

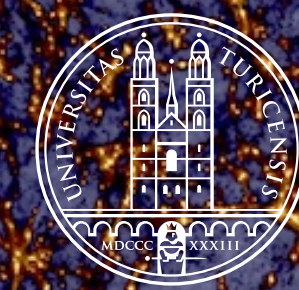
Illuminating the Young Universe with FIRE: What drives the evolution of the cosmic star formation rate density?

arXiv:2407.02674

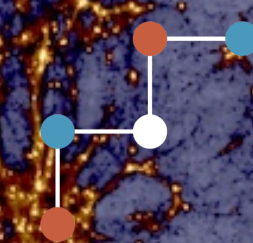
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Cosmic Dawn at High Latitudes
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Universität
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The Cosmic SFR in the Era of JWST

The high-z challenge:

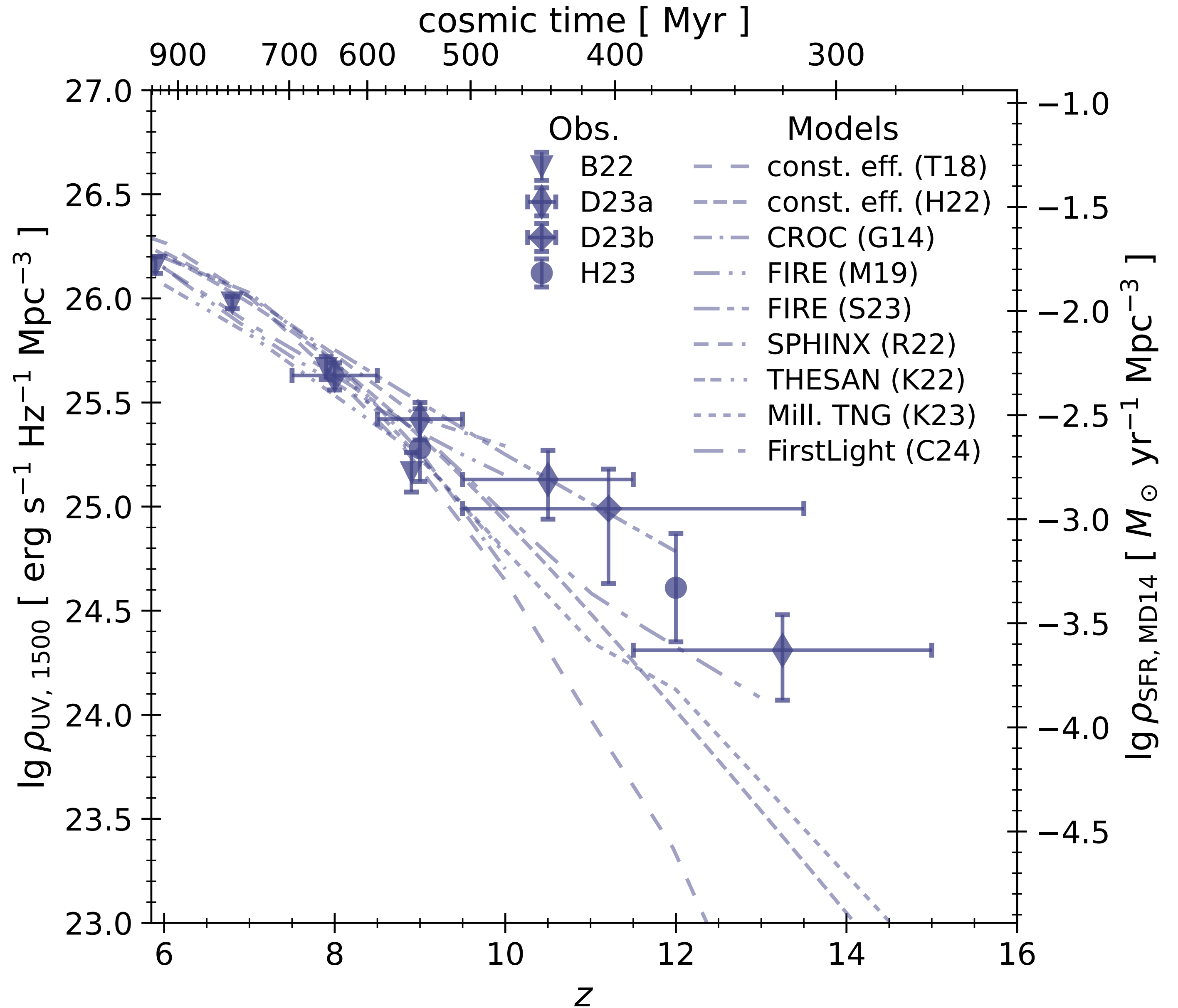
- Many models predict a fast decline of SFR and UV luminosity density at $z > 10$
- Higher than expected SFR and UV luminosity density observed at $z > 10$
(e.g., Harikane+2023, Donnan+2023a,b, Finkelstein+2023, Bouwens+2023)

Various proposed explanations:

- SF more efficient at higher z
- bursty SF (higher scatter)
- AGN contribution to UV luminosity
- top-heavy IMF

Approach:

- Cosmological simulations (FIREbox^{HR})



What is FIREbox?

- Part of *Feedback in Realistic Environments* (FIRE) project (Hopkins+2014)
- Suite of cosmological **volume** simulations

FIREbox simulation

- First FIRE cosmological volume simulation (Feldmann+2023, [arXiv:2205.15325](https://arxiv.org/abs/2205.15325))
- $L=22$ cMpc, Planck-15 cosmology
- run to $z=0$, ~ 1 billion gas particles, mass resolution $6 \times 10^4 M_{\odot}$

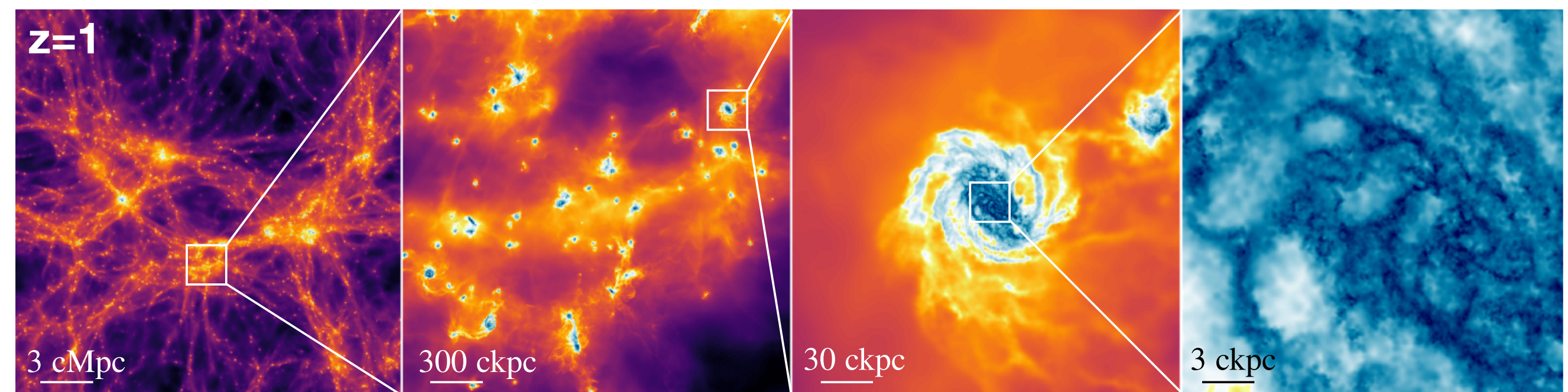
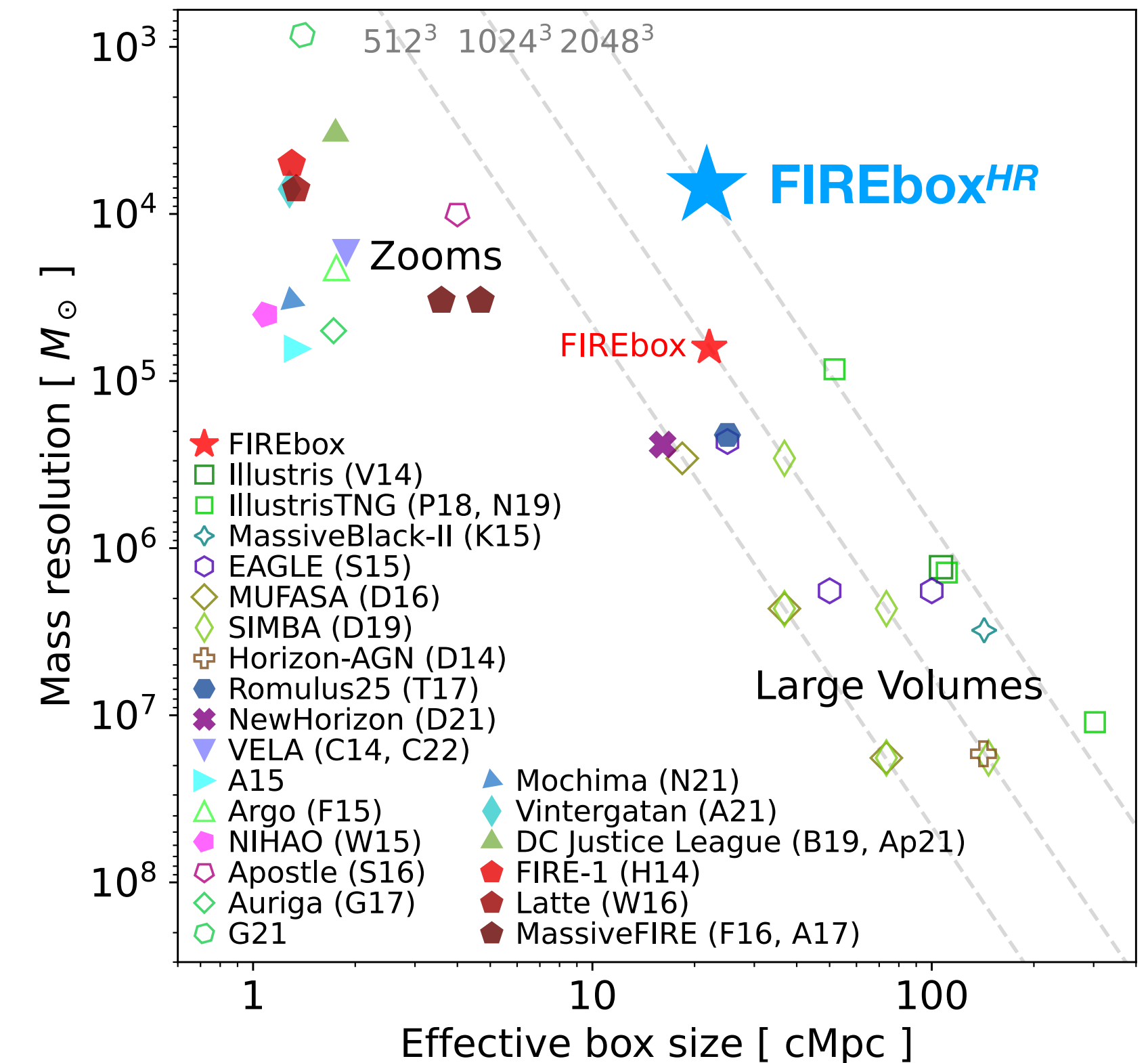
FIREbox^{HR} simulation

- same volume, 8 x more particles, mass resolution $7800 M_{\odot}$
- stops at $z \sim 6$

- Run with **standard** FIRE-2 physics (Hopkins+2018)

- cooling to 10K
- SF in dense (>1000 Hcc), self-gravitating gas
- various channels for stellar feedback
- cosmic UV background (Faucher-Giguère+2009)
- no AGN feedback

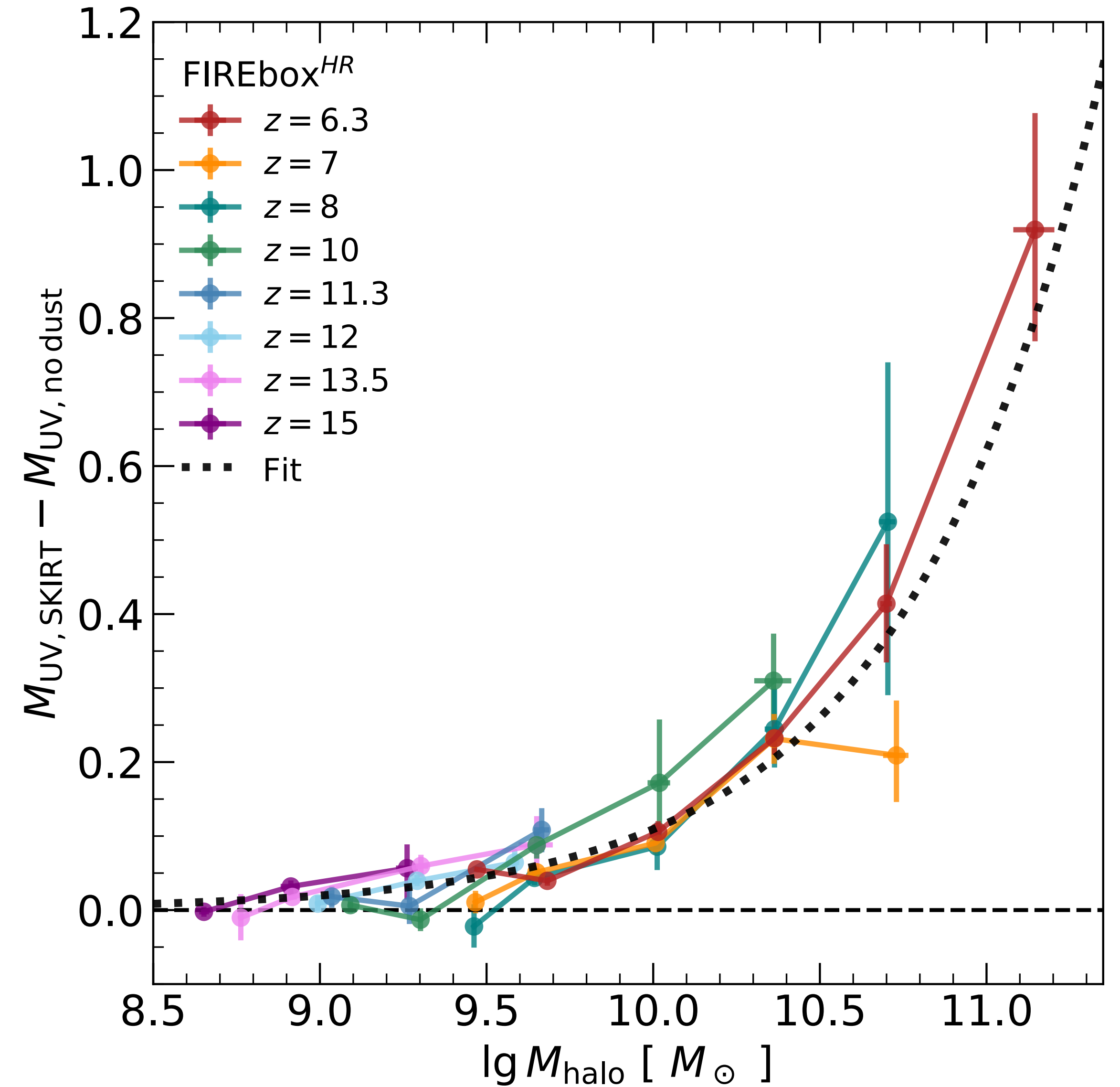
Validated in numerous previous zoom-in simulations with FIRE-2 physics



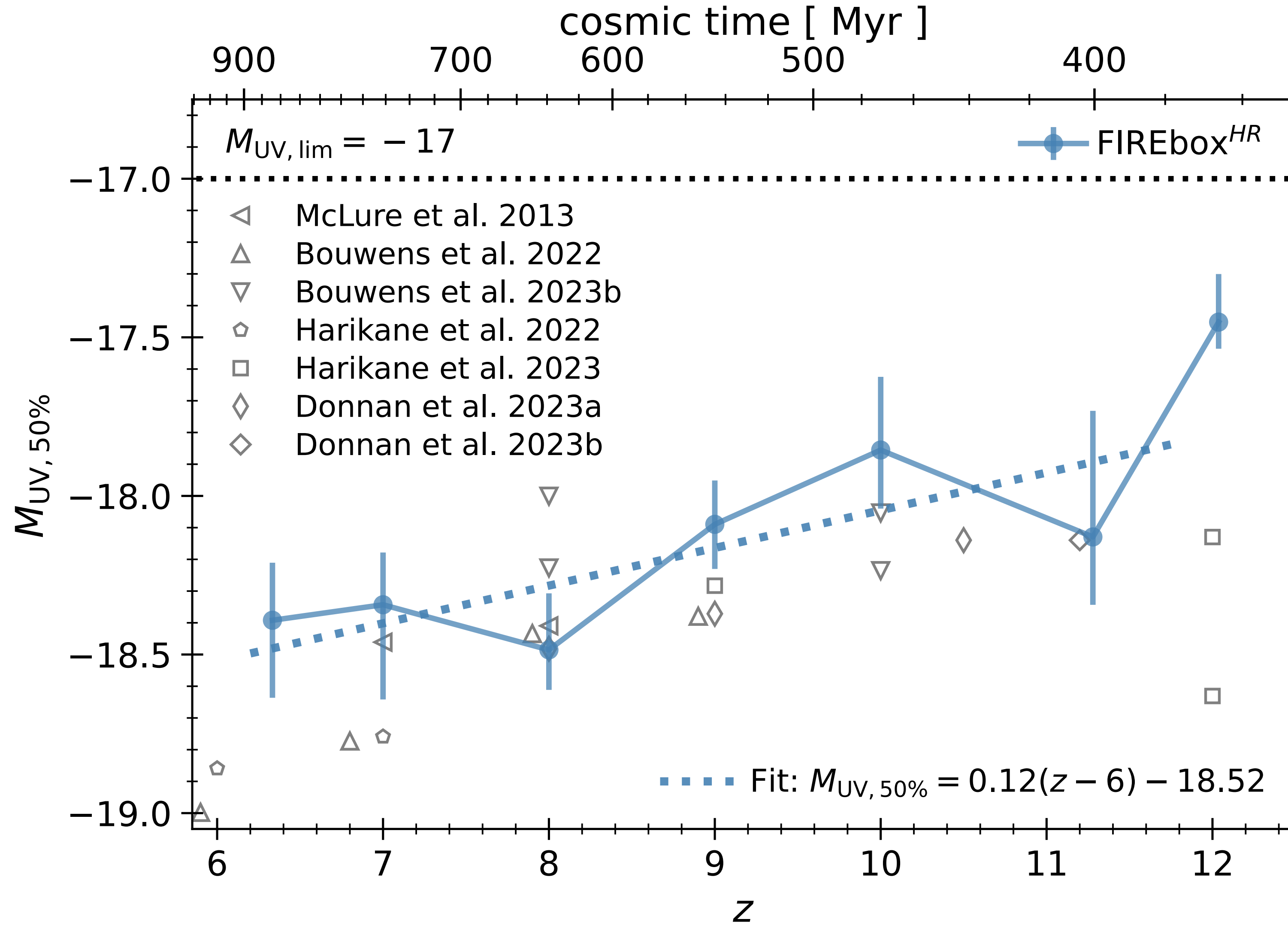
FIREbox (RF+2023)

Analysis

- Amiga Halo Finder for halo properties
 - include halos with $M_{\text{halo}} > 10^7 M_{\odot}$
 - 100k - 500k halos at $z \sim 6-12$
- Galaxy properties within 3 proper kpc radii
- UV luminosity of galaxies
 - for galaxies in sufficiently massive halos ($\geq 10^9 M_{\odot}$) with dust radiative transfer code **SKIRT v9** (Camps & Baes 2020)
 - for other galaxies ignore dust contributions

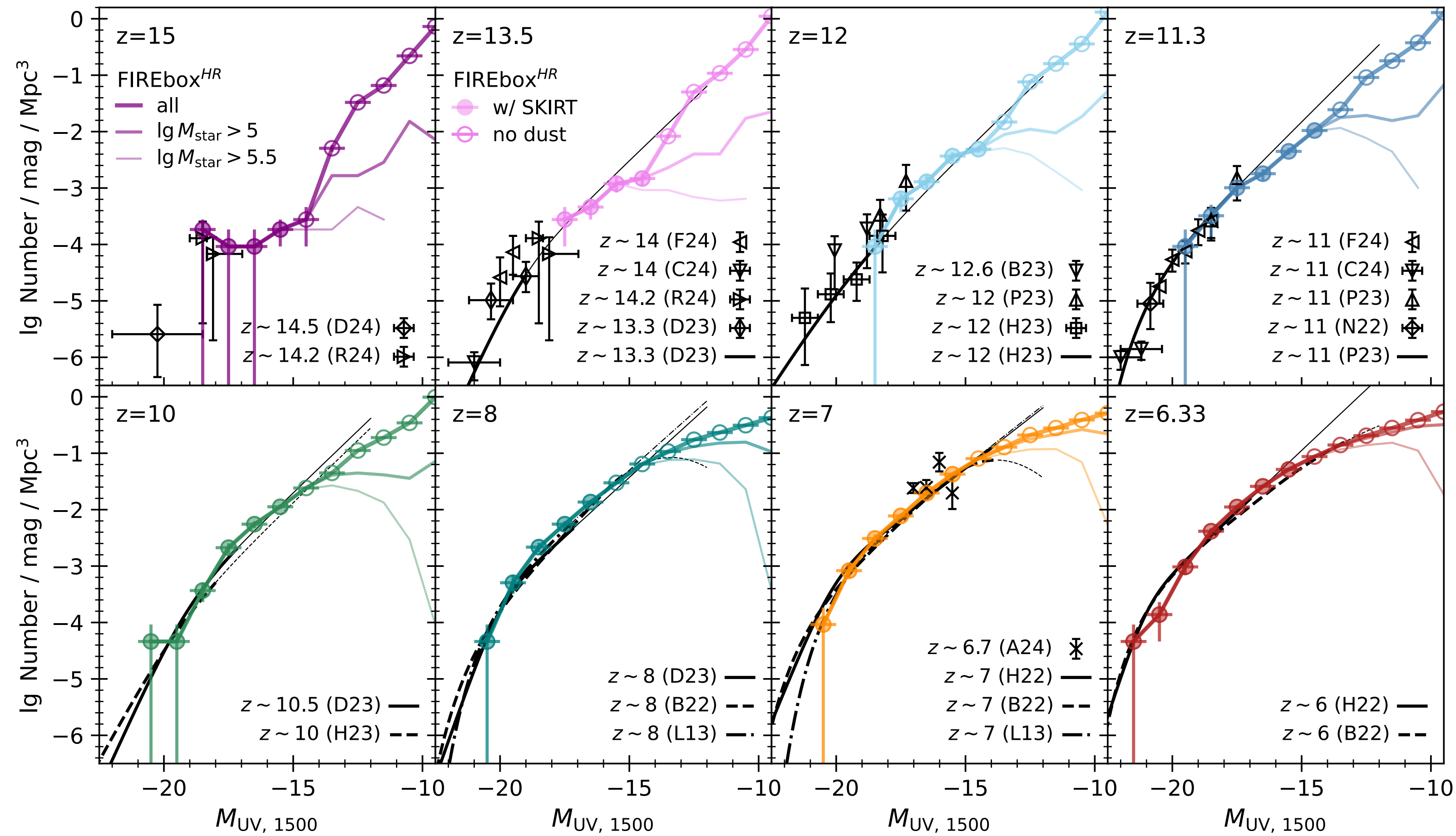


Which galaxies dominate the UV luminosity density at $z \sim 6 - 12$?



Answer: Moderately faint galaxies ($-18.5 < M_{UV} < -17.5$), not massive, bright galaxies ($M_{UV} < -19$)

UV LF in FIREbox^{HR}

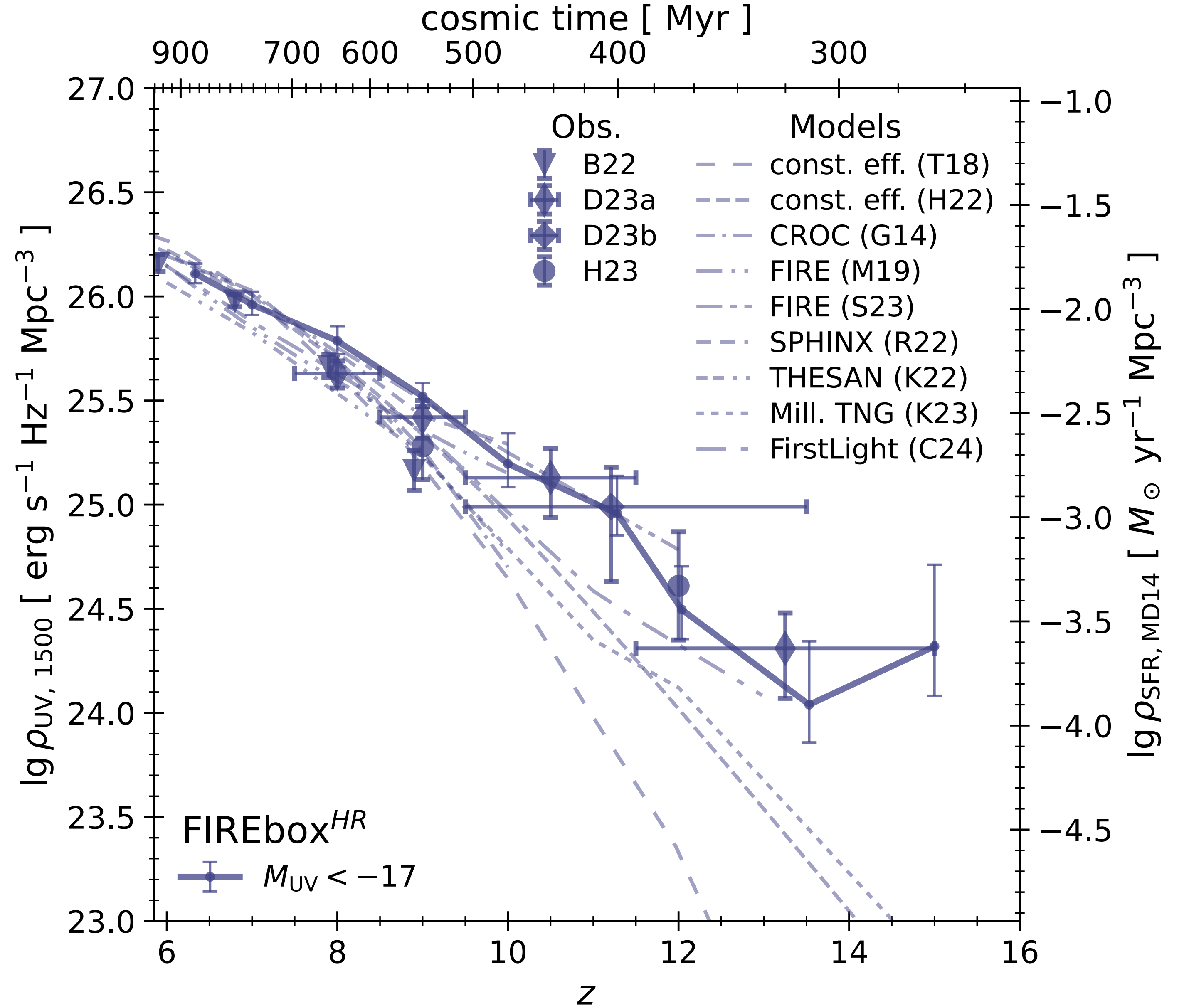


- Good agreement with observed UV luminosity function at $z \sim 7 - 10$
- Deviation from Schechter function at $z \leq 8$ for faint magnitudes ($M_{UV} > -15$)
- Dust attenuation affects only bright end ($M_{UV} < -19$)
- at $z > 10$: steeper faint end, contribution from low luminosity (not well resolved) halos

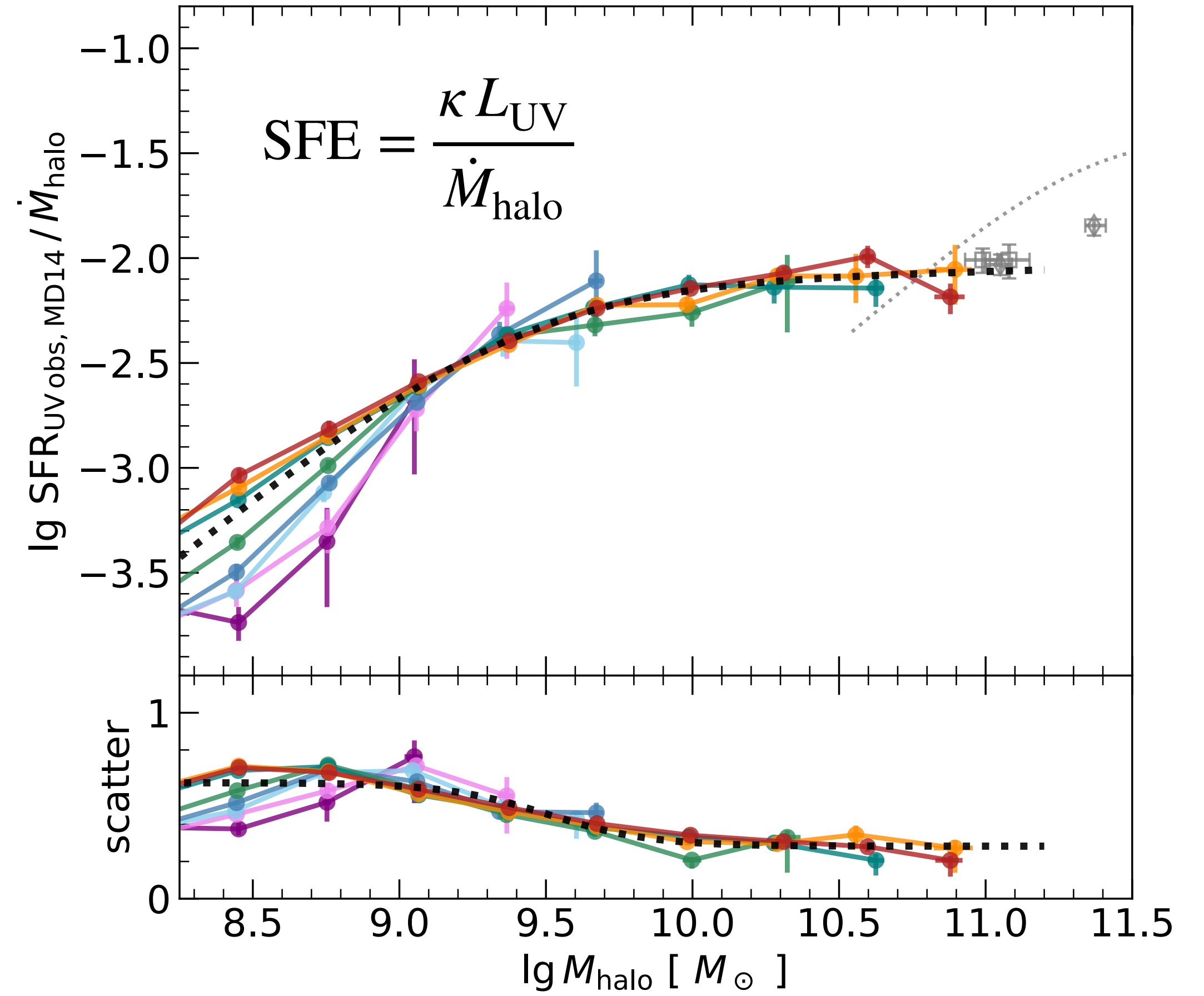
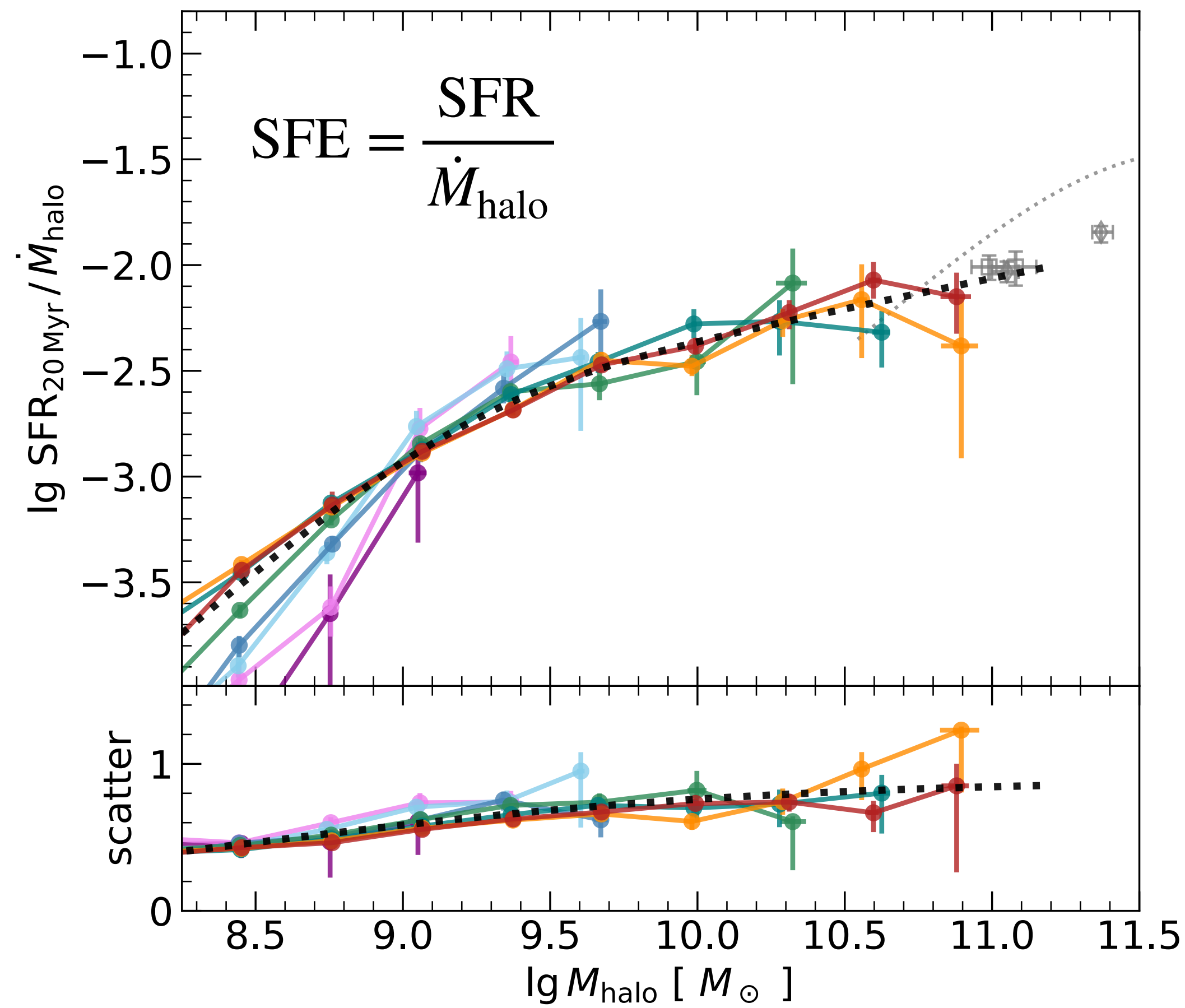
UV luminosity density in FIREbox^{HR}

- Observations: Fitted UV Luminosity functions integrated down to $M_{UV} = -17$
- Simulation: Sum UV luminosity in galaxies with $M_{UV} = -17$

→ FIREbox^{HR} reproduces observed UV luminosity density, including the 'excess' at $z \geq 10$



Star formation efficiency in FIREbox^{HR}



- SFE **redshift-independent** & only weakly halo mass-dependent (for $M_{\text{halo}} \sim 10^9 - 10^{11} M_{\odot}$)
- comparably high SFE for intermediate mass halos that dominate UV luminosity density

Theoretical model

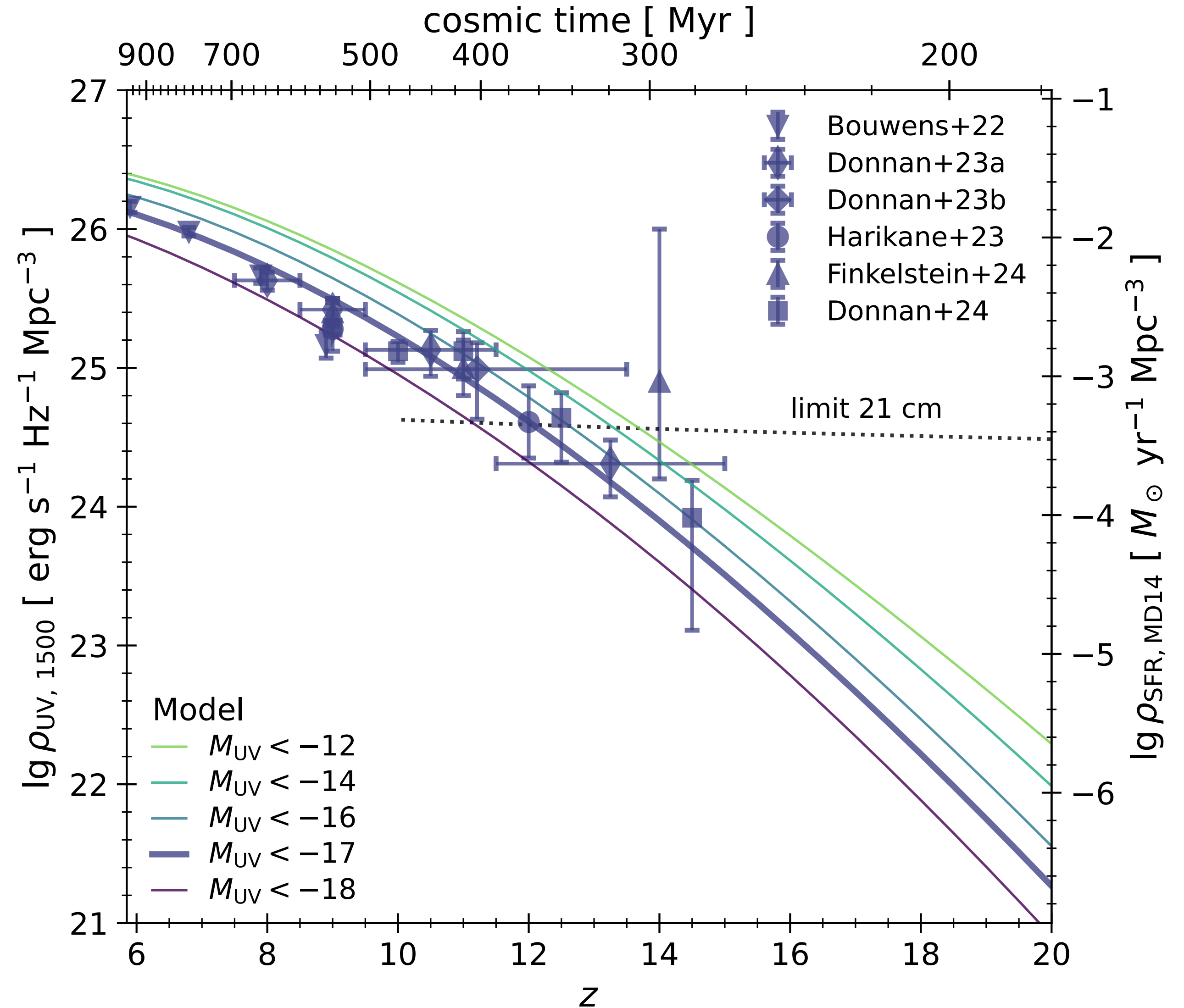
- Assume SFE is lognormal with redshift-independent SFE — halo mass relation from FIREbox^{HR} (provides mean and scatter)

$$\rho_{\text{UV}}(z) = \frac{1}{\kappa} \int_{-\infty}^{\infty} d \lg M \frac{dn}{d \lg M} \dot{M} \langle \mathcal{S} \rangle_{\text{eff}}.$$

- Halo number density for any mass and redshift from HMF (Murray+2014), halo accretion rate from Behroozi & Silk 2015

Implications

- UV luminosity density does not decline as a power law with redshift, but steeper decline at higher z
- no EDGE like signal from sources with $M_{\text{UV}} < -12$
- but ignore Pop III, low mass halos

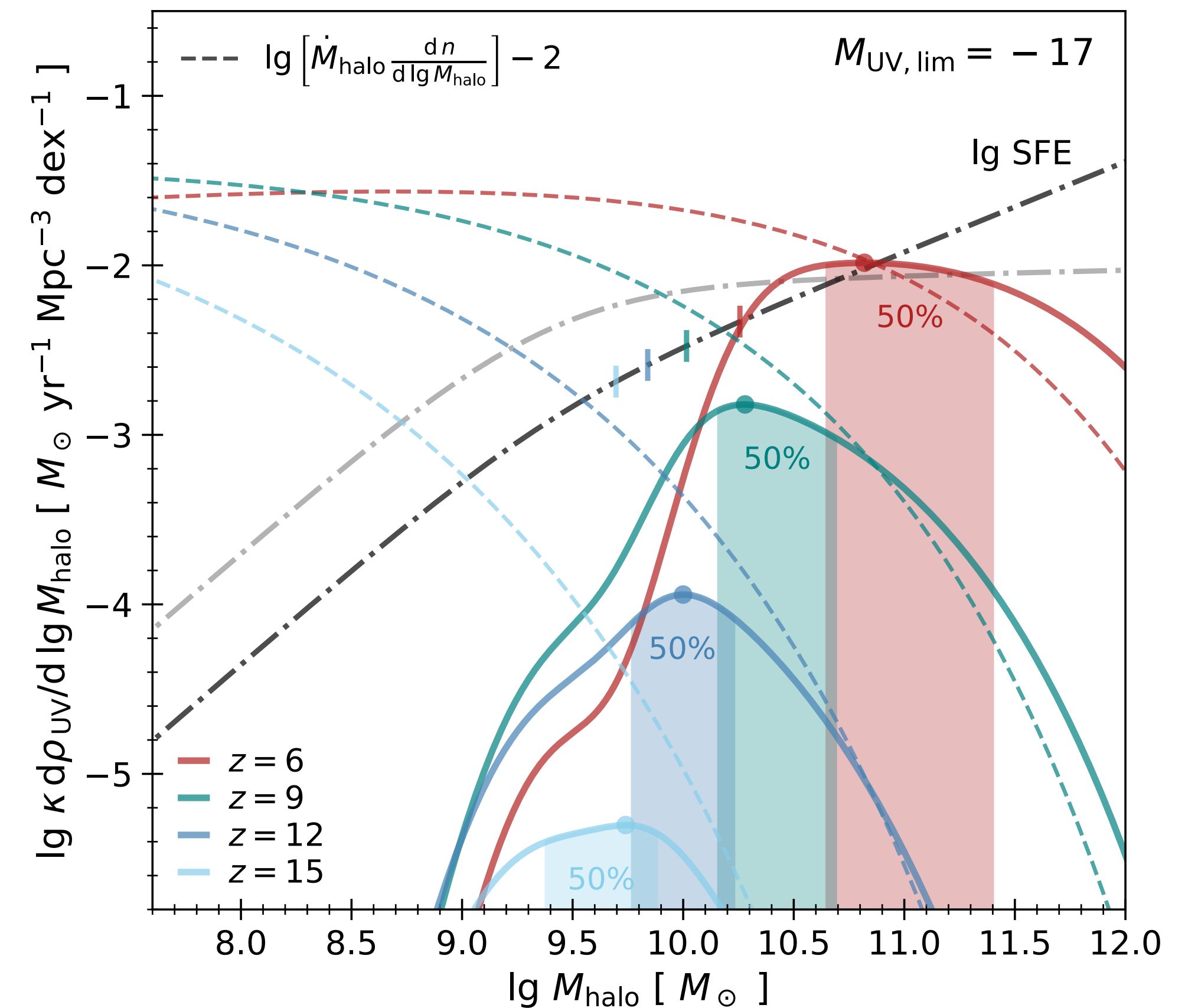


What drives the high UV luminosity density at $z > 10$?

- Can address this question with the theoretical model

$$\kappa \frac{d\rho_{\text{UV}}}{d \lg M} = \left[\dot{M} \frac{dn}{d \lg M} \right] \langle \text{SFE} \rangle_{\text{eff}}$$

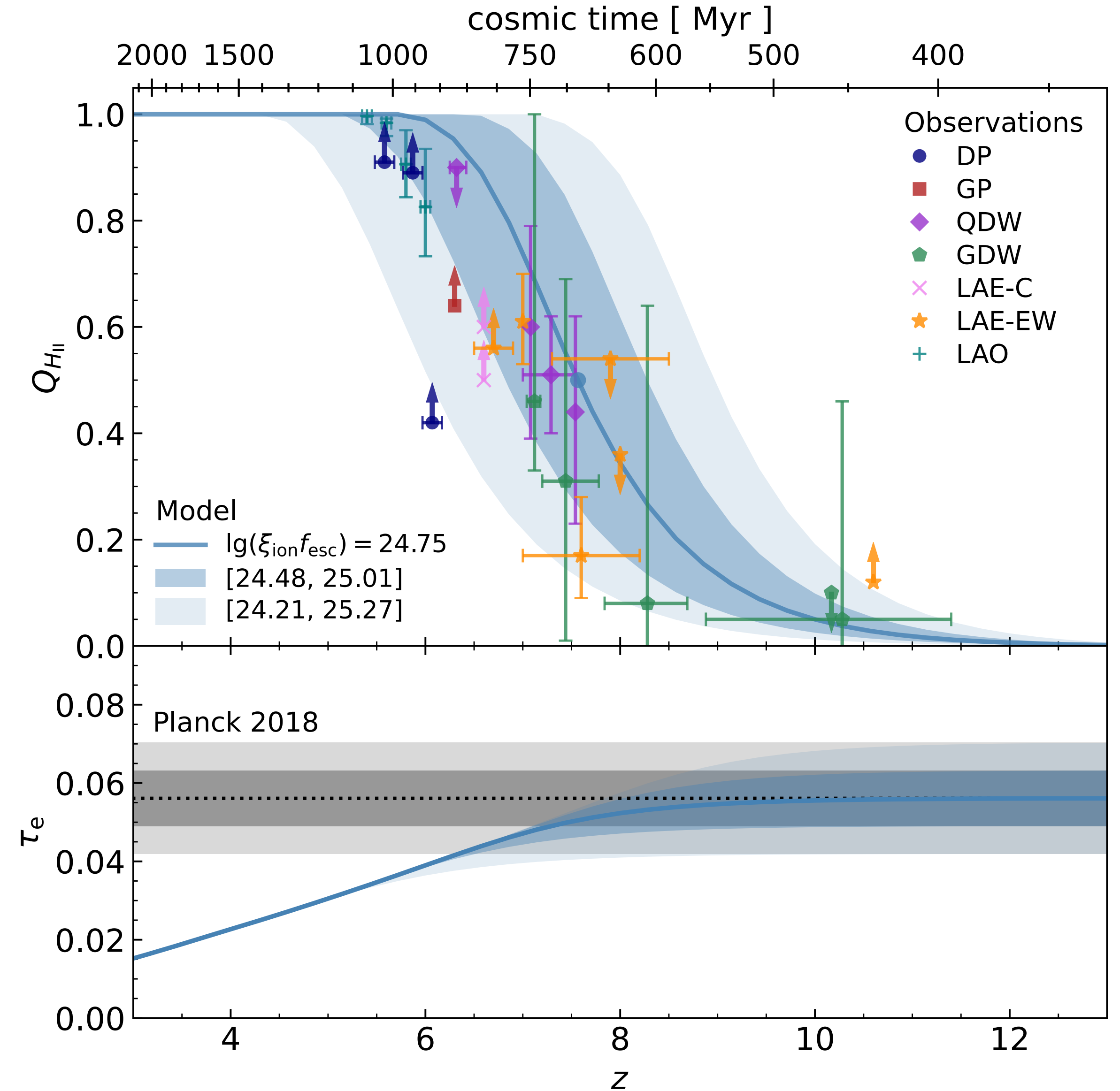
- UV luminosity density dominated by intermediate mass halos ($M_{\text{halo}} \sim 10^9 - 10^{11} M_{\odot}$)
- the responsible halo mass range decreases with increasing redshift (b/c SHAR increases and HMF decreases)
- for shallower slope, stronger shift towards lower masses at higher $z \rightarrow$ higher number density at lower masses partly compensates for decrease of number density at higher z



\rightarrow Increased contribution from more numerous galaxies in lower mass halos at higher z if slope is less steep

Implication for galaxies during re-ionization

- Theoretical model in line with observed reionization history if $\lg(f_{\text{esc}}\xi_{\text{ion}}[\text{Hz erg}^{-1}]) \sim 24.5 - 24.7$
- Re-ionization mid-point $z \sim 6.8 - 7.6$, duration $\Delta z \sim 1.4$ (25-75%), $\Delta z \sim 2.8$ (10-90%).
- Inferred escape fractions are 5-8% (12-20%, 30-50%) if $\lg(\xi_{\text{ion}}[\text{Hz erg}^{-1}]) \sim 25.8$ (25.4, 25.0)
- For escape fraction of 20% (Ma+2020), we get $\lg(\xi_{\text{ion}}[\text{Hz erg}^{-1}]) \sim 25.2 - 25.4$



Summary

- Introduced FIREbox^{HR}: cosmological volume simulation with FIRE-2 physics to $z \sim 6$ at $7800 M_{\odot}$ baryonic resolution
- Simulation results in good agreement with observed UV luminosity density and UV LFs, no tuning to high- z regime
- FIREbox^{HR} predicts (approx.) non-evolving star formation efficiency — halo mass relation
- *No increase in SFE with increasing redshift!*
- Theoretical model based on non-evolving star formation efficiency — halo mass relation from FIREbox^{HR}
- Model suggests origin of high UV luminosity density is additional contributions from galaxies residing in lower mass halos towards higher z
- Ionizing photon production efficiency is $\lg(\xi_{\text{ion}} [\text{Hz erg}^{-1}]) \sim 25.2 - 25.4$ if escape fraction is $\sim 20\%$

See arXiv:2407.02674 for more details! Thank you!