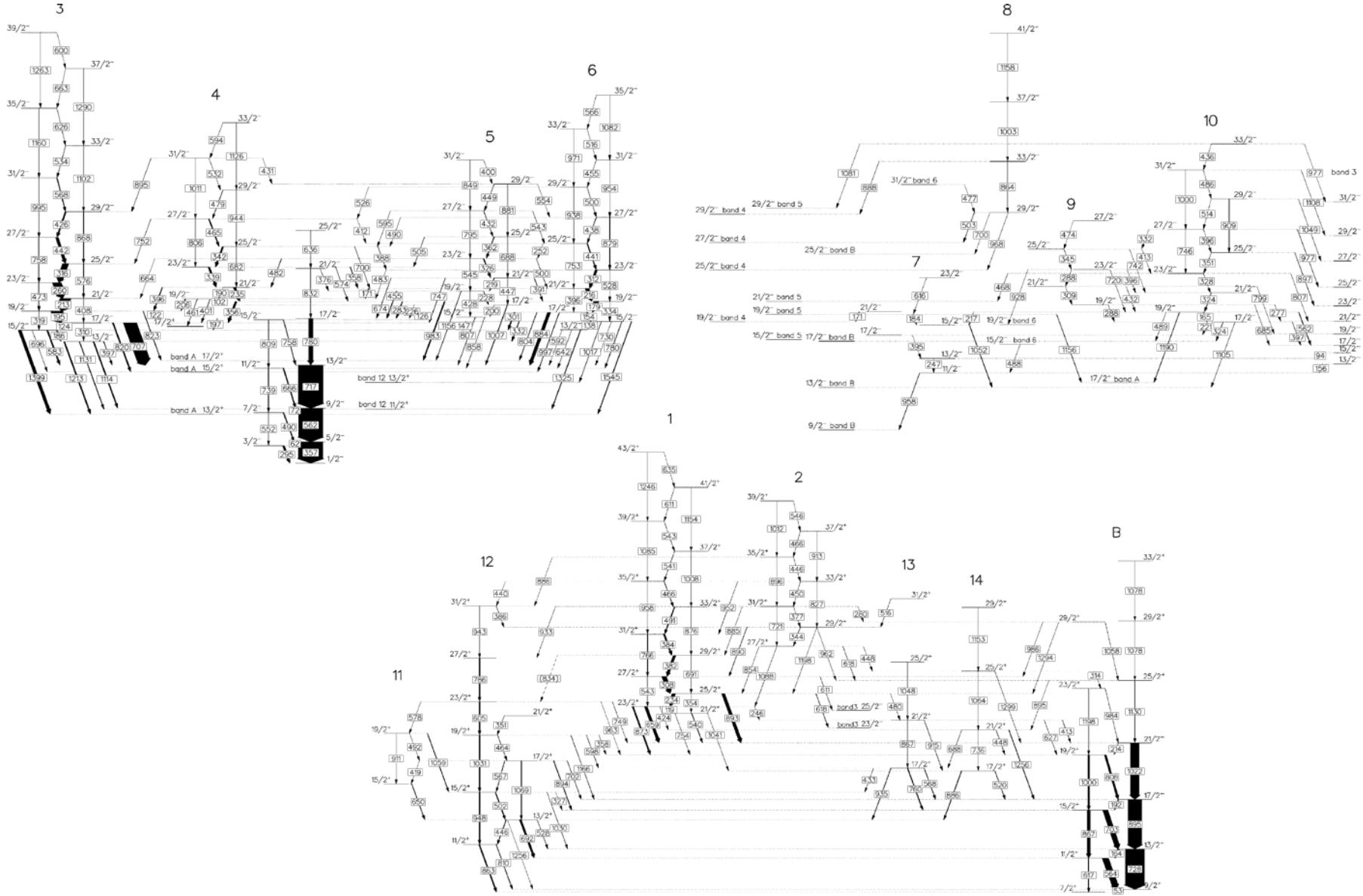


Timár et al., Phys. Rev. C 73, 011301(R) (2006)

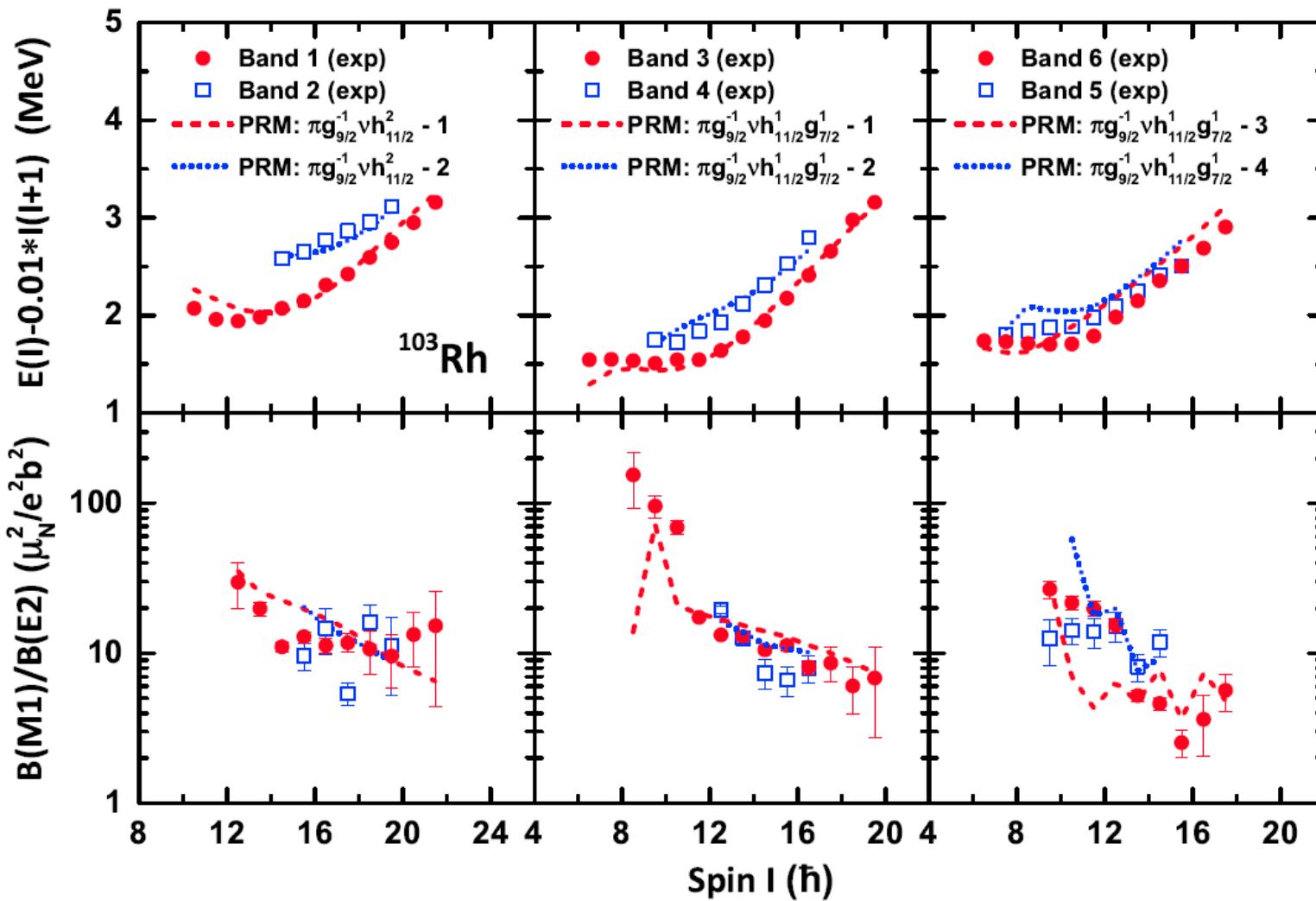
## GAMMASPHERE experiment (K. Starosta)

- $^{96}\text{Zr}({}^{11}\text{B}, 5\text{n})^{103}\text{Rh}$   
fusion-evaporation reaction
- 40 MeV beam energy
- $\sim 9 \times 10^8$  quadruple- and higher-fold events
- strongest reaction channel:  $^{103}\text{Rh}$

# Chirality in $^{103}\text{Rh}$

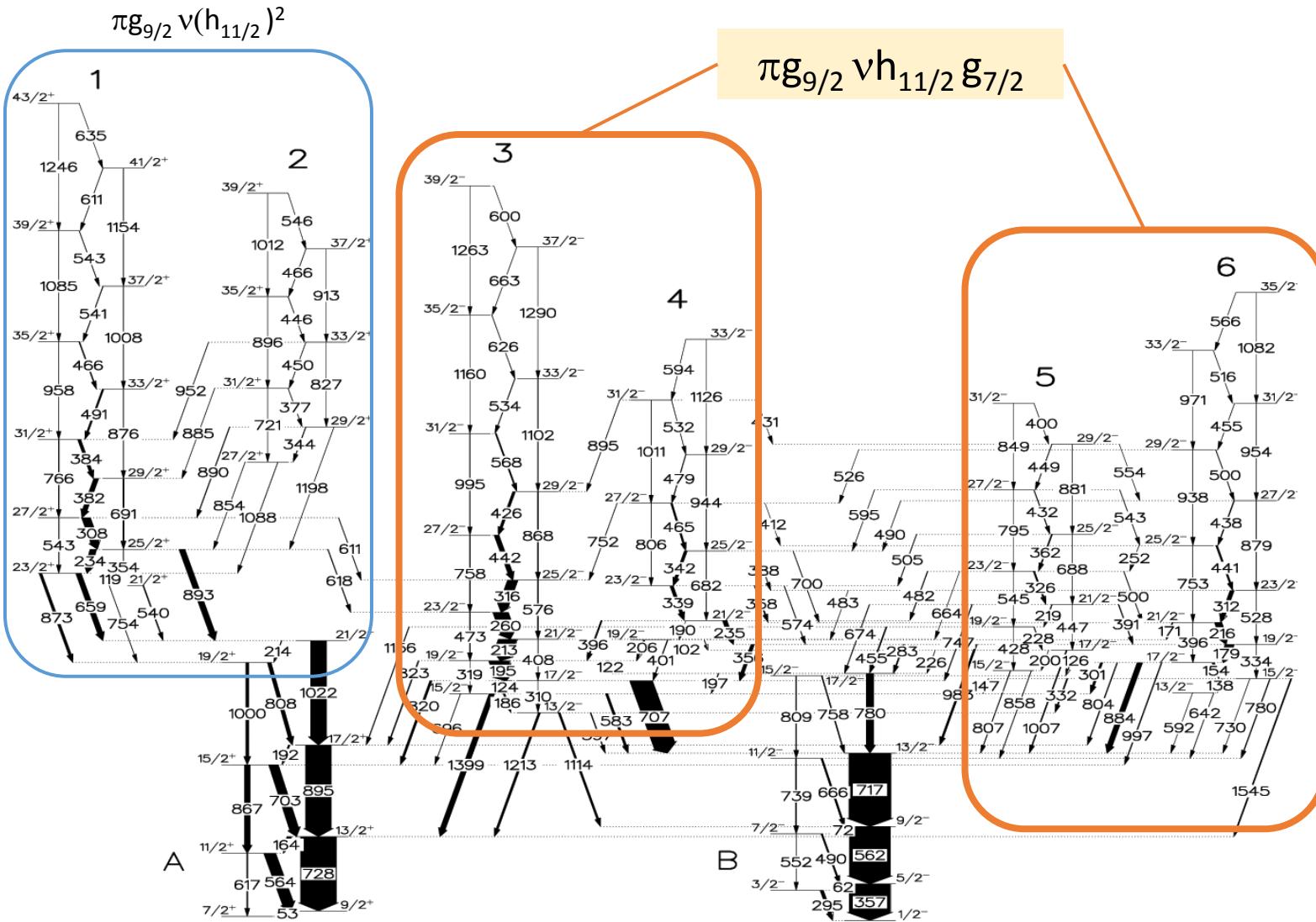


# Chirality in $^{103}\text{Rh}$



th. calc.: J. Meng *et al.*

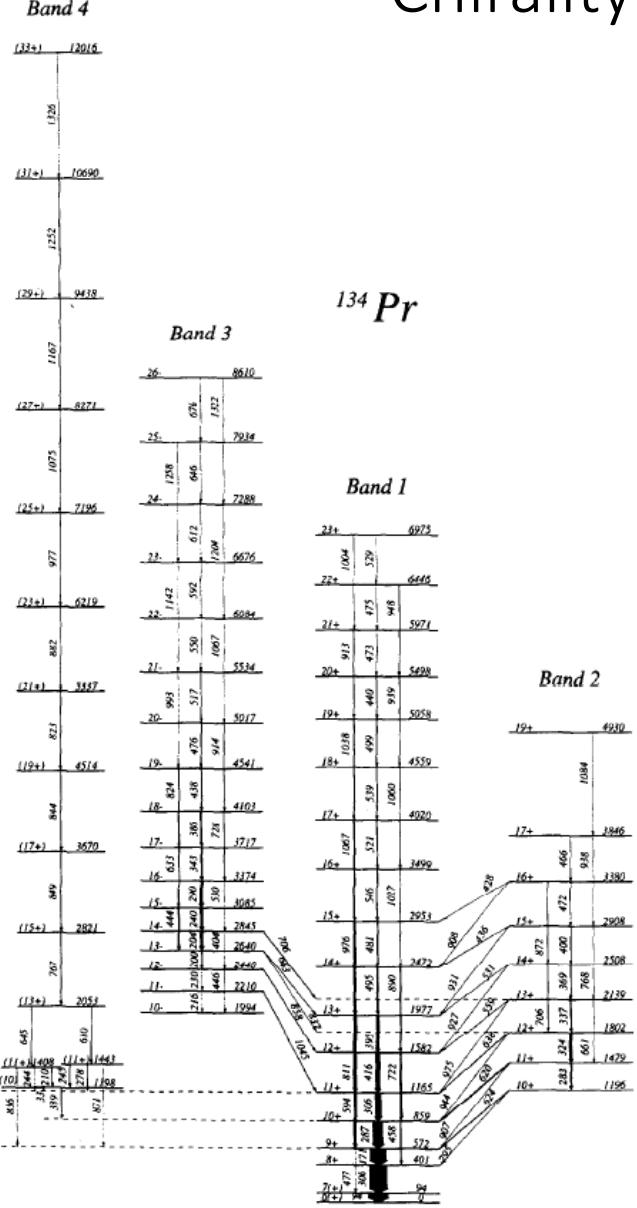
# Chirality in $^{103}\text{Rh}$



Kuti et al., Phys. Rev. Lett. 113, 032501 (2014)

# Chirality in A≈130 mass region

$^{134}\text{Pr}$



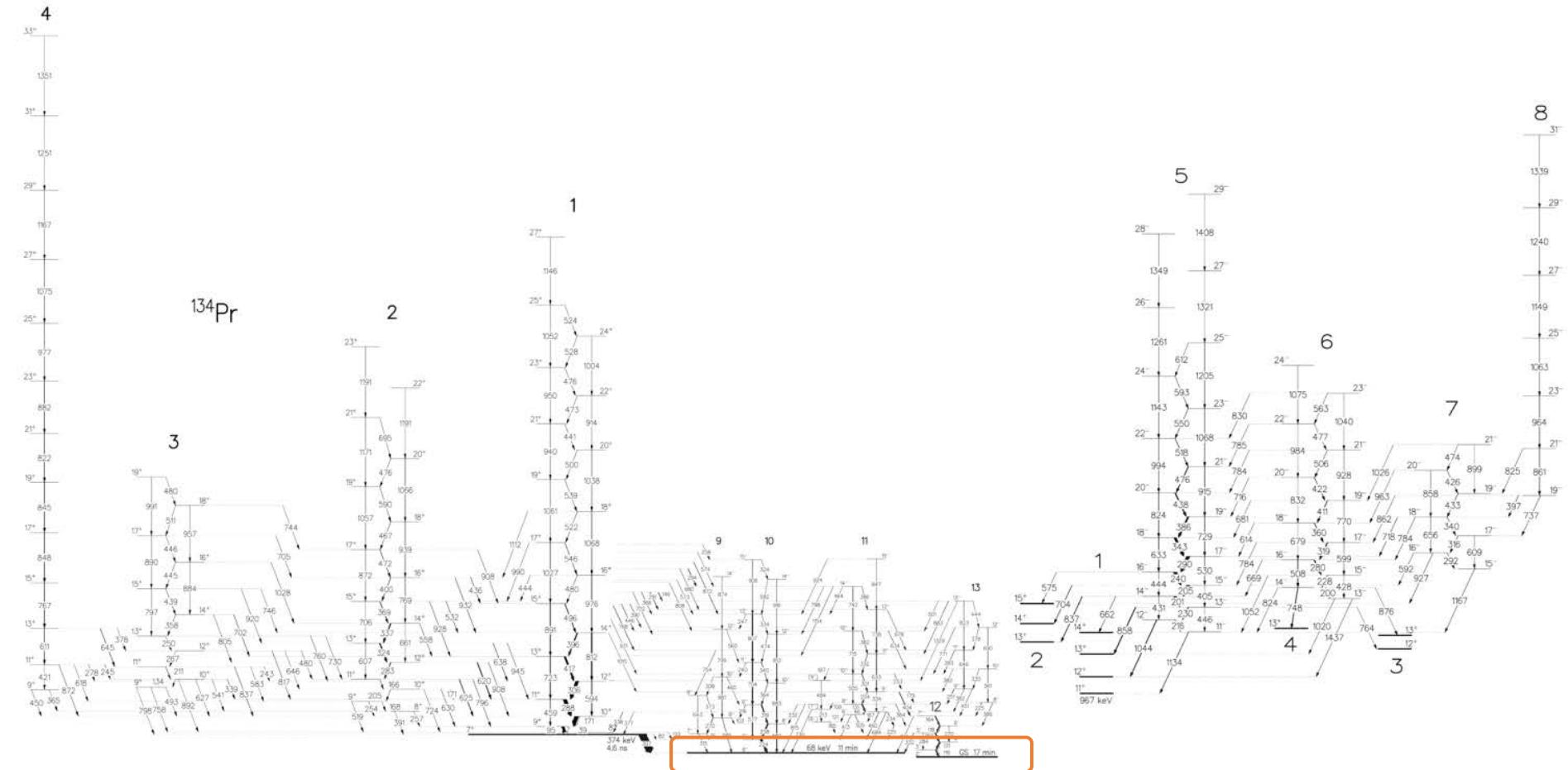
Petrache et al., Nucl. Phys. A 597, 106 (1996)

GAMMASPHERE experiment  
(K. Starosta)

- 99 HPGe detectors
- $^{116}\text{Cd}({}^{23}\text{Na}, 5\text{n})^{134}\text{Pr}$  fusion-evaporation reaction
- 115 MeV beam energy
- $\sim 7 \times 10^9$  triple coincidence events

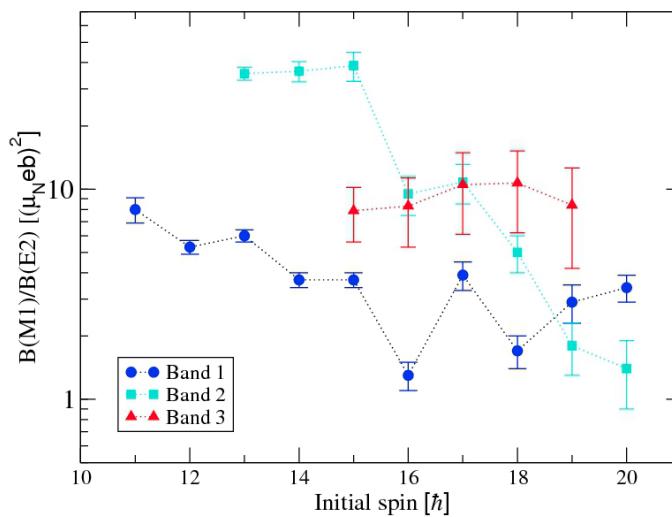
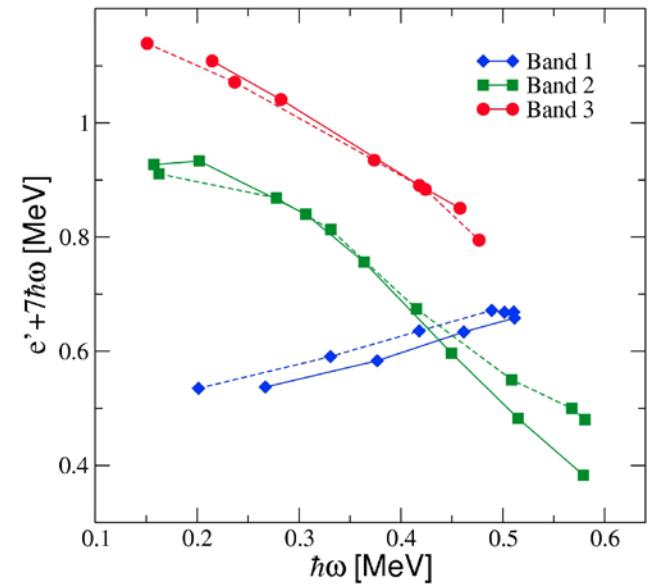
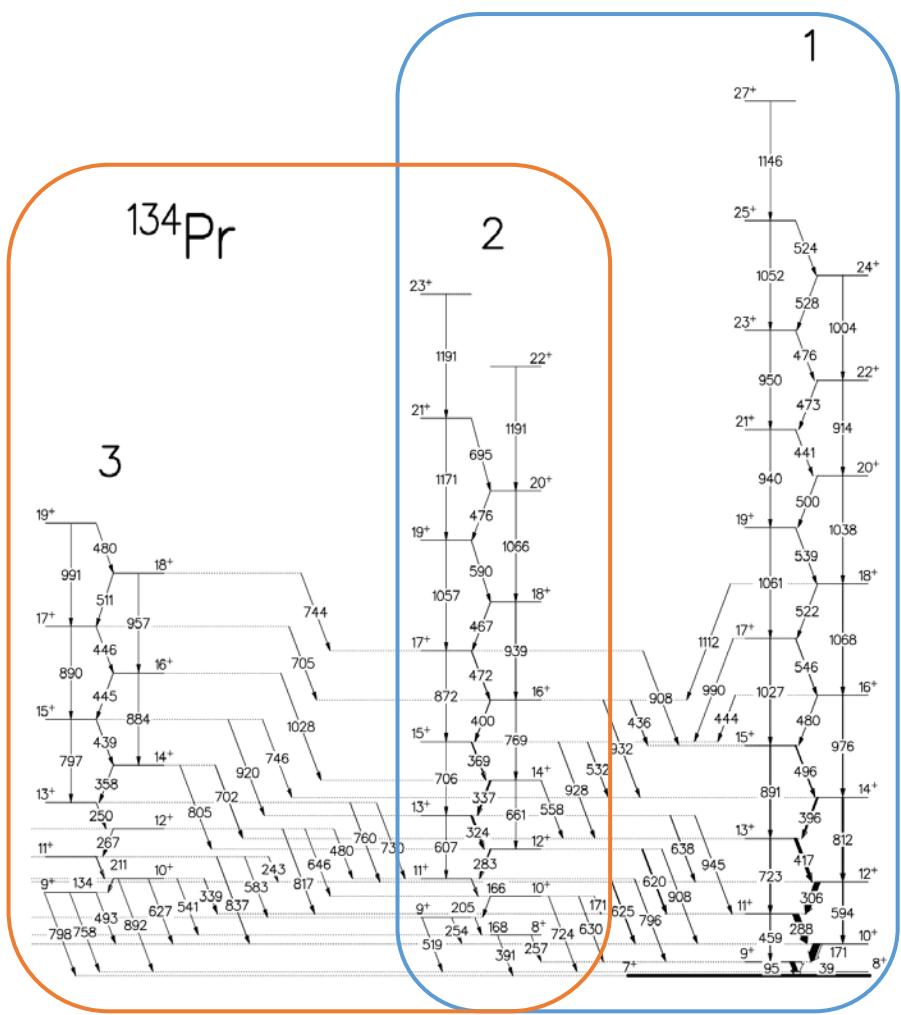
# Chirality in A≈130 mass region

## $^{134}\text{Pr}$



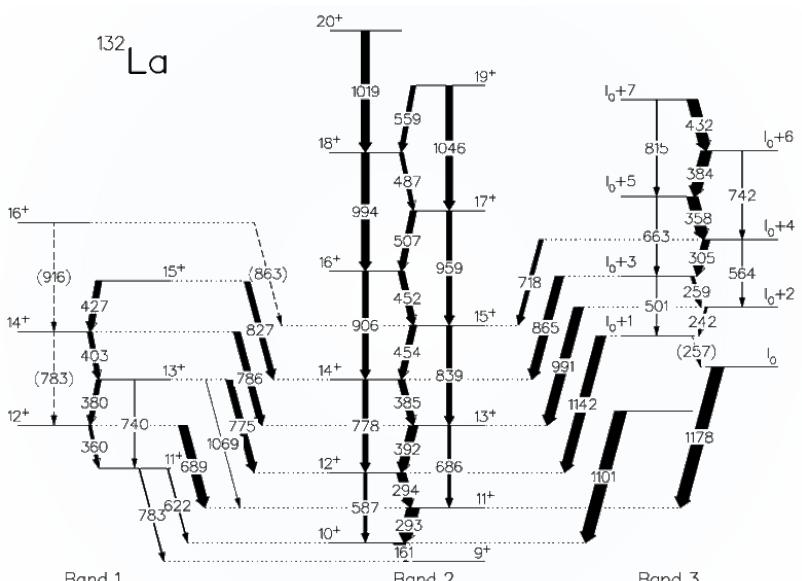
# Chirality in A≈130 mass region

$^{134}\text{Pr}$



# Chirality in A≈130 mass region

## $^{132}\text{La}$



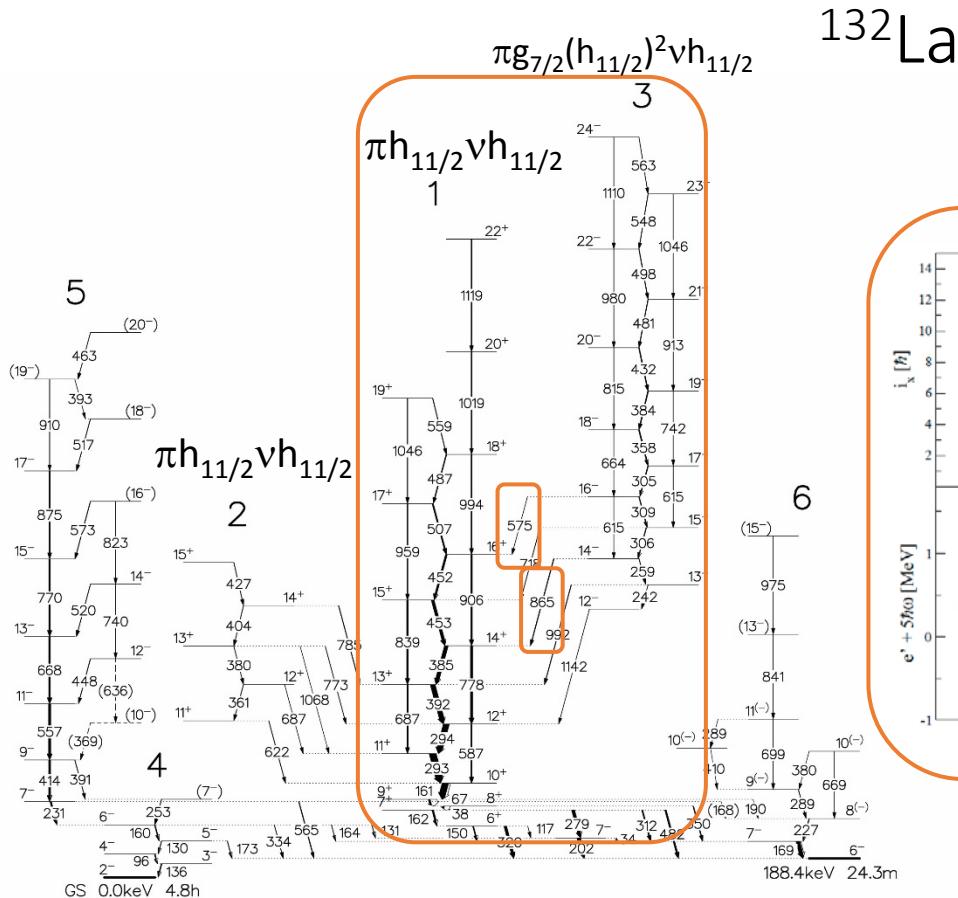
GAMMASPHERE experiment  
(K. Starosta)

- 99 HPGe detectors
- $^{116}\text{Cd}(\text{Na}^+, \alpha 3n)$  reaction
- 115 MeV beam energy

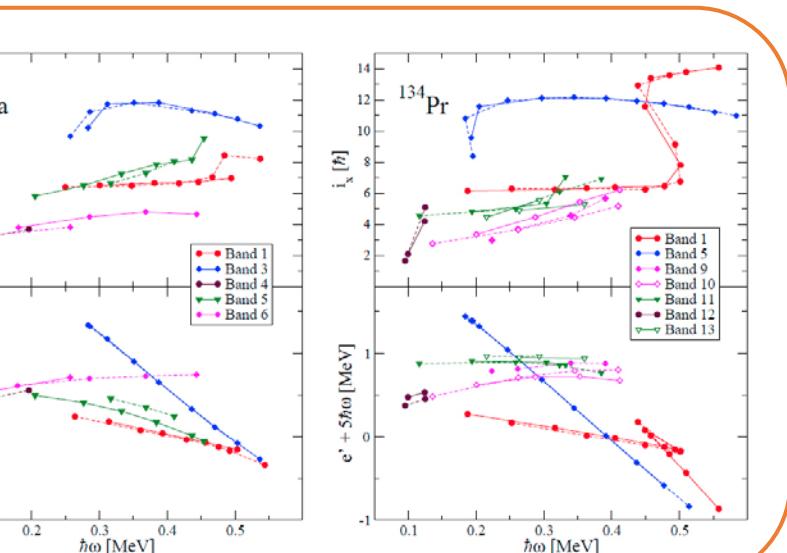
EUROBALL IV experiment

- 16 clusters, 26 clovers, 30 tapered
- $^{100}\text{Md}(\text{Sn}^+, p 3n)$  reaction
- 160 MeV beam energy

# Chirality in A≈130 mass region



Different configuration:  
Chiral scenario ruled out for Band 3



Similarities with  $^{134}\text{Pr}$ :  
Possible third  $\pi h_{11/2} v h_{11/2}$  band

High statistics experiments needed!

# Summary

A≈100 mass region:



Two observed doublet bands  
with an identical configuration  
of  $\pi g_{9/2} \nu h_{11/2} g_{7/2}$ .

A≈130 mass region:



New candidate band;  
chirality in these nuclei  
is not yet answered.

## Outlook



Thank you for your attention!



Mult.      DCO      Pol.

M1( $\Delta l=1$ )	$\sim 1$	-
M1( $\Delta l=0$ )	$\sim 2$	+
E1( $\Delta l=1$ )	$\sim 1$	+
E1( $\Delta l=0$ )	$\sim 2$	-
E2	$\sim 2$	+

Energy      DCO      Pol.

575 keV	2.14(28)	-0.4(3)
865 keV	2.08(19)	-0.5(2)

