Generation of upward Alfvénic waves by the chromospheric shock waves

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standard Alfvén-wave modeling of the corona & wind





Is the standard understanding correct ?





mode-conversion in the chromosphere



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mode-conversion in the chromosphere

Many previous researches on mode conversion (Bogdan+03, Cally+06, Khomenko+12, Shelyag+16 etc.)





mode-conversion: elemental process

Critical parameter for mode conversion is the *attacking angle* θ , the angle between the propagation direction & magnetic field





motivation of this study

We study the mode conversion process *inside the flux tube* all waves propagate along the background flux tube (1D system) impose both longitudinal & transverse waves at the photosphere





Basic equations to be solved

1D isothermal MHD equations including gravity & flux tube expansion

$$\begin{split} & \frac{\partial}{\partial t} \left(\rho A \right) + \frac{\partial}{\partial x} \left(\rho v_x A \right) = 0, \\ & \frac{\partial}{\partial t} \left(\underbrace{ \begin{array}{c} \dots & A \end{array}}_{+} & \frac{\partial}{\partial t} \left[\left(\underbrace{ \begin{array}{c} \dots & 2 \end{array}}_{+} & \underline{\partial a^2} \right)_{-A} \right]_{---A} & \frac{\partial}{\partial A} \left(1 \underbrace{ \begin{array}{c} \dots & A \end{array}}_{+} & \frac{\partial}{\partial A} \left(1 \underbrace{ \begin{array}{c} \dots & A \end{array}}_{+} & \frac{\partial}{\partial A} \left(1 \underbrace{ \begin{array}{c} \dots & A \end{array}}_{+} & \frac{\partial}{\partial A} \left(1 \underbrace{ \begin{array}{c} \dots & A \end{array}}_{+} & \frac{\partial}{\partial A} \left(1 \underbrace{ \begin{array}{c} \dots & A \end{array}}_{+} & \frac{\partial}{\partial A} \left(1 \underbrace{ \begin{array}{c} \dots & A \end{array}}_{+} & \frac{\partial}{\partial A} \left(1 \underbrace{ 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Numerical Setup : overview of simulation





x = 12H

H : density scale height

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Simulation result

Numerical Result 2 : case II (expanding tube)





Role of Alfvén wave input

Attacking angle, the critical parameter is determined by Alfvénic (transverse) wave itself





amplification of Alfvénic flux (uniform-tube case)





sit-and-stare observation of the northern polar region

Mg II k line is used for analysis



Observation result

Line profile & timeslice at one pixel









Using 1D simulation, we have shown intermittent, impulsive Alfvénicwave generation triggered by acoustic (shock) waves inside the flux tube.

Similarity of the normalized power spectrum (energy-containing scale) shows the mode conversion occurs under the Mg II k formation height.





On the role of the chromosphere in coronal heating

The chromosphere was thought to be just a *dissipative medium connecting the wave source* & *the corona*.

Alfvén-wave energy flux as a function of height (two different models).





Numerical Setup : background plasma beta





Numerical Result : amplification of Alfvénic flux (case I)

Upward energy flux of Alfvén(ic) wave is obtained as below.

$$F^{+} = \frac{1}{T_{\rm sim}} \int_{0}^{T_{\rm sim}} \left[\frac{1}{4} \rho \boldsymbol{z}_{+}^{2} C_{A} A \right] dt$$

 T_{sim} : simulation time (needed for temporal averaging)

 z_+ : outward Elsässer variable $z_+ = v_\perp - B_\perp / \sqrt{4\pi\rho}$

A : cross section of magnetic flux tube

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Effect of ambipolar diffusion

Ambipolar diffusion (diffusion caused by neutrals) is recently thought to be Important for high-frequency ($\geq 10 \text{mHz}$) Alfvén waves. (Goodman 2011, Khomenko+ 2012, Shelyag+ 2016)

