

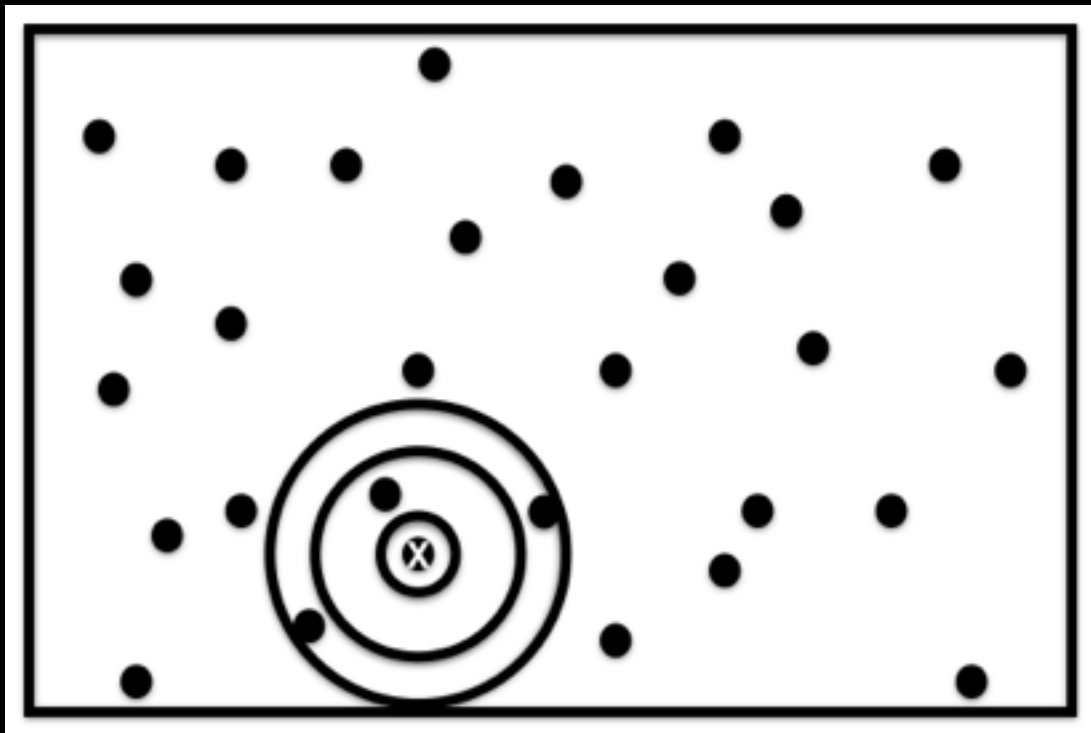
ZACHARY SLEPIAN
EINSTEIN FELLOW, LBNL

THE MISSING SATELLITE PROBLEM RE-EXAMINED

NORDITA
28 JULY 2017

*WITH ANDREW SONG, MATT CRAIGIE, LEHMAN GARRISON, &
DANIEL EISENSTEIN*

BUT FIRST, A MESSAGE FROM OUR SPONSORS . . . HIGHER-POINT STATS

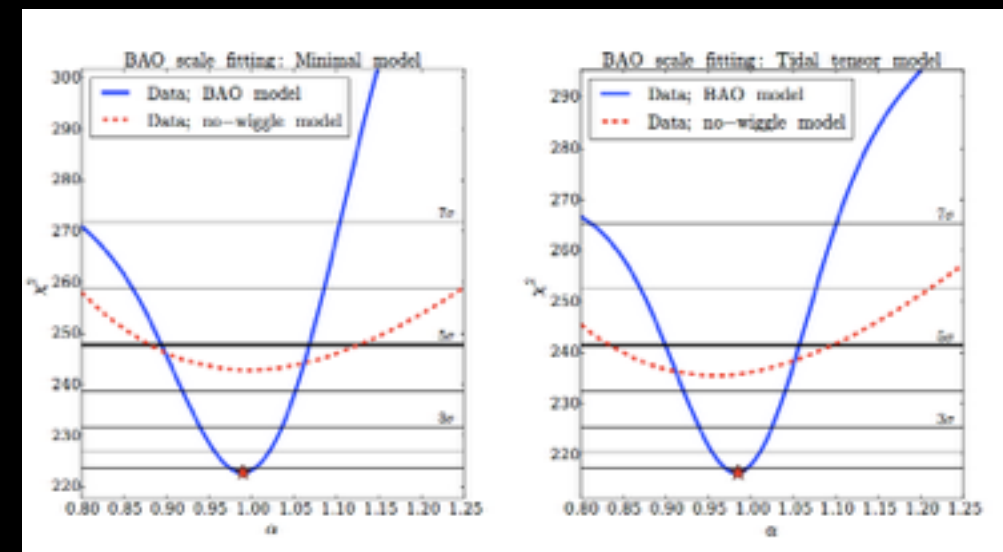


Estimate 3PCF around a given galaxy by binning density into spherical shells and then expanding angular dependence in spherical harmonics

3PCF: **ZS**+DE16a, with FTs 16b

Full redshift space 3PCF: **ZS**+DE17

$$\text{3PCF multipoles} = \sum_m a_{lm}(r_1) a_{lm}^*(r_2)$$



$$\text{4PCF harmonics} = \sum_m \begin{pmatrix} l_1 & l_2 & l_3 \\ m_1 & m_2 & m_3 \end{pmatrix} a_{l_1 m_1}(r_1) a_{l_2 m_2}(r_2) a_{l_3 m_3}(r_3)$$

NPCF: **ZS**, DE, RM Cahn17



AND NOW TO OUR FEATURED PROGRAMME . . .

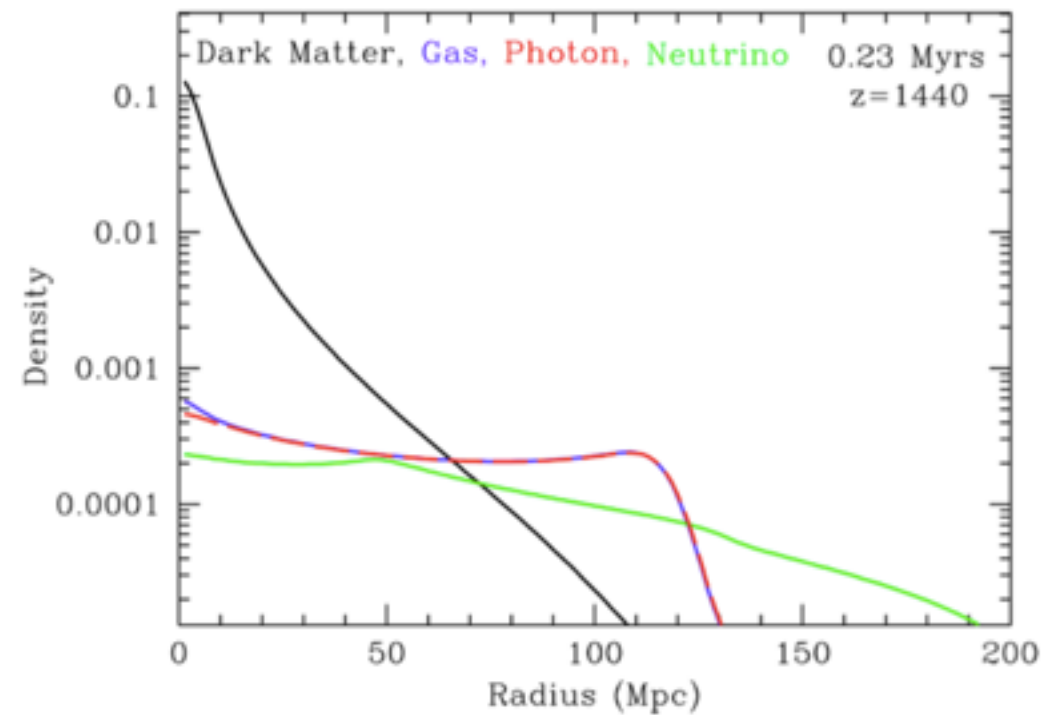
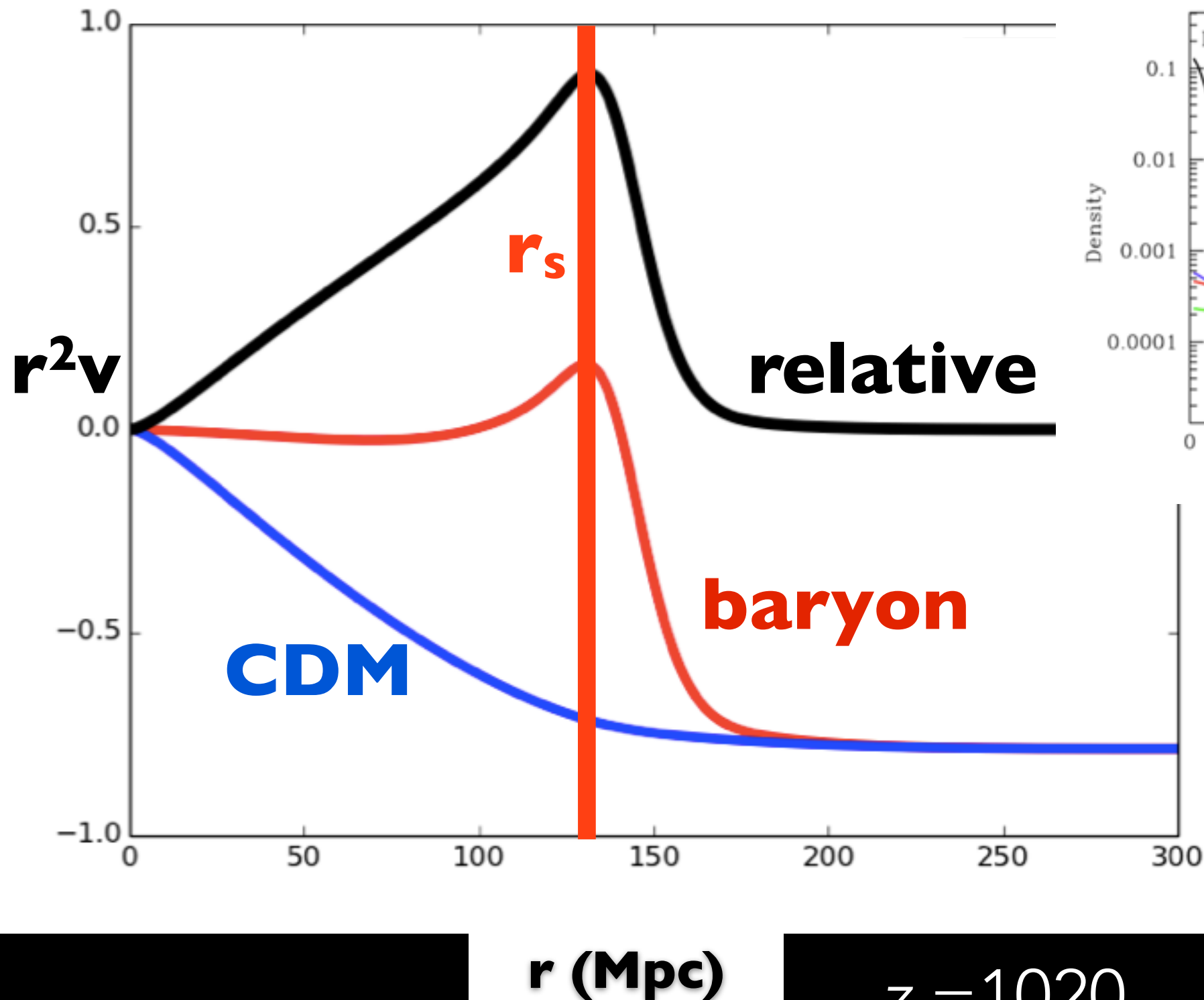
Well-known problem with CDM: excess of small halos predicted by simulations relative to observations

Could be baryon feedback, could be reionization, could be modified gravity . . .

One piece of physics we *know* is there has generally not been included

BARYON-CDM RELATIVE VELOCITY

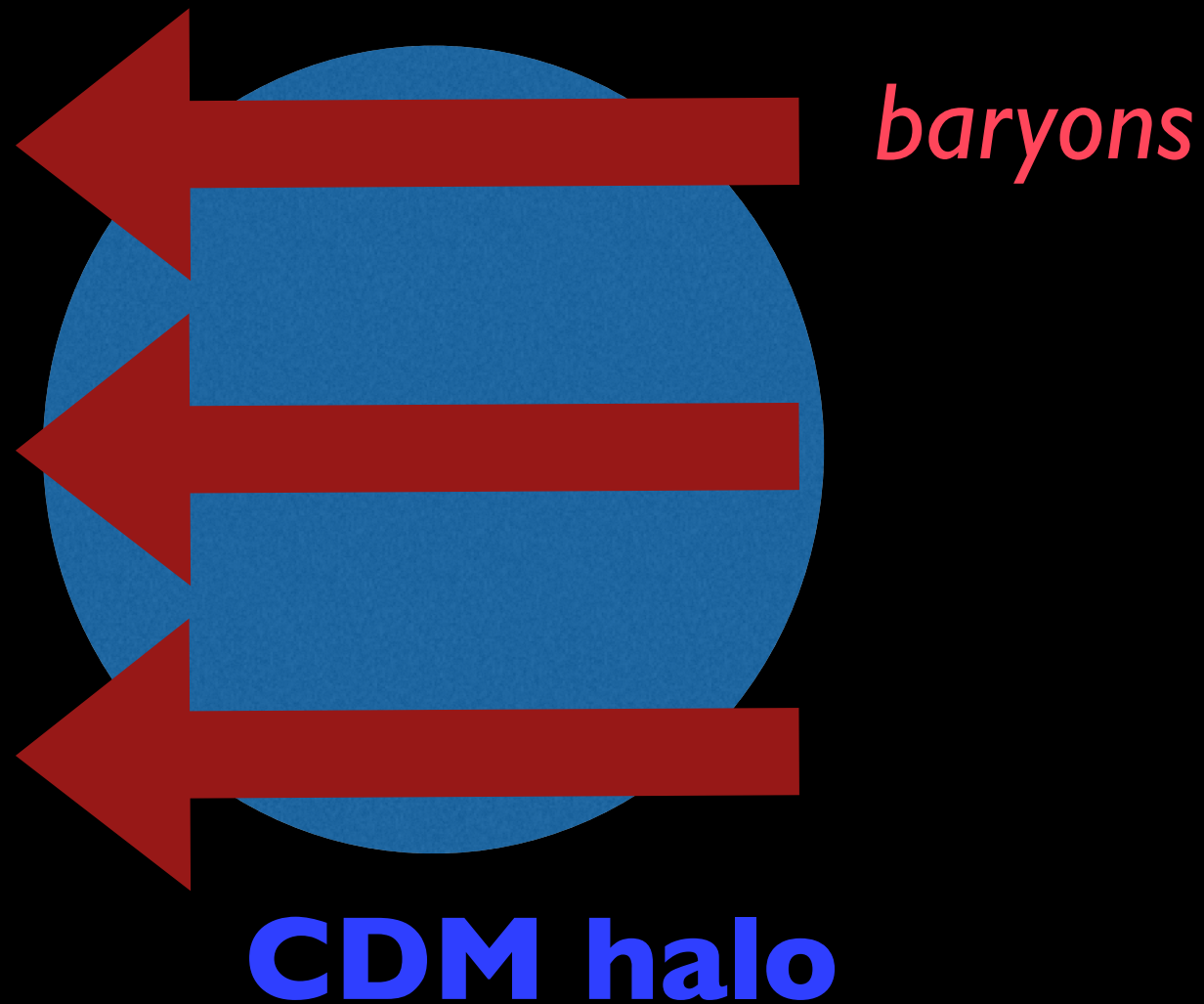
Velocity Green's functions



Baryon-photon pulse
outgoing

$z = 1020$

Figures: ZS&DE 2015a,
Eisenstein Seo & White 2007, ZS & DE 2016
RV effect: Tselikhovich & Hirata 2010



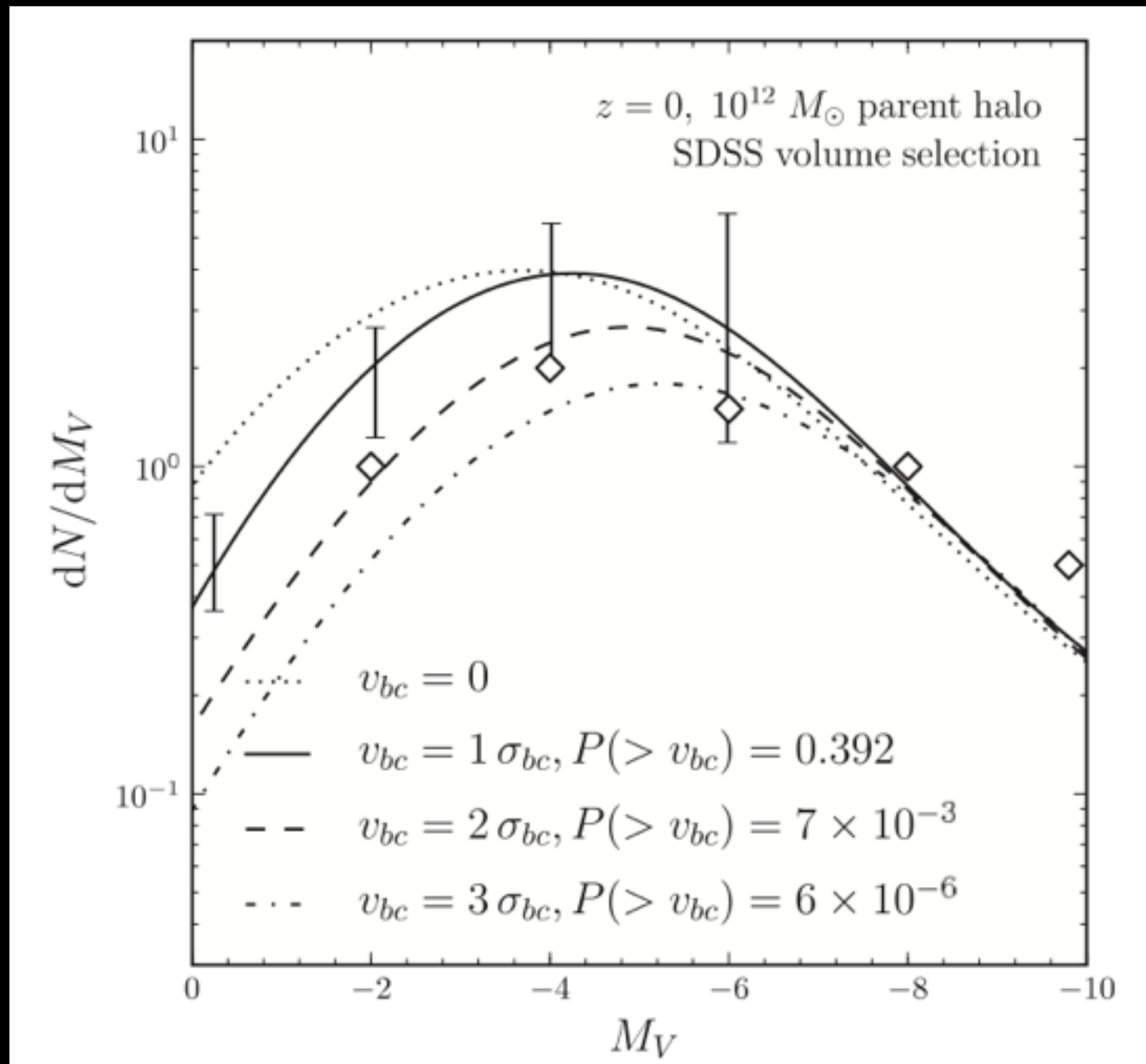
*A wind can really sink
galaxy formation!*

Relative velocity is sourced by overdensities and so varies over different patches of Universe.

$1\sigma = 10\%$ of typical circular velocity for $10^6 M_{\text{sun}}$ halos at $z = 50$

A MODEST PROPOSAL *(Not my own)*

Bovy & Dvorkin 13: RV could suppress low-mass halos before reionization



Diamonds = data from Koposov+09

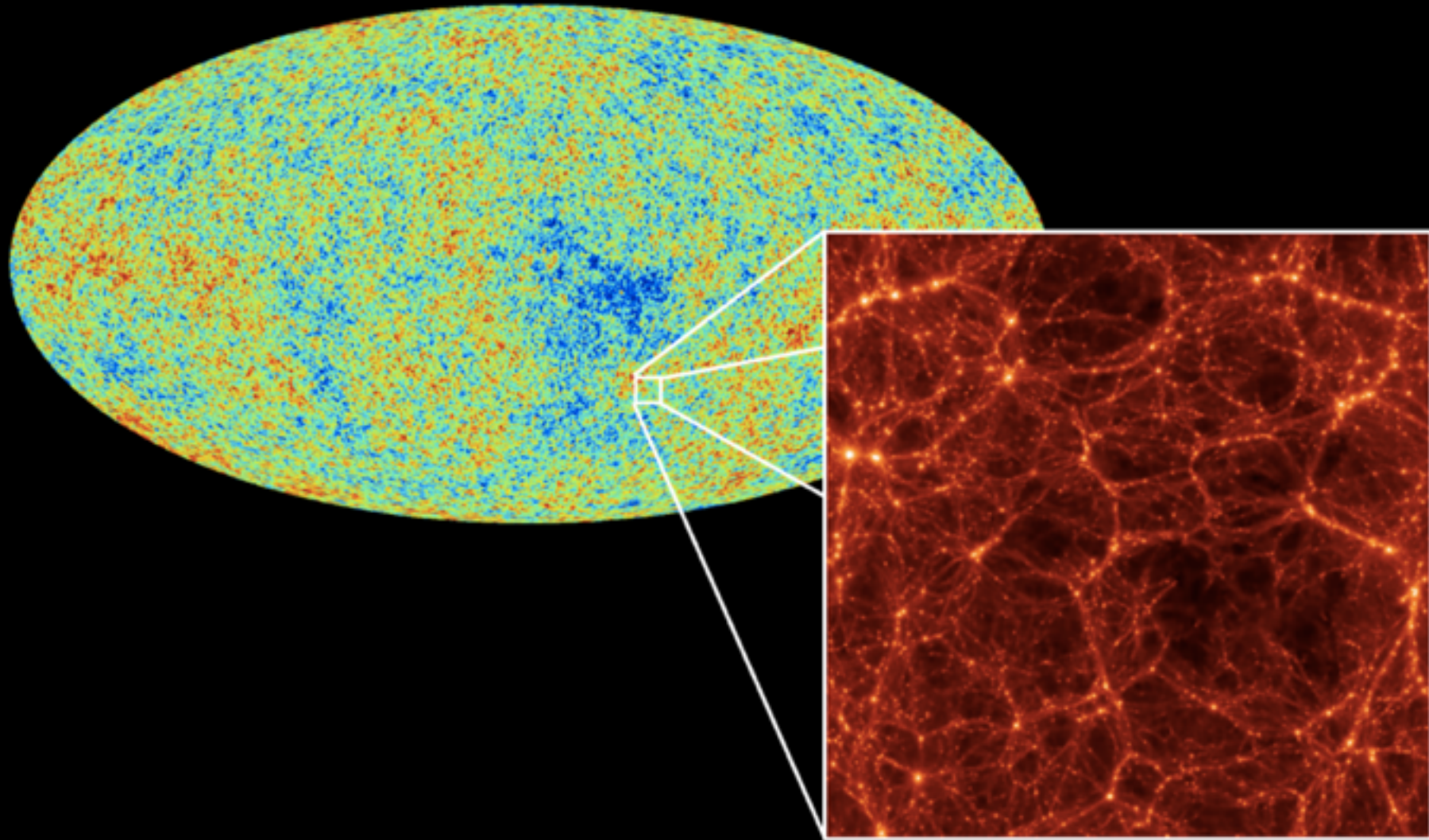
SO WHAT DO WE NEED?

*A 1.5 to 2.5 sigma above-average baryon-CDM
relative velocity in the Milky Way*

For the Milky Way, we can in fact simply go
ahead and measure it.

**We have the Green's function.
We have the galaxy density field
around us.**

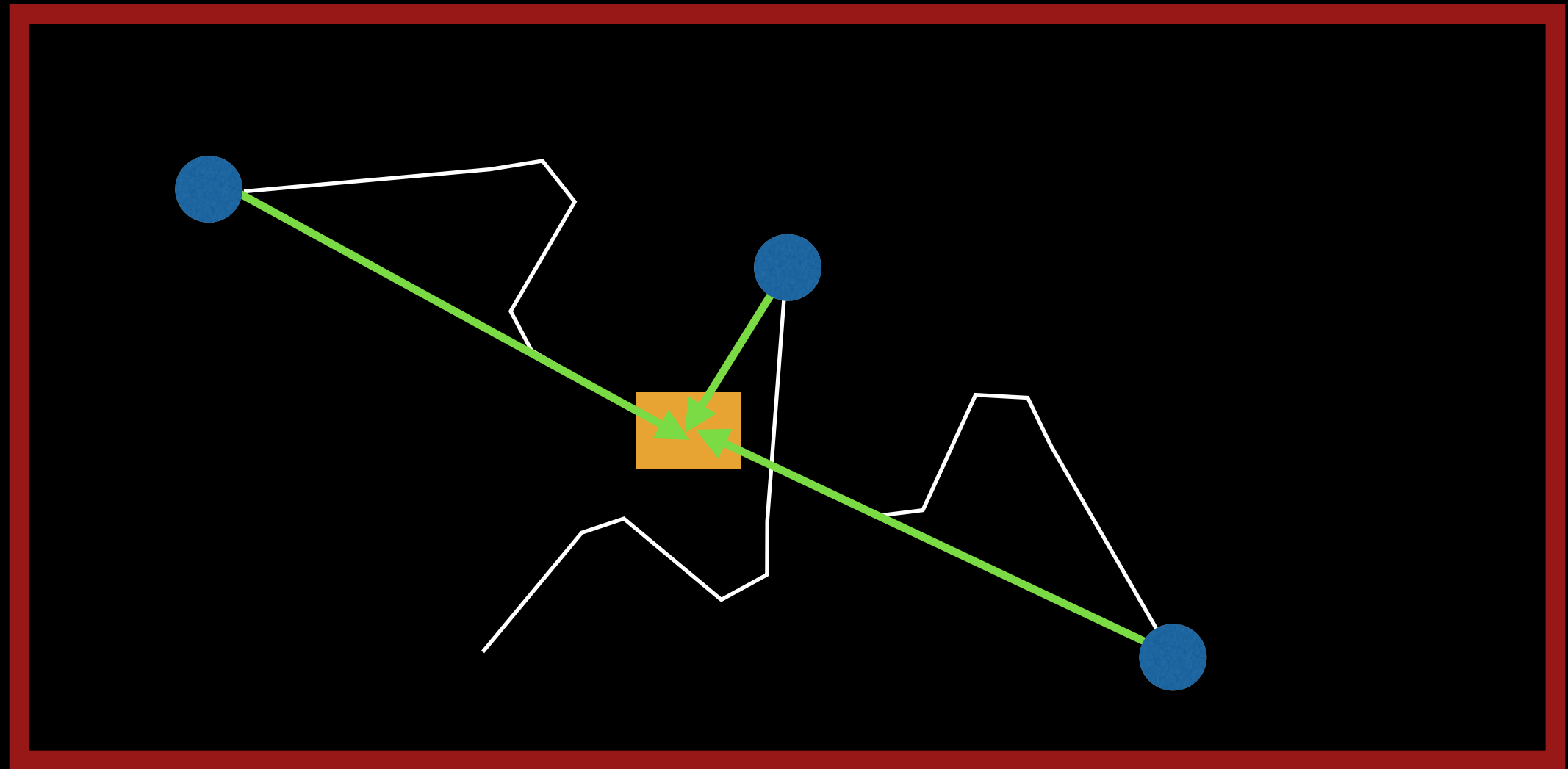
IMAGINE THE UNIVERSE A VIOLIN



A SINGLE PLUCK LAUNCHES A SINGLE WAVE



Each galaxy around the Milky Way is like a single pluck



Direction is always along
separation from external
galaxy to MW

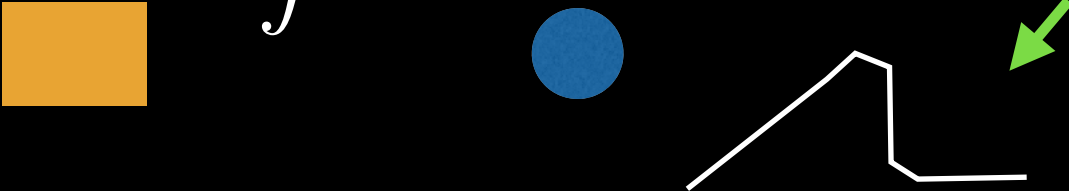
Magnitude is set by Green's
function (crudely drawn)

2MASS REDSHIFT SURVEY

91% sky coverage, ~45,000 galaxies, ~98% complete, magnitude limit of $K_s = 11.75$ mag, census of galaxies within local 300 Mpc

Recall Green's function only is non-zero up to 150 Mpc. Unlike traditional velocity reconstruction (sorry POTENT!), we have a tractable problem.

We create a volume-limited sample (~15,000 galaxies) so that we can ignore bias evolution: bias will be a constant.

$$\vec{v}_{bc}(0) = \int d^3 \vec{r} \, \delta_{\text{lin}}(\vec{r}) v_G(r) \hat{r}$$


The diagram consists of three elements: an orange square, a blue circle, and a green arrow. The green arrow points from the right towards a white line graph. The line graph starts at the origin, rises linearly to a peak, and then falls linearly to a constant value on the right.

$$\delta_g(\vec{r}) = b_1 \delta_m(\vec{r}) = b_1 \left[\delta_{\text{lin}}(\vec{r}) + \delta^{(2)}(\vec{r}) \right]$$

$$\delta_{\text{lin}}(\vec{r}) \approx \delta_g(\vec{r}) / b_1$$

Ignore non-linear evolution and ignore RSD.

We can test if these approximations are good using simulations, and we do (preliminary).

WHAT ABOUT BOUNDARY EFFECTS?

9% of sky is missing: does that matter? (we make azimuthally-symm. cuts)

Three methods:

1) Simulate

2) Throw randoms on full and cut sky and compute the change in relative velocity: ~7%

2) Model analytically: can impose an azimuthally -symmetric cut and solve for the change in variance: ~4%

$$\sigma_{\text{bc,full sky}}^2 = \int \frac{k^2 dk}{2\pi^2} P(k) \tilde{v}_G^2(k)$$
$$\sigma_{\text{bc,azi. cut}}^2 = 2 \int \frac{k^2 dk}{2\pi^2} P(k) \sum_L (2L + 1) \left(\tilde{v}_G^{[L]}(k) \right)^2$$
$$\times \sum_J \eta_J^2(0, \mu_{\text{crit}}) \begin{pmatrix} L & 1 & J \\ 0 & 0 & 0 \end{pmatrix}^2$$

WHAT DO WE GET?

Assuming galaxy bias ~ 2 , our preliminary result is 2.25 sigma.

I.e., enough for the Bovy & Dvorkin picture to work and, by itself, solve the missing satellite problem.

There are caveats, so we are doing further testing with simulations.

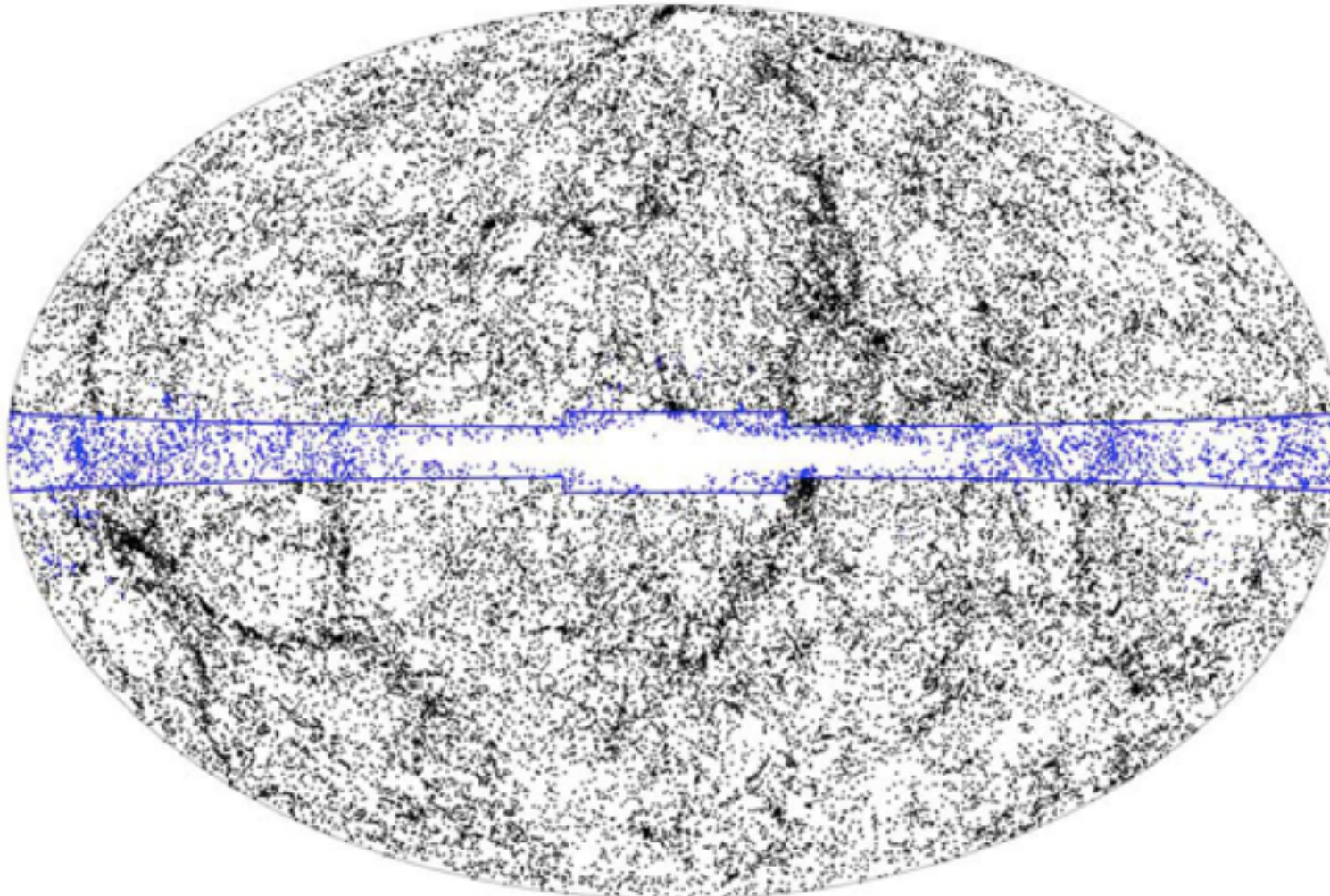
Hope I haven't "boared" you, and thanks to the organizers!

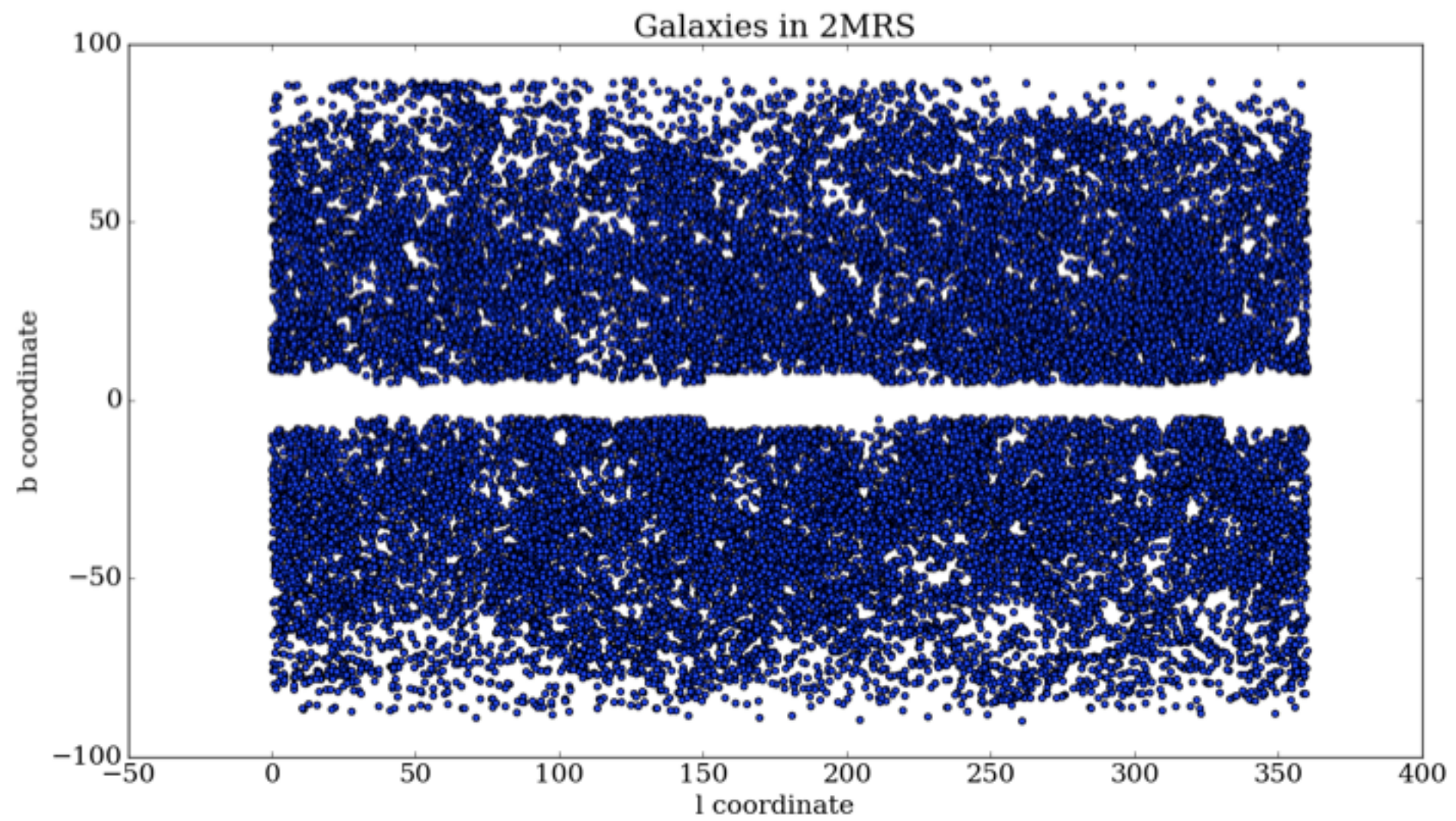


TABLE 1
LARGE REDSHIFT SURVEYS OF THE NEARBY UNIVERSE TO DATE

Survey	Sky coverage % 4π sr	Depth ^a (z)	Selection (band, flux)	# gals. ($\times 10^3$)	Reference
CfA1	30%	0.03	B=14.5 mag	2.4	de Lapparent et al. (1986)
ORS	60%	0.03	B=14.0 mag	8.5	Santiago et al. (1995)
SSRS2+ CfA2	60%	0.04	B=15.5 mag	23.6	da Costa et al. (1998a) & Huchra et al. (1999a)
IRAS PSCz	85%	0.08	$60\mu\text{m}=0.6$ Jy	16.1	Saunders et al. (2000a)
LCRS	1%	0.17	R=17.5 mag	25.3	Shectman et al. (1996)
2dF	8%	0.19	$b_J=19.5$ mag	245.6	Colless et al. (2001)
SDSS ^b	35%	0.33	$r=17.5$ mag	943.6	Aihara et al. (2011)
6dFGS	40%	0.10	$K_s=12.65$ mag	124.6	Jones et al. (2004, 2005, 2009)
2MRS11.25	83%	0.04	$K_s=11.25$ mag	20.6	Huchra et al. (2005)
2MRS	91%	0.05	$K_s=11.75$ mag	43.5	this work

NOTE. — (a): 90%-ile redshift value in catalog. (b): DR8 main galaxy sample.





$$\{\rm 3PCF; multipoles\} = \sum_m a_{\{lm\}}(r_1) a^*_{\{lm\}}(r_2)$$

$$\{\rm 4PCF; harmonics\} = \sum_m \left(\begin{array}{ccc} l_1 & l_2 & l_3 \\ m_1 & m_2 & m_3 \end{array} \right) a_{\{l_1 m_1\}}(r_1) a_{\{l_2 m_2\}}(r_2) a_{\{l_3 m_3\}}(r_3)$$

$$\vec{v}_{\{bc\}}(0) = \int d^3\vec{r} \; \delta_{\rm lin}(\vec{r}) \; v_G(r) \hat{r}$$

$$\delta_{\rm g}(\vec{r}) = b_1 \delta_{\rm m}(\vec{r}) = b_1 \left[\delta_{\rm lin}(\vec{r}) + \delta^{\{2\}}(\vec{r}) \right]$$

$$\delta_{\rm lin}(\vec{r}) \approx \delta_{\rm g}(\vec{r})/b_1$$