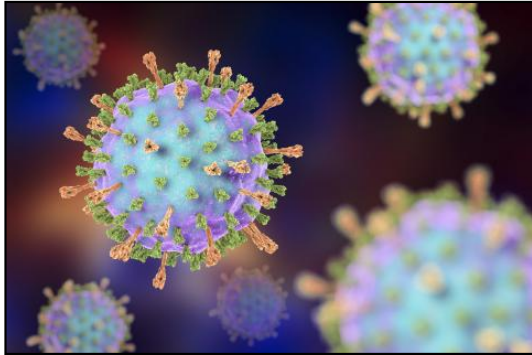


Inferring the ecological and evolutionary determinants of pathogen re-emergence

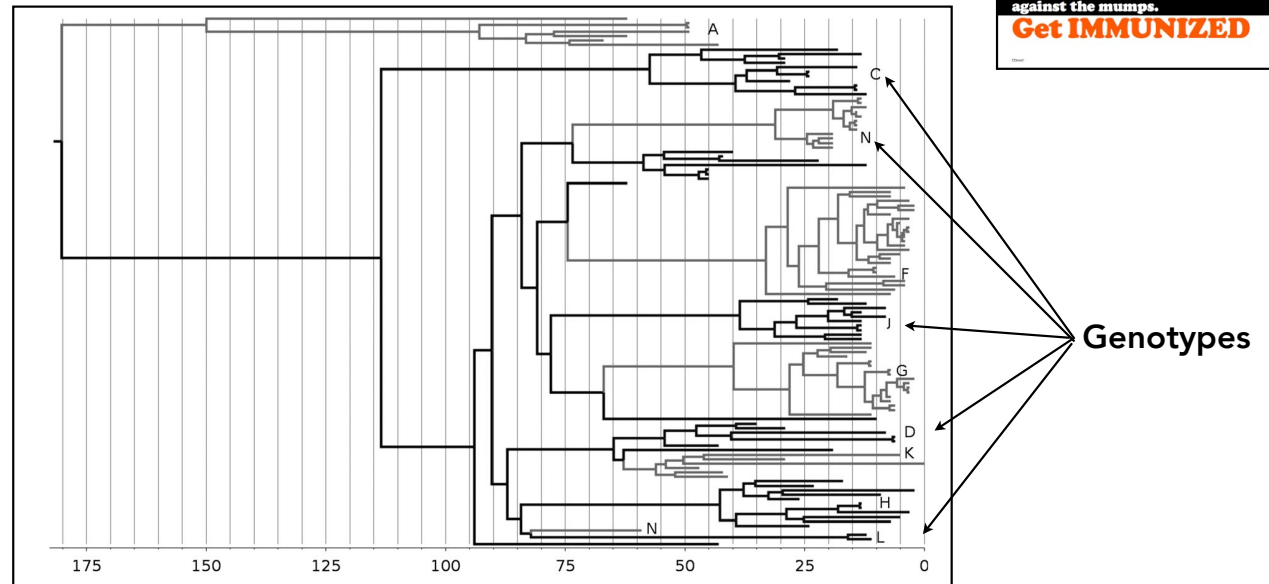
Pejman Rohani



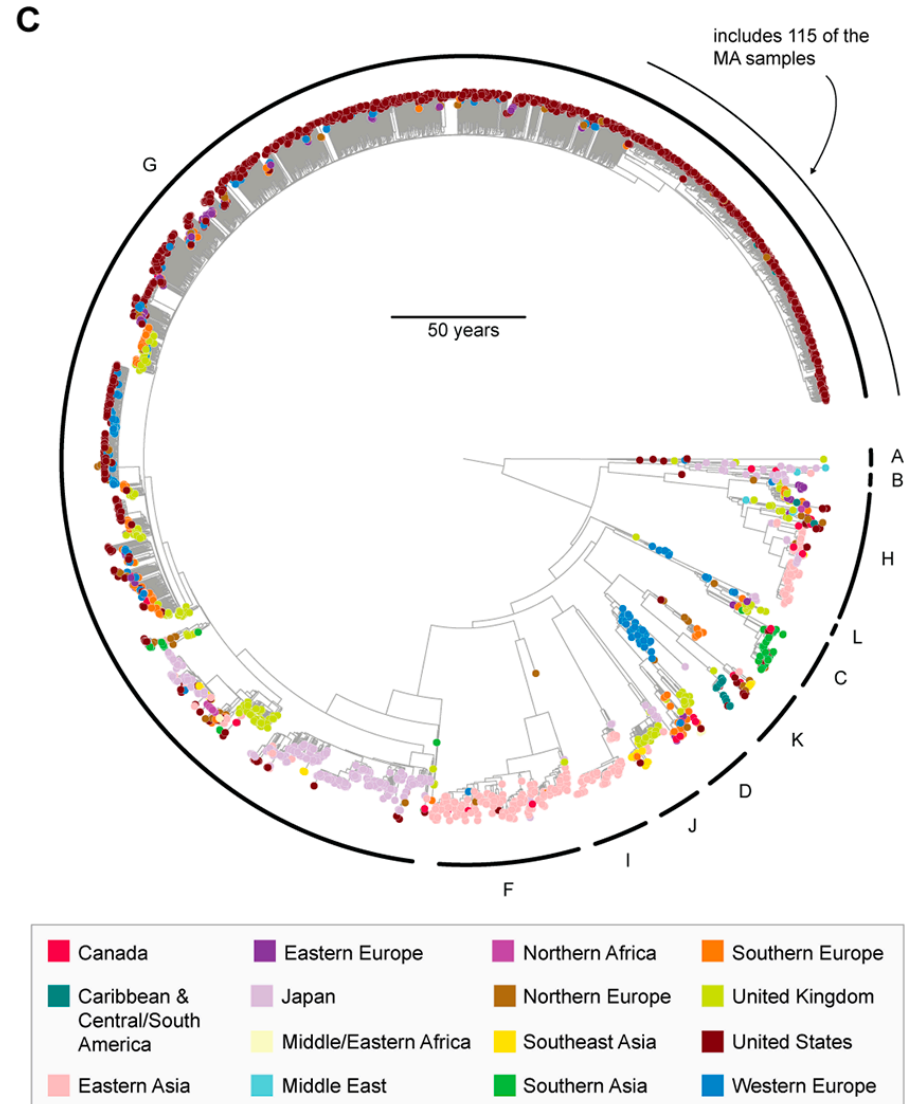
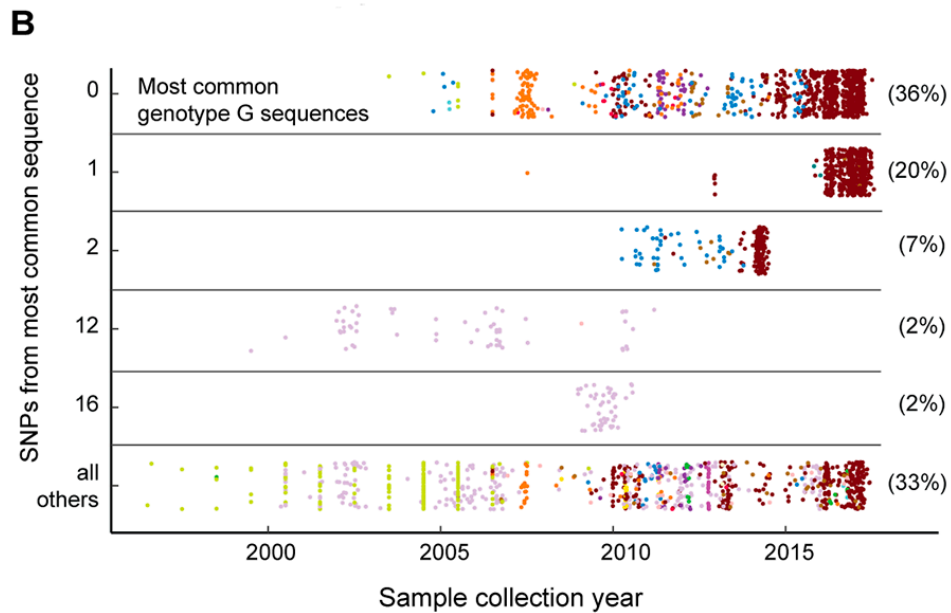
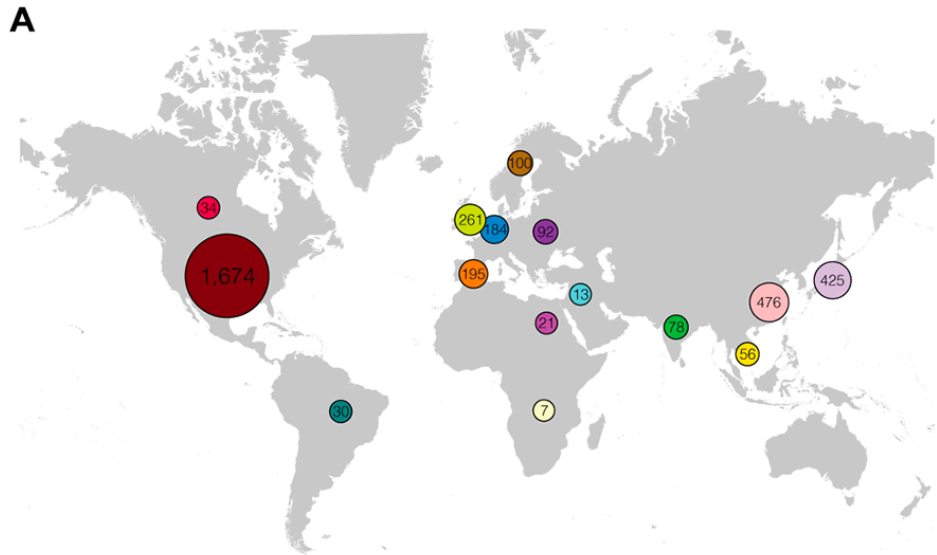
Mumps

RNA virus — *Paramyxoviridae*

150,000 cases annually

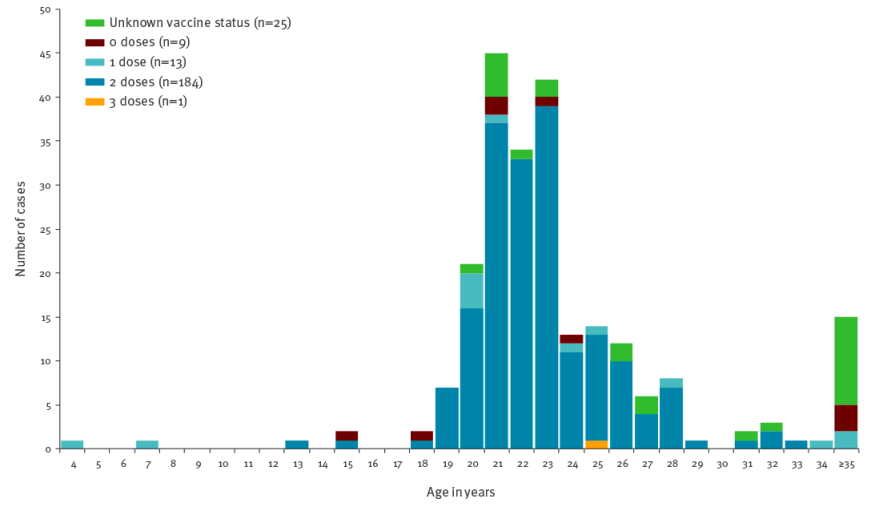


Jin et al., Reviews Medical Virology 2015

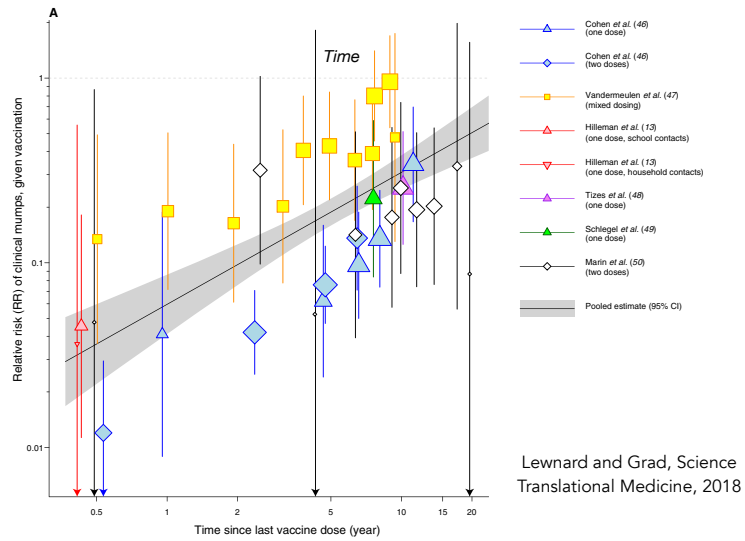


Competing explanations for mumps re-emergence

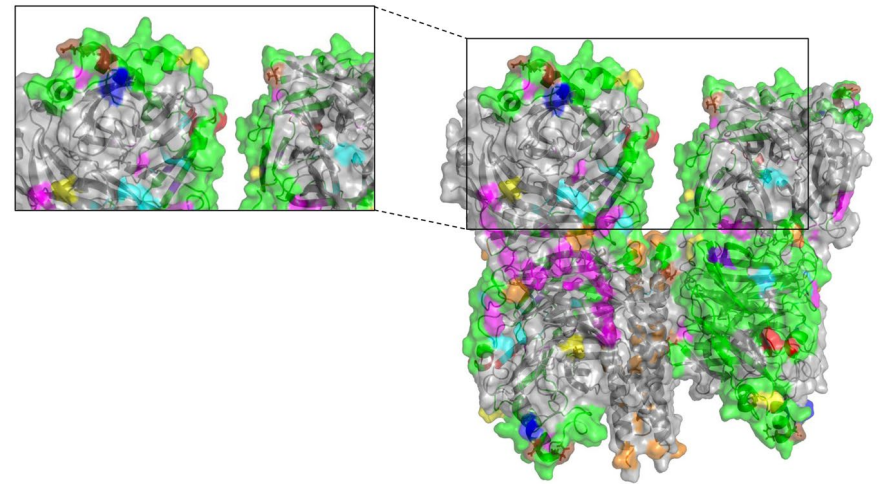
Veneti et al., Eurosurveillance, 2018



Waning



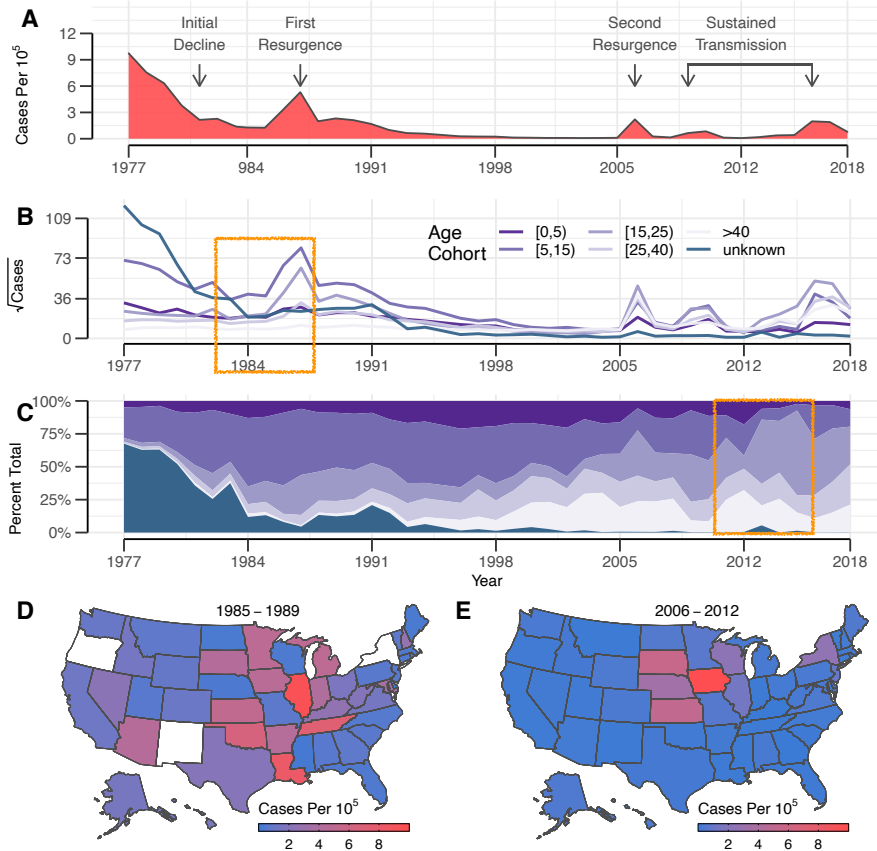
Evolution/strain mismatch



Gouma et al., Scientific Reports, 2018

Vaccine licensure and roll out in 1968

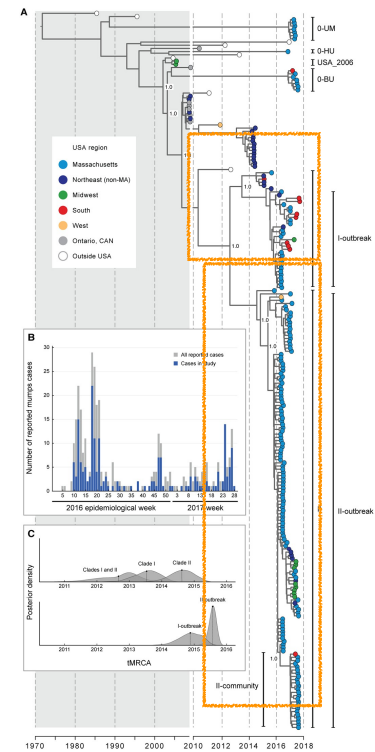
Booster introduced 1989



99% incidence reduction

Dynamical shifts in age-distribution

Spatial aggregation of cases in mid-western US

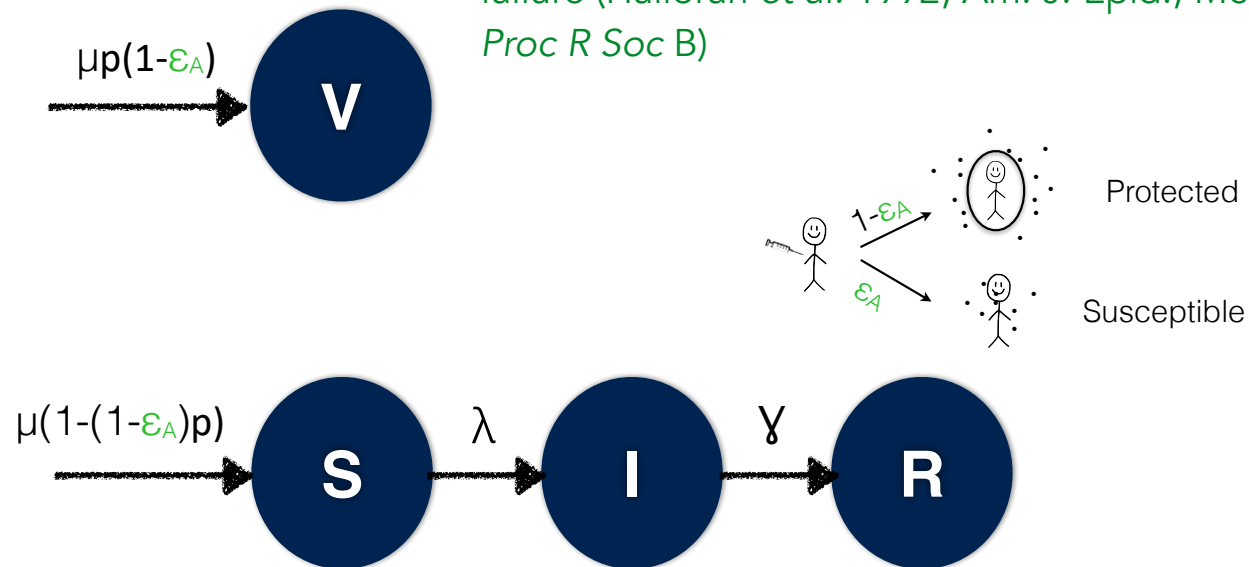


Wohl et al., PLOS Biology 2020

Phylogenetic turnover of the dominant genotype in circulation

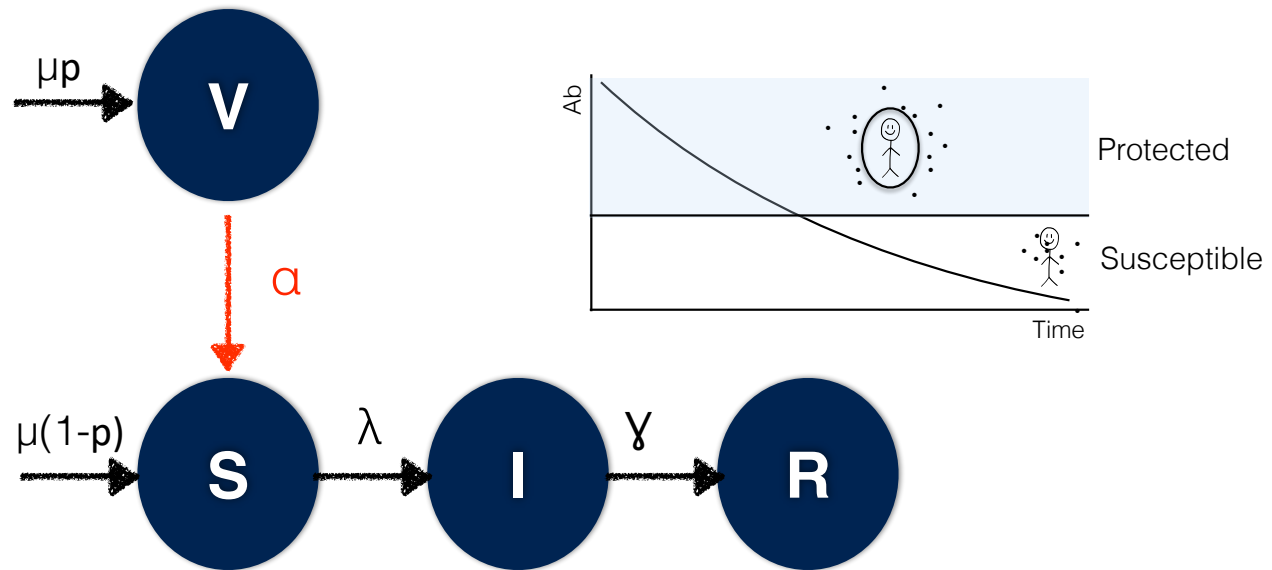
Modes of vaccine failure

“Primary” failure: each dose associated with probability ε_A of failure (Halloran et al. 1992; Am. J. Epid.; McLean & Blower 1993; Proc R Soc B)



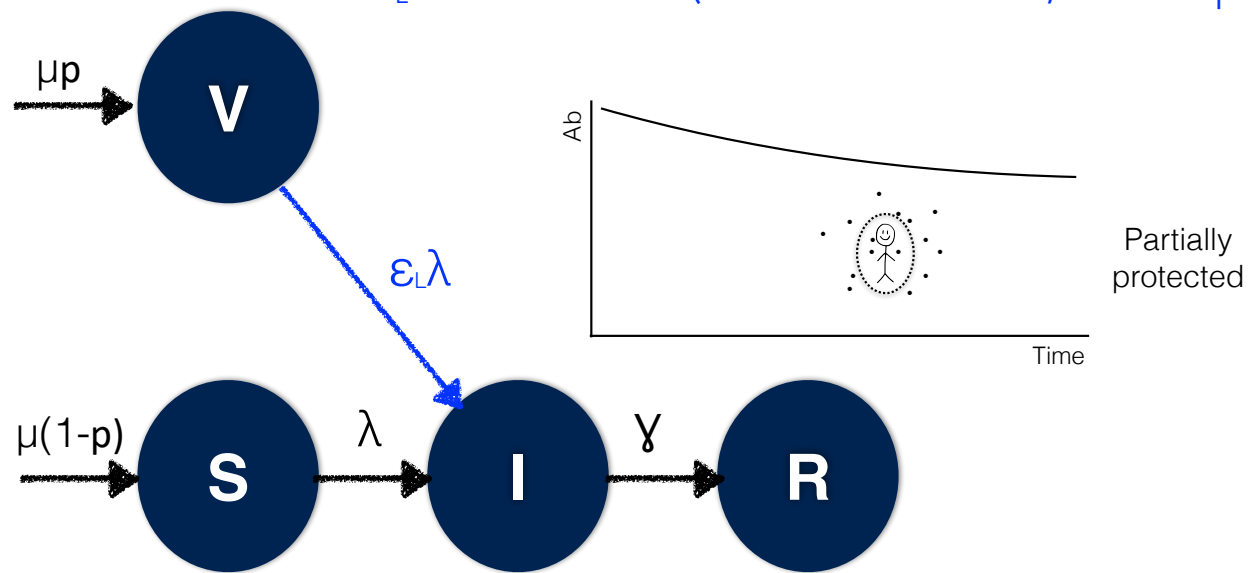
Modes of vaccine failure

"Waning" vaccine: perfect but transient protection

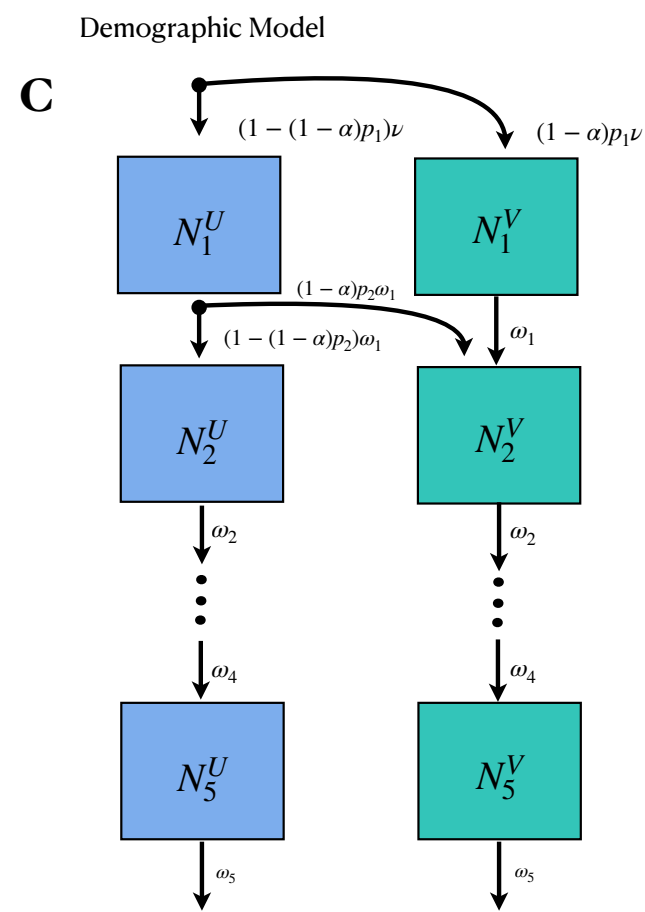
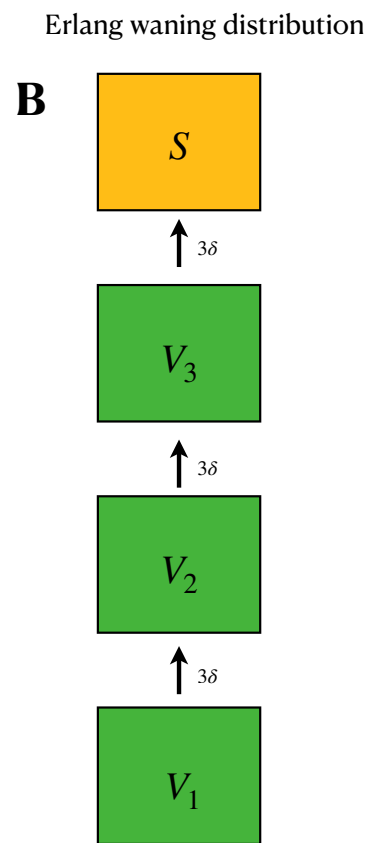
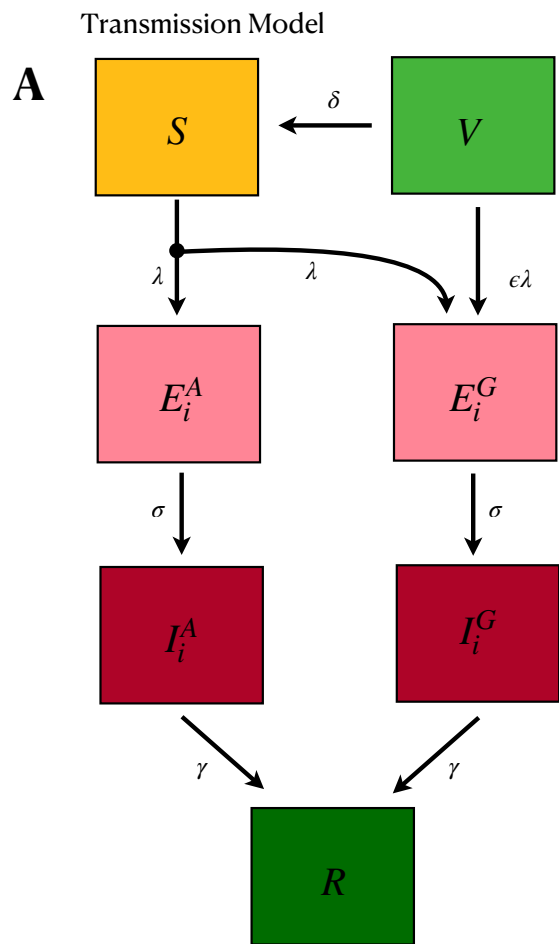


Modes of vaccine failure

"Leaky" vaccine: each exposure associated with probability ϵ_L of transmission (Halloran *et al.* 1992; *Am. J. Epid.*)

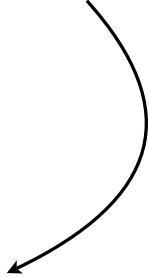
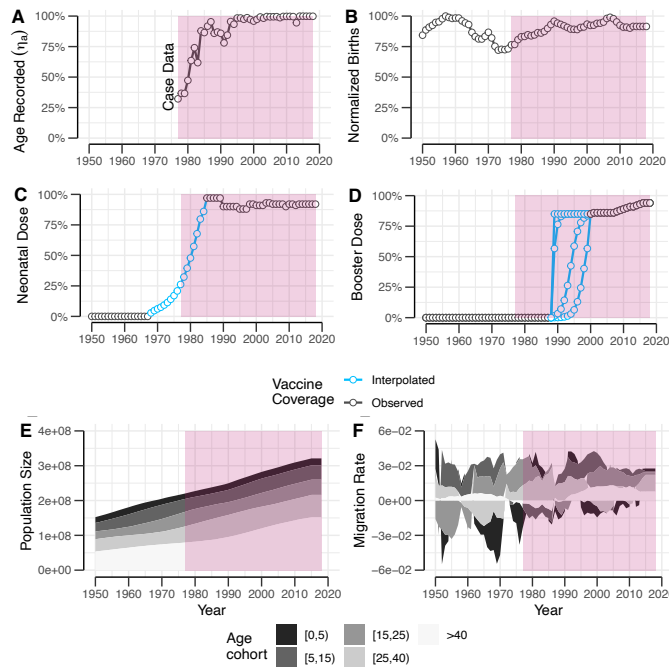


**Developing latent-state models and testing
hypotheses of vaccine failure**

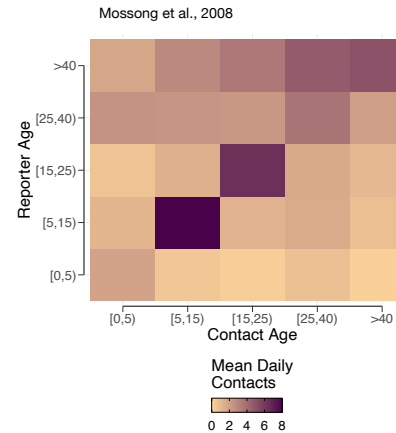


Model Co-variates

Booster shapes
sub-hypotheses



Calibrated to
US population



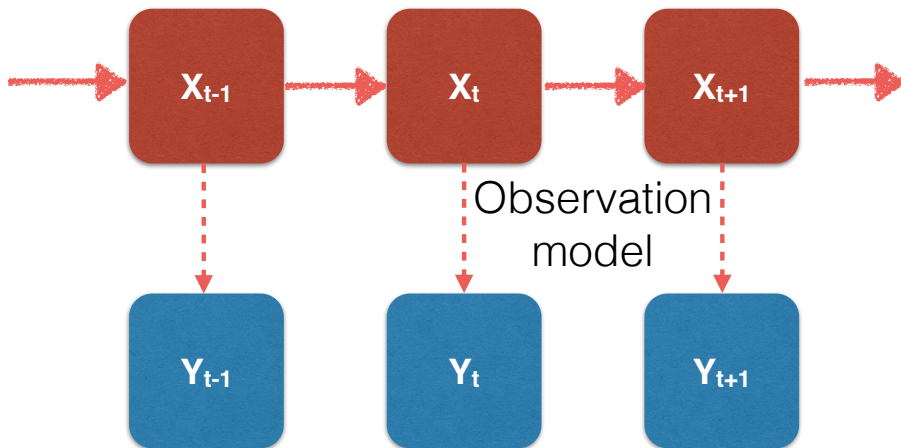
Inferred migration rates



POMP

- Partially Observed Markov Process

Process model



We know $\mathbb{P}(X_t | X_{t-1})$ and $\mathbb{P}(Y_t | X_t)$

Was the age of the case documented?

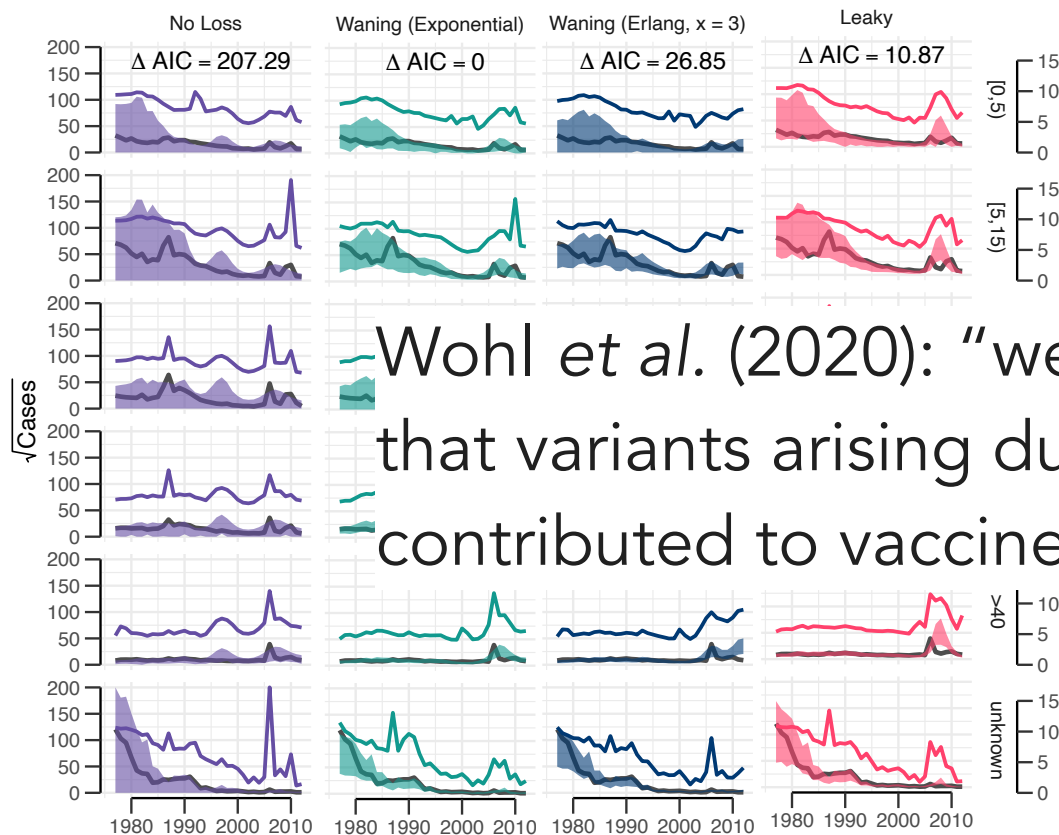
Was the case reported?

Observation Process

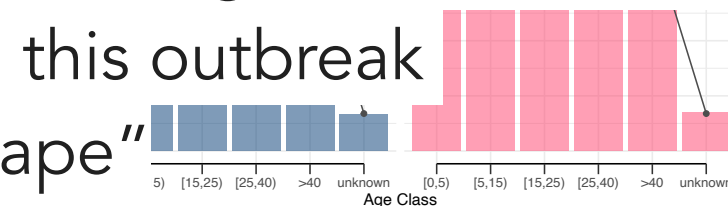
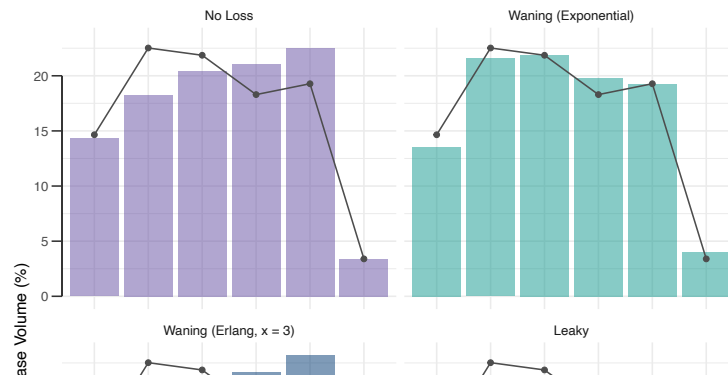
$$\mathcal{L}(\theta) = \prod_{i=1}^5 \left(\prod_t P(D_i(t) | \rho_i^s \eta_a C_i(t; \theta)) \right) \times \left(\prod_t P(D^u(t) | \rho_u (1 - \eta_a) \sum_{i=1}^5 C_i(t; \theta)) \right)$$

$$P\left(\cdot | \rho_i^s C_i, \sqrt{\rho_i^s C_i (1 - \rho_i^s + \psi_i^2 C_i)} \right)$$

How do the models perform?



Wohl *et al.* (2020): "we found no genetic evidence that variants arising during this outbreak contributed to vaccine escape"



Hypothesis: No Loss (purple), Waning (Exponential) (teal), Waning (Erlang, x=3) (blue), Leaky (pink), Data (black line with markers)

Case Trajectory/
Log Density

- Observed Cases (black line)
- No Loss (purple shaded area)
- Waning (Exponential) (teal shaded area)

Prediction Intervals

- Waning (Erlang, x=3) (blue shaded area)
- Leaky (pink shaded area)
- Waning (Erlang, x=3) (dark blue shaded area)

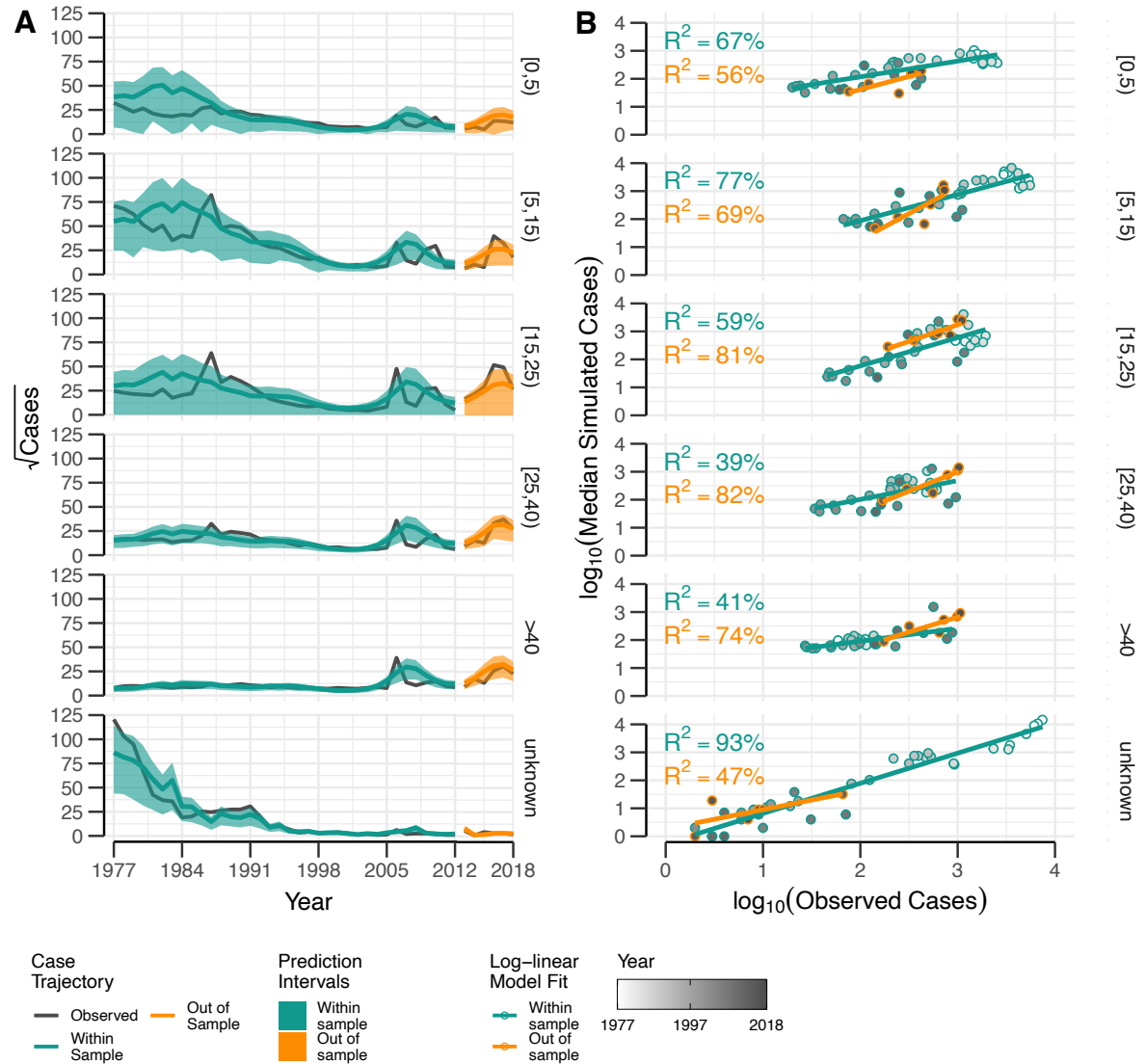
Parameter/Quantity	Model			
	No Loss	Waning (Exponential)	Waning (Erlang, N = 3)	Leaky
ΔAIC	207.288	0	26.853	10.87
R_0	42.414	13.992	31.371	22.199
R_p	2.29	6.45	20.211	1.789
ζ	0.946	0.539	0.356	0.919
β_1	0.185	0.036	0.341	0.735
σ^{-1} (Days)	12.022	24.998	16.894	24.999
δ^{-1} (Years)	-	111.456	56.457	-
ϵ	-	-	-	0.028
p_{intro} (Age cohort)	-	-	-	[15, 25)
t_{intro}	-	-	-	2000
Booster shape	Constant	Sigmoid	Sigmoid	Constant

How do we validate the fitted model?

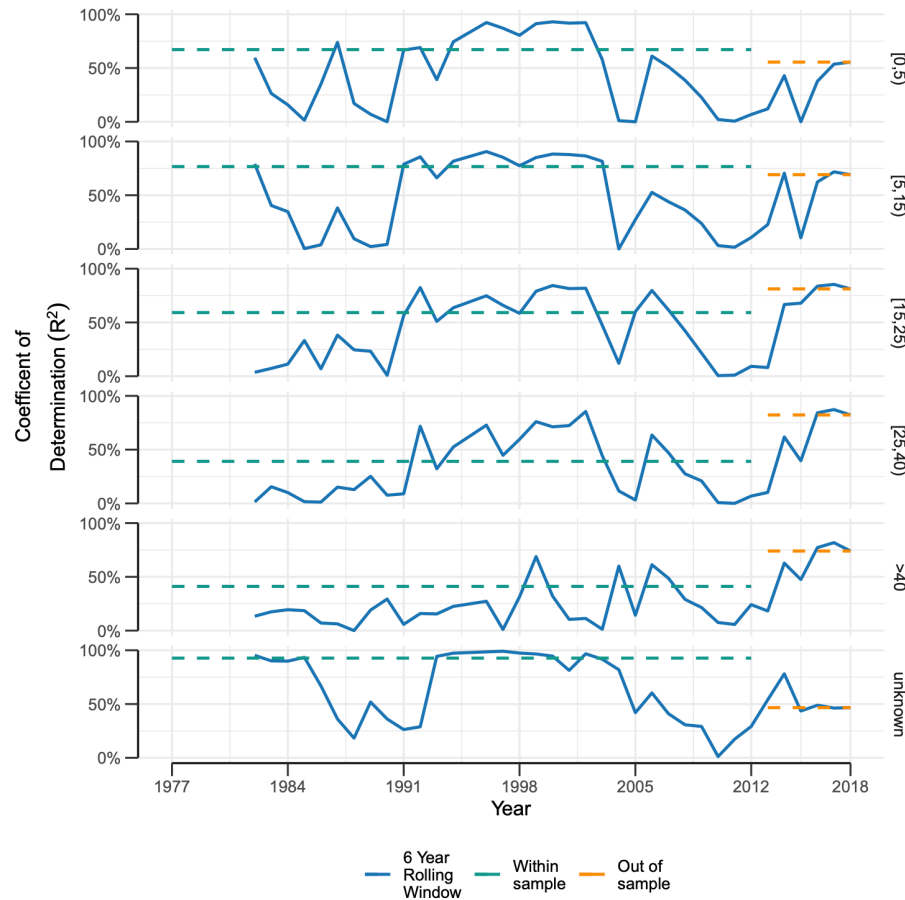
Waning model reasonably recapitulates observed dynamics

Fits for younger age-cohorts better, relative to older population

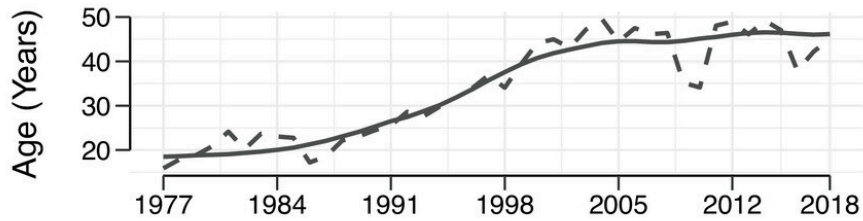
On an average, simpler dynamics in test epochs result in better fits than training epoch



Why is the out of fit R^2 better?

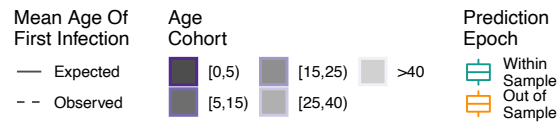
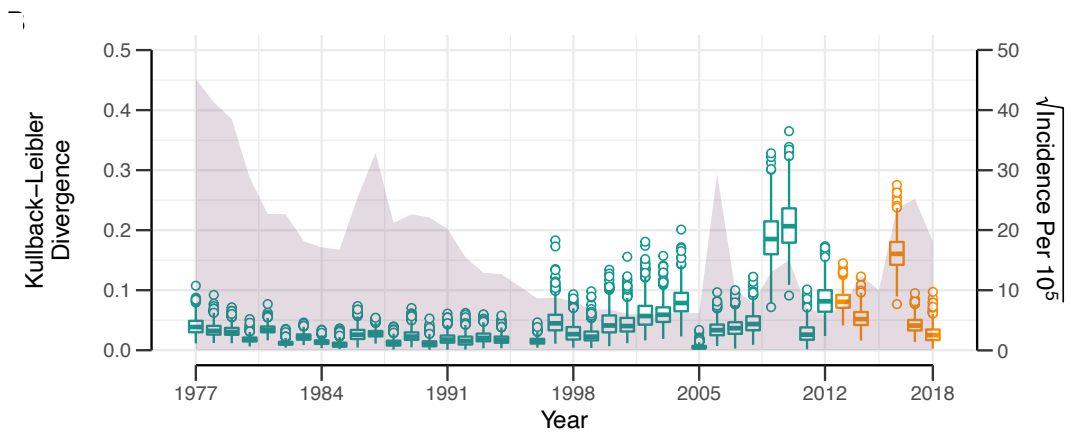
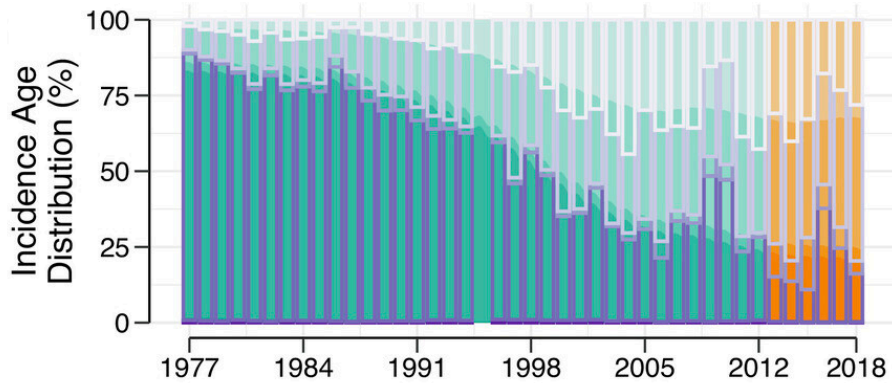


Straightforward to observe similarly good R^2 values for other 6-year segments of in-sample fit



Model captures upward trend in mean age of first infection

Highest discrepancies in relative age-distributions lie in regions of low incidence, but they are also highly variable

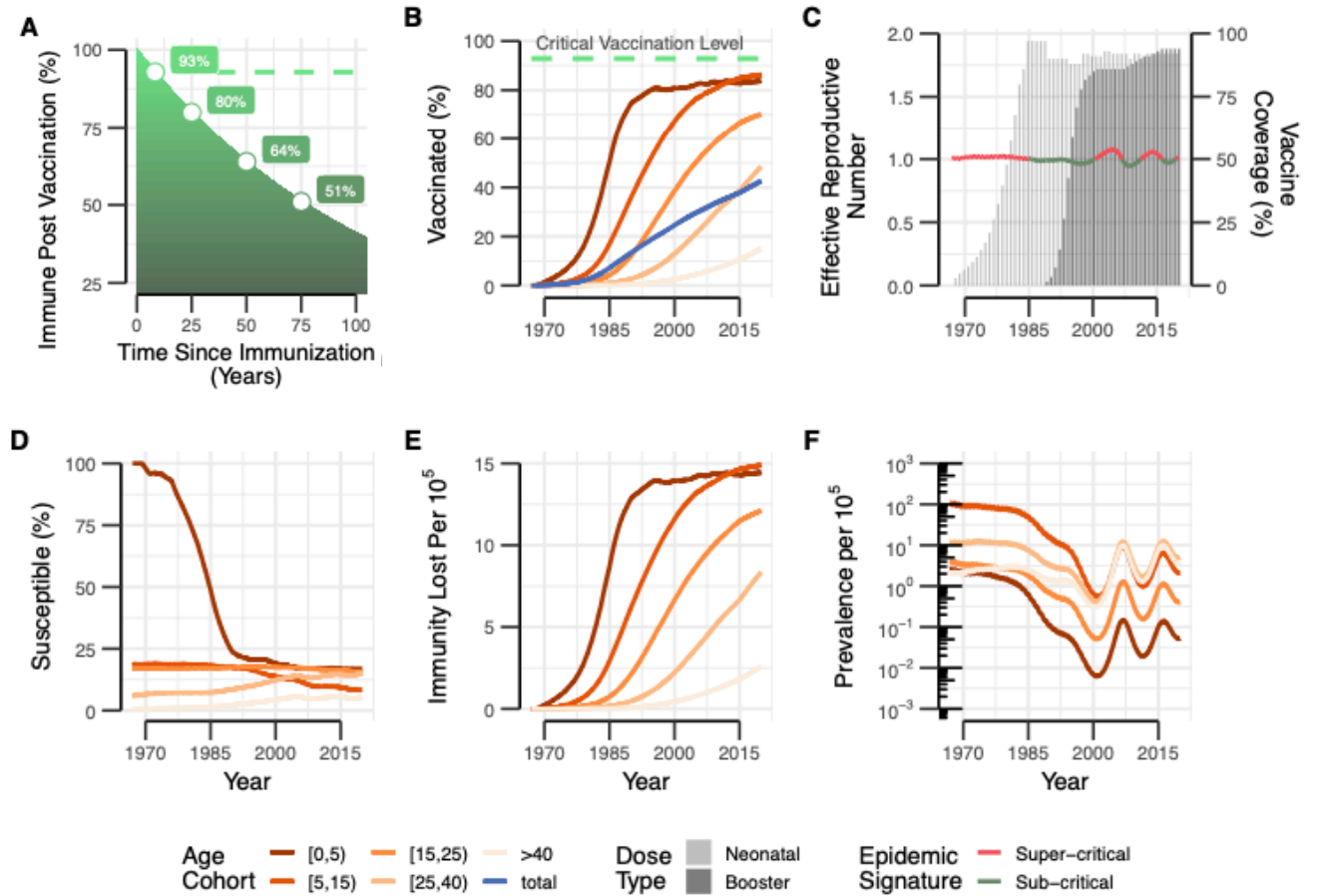


How does fitted model explain mumps resurgence?

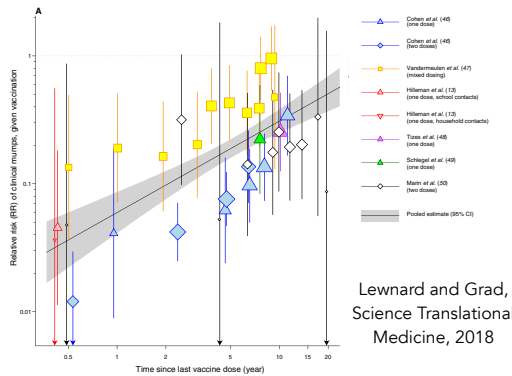
$$P(\text{Immune Loss}) = e^{-\delta t}$$

Immune loss is proportional to vaccination intensity

Age-shift in susceptibility profile causes shift in incidence age-distribution



Two important points



Leonard & Grad estimated mean duration of immunity of 27.4 y (95% CI, 16.7 to 51.1 y)

For direct comparison with model estimate, need to calculate expected time to loss of immunity (T_L) conditioned on survival of an individual (i.e., $T_L < T_D$, where T_D is time to death)

$$\mathbb{E}[T_L | T_L < T_D] = \frac{1}{\delta} - \frac{\tau e^{-\tau\delta}}{1 - e^{-\tau\delta}} = 35.3 \text{ y}$$

Vaccine impact:

$$\phi = (1 - \epsilon_A)(1 - \epsilon_W)(1 - \epsilon_L)$$

where $\epsilon_W = \alpha / (\alpha + \mu)$

⇒ Eradication threshold:

$$p_c = (1 - 1/R_0) \times 1/\phi$$

- Individual vaccine impact estimate ~59% (54%, 67%).
- R_0 estimate ~14

⇒ routine immunization with current vaccines cannot lead to eradication

Vaccine effectiveness and waning intensity

Media stories

SHARE LATEST

PUBLIC HEALTH | OPINION

A Mumps Outbreak among Fully Vaccinated People

This multistate problem carries implications for our responses to future epidemics

By Ekemini Hogan, Akpabio Akpabio, Utibe Effiong on June 24, 2020



READ THIS NEXT

PUBLIC HEALTH
How Fungal Meningitis Outbreaks Can Happen after Cosmetic Procedures and Other Surgeries

Lauren J. Young

CONSERVATION
Colombia's 'Cocaine Hippo' Population Is Even Bigger Than Scientists Thought

Luke Taylor and Nature magazine

CLIMATE CHANGE
Rich Nations Owe \$192 Trillion for

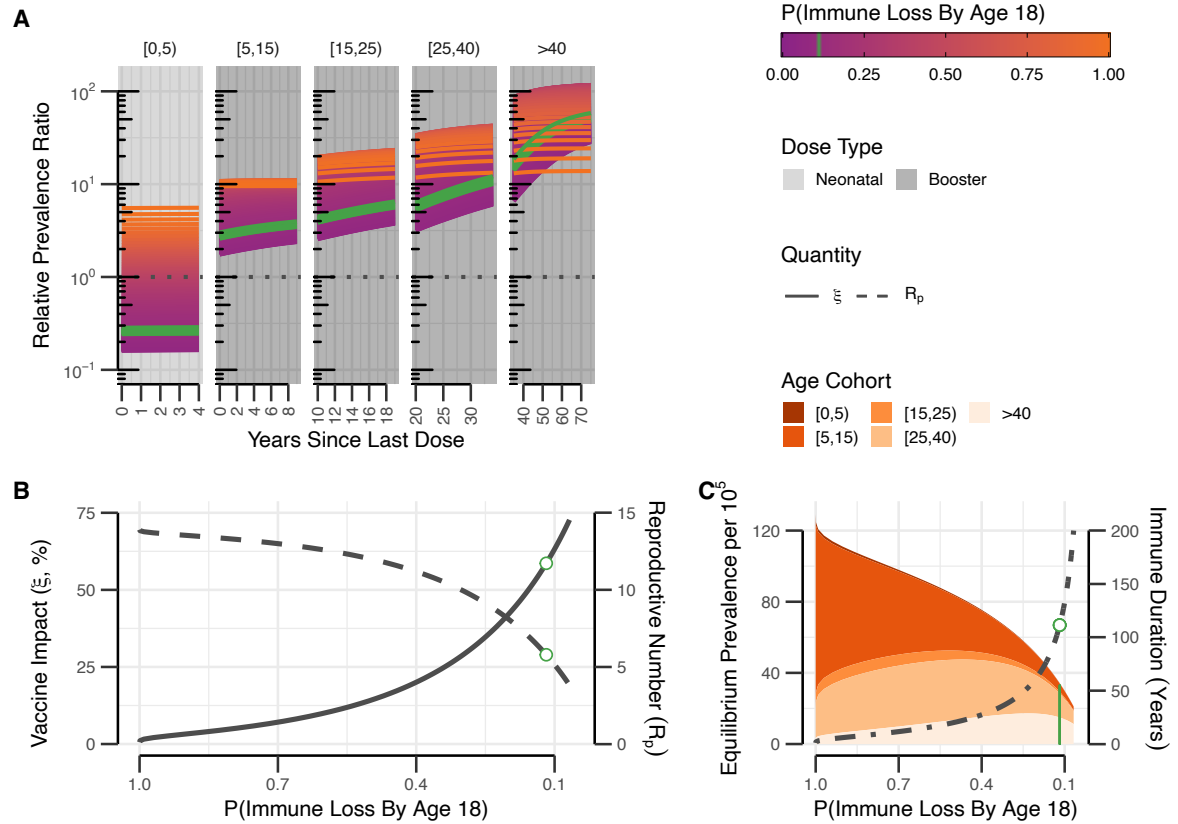
HEALTH NEWS

Majority of mumps cases are among the vaccinated, CDC finds

As many as 94 percent of children and adolescents who contracted the highly contagious virus had been vaccinated.



Relative prevalence increases monotonically with age



For older age-classes prevalence is maximized at an intermediate value of waning intensity

Vaccine effectiveness is function of duration of immunity

Summary

- Mumps re-emerged in US, despite high estimated vaccine coverage
- At population level, models indicate waning of vaccine-derived immunity drives recent epidemics
- Vaccines with long-lasting immunity can bring about substantial decrease in prevalence of mumps
 - But, in resurgence era, most cases among previously vaccinated
- Validated transmission models can inform age-stratified boosting schedule to maintain high levels of herd immunity

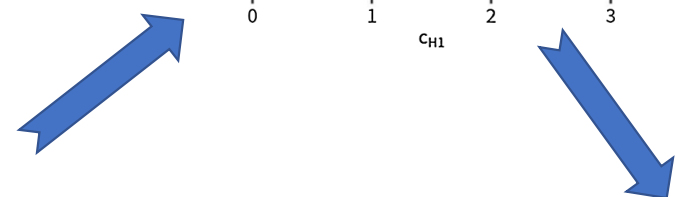
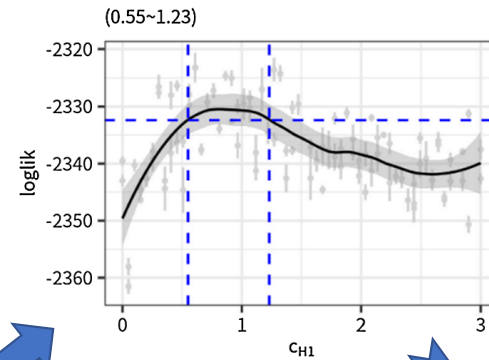
Influenza forecasting

Influenza forecasting

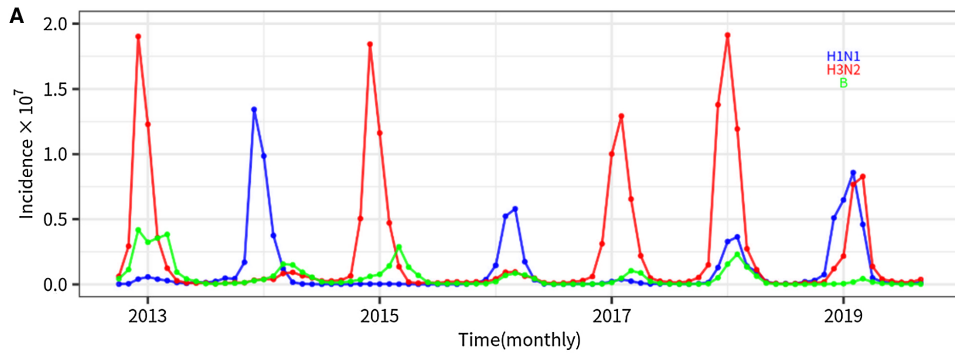


Omid Arhami

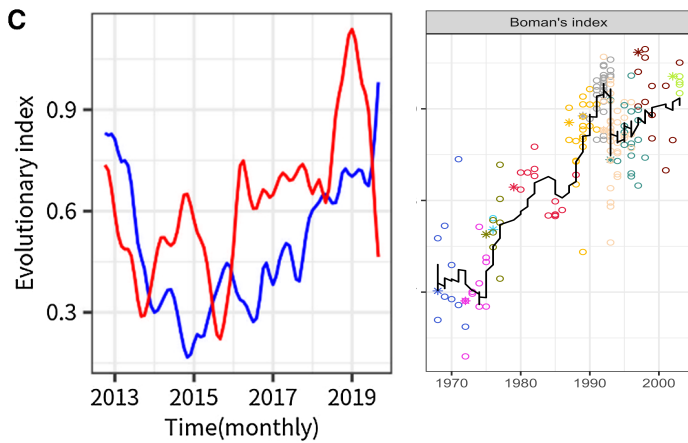
Statistical inference



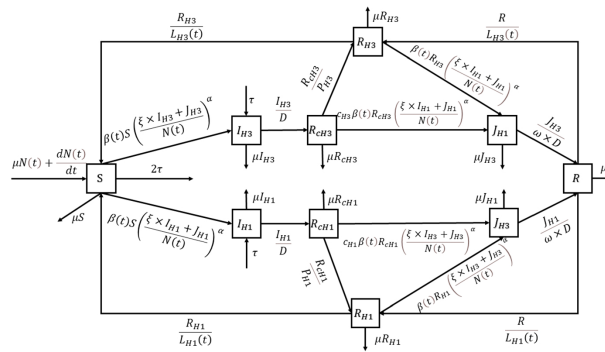
Incidence data



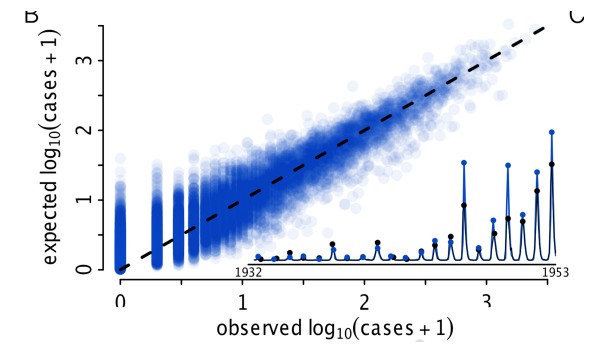
Evolutionary covariates



Transmission model



Probabilistic forecasts



Wang et al. (2022)

Forna et al. (ms in prep)

Acknowledgements



**Centers of Excellence for Influenza
Research and Response (CEIRR)**

A NIAID funded international research network created to study influenza and combat influenza outbreaks.



**UNIVERSITY OF
GEORGIA**