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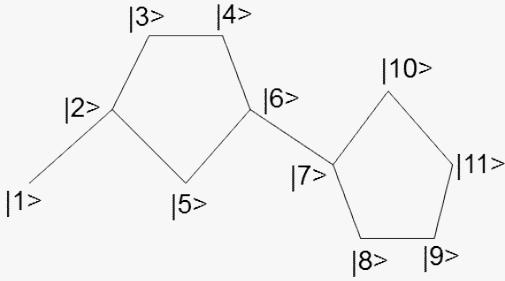
```
(*We write firstly well-known matrix elements of the model*)

A = 123.6; B = 0.3776; c0 = 7.814;
(*static lattice parameters taken from PRL 1989,vol.63,7,786-789*)
Rcc = 1.557; Rcs = 1.782;
(* p=1 takes into account interaction with phonons,i.e. for p=0,
phonon-electron coupling is absent and the calculation goes for static lattice*)
p = 1.0;
(*p=1 takes into account interaction with phonons,i.e. for p=0,
phonon-electron coupling is absent and the calculation goes for static lattice*)

β12 = A * Exp[-1.441 / B] + p * c0 * A * Exp[-1.441 / B] * (1.441 - Rcc + B);
β23 = A * Exp[-1.457 / B] + p * c0 * A * Exp[-1.457 / B] * (1.457 - Rcc + B);
β34 = A * Exp[-1.350 / B] + p * c0 * A * Exp[-1.350 / B] * (1.350 - Rcc + B);
β25 = A * Exp[-1.721 / B] + p * c0 * A * Exp[-1.721 / B] * (1.721 - Rcs + B);

(*first part are bonds, the second expresses phonon correction. Rij
are taken from Table I from aforementioned reference *)
Import["C:\\\\Users\\\\gor\\\\Desktop\\\\imagePT.pdf"]
```

polythiophene-MONOMER in atomic basis, any other conjugated polymer is applicable as well



We write Hamiltonian of the monomer system on the atomic basis from off-diagonal elements defined above as follows

$$\mathbf{M} = \begin{pmatrix} \tilde{\alpha}_1 & \beta_{12} & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ \beta_{12} & \tilde{\alpha}_2 & \beta_{23} & 0 & \beta_{25} & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & \beta_{23} & \tilde{\alpha}_3 & \beta_{34} & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & \beta_{34} & \tilde{\alpha}_4 & 0 & \beta_{23} & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & \beta_{25} & 0 & 0 & s & \beta_{25} & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & \beta_{23} & \beta_{25} & \tilde{\alpha}_6 & \beta_{12} & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & \beta_{12} & \tilde{\alpha}_7 & \beta_{23} & 0 & \beta_{25} & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & \beta_{23} & \tilde{\alpha}_8 & \beta_{34} & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & \beta_{34} & \tilde{\alpha}_9 & 0 & \beta_{23} & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & \beta_{25} & 0 & 0 & s & \beta_{25} & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & \beta_{23} & \beta_{25} & \tilde{\alpha}_{11} & 0 \end{pmatrix};$$

Then we introduce Hamiltonian for the sparse polymer system

```
Poly101 = MatrixForm[
  SparseArray[{{Band[{1, 1}] → M, Band[{11, 12}] → β12, Band[{12, 11}] → β12,
    Band[{12, 12}] → M, Band[{22, 23}] → β12, Band[{23, 22}] → β12,
    Band[{23, 23}] → M, Band[{33, 34}] → β12, Band[{34, 33}] → β12,
    Band[{34, 34}] → M, Band[{44, 45}] → β12, Band[{45, 44}] → β12,
    Band[{45, 45}] → M, Band[{55, 56}] → β12, Band[{56, 55}] → β12,
    Band[{56, 56}] → M, Band[{66, 67}] → β12, Band[{67, 66}] → β12,
    Band[{67, 67}] → M, Band[{77, 78}] → β12, Band[{78, 77}] → β12,
    Band[{78, 78}] → M, Band[{88, 89}] → β12, Band[{89, 88}] → β12,
    Band[{89, 89}] → M, Band[{100, 101}] → β12,
    Band[{101, 100}] → β12, Band[{101, 101}] → α̃1}, {101, 101}]];
```

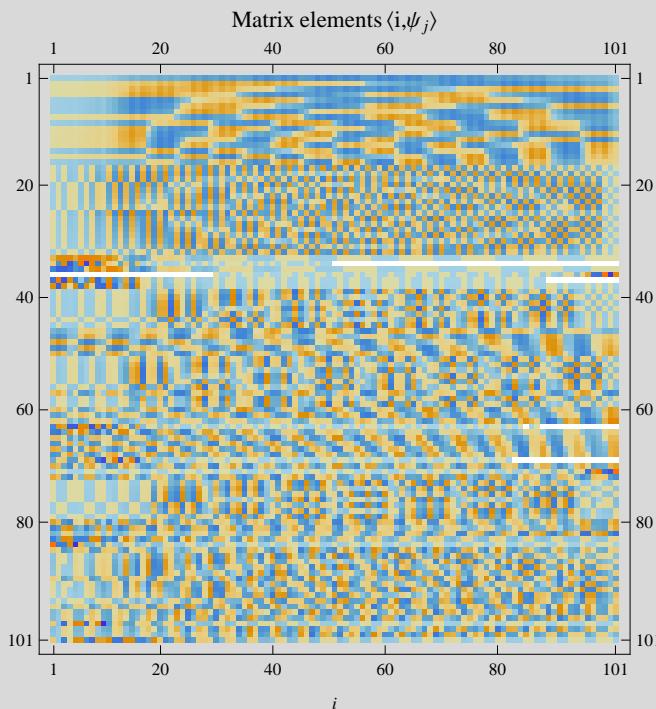
```
(*Eigen problem is solved in next step
for static polymer interacting with phonons*)
```

```
{vals, vecs} = Eigensystem[%]
```

```
dat1 = vals;
dat2 = vecs;
```

For each eigenstate $|\psi_j\rangle = \sum_{i=1}^{101} \langle i | \psi_j \rangle |i\rangle$ which are novel dressed electronic states due to disorder and coupling to phonons we can plot coefficients $\langle i | \psi_j \rangle$ in atomic basis

```
pic1 = MatrixPlot[vecs, FrameLabel → {j, i}, PlotLabel → "Matrix elements <i,ψ_j>"]
```

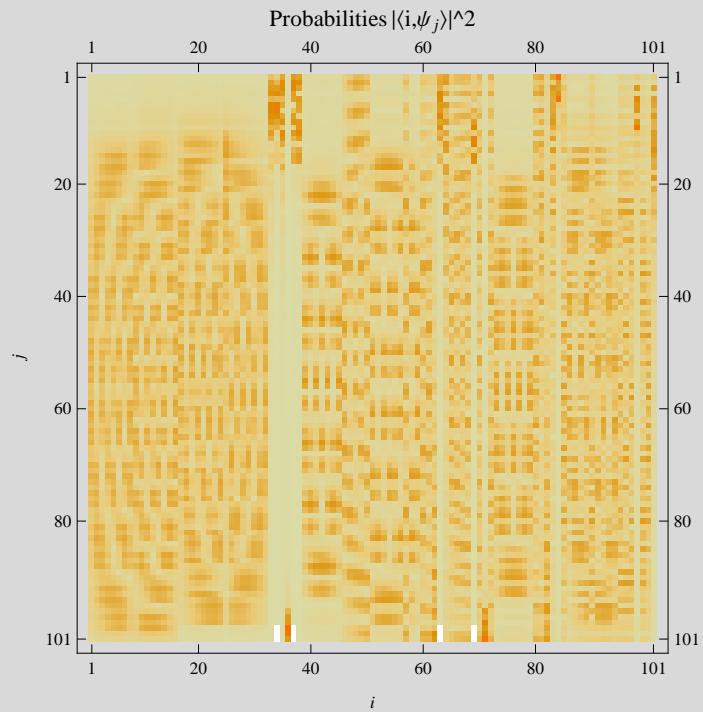


```
data3 = Table[vecs[[i]], {i, 1, 101}]
```

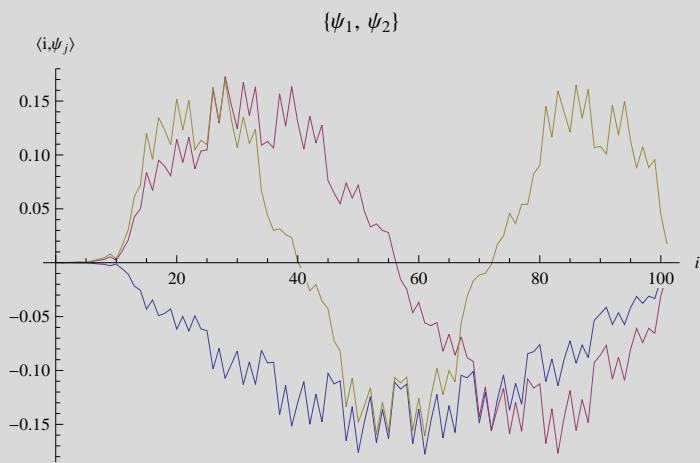
```
data4 = Table[vecs[[i, j]] * vecs[[i, j]], {j, 1, 101}, {i, 1, 101}];
```

```
MatrixForm[data4]
```

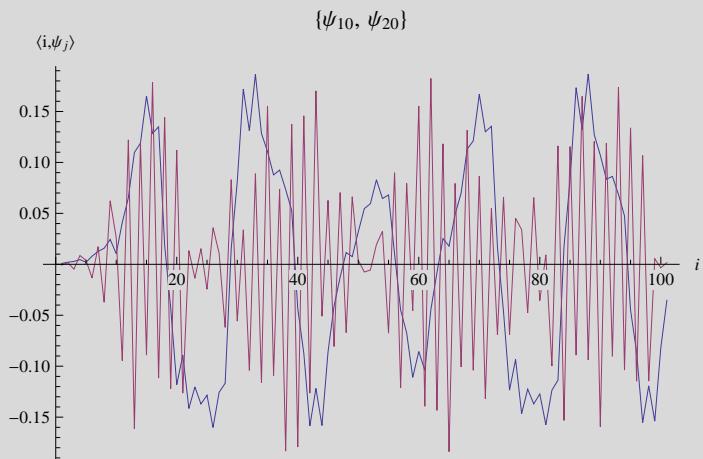
```
pic2 = MatrixPlot[%, FrameLabel -> {j, i}, PlotLabel -> "Probabilities |⟨i,ψj⟩|^2"]
```



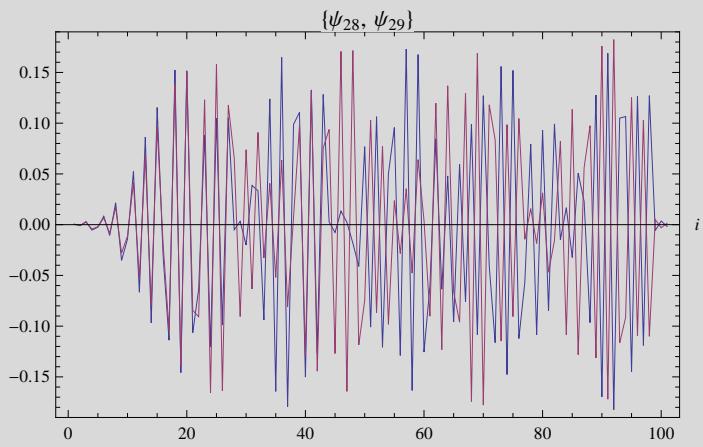
```
im1 = ListLinePlot[{vecs[[1]], vecs[[2]], vecs[[3]]},
  AxesLabel -> {i, " $\langle i, \psi_j \rangle$ "}, PlotLabel -> {ψ1, ψ2}]
```



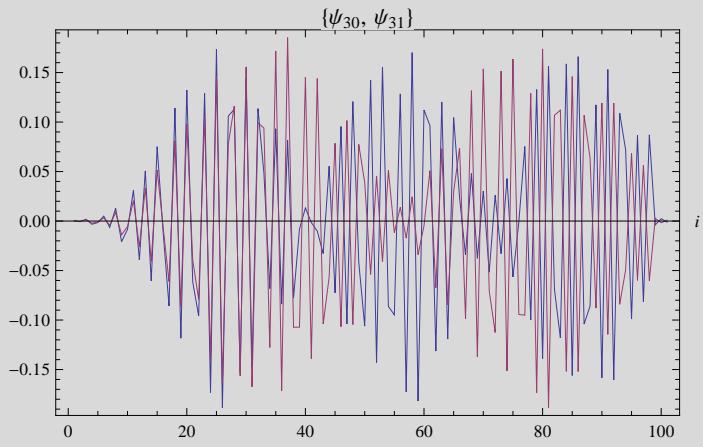
```
im2 = ListLinePlot[{vecs[[10]], vecs[[20]]},
  AxesLabel -> {i, " $\langle i, \psi_j \rangle$ "}, PlotLabel -> {\mathbf{\psi}_{10}, \mathbf{\psi}_{20}}]
```



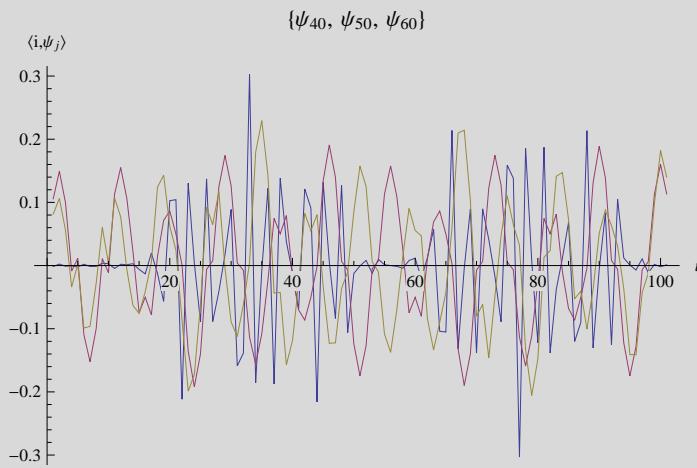
```
im3 = ListLinePlot[{vecs[[28]], vecs[[29]]},
  AxesLabel -> {i, " $\langle i, \psi_j \rangle$ "}, PlotLabel -> {\mathbf{\psi}_{28}, \mathbf{\psi}_{29}}, Frame -> True]
```



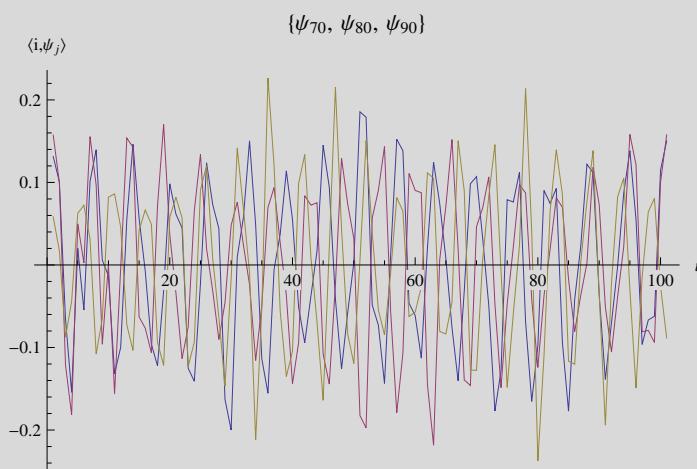
```
im4 = ListLinePlot[{vecs[[30]], vecs[[31]]},
  AxesLabel -> {i, " $\langle i, \psi_j \rangle$ "}, PlotLabel -> {\mathbf{\psi}_{30}, \mathbf{\psi}_{31}}, Frame -> True]
```



```
im5 = ListLinePlot[{vecs[[40]], vecs[[50]], vecs[[60]]},
  AxesLabel -> {i, " $\langle i, \psi_j \rangle$ "}, PlotLabel -> {\mathbf{\psi}_{40}, \mathbf{\psi}_{50}, \mathbf{\psi}_{60}}]
```



```
im6 = ListLinePlot[{vecs[[70]], vecs[[80]], vecs[[90]]},
  AxesLabel -> {i, " $\langle i, \psi_j \rangle$ "}, PlotLabel -> {\mathbf{\psi}_{70}, \mathbf{\psi}_{80}, \mathbf{\psi}_{90}}]
```



```
im7 = ListLinePlot[{vecs[[100]], vecs[[101]]},
  AxesLabel -> {i, " $\langle i, \psi_j \rangle$ "}, PlotLabel -> {\mathbf{\psi}_{100}, \mathbf{\psi}_{101}}]
```

