

GW and LSS signatures of Primordial Black Holes as Dark Matter

GW from Early Universe

Nordita 17th Sep 2019

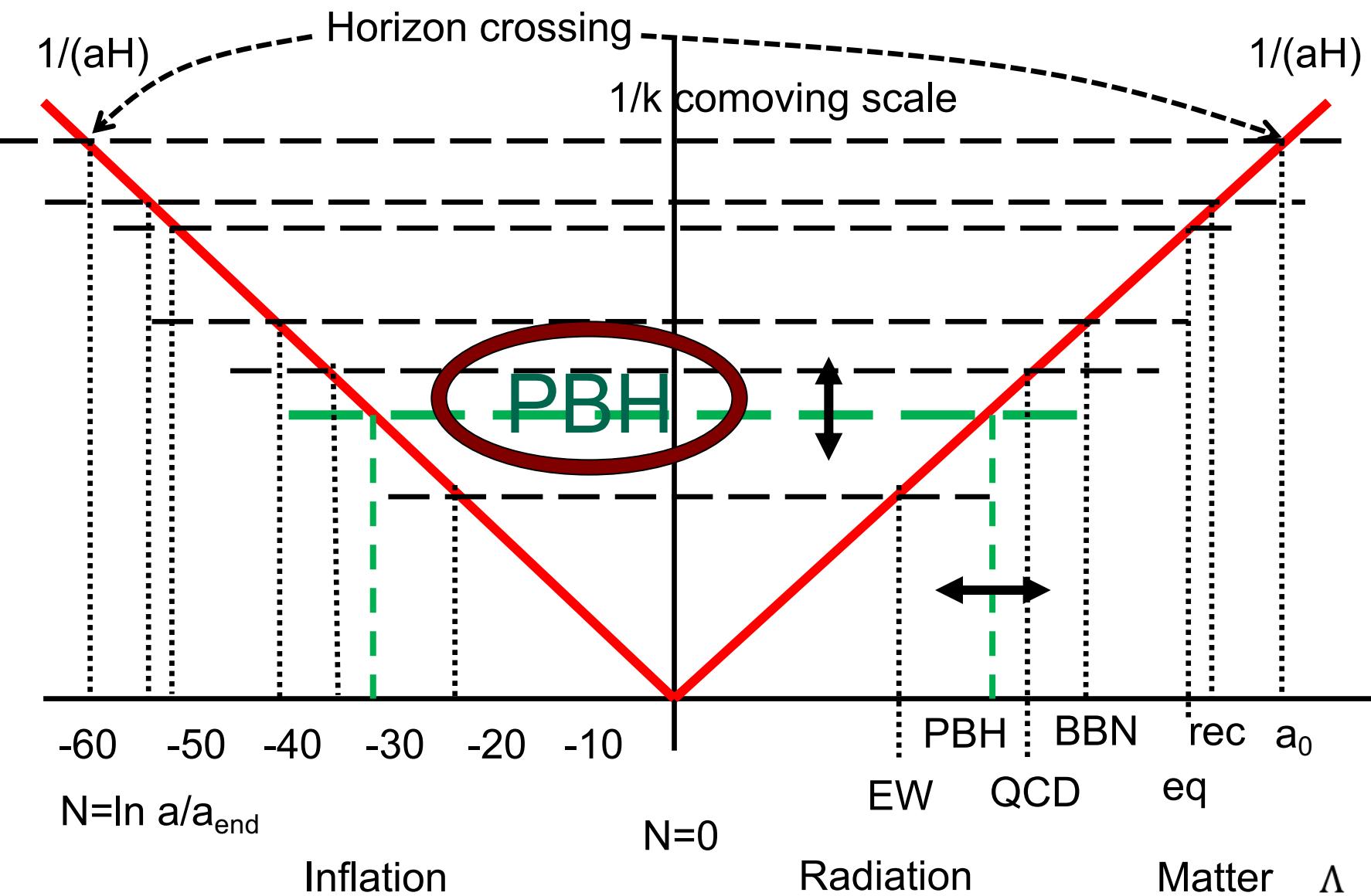
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Outline

Observational Cosmology only requires
QM, GR and the SM of particle physics

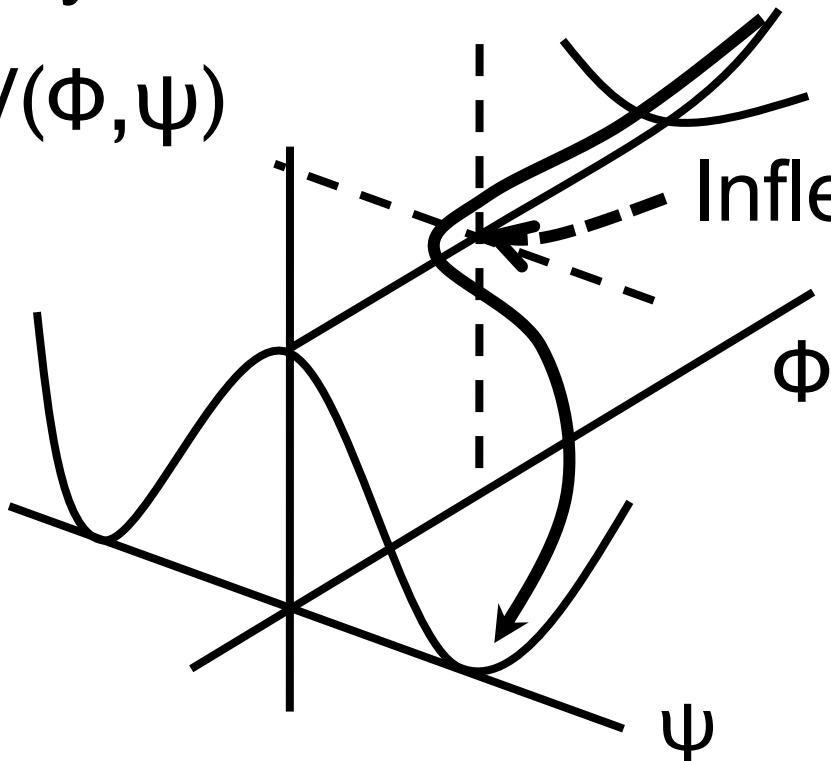
- Thermal history of the Universe
- GW signatures of PBH as DM
- Hot Spot Electroweak Baryogenesis
- Early Galaxy Formation
- Long duration microlensing events
- PBH clustering and constraints
- Conclusions

Inflation



Hybrid model

$$V(\Phi, \Psi)$$



Single field

$$V(\Phi)$$

point

$$\Phi$$

$$\log P(k)^{1/2}$$

Power spectrum

$$P(k)^{1/2} = \frac{H(k)}{2\pi\sqrt{\epsilon}}$$

GBLW('96)

CGB('15)

LCDM

CMB

LSS

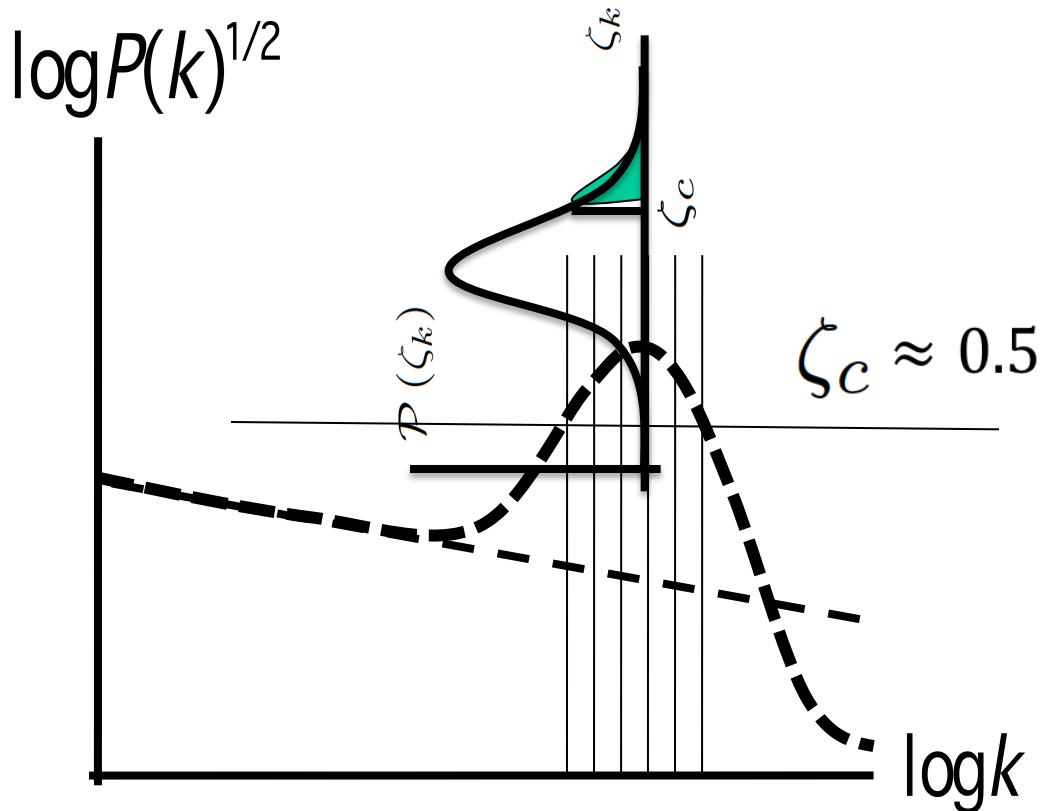
reion

$$\log k$$

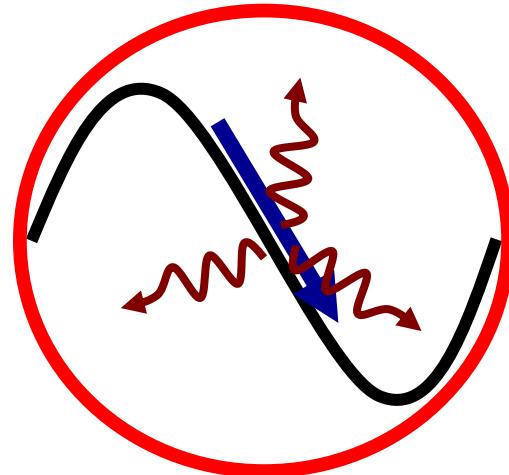
Quantum fluctuations during inflation may have enough amplitude to generate large curvature perturbations.

Quantum diffusion makes a narrow peak become a broad peak in k .

Gravitational Collapse of PBH



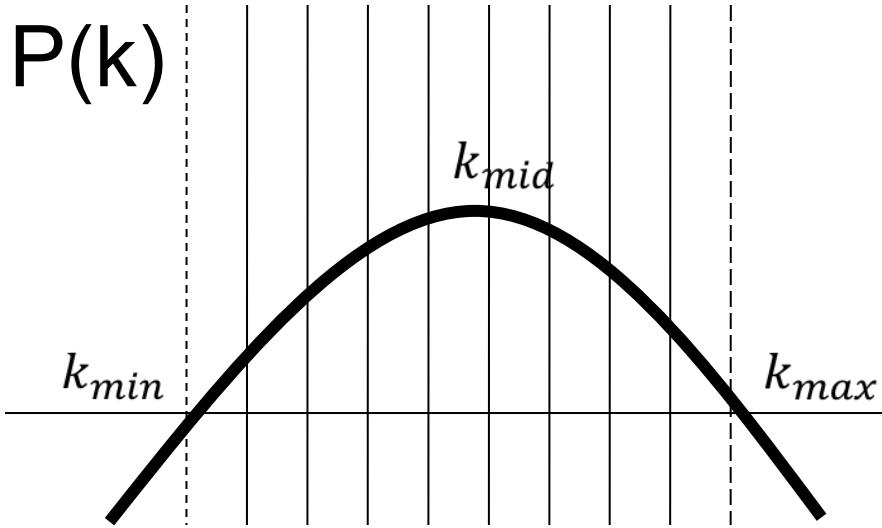
$$\beta^{\text{form}}(M_k) = \int_{\zeta_c}^{\infty} \mathcal{P}(\zeta_k) d\zeta_k$$



$$M_{PBH} \approx 30 M_{\odot} e^{2(N-36)}$$

$$\beta(N) = \begin{cases} \text{Erfc} \left(\frac{\zeta_c}{\sqrt{2P_\zeta(N)}} \right), & \text{Gaussian statistics ,} \\ \text{Erfc} \left(\sqrt{\frac{1}{2} + \frac{\zeta_c}{\sqrt{2P_\zeta(N)}}} \right), & \chi^2 \text{ statistics} \end{cases}$$

Clustering properties of PBH



$$\beta(\nu) = \text{erfc}\left(\nu/\sqrt{2}\right) \simeq \sqrt{\frac{2}{\pi}} \frac{e^{-\nu^2/2}}{\nu}$$

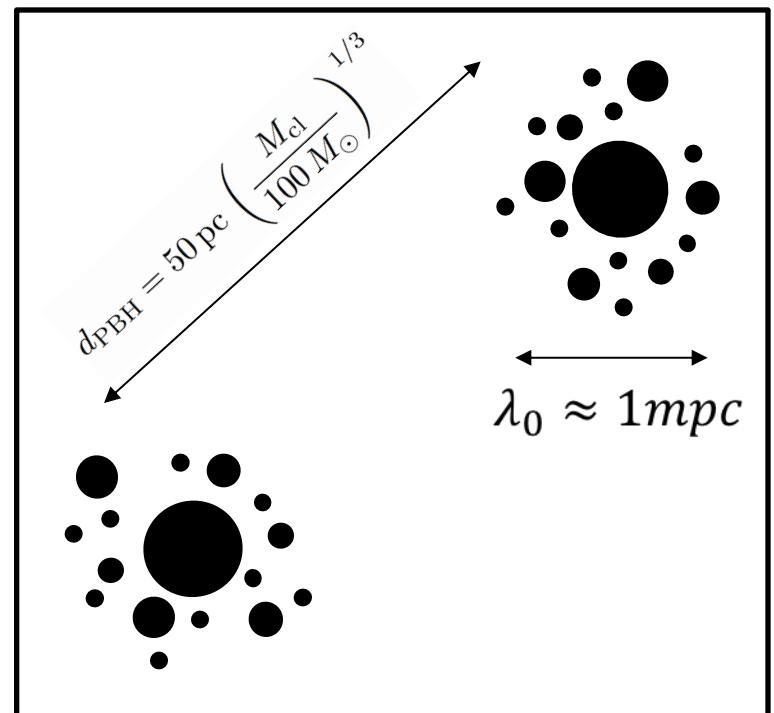
$$N_{\text{cl}} = \frac{10}{7} \beta(\nu) e^{3\nu^2/4} \sim 2000 \quad \nu = \frac{\zeta_c}{\sigma_k} \approx 6$$

Poisson statistics

$$\lambda(z_f) = \frac{d_H(z_f)}{\beta(z_f)^{1/3}} \sim 1.2 \times 10^5 \text{ km} \left(\frac{6 \times 10^{11}}{1 + z_f} \right)^{5/3}$$

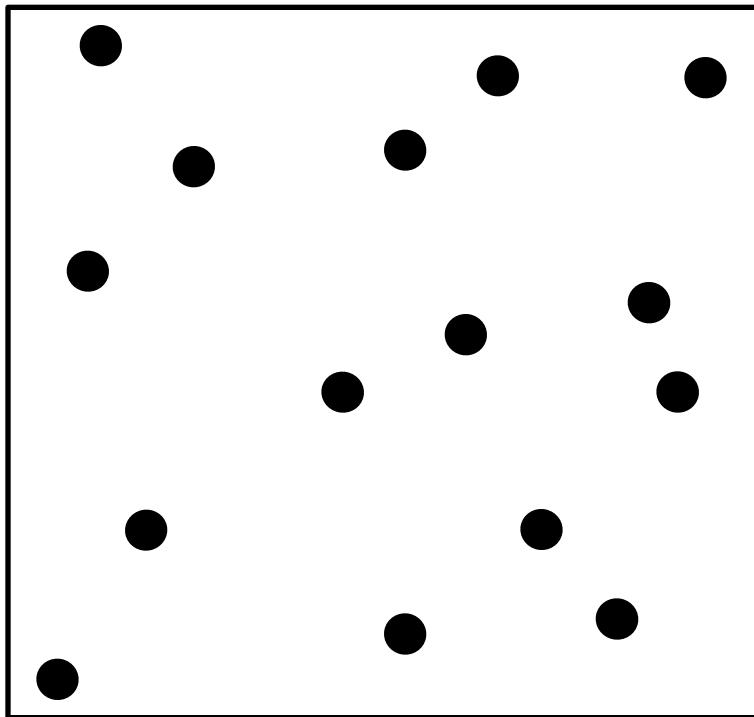
$$\beta(z_f) \sim 3 \times 10^{-9} \left(\frac{6 \times 10^{11}}{1 + z_f} \right)$$

$$M_{\text{PBH}} \sim 20 M_\odot \left(\frac{6 \times 10^{11}}{1 + z_f} \right)^2$$

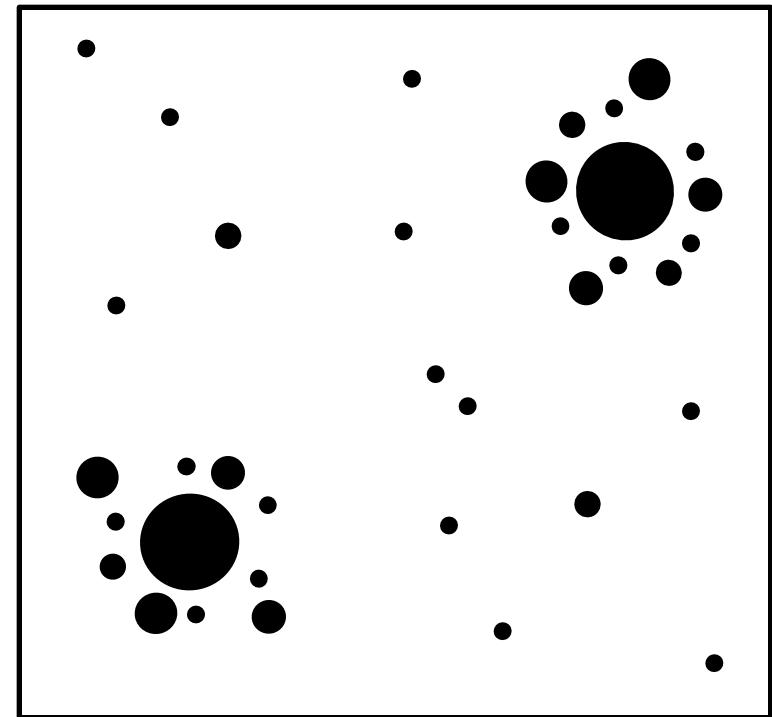


Inflationary predictions

- Wide mass distribution JGB & Clesse (2017)
- Clusters of PBH: $N_{\text{cl}} \sim 100-1000$, comoving size $\sim 1 \text{ mpc}$



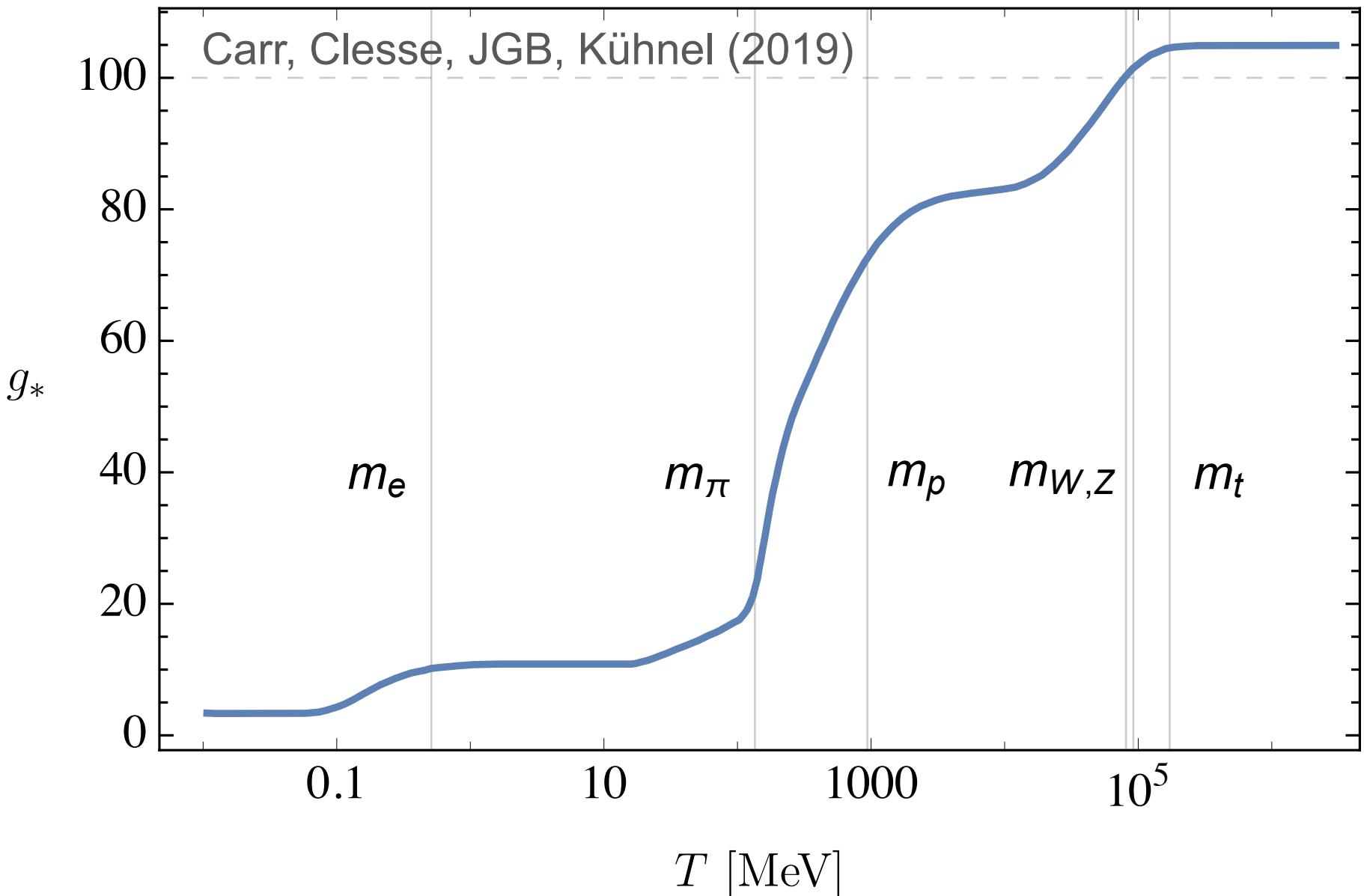
uniform single-mass
is already ruled out



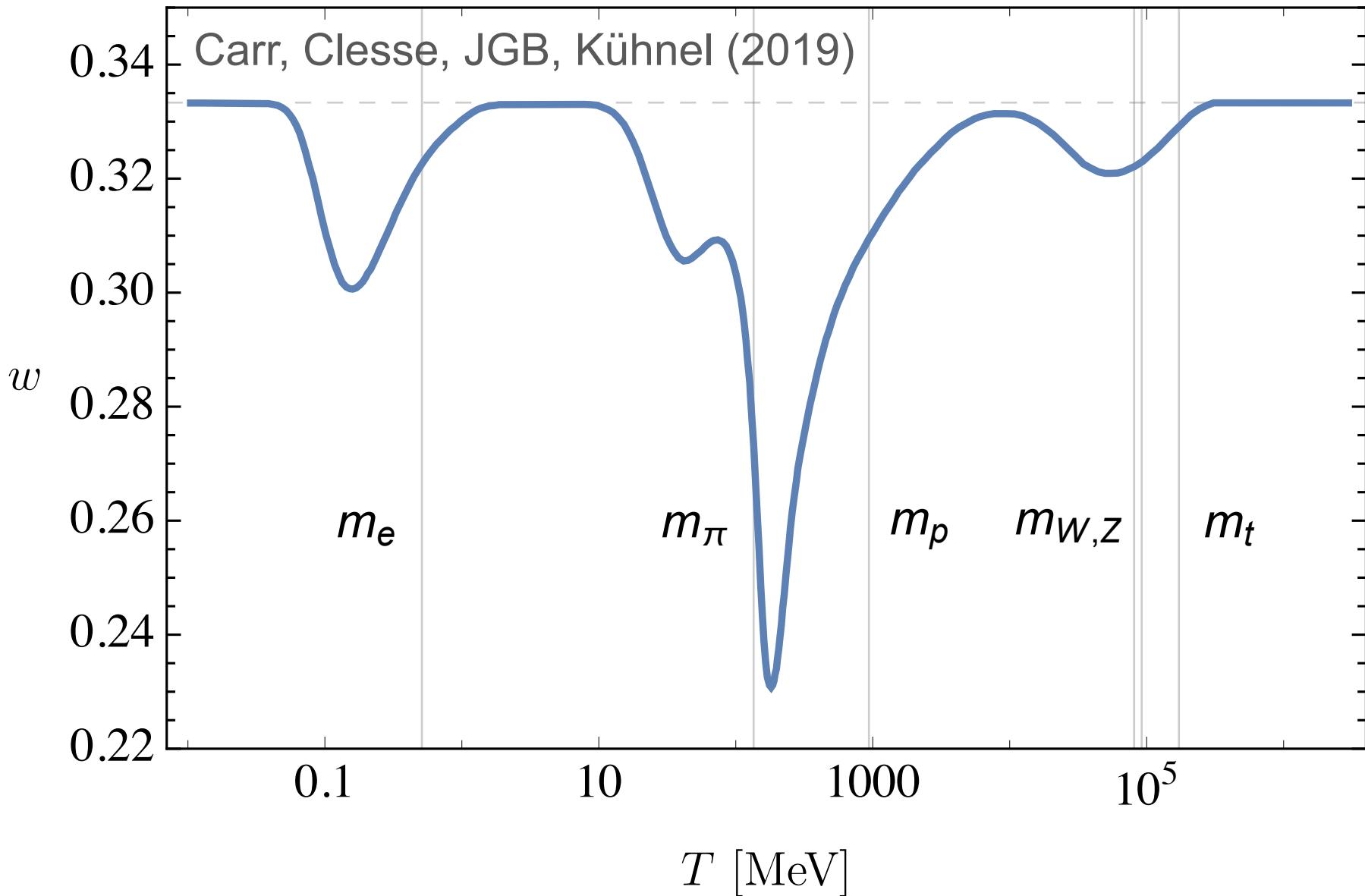
clustered wide-mass
is still viable

Thermal
History
Universe

Thermal history of the universe

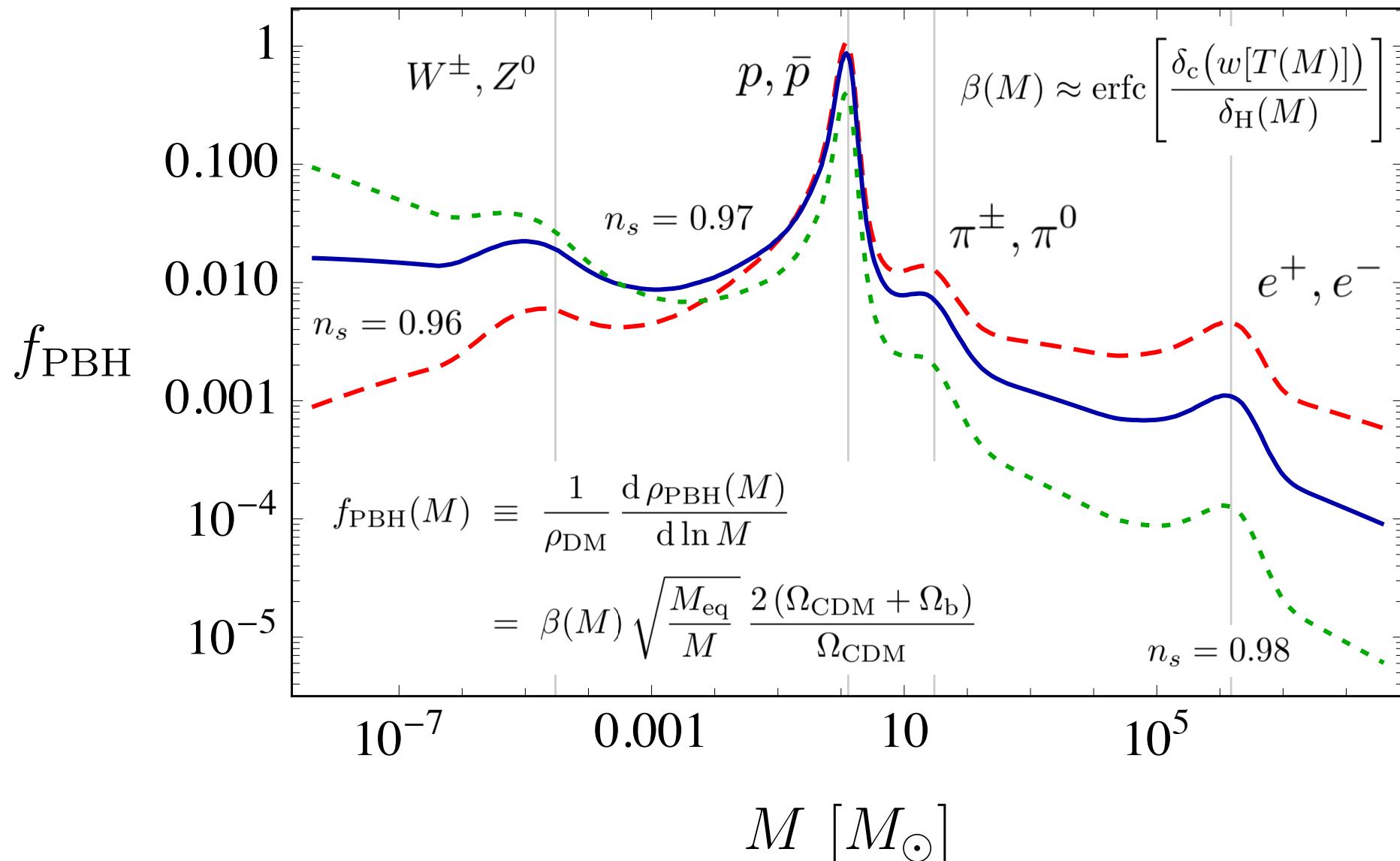


Thermal history of the universe



Predictions for PBH mass spectrum

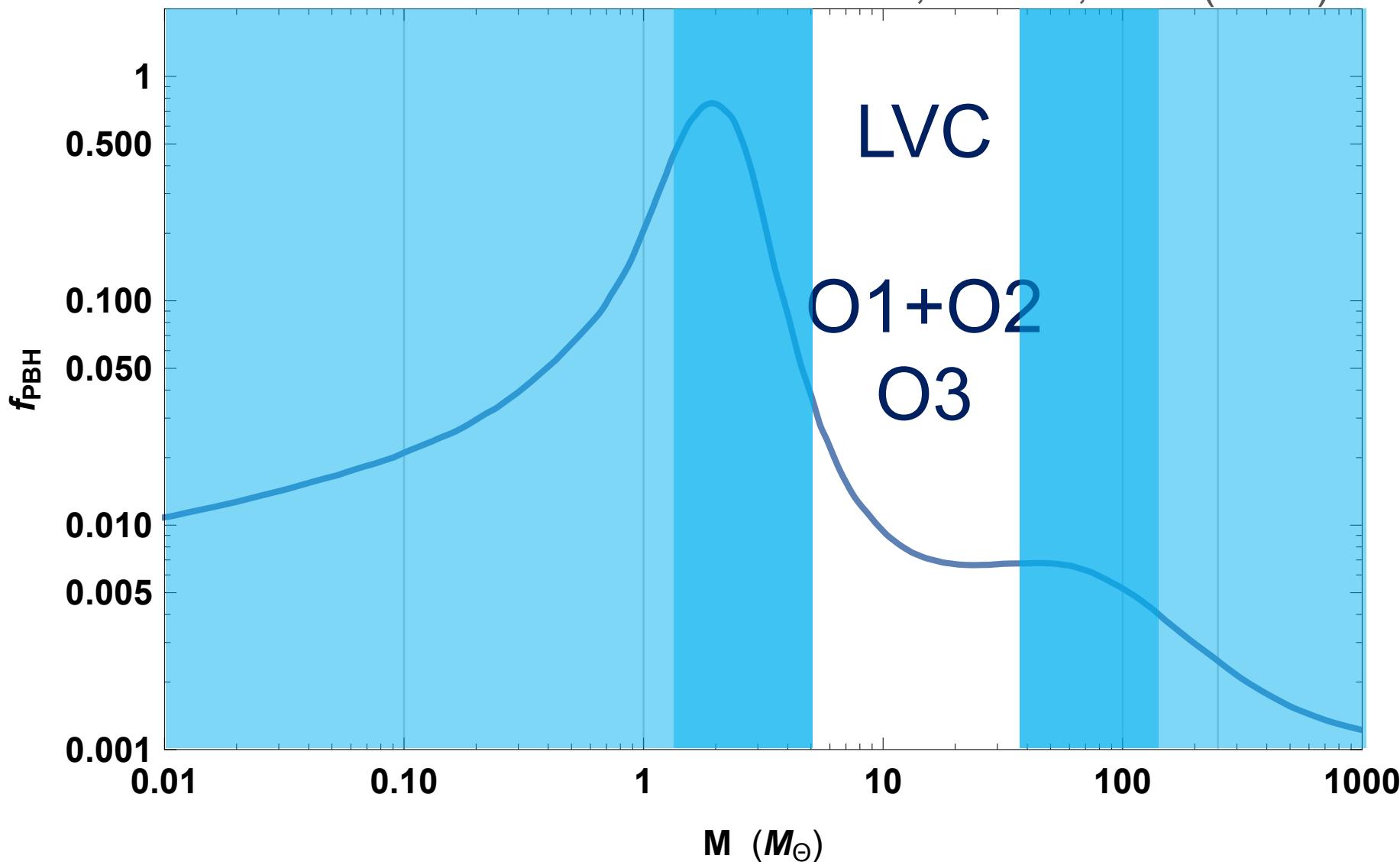
Carr, Clesse, JGB, Kühnel (2019)



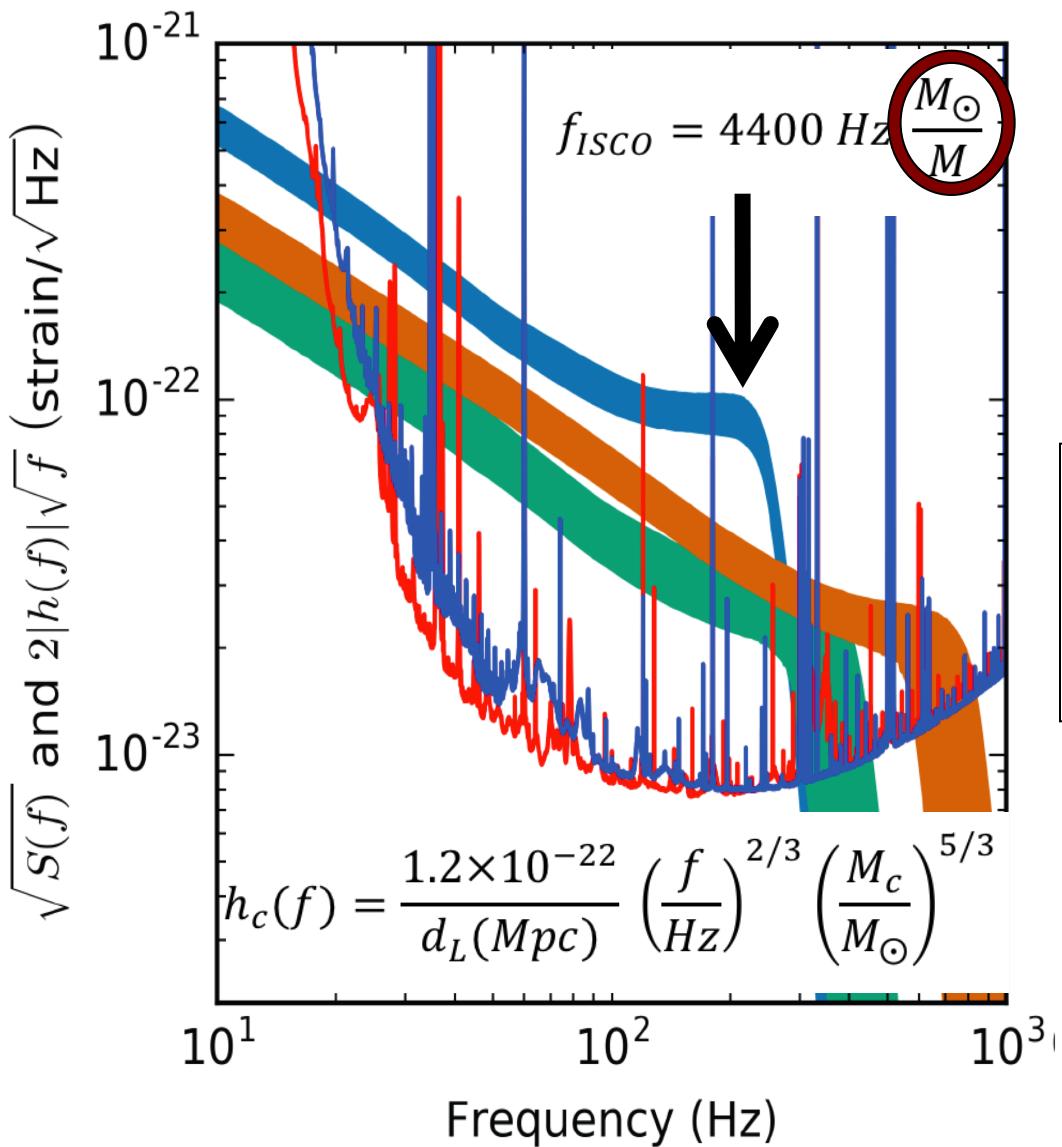
**GW
signatures
of PBH as DM**

Predictions for PBH mass spectrum

Carr, Clesse, JGB (2019)



LVC BBH events



Given the present rate O1-O2
R ~ 20-100 events/yr/Gpc³
O3 has MANY more events.

LVC test BH mass distribution.

If LIGO detects a single BH with
M < 1 Msun or M > 100 Msun
it will necessarily be of
primordial origin, not stellar.

Chirp mass

$$M_c = \frac{(m_1 m_2)^{3/5}}{(m_1 + m_2)^{1/5}}$$

10 LVC BBH events (O1+O2)

LVC GWTC-1 (2018)

Event	m_1/M_\odot	m_2/M_\odot	\mathcal{M}/M_\odot	χ_{eff}	M_f/M_\odot	a_f	$E_{\text{rad}}/(M_\odot c^2)$	$\ell_{\text{peak}}/(\text{erg s}^{-1})$	d_L/Mpc	z	$\Delta\Omega/\text{deg}^2$
GW150914	$35.6^{+4.8}_{-3.0}$	$30.6^{+3.0}_{-4.4}$	$28.6^{+1.6}_{-1.5}$	$-0.01^{+0.12}_{-0.13}$	$63.1^{+3.3}_{-3.0}$	$0.69^{+0.05}_{-0.04}$	$3.1^{+0.4}_{-0.4}$	$3.6^{+0.4}_{-0.4} \times 10^{56}$	430^{+150}_{-170}	$0.09^{+0.03}_{-0.03}$	179
GW151012	$23.3^{+14.0}_{-5.5}$	$13.6^{+4.1}_{-4.8}$	$15.2^{+2.0}_{-1.1}$	$0.04^{+0.28}_{-0.19}$	$35.7^{+9.9}_{-3.8}$	$0.67^{+0.13}_{-0.11}$	$1.5^{+0.5}_{-0.5}$	$3.2^{+0.8}_{-1.7} \times 10^{56}$	1060^{+540}_{-480}	$0.21^{+0.09}_{-0.09}$	1555
GW151226	$13.7^{+8.8}_{-3.2}$	$7.7^{+2.2}_{-2.6}$	$8.9^{+0.3}_{-0.3}$	$0.18^{+0.20}_{-0.12}$	$20.5^{+6.4}_{-1.5}$	$0.74^{+0.07}_{-0.05}$	$1.0^{+0.1}_{-0.2}$	$3.4^{+0.7}_{-1.7} \times 10^{56}$	440^{+180}_{-190}	$0.09^{+0.04}_{-0.04}$	1033
GW170104	$31.0^{+7.2}_{-5.6}$	$20.1^{+4.9}_{-4.5}$	$21.5^{+2.1}_{-1.7}$	$-0.04^{+0.17}_{-0.20}$	$49.1^{+5.2}_{-3.9}$	$0.66^{+0.08}_{-0.10}$	$2.2^{+0.5}_{-0.5}$	$3.3^{+0.6}_{-0.9} \times 10^{56}$	960^{+430}_{-410}	$0.19^{+0.07}_{-0.08}$	924
GW170608	$10.9^{+5.3}_{-1.7}$	$7.6^{+1.3}_{-2.1}$	$7.9^{+0.2}_{-0.2}$	$0.03^{+0.19}_{-0.07}$	$17.8^{+3.2}_{-0.7}$	$0.69^{+0.04}_{-0.04}$	$0.9^{+0.0}_{-0.1}$	$3.5^{+0.4}_{-1.3} \times 10^{56}$	320^{+120}_{-110}	$0.07^{+0.02}_{-0.02}$	396
GW170729	$50.6^{+16.6}_{-10.2}$	$34.3^{+9.1}_{-10.1}$	$35.7^{+6.5}_{-4.7}$	$0.36^{+0.21}_{-0.25}$	$80.3^{+14.6}_{-10.2}$	$0.81^{+0.07}_{-0.13}$	$4.8^{+1.7}_{-1.7}$	$4.2^{+0.9}_{-1.5} \times 10^{56}$	2750^{+1350}_{-1320}	$0.48^{+0.19}_{-0.20}$	1033
GW170809	$35.2^{+8.3}_{-6.0}$	$23.8^{+5.2}_{-5.1}$	$25.0^{+2.1}_{-1.6}$	$0.07^{+0.16}_{-0.16}$	$56.4^{+5.2}_{-3.7}$	$0.70^{+0.08}_{-0.09}$	$2.7^{+0.6}_{-0.6}$	$3.5^{+0.6}_{-0.9} \times 10^{56}$	990^{+320}_{-380}	$0.20^{+0.05}_{-0.07}$	340
GW170814	$30.7^{+5.7}_{-3.0}$	$25.3^{+2.9}_{-4.1}$	$24.2^{+1.4}_{-1.1}$	$0.07^{+0.12}_{-0.11}$	$53.4^{+3.2}_{-2.4}$	$0.72^{+0.07}_{-0.05}$	$2.7^{+0.4}_{-0.3}$	$3.7^{+0.4}_{-0.5} \times 10^{56}$	580^{+160}_{-210}	$0.12^{+0.03}_{-0.04}$	87
GW170817	$1.46^{+0.12}_{-0.10}$	$1.27^{+0.09}_{-0.09}$	$1.186^{+0.001}_{-0.001}$	$0.00^{+0.02}_{-0.01}$	≤ 2.8	≤ 0.89	≥ 0.04	$\geq 0.1 \times 10^{56}$	40^{+10}_{-10}	$0.01^{+0.00}_{-0.00}$	16
GW170818	$35.5^{+7.5}_{-4.7}$	$26.8^{+4.3}_{-5.2}$	$26.7^{+2.1}_{-1.7}$	$-0.09^{+0.18}_{-0.21}$	$59.8^{+4.8}_{-3.8}$	$0.67^{+0.07}_{-0.08}$	$2.7^{+0.5}_{-0.5}$	$3.4^{+0.5}_{-0.7} \times 10^{56}$	1020^{+430}_{-360}	$0.20^{+0.07}_{-0.07}$	39
GW170823	$39.6^{+10.0}_{-6.6}$	$29.4^{+6.3}_{-7.1}$	$29.3^{+4.2}_{-3.2}$	$0.08^{+0.20}_{-0.22}$	$65.6^{+9.4}_{-6.6}$	$0.71^{+0.08}_{-0.10}$	$3.3^{+0.9}_{-0.8}$	$3.6^{+0.6}_{-0.9} \times 10^{56}$	1850^{+840}_{-840}	$0.34^{+0.13}_{-0.14}$	1651

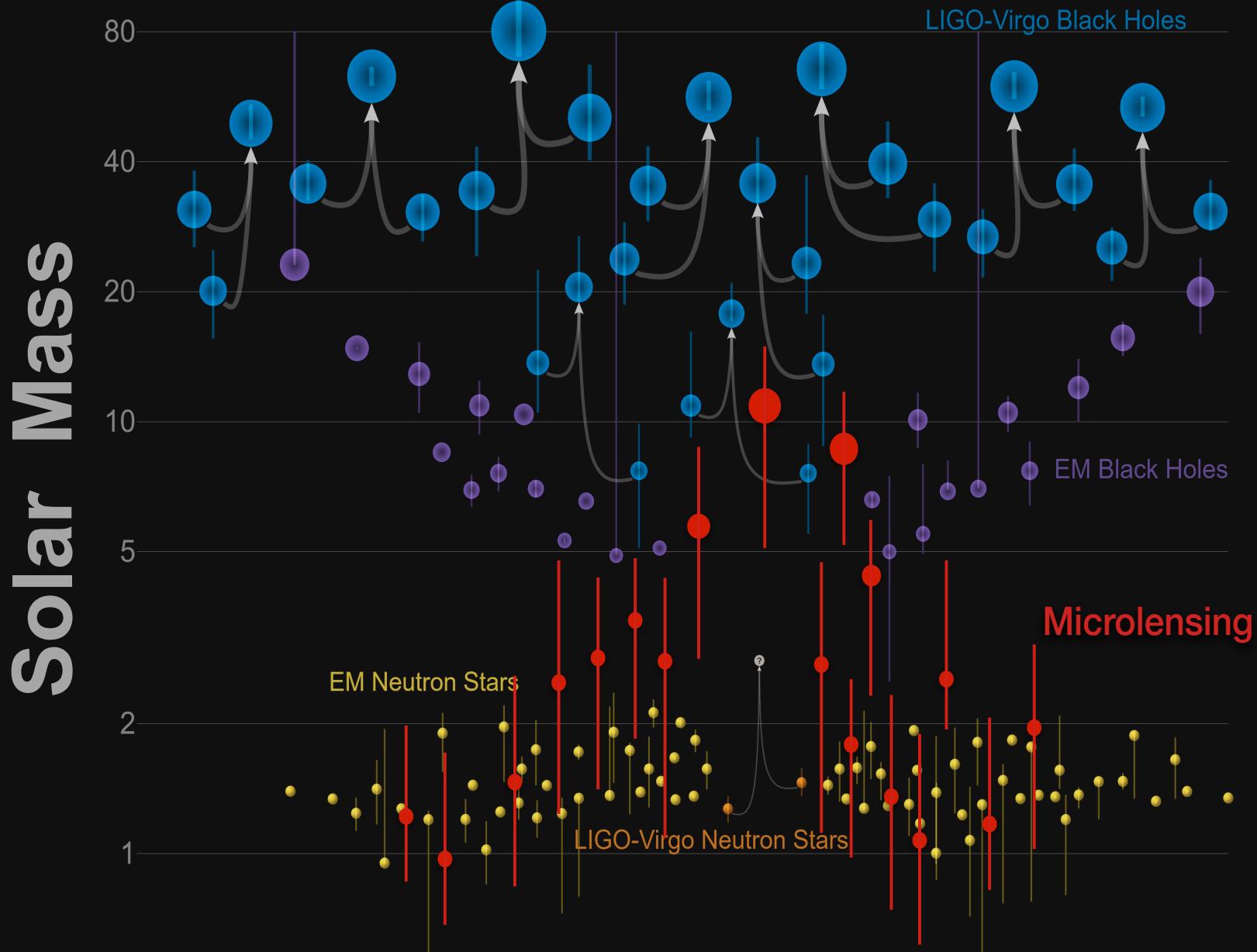
TABLE III. Selected source parameters of the eleven confident detections. We report median values with 90% credible intervals that include statistical errors, and systematic errors from averaging the results of two waveform models for BBHs. For GW170817 credible intervals and statistical errors are shown for IMRPhenomPv2NRT with low spin prior, while the sky area was computed from TaylorF2 samples. The redshift for NGC 4993 from [87] and its associated uncertainties were used to calculate source frame masses for GW170817. For BBH events the redshift was calculated from the luminosity distance and assumed cosmology as discussed in Appendix B. The columns show source frame component masses m_i and chirp mass \mathcal{M} , dimensionless effective aligned spin χ_{eff} , final source frame mass M_f , final spin a_f , radiated energy E_{rad} , peak luminosity ℓ_{peak} , luminosity distance d_L , redshift z and sky localization $\Delta\Omega$. The sky localization is the area of the 90% credible region. For GW170817 we give conservative bounds on parameters of the final remnant discussed in Sec. V E.

23 LVC BBH candidate events (03)

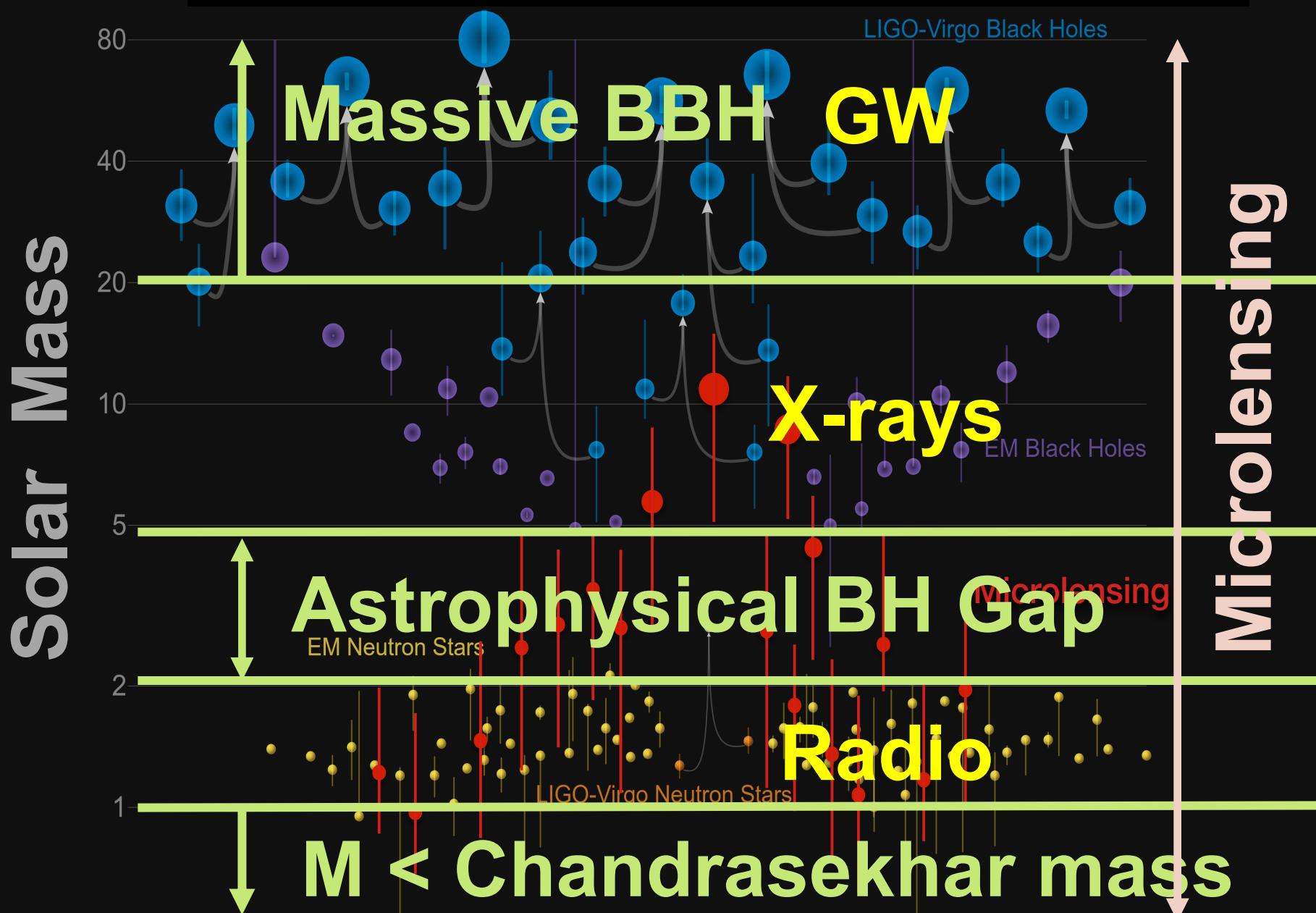
Latest – as of 3 September 2019 15:53:49 UTC

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S190829u	PE_READY ADVNO SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190828i	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190828j	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190822c	ADVNO SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190816i	PE_READY ADVNO SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190814bv	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190808ae	ADVNO SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190728q	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190727h	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190720a	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190718y	ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190707q	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190706ai	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190701ah	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190630ag	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190602aq	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190524q	ADVNO SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190521r	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190521g	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190519bj	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
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S190512at	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190510g	ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190503bf	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190426c	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190425z	ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK
S190421ar	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190412m	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT
S190408an	PE_READY ADVOK SKYMAP_READY EMBRIGHT_READY PASTRO_READY DQOK GCN_PRELIM_SENT

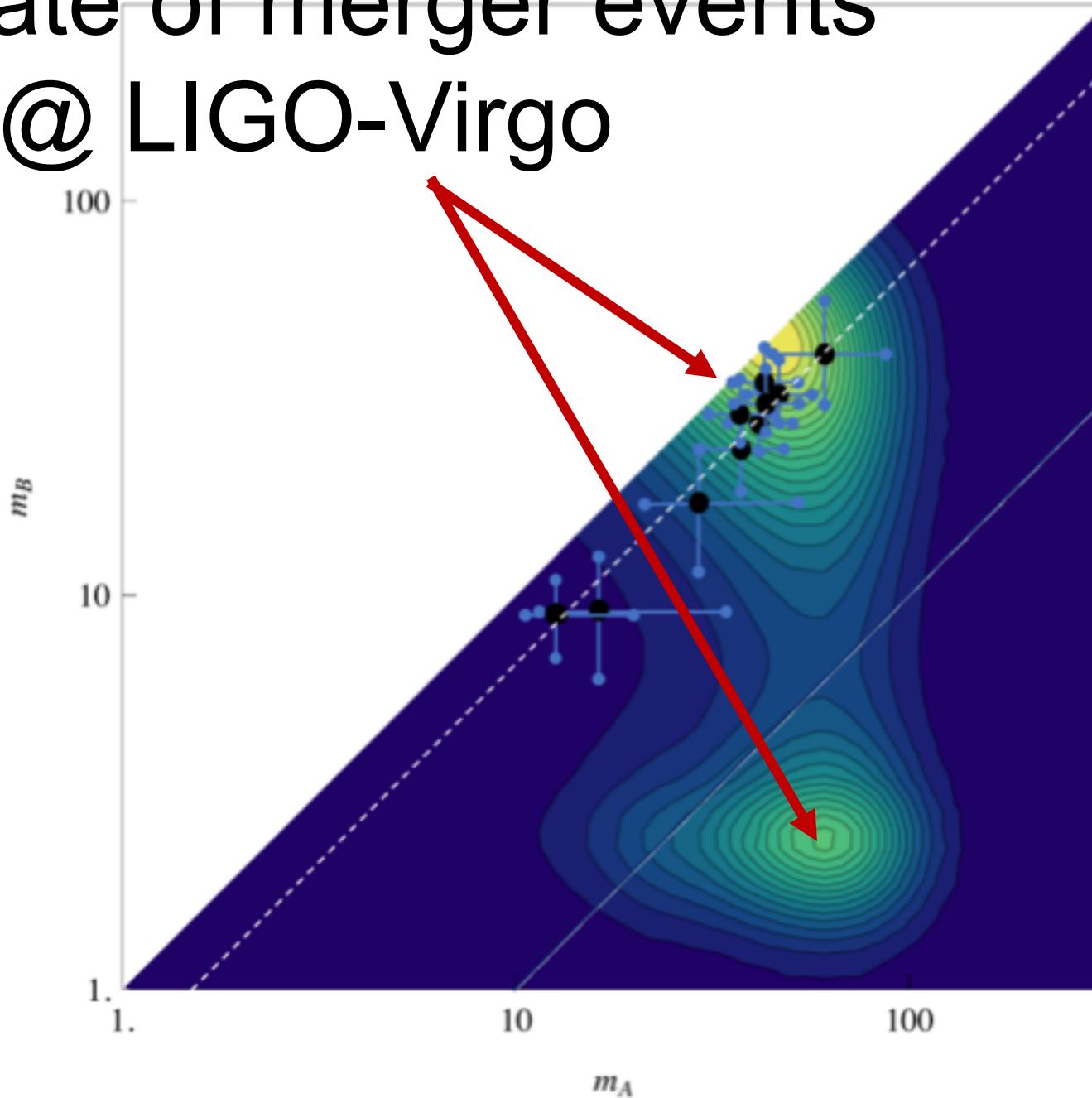
Black Holes and Neutron Stars



Black Holes and Neutron Stars

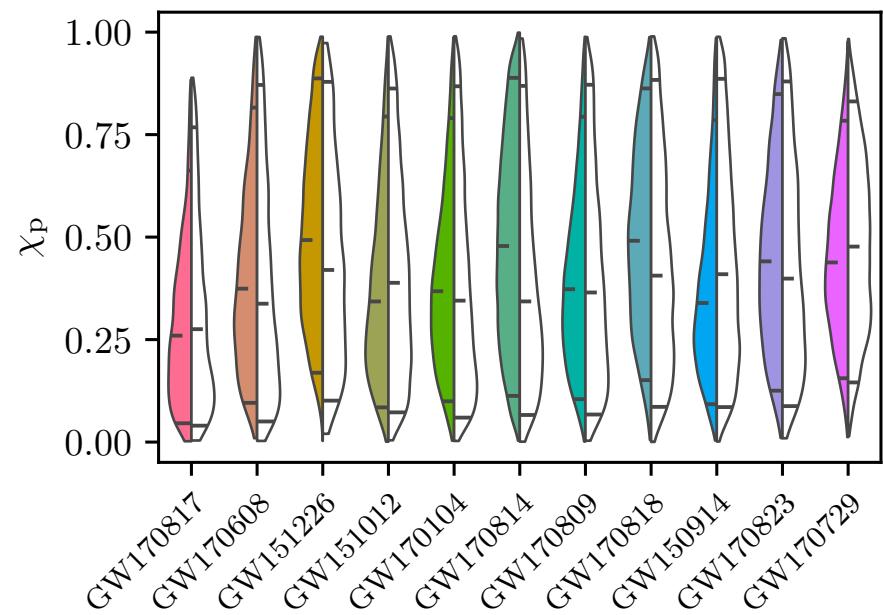
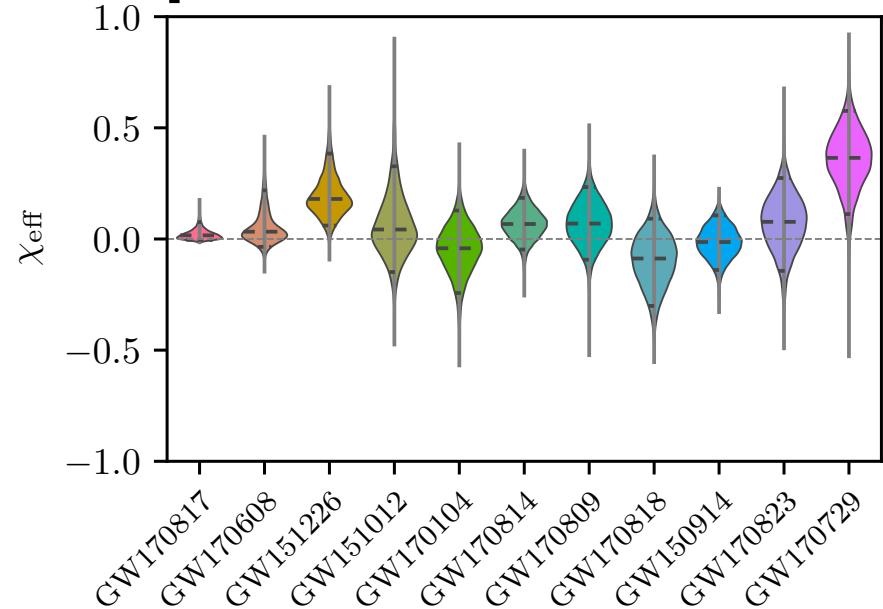


Rate of merger events @ LIGO-Virgo



Carr, Clesse, JGB, Kühnel (2019)

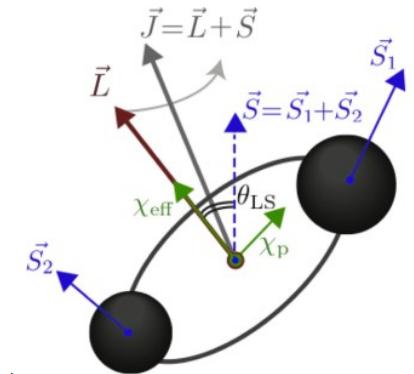
Spin distribution of GWTC-1 BBH



Effective aligned spin

$$\chi_{\text{eff}} = \frac{m_1 \chi_1 + m_2 \chi_2}{m_1 + m_2}$$

$$\chi_i \equiv \frac{\vec{S}_i \cdot \vec{L}}{m_i^2}$$



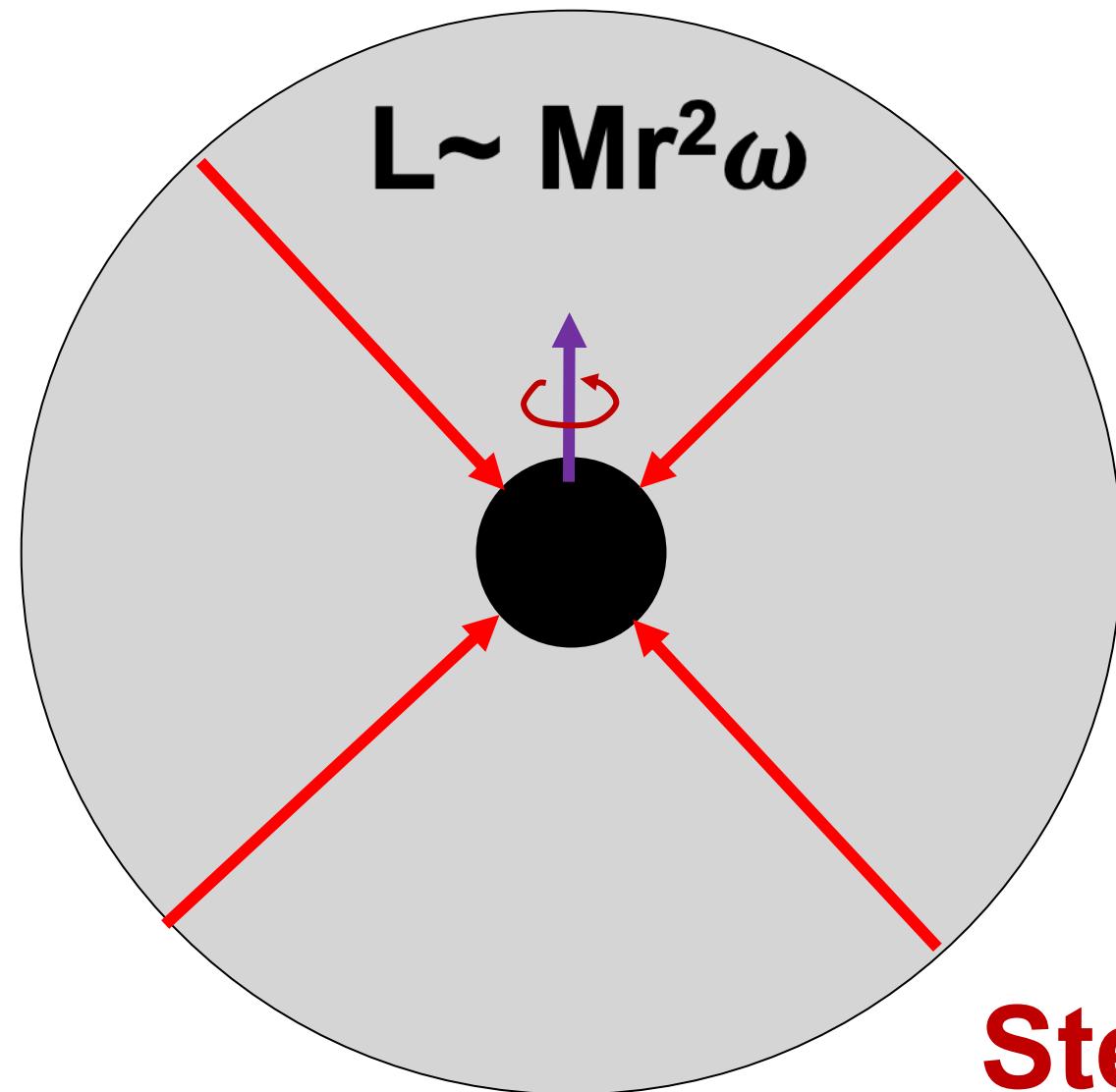
$$A_1 = 2 + 3m_2/2m_1$$

$$A_2 = 2 + 3m_1/2m_2$$

$$\chi_p = \frac{\max(A_1 m_1^2 \chi_{1\perp}, A_2 m_2^2 \chi_{2\perp})}{A_1 m_1^2}$$

Effective precession spin

PBH are \sim spinless



Primordial
BH
= Mass
Stellar BH

Primordial Black Holes

- Could ALL advLIGO-Virgo events be PBH?
- Why do they have masses similar to stellar masses?
- If they were PBH, do they constitute ALL of the DM?
- Why is $\Omega_{\text{DM}} \sim \Omega_{\text{B}}$ within factor 5?
- Why is $n_{\text{DM}} \sim 10^{-9} n_{\text{photon}}$?
- How do they modify galaxy formation?
- Can we distinguish their effect on LSS?
- Can we detect PBH with microlensing events?
- etc...

Origin of PBH mass

Chandrasekhar mass (Pauli exclusion principle)

$$M_{\text{Ch}} = \frac{\omega}{\mu^2} \left(\frac{3\pi}{4} \right)^{1/2} \frac{M_{\text{P}}^3}{m_{\text{p}}^2} \simeq 1.4 M_{\odot} \quad \omega = 2.018$$

μ is the number of electrons per nuclei (1 for hydrogen, 2 for helium)

Mass within the horizon at QCD (causality)

$$M_{\text{PBH}} = \gamma \frac{4\pi}{3} \rho_{\text{r}} d_{\text{H}}^3 = \gamma \frac{3\sqrt{5}}{4\pi^{3/2}} \frac{x^2}{g_*^{1/2}(x)} \frac{M_{\text{P}}^3}{m_{\text{p}}^2} \simeq \text{few } M_{\odot}$$
$$x \equiv \frac{m_p}{T} \quad T \sim \Lambda_{\text{QCD}} \sim 200 \text{ MeV}$$

efficiency of collapse $\gamma \sim 0.2$

LIGO range!

Hot Spot Electroweak Baryogenesis

Matter-radiation equality

$$\frac{\Omega_M}{\Omega_R} = \frac{\Omega_B + \Omega_{DM}}{\Omega_R} \simeq \frac{(1+\chi) \eta x}{1.4 g_*(x)} \simeq \frac{1700}{g_*(z)} \frac{1+\chi}{1+z}$$

$$\eta = \frac{n_B}{n_\gamma} \simeq 6 \times 10^{-10} \quad T = T_0(1+z) \Rightarrow x = \frac{4 \times 10^{12}}{1+z}$$

$$\chi = \frac{\Omega_{DM}}{\Omega_B} \quad 1+z_{eq} = 3300 \ (g_* = 3.36) \Rightarrow \chi \sim 5.5$$

Fraction domains @ PBH formation

$$\beta = \frac{\Omega_{PBH}}{\Omega_R} = f_{PBH} \frac{\chi \Omega_B}{\Omega_R} \simeq f_{PBH} \frac{\chi \eta x}{1.4 g_*(x)}$$

$$f_{PBH} = \frac{\Omega_{PBH}}{\Omega_{DM}} \quad x \sim 5 \Rightarrow \boxed{\beta \sim \eta \sim 10^{-9} \text{ if } f_{PBH} = 1}$$

Is this a hint of a common origin?

$$T \sim \Lambda_{\text{QCD}} \sim 200 \text{ MeV} \Rightarrow \beta \sim \eta \sim 10^{-9} \text{ if } f_{\text{PBH}} = 1$$

Our scenario

JGB, Carr, Clesse (2019)

We propose “hot spot” EWB associated with localized energy released during gravitational collapse at PBH formation in the quark-hadron transition

Electroweak baryogenesis @ QCD

Sakharov conditions: ~~B~~, ~~C~~, ~~CP~~, non-equil.

~~CP~~ in the SM (CKM matrix)

$$V_{\text{CKM}} = \begin{pmatrix} c_1 & -s_1 c_3 & -s_1 s_3 \\ s_1 c_2 & c_1 c_2 c_3 - s_2 s_3 e^{i\delta} & c_1 c_2 s_3 + s_2 c_3 e^{i\delta} \\ s_1 s_2 & c_1 s_2 c_3 + c_2 s_3 e^{i\delta} & c_1 s_2 s_3 - c_2 c_3 e^{i\delta} \end{pmatrix}$$

$$J = (m_t^2 - m_c^2)(m_t^2 - m_u^2)(m_c^2 - m_u^2)(m_b^2 - m_s^2)(m_b^2 - m_d^2)(m_s^2 - m_d^2) \cdot K$$

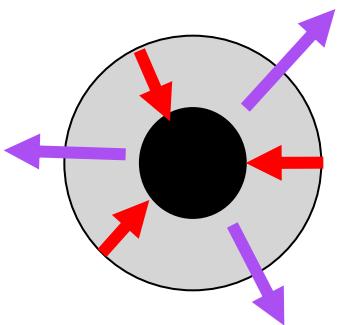
$$K = \text{Im } V_{ii} V_{jj} V_{ij}^* V_{ji}^* = s_1^2 s_2 s_3 c_1 c_2 c_3 \sin \delta = (3.06 \pm 0.2) \times 10^{-5}.$$

$$\delta_{\text{CP}}(T) = \frac{J}{T^{12}} \simeq \left(\frac{20.4 \text{ GeV}}{T} \right)^{12} K$$

Electroweak baryogenesis @ QCD

Out-of-equilibrium gravitational collapse

$$R_S = \frac{2GM_{\text{PBH}}}{c^2} = \gamma d_H \Rightarrow \Delta K \simeq \left(\frac{1}{\gamma} - 1 \right) M_{\text{hor}} = \frac{1 - \gamma}{\gamma^2} M_{\text{PBH}}$$



$$n_p(x) = 1.59 \times 10^{40} x^{-3/2} e^{-x} \text{ cm}^{-3}$$

$$n_{\text{gas}}(x) = 1.64 \times 10^{41} x^{-3} \text{ cm}^{-3}$$

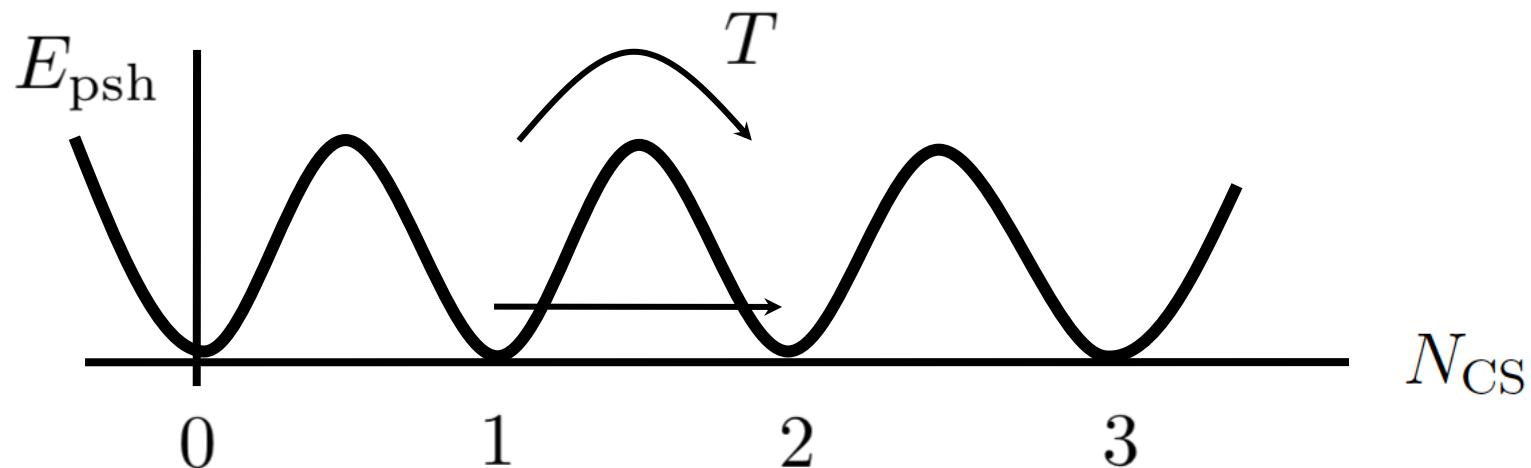
$$E_0 = \frac{\Delta K}{n_p \Delta V} \simeq \frac{1 - \gamma}{\gamma^2(1 - \gamma^3)} \frac{M_{\text{PBH}}}{N_p} \simeq 10 g_*(x)^{3/2} x^{-5/2} e^x \text{ GeV}$$

$$@ x \sim 5, \quad \Delta K = \frac{3}{2} N_p k_B T_{\text{eff}} \Rightarrow k_B T_{\text{eff}} = \frac{2}{3} E_0 \simeq 1 \text{ TeV}$$

Electroweak baryogenesis @ QCD

\cancel{B} in the SM: Sphaleron transitions & chiral anomaly

$$\partial_\mu j_B^\mu = \partial_\mu j_L^\mu = \frac{3\alpha_W}{8\pi} F_{\mu\nu} \tilde{F}^{\mu\nu} \implies \Delta B = \Delta L = 3\Delta N_{\text{CS}}$$



$$\Gamma_{\text{sph}}(T) \sim \begin{cases} \alpha_W^4 T^4, & T > 200\text{GeV} \\ \text{const. } \left(\frac{E_{\text{sph}}}{T}\right)^3 m_W^4(T) e^{-\frac{E_{\text{sph}}}{T}}, & T < 200\text{GeV} \end{cases}$$

Electroweak baryogenesis @ QCD

Putting all together

Asaka et al. (2004)

$$\eta \simeq \frac{7n_B}{s} \simeq \frac{7n_{\text{parton}}}{s} \times \Gamma_{\text{sph}}(T_{\text{eff}}) V \Delta t \times \delta_{\text{CP}}$$

$$s_{\text{gas}} = \frac{2\pi^2}{45} g_{*S} T_{\text{th}}^3 \quad @ \quad T_{\text{th}} \ll T_{\text{eff}}$$

quenching the sphaleron transitions and preventing baryon washout.

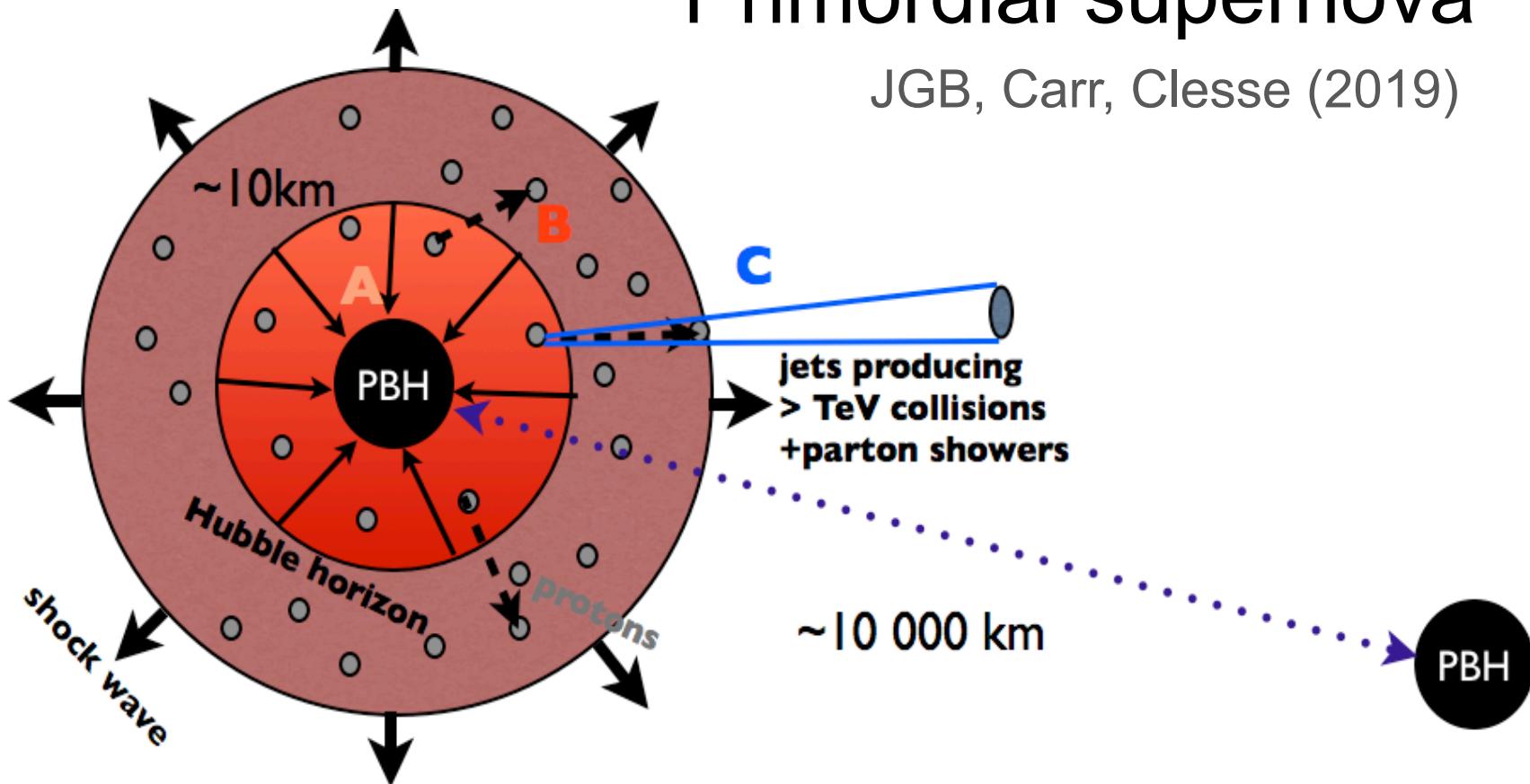
For $x \gtrsim 5 \Rightarrow n_B \sim n_\gamma \Rightarrow \eta^{\text{local}} \sim 1$

hot spots = Hubble domains that gravitational collapse to PBH

Electroweak baryogenesis @ QCD

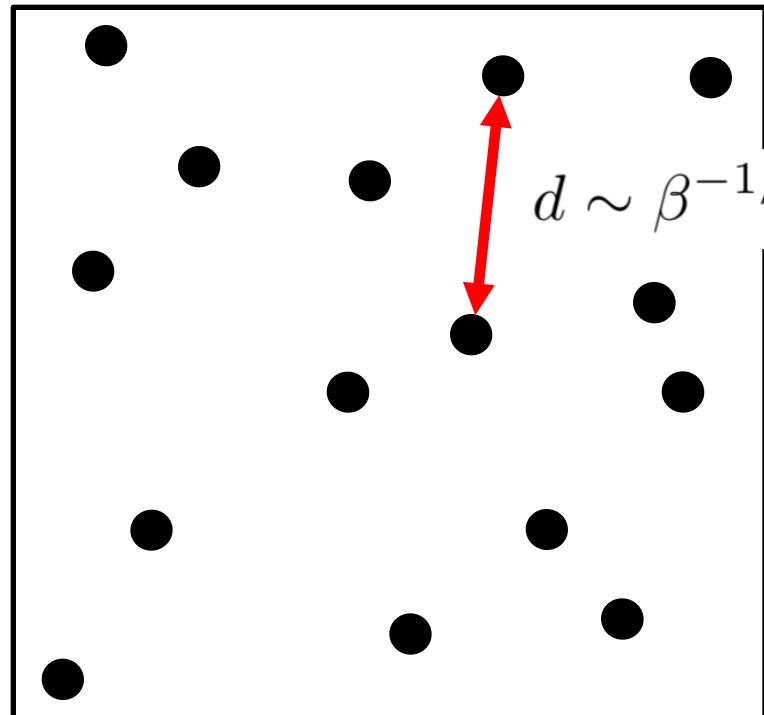
“Primordial supernova”

JGB, Carr, Clesse (2019)



Electroweak baryogenesis @ QCD

Baryons irradiate to the rest of the universe



JGB, Carr, Clesse (2019)

$$d \sim \beta^{-1/3} d_H(t_{\text{QCD}}) \sim 10^{-2} \text{ light seconds}$$

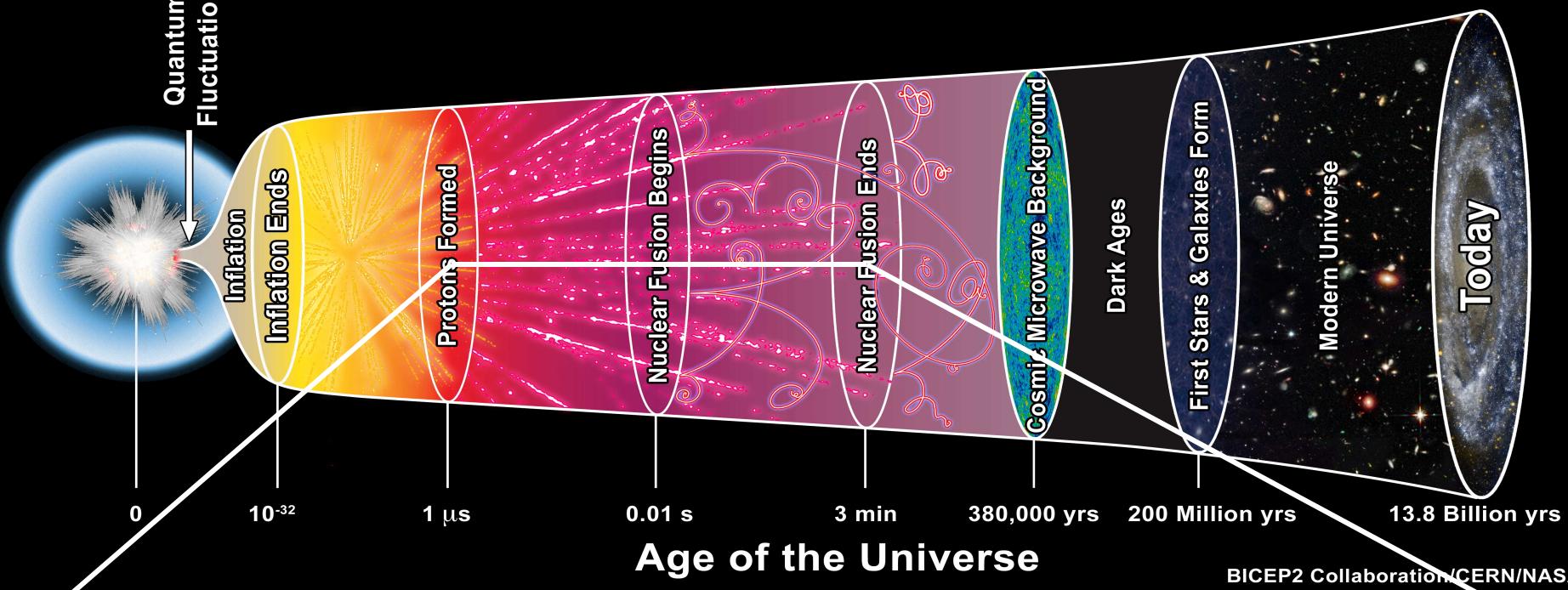
at the speed of light

$$\eta^{\text{local}} \sim 1 \Rightarrow \eta \sim \beta \sim 10^{-9}$$

baryons radiate away from hot spot until they uniformly distribute the original BAU to the rest of the universe well before BB Nucleosynthesis ($t_{\text{BBN}} \sim 1 - 180 \text{ s}$)

History of the Universe

Radius of the Visible Universe



PBH=DM
collapse

quark-hadron
transition

200 MeV

Baryogenesis

hot-spot
EWB

100 MeV

Nucleosynthesis

baryon
dilution

10 MeV

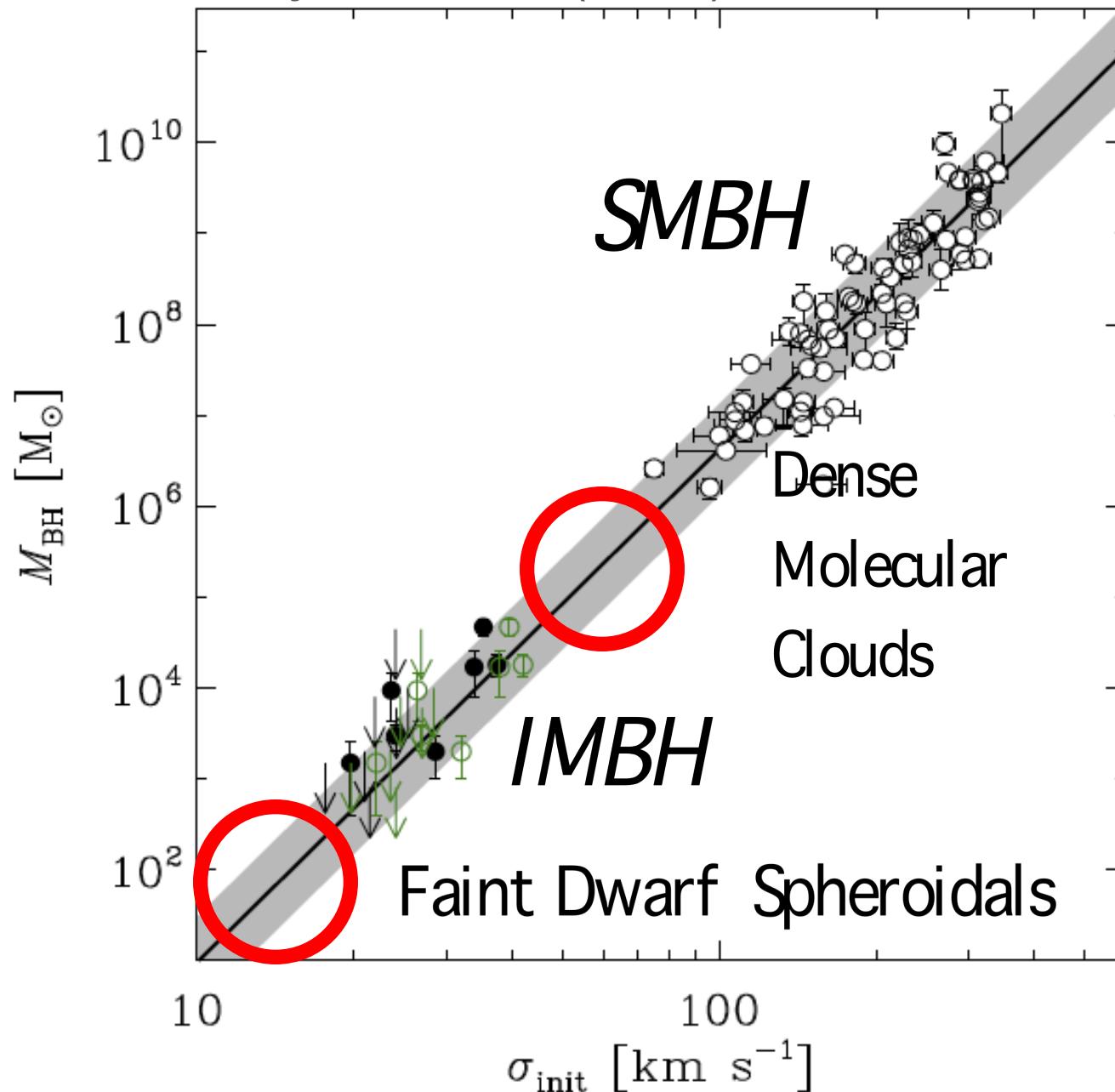
light
elements

1 MeV

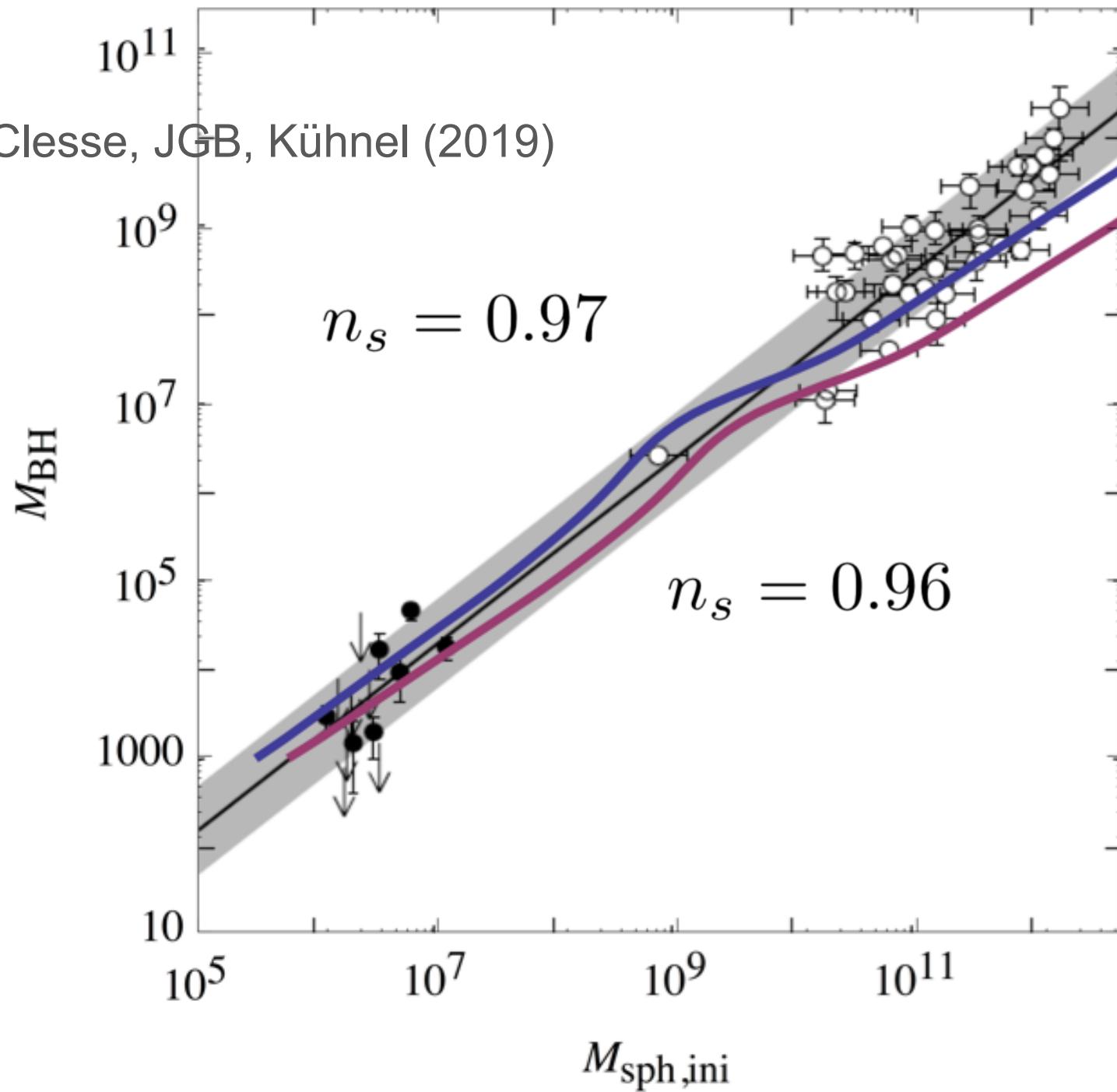
Early Galaxy Formation

Massive PBH = seeds of structure

- Massive primordial black holes with $10^{-2} M_{\odot} < M_{\text{PBH}} < 10^2 M_{\odot}$, which **cluster** and **merge** and could resolve some of the most acute problems of Λ CDM paradigm.
- Λ CDM N-body simulations never reach the $100 M_{\odot}$ particle resolution, so for them PBH is as good as PDM.
- PBH DM paradigm naturally incorporates all properties of collisionless CDM scenario on large scales but differs on small scales.



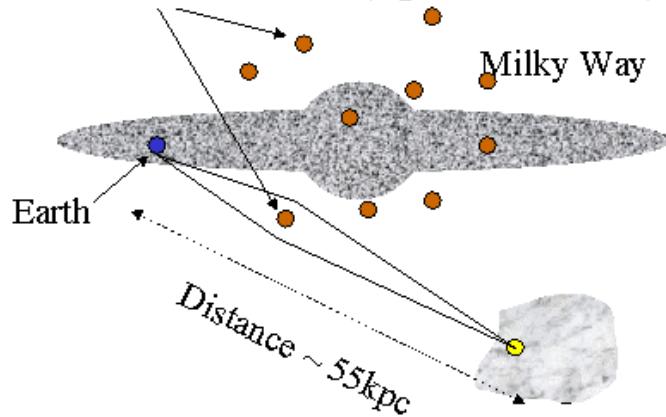
Carr, Clesse, JGB, Kühnel (2019)



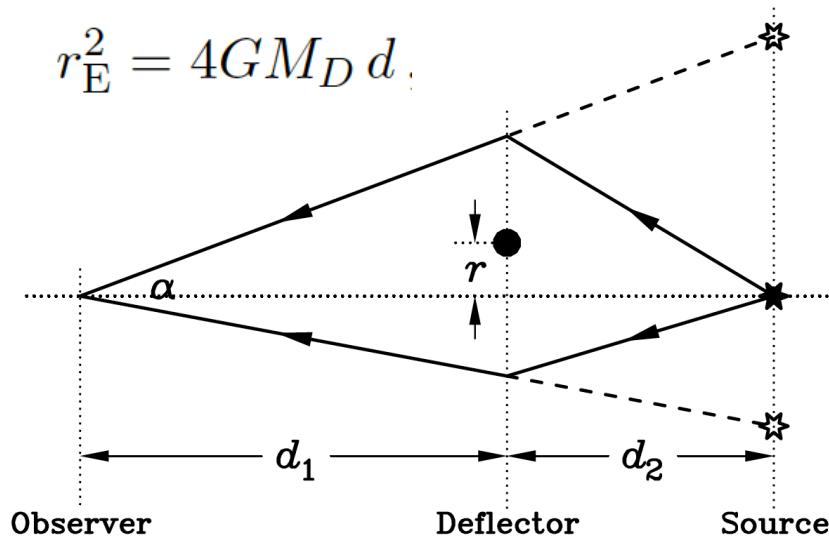
Long duration microlensing events EROS, OGLE

Microlensing

Gravitational lenses (e.g., brown dwarfs)



$$r_E^2 = 4GM_D d$$



$$d = \frac{d_1 d_2}{d_1 + d_2}$$

$$A = \frac{2+u^2}{u\sqrt{4+u^2}}$$

$$u = \frac{r}{r_E}$$

amplification

$$\overline{Dt} = \frac{r_E}{v} = \frac{\sqrt{4GM_D d}}{v}$$

average $\frac{1}{2}$ crossing

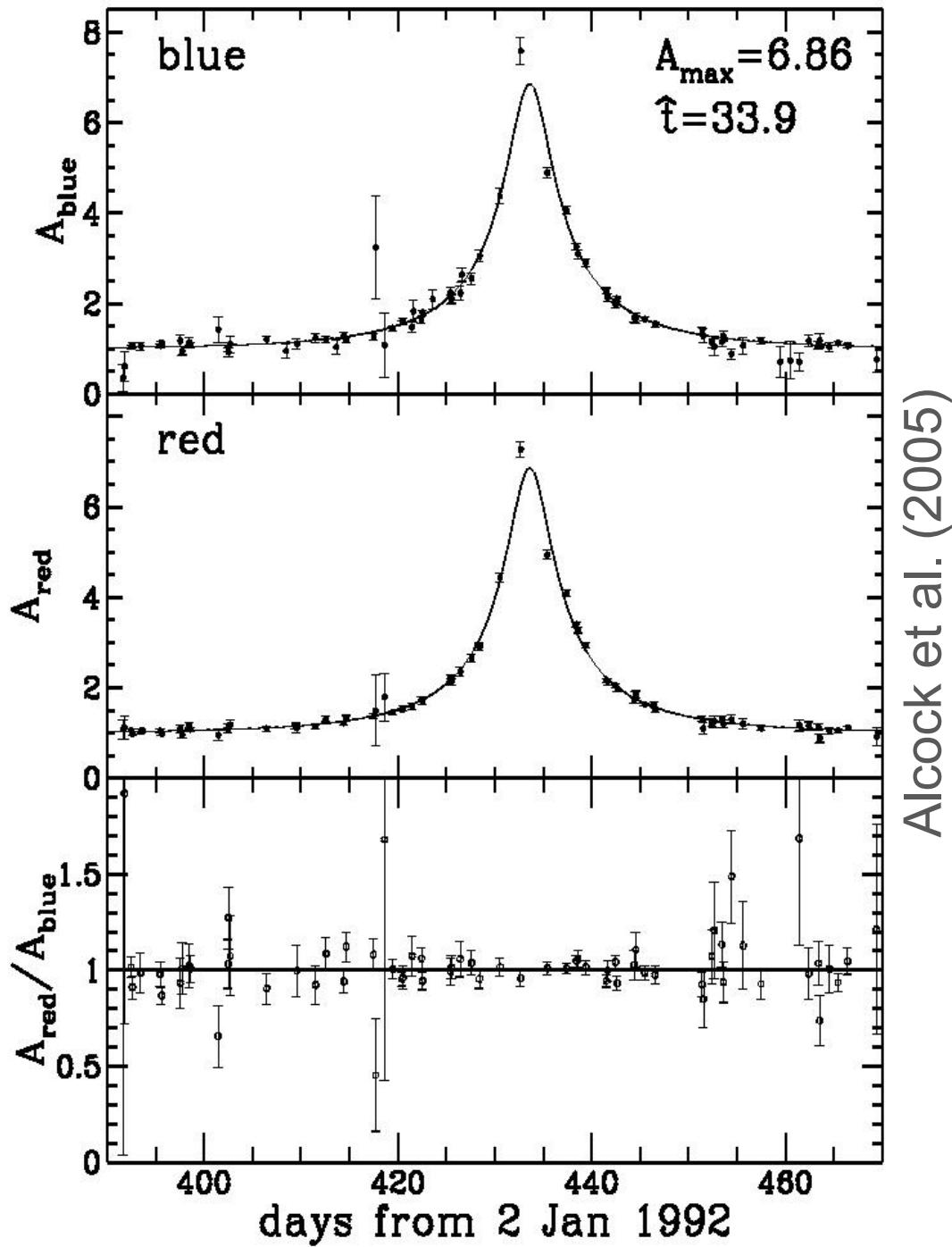
$$M_D = 100 M_{\odot} \Rightarrow \overline{Dt} = 4 \text{ years}$$

$$M_D = 10 M_{\odot} \Rightarrow \overline{Dt} = 1.23 \text{ years}$$

$$M_D = 1 M_{\odot} \Rightarrow \overline{Dt} = 5 \text{ months}$$

$$M_D = 0.1 M_{\odot} \Rightarrow \overline{Dt} = 1.5 \text{ months}$$

$$M_D = 0.01 M_{\odot} \Rightarrow \overline{Dt} = 2 \text{ weeks}$$



symmetric

$$A_{\text{max}} = 7.20 \pm 0.09$$

achromatic

$$\frac{A_{\text{red}}}{A_{\text{blue}}} = 1.00 \pm 0.05$$

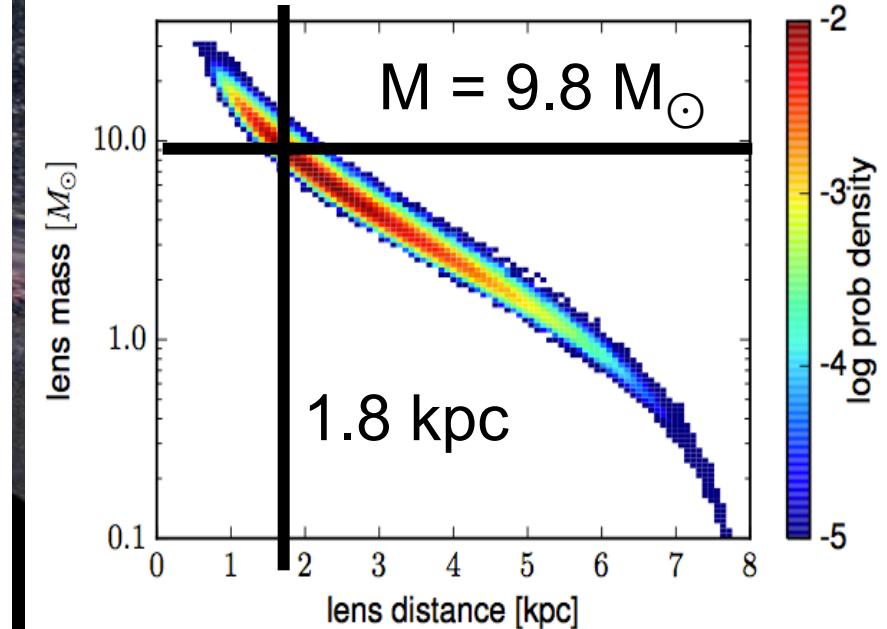
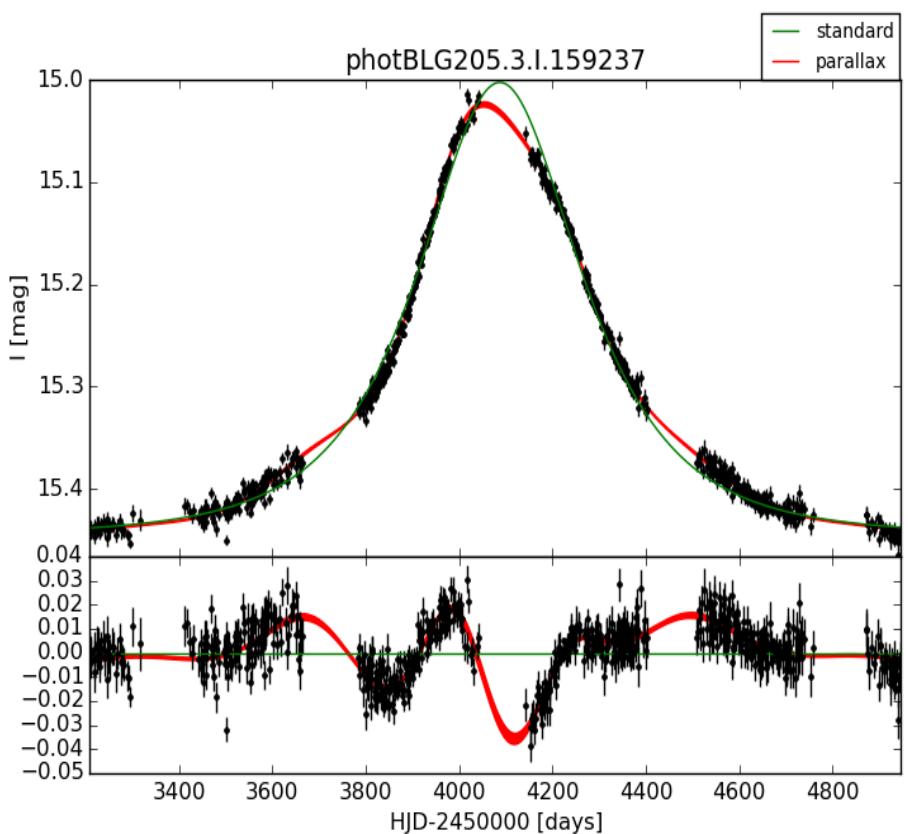
unique

$$t = 34.8 \pm 0.2 \text{ days}$$

$$M_D = 0.1 M_{\odot}$$

OGLE3-UL-PAR-02 - candidate BH

Wyrzykowski (2016)



OGLE photometry
from 2001-2008
and microlensing model



Mass, Distance

(degenerated estimate)

Wyrzykowski, Mandel (2019)

- using
- only
- new

Probability density

10^0

10^{-1}

10^{-2}

0.4

0.3

0.2

0.1

0.0

Mass [M_\odot]

$N(\text{Mass})$

0.1

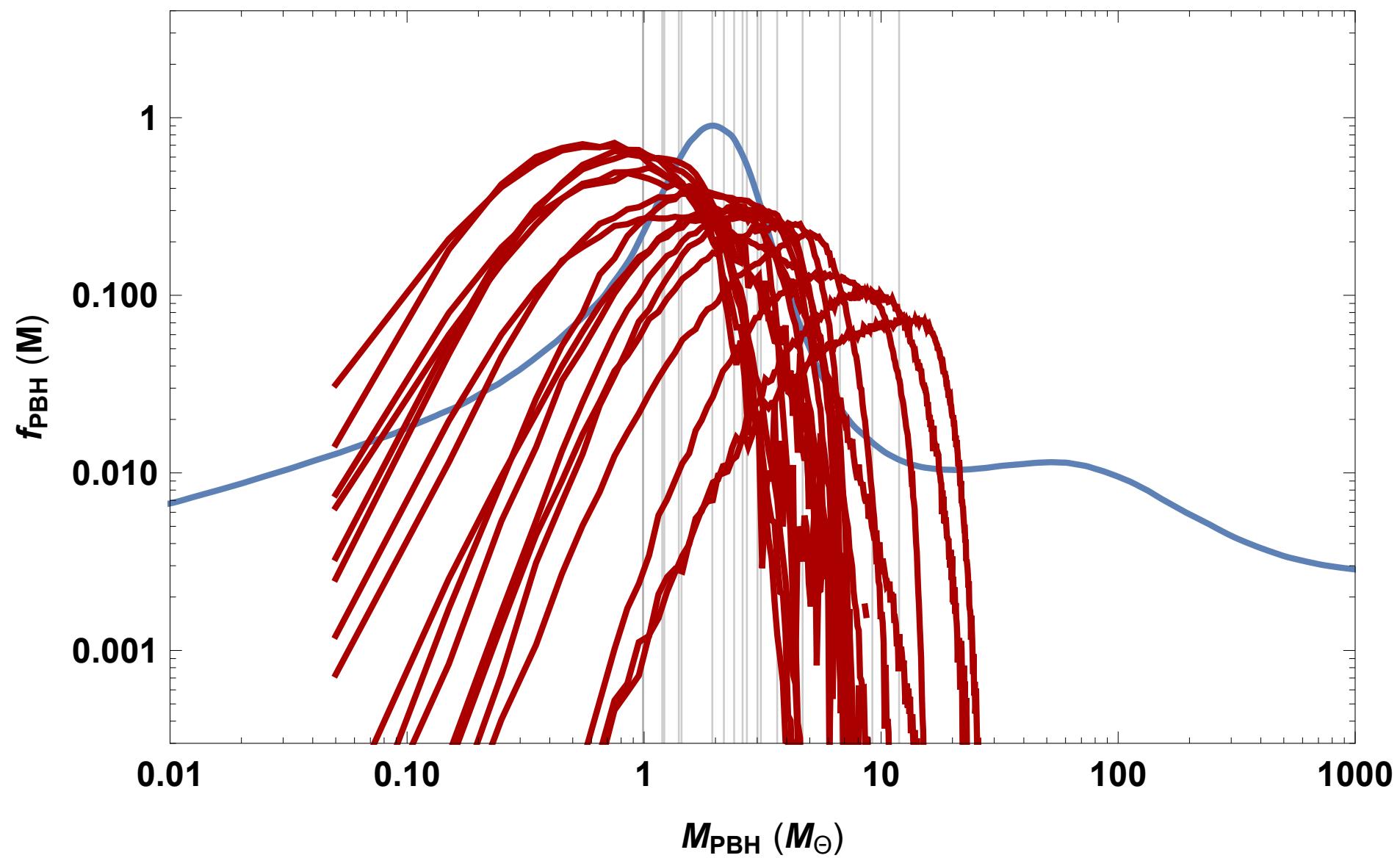
1.0

10.0

z Wyrzykowski

!

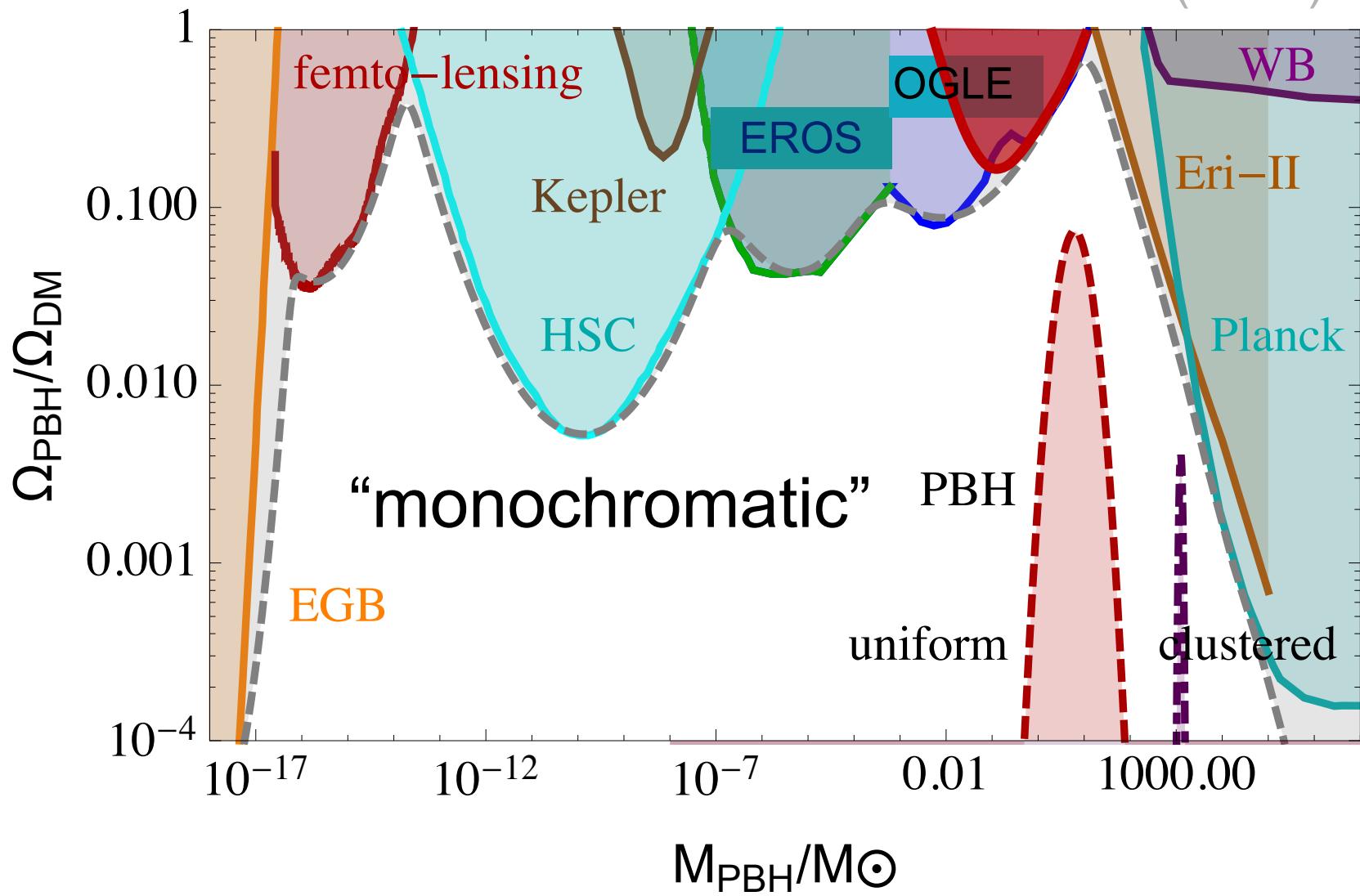
Wyrzykowski, Mandel (2019)



Summary Constraints on PBH

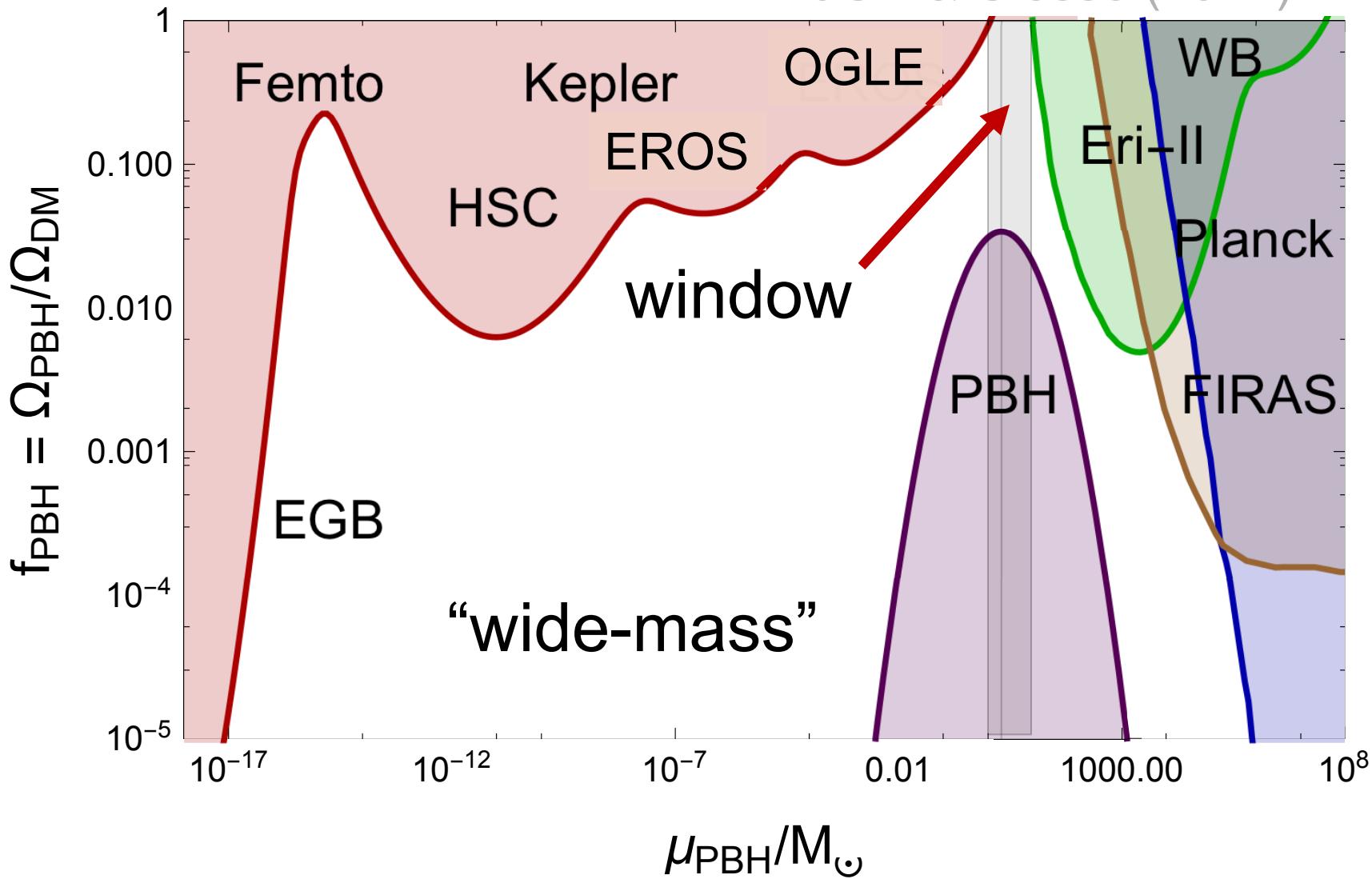
PBH constraints

JGB & Clesse (2017)

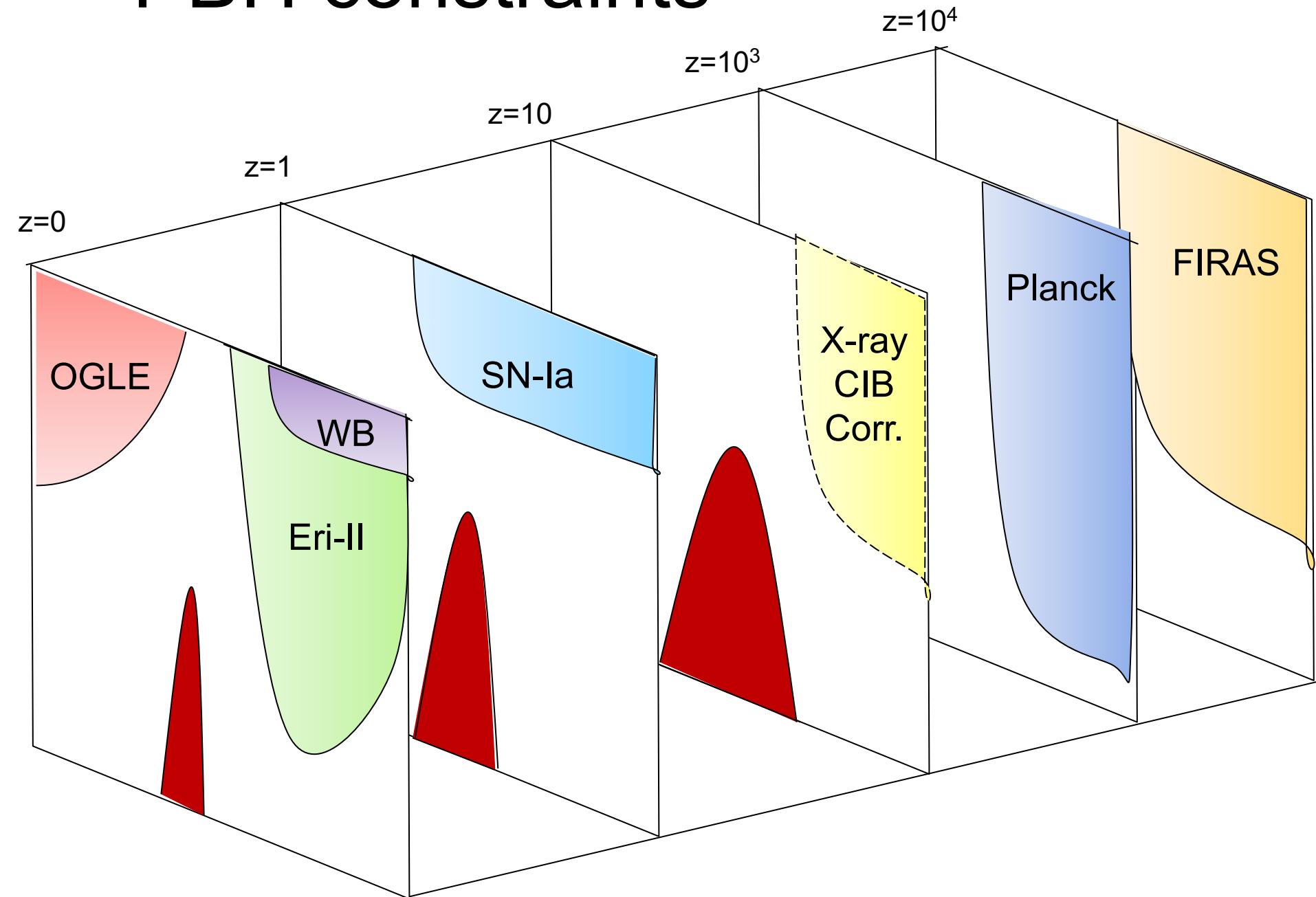


PBH constraints

JGB & Clesse (2017)



PBH constraints

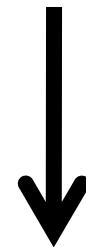


Conclusions

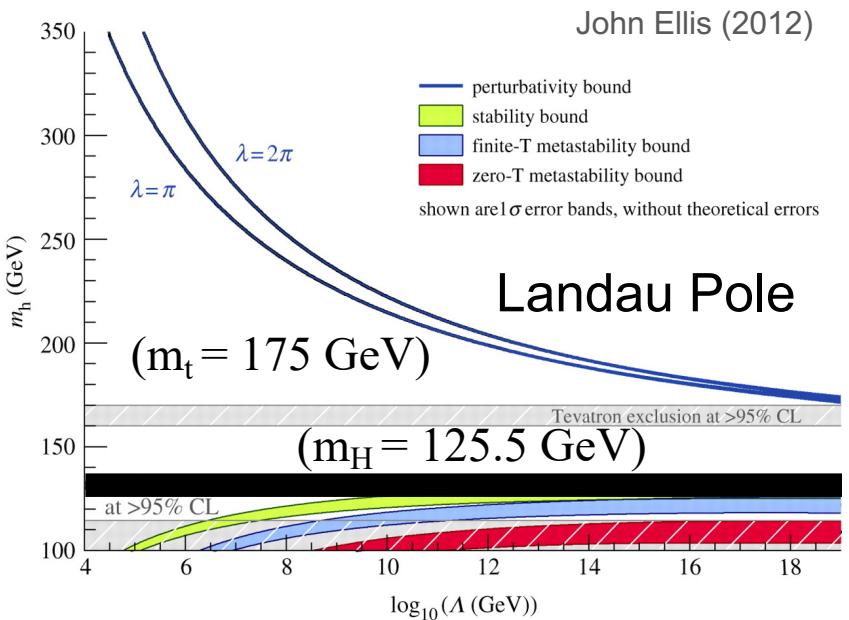
- SM physics can explain both DM and BAU.
- Smallness of BAU is due to the small number of Hubble domains that collapse to form PBH.
- The quark-hadron QCD transition triggers the collapse of PBH and BAU via “Hot spot” EWB.
- Dark matter density in the form of PBH is then of the same order as Baryon density.
- It also explains why PBH have masses $\sim M_{\odot}$.
- The predicted PBH mass distribution (features) could be measured by LIGO/Virgo in the near future.

Critical Higgs Inflation

SM Higgs → Inflaton



Dark Matter ← PBH



Ezquiaga, JGB, Ruiz Morales (2017)

$$S = \int d^4x \sqrt{g} \left[\left(\frac{1}{2\kappa^2} + \frac{\xi(\phi)}{2} \phi^2 \right) R - \frac{1}{2} (\partial\phi)^2 - \frac{1}{4} \lambda(\phi) \phi^4 \right]$$

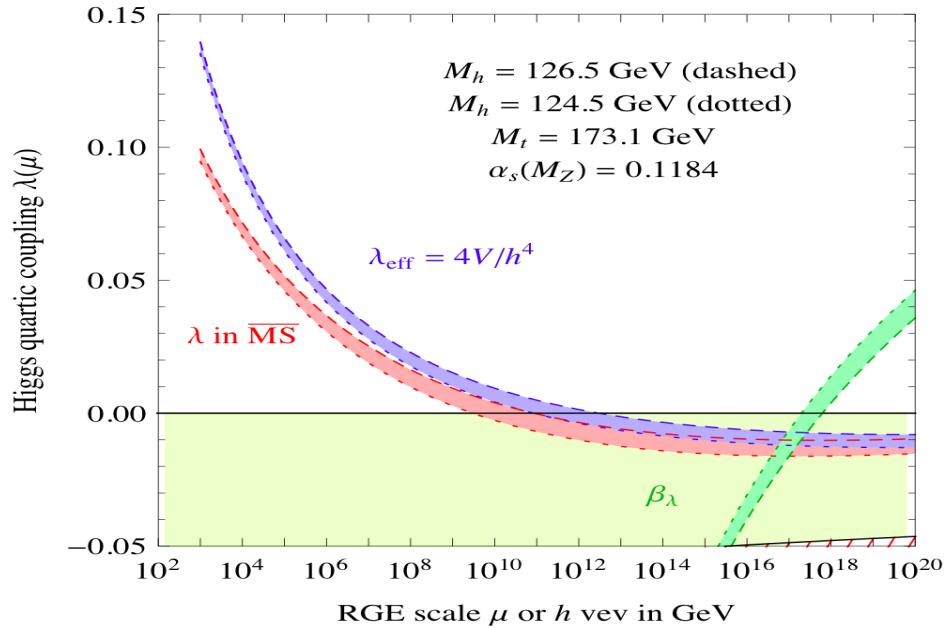
$$\lambda(\phi) = \lambda_0 + b_\lambda \ln^2(\phi/\mu),$$

$$\xi(\phi) = \xi_0 + b_\xi \ln(\phi/\mu),$$

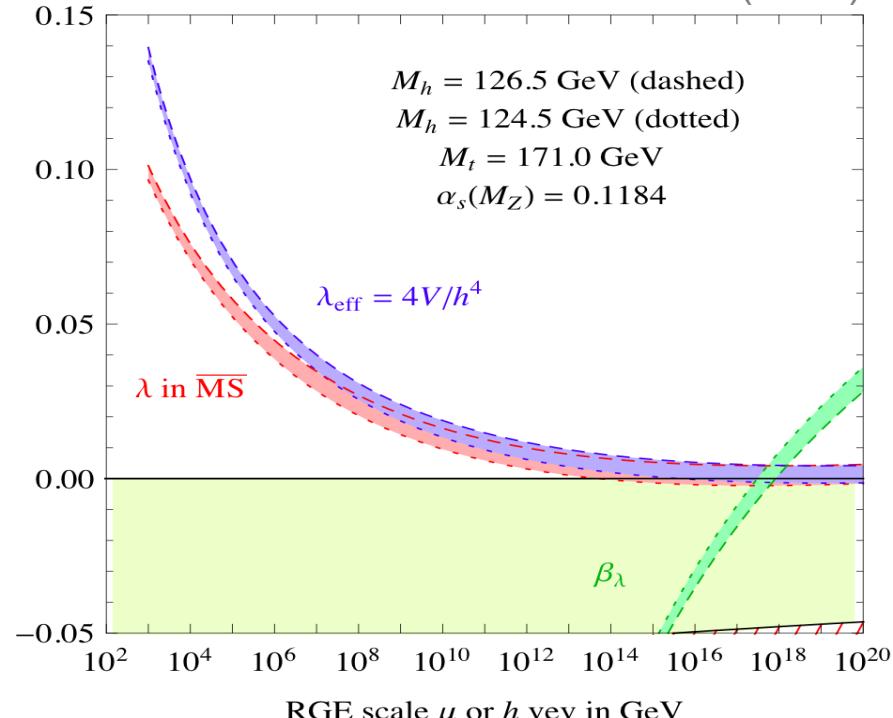
$$\frac{d\varphi}{d\phi} = \frac{\sqrt{1 + \xi(\phi) \phi^2 + 6 \phi^2 (\xi(\phi) + \phi \xi'(\phi)/2)^2}}{1 + \xi(\phi) \phi^2}$$

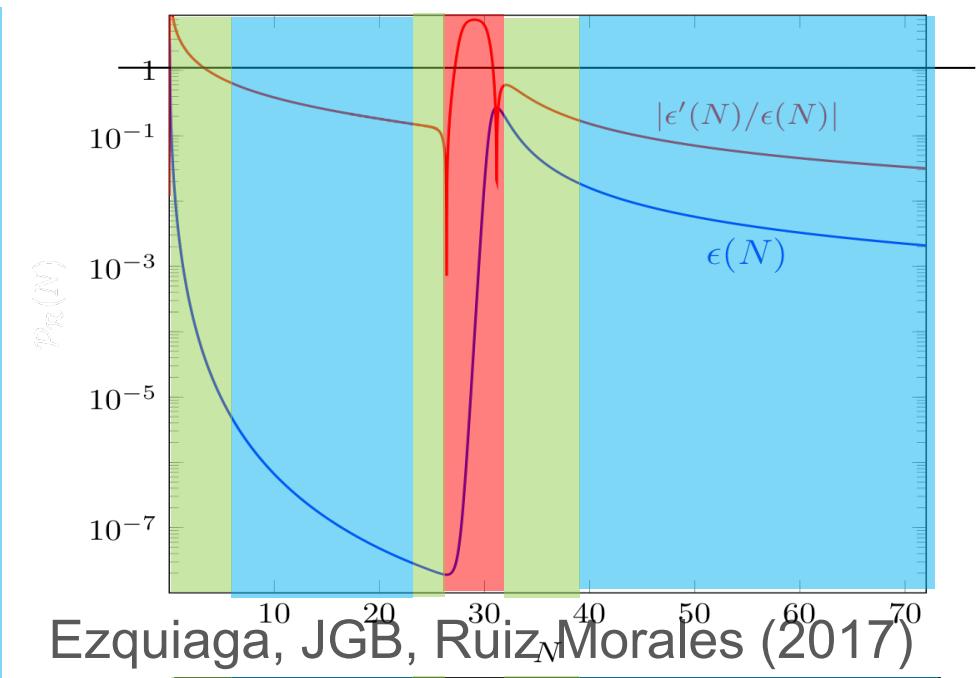
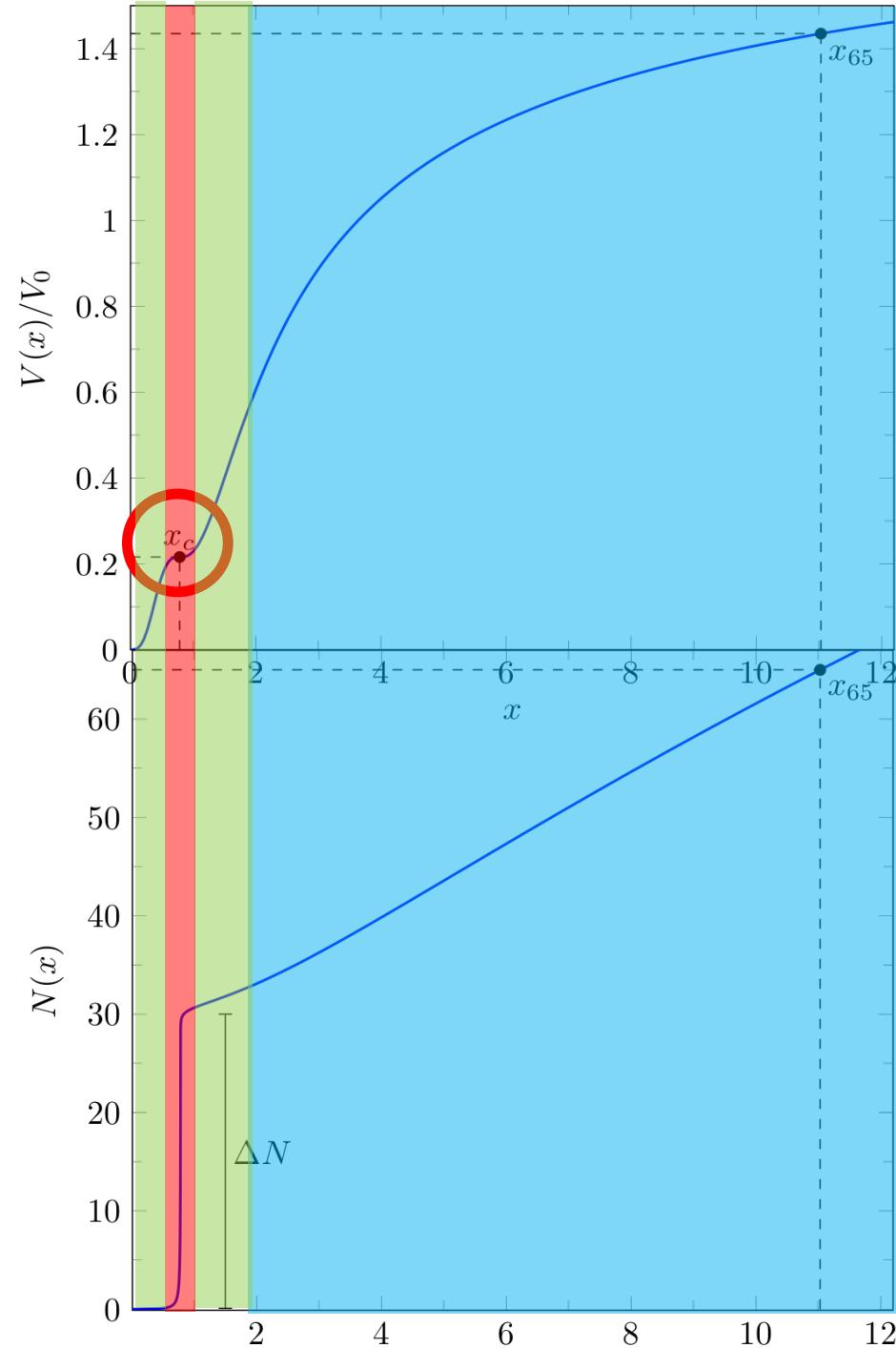
$$V(x) = \frac{V_0 (1 + a \ln^2 x) x^4}{(1 + c (1 + b \ln x) x^2)^2} \quad x = \phi/\mu$$

$$V_0 = \lambda_0 \mu^4 / 4, a = b_\lambda / \lambda_0, b = b_\xi / \xi_0 \text{ and } c = \xi_0 \kappa^2 \mu^2$$

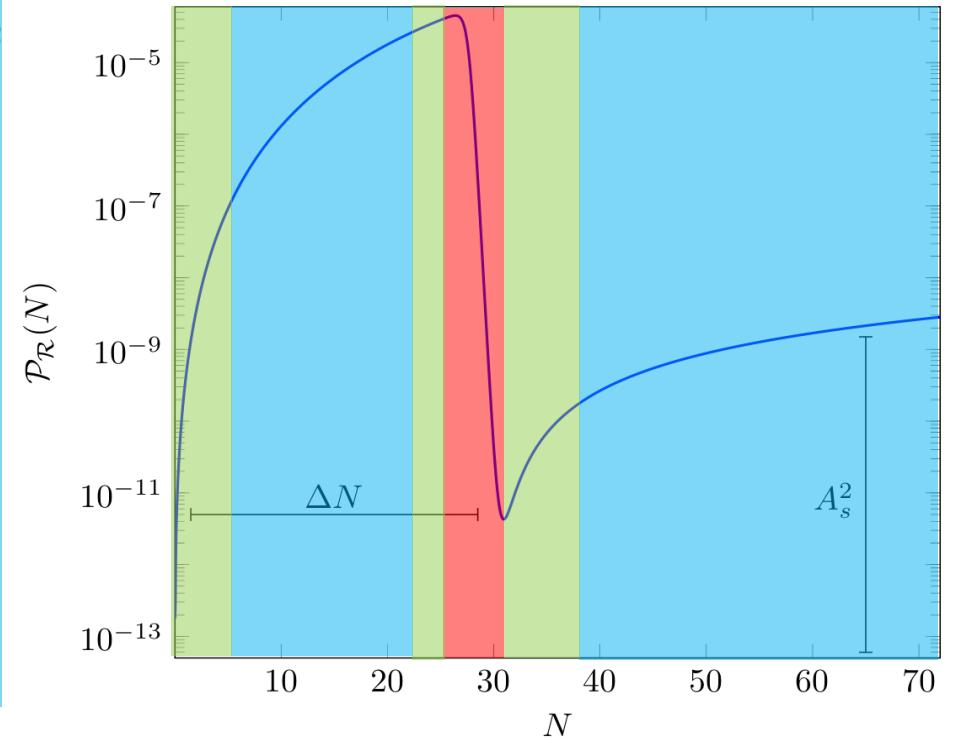


Buttazzo et al (2014)





Ezquiaga, JGB, Ruiz Morales (2017)



Primordial Spectrum PBH

JGB, Ruiz Morales (2017)

