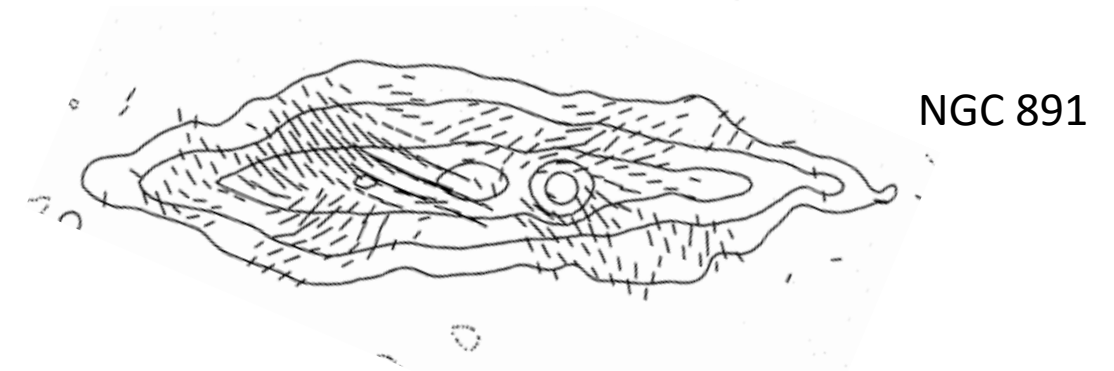
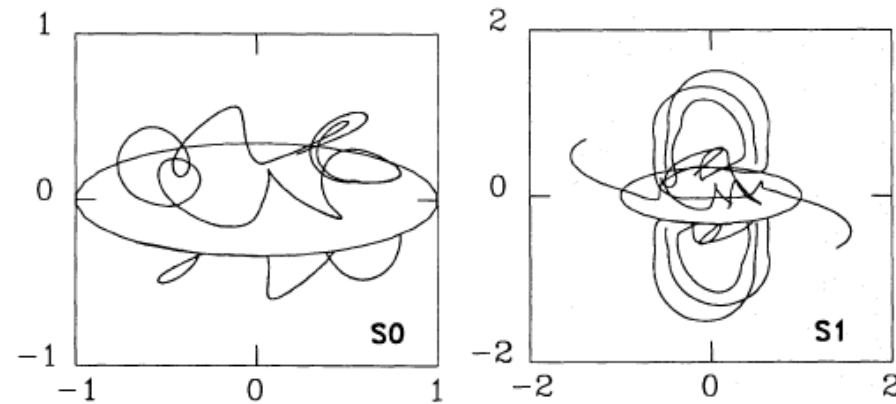
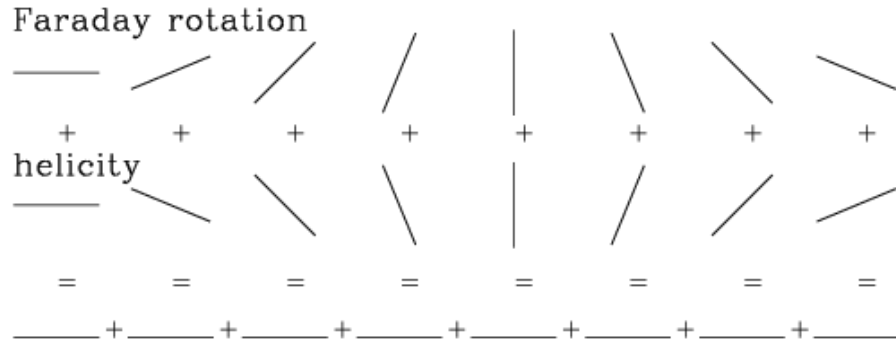


Polarized intensity oddities in edge-on galaxies

Axel Brandenburg (Nordita)

- Faraday rotation: rotates \mathbf{B} field
- \rightarrow Faraday depolarization
- Helicity also rotates the field
 - Can either compensate \rightarrow cancels depolarization \rightarrow enhanced polarized intensity
 - Or enhance depolarization
- Happens in 2 opposing quadrants



Brandenburg & Stepanov (2014)
Horellou & Fletcher (2014)

Singly helical field

Stokes Q and U parameters $P = Q + iU$

$$Q = p_0 \int_{-\infty}^{\infty} \varepsilon \cos 2(\psi + \phi \lambda^2) dz$$

$$U = p_0 \int_{-\infty}^{\infty} \varepsilon \sin 2(\psi + \phi \lambda^2) dz$$

Intrinsic polarized emission from B

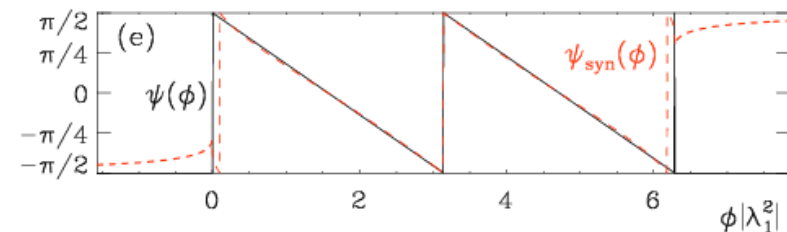
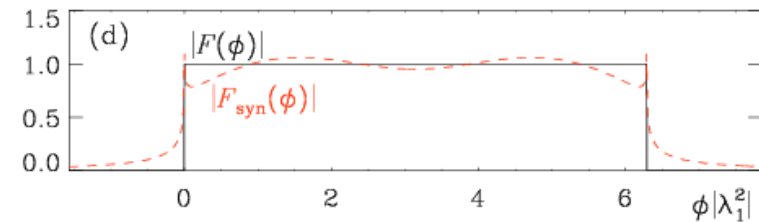
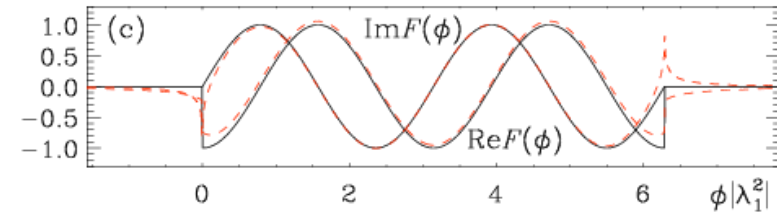
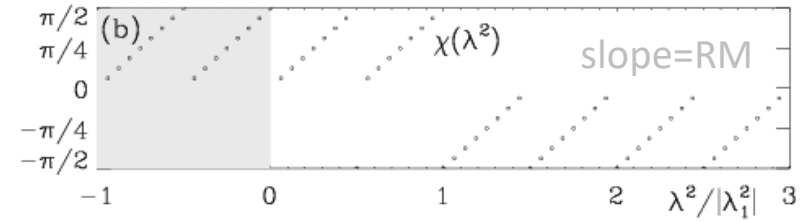
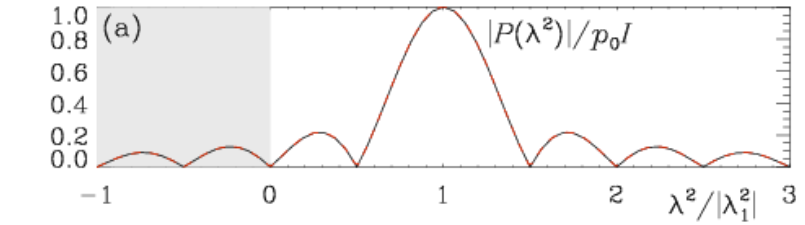
$$\mathbf{B}_{\perp} = |\mathbf{B}_{\perp}| e^{i\psi_B}, \quad \psi = \psi_B + \frac{1}{2} \pi$$

Cancellation condition

$$\psi = -kz, \quad \phi = -Kn_{\text{th}} B_0 z$$

Helical field w/
positive helicity

$$\mathbf{B} = \begin{pmatrix} B_1 \cos kz \\ -B_1 \sin kz \\ B_0 \end{pmatrix}$$



Only works if $RM > 0$ and $k > 0$



Peak determined by single parameter

$$\lambda_1^2 = -k / Kn_{th} B_0 \propto k / RM$$

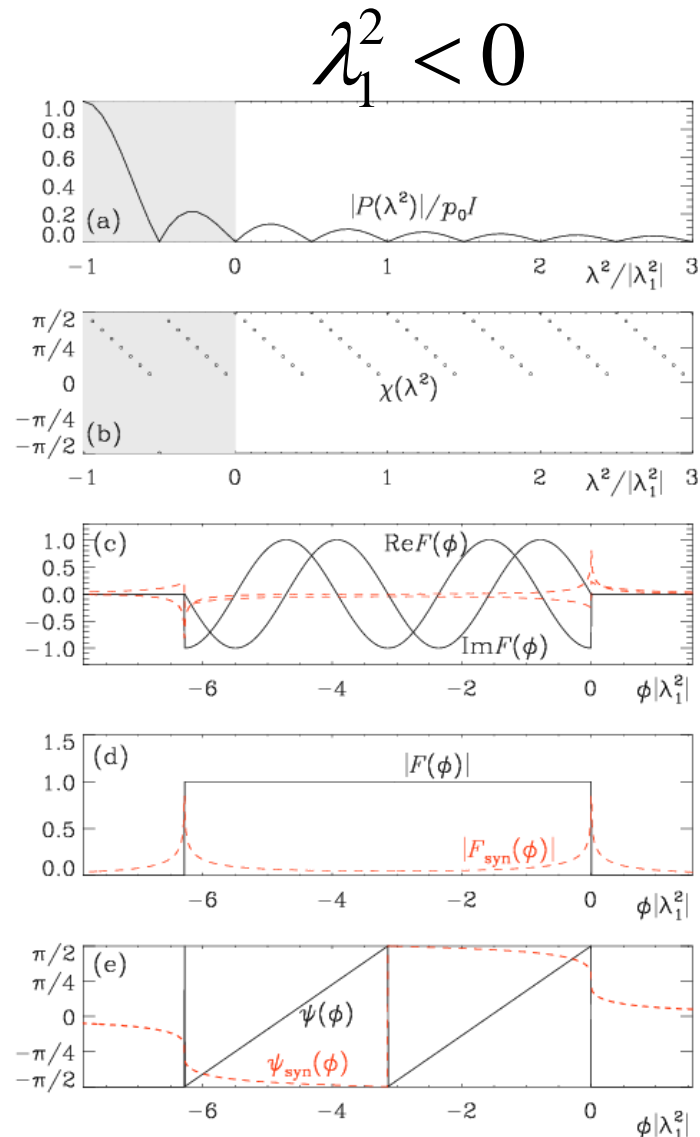
But difficult/impossible to recover $F(\phi)$

(Burn 1966)
$$P(\lambda^2) = \int_{-\infty}^{\infty} F(\phi) e^{2i\phi\lambda^2} d\phi$$

$$F(\phi) = \frac{1}{2\pi} \int_{-\infty}^{\infty} P(\lambda^2) e^{-2i\phi\lambda^2} d(2\lambda^2)$$

Positivity:

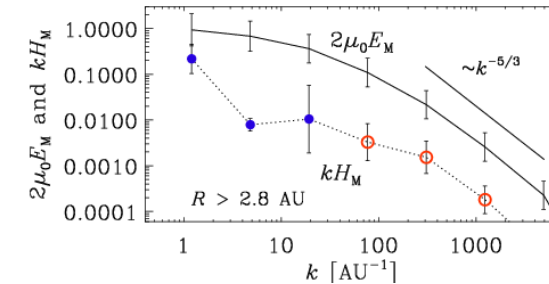
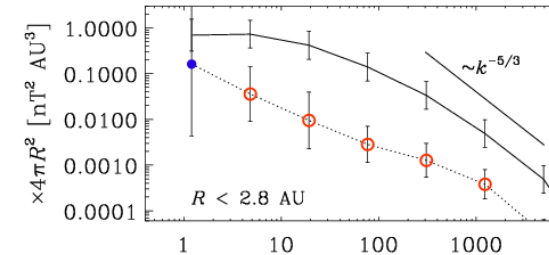
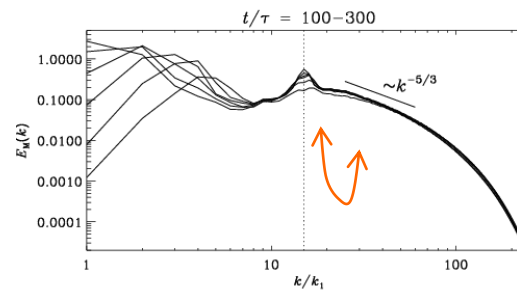
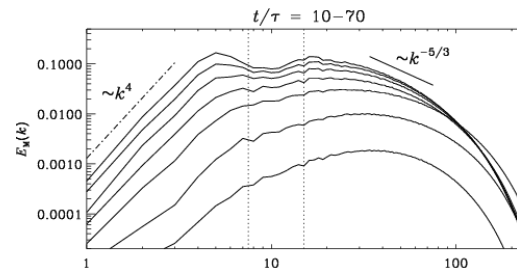
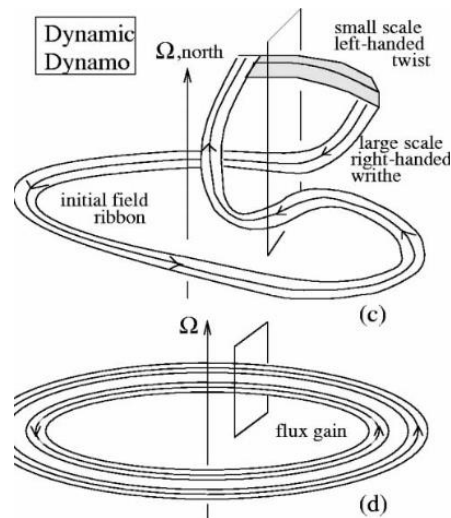
$$F_{syn}(\phi) = \frac{1}{2\pi} \int_0^{\infty} P(\lambda^2) e^{-2i\phi\lambda^2} d(2\lambda^2)$$



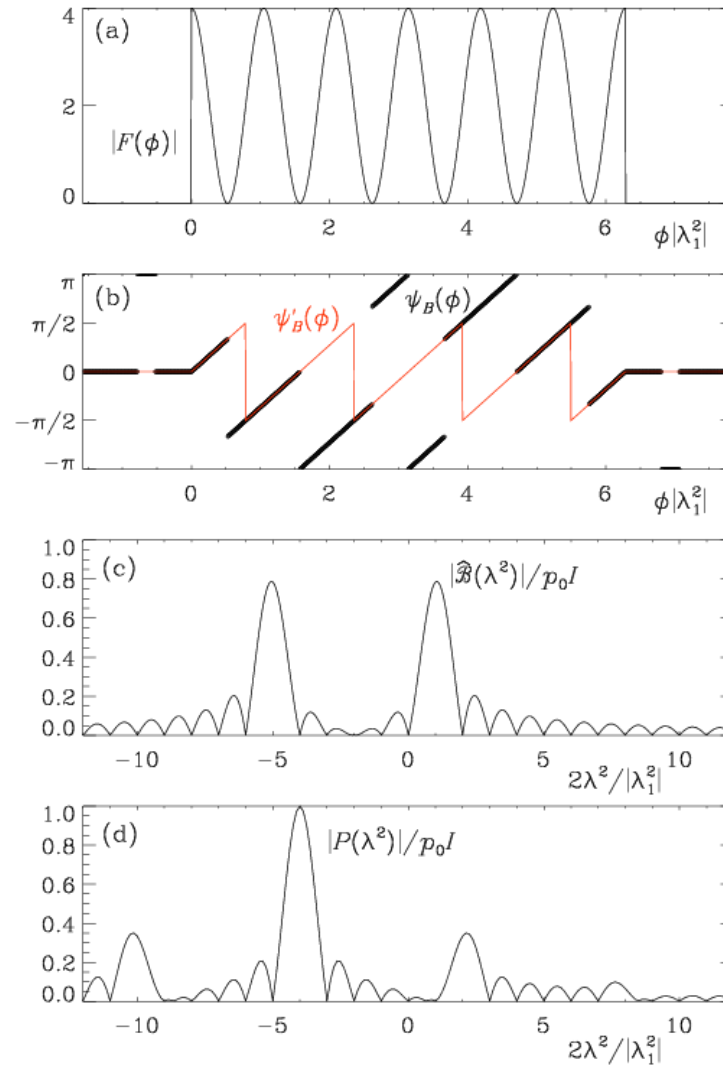
Expect bi-helical fields

- Magnetic helicity conserved
- Inverse cascade produces small-scale waste!
- Opposite sign of helicity (or k)

Blackman & Brandenburg (2003)



π ambiguity lead to “line splitting”



Peaks at $k_1=1$ and $k_2=-5$

translate to $k_1+k_2 = -4$
and to $k_1-k_2 = 6$

(i) peak in P at -4
peak separation 6

(ii) in Faraday dispersion:
frequency 6
-2x phase gradient -4

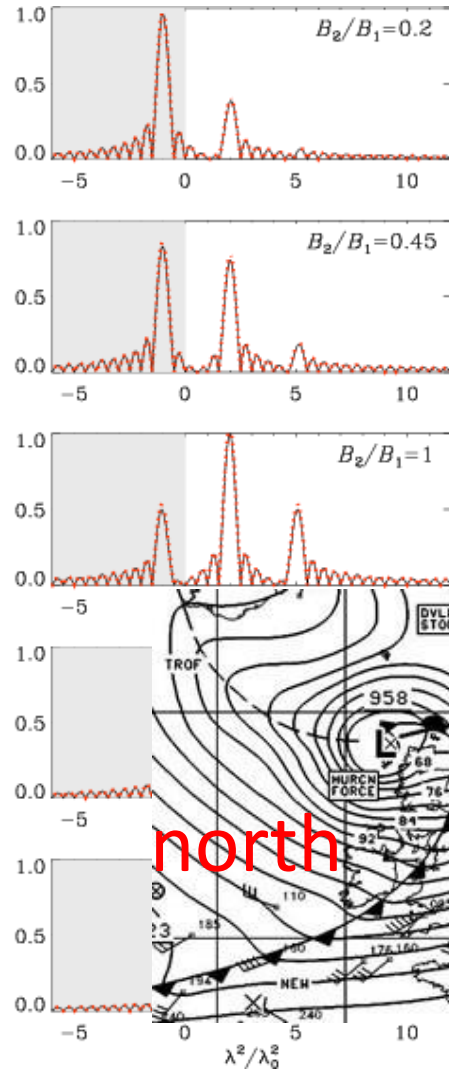
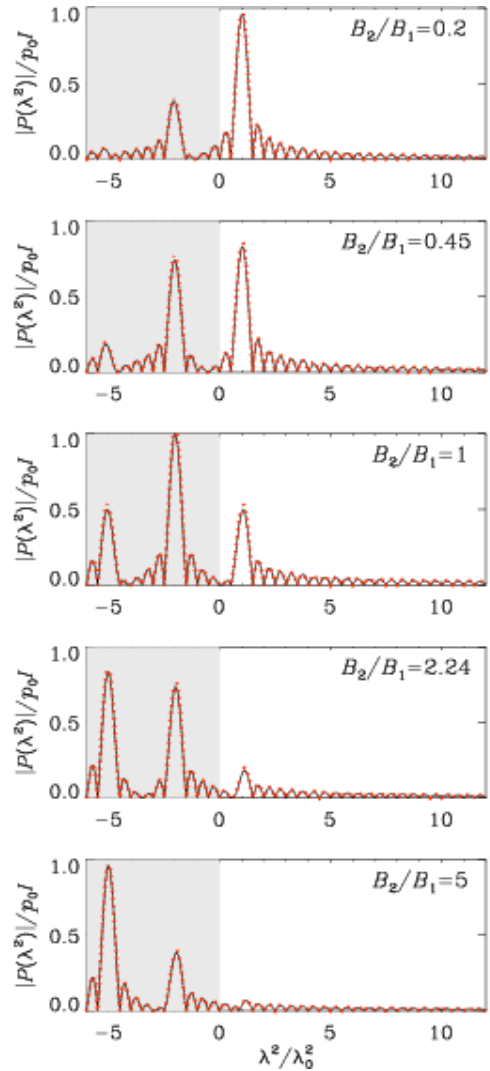
For $RM > 0$, only +ve helicity obs

$RM > 0$

$RM < 0$

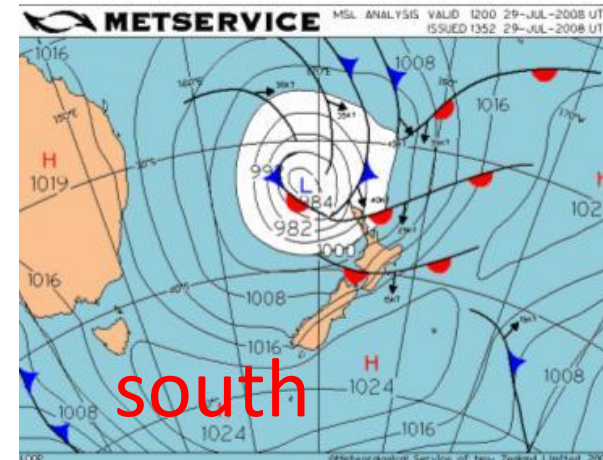
For $RM > 0$,
Left: north
Right: south

For $RM < 0$,
Left: south
Right: north



north

south



Scales and applications

$$z \leftrightarrow \phi$$

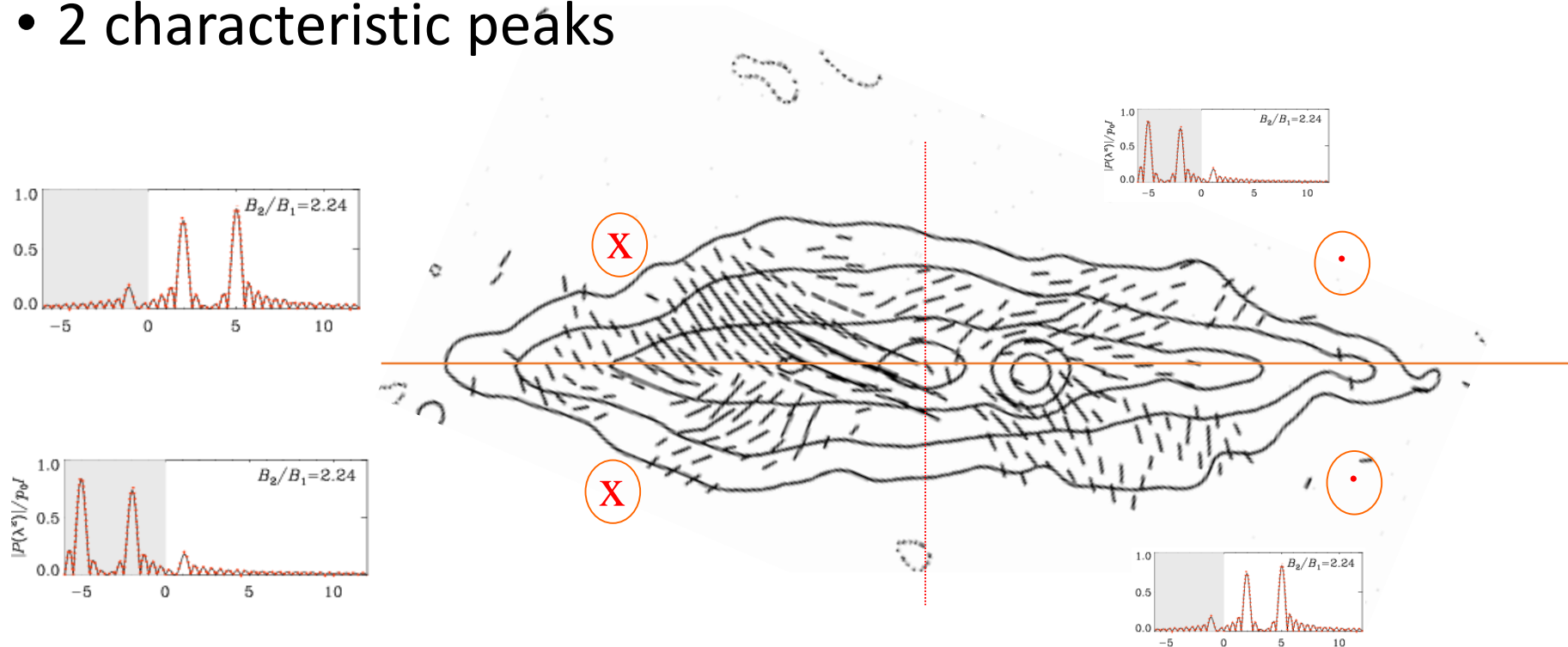
$$k \leftrightarrow \lambda^2$$

- $L = 1 \text{ kpc} \rightarrow k = 6 \text{ kpc}^{-1} \rightarrow l = 30 \text{ cm}$
- $L < 0.1 \text{ kpc} \rightarrow k > 60 \text{ kpc}^{-1} \rightarrow l = 1 \text{ m}$
- Assuming $B = 3 \text{ } \mu\text{G}$, $n_e = 0.03 \text{ cm}^{-3}$

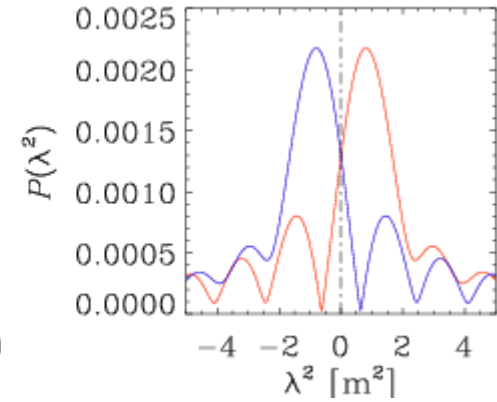
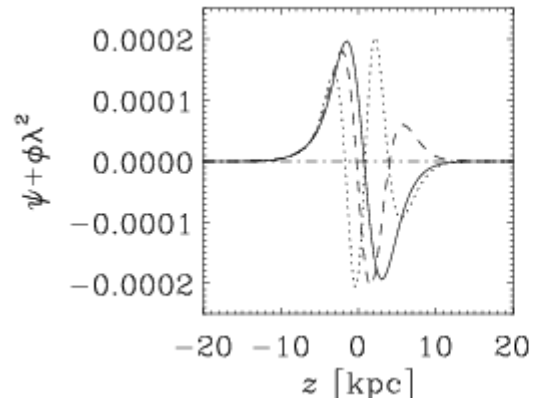
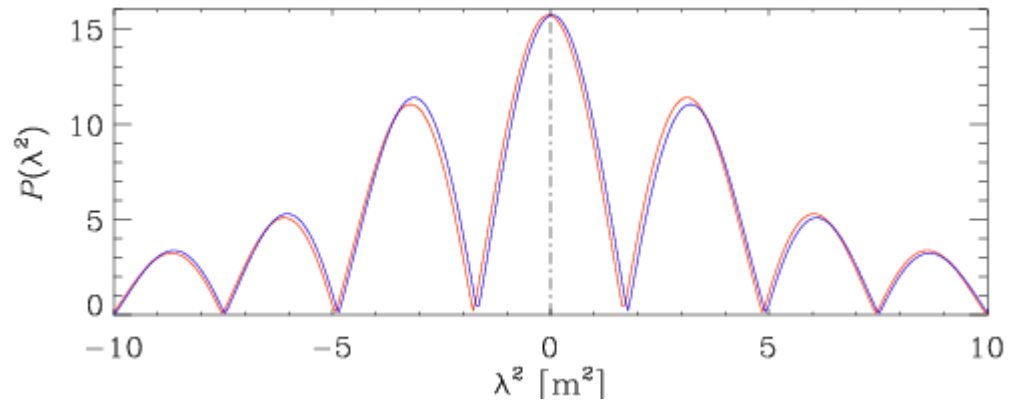
λ coverage only possible with SKA: 2 cm – 6m

Edge-on galaxies (expectation)

- RM synthesis: measure magnetic helicity
- Need line of sight component: edge-on galaxy
- Expect polarized intensity only in 2 quadrants
- 2 characteristic peaks



Mean-field simulations: compare north – south



- Not much asymmetry:
- Galactic fields perhaps not very helical
 - Most amplification from shear
- Comparison with dynamo without shear

Conclusions

- Cancellation of depolarization by helicity works in principle
 - Expect strongest effect in range $0.3\text{m} < \lambda < 1\text{m}$
- Application to edge-on galaxies more pessimistic
 - But maybe effect of shear less strong?