

Statistical genetics and direct coupling analysis

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Unifying the epidemiology and evolutionary dynamics of pathogens

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Outline

What is direct coupling analysis (DCA)?
Physicists' jargon for what in statistics would be called inference in exponential families.
What do I mean by statistical genetics (in this talk)?
Mainly the phase of quasi-linkage equilibrium (QLE), at high rate of recombination.
What is the connection?

You will see.

References?

Dichio, Zeng, Aurell, *Rep. Prog. Phys.* **86** 052601 (2023) [and the original literature]



DCA – flagship appl.

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Andrew W. Senior et al Nature 577:706-710 (2020) [abstract]

LLLDCSSSLPESYFDMMKSFAKAFISKANIGPHLTOVSVLOYGSINTID LLLDCSSSLPASYFEEMKSFAKAFISKANIGPHHTOVSVLQYGSITTID LLLDCSSGFPASEFDEMKSFAKAFISKANIGPOLTOVSVLQYGSITTID FVLDCSSSVRASOFEEMKTFVKAFIKKVNIGVGATOVSVLQYGWRNILE VLLD**G**STNIMEPOFEEMKTFVKELIKKVDIGNNGTOISVV**Q**YGKTNTLE FILD**T**SSSVGKDNFEKIRKWVADLVDSFDVSPDKTRVAVV**L**YSDRPTIE LAVD**T**SOSMEIODLTVIKSVVDDFISHRK-N---DRIGLI**L**FGTOAYLO FLVD TSGSLOKNGFDDEKVFVNSLLSHIRVSYKSTYVSVVLFGTSATID LALD**T**SATTGETILDHITRGAOIGLAALS---DRSKVGVWLYGEDHRVV YVID**T**SGSMHGAKIEOTRESMVAILODLH---EEDHFGIL**L**FERKISYW FLID**T**SRSLGLRAYOKELOFVERVLEGYEIGTNRTKVAVI**T**FSAGSRLE ILLDTSSSIKINNFDLIRKFVANIINOFEVGRNGLMVGMATYS--RSVO FILD**T**SGSVGSYNFEKMKTFVKNVVDFFNIGPKGTHVAVI**T**YSTWA--O FALDTSIGSONFEREKOFVLAFVTDMDIGRSDVOVSVGTFSDNARRY LLLD**T**SGSMOGAAIEALLSLKDEL-VKNSIAARRVEIAIV**T**FDSHINVV LLLDTSGSMKGEPLDALRTFOOEL-DRDSLAKKRVEVAIVTFNSDVEIV LSVD VSLSMLARRLSALRD IA IRFVOKRK----NDRVGLVTYSGEALAR LAMD VSGSMOANRLEAAKDVA ISFINNRNIG-----MVTFAGESFTO MSVDVSLSMLARRLTALKNIAKKFVDKRP---GDRIGLVTYSGEAFTK VLADVSGSMOGEPIAA-AAFTRYL-ONEV-ASKRVEVAVVTFGTVATVL



DCA = model learning and parameter inference in biophysical applications

 $P(\mathbf{x}) = \frac{1}{Z(h,J)} \exp\left(\sum_{i} h_i(x_i) + \sum_{ij} J_{ij}(x_i,x_j)\right)$

Why not *correlation analysis* (which is a lot simpler)? Because DCA methods have empirically worked better, in particular for the flagship application of residue-residue contact prediction from tables of homologous protein sequences.

Why not *maximum likelihood* (or *Bayesian estimates*)? Because a protein has maybe hundreds of amino acids. Inferring all these parameters from data using ML is slow.

Why not just only use *deep learning*? We'll get to that.



1st main method: elements of *inverse* correlation matrix

mean-field DCA: Morcos et al *PNAS* (2011) [M Weigt] + many later contributions theory in Kappen & Spanjers *Phys. Rev. E* (2001) and in Nguyen, Berg & Zecchina (2017) June 14, 2023 Nordita 6



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2nd main method: pseudolikelihood maximization

Maximum likelihood
$$P(\mathbf{S}) = \frac{1}{Z(\mathbf{h}, \mathbf{J})} \exp\left(\sum_{i} h_{i} S_{i} + \sum_{ij} J_{ij} S_{i} S_{j}\right)$$

 $\Pr(\mathbf{S}^{(1)}, \dots, \mathbf{S}^{(n)}; \mathbf{h}, \mathbf{J}) = P(\mathbf{S}^{(1)}; \mathbf{h}, \mathbf{J}) \cdots P(\mathbf{S}^{(n)}; \mathbf{h}, \mathbf{J})$
 $\mathbf{h}^{*}, \mathbf{J}^{*} \in \arg \max\left[\sum_{ij} h_{i} \frac{1}{n} \sum_{s=1}^{n} x_{i}^{(s)} + \sum_{ij} J_{ij} \frac{1}{n} \sum_{s=1}^{n} x_{i}^{(s)} x_{j}^{(s)} - \log Z(\mathbf{h}, \mathbf{J})\right]$
Pseudo-maximum likelihood (avoids computing Z):
 $P(S_{r} | S_{\backslash r}) = \exp\left(h_{r} S_{r} + \sum_{l} J_{rl} S_{r} S_{l}\right) / \sum_{y} \exp\left(h_{r} y + \sum_{l} J_{rl} y S_{l}\right)$
 $p_{r}^{plm}, J_{rl}^{plm} \in \arg \max\left[\sum_{ij} h_{i} \frac{1}{n} \sum_{s=1}^{n} x_{i}^{(s)} + \sum_{ij} J_{ij} \frac{1}{n} \sum_{s=1}^{n} x_{i}^{(s)} x_{j}^{(s)} - f(h_{r}, J_{rl}, S_{\backslash r})\right]$

Julian Besag, *The Statistician* (1975); *plmDCA*, Ekeberg et al *Phys. Rev. E* (2013); *GREMLIN*, Kamisetty et al *PNAS* (2014); *CCMpred*, Seemayer et al *Bioinformatics* (2014) June 14, 2023 Nordita 7



Flagship is now history

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Google / DeepMind / AlphaFold Andrew W. Senior *et al* "Improved protein structure prediction using potentials from deep learning", *Nature* **577**:706-710 (2020)

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Why DCA today?

You may not (yet) have a large number of labelled examples on which to train a more complex AI method. **Examples:** RNA, protein-protein interactions, fitness landscapes....

Your model might be too big for deep learning. **Example:** genome scale models.

You are actually using DCA as a family of inference methods to test something else. **This is the case today**.

But before I'll go there I'll give another motivational example.



Epistasis inference

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The "Maela" data set: ~3,000 genomes of *Streptococcus pneumoniae*, retrieved from samples in the Maela refugee camp (Thailand / Myanmar).

The data had about 100,000 loci of variability, out of a genome 2.1Mbp (w/ some threshold).

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Skwark *et al PLoS Genetics* (2017)



[purple] β -lactam; [cyan] active site; [green and yellow] groups of predictions



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Some DCA on genome scale in bacteria and viruses

M. Skwark *et al*, "Interacting networks of resistance, virulence and core machinery genes identified by genome-wide epistasis analysis" *PLoS Genetics* 2017 (*Streptococcus pneumoniae*, "Maela" data set) (*Streptococcus pyogenes M1*)

B. Schubert, R. Maddamsetti, J. Nyman, M. R. Farhat & D. S. Marks, *Nature Microbiology* 2019 (*Neisseria gonorrhoeae*)

Cui et al. [Daniel Falush] eLife 2020 (Vibrio parahaemolyticus)

C. Chewapreecha et al [Jukka Corander], *Molecular Biology and Evolution* 2022 (*Burkholderia pseudomallei*, not quite DCA but by a similar method)

L Boeck et al [Julian Parkhill & R. Andres Floto], *Nature Microbiology* (2022) (*Mycobacterium abscessus*)

H-L Zeng et al [EA] PNAS 2020 (SARS-CoV-2)

E Cresswell-Clay & V Periwal, *Mathematical biosciences* 2021 (*SARS-CoV-2*) J Rodriguez-Rivas et al [Martin Weigt] *PNAS* 2022 (*SARS-CoV-2*)



Statistical genetics

A general understanding of population genetics in analogy with statistical physics. This has a long history starting with Hardy and Weinberg (1908), and Fisher and Wright in the 1920ies and 1930ies.

The objective today is the phase of *quasi-linkage equilibrium* first found by Kimura (1965), and how to use DCA to check it.

The *forces of evolution* taken into account in the analysis are *selection, mutations, genetic drift* and *recombination* (sex).

Obviously there are other forces of evolution (migration, etc.). But one must simplify somehow. It is complicated enough as is.



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Definitions

Linkage equilibrium: the distributions of alleles over loci are independent. Happens when recombination mix up genomes.

Linkage disequilibrium (LD): distributions at alleles are not independent. Can be due to fitness or inheritance (or both).

Formal: A population is said to be in a *quasi-linkage equilibrium* (QLE) phase if (1) multi-genome distributions factorize and (2) single-genome distributions lie in an exponential family with no higher terms than in the fitness function. Which for quadratic fitness means

$$P(x) = \frac{1}{Z(h,J)} \exp\left(\sum_{i} h_i(x_i) + \sum_{ij} J_{ij}(x_i, x_j)\right)$$
 Kimura Genetics **52**:875–890 (1965)

Neher & Shraiman *PNAS* **106**:6866 (2009); *Rev Mod Phys* **83**:1283 (2011) formal definition in Dichio, Zeng, EA (2023)



The Kimura-Neher-Shraiman theory (Neher-Shraiman version)

The distribution of genotypes in a population changes according to **selection**, **mutation**, **genetic drif**t (finite-*N*) and **recombination**.

$$g = (s_1, s_1, \dots, s_L) \quad s_r = \pm 1$$
 "Ising genome"

$$P(g, t + \Delta t) = \frac{e^{\Delta t F(g)}}{\langle e^{\Delta t F(g)} \rangle} P(g, t) \quad F(g) = \sum f_i s_i + \sum f_{ij} s_i s_j$$
 Fitness

$$P(g, t + \Delta t) = P(g, t) + \Delta t \mu \sum_i [P(M_i g, t) - P(g, t)]$$
 Mutations

$$P(g, t + \Delta t) = (1 - r\Delta t) P(g, t) + \Delta t r \sum_{g_m, g_f} C(g, g_m, g_f) P(g_m, t) P(g_f, t)$$

Two haploid parents copy themselves, produce a child, and the rest of both genomes is discarded. Directly appropriate for some yeasts. One can modify the above to also cover bacterial recombination. June 14, 2023 Nordita 15



Neher-Shraiman theory of QLE

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Neher & Shraiman, *Rev Mod Phys* **83**:1283 (2011) [for Potts not Ising] Gao, Cecconi, Vulpiani, Zhou, EA, *Phys. Biol.* **16** 026002 (2019)

Recombination is parametrized by a cross-over indicator variable $\boldsymbol{\xi}$

$$g^{(i)} = \xi_i g_m^{(i)} + (1 - \xi_i) g_f^{(i)} \qquad C(g, g_m, g_f) = C(\xi)$$

Recombination acts on pairwise dependencies through

$$c_{ij} = \sum_{\xi} C(\xi) \left[\xi_i \left(1 - \xi_j \right) + \xi_j (1 - \xi_i) \right]$$

Assume that P(g) is initially close to a Gibbs distribution of an Ising energy function (h_i, J_{ij}) and recombination rate *r* is large:

$$\partial_t P(\boldsymbol{g},t) = \cdots \Rightarrow \dot{J}_{ij} = f_{ij} - rc_{ij}J_{ij} \Rightarrow J_{ij} = \frac{f_{ij}}{rc_{ij}}$$

In steady-state QLE the Ising parameters J_{ij} are proportional to pairwise fitness parameters f_{ij} , the proportionality being $(rc_{ij})^{-1}$.



Kimura-Neher-Shraiman eq. for the DCA terms in QLE

 $J_{ij} = \frac{F_{ij}}{r \cdot c_{ii}}$

r is an overall rate of recombination

 F_{ij} are the pairwise epistatic contribution to fitness

 J_{ij} are the Potts model parameters

 c_{ij} is the probability that alleles at loci *i* and *j* are inherited from different parents

We can use DCA to test the above as a characteric of QLE.



	Value	Description
Ν	200	n. individuals
L	25	n. of loci
Т	2.5 x 10 ³	n. of generations
ω	0.5	crossover rate
r	[0.0:1. 0]	rate of recombination
μ	[0.005 :0.1]	rate of mutation
σ_{e}	[0.001 :0.02]	$f_{ij} \sim \mathcal{N}(0, \sigma_e)$

$$f_{ij}^* = r \cdot c_{ij} \cdot J_{ij}^* \quad c_{ij} \approx \frac{1}{2}$$



Example of a scatter plot for the reconstructed epistatic fitness components f_{ij}^{*} (y-axis) versus true underlying parameters f_{ij} (x-axis).

MF (mean-field) and PLM (pseudo-likelihood maximization) versions of DCA give similar reconstruction performance.



Mauri-Zeng-Dichio-Aurell-Cocco-Monasson revised theor(ies)

Derived by a Gaussian closure on moments, but can also be done similarly to the Neher-Shraiman analysis. Several levels of inference formulae were found, out of which I will here only use the simplest (which NB bi-passes the need for DCA)

$$f_{ij}^* = \chi_{ij} \cdot \frac{4\mu + rc_{ij}}{(1 - \chi_i^2)(1 - \chi_j^2)} \quad \chi_i = \langle s_i \rangle \quad \chi_{ij} = \langle s_i s_j \rangle - \chi_i \chi_j$$

Note the presence of mutation rate μ . The formula reduces to Kimura-Neher-Shraiman in the small-coupling regime and in the limit when μ tends to zero.

Mauri, Cocco, Monasson, *Europhys Lett* **132** 56001 (2021) Zeng, Mauri, Dichio, Cocco, Monasson, EA JSTAT 2021 083501 (2021)



KNS vs MZDACM

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Regression of inferred epistasis (f_{ij}^*) on underlying "true" epistasis (f_{ij}) .

Comparison of the **KNS** formula: $f_{ij}^* = r \cdot c_{ij} \cdot J_{ij}^*$, and the **MZDACM** formula;

$$f_{ij}^* = \frac{\chi_{ij} \cdot (4\mu + rc_{ij})}{(1 - \chi_i^2)(1 - \chi_j^2)}.$$

Zeng *et al JSTAT* 083501 (2021)





Performance phase diagrams



 μ vs *r* at random additive fitness $\sigma_a = 0.05$ and random epistatic fitness $\sigma_e = 0.004$. One realization for each parameter.



For other parameters, see paper.

Zeng et al JSTAT 083501 (2021)



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Loss of QLE

Rep. Prog. Phys. 86 052601 (2023) [arXiv:2105.01428]

and a brief review of earlier work



QLE vs clonal competition

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Neher & Shraiman *PNAS* **106**:6866 (2009); *Rev Mod Phys* **83**:1283 (2011); Neher, Vucelja, Mézard, Shraiman *JSTAT* 01008 (2013)



At $N = \infty$ there is no QLE! However, $\sqrt{\log N_{avo}} \approx 7,4...$



Non-random coexistence



At finite mutation rate the loss of QLE manifests itself differently. For finite populations appears an intermittent regime fluctuating between QLE and Non-Random Coexistence (NRC).

Total mean fitness in the population fluctuates, and is higher in NRC.

Snapshot of the fitness distribution at t = 4000 in the above (NRC interval). Differently to QLE, the distribution is bimodal with a group of individuals at high fitness.

Similar to predictions in CC, though here no exact clones, due to mutations.

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Escape time distributions



Empirical distribution of escape times from respectively QLE and NRC. Simulations are run in a region of the parameter space (including *N*, here 575 and 675) where the systems dynamics visually jumps back and forth between QLE and NRC. Both distributions are well fitted as exponentials. The inverse rate is the mean escape time, in either direction. Other parameters: L = 25, $T = 1.5 \cdot 10^6$, $\mu = r = \omega = 0.5$, $\sigma_e = 0.029$.



Finite-N dependence

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> Estimated mean escape times from QLE and NRC. Inset: The dynamics undergoes multiple transitions QLE \leftrightarrow NRC $(T = 1.0 \cdot 10^4)$.



The QLE \rightarrow NRC transition happens when an individual in a finite population finds a high-fitness state. Analogous to the biophysical problem of transcription factors finding a binding site. Expected waiting time N^{-1} .

The NRC \rightarrow QLE transition happens when a group of high-fitness individuals is lost from the population. Analogous to Muller ratchet. Expected waiting time exponential in *N*.

"Phase diagram" in (N, σ_e)





A number of simulations are run for the same time $(2.0 \cdot 10^4)$. If the population remains in the QLE (NRC) the point is marked as **blue** (green). If at any point a transition QLE \leftrightarrow NRC is observed, the corresponding point is marked as **red**.

The previous heuristic theory predicts that for high N we the population should *always* be in NRC (same as in the Clonal Competition loss channel). This seems to be in agreement with the simulations (provided there is at least one transition).

Long-term evolution exps.



Allele frequency trajectories of all de novo mutations detected in 2 of the 12 LTEE populations, labelled respectively Ara-6 and Ara+2. Population Ara-6 (top row) shows quasi-stable coexistence of clades while Ara+2 (bottom row) shows mutations that fix rapidly. Quasi-stable coexistence was reported in 9 out of 12 LTEE populations [Good, McDonald, Barrick, Lenski, Desai 2017 *Nature* **551** 45–50 (2017)].

Figure previously unpublished, private communication from Profs B H Good and M M Desai, reproduced with permission.



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Outlook & loose ends

SARS-CoV-2

H-L Zeng et al [EA], *PNAS* 2020 & Phys Rev E 2022E Cresswell-Clay & V Periwal, *Mathematical biosciences* 2021J Rodriguez-Rivas et al [Martin Weigt] *PNAS* 2022

H-L Zeng & Y Liu (unpublished)



SARS-CoV-2 genome-scale DCA



2020-03 2020-05 2020-07 2020-09 2020-11 2021-01 2021-03 2021-05 2021-07 2021-09

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snapshots

Initially we found an interesting set of predictions of epsistic interactions which were stable in GISAID data until August 2020. Many of these predictions were also found by Cresswell-Clay & Periwal, using a larger data set up to October 2020.

Zeng et al PNAS 2020 (Fig 1)

Later we found that predictions disappear when variability at one or both loci in a pair goes down to zero. Predictions are only stable on the time scales of months.

Phys Rev E 2022, Fig 5 about 3,500,000 genomes



Spike-spike

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Zeng et al PRE 2022 Table I

	A	ugust	2021		September 2021						October 2021					
rank	locus 1	AA-m.	locus 2	AA-m.	rank	locus 1	AA-m.	locus 2	AA-m.	rank	locus 1	AA-m.	locus 2	AA-m.		
7	23284	D574D	25339	D1259D	7	23284	D574D	25339	D1259D	9	23284	D574D	25339	D1259D		
16	21987	G142D	24410	D950N	15	21987	G142D	24410	D950N	11	21995	T145H	22227	A222V		
67	22093	M177I	22104	G181V	45	21995	T145H	22227	A222V	15	21987	G142D	24410	D950N		
70	22917	R452L	22995	K478T						135	21846	T95I	24208	I882I		
71	22082	P174S	22093	M177I												
74	22081	Q173H	22093	M177I												
190	22082	P174S	22104	G181V												
195	22081	Q173H	22104	G181V												

TABLE I. Largest DCA terms with both terminals in Spike coding region, August-October 2021. Top-200 couplings computed as plmDCA scores are considered. For each of them in the three months displayed, there's the indication of the rank, the two loci involved and the corresponding amino acid (AA) mutations. Green color indicates that this mutation is found in delta variant. Red color indicates that this mutation is found in omicron variant. Couplings with one or both terminals colored green are attributed to a phylogenetic effect. The single pair with one terminal colored red is not attributed to a phylogenetic effect, the growth of omicron being later than October-2021.



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Spike-non-spike

Zeng et al PRE 2022 Table II

August 2021						September 2021						October 2021			
rank	k Partner		Spike r		rank		Partner	Spike		rank		Partner		Spike	
	locus	AA-m.	locus	AA-m.		locus	AA-m.	locus	AA-m.		locus	AA-m.	locus	AA-m.	
1	17236	nsp13:I334V	24208	I882I	1	17236	nsp13:I334V	24208	I882I	1	17236	nsp13:I334V	24208	I882I	
14	7851	nsp3:A1711V	21846	T95I	13	7851	nsp3:A1711V	21846	T95I	10	7851	nsp3:A1711V	21846	T95I	
20	28461	N:G63D	24410	D950N	16	28461	N: D63G	24410	D950N	17	28461	N:D63G	24410	D950N	
27	1048	nsp2:K81N	21846	T95I	36	1048	nsp2:K81N	21846	T95I	20	25614	ORF3a:S74S	21995	T145H	
52	26107	ORF3a:E239Q	21897	S112L	52	25614	ORF3a:S74S	21995	T145H	21	25614	ORF3a: S74S	22227	A222V	
57	27507	ORF7a:G38G	21897	S112L	57	26107	ORF3a:E239Q	21897	S112L	30	1048	nsp2:K81N	21846	T95I	
62	18086	nsp14:T16I	22792	I410I	58	25614	ORF3a:S74S	22227	A222V	51	10977	nsp6:A2V	21846	T95I	
76	27291	ORF6:D30D	24208	I882I	71	27507	ORF7a:G38G	21897	S112L	56	27291	ORF6:D30D	24208	I882I	
79	1729	nsp2:V308V	22792	I410I	82	27291	ORF6:G30G	24208	I882I	60	26107	ORF3a:E239Q	21897	S112L	
151	28007	ORF8:P38P	21846	T95I	83	11514	nsp6:T181I	22227	A222V	63	29253	N:S327L	21846	T95I	
168	27604	ORF7a:V71I	21846	T95I	128	17236	nsp13:I334V	21846	T95I	64	18744	nsp14:T235T	24130	N856N	
174	17236	nsp13:I334V	21846	T95I	151	18744	nsp14:T235T	24130	N856N	74	27507	ORF7a:G38G	21897	S112L	
197	11514	nsp6:T181I	22227	A222V	190	5584	nsp3:T955T	22227	A222V	80	17236	nsp13:I334V	21846	T95I	
					195	13019	nsp9:L112L	22227	A222V	124	15952	nsp12:S837S	21846	T95I	
										153	26107	ORF3a:E239	21846	T95I	
										163	28299	N:Q9L	21846	T95I	
										190	27507	ORF7a:G38G	21846	T95I	
										194	11562	nsp6:C197F	21897	S112L	
										197	11514	nsp6:T181I	22227	A222V	

TABLE II. Largest DCA terms with only one terminal in Spike coding region, August-October 2021. Top-200 couplings computed as plmDCA scores are considered. For each of them in the three months displayed, there's the indication of the rank, the locus in the Spike coding region and corresponding amino acid (AA) mutation, the locus in the partner coding region and corresponding amino acid (AA) mutation. Green color indicates that this mutation is found in delta variant. Red color indicates that this mutation is found in omicron variant. Pairs with one or both terminals colored green are attributed to a phylogenetic effect, while the several pairs with one terminal colored red are not, the growth of omicron being later than October-2021. Omicron mutations used here are taken from [67] on page 18, deletions not considered.



Rodriguez-Rivas went deeper...

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Rodriguez-Rivas et al PNAS 2022, Fig 1

$$\Delta E_{DCA}(i, b) = \log P_{DCA}(a_1, ..., a_i, ..., a_L) - \log P_{DCA}(a_1, ..., b, ..., a_L)$$

$$S_{IND/DCA}(i) = \frac{1}{q} \sum_{k=1}^{q} \Delta E_{IND/DCA}(i, b_k)$$

0.4

0.2

0.0

0.8

0.6

Specificity

1.0



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SARS-CoV-2 perhaps also NRC?

Coronaviruses recombine. This has been observed in SARS-CoV-2, *in vivo*. Plots of allele frequencies at *all* loci show the well-known VoCs Alpha, Beta, Delta, Omicron...but also a bit more.



frozen loci

Frequencies of all alleles on all positions per week from GISAID up to August 2022 [Zeng & Liu, unpublished] [see also arXiv:2109.02962]

> An NRC phase? Most of these intermittently fluctuating loci lie in the 5' or 3' end of the SARS-CoV-2 genome.

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Thanks

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