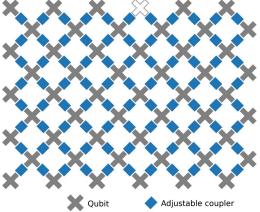
Quantum Computation & Quantum Supremacy

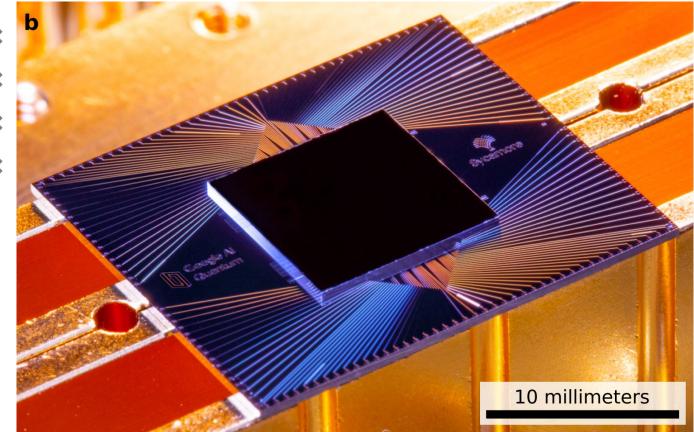
John Martinis UCSB & (Google)

- Powerful computation paradigm
- Superconducting qubits
- Quantum supremacy achieved
 - 200s quantum computer, checked 10k yr

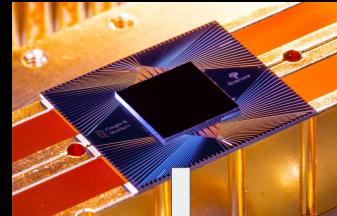
Sycamore Processor: 54 qubits



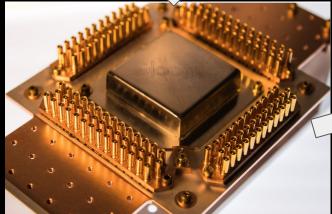
4-NN: Forward compatible SC error correction



Fabrication



Packaging

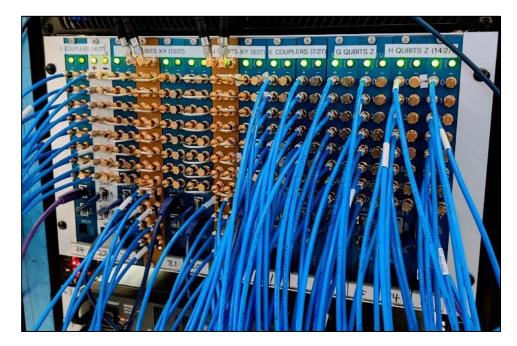


Dilution refrigerator

10 mK : 5 GHz

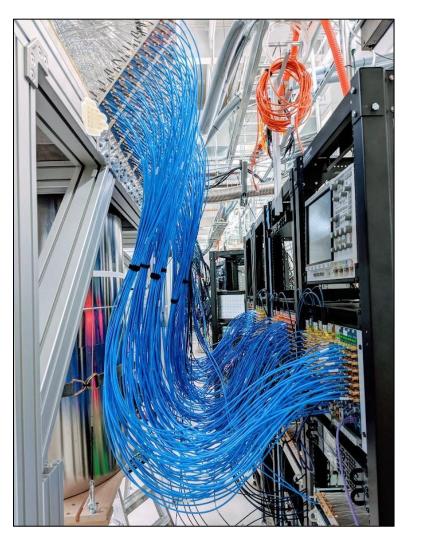
20-

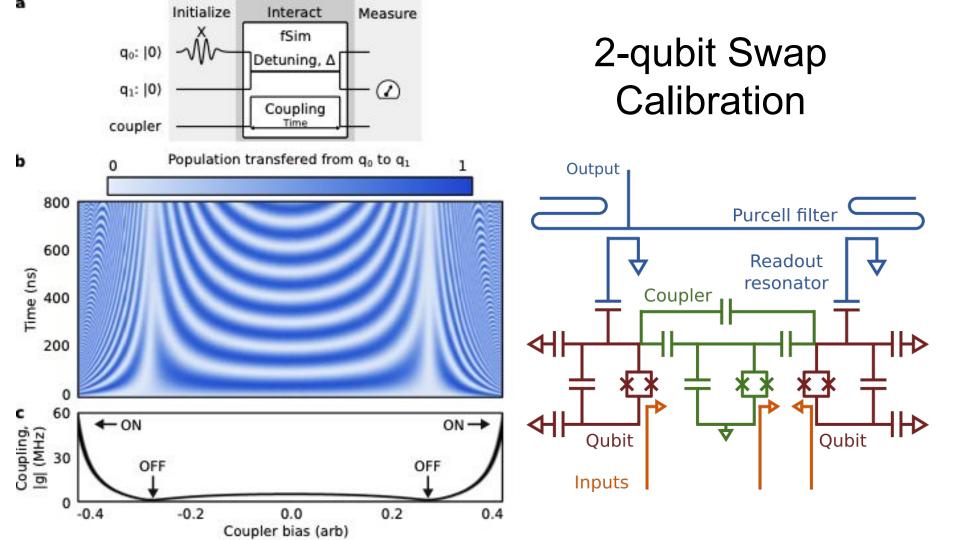
Control Hardware



Custom built High speed High precision

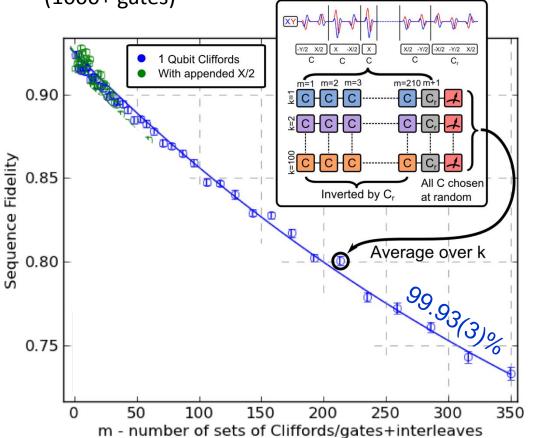


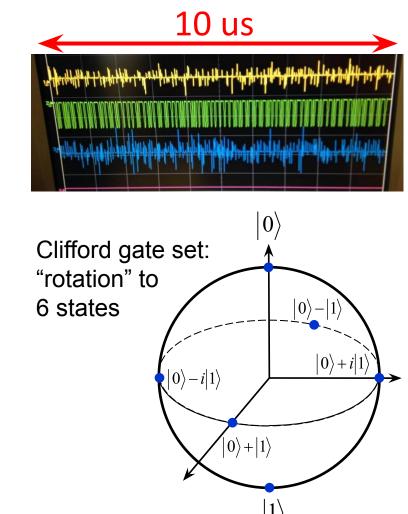




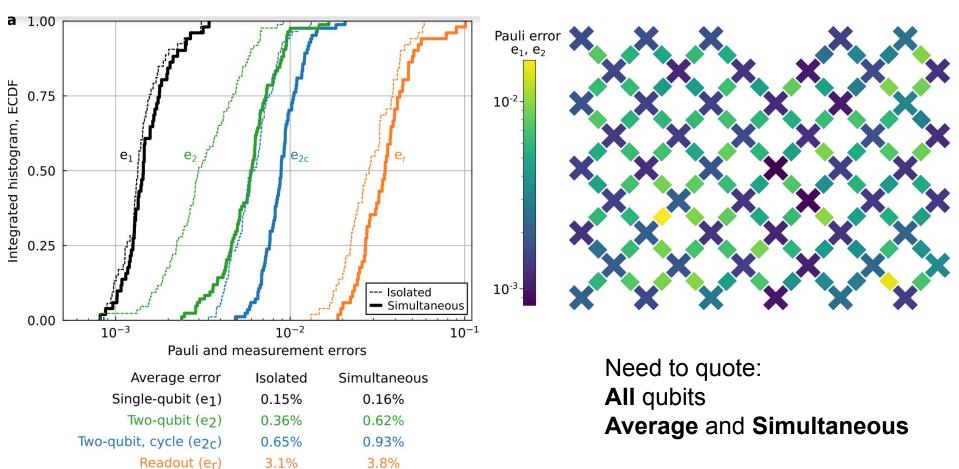
Randomized Benchmarking*

Realistic multi-qubit test of *long* algorithm (1000+ gates)





Low Errors using Fast 2-Qubit Gates (12 ns)



Low Errors for Arbitrary 2-qubit Gates

Excitation preserving unitary (Fermionic simulation for NISQ)

1
 0
 0
 0

 0

$$\cos(\theta)$$
 $-i \sin(\theta)$
 0

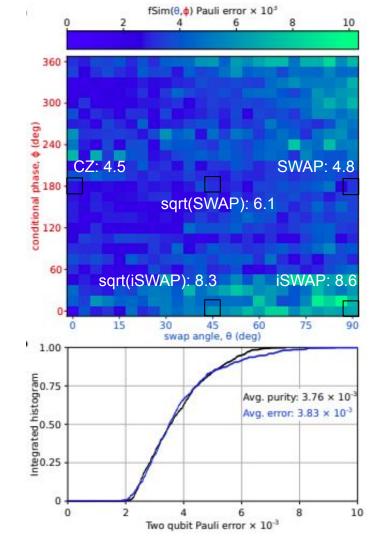
 0
 $-i \sin(\theta)$
 $\cos(\theta)$
 0

 0
 0
 0
 $e^{i\phi}$

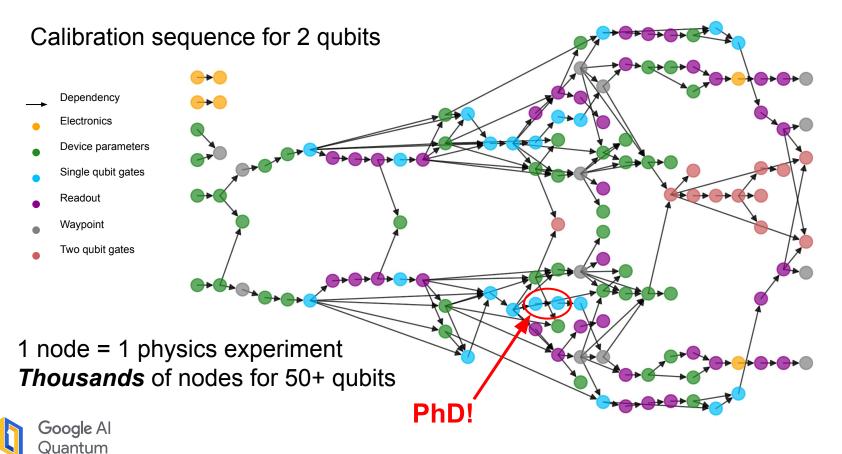
CZ/CNOT for $\varphi = \pi$



Brooks Foxen, ArXiv 2001.08343

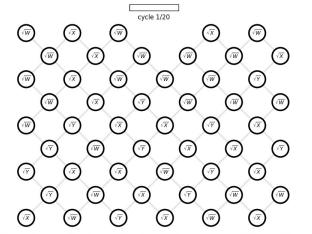


Calibration - Learning how to execute quantum logic



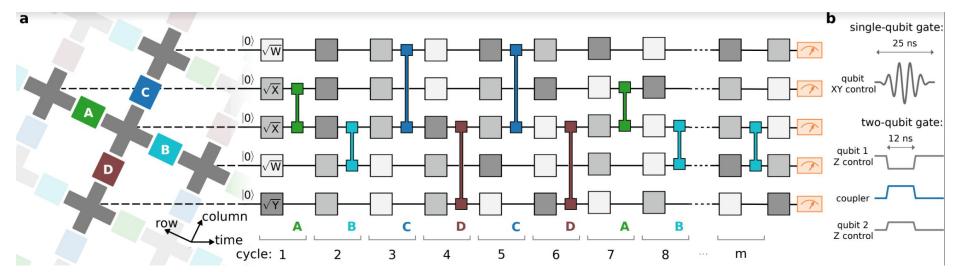
Control Sequence

- General purpose algorithm
 - Cycle with 1- and 2-qubit gates
- Simultaneous gates all qubits
- Simplest circuit for quantum supremacy
 - Pseudo-random 1-qubit gates



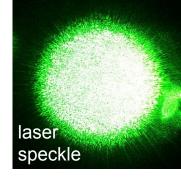
A SQ B SQ C SQ D SQ C SQ D SQ A SQ B SQ A SQ B SQ C SQ D SQ C SQ D SQ A SQ B SQ A SQ B SQ C SQ D SQ

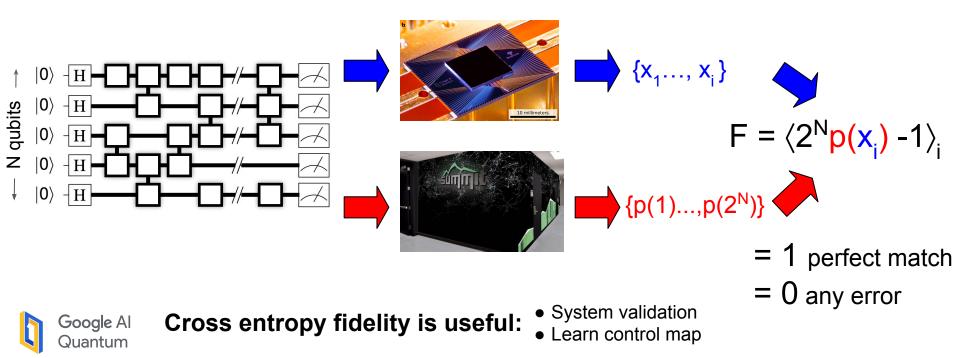




Validation Algorithm for Quantum Supremacy

- Checks general-purpose circuit
- Randomly chosen gates: qubit speckle
 - Sensitive to single qubit errors
 - Complex & difficult to simulate

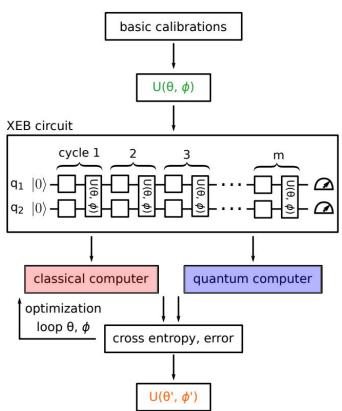


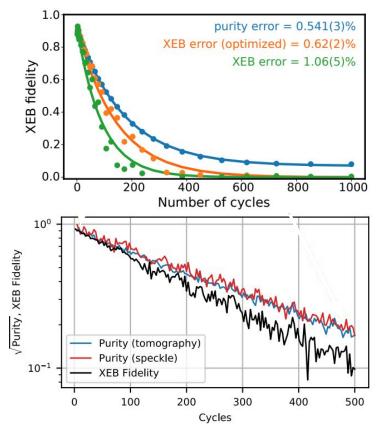


Cross-Entropy Benchmarking (Calibrate & Validate)

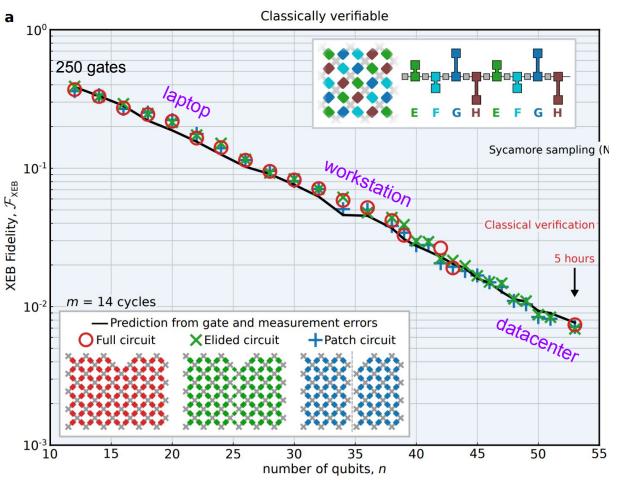
 $F = \langle 2^{N} p(x_{i}) - 1 \rangle_{i}$

Need to calibrate physical gates: non-Clifford XEB: measure fidelity, purity (only decoh.), optimize

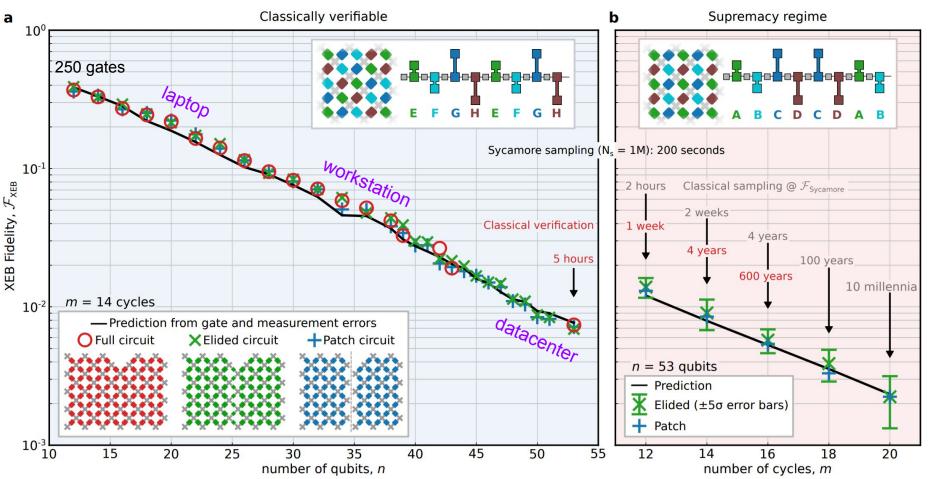




Quantum Supremacy Data

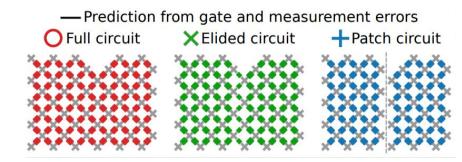


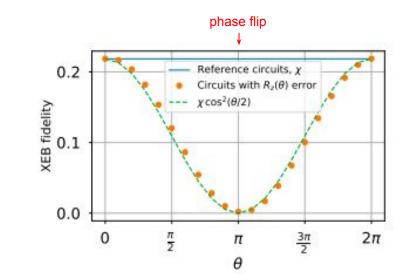
Quantum Supremacy Data



Quantum Science Results

- Same fidelity: full, elided, patch, predicted Errors NOT depend on entanglement and computation complexity!
- 2) No new decoherence physics: Probability prediction, Fidelity = Π_i (1- e_i) Error correction should work
- 3) Quantum works at $2^{53} = 10^{16}$ Hilbert space Previously tested to $\sim 10^3$
- Test model of digitized errors
 One error gives zero fidelity
 Consistent with error probability
 Tests each gate (of ~500)
- 5) Qubit = Quantum + Noise complex ampl. simple prob.

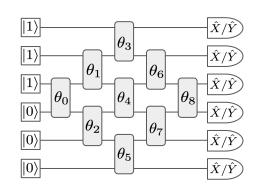




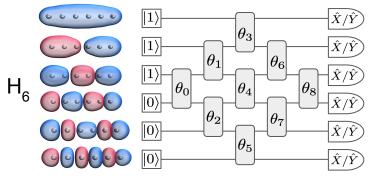
Why No Additional Errors?

- 1) Low crosstalk design
- 2) XEB algorithm uses random NOT^{1/2}
 - a) Equivalent to "slow" spin echos / Dyn. Dec.
 - b) Decorrelates noise, especially 1/f drift
 - c) (Smallish & uncorrelated noise between qubits)
- 3) General purpose algorithm might be sensitive to phase
 - a) Randomized compiling (gauge transformation)
 - b) Add echos
- 4) Some algorithms can't echo (e.g. quantum chemistry)
 - a) Photon conservation used for post-select
 - b) Performance improvement with special calibration e.g phase estimation





- 1. Compile chemistry to gubits
 - a. Hartree-Fock
 - b. Fermionic operators, 2nd quant.
 - c. Coupling sequence (swaps)
 - d. Suite of measurements, ...
- 2. Run quantum circuit for swap θ 's



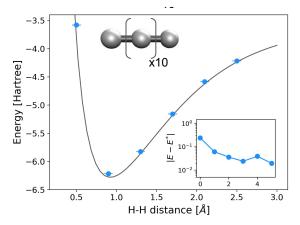
- 3. Correct imperfections, to F~99%
 - b. Excitation loss
 - c. Measurement bias, ...
- 4. Variational optimization of θ 's



Google Al uantum

Q-Chemistry on Sycamore

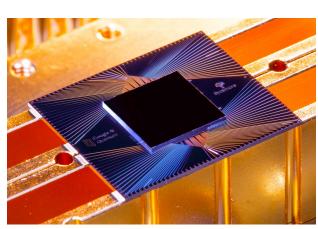
H₁₂ dissociation (Sycamore)



- Double the gubits/electrons as prior largest chemistry simulation
- More than 10X the number of gates

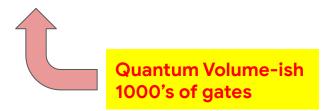


Google's 23 qubit processor accomplishments



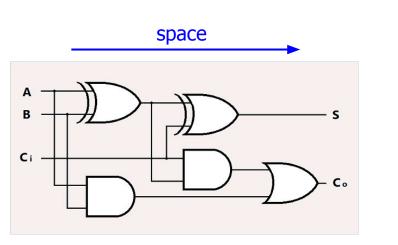
Experiment	# qubits	# gates	Depth of circuit	Gate set
Hartree-Fock	12	204	38	sqrt(iSWAP)
QAOA	23	3,281	153	sycamore
OTOC	17	1,500	45	sqrt(iSWAP)
Fermi-Hubbard	16	5,059	491	sqrt(iSWAP)
CRNG	23	457	29	sycamore

Architecture	Sycamore	
Processor	rainbow	
Qubits	23	





Programing with Circuits, Errors

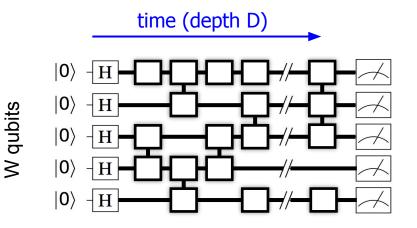


Classical (CMOS)

$$N_{logic} \sim 1/err_{logic}$$

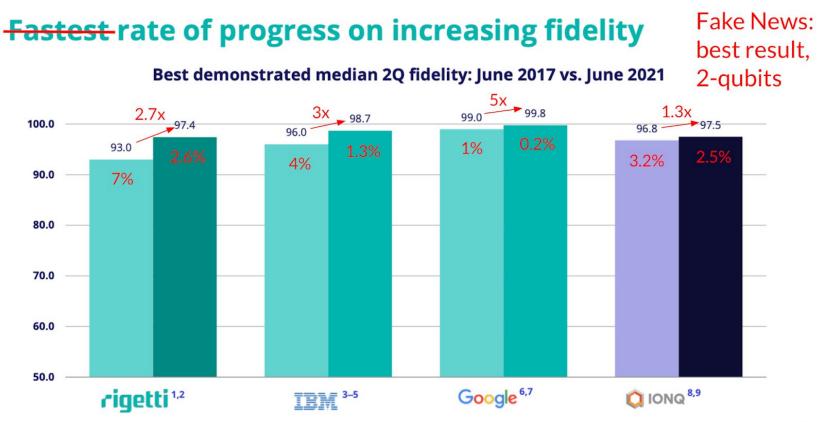
1960's:
$$err = 10^{-3}$$
 TTL
2020: $err = 10^{-11}$ M1





W D \sim 1/err $_{\rm gate}$ = coherence time / gate time

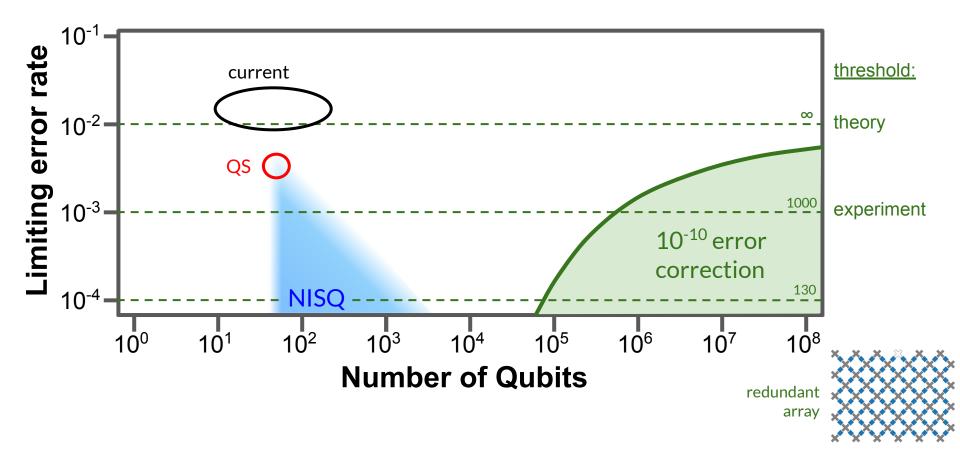
W = 100
$$err = 10^{-2}$$
 D ~ 1
err = 10^{-4} D ~ 100



1 Reagon, M., et al. "Demonstration of Universal Parametric Entanging Gates on a Multi-Qubit Lattor." Science Advances, vol. 4, no. 1, 5ep. 2018, p. et advances, vol. 4, adva



Qubit Quantity and Quality Matter (+ others)



Summary and Outlook

Powerful: Complex quantum computers work as expected

Next, useful: Improving hardware and inventing algorithms

The Team



Google Al Quantum