Off-line software compensation of the calorimeter response to hadron energy (hadronic calibration)





Elin Bergeaas Kuutmann Stockholm University

LHC detector school – calorimetry session

A brief reminder: Detection principles



Electrons generally shower earlier than hadrons. Hadronic showers reach deeper into the calorimeter

Image from <u>www.particleadventure.org</u>

Calibrating a calorimeter

Simplified calibration scheme:

- Expose the calorimeter to electrons of known energy
- Compare the read-out to the initial energy Now the calorimeter is calibrated on the *electromagnetic scale*

... so why do we need hadronic calibration? ---> Because of *invisible energy*!

Hadronic shower



Compensate for the invisible energy some strategies

- Change the calorimeter (make it *compensating*):
 - Increase the response to the hadronic part of the shower: Hydrogen in the active material (organic material, e.g. plastic)
 - Decrease the response to the EM part of the shower: High-Z absorber (²³⁸U)
- Apply weighting factors to the energy read-out (off-line compensation)
 - Sometimes the best option, because of problems with intrinsically compensating calorimeters.
 Example: D0 integration time

Off-line hadronic calibration: the challenges

- Weight the hadronic energy, without disturbing the EM energy
- Visible fraction of the hadronic shower is energy dependent
- Energy fluctuations
- 2 different events of 100 GeV pions in the ATLAS barrel calorimeter (simulation)



Off-line calibration: some strategies

- "Simple" calibration: one weight for each longitudinal segment
- Local calibration: first calibrate clusters (calo energy blobs) and then use the clusters to form physics objects (jets, electrons...)
- Global calibration: first form physcis objects (jets...), then calibrate by matching them to simulated objects of the same kind
- Layer correlation of energy deposits (not covered here, ask Karl-Johan)



"Simple calibration"

- Most calorimeters are divided into at least two parts: EM and HAD
- Electrons deposit most of their energy in the EM part.
- Apply corrections: $C_{\rm EM} \approx 1, C_{\rm HAD} > 1$ (these can be energy dependent)



Pro: Easy and simple (often used in test-beams)

Con: Correct energy on average only. No handling of event-by-event fluctuations



Local off-line hadronic compensation (1) principal overview

- EM showers are denser than hadronic ones
 --> Use the energy density to separate the hadrons from electrons/photons
- Cluster the energy depositions, so that each cluster contains the energy of one particle
 --> An estimate of the particle energy
- Apply the corrections cellwise event-by-event --> Improves the resolution by handling the fluctuations

Local off-line hadronic compensation (2) make the weights

- Derive the weights from simulation of single pions: $w_i = E_i^{\text{true}} / E_i^{\text{reco}}$
- Parametrise with cell energy density, cluster energy, sampling layer and η .



Local off-line hadronic compensation (3) full chain step by step

Modular corrections:

- Start from EM level calibration
- Make **topological clusters** out of the calolorimeter cell energy signals (suppresses noise)
- Classify clusters: EM, hadronic or unknown (improves resolution, leaves electromagnetic objects undisturbed)
- Correct for the invisible hadronic energy loss on cell level in hadronic clusters using weights derived from simulated single pions
- Correct for "unclustered" energy in calorimeters
- Correct for losses in "dead" material (cryostat, cracks etc)
- (Apply jet corrections...)

Global calibration ("H1 style" in ATLAS)

- Start with an object (jet, ...) which is calibrated on the EM scale
- Find a matching "truth" object (from simulation)
- Extract calorimeter cell energy signals E_i
- Derive cell signal weights $w_i(\rho_i, s_i)$ (where ρ_i is the cell energy density and s_i the sampling layer) such that $E_{object}^{weighted} = \sum_{i \in object} w_i(\rho, s_i) \cdot E_i \equiv E_{object}^{truth}$
- Apply the weights cellwise to the same type of object

The global scheme is **default** for ATLAS jets

Local or global method? (A comparison)

Local:

- Modular corrections: correct one effect at the time.
 Debugging much easier.
- Relies on pion MC simulations
- Additional jet corrections still needed for ATLAS

Global:

- Corrects for all effects in one step. Harder to spot problems if such occur.
- Relies on jet simulation
- Works nicely in ATLAS simulation

In-situ calibration (comparison with known physics processes) needed for the final calibration



Summary

- Off-line hadronic calibration is needed in non-compensating calorimeters (such as the calos of ATLAS and CMS)
- Hadronic calibration is complicated due to
 - invisible energy
 - event-by-event fluctuations
 - energy dependence in the visible energy content
- A clever calibration scheme leaves the electromagnetic objects undisturbed, and weight the hadronic objects on an event-byevent basis

References

- R. Wigmans: *Calorimetry. Energy Measurement in Particle Physics.* Oxford Science Publications 2000
- M. Lefebvre and P. Loch: *Introduction to hadronic calibration* <u>https://twiki.cern.ch/twiki/bin/view/Atlas/IntroductionToHadronicCalibration</u>
- Ç. İşsever et al: Nucl. Instrum. Methods Phys. Res. A585: 803–812, 2005 (on local calibration)
- CALOR 2006 conference, 5–9 June 2006 <u>http://ilcagenda.cern.ch/conferenceOtherViews.py?view=standard&confld=522</u> A. Bhatti: *Jet Energy Scale in CMS*, 8 June 2006
- CALOR 2008 conference, 26–30 May 2008 http://agenda.infn.it/conferenceOtherViews.py?view=standard&confld=352

U. Bassler: Calorimetry sessions of Fermilab Summer School 12-22 August 2008 http://indico.fnal.gov/conferenceDisplay.py?confld=1965

Back-up

The calorimeter system of ATLAS

LAr Barrel – LAr / Pb $|\eta| < 1.5$ EMEC – LAr / Pb

Tile – Scintillators / Fe

HEC – LAr / Cu

FCal – LAr / Cu or W

Directions:

z-axis along beam pipe ϕ - azimuthal angle $\eta = -\ln(\tan(\theta/2))$ pseudorapidity



The calorimeter system of CMS



EndCap

Calorimeter

This slide from CALOR 2006 (A. Bhatti: Jet Energy Scale in

CMS, 8 June 2006)

Elin Bergeaas Kuutmann, Stockholm University

EM calorimeter $|\eta| < 3$: PbW0₄ crystals. 1 longitudinal section/preshower 1.1 λ

Central Hadronic $|\eta| < 1.7$: Brass/scintillator +WLS $5.9 + 3.9 \lambda (|\eta| = 0)$

Endcap Hadronic 1.3< $|\eta| < 3$: Brass/scintillator +WLS 2 or 3 longitudinal sections 10λ Forward 2.9 < η < 5: Fe/quartz fibers