

Lorenzo Sironi (Columbia/CCA)

**NORDITA workshop**

**May 18<sup>th</sup>, 2026**

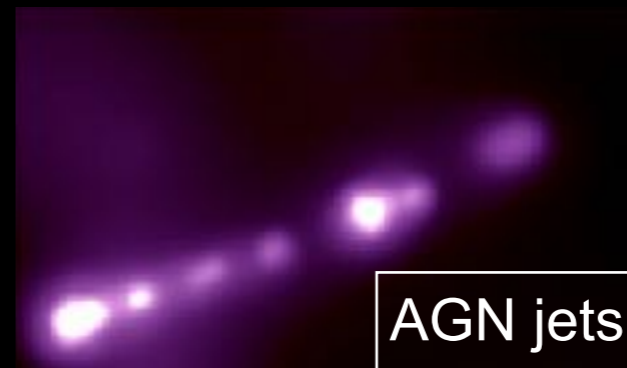
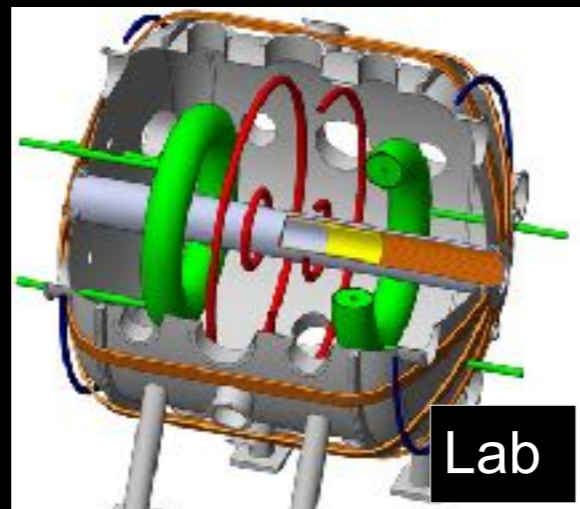
# Reconnection in high-energy astro

$$\sigma = \frac{B_0^2}{4\pi\rho c^2}$$



$\sigma \ll 1$

$\sigma \gg 1$



Magnetically-dominated / relativistic:  $\sigma = \frac{B_0^2}{4\pi\rho c^2} \gg 1$  or  $v_A \sim c$

# Collisionless relativistic reconnection [RR]

for a recent ARAA review: Sironi, Uzdensky & Giannios, [arXiv:2506.02101](https://arxiv.org/abs/2506.02101)



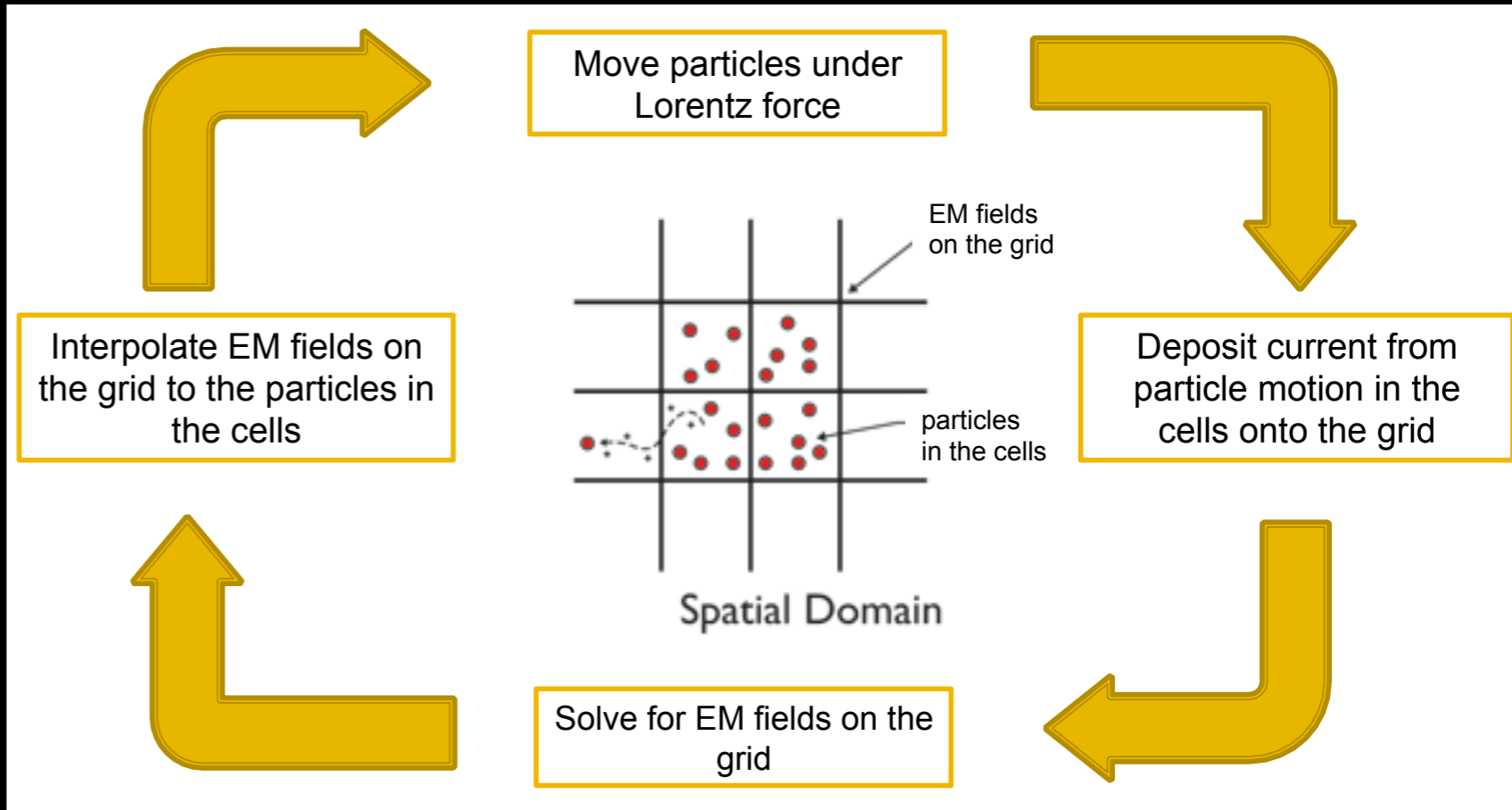
*with vital contributions from H. Hakobyan, B. Cerutti, L. Willingale, H. Ji*



# The PIC method

Particle-in-Cell (PIC) method:

It is the most fundamental way of capturing the interplay of charged particles and electromagnetic fields.



The computational challenge:

The *microscopic* scales of PIC simulations are much smaller than *astronomical* scales.

[credit: Xinyi Guo]

Typical plasma length ( $c/\omega_p$ ) and time ( $1/\omega_p$ ) scales are:

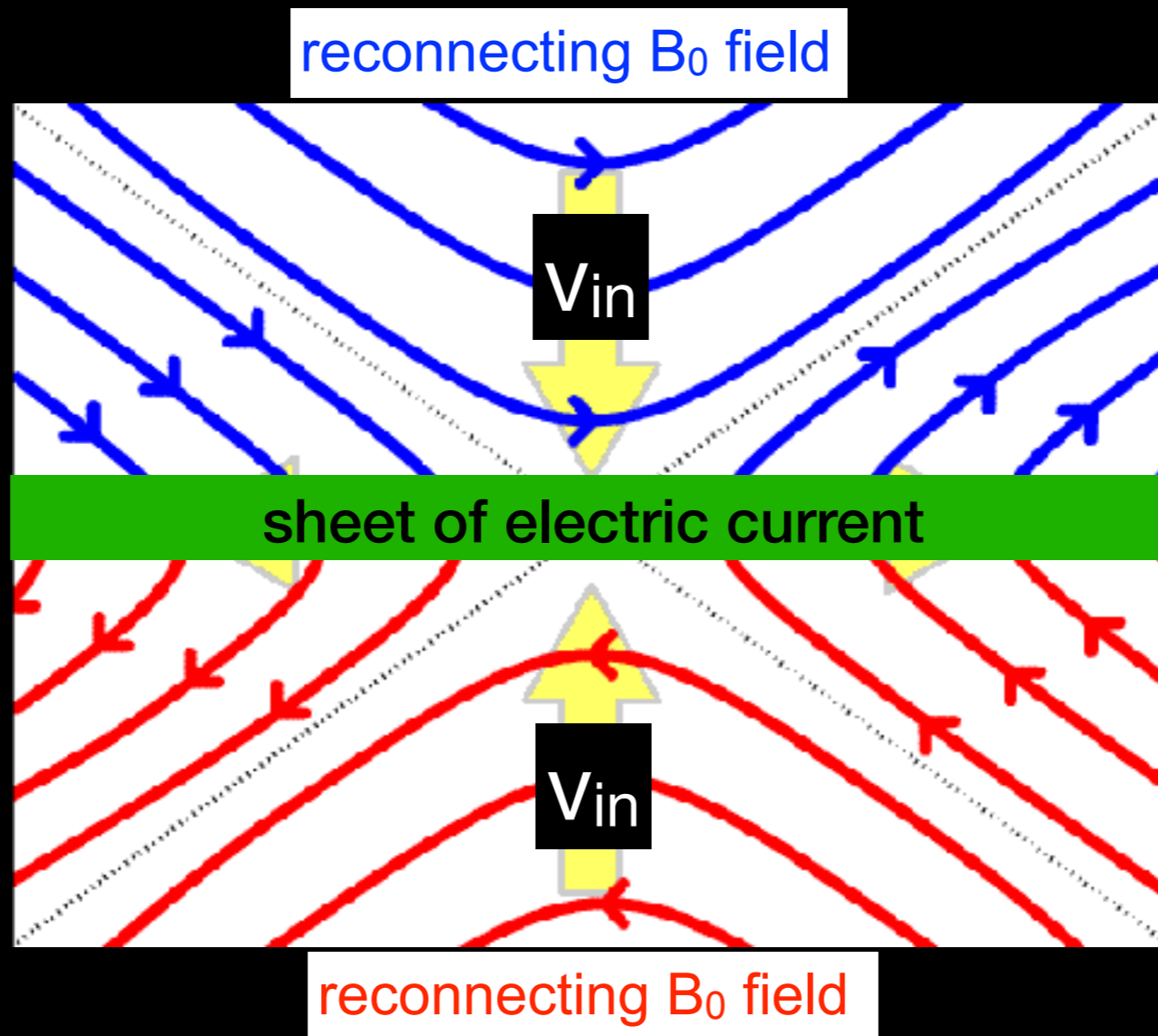
$$\frac{c}{\omega_p} \simeq 5.5 \times 10^5 \left( \frac{n}{1 \text{ cm}^{-3}} \right)^{-1/2} \text{ cm} \quad \frac{1}{\omega_p} \simeq 1.8 \times 10^{-5} \left( \frac{n}{1 \text{ cm}^{-3}} \right)^{-1/2} \text{ s}$$

$$\omega_p = \omega_{pe} \quad ; \quad \omega_{pi} = \omega_{pe} \sqrt{m_e/m_i}$$

# The dissipation rate in RR

$$\sigma = \frac{B_0^2}{4\pi\rho c^2} \gg 1$$

$$v_A \sim c$$



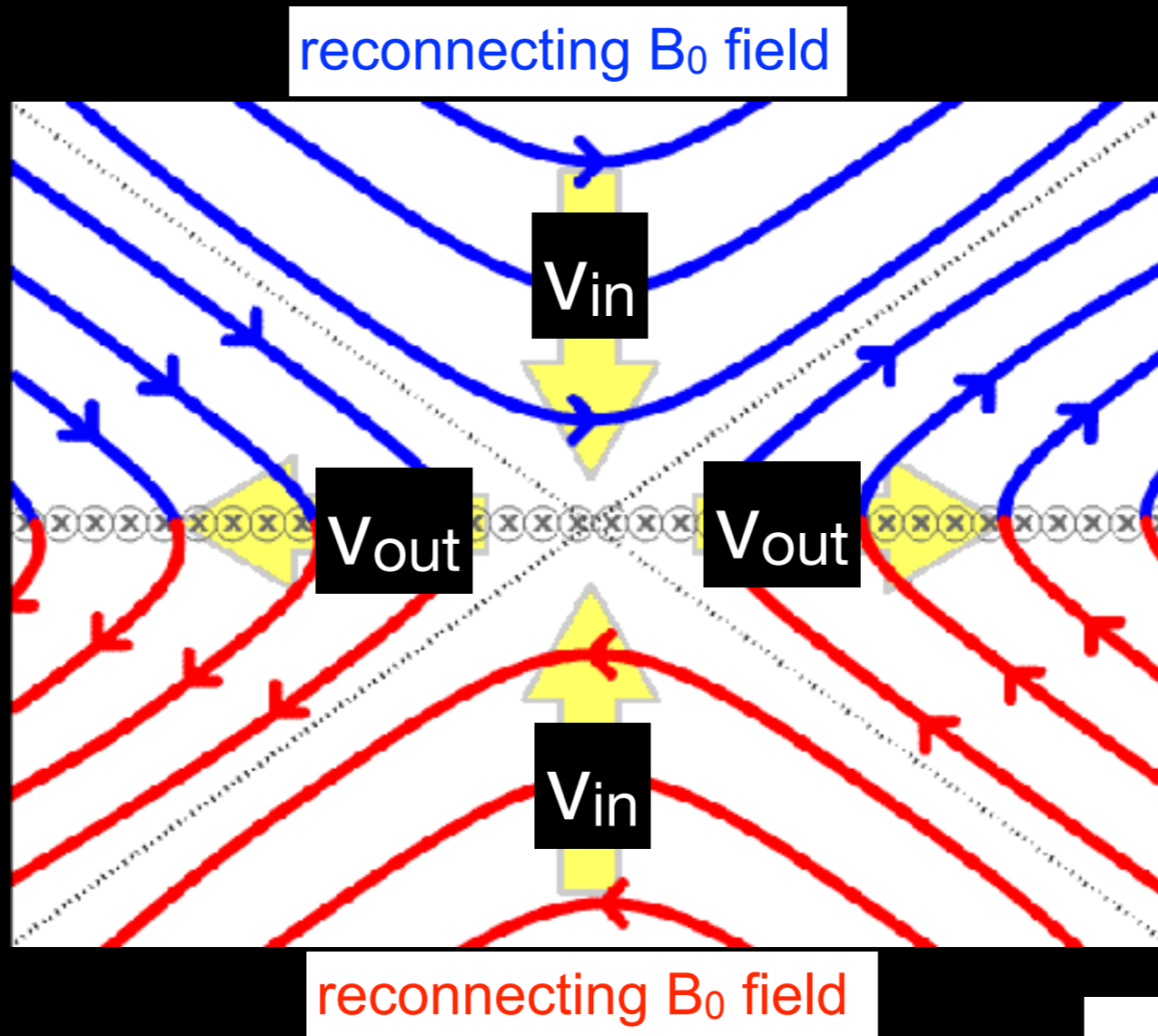
$\odot$     $\odot$     $\odot$   
 $B_g$  : "Guide" (out-of-plane) magnetic field  
 $\odot$     $\odot$     $\odot$

- The plasma flows into the reconnection region with  $v_{in} \sim 0.1v_A \sim 0.1c$
- RR can efficiently dissipate the  $B$ -field energy (at rate  $\sim 0.1 c$ ).

# The energy census in RR

$$\sigma = \frac{B_0^2}{4\pi\rho c^2} \gg 1$$

$$v_A \sim c$$

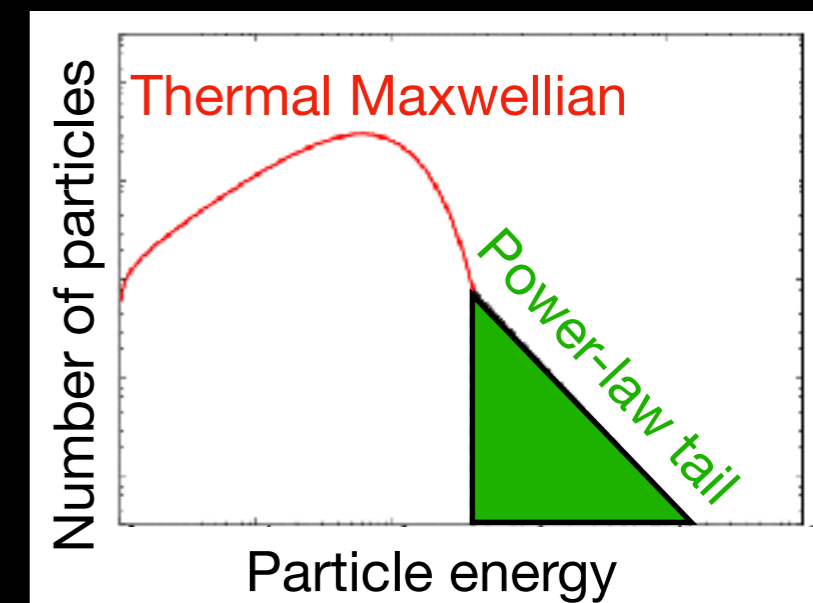


$\odot$     $\odot$     $\odot$   
 $B_g$  : "Guide" (out-of-plane) magnetic field  
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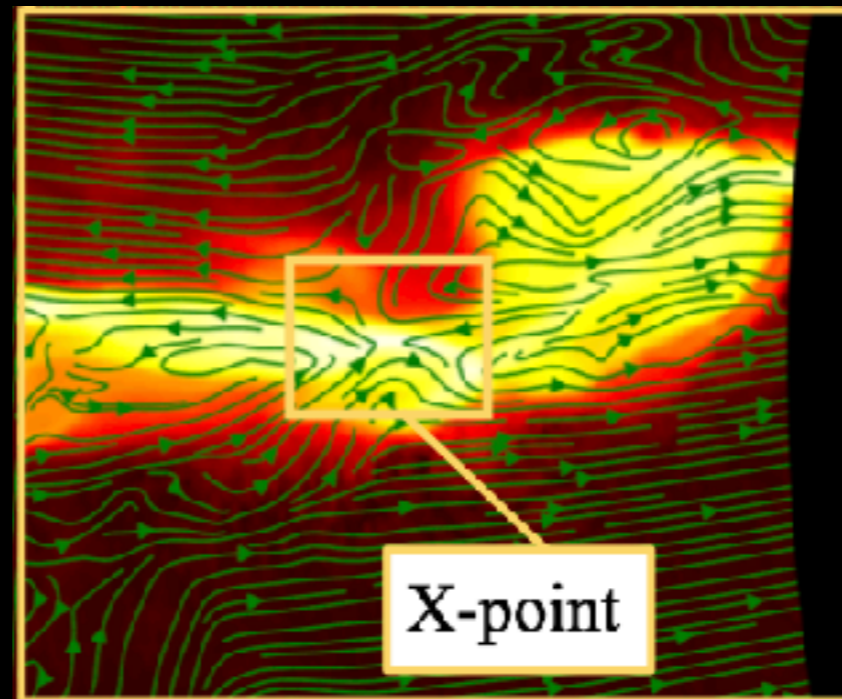
The dissipated  $B$ -field energy results in:

- bulk motions of the outflowing plasma
- non-thermal particles, accelerated via

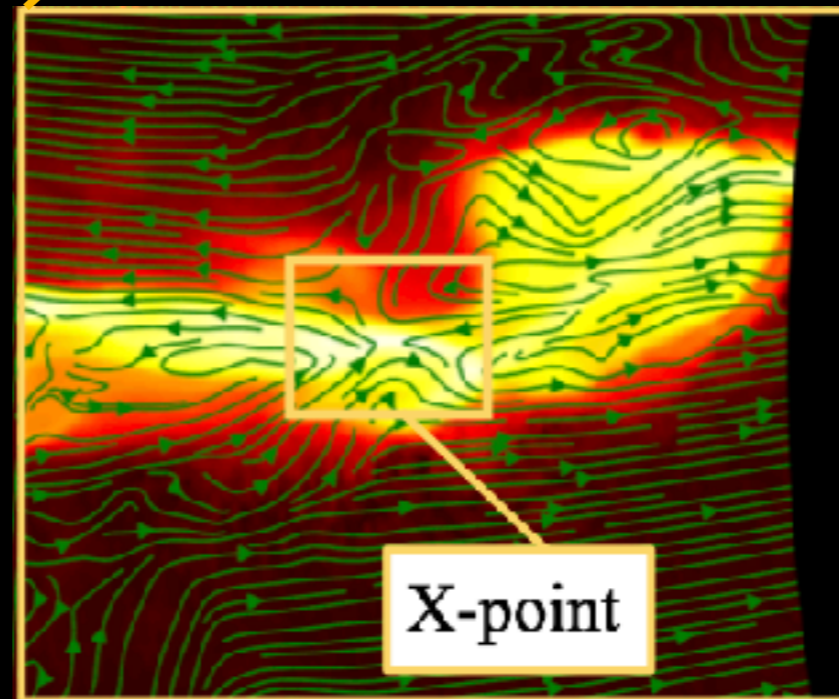
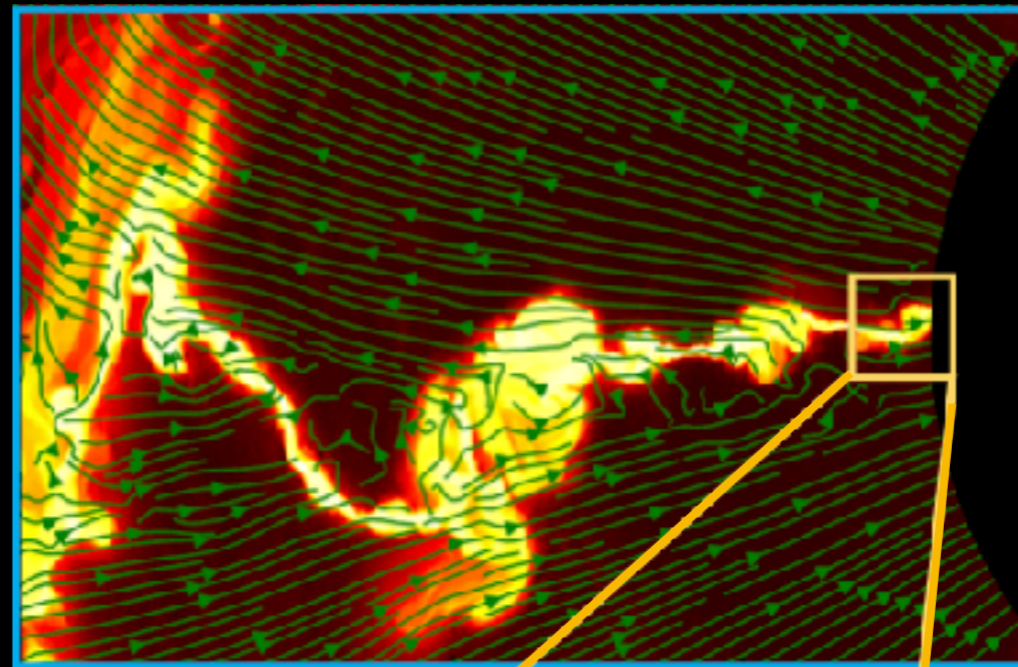
$$E \sim (v_{in}/c) B_0 \sim 0.1 B_0$$

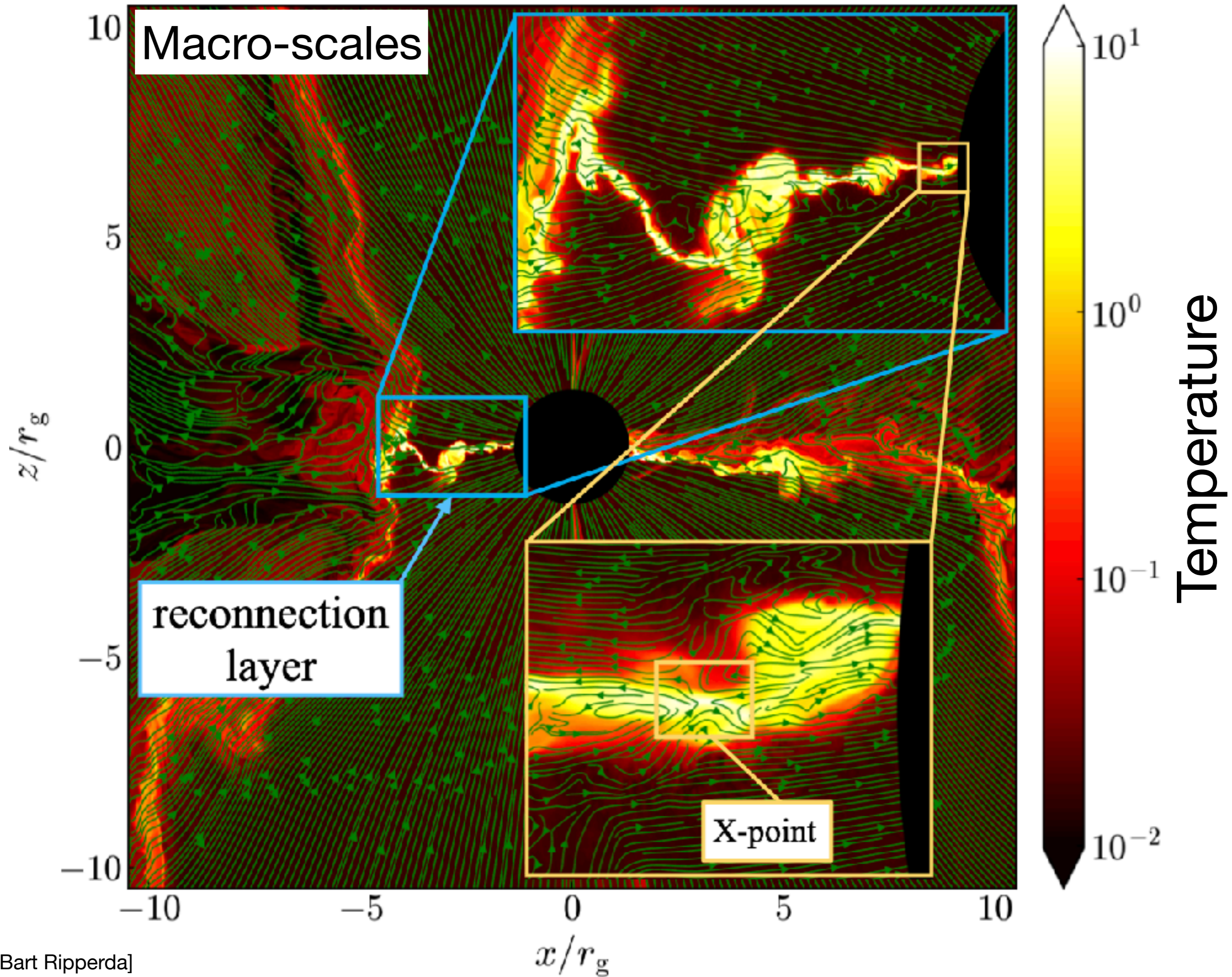


# Micro-scales



# Meso-scales





Micro-scales

# The fluid picture of RR: a slew of instabilities

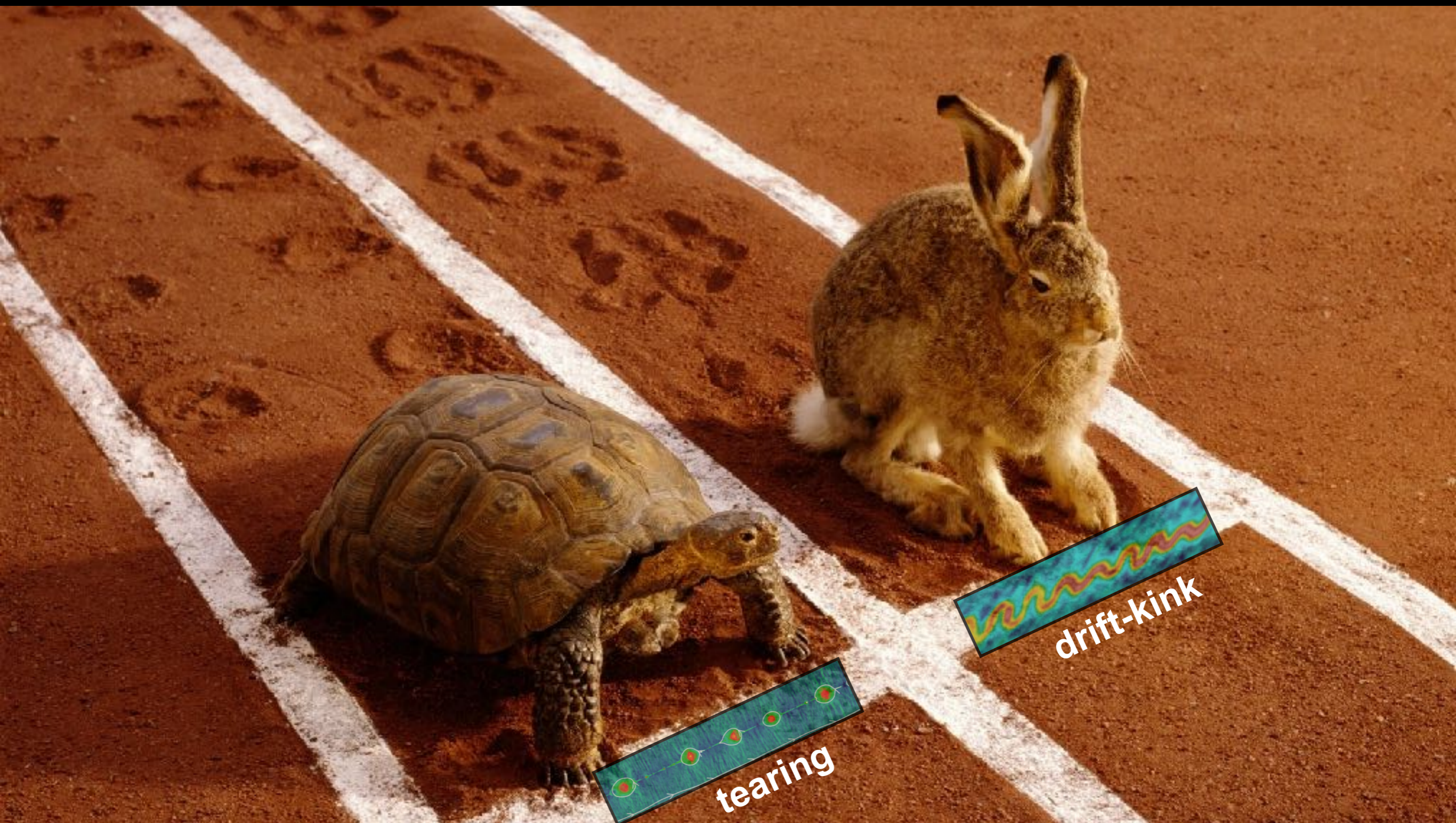
2D

3D

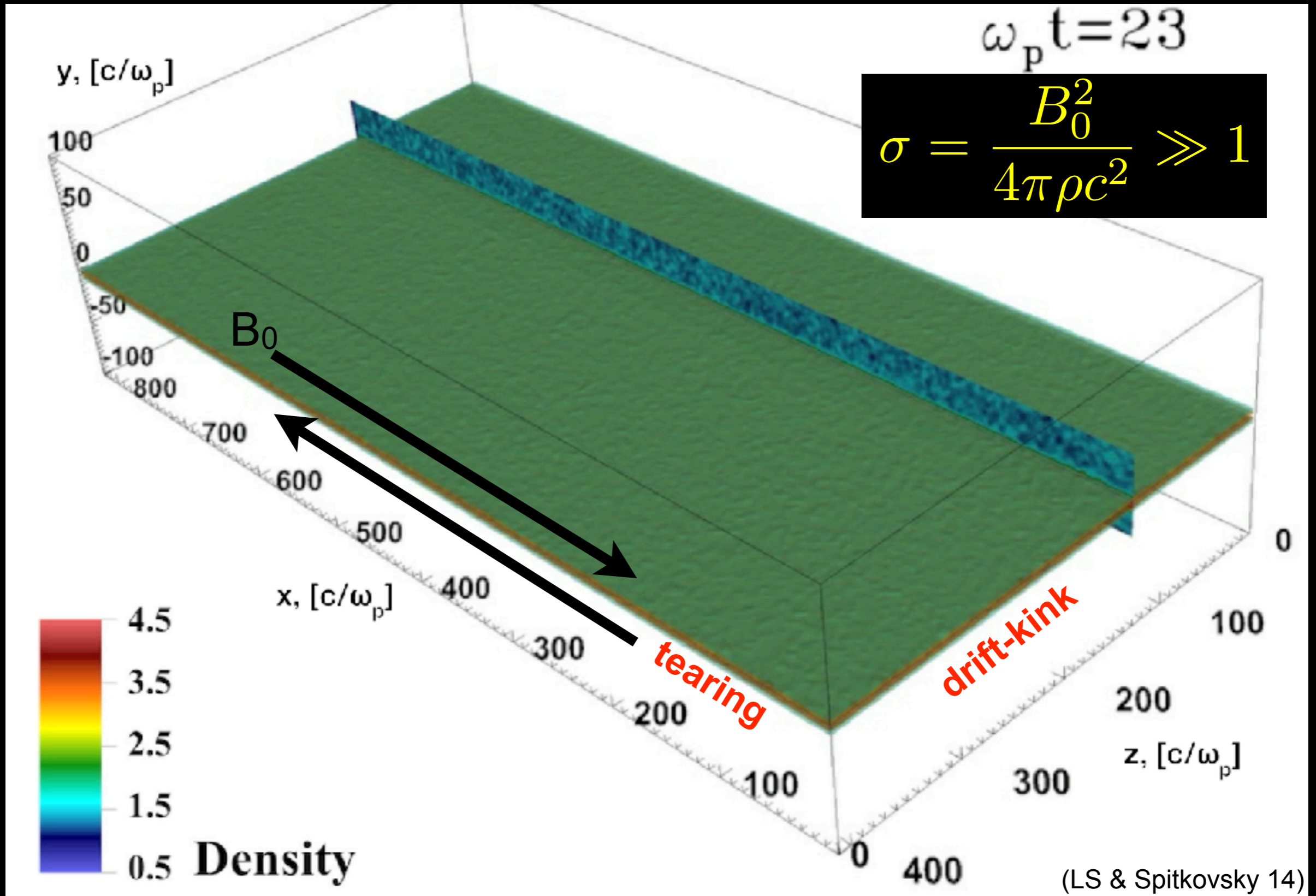
primary

A diagram illustrating the fluid picture of Rayleigh-Rossby instabilities. It features a white background with a black horizontal line and a black vertical line intersecting at the center. The vertical line extends upwards, and the horizontal line extends across the width of the page. The text '2D' is positioned above the vertical line on the left side, and '3D' is positioned above the vertical line on the right side. The word 'primary' is written in black text on the left side, below the horizontal line.

# The tortoise and the hare



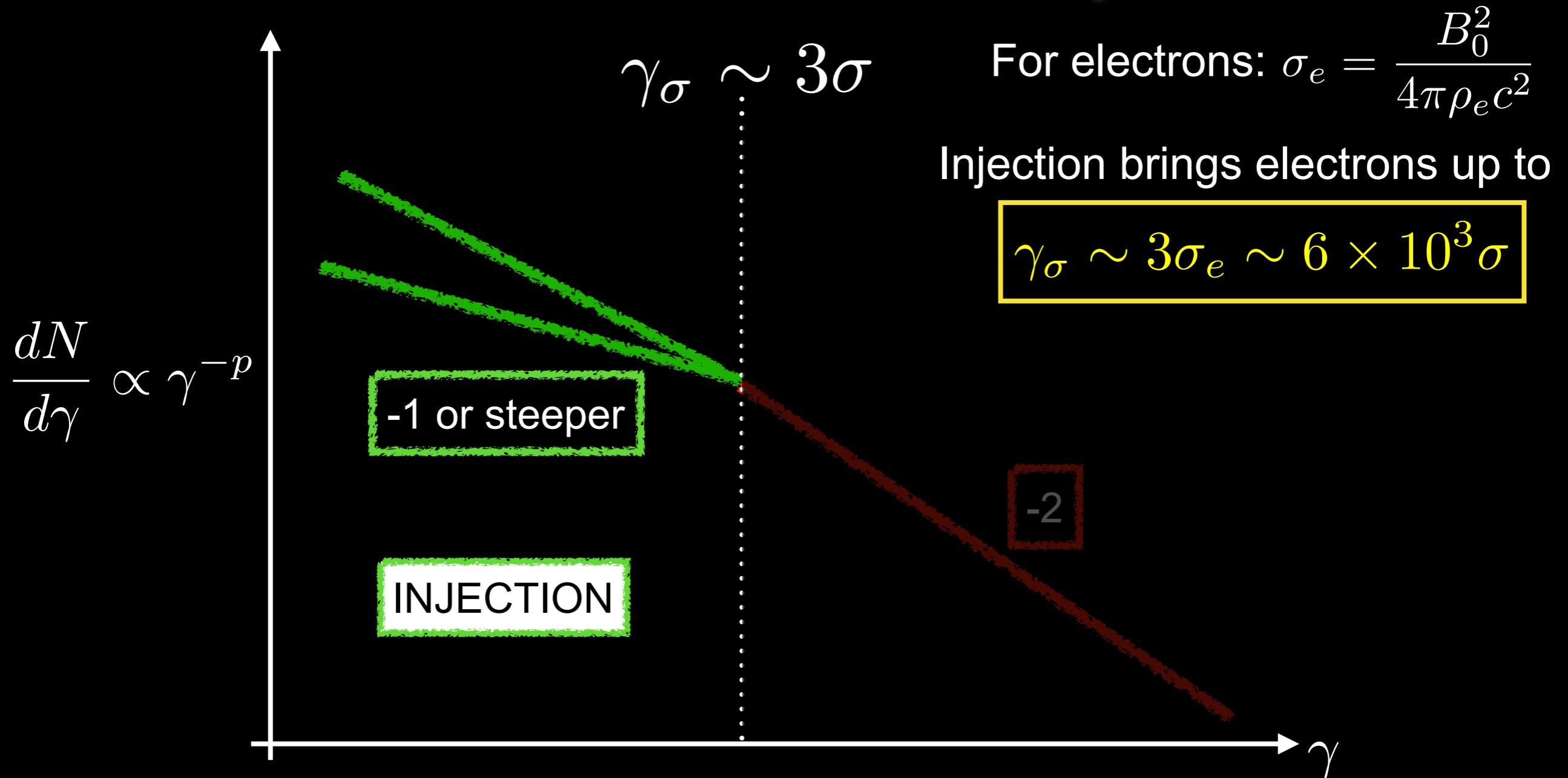
# The tearing mode wins the race



The late-time evolution is dominated by tearing and flux-rope-kink modes

Nonthermal particle acceleration in RR

# Reconnection makes broken power laws



At  $\gamma \lesssim 3\sigma$  "injection" in reconnection leads to  $\sigma$ -dependent slopes, with  $p \gtrsim 1$ .

At  $\gamma \gtrsim 3\sigma$  3D reconnection leads to a  $\sigma$ -independent slope of  $p \sim 2$ .

# Particle injection: from $\gamma \sim 1$ to $\gamma \sim 3\sigma$

In ideal MHD, the electric field is *always*  $\mathbf{E} = -\frac{\mathbf{v}}{c} \times \mathbf{B}$

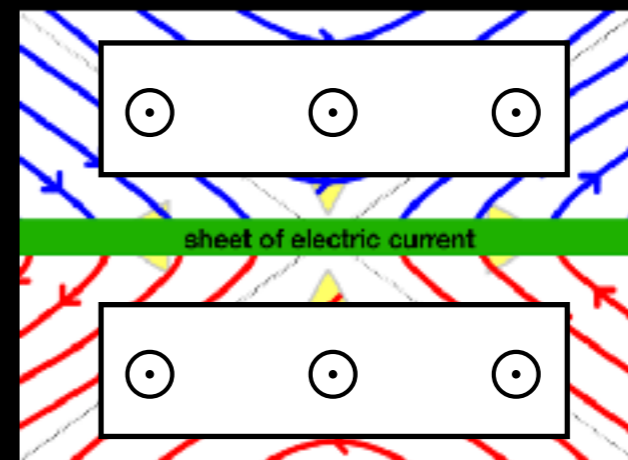
Particles are injected if they interact with non-ideal fields  $\mathbf{E} \neq -\frac{\mathbf{v}}{c} \times \mathbf{B}$

$$E > B$$

for  $B_g/B_0 \lesssim 0.1$

$$E_{\parallel} = \mathbf{E} \cdot \mathbf{B} / B$$

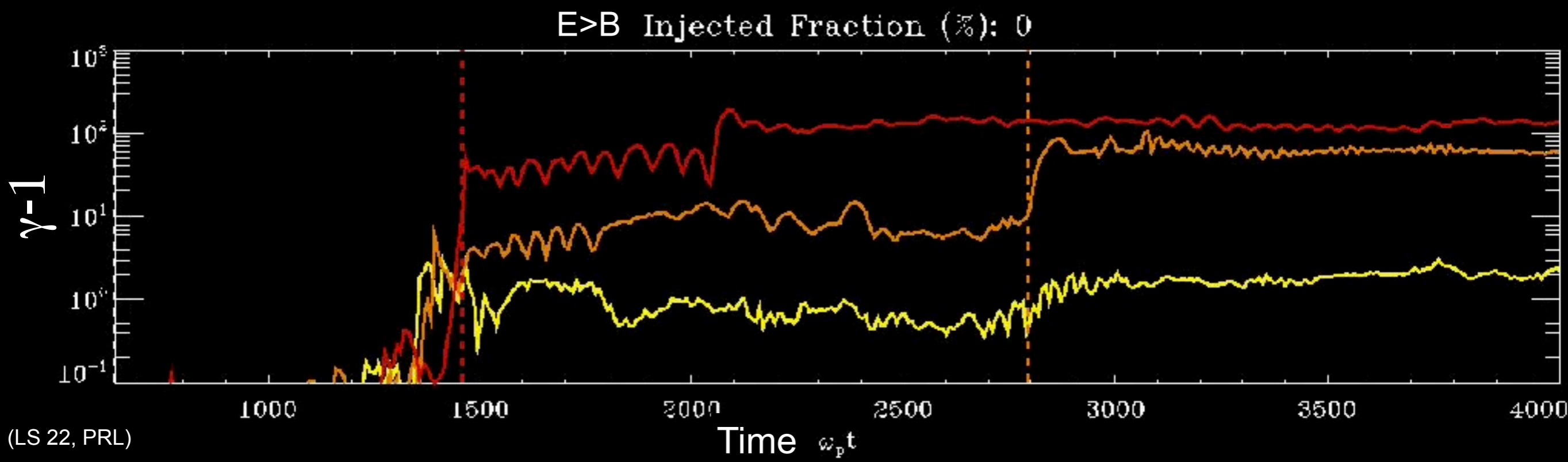
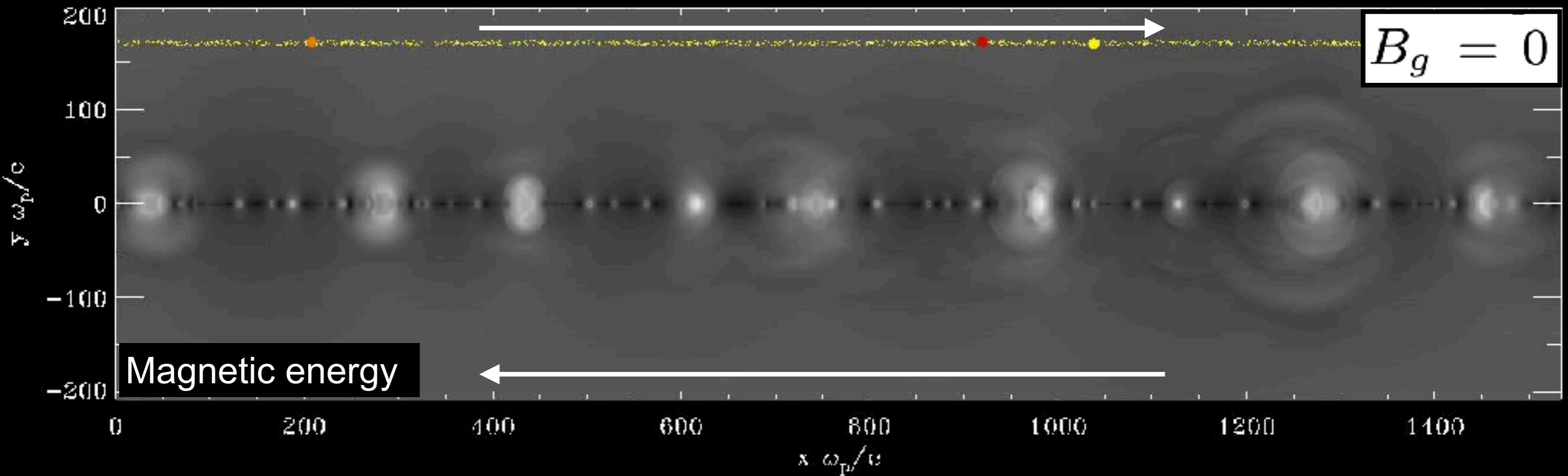
for  $B_g/B_0 \gtrsim 0.1$



$B_g$ : "Guide"  
(out-of-plane)  
magnetic field

# Particle injection: from $\gamma \sim 1$ to $\gamma \sim 3\sigma$

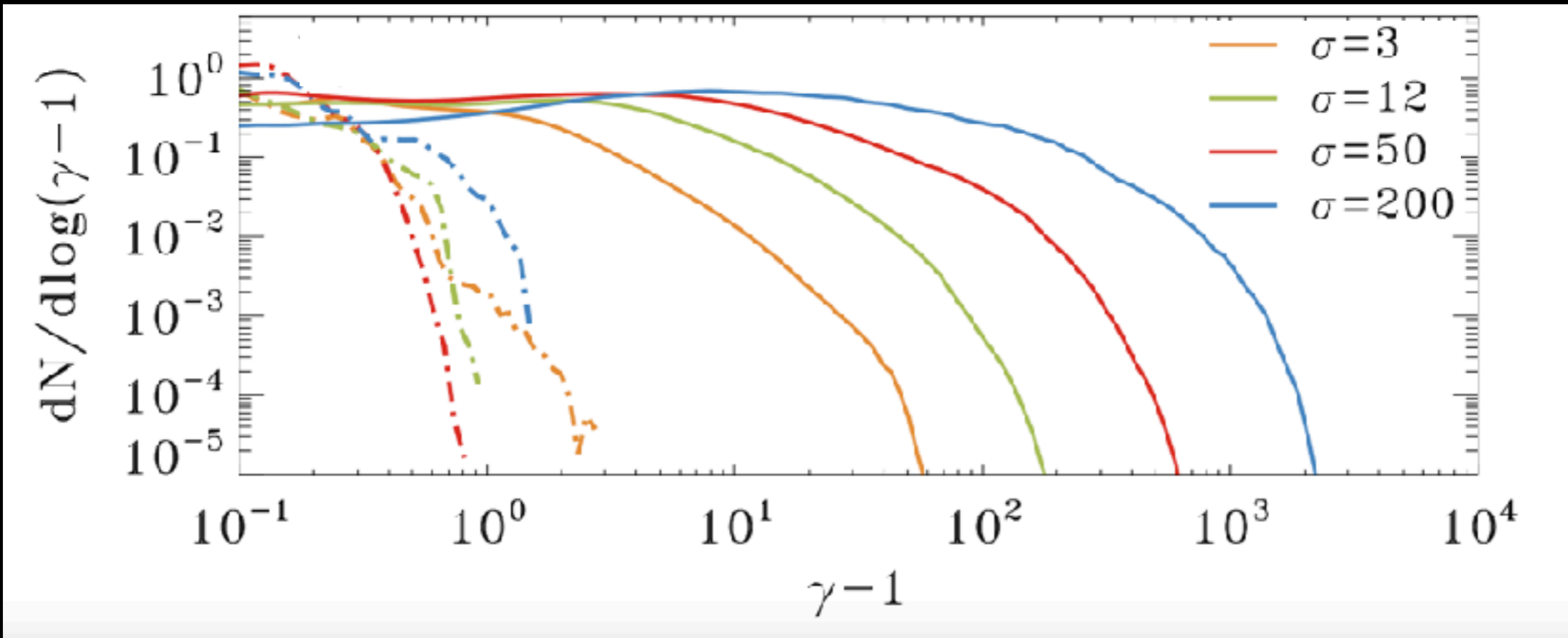
Particles are injected if they interact with non-ideal fields  $\mathbf{E} \neq -\frac{\mathbf{v}}{c} \times \mathbf{B}$



# How to (artificially) inhibit particle injection?

*Test-particles: evolved like regular particles, but they do not contribute to the current.*

$$B_g = B_0$$



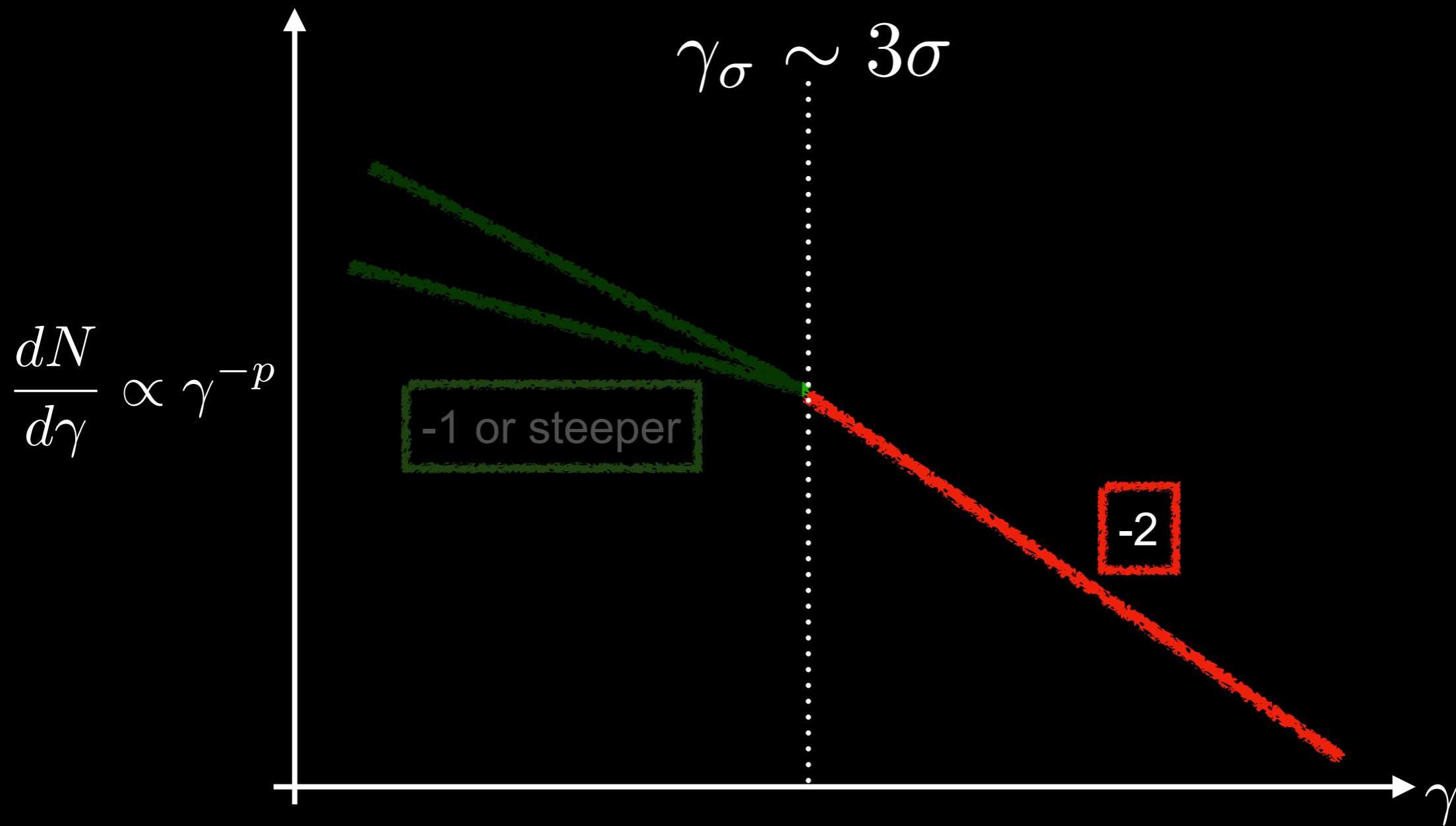
(LS 22, PRL;  
French+23, 25)

Solid: spectrum of *regular particles*.

Dot-dashed: spectrum of *testparticles* evolved without  $E_{\parallel} = \mathbf{E} \cdot \mathbf{B}/B$

⇒ Injection by non-ideal fields is a necessary prerequisite for further acceleration.

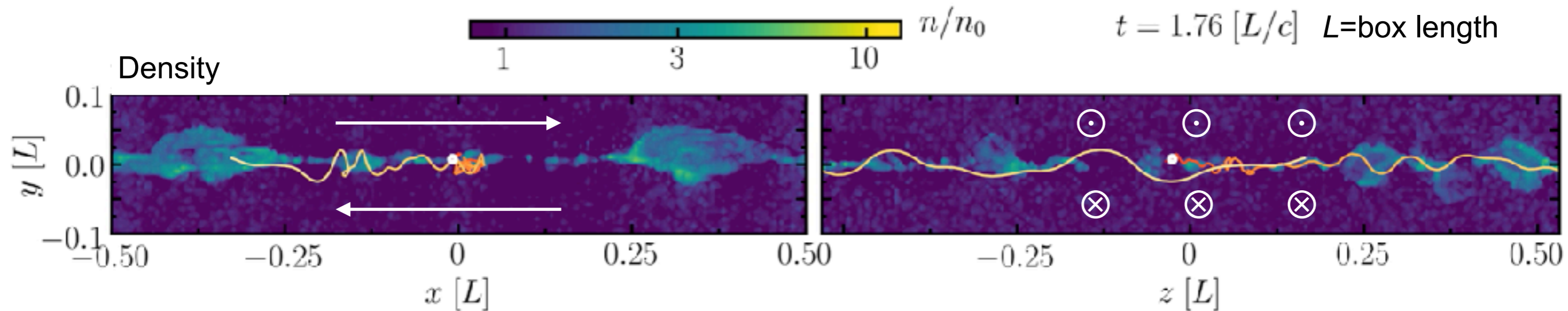
# Reconnection makes broken power laws



At  $\gamma \lesssim 3\sigma$  “injection” in reconnection leads to  $\sigma$ -dependent slopes, with  $p \gtrsim 1$ .

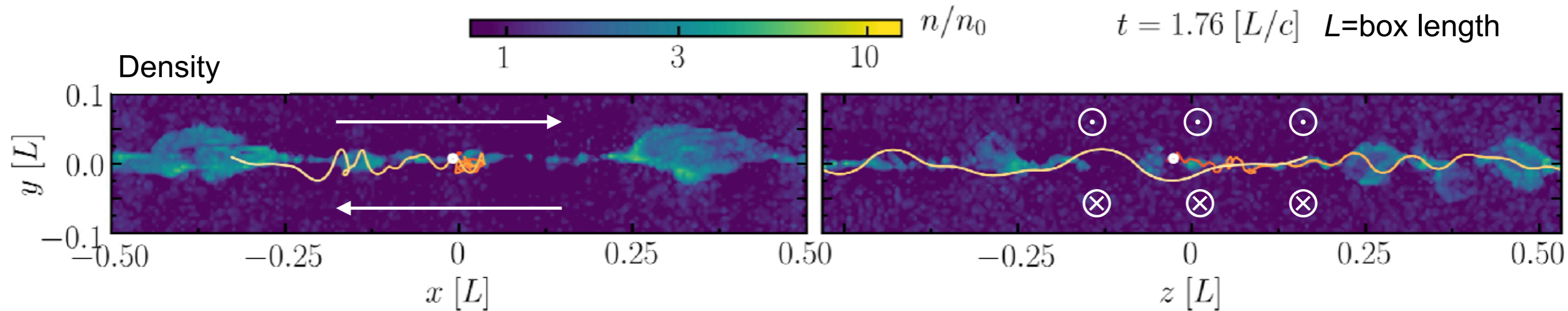
At  $\gamma \gtrsim 3\sigma$  3D reconnection leads to a  $\sigma$ -independent slope of  $p \sim 2$ .

# Particle acceleration to $\gamma \gg 3\sigma$

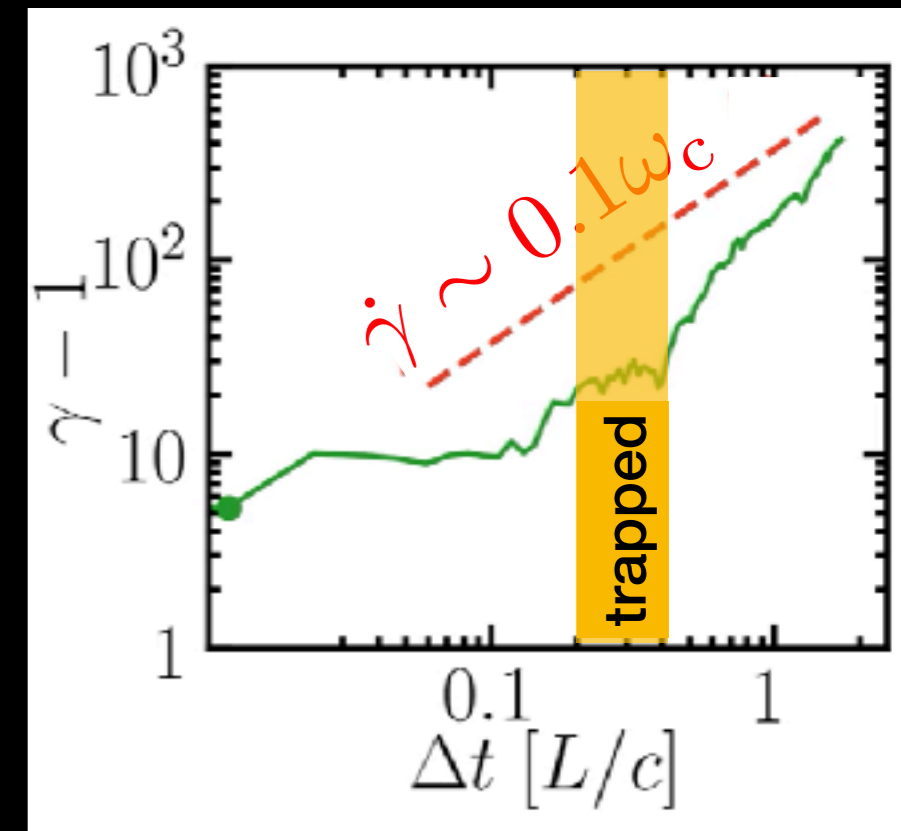


- In 3D, some particles escape *out of* the reconnected plasma and swim “freestyle” around the reconnection layer.

# Particle acceleration to $\gamma \gg 3\sigma$



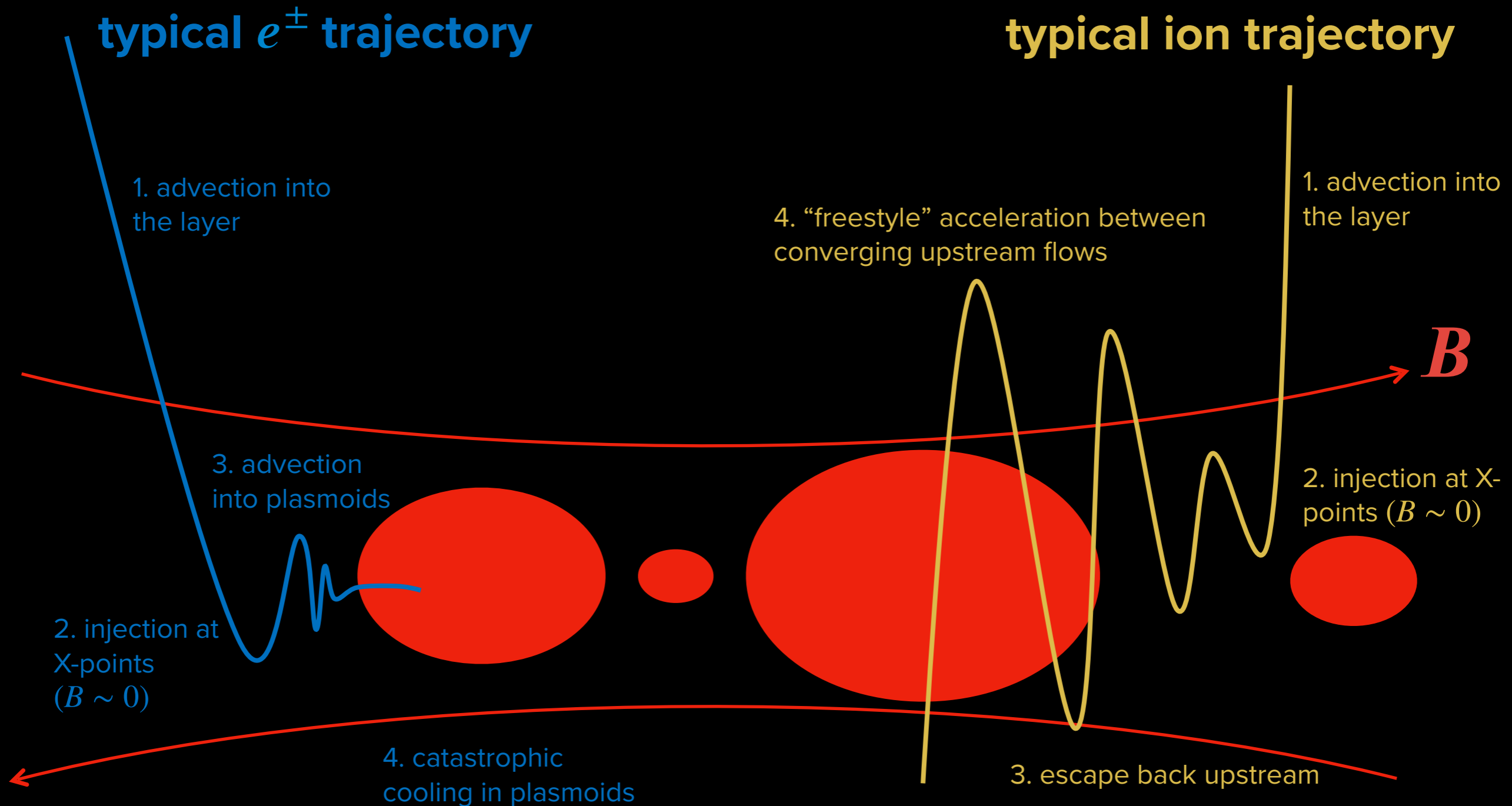
- In 3D, some particles escape *out of* the reconnected plasma and swim “freestyle” around the reconnection layer.
- They get accelerated linearly in time by the large-scale ideal electric field in the inflow region.
- The energy gain rate approaches  $\sim eE c$   
 $\sim 0.1eB_0 c$



(Zhang, LS, Giannios 21, 23;  
Chernoglazov+ 23)

# Pair-ion relativistic reconnection

- Pairs dominate in number and rest mass. They are strongly cooled ( $\gamma_{\text{rad}}^{\pm}/\sigma \ll 1$ ).
- Ions are not subject to cooling.

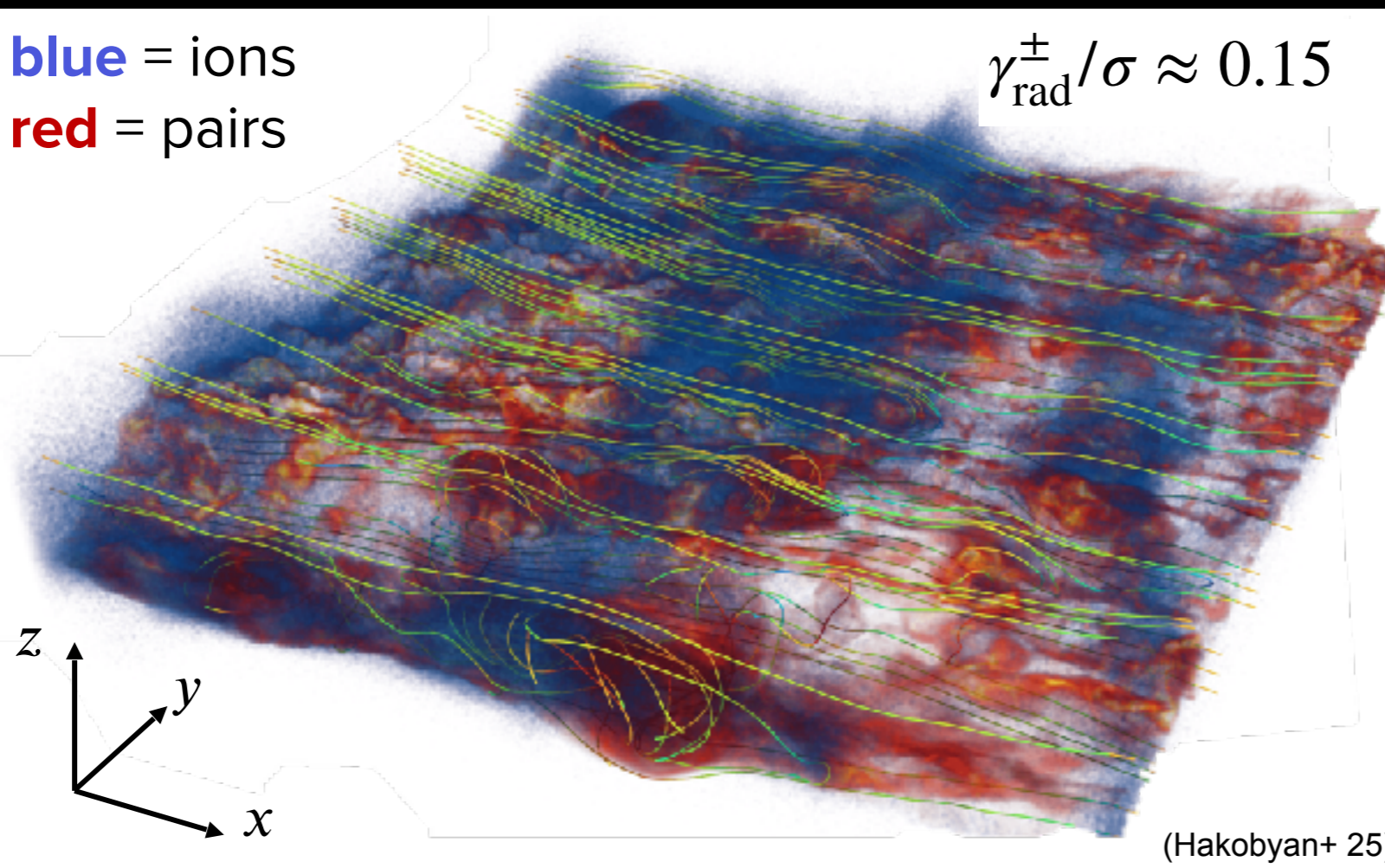


# Pairs and ions decouple

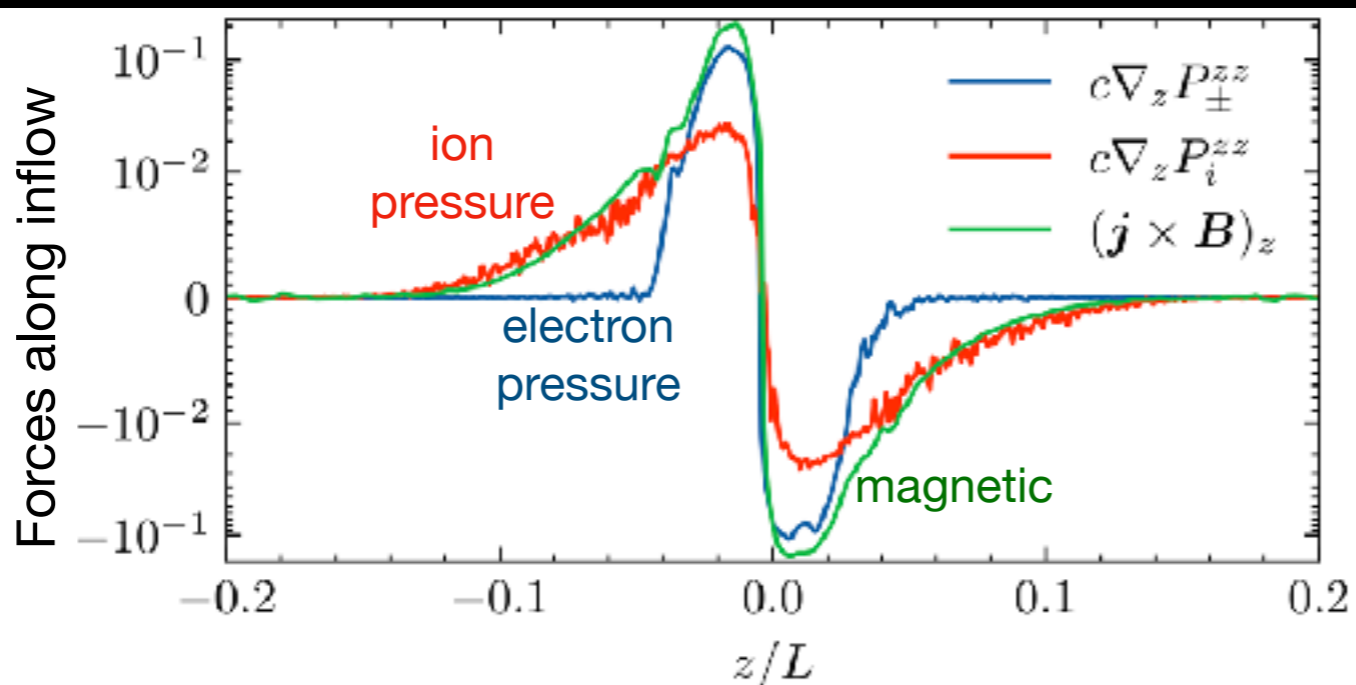
Ion-to-electron *mass density* ratio=0.25

blue = ions  
red = pairs

$$\gamma_{\text{rad}}^{\pm} / \sigma \approx 0.15$$

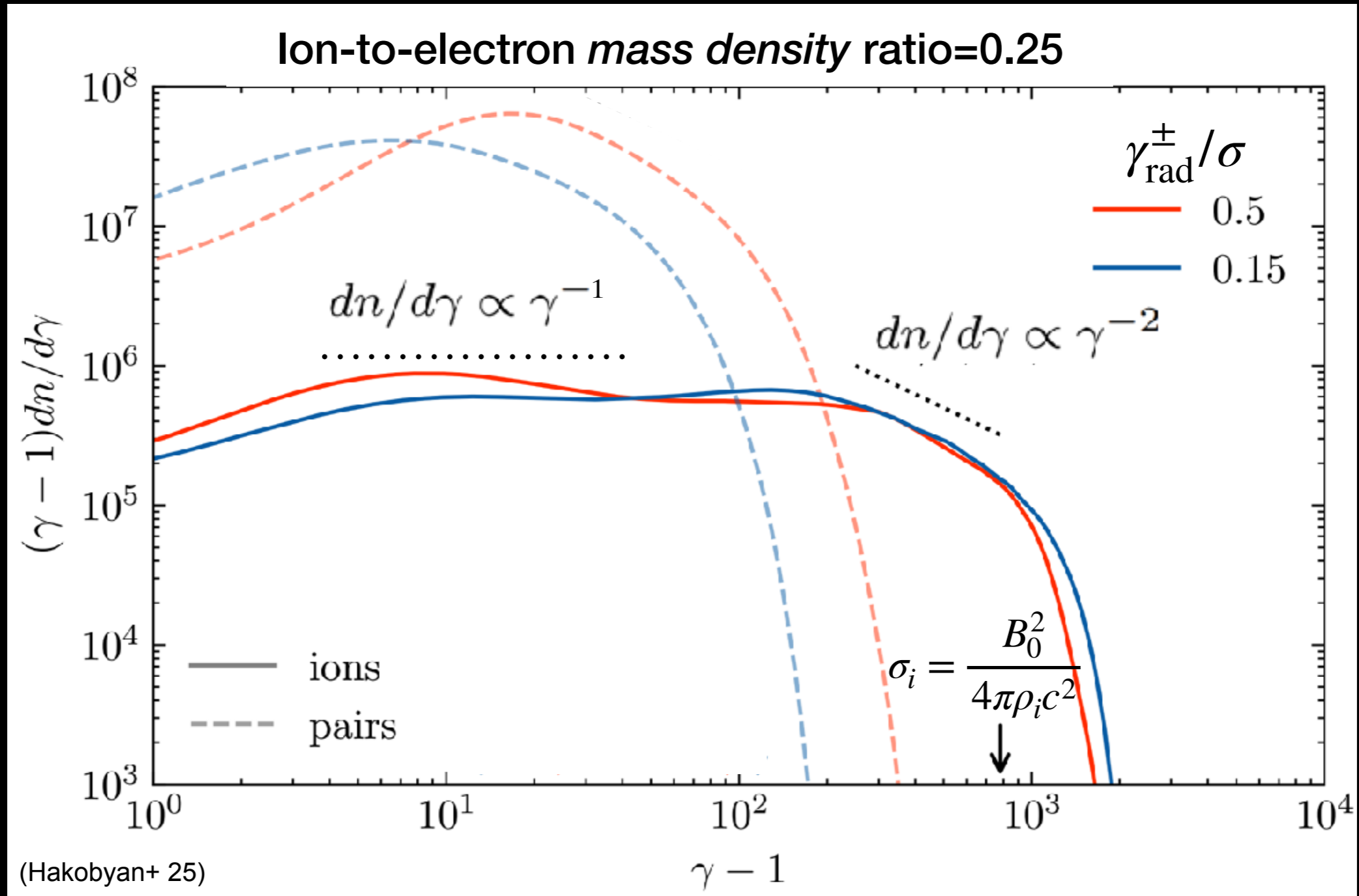


- Pairs and ions are decoupled.



- Far from the midplane, magnetic stresses are in force balance with *ion* pressure gradients.

# The ion spectrum in pair-ion reconnection

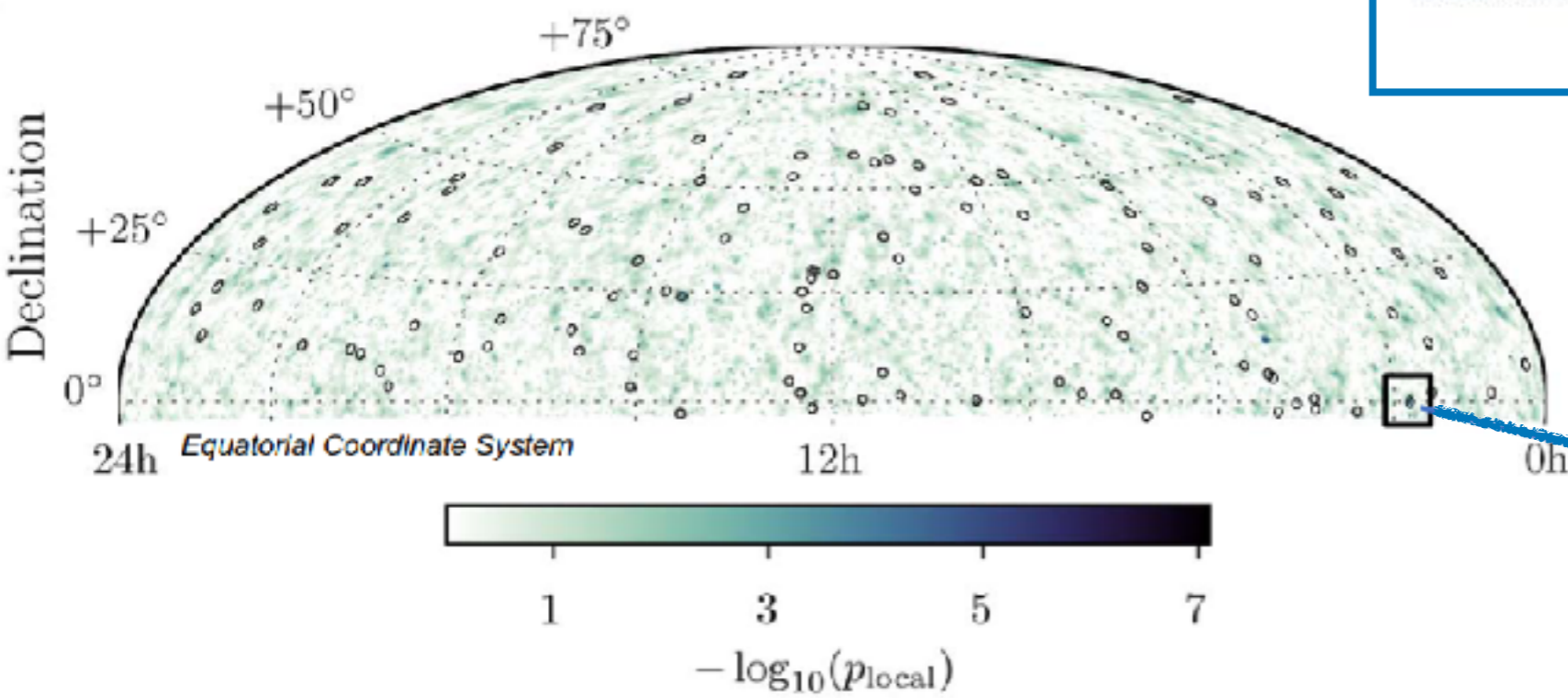
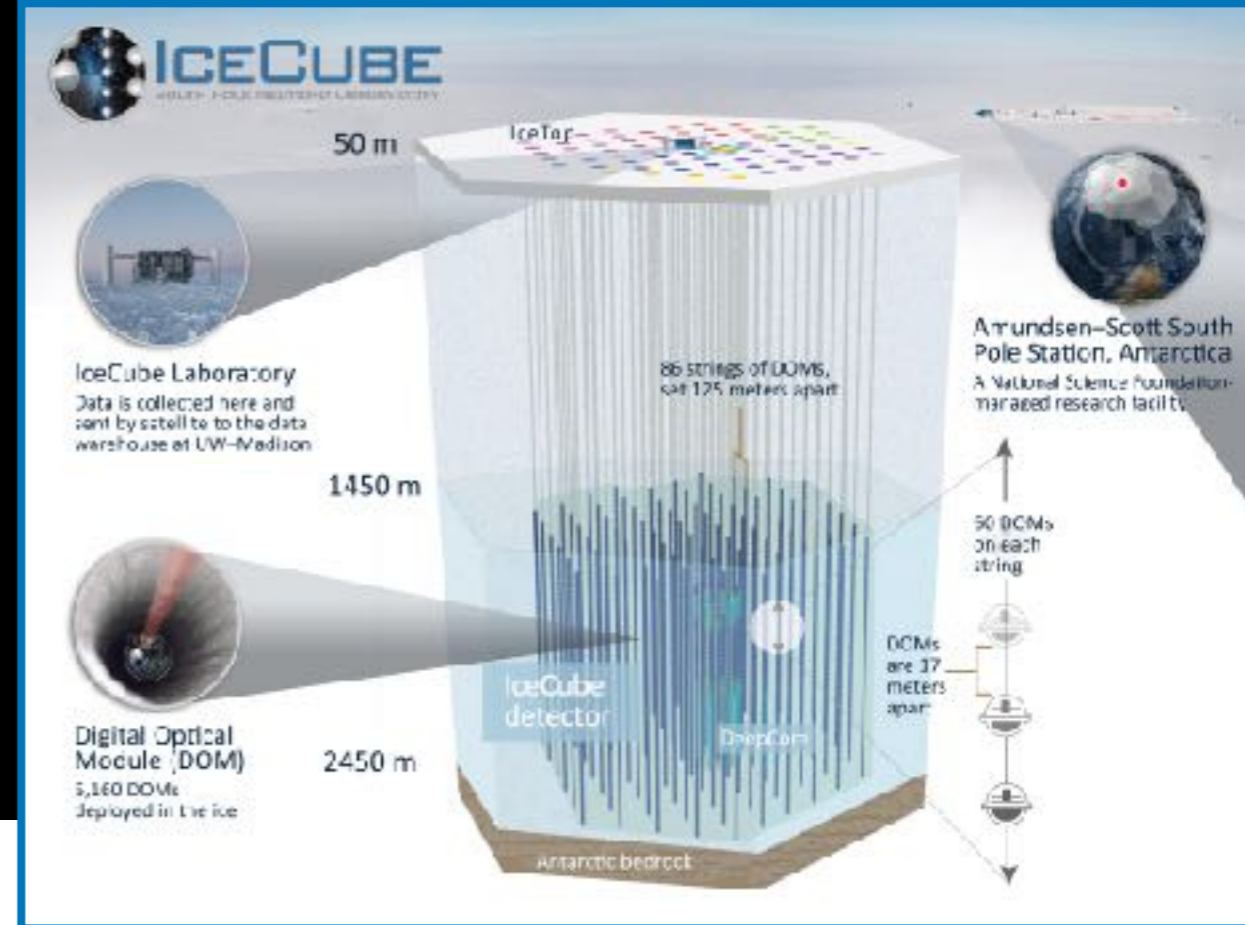


The ion spectrum is a broken power law:

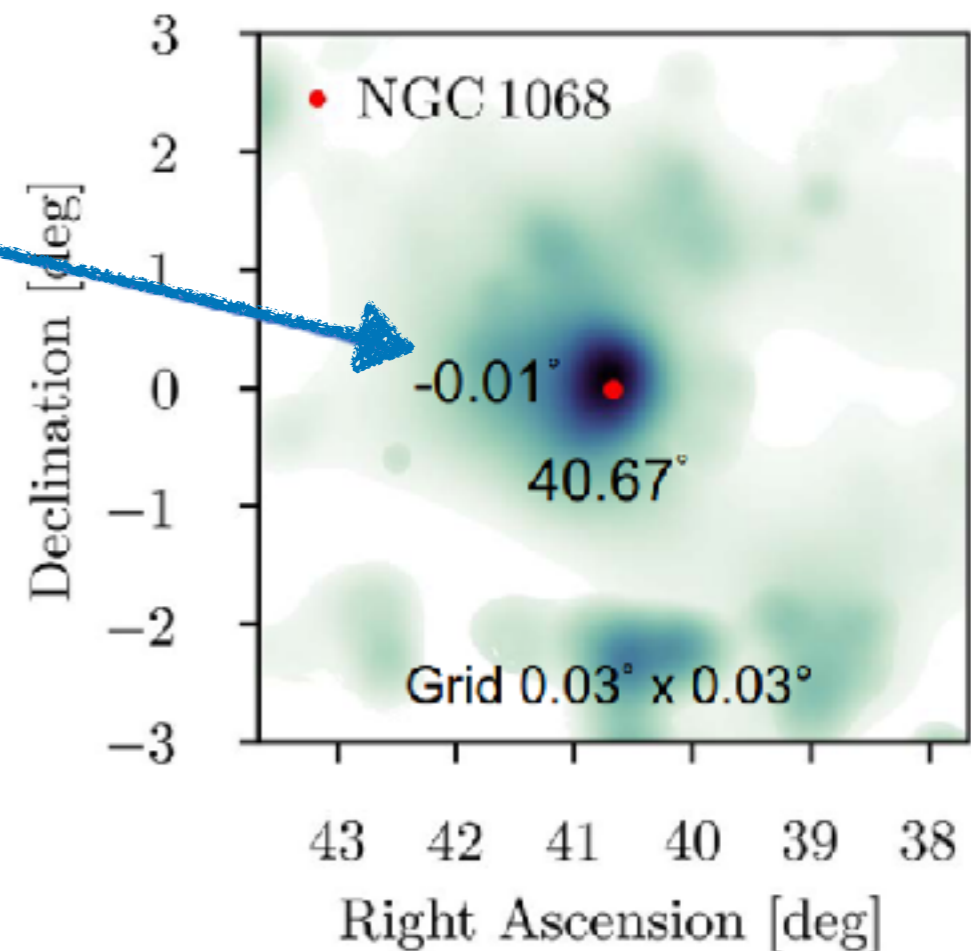
- The low-energy slope is  $-1$ , the high-energy slope is  $-2$ .
- The break Lorentz factor is  $\sim 0.2 \sigma_i \rightarrow$  near-equipartition with magnetic energy

Proton acceleration in RR:  
implications for TeV neutrinos

# A "hot spot" in the IceCube neutrino sky

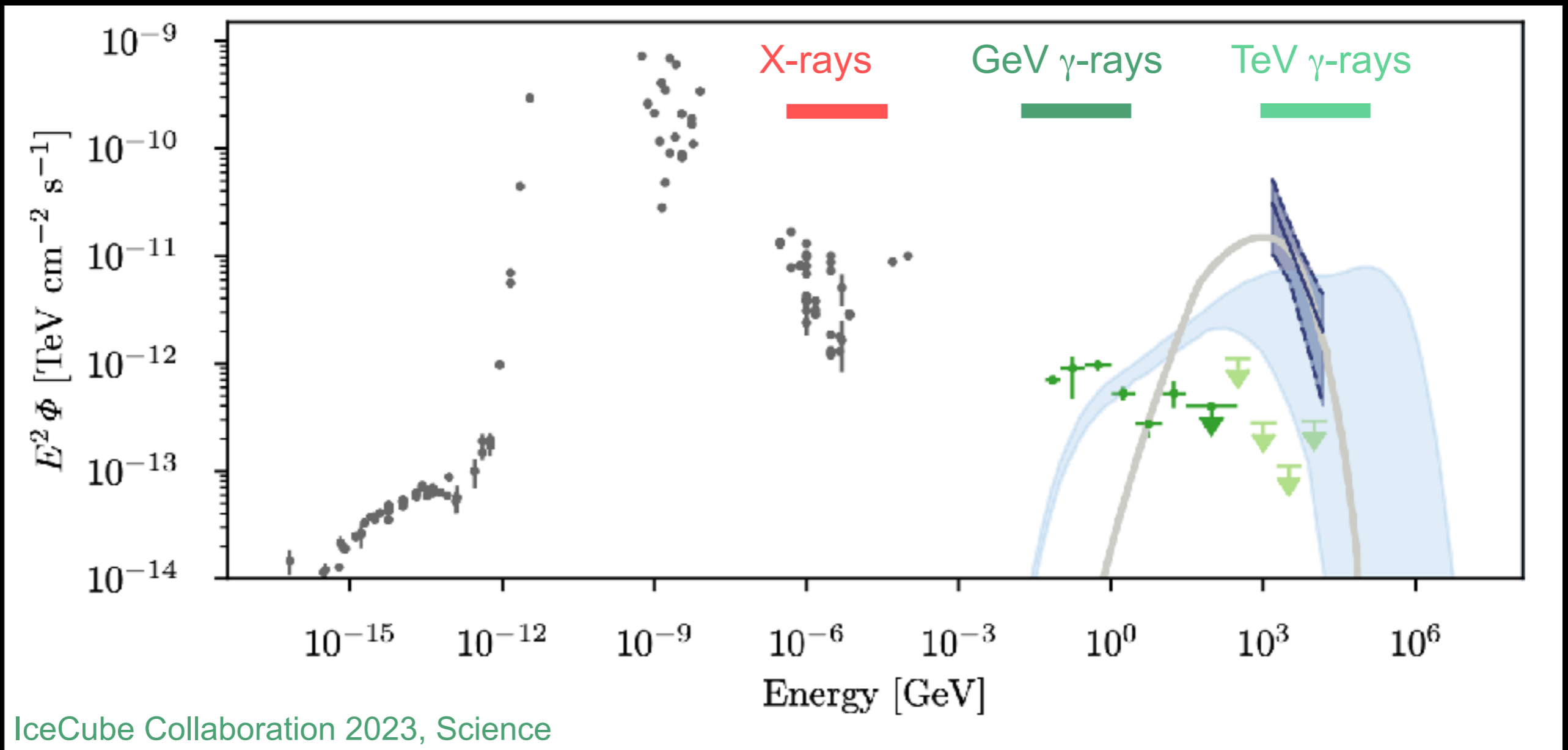


[IceCube Collab. 2023, Science]



Astrophysical neutrinos from the Seyfert galaxy NGC 1068.

# Multi-messenger observations



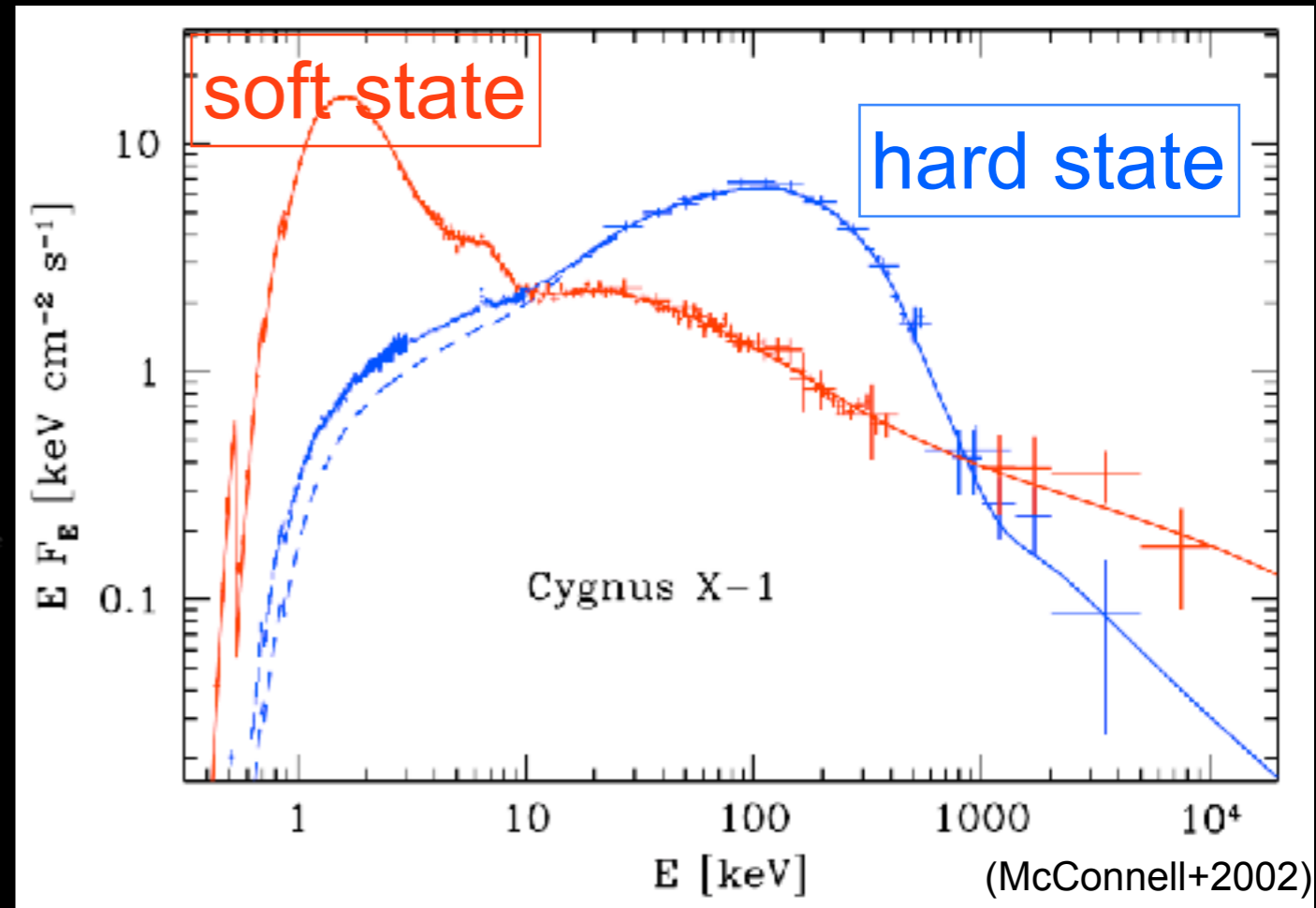
- $L_\nu \sim (0.8 - 4) \times 10^{42}$  ergs/s [all flavor]

- $E_{\nu,\text{pk}} \sim \text{TeV}$

- $L_X \sim 3_{-2}^{+3} \times 10^{43}$  ergs/s [2-10 keV] of “coronal” origin

- GeV and TeV luminosity  $\ll L_\nu$

# What/Where is the black hole (BH) corona?

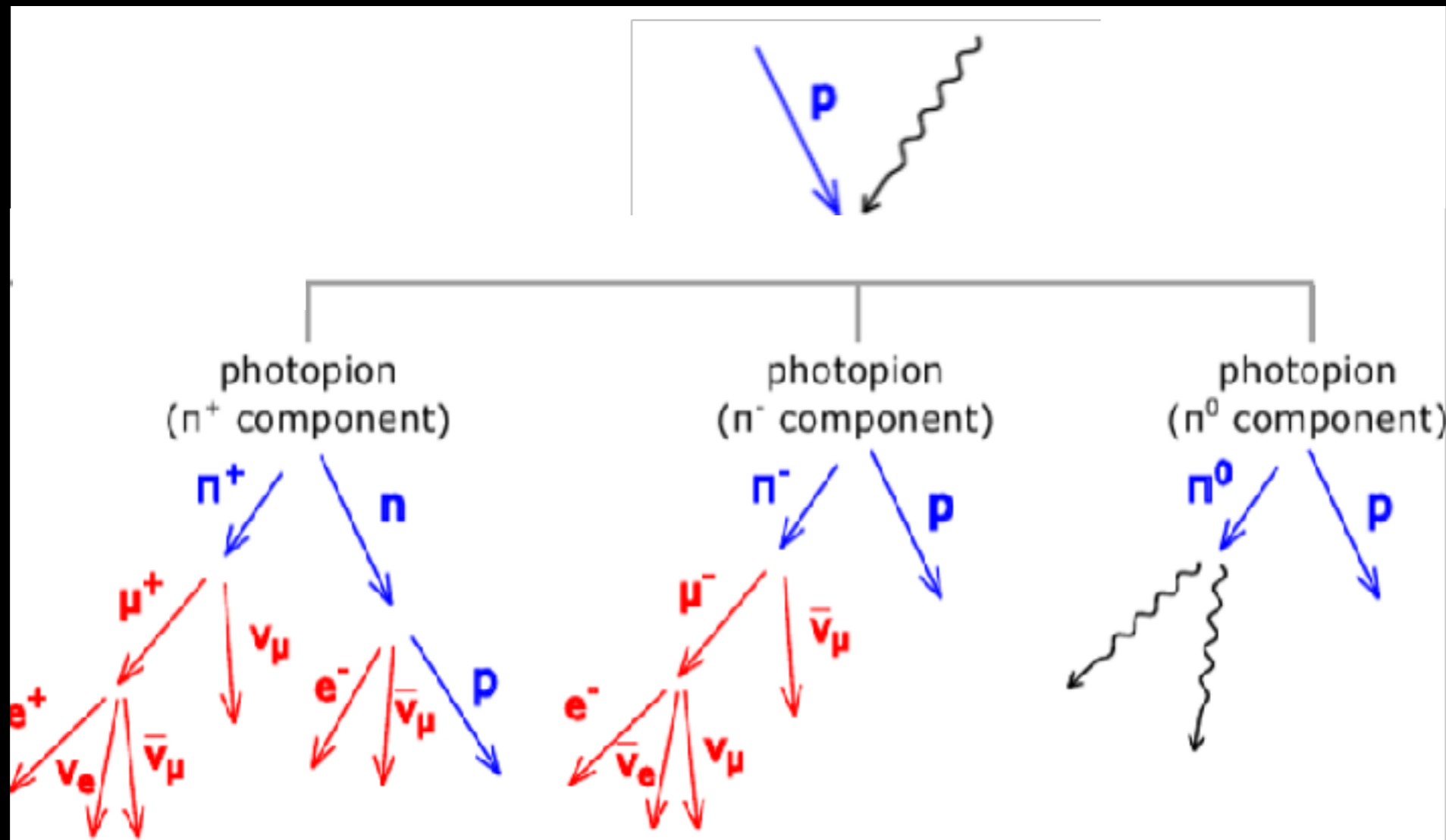


**Soft state:** thermal emission from the BH accretion disk.

**Hard state:** soft disk photons are scattered to higher energies by “coronal” electrons with temperature  $\sim 100$  keV.

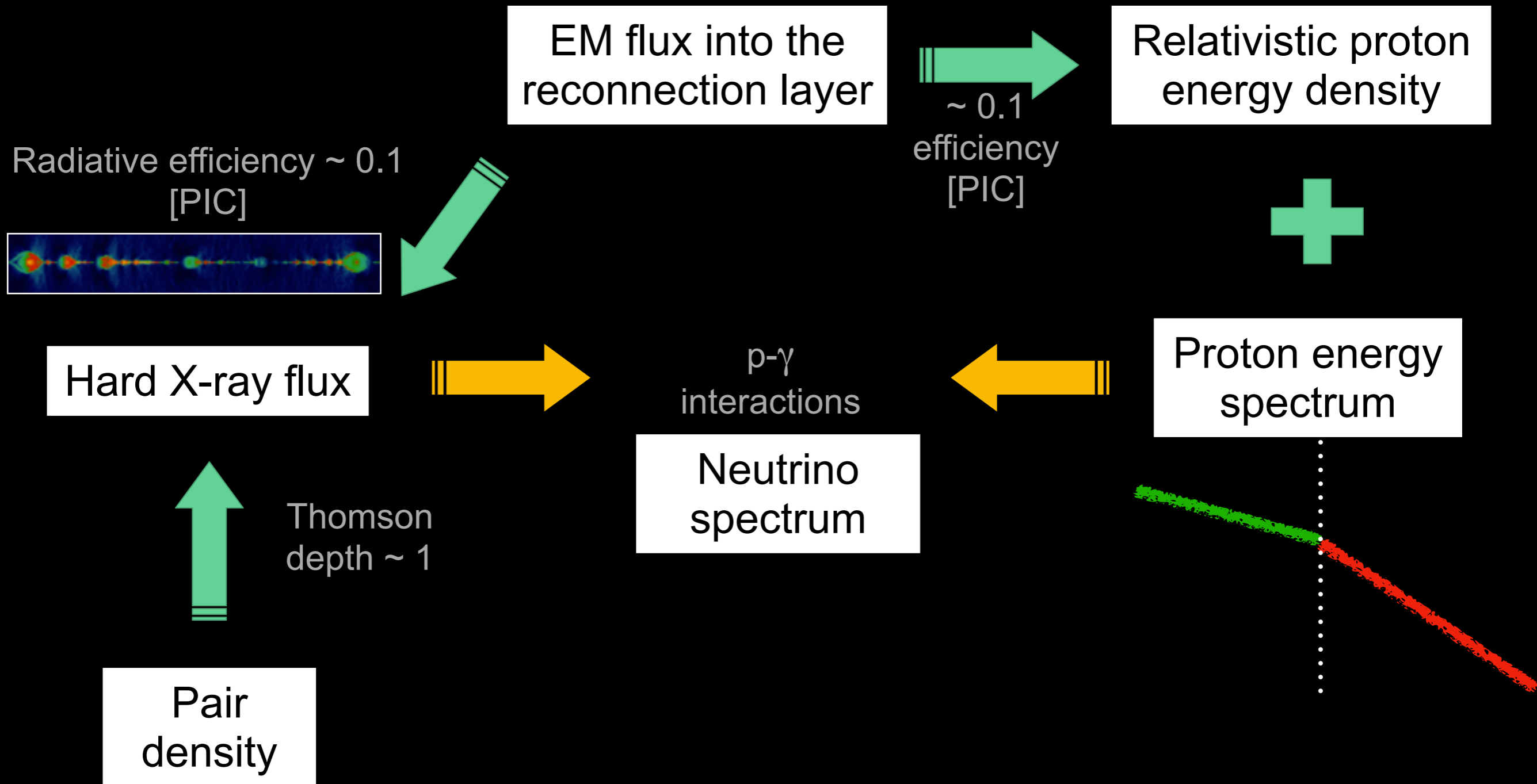
# Neutrino production

High-energy neutrinos require high-energy protons.

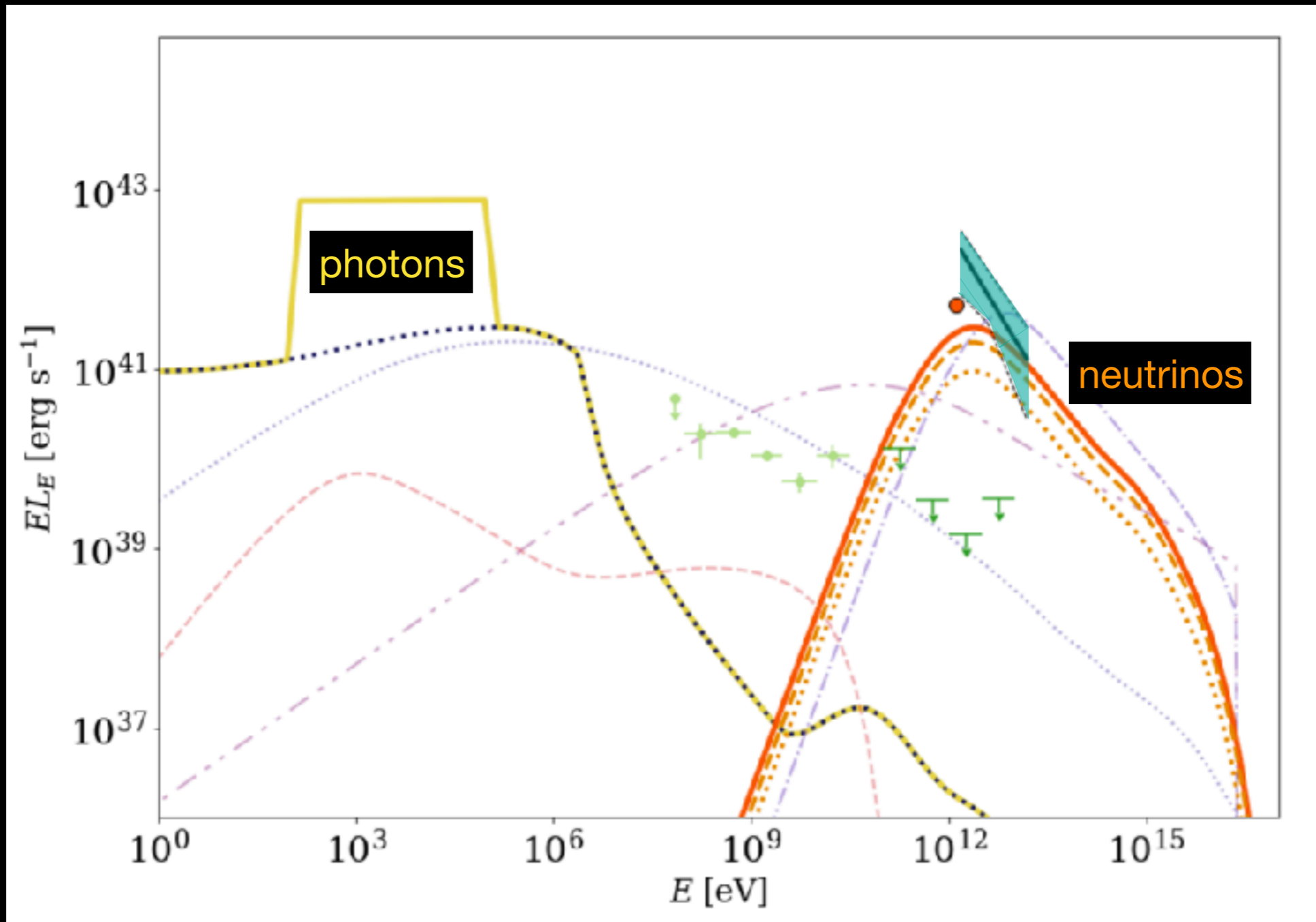


The hadronic production of neutrinos should give comparable neutrino and gamma-ray luminosities.

# A reconnection-based coronal model



# Neutrino and photon spectra



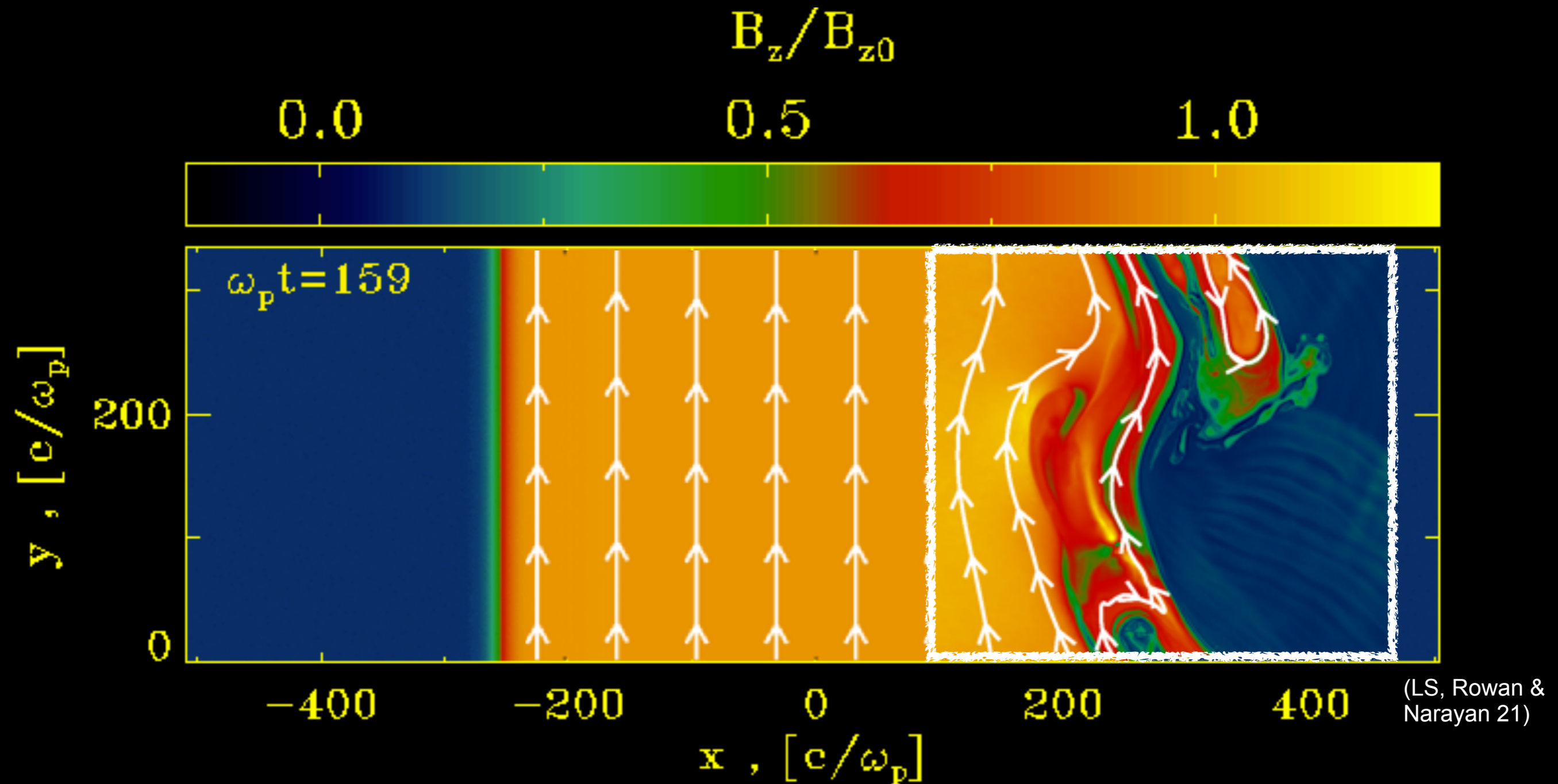
(Fiorillo+ 24,  
Karavola+ 25)

- The neutrino-producing “corona” is compact ( $\sim$  few  $r_g$ ) and pair-dominated.
- GeV-TeV photons of hadronic origin are absorbed locally.

They cascade to MeV energies and result in pairs that naturally account for  $\tau_T \sim 1$

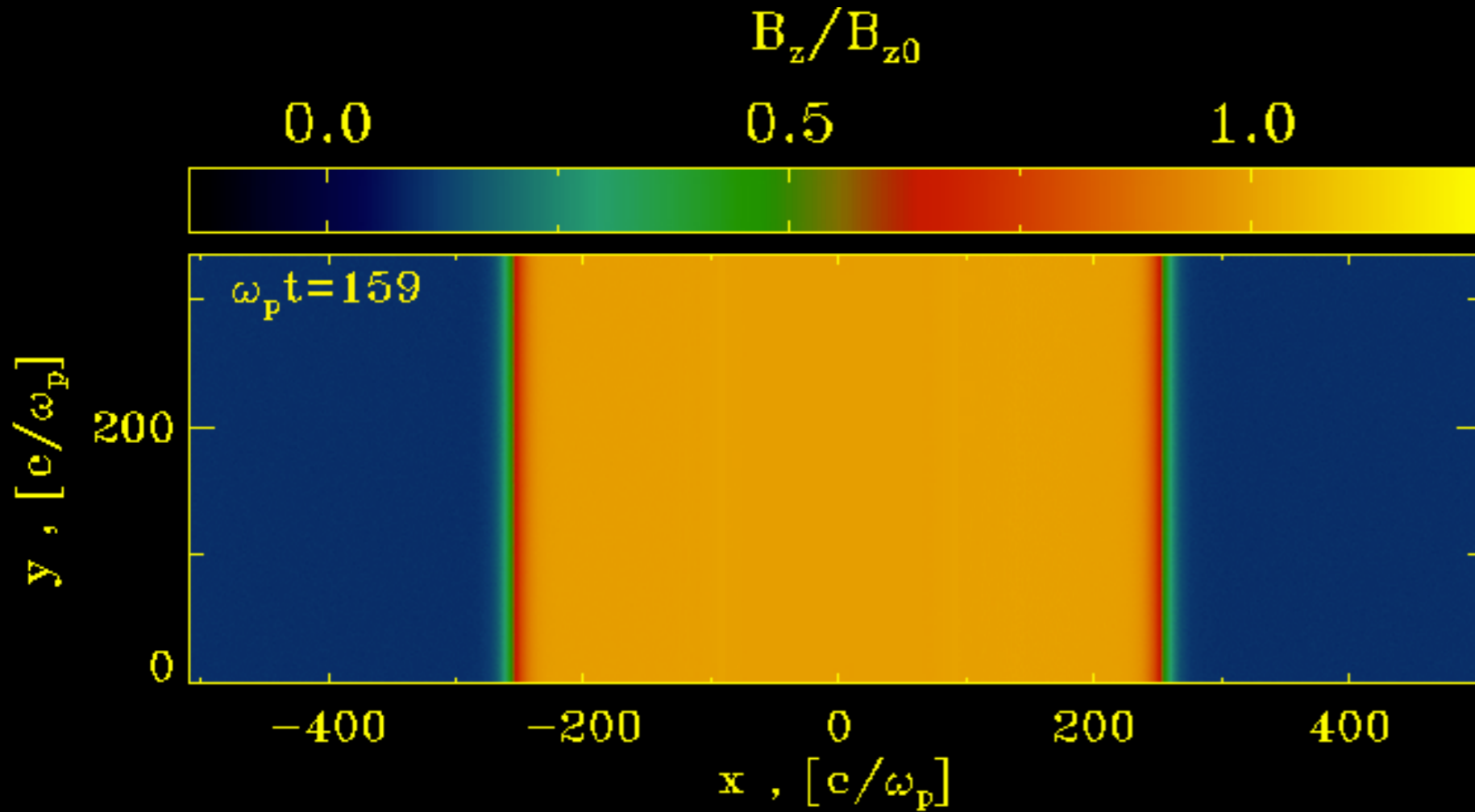
**Meso-scales**

# RR as by-product of MHD instabilities

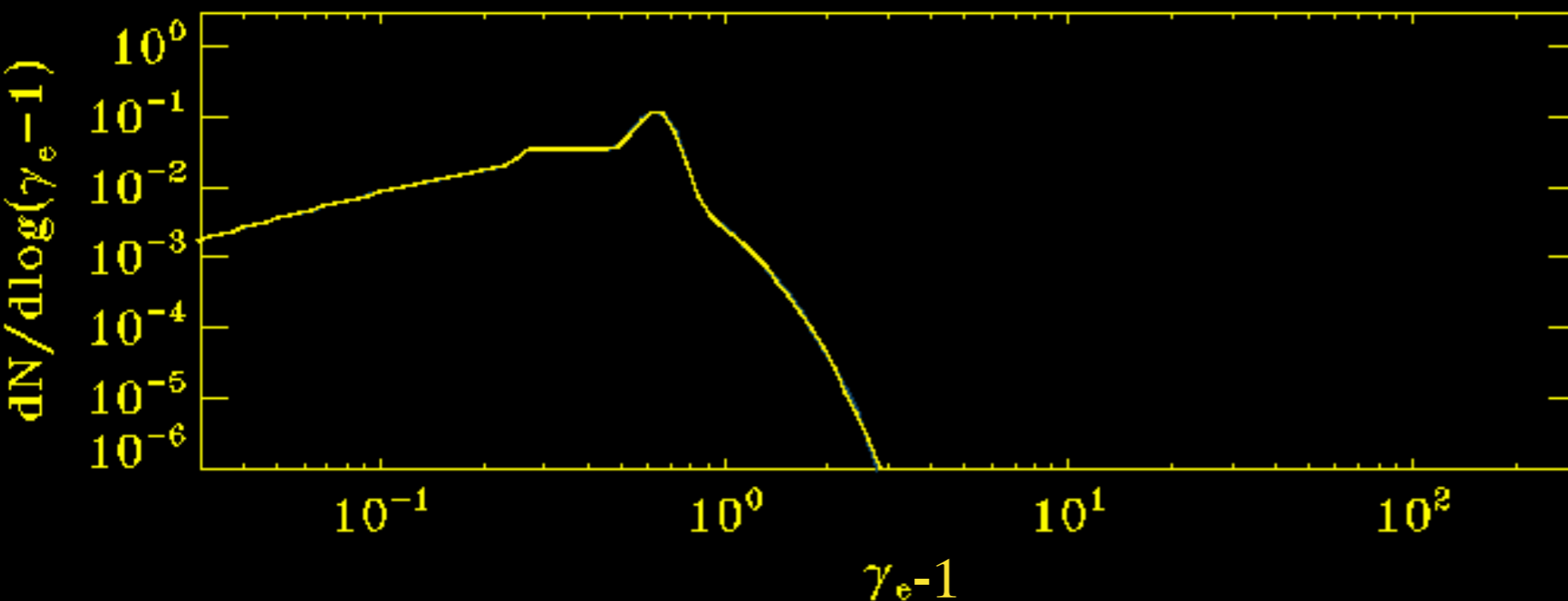


RR (with  $B_g/B_0 \sim 1$ ) is a by-product of nonlinear Kelvin-Helmholtz (KH) vortices.

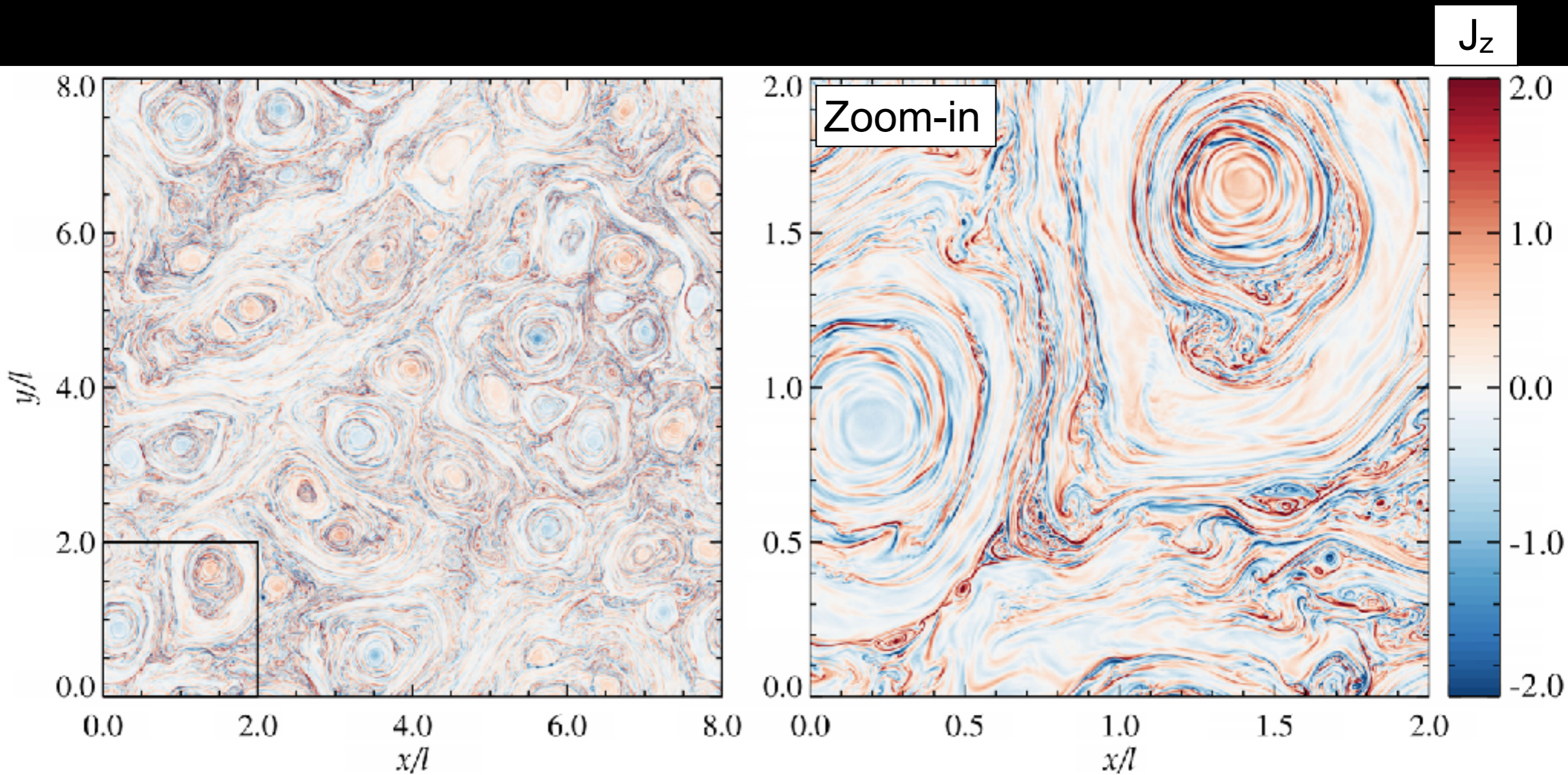
# KH $\rightarrow$ RR $\rightarrow$ particle acceleration



KH-driven RR leads to efficient particle acceleration.



# RR as by-product of magnetized turbulence



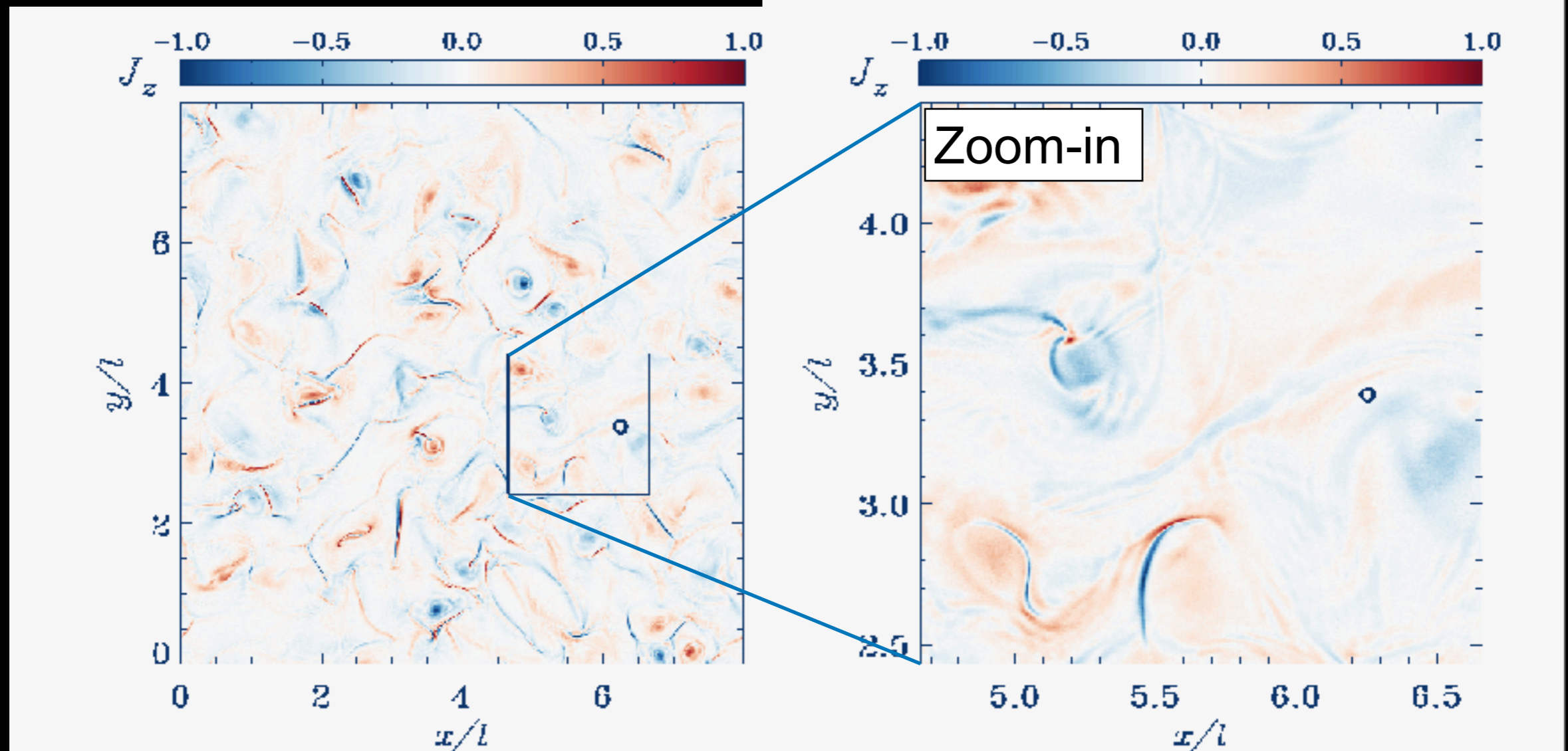
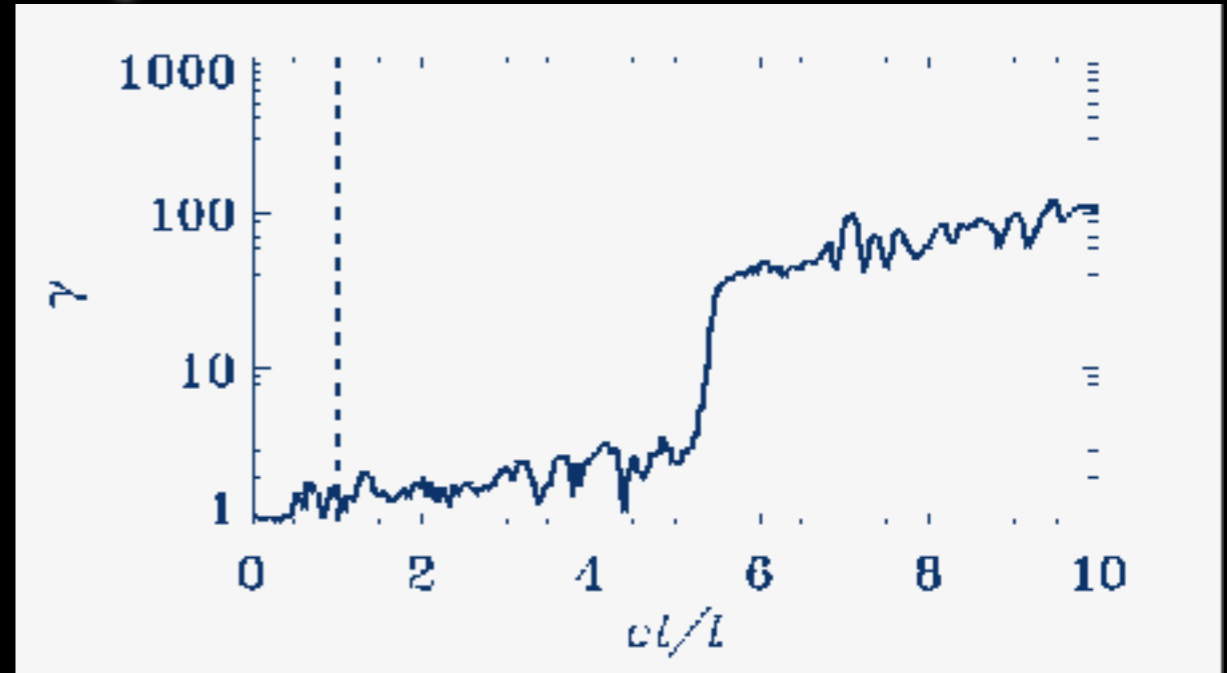
$l$ =turbulence outer scale

(Comisso & LS 18,19, 21)

RR (with  $B_g/B_0 \sim 1$ ) is a by-product of magnetically-dominated turbulence

# Turbulence $\rightarrow$ RR $\rightarrow$ particle acceleration

Turbulence-driven RR leads to efficient particle acceleration.

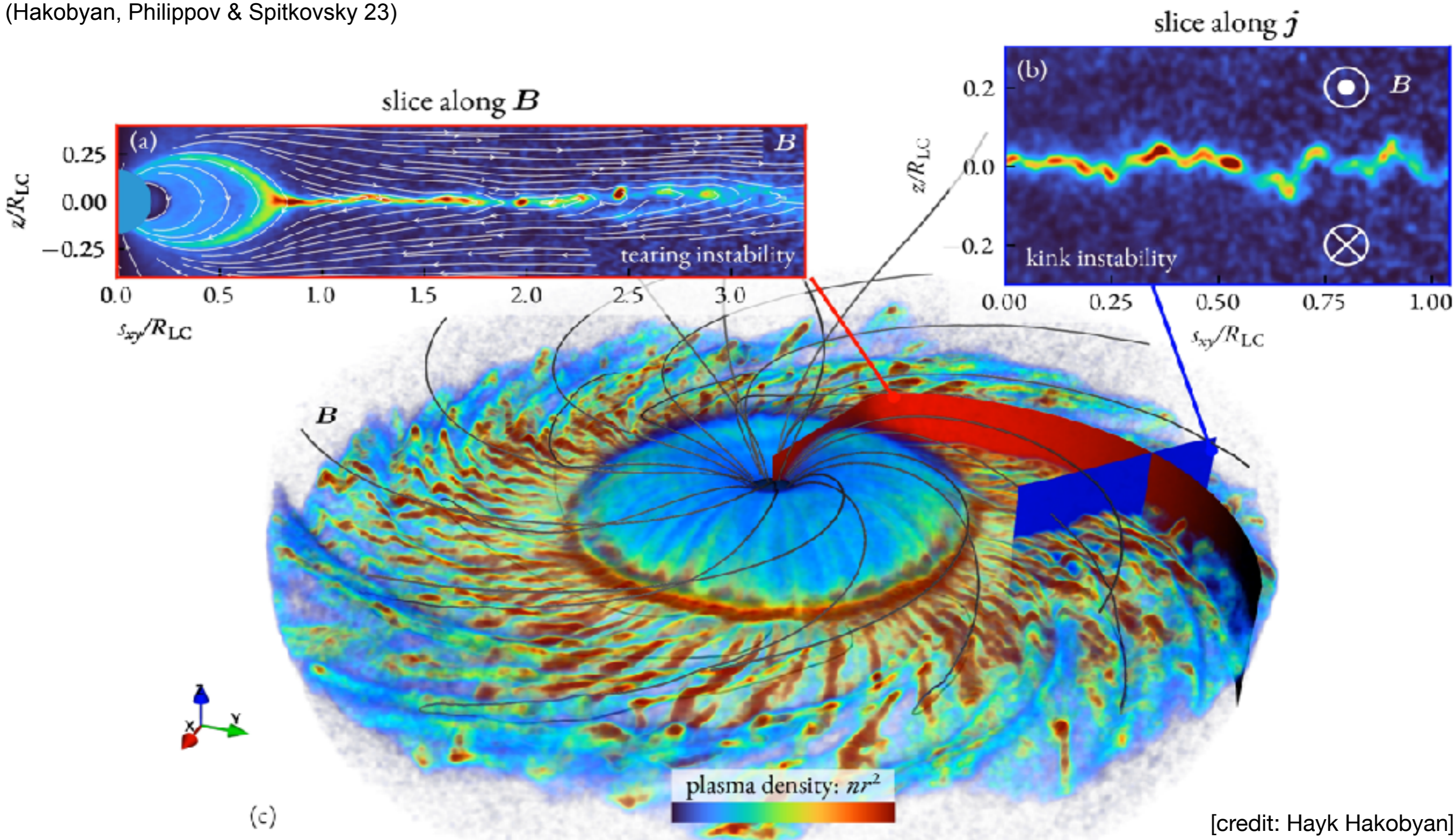


**Macro-scales**

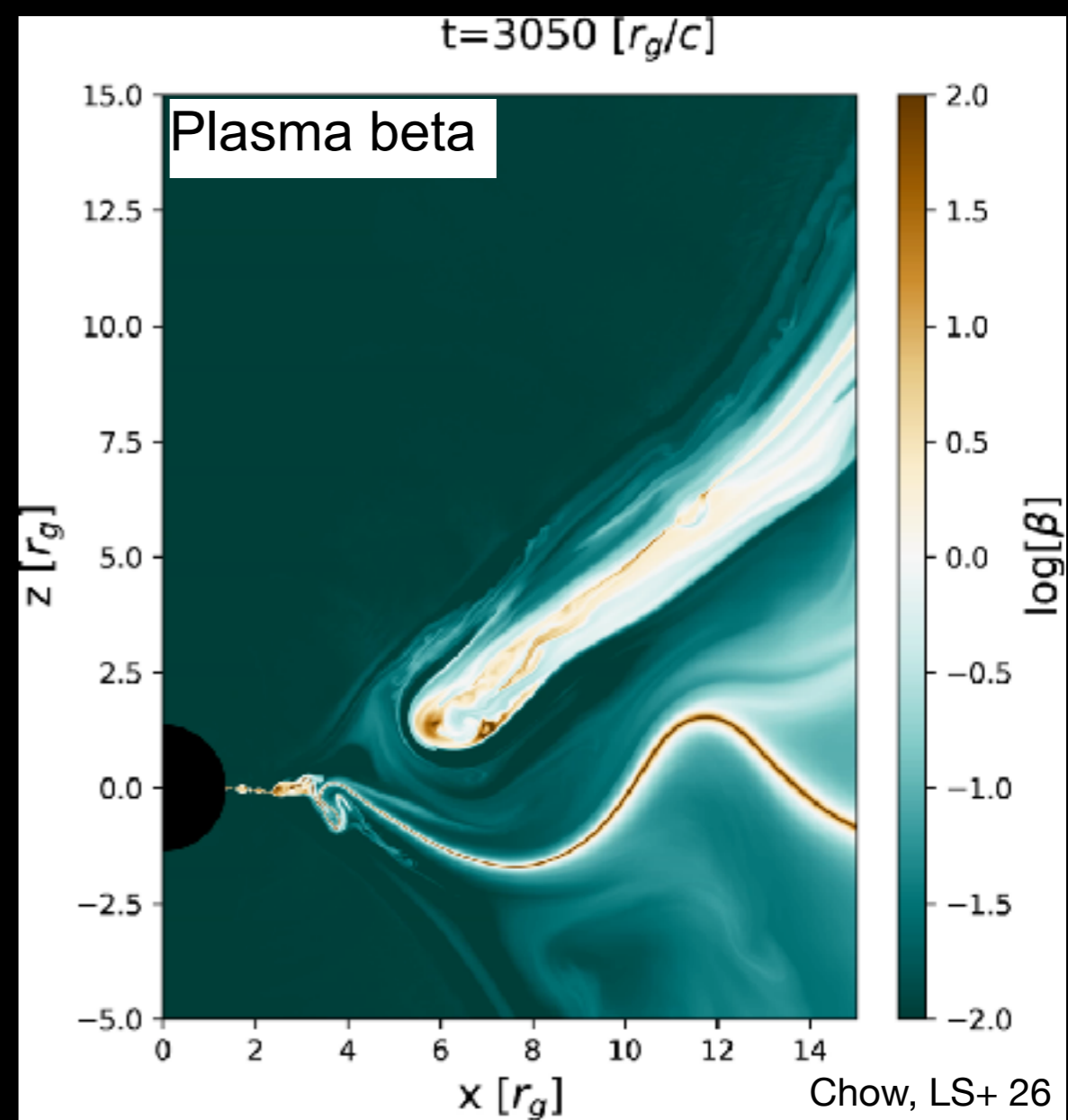
# Global PIC simulations of pulsars

Field-aligned currents flowing from the polar caps to infinity return back toward the pulsar along an equatorial current sheet.

(Hakobyan, Philippov & Spitkovsky 23)



MHD is often employed for the global evolution of *collisionless* systems.



## collisional MHD

$$v_{\text{in}} \sim 0.01 v_A$$

*collisional*, relativistic Ohm's law:

$$\Gamma_f \left[ \mathbf{E} + \frac{\mathbf{v}_f}{c} \times \mathbf{B} - \frac{(\mathbf{E} \cdot \mathbf{v}_f) \mathbf{v}_f}{c^2} \right] = \eta (\mathbf{J} - \rho_e \mathbf{v}_f)$$

## collisionless kinetics

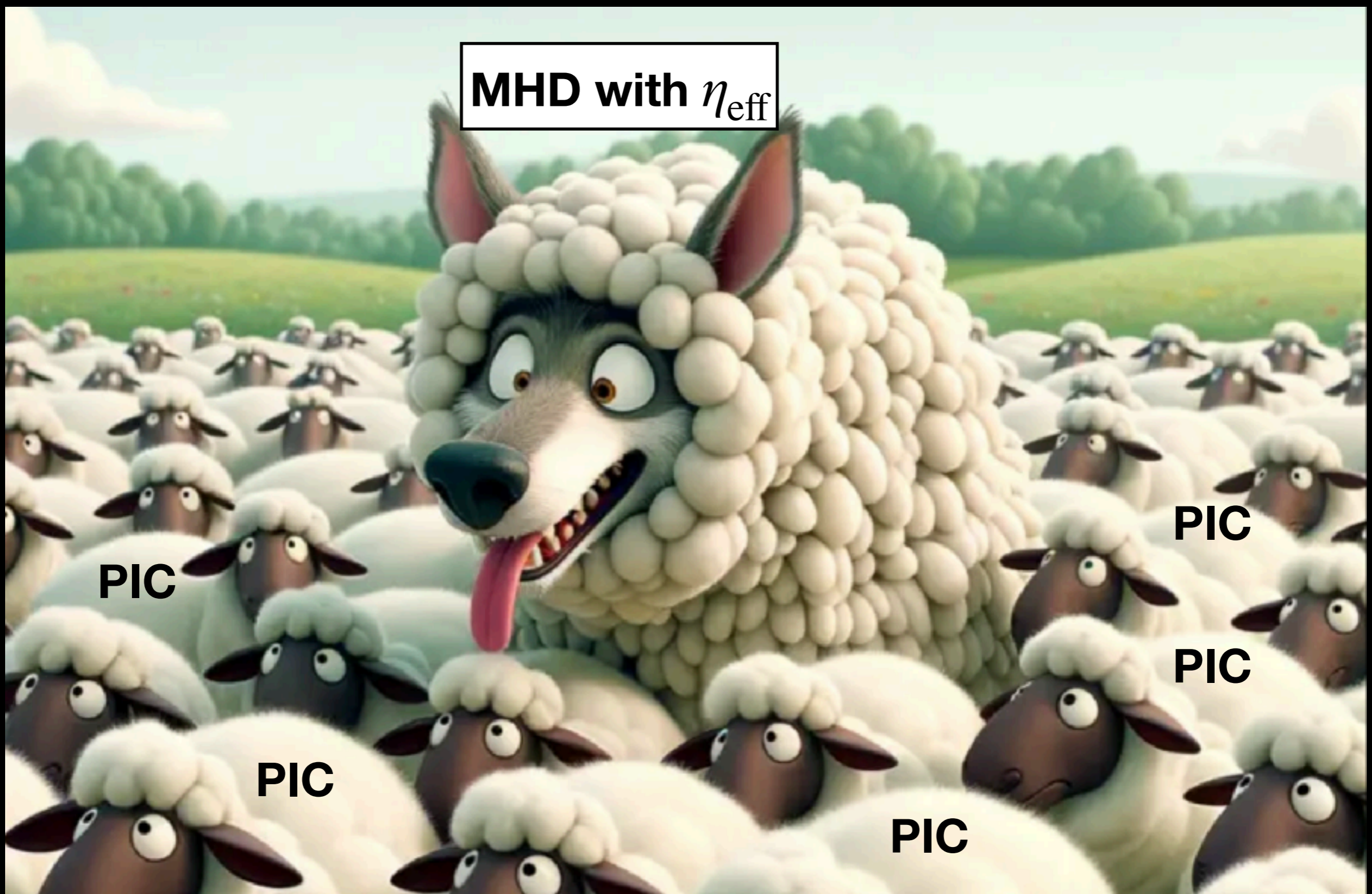
$$v_{\text{in}} \sim 0.1 v_A$$

*collisionless*, relativistic Ohm's law:

$$\mathbf{E} + \frac{\langle \mathbf{v}_s \rangle}{c} \times \mathbf{B} = \frac{\nabla \cdot \mathbf{P}_s}{q_s n_s} + \frac{m_s}{q_s} \left[ \frac{\partial \langle \mathbf{u}_s \rangle}{\partial t} + (\langle \mathbf{v}_s \rangle \cdot \nabla) \langle \mathbf{u}_s \rangle \right]$$

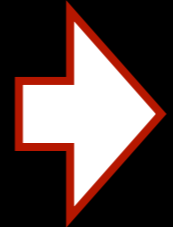
# Effective resistivity

Strategy: derive from PIC simulations some effective resistivity  $\eta_{\text{eff}}$  that reproduces in MHD the *collisionless* reconnection rate.



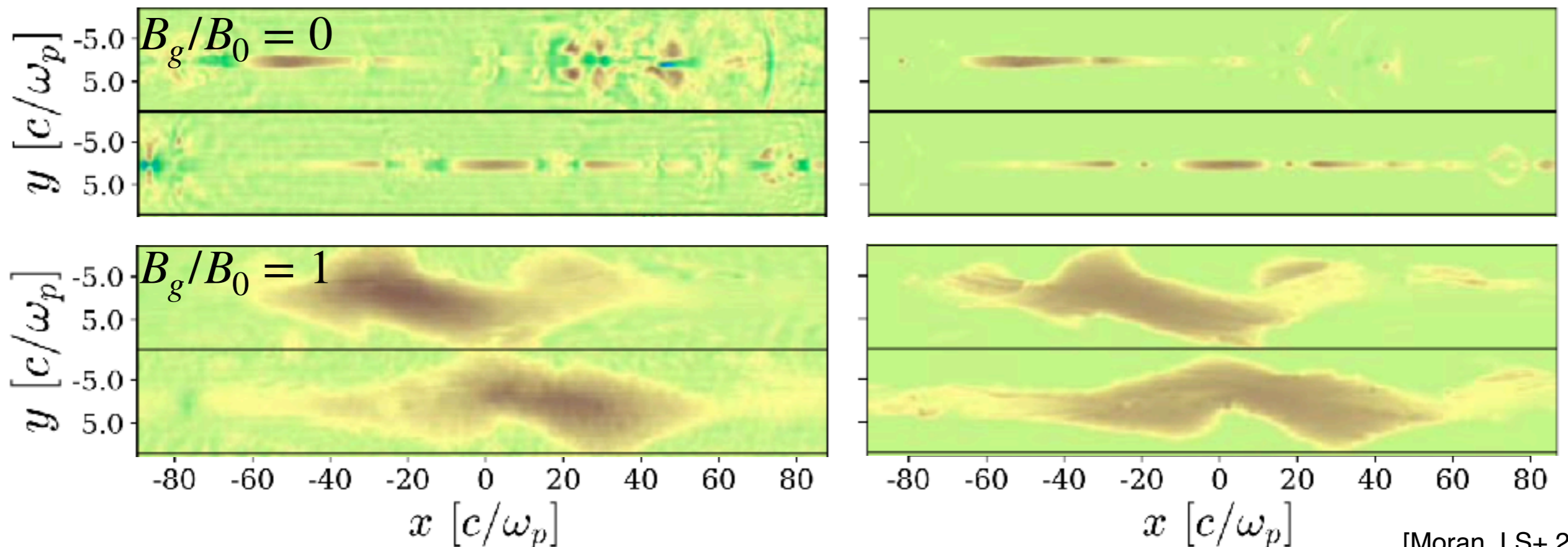
# Effective resistivity from PIC

- Ohm's law: the non-ideal electric field is  $\mathbf{E}^* = \mathbf{E} + \mathbf{v}/c \times \mathbf{B} = \eta_{\text{eff}} \mathbf{J}$
- At X-points, postulate that the current is charge-starved:  $J = enc$


$$\eta_{\text{eff}} = \frac{E^*}{enc}$$

ground truth  $\mathbf{E}^*$

reconstructed  $\eta_{\text{eff}} \mathbf{J}$



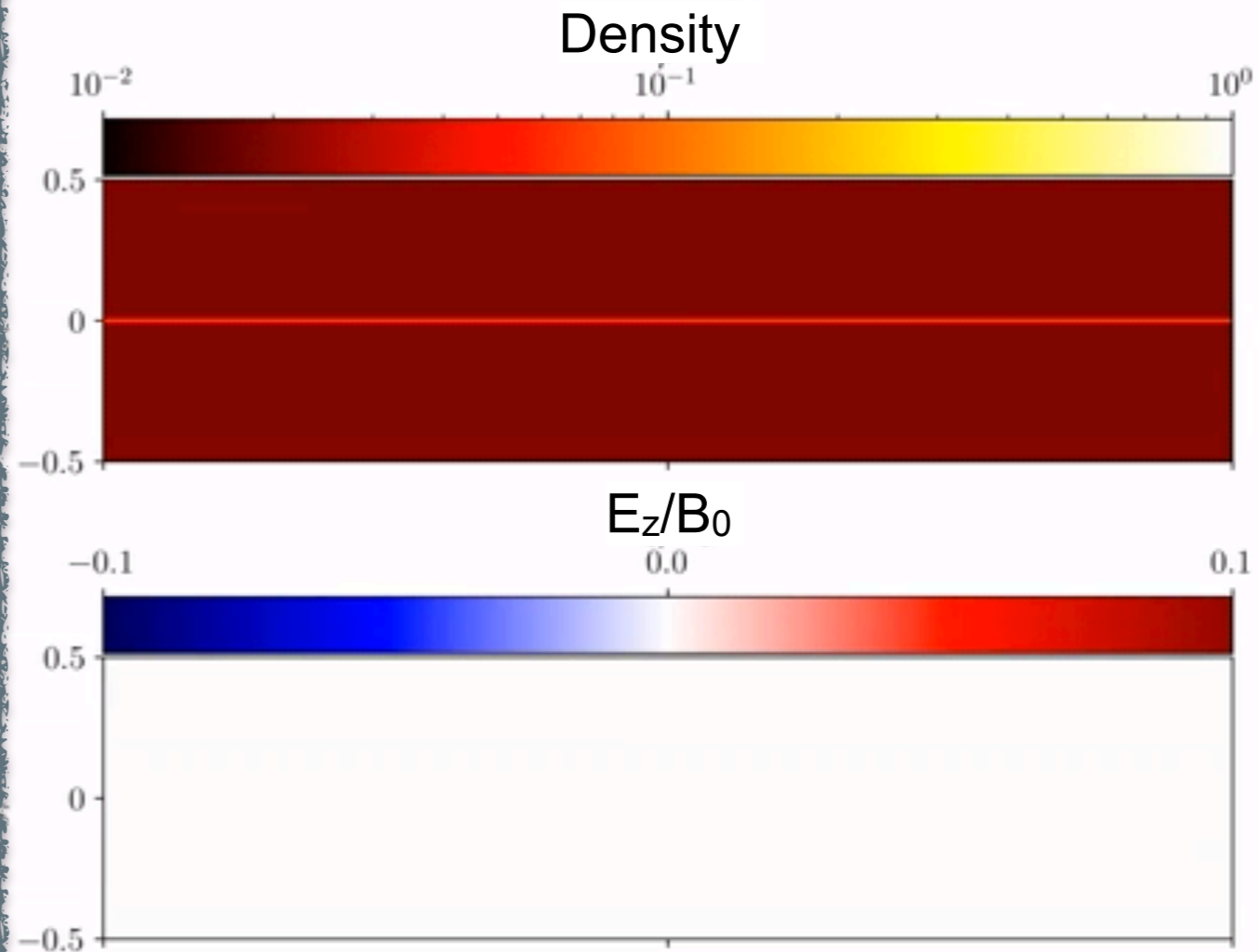
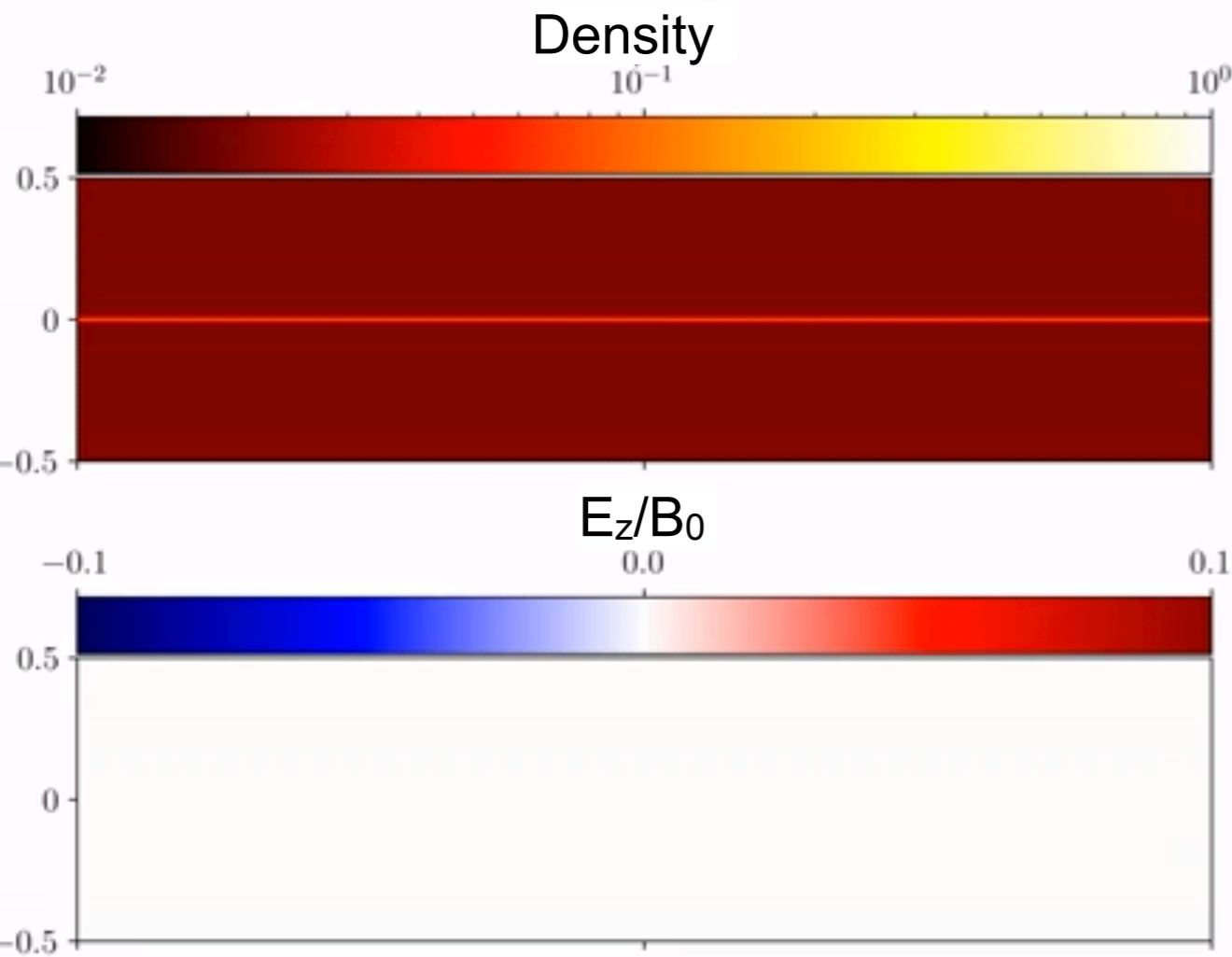
[Moran, LS+ 25]

This effective resistivity is coordinate-agnostic, and holds for any  $B_g/B_0$ .

# Effective resistivity in MHD: local Harris

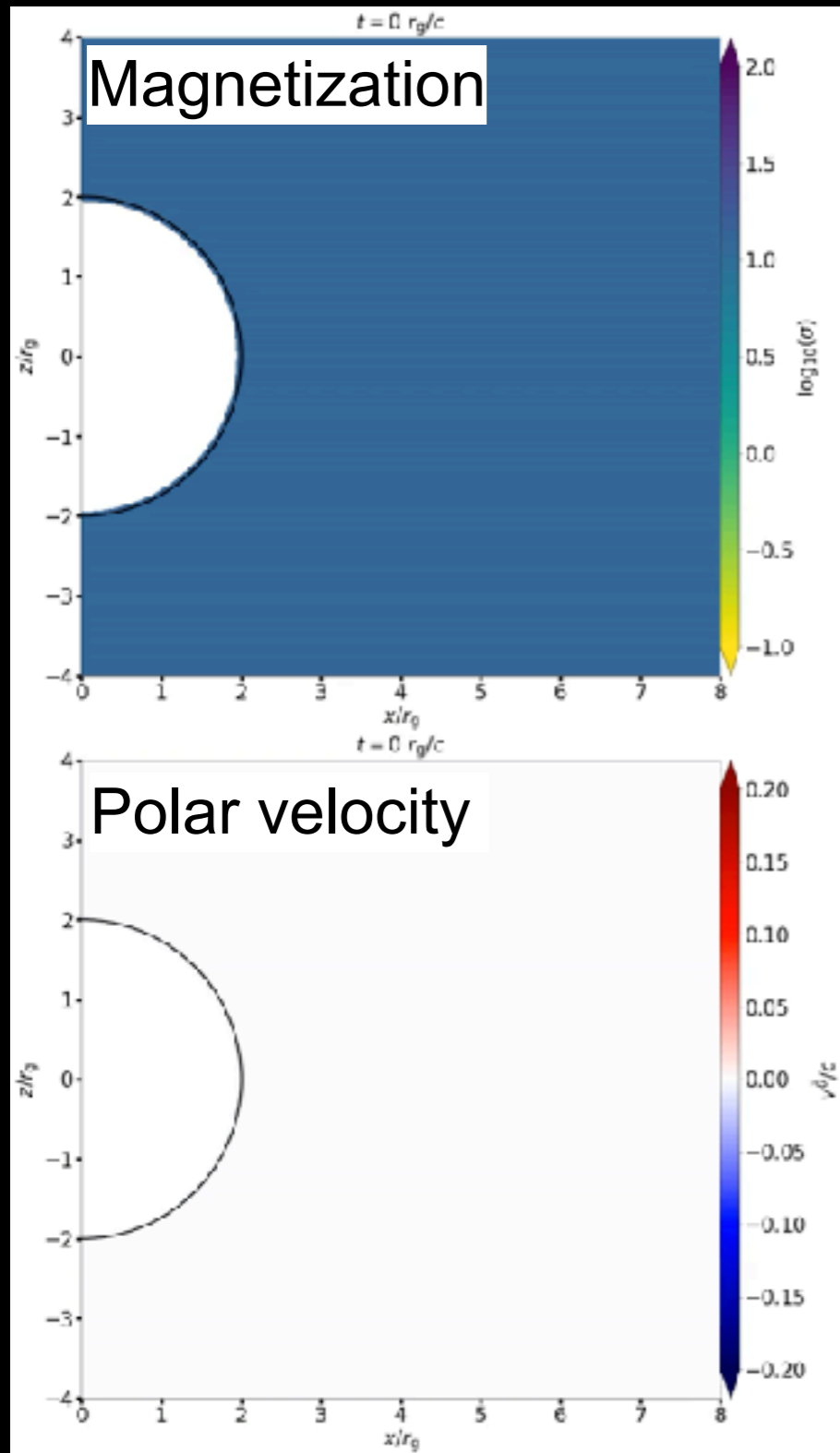
Uniform resistivity

PIC-motivated resistivity  $\eta_{\text{eff}} = \frac{E^*}{enc}$

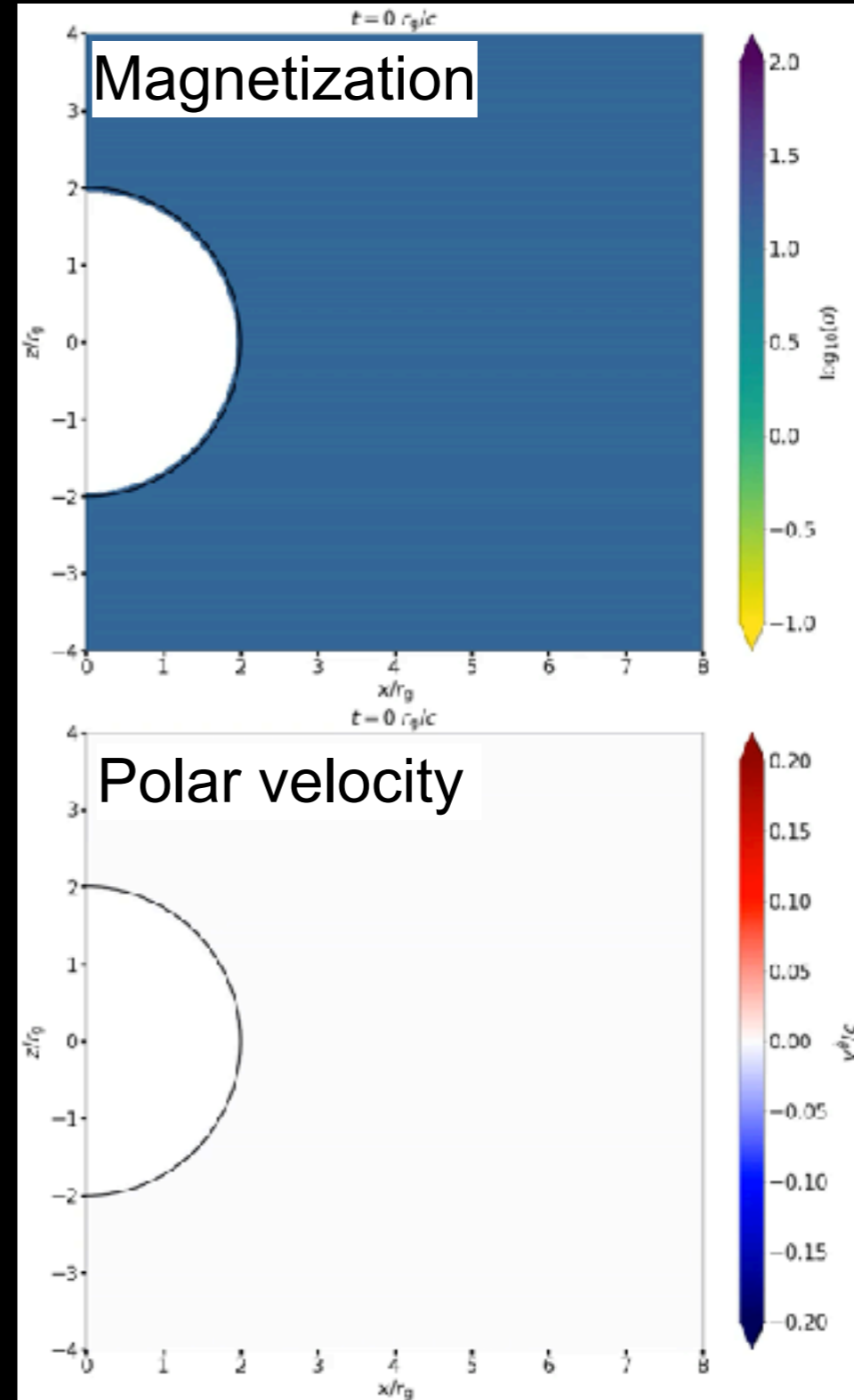


# Effective resistivity in GRMHD: global balding

Uniform resistivity

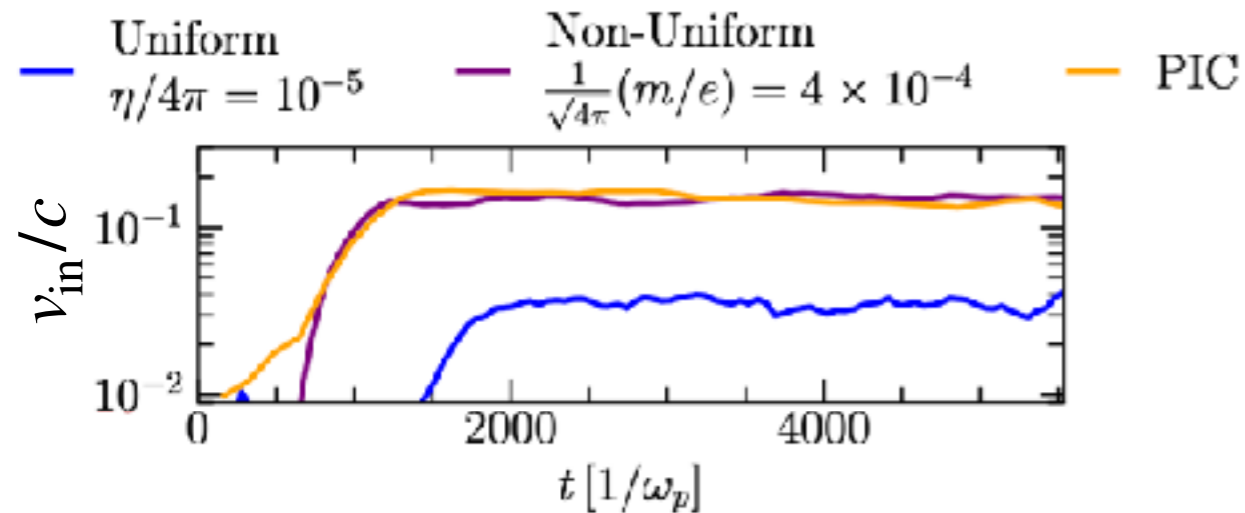


PIC-motivated resistivity  $\eta_{\text{eff}} = \frac{E^*}{enc}$



# Effective resistivity in MHD

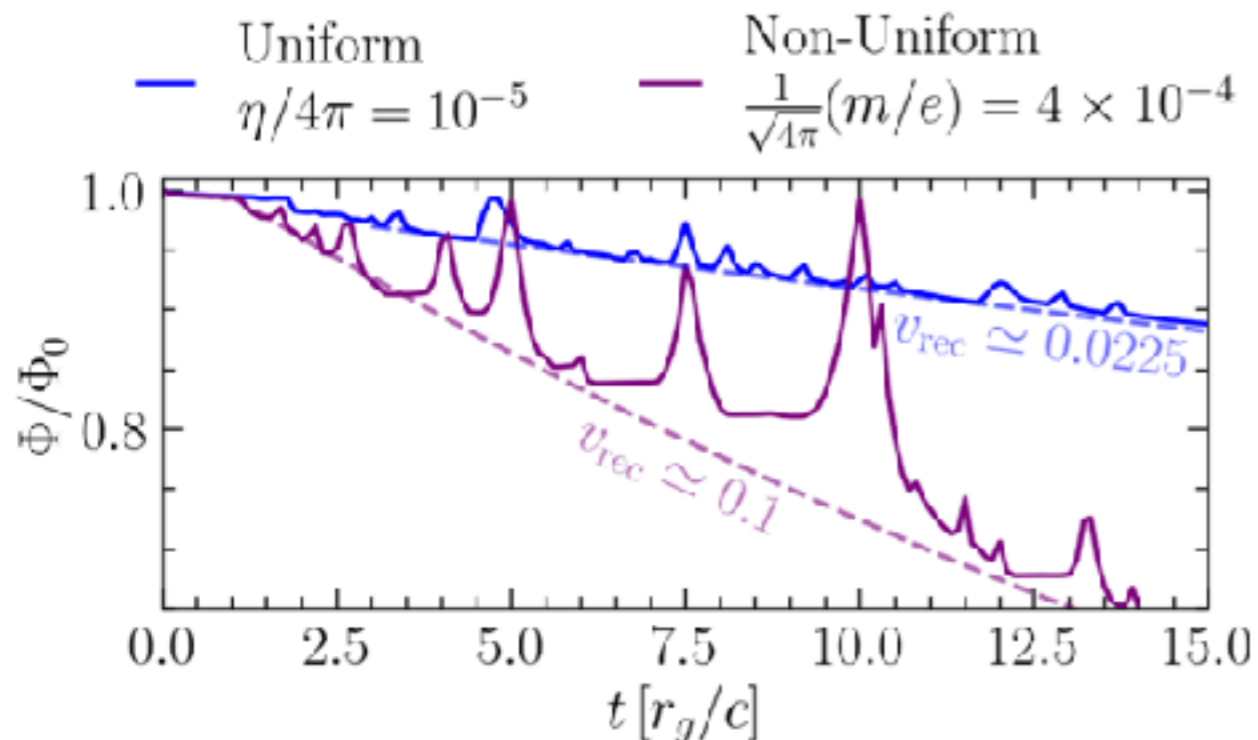
## Local test: Harris



[Ripperda+ 26]

- MHD with PIC-motivated resistivity reproduces the “ground truth” PIC reconnection rate.

## Global test: BH balding

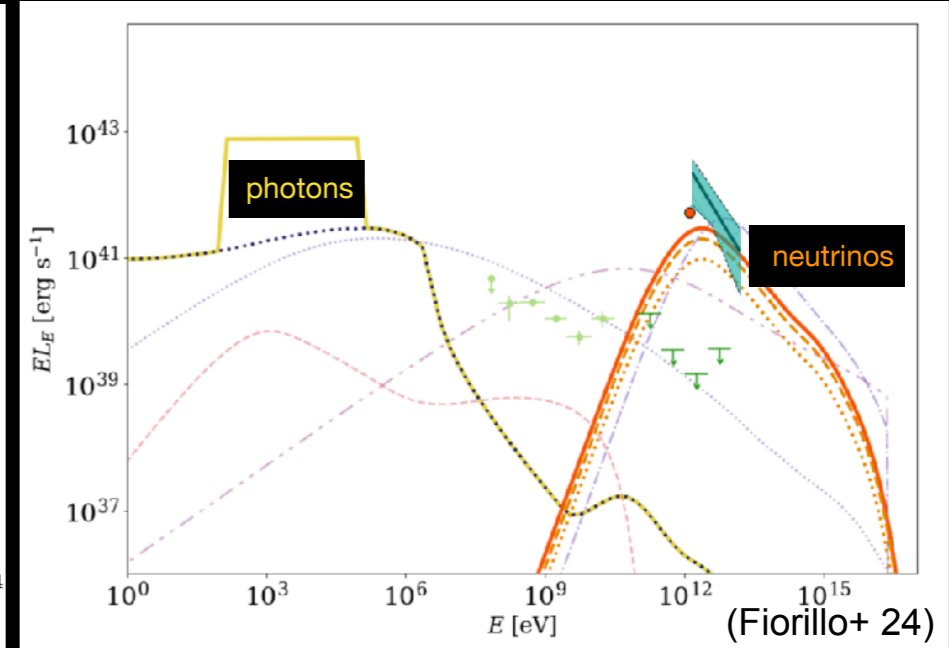
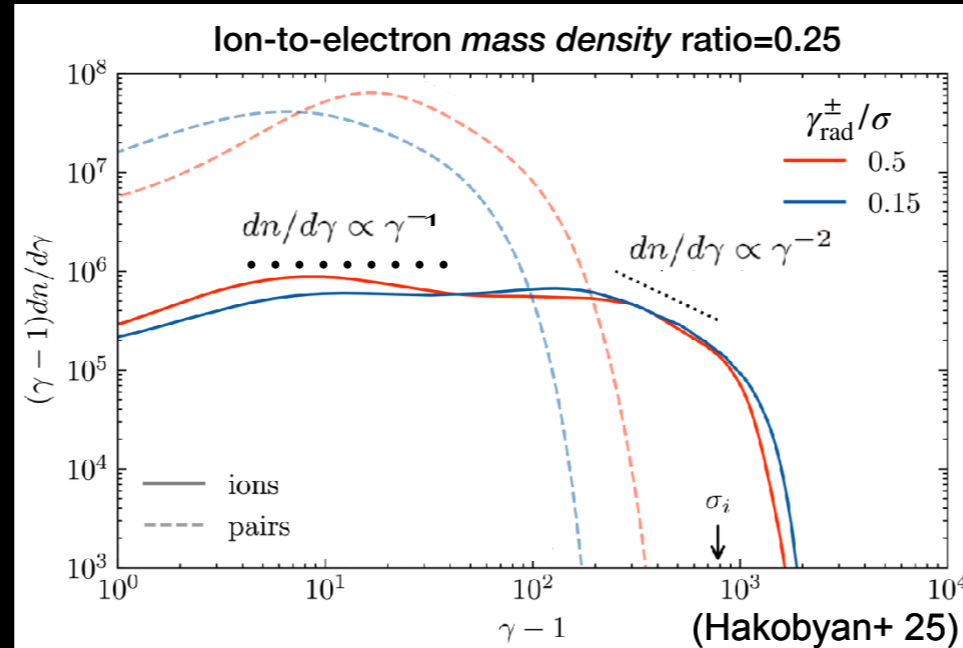


[Ripperda+ 26]

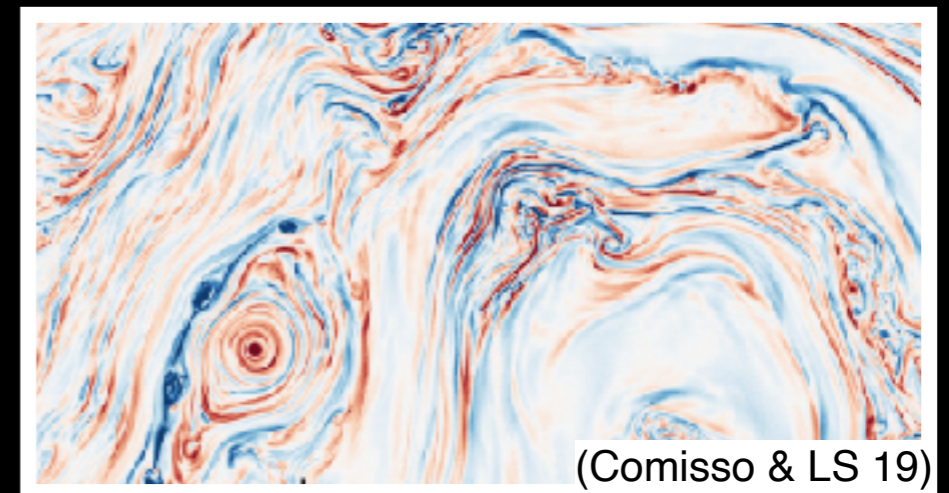
- GRMHD with PIC-motivated resistivity reproduces the “ground truth” GRPIC flux balding rate (Bransgrove+ 21).

# Relativistic reconnection [RR]

- Micro-scales: RR powers high-energy emission and ultra-relativistic particles (cosmic rays and neutrinos).



- Meso-scales: MHD instabilities and turbulence self-consistently produce RR layers, where particles are first accelerated.



- Macro-scales: PIC-based effective resistivity allows to perform global (GR)MHD simulations with the correct *collisionless* reconnection rate.

