

# Scattering of Heavy Exotic Hadrons

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# Exotic heavy particles

- Many theories of BSM physics accommodate stable massive particles (SMP).
- Eg, within SUSY
  - Gluino (octet) (Split-SUSY)
  - Stau (colourless) GMSB
  - Stop (triplet) GMSB/5-D SUSY
- If nature grants us a SMP at the LHC/HERA challenge is to detect and extract quantum numbers.
- Heavy coloured particles hadronise to form R-hadrons/H-hadrons
- Hadronic scattering useful discriminating observable

# Non-SUSY scenarios

$Q_{em}$	$C_{QCD}$	$S$	Model(s)
0	8	1	Universal Extra Dimensions (KK gluon)
$\pm 1$	1	$\frac{1}{2}$	Universal Extra Dimensions (KK lepton) Fat Higgs with a fat top ( $\psi$ fermions) 4th generation (chiral) fermions Mirror and/or vector-like fermions
		0	Fat Higgs with a fat top ( $\psi$ scalars)
$\pm \frac{4}{3}$	3	$\frac{1}{2}$	Warped Extra Dimensions with GUT parity (XY gaugino)
		0	5D Dynamical SUSY-breaking (xyon)
$-\frac{1}{3}, \frac{2}{3}$	3	$\frac{1}{2}$	Universal Extra Dimensions (KK down, KK up) 4th generation (chiral) fermions Mirror and/or vector-like fermions Warped Extra Dimensions with GUT parity (XY gaugino)
$\epsilon < 1$	1	$\frac{1}{2}$	GUT with $U(1) - U(1)'$ mixing Extra singlets with hypercharge $Y = 2\epsilon$ Millicharged neutrinos
?	?	$0/\frac{1}{2}/1$	“Technibaryons”

Table 2

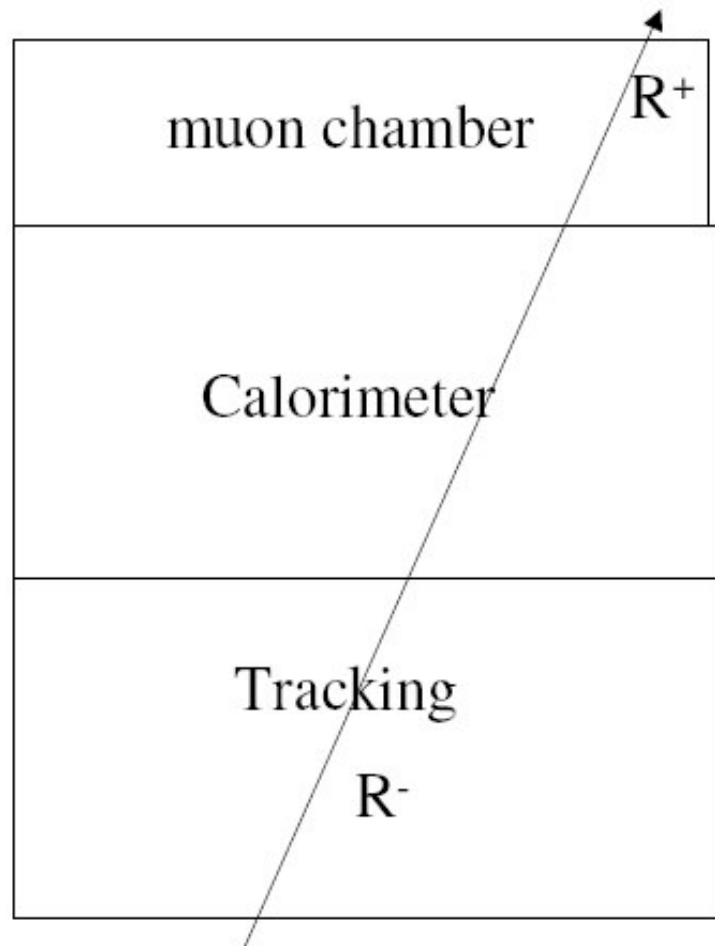
Examples of possible SMP states in a variety of models beyond the MSSM (for MSSM SMPs, see Tab. 1). Classified by electric charge  $Q$ , colour representation  $C_{QCD}$ , spin  $S$ , and scenario.

Phys.Rept. 438:1-63,2007

Fairbairn, Kraan, Milstead, Sjöstrand, Skands, Sloan

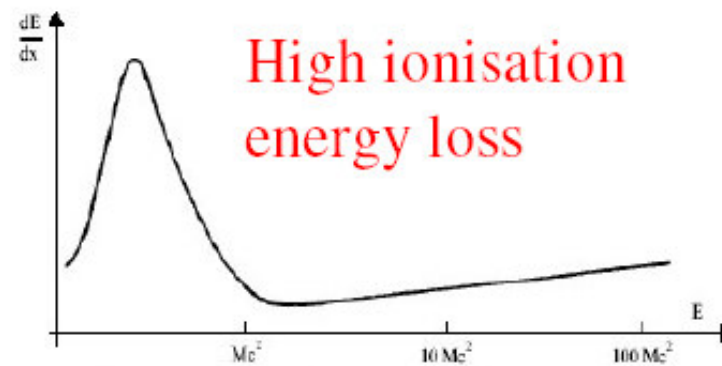
The observation or non-observation of SMPs are an important part of BSM physics program at the LHC/HERA.

# Searching for R-hadrons in a generic detector!



- (1) Late arriving muon
- (2) 'flipped' charge

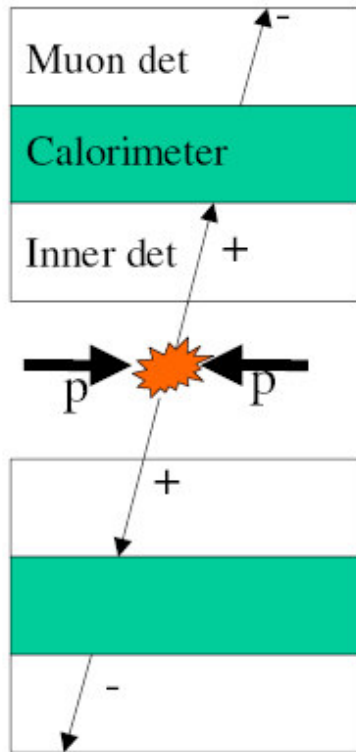
- (1) E/p similar to muon
- (2) 'steps' of hadronic energy deposition



$$\frac{dE}{dx} = -K \frac{Z}{A} \frac{\rho}{\beta^2} \left( \ln \frac{2mc^2 \beta^{-2} E_M}{I^2 (1 - \beta^2)} - 2\beta^{-2} \right)$$

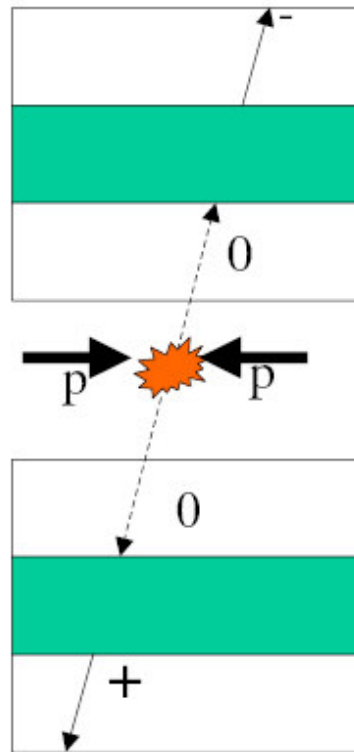
# Different topologies for heavy hadrons

Flippers and  $\mu^- \mu^- , \mu^+ \mu^+$



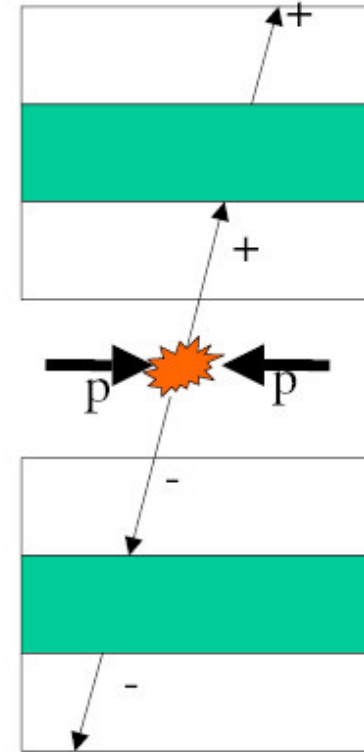
- gluino-gluino ✓
- stop-antistop ✗
- stau-antistau ✗

No ID track and  $\mu^+ \mu^-$



- gluino-gluino ✓
- stop-antistop ✓
- stau-antistau ✗

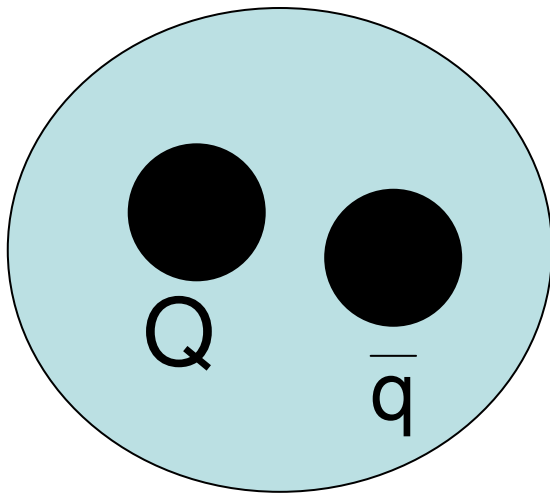
No flippers and  $\mu^+ \mu^-$



- gluino-gluino ✓
- stop-antistop ✓
- stau-antistau ✓

Understanding scattering processes in material is crucial.

# What do we know about R-hadron scattering ?



Heavy exotic meson from massive exotic colour triplet  $Q$  and SM quark  $\bar{q}$ .

$$M_Q \approx M_H = 200 \text{ GeV} \quad E = 1 \text{ TeV}$$

$$\Rightarrow \gamma = \frac{E}{M} = 4$$

$$M_q \approx 0.2 \text{ GeV} \Rightarrow KE_q = (\gamma - 1)M_q \approx \text{GeV}$$

Heavy quark doesn't interact :  $\sigma \approx \frac{k}{M_Q^2}$

Low energy collision between SM quark in material.

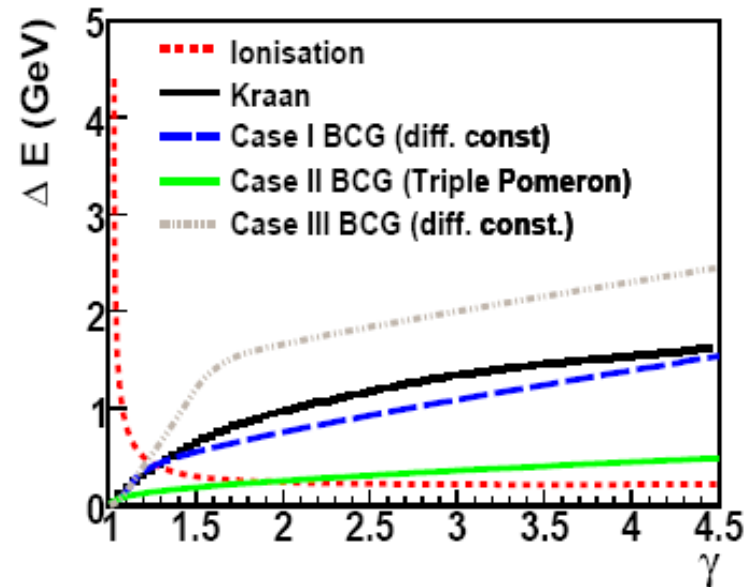
**Recent ref: hep-ex/0404001 (A.C. Kraan)**

# What's on the market ?

Generic model: all 2-2 and 2-3 processes allowed.  
 Constant cross section  
 Separated by phase space.  
 Same Clebsch-Gordon co-efficients.  
**hep-ex/0404001** (A.C. Kraan)  
**hep-ph/0612161** (Mackeprang, Rizzi)  
 Geant3 and Geant 4.

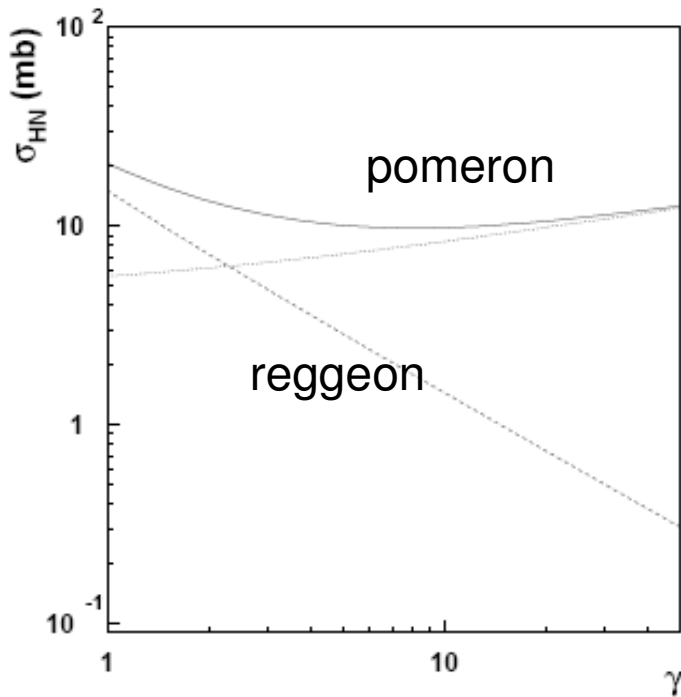
	$R^+$	$R^0$	$R^-$
proton scattering: 2→2 processes	$R^+p \rightarrow R^+p$ $R^+p \rightarrow S^{++}n^0$ $R^+p \rightarrow S^+n^+$	$R^0p \rightarrow R^0p$ $R^0p \rightarrow R^+n^-$ $R^0p \rightarrow S^{++}n^-$ $R^0p \rightarrow S^+n^0$ $R^0p \rightarrow S^0n^+$	$R^-p \rightarrow R^-p$ $R^-p \rightarrow R^0n^0$ $R^-p \rightarrow S^+n^0$ $R^-p \rightarrow S^0n^0$
neutron scattering: 2→2 processes	$R^+n \rightarrow R^+n$ $R^+n \rightarrow R^0p$ $R^+n \rightarrow S^{++}n^-$ $R^+n \rightarrow S^+n^0$ $R^+n \rightarrow S^0n^+$	$R^0n \rightarrow R^0n$ $R^0n \rightarrow R^-p$ $R^0n \rightarrow S^+n^0$ $R^0n \rightarrow S^0n^0$ $R^0n \rightarrow S^-n^+$	$R^-n \rightarrow R^-n$ $R^-n \rightarrow R^0p^-$ $R^-n \rightarrow S^0n^0$ $R^-n \rightarrow S^-n^+$
proton scattering: 2→3 processes	$R^+p \rightarrow R^+pn^0$ $R^0p \rightarrow R^+pn^+$ $R^+p \rightarrow R^0pn^+$ $R^+p \rightarrow S^{++}n^0n^0$ $R^+p \rightarrow S^+n^+n^0$ $R^+p \rightarrow S^+n^+n^+$ $R^+p \rightarrow S^0n^+n^0$	$R^0p \rightarrow R^0pn^0$ $R^0p \rightarrow R^0pn^+$ $R^0p \rightarrow R^+pn^+$ $R^0p \rightarrow S^+n^0n^0$ $R^0p \rightarrow S^+n^+n^0$ $R^0p \rightarrow S^+n^+n^+$ $R^0p \rightarrow S^0n^+n^0$	$R^-p \rightarrow R^-pn^0$ $R^-p \rightarrow R^-pn^+$ $R^-p \rightarrow R^0pn^+$ $R^-p \rightarrow S^0n^0n^0$ $R^-p \rightarrow S^0n^0n^+$ $R^-p \rightarrow S^0n^0n^+$ $R^-p \rightarrow S^-n^+n^0$
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Triple Regge estimates for  
 Gluinos  
**hep-ph/9806361** (Baer, Chung, Gunion)  
**hep-ph/9912436** (Mafi, Raby)



# Triple Regge Approach for stable colour triplets

Talk by O. Piskounova (last HERA-LHC meeting)



Triple regge ansatz to estimate energy loss of H-hadron. Separate into pomeron and reggeonic contributions.

$$\frac{d^2\sigma_{RRR}}{dt dM_X^2}(\gamma, M_X^2) = \frac{1}{M_X^2} \sigma_R^2(\gamma) C_{RRR} \exp[(2B_{RH} + B_{RRR} + 2\alpha'_R \ln(\frac{2\gamma M_0^2}{M_X^2}))t] \left(\frac{M_0^2}{M_X^2}\right)^{\Delta_R} \quad (4)$$

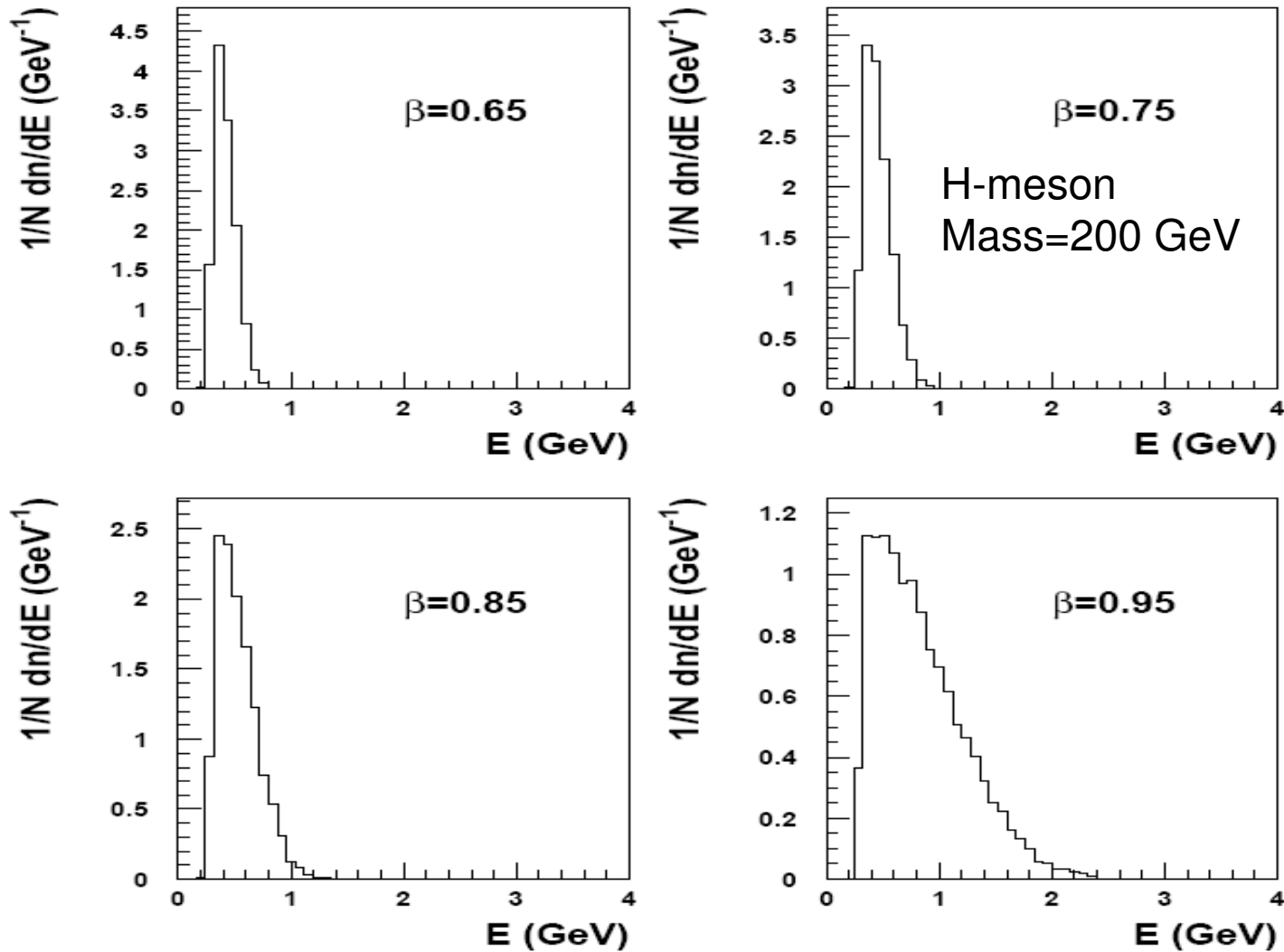
$$\frac{d^2\sigma_{RRP}}{dt dM_X^2}(\gamma, M_X^2) = \frac{1}{M_X^2} \sigma_R^2(\gamma) C_{RRP} \exp[(2B_{RH} + B_{RRP} + 2\alpha'_P \ln(\frac{2\gamma M_0^2}{M_X^2}))t] \left(\frac{M_0^2}{M_X^2}\right)^{2\Delta_R - \Delta_P} \quad (5)$$

$$\frac{d^2\sigma_{PPR}}{dt dM_X^2}(\gamma, M_X^2) = \frac{11}{M_X^2} \sigma_P^2(\gamma) C_{PPR} \exp[(2B_{PH} + B_{PPR} + 2\alpha'_P \ln(\frac{2\gamma M_0^2}{M_X^2}))t] \left(\frac{M_0^2}{M_X^2}\right)^{2\Delta_P - \Delta_R} \quad (6)$$

$$\frac{d^2\sigma_{PPP}}{dt dM_X^2}(\gamma, M_X^2) = \frac{1}{M_X^2} \sigma_P^2(\gamma) C_{PPP} \exp[(2B_{PH} + B_{PPP} + 2\alpha'_P \ln(\frac{2\gamma M_0^2}{M_X^2}))t] \left(\frac{M_0^2}{M_X^2}\right)^{\Delta_P} \quad (7)$$



# Differential hadronic energy loss

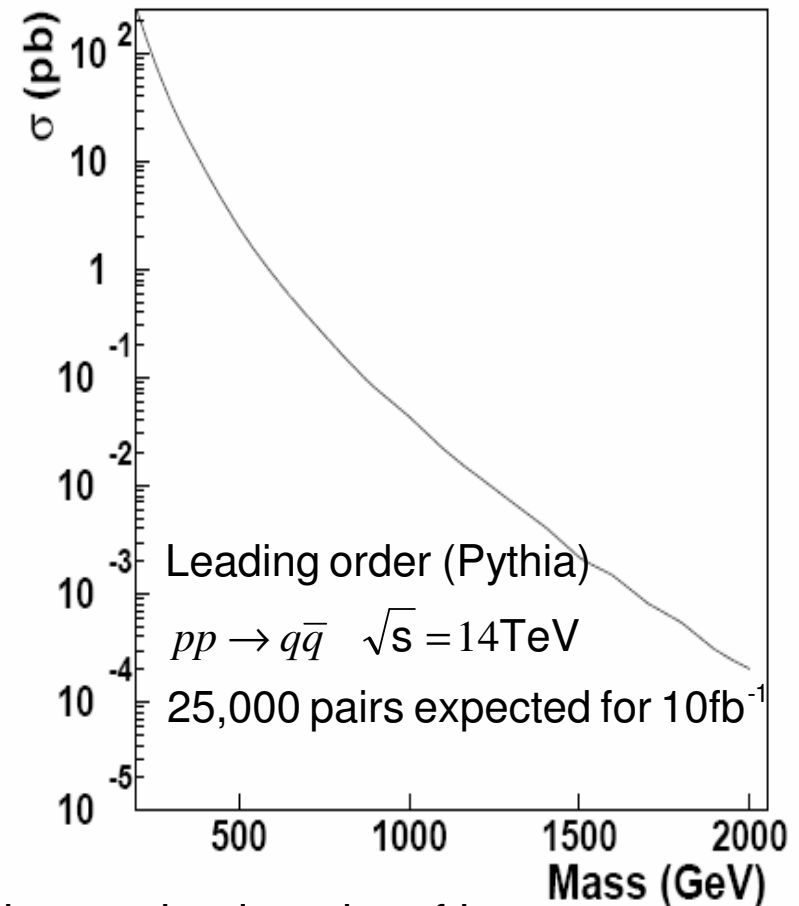
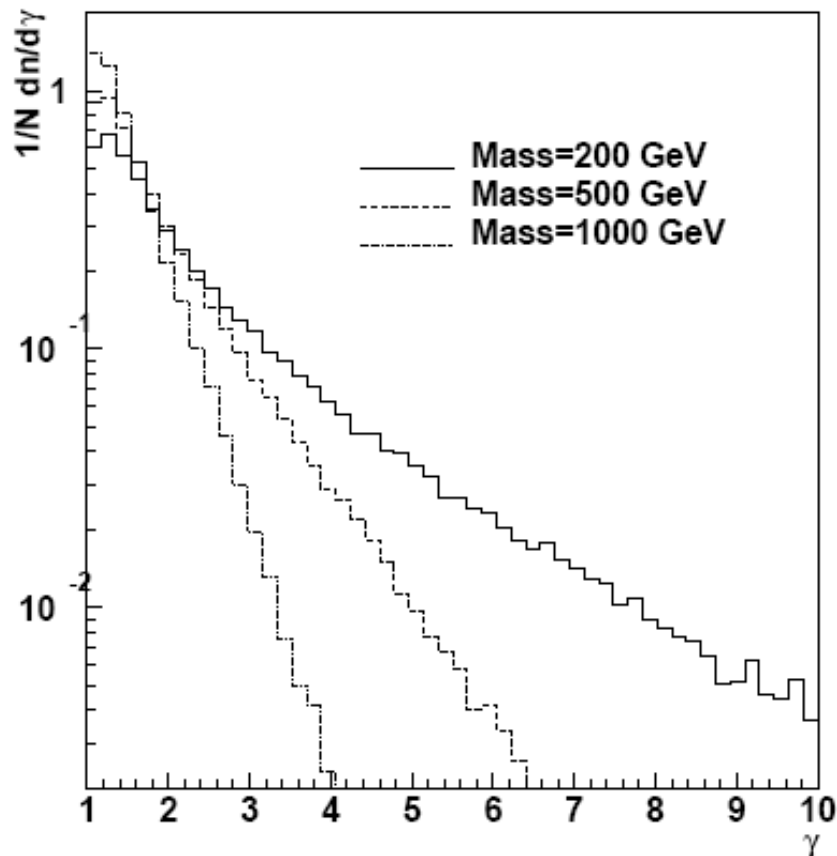


Energy loss per collision around a GeV

# Exotic hadron model

Fourth generation quark model

Hadronise into H-mesons (90%) and baryons (10%)



Propagate H-mesons through – 15 interaction lengths of iron.

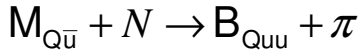
Use kinematic spectra for pp at  $\sqrt{s}=14$  TeV.

$|\eta| < 2.5$ ,  $\beta > 0.7$ .

# Energy loss

Q

Mesons convert to baryons

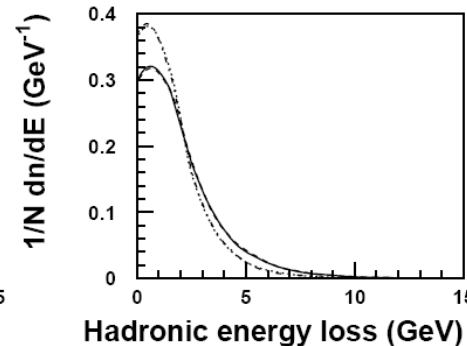
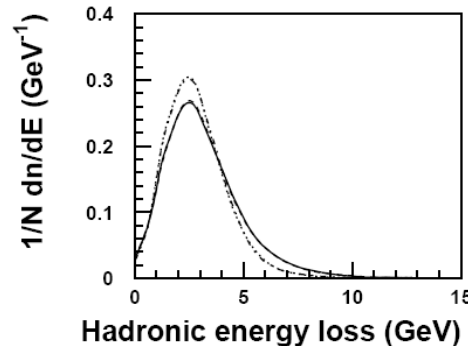
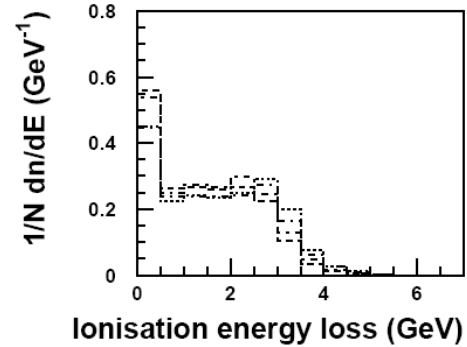
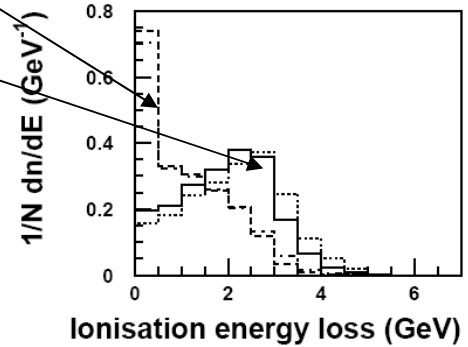
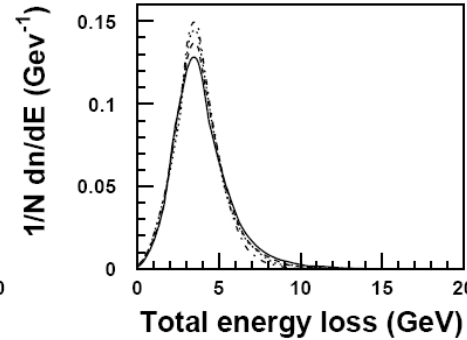
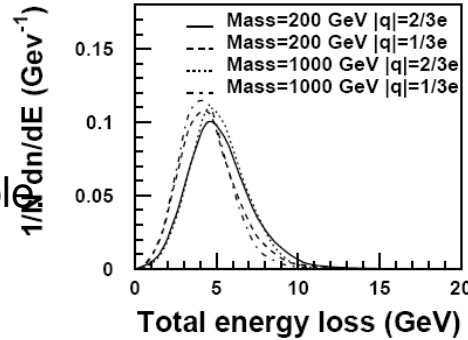


Reverse reaction not possible

Lowest baryon state : Qud

D - type quarks : neutral

U - type quarks : positive



H-hadrons (Q)

H-hadrons ( $\bar{Q}$ )

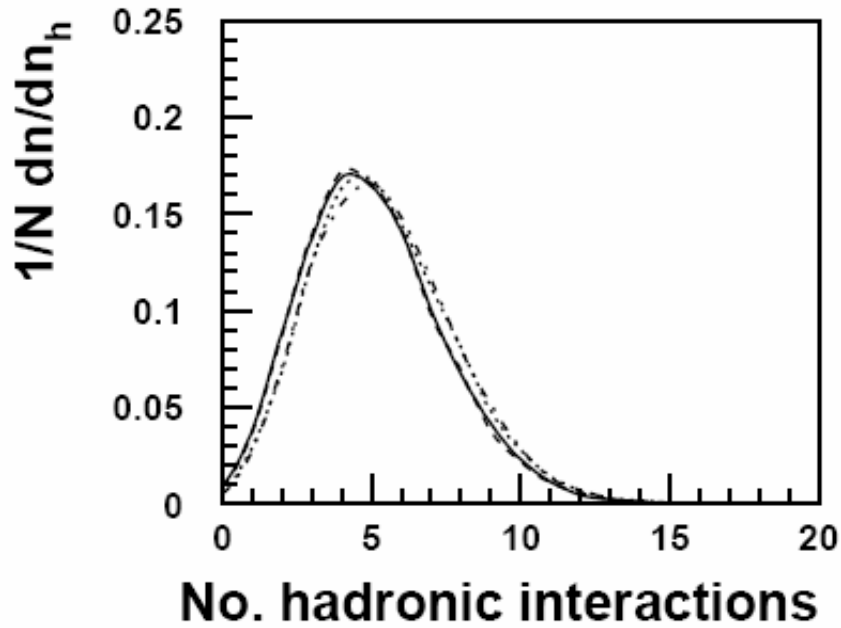
$\bar{Q}$

Mesons stay as mesons

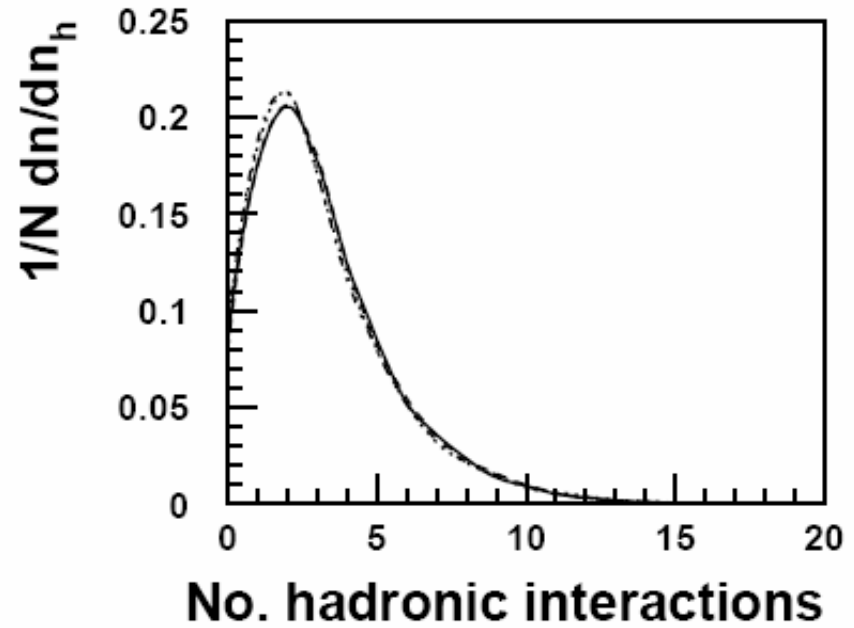
Baryon number annihilation.

$\bar{Q}u$  quark annihilation with nucleon quarks not possible.

(pomeron)



$(Q\bar{q})$  – quark annihilation with nucleon quarks



$(\bar{Q}q)$  – no quark Annihilation with nucleon quarks.

# Topologies

Detector with inner tracking and muon tracking chambers enclosed by calorimeter for scattering..

1	One H-hadron produced with non-zero charge which doesn't change
2	Both particles produced with non-zero charge which don't change.
3	Both particles produced with non-zero charge. One changes to neutral.
4	One particle produced with zero and the other with non-zero charge. The zero charge particle converts to a charged state.
5	Both particles are produced with non-zero charge but convert to zero charge particles.
6	At least one particle leaves the detector material with non-zero charge of opposite sign to the charge it was produced with.

# Expected rates for various topologies for $10\text{fb}^{-1}$

Topology	No mixing Mass (GeV)			Maximal mixing Mass (GeV)		
	200	500	1000	200	500	1000
1	$4.9 \times 10^5$	$4.3 \times 10^3$	57	$4.1 \times 10^5$	$3.5 \times 10^3$	48
2	$3.0 \times 10^4$	$2.6 \times 10^2$	3	$2.2 \times 10^4$	$1.9 \times 10^2$	2
3	$9.6 \times 10^4$	$8.3 \times 10^2$	9	$8.2 \times 10^4$	$6.8 \times 10^2$	8
4	$6.0 \times 10^4$	$5.2 \times 10^2$	6	$4.8 \times 10^4$	$4.0 \times 10^2$	5
5	$6.4 \times 10^4$	$5.3 \times 10^2$	6	$6.3 \times 10^4$	$5.5 \times 10^2$	6
6	0	0	0	$8.1 \times 10^4$	$7.2 \times 10^2$	9

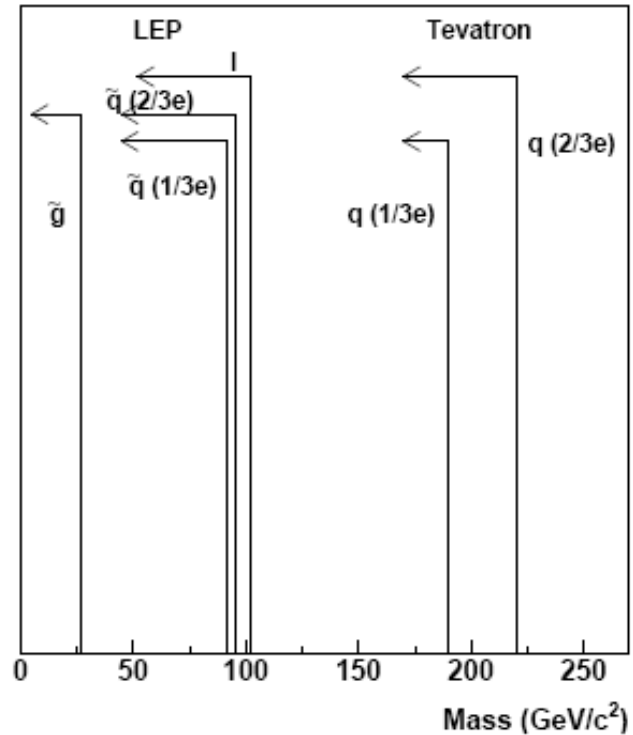
Mixing: neutral H-meson states can oscillate into their anti-particles.

$$H^+(\tilde{u}\bar{d}) + n \rightarrow H^0(\tilde{u}\bar{u}) + p$$

$$H^0(\tilde{u}\bar{u}) \rightarrow \bar{H}^0(\bar{\tilde{u}}u)$$

$$\bar{H}^0(\bar{\tilde{u}}u) + n \rightarrow \bar{H}^-(\bar{\tilde{u}}d) + p$$

# Previous searches



Mostly Tevatron and LEP. HERA makes generic searches for highly ionising particles. Could be fruitful to also include hadron channel.

# Summary

- Stable massive particles predicted in a variety of scenarios of BSM physics.
- Possibility to observe SMPs and extract their quantum numbers.
- Hadronic interactions can hinder and aid a search strategy.
- New approach for quark-like exotic objects.