

Measuring Particle Acceleration in Turbulent Astrophysical Plasmas

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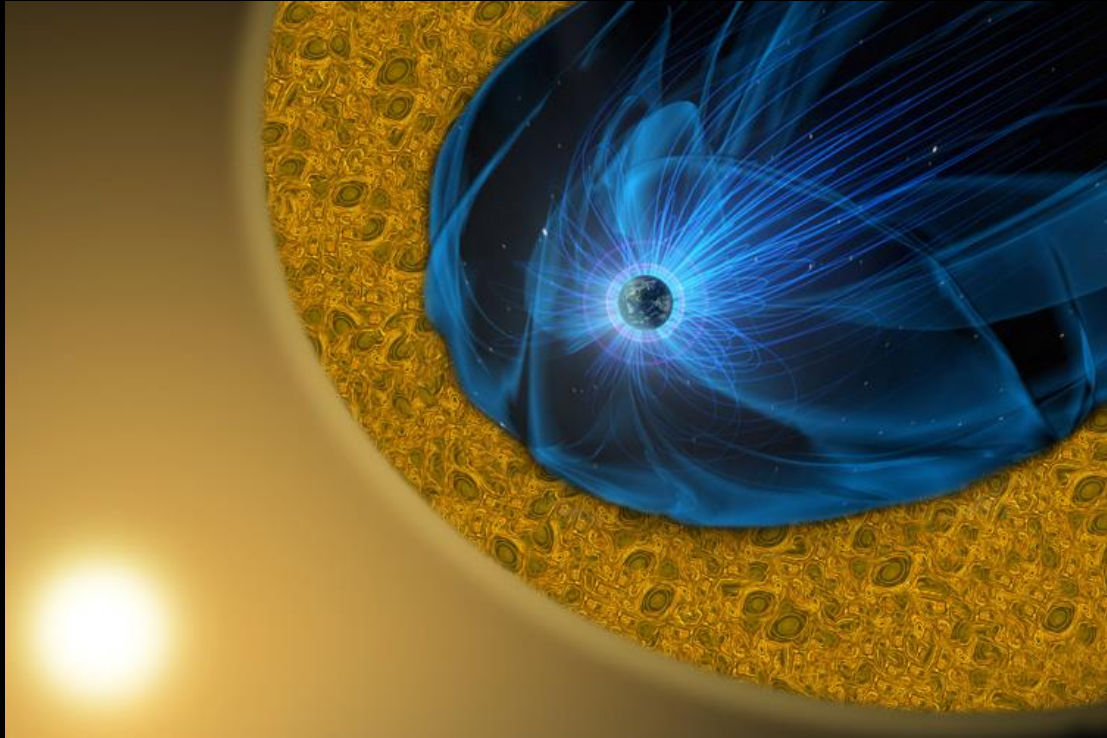


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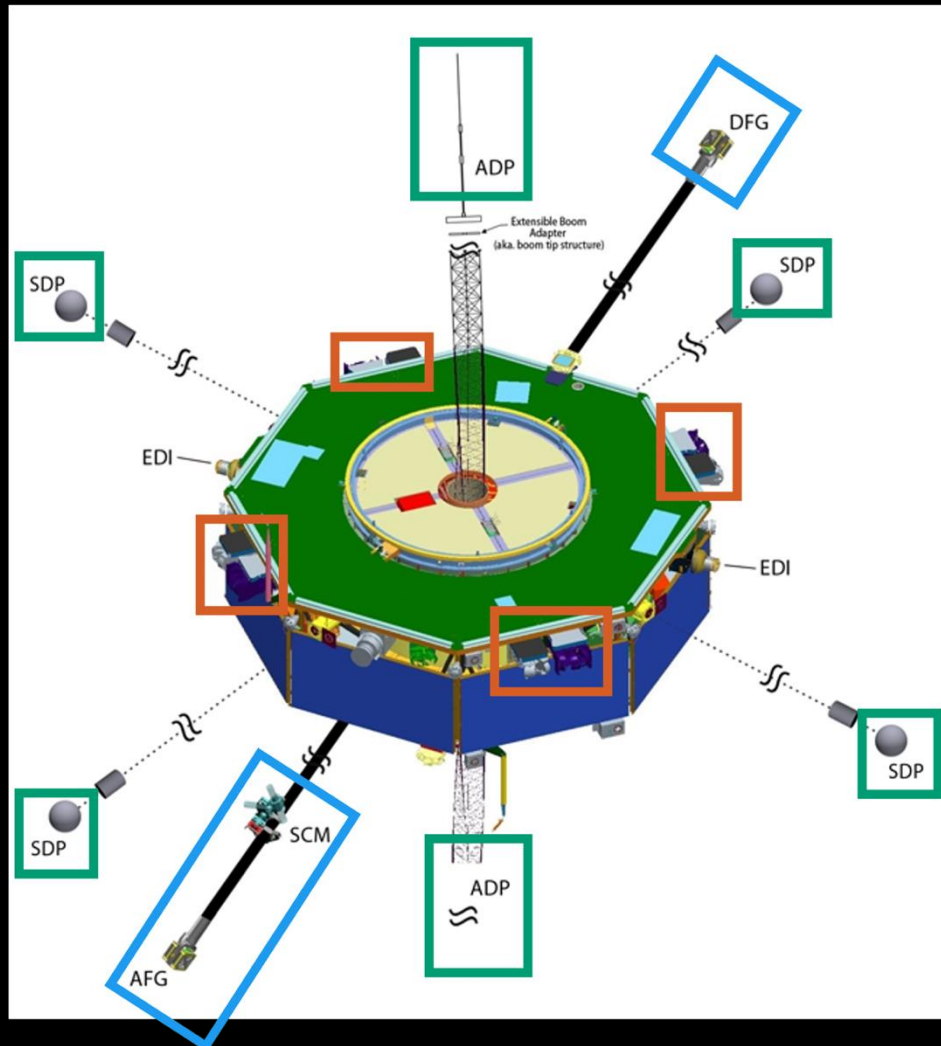
Magnetosheath Turbulence



- Region downstream of the bow shock consisting of shocked solar wind plasma
 - Local laboratory accessible to spacecraft measurements
 - Extensive spacecraft measurements are available here
- The magnetosheath contains shocked plasma from the bow shock, so is naturally turbulent.
 - This can be due to;
 - Kinetic instabilities generated at the bow shock
 - Plasma instabilities developing within the magnetosheath
 - Solar wind fluctuations advected through the shock



MMS



- NASA's **Magnetospheric MultiScale** Mission – 4 spacecraft in a tetrahedral formation
 - High cadence instrumentation:
 - Fields: Up to 8192 samples/s
 - 3D Particle Distributions: 30-150ms resolution
 - Measures both fields and velocity distribution functions simultaneously
 - Allows for the analysis of field-particle correlations, seeing which particles gain energy from the fields



Field-Particle Correlations

The phase-space energy density, $w_s = \frac{1}{2} m_s v^2 f_s$ evolves as:

$$\frac{\partial w_s}{\partial t} = -\mathbf{v} \cdot \nabla w_s - \frac{q_s v^2}{2} \mathbf{E} \cdot \frac{\partial f_s}{\partial \mathbf{v}} - \frac{q_s v^2}{2} (\mathbf{v} \times \mathbf{B}) \cdot \frac{\partial f_s}{\partial \mathbf{v}}$$



Field-Particle Correlations

The phase-space energy density, $w_s = \frac{1}{2} m_s v^2 f_s$ evolves as:

$$\frac{\partial w_s}{\partial t} = \underbrace{-\mathbf{v} \cdot \nabla w_s}_{\text{Term 1}} - \underbrace{\frac{q_s v^2}{2} \mathbf{E} \cdot \frac{\partial f_s}{\partial \mathbf{v}}}_{\text{Term 2}} - \underbrace{\frac{q_s v^2}{2} (\mathbf{v} \times \mathbf{B}) \cdot \frac{\partial f_s}{\partial \mathbf{v}}}_{\text{Term 3}}$$

Term 1: Transport of w_s in and out of a physical volume

Term 2: Exchange of energy with the EM fields (integrates to $\mathbf{j}_s \cdot \mathbf{E}$)

Term 3: Integrates to zero



Field-Particle Correlations

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Knowing that $f_s = 2w_s/m_s v^2$, we can obtain:

$$\frac{\partial w_s}{\partial t} + \mathbf{v} \cdot \nabla w_s + \frac{q_s}{m_s} (\mathbf{E} + \mathbf{v} \times \mathbf{B}) \cdot \frac{\partial w_s}{\partial \mathbf{v}} = q_s \mathbf{v} \cdot \mathbf{E} f_s$$



Field-Particle Correlations

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Lagrangian Derivative, Dw_s/Dt ,
along phase-space trajectory

Energy increase or decrease
along phase-space trajectory
(integrates to $\mathbf{j}_s \cdot \mathbf{E}$)



Field-Particle Correlations

If we are interested in the secular energy exchange, we can average over time and/or space and isolate individual terms, giving the Field Particle Correlation (FPC) technique (Klein et al 2016)

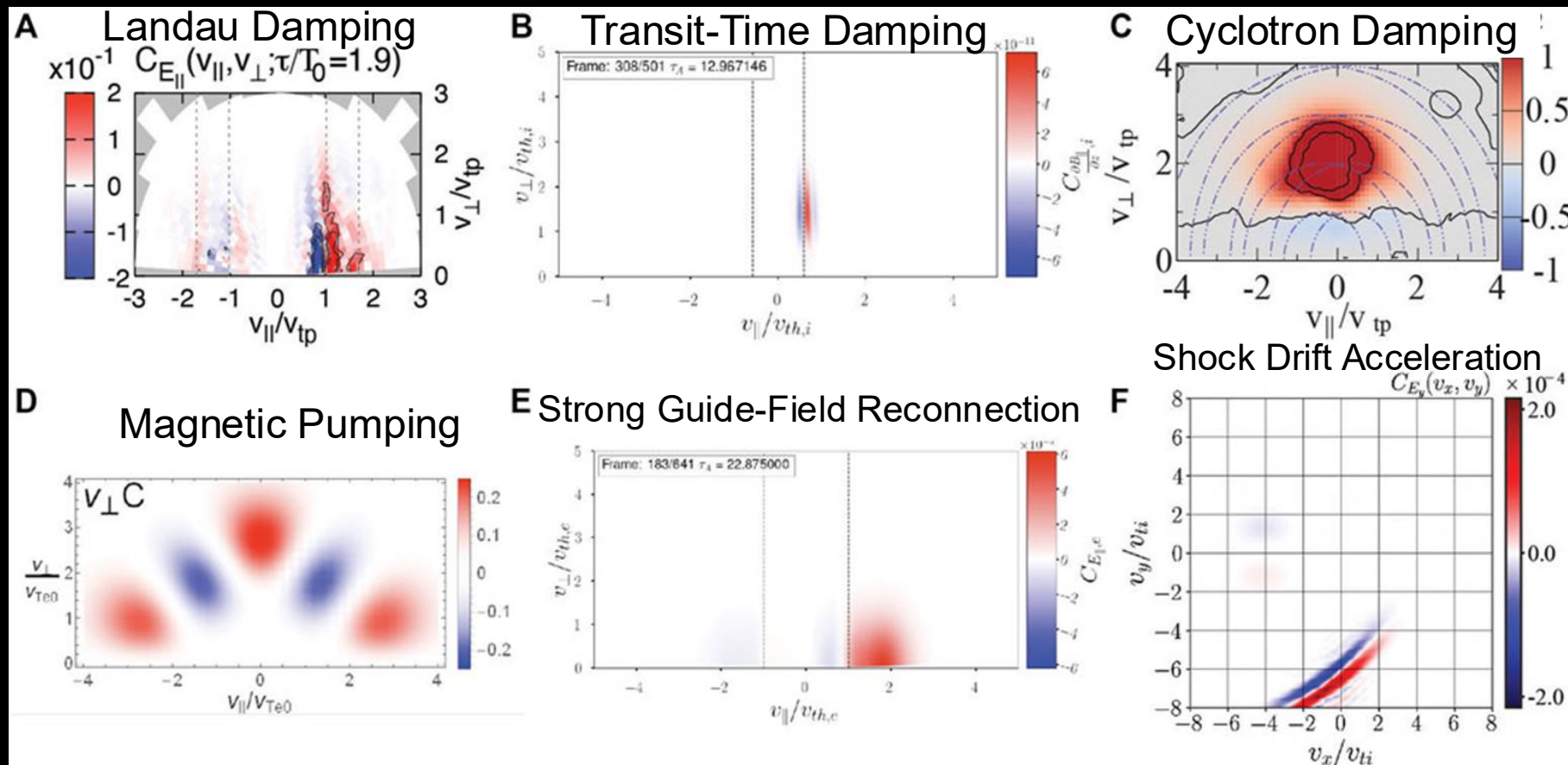
$$C_j(\mathbf{v}) = \left\langle -\frac{q_s v^2}{2} E_j \frac{\partial f_s}{\partial \mathbf{v}_j} \right\rangle$$

$$C'_j(\mathbf{v}) = \langle q_s \mathbf{v}_j \cdot E_j f_s \rangle$$

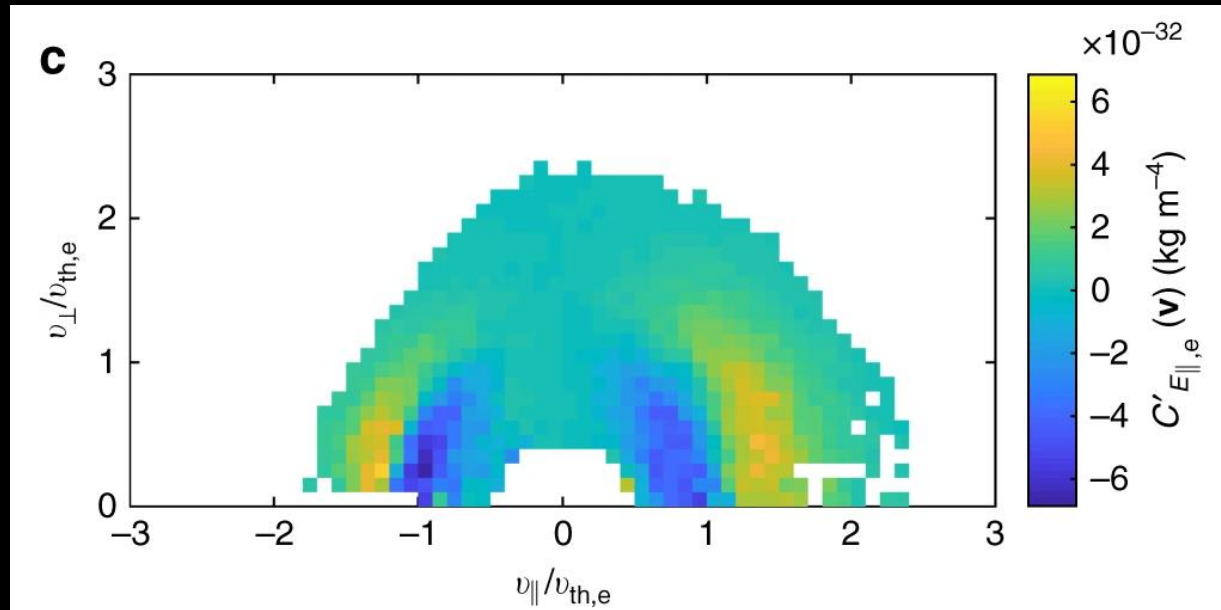


Field-Particle Correlations

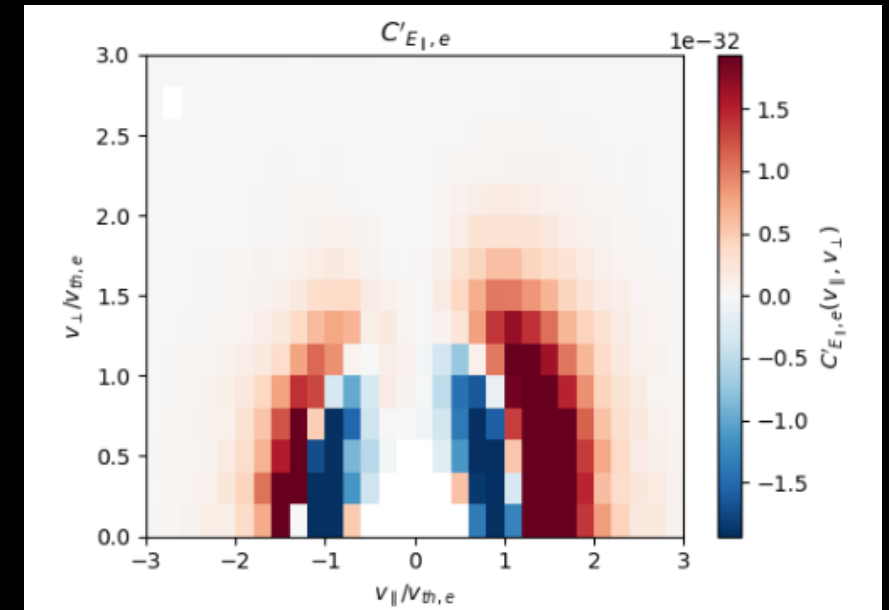
Applications of the FPC technique in simulations (Howes et al 2022) show unique ‘fingerprints’ for energy dissipation mechanisms during turbulence:



Electron Landau Damping



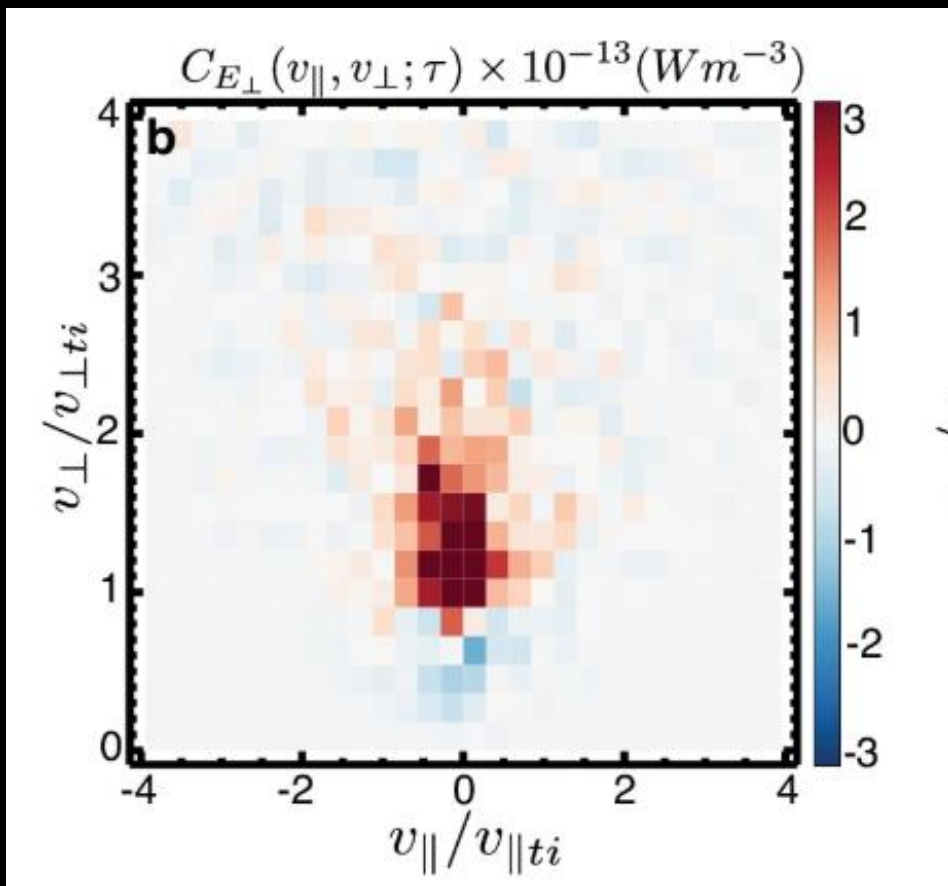
Field-particle alternative energy transfer rate using δf_e and high-pass-filtered (at 1 Hz) $E_{||}$ from Chen et al 2019



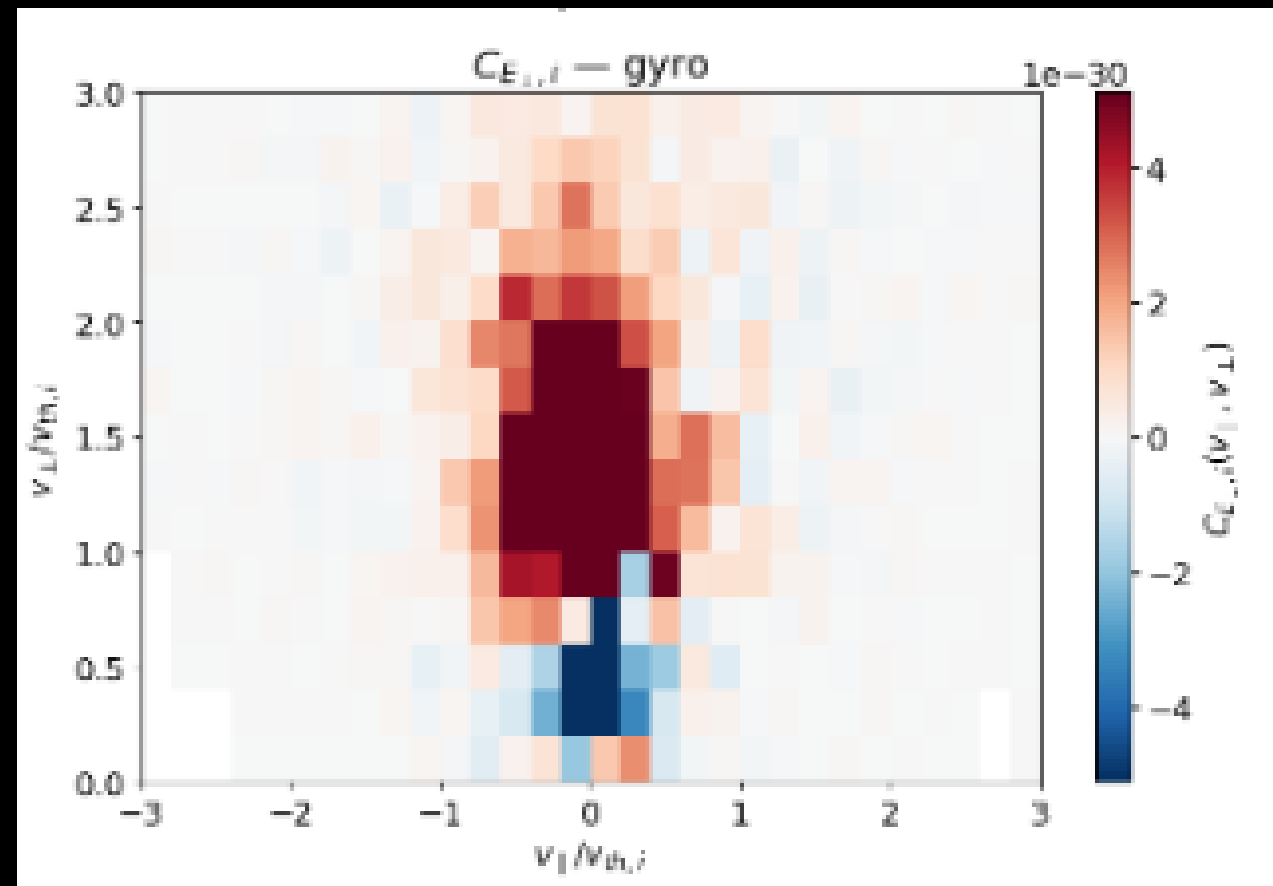
Recreation of the left panel using current code



Ion Cyclotron Damping



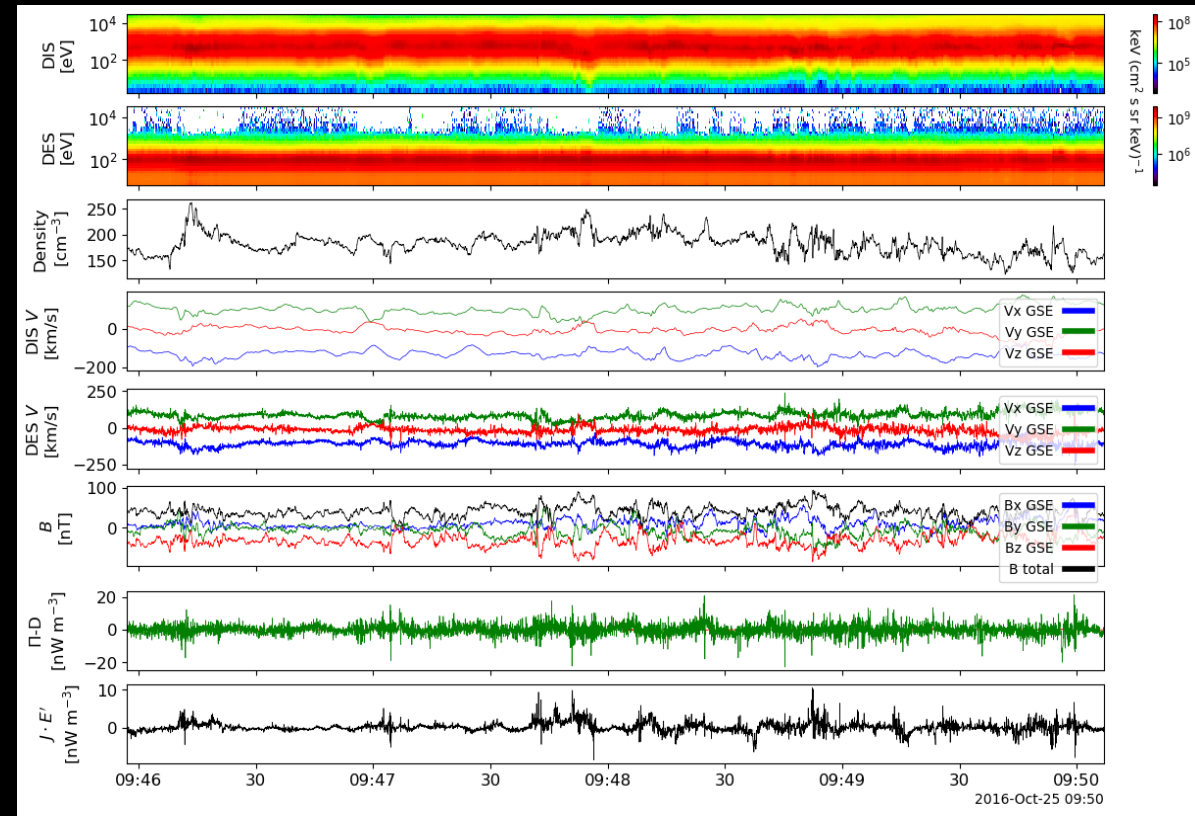
The gyrotropic velocity-space signature of ion cyclotron damping from MMS data in Afshari et al 2024.



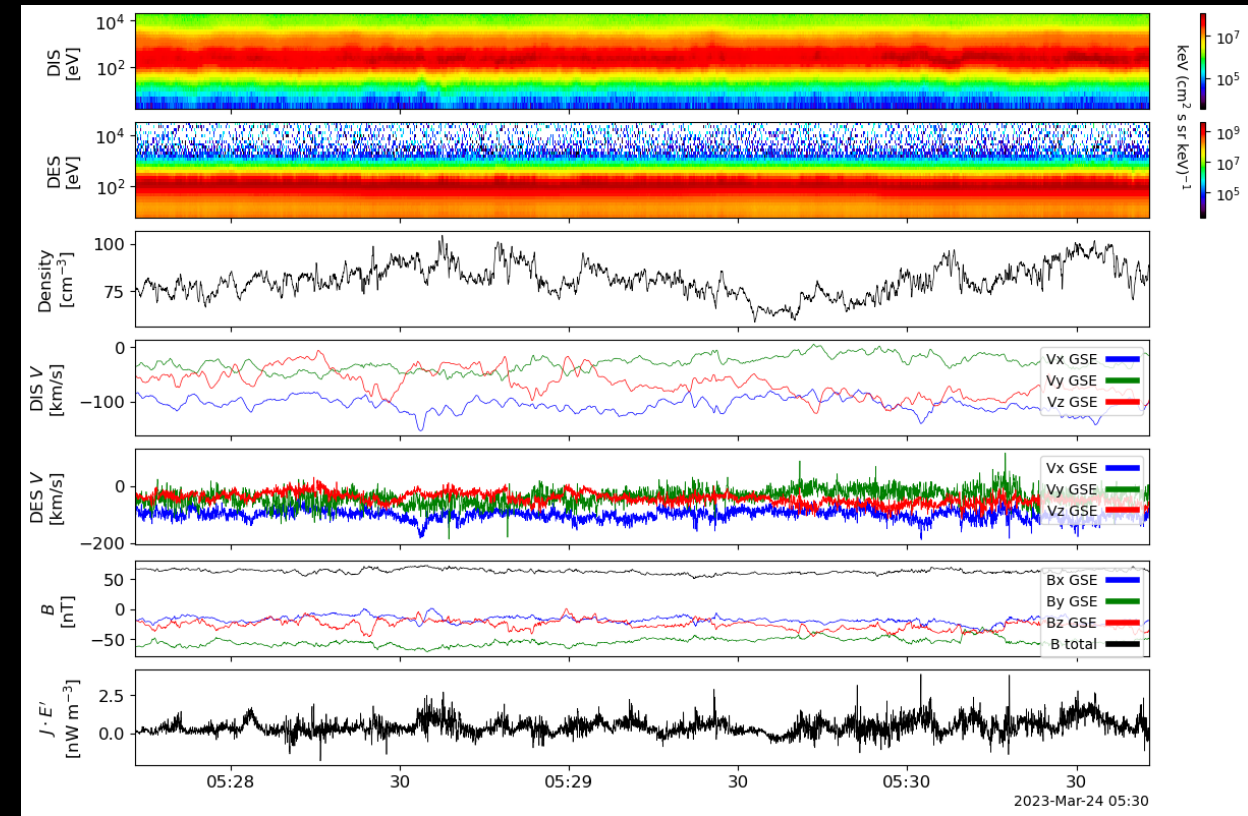
Recreation of the left panel using current code

High Density Intervals

"Stawarz" Interval



"Svenningson" Interval

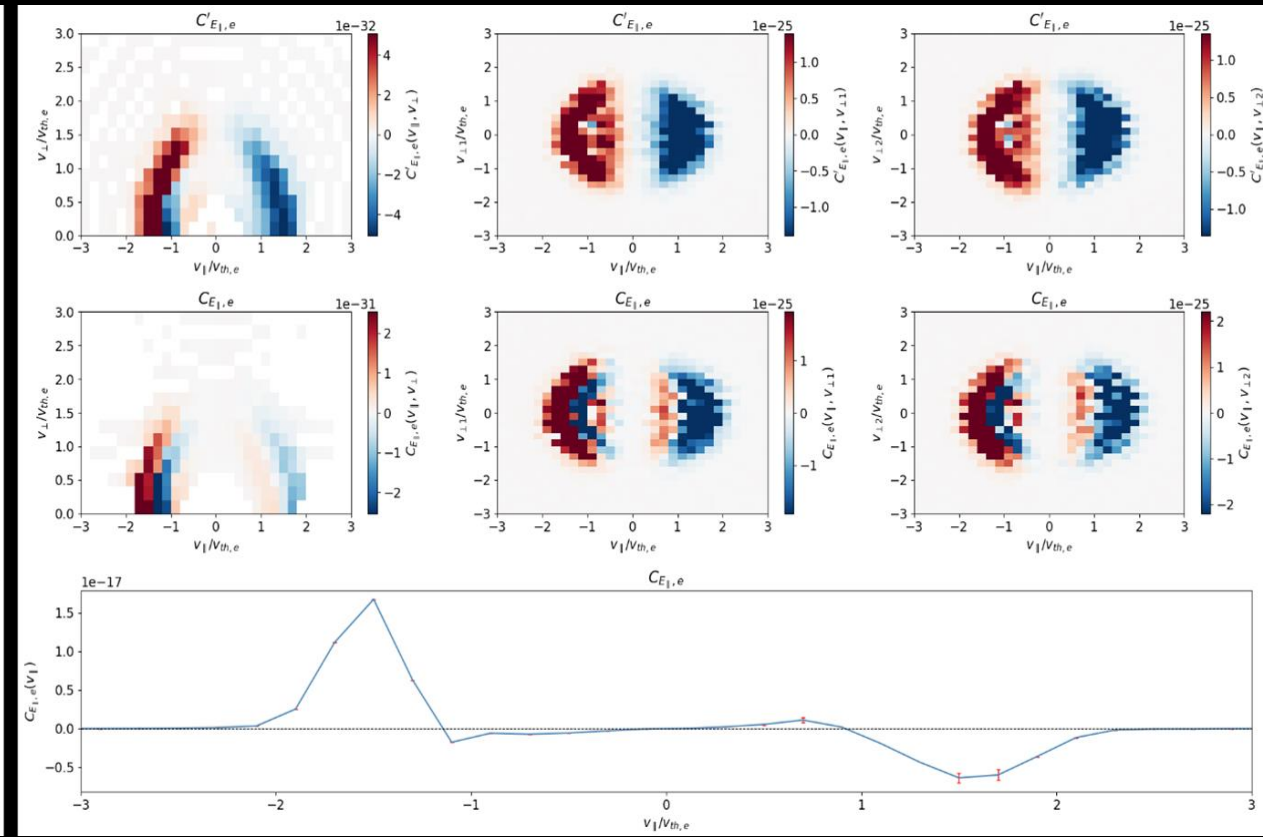
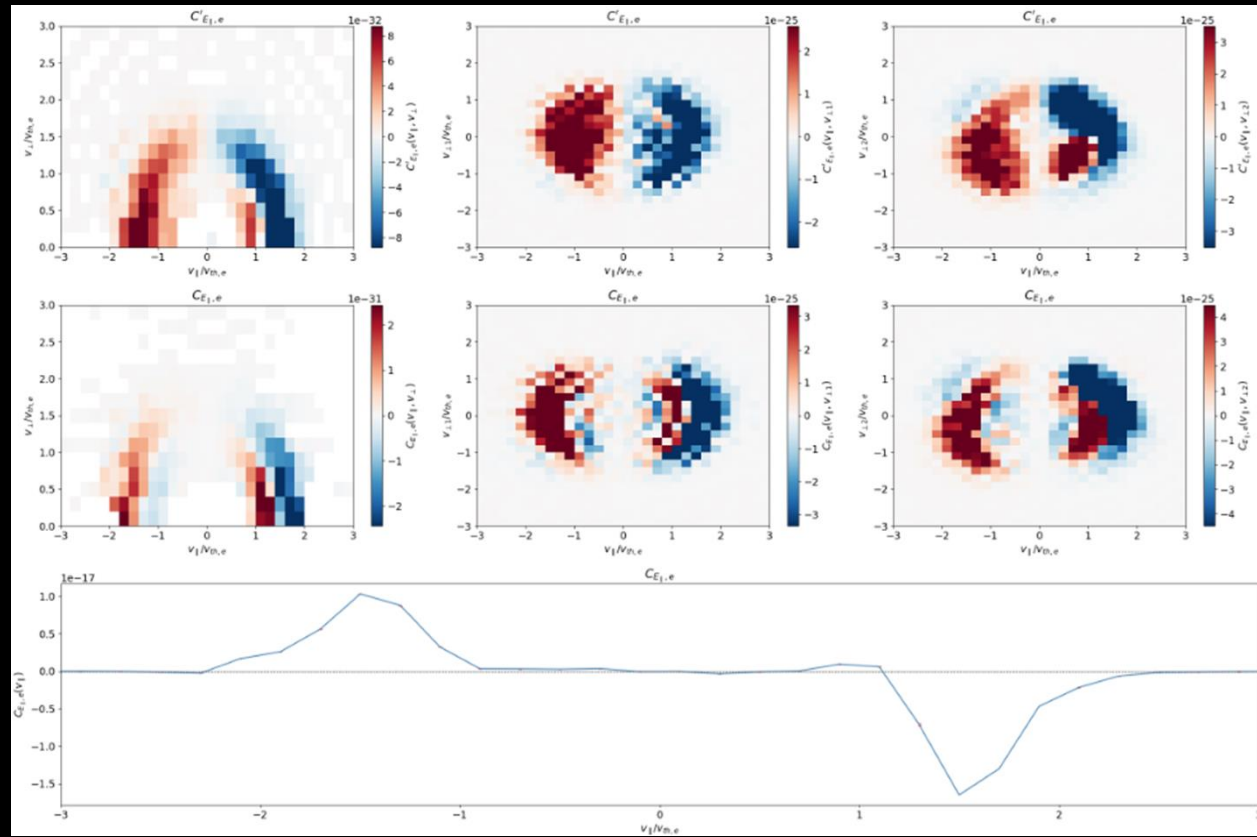


High Density Intervals

Electron Parallel

”Stawarz” Interval

”Svenningsson” Interval

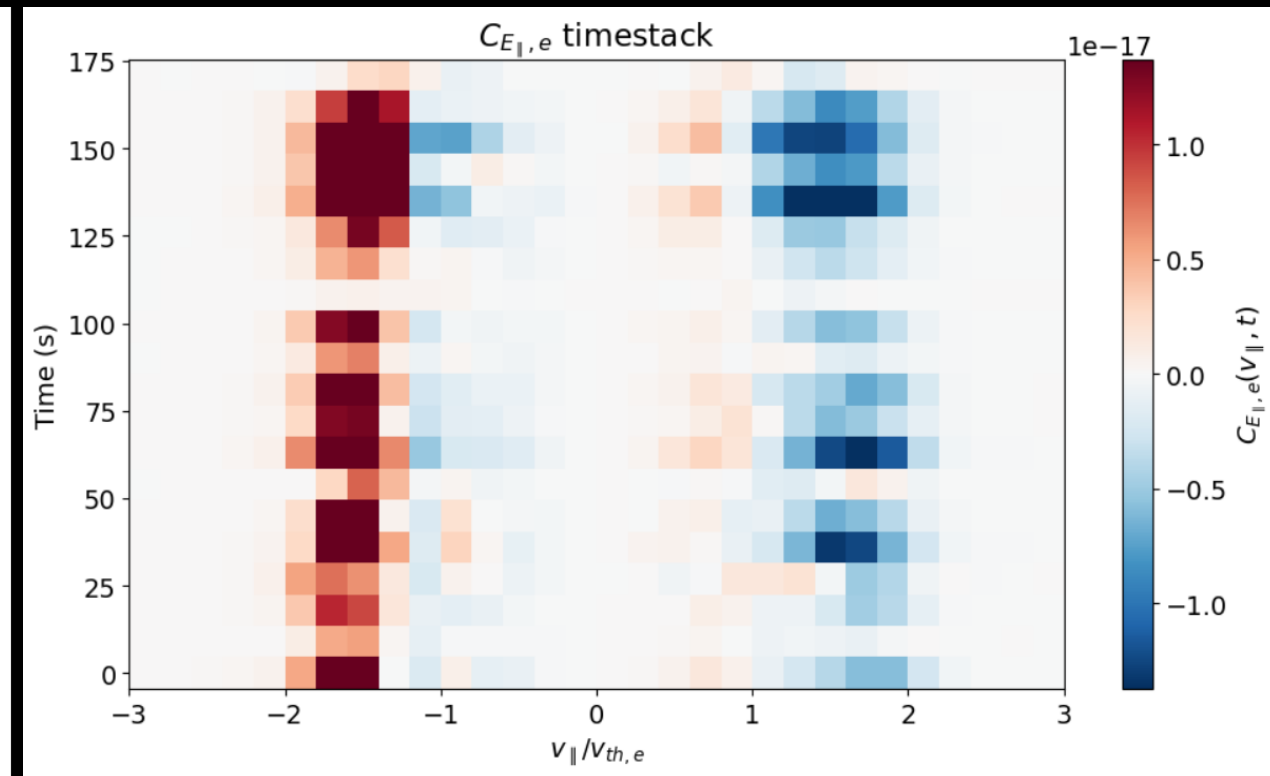
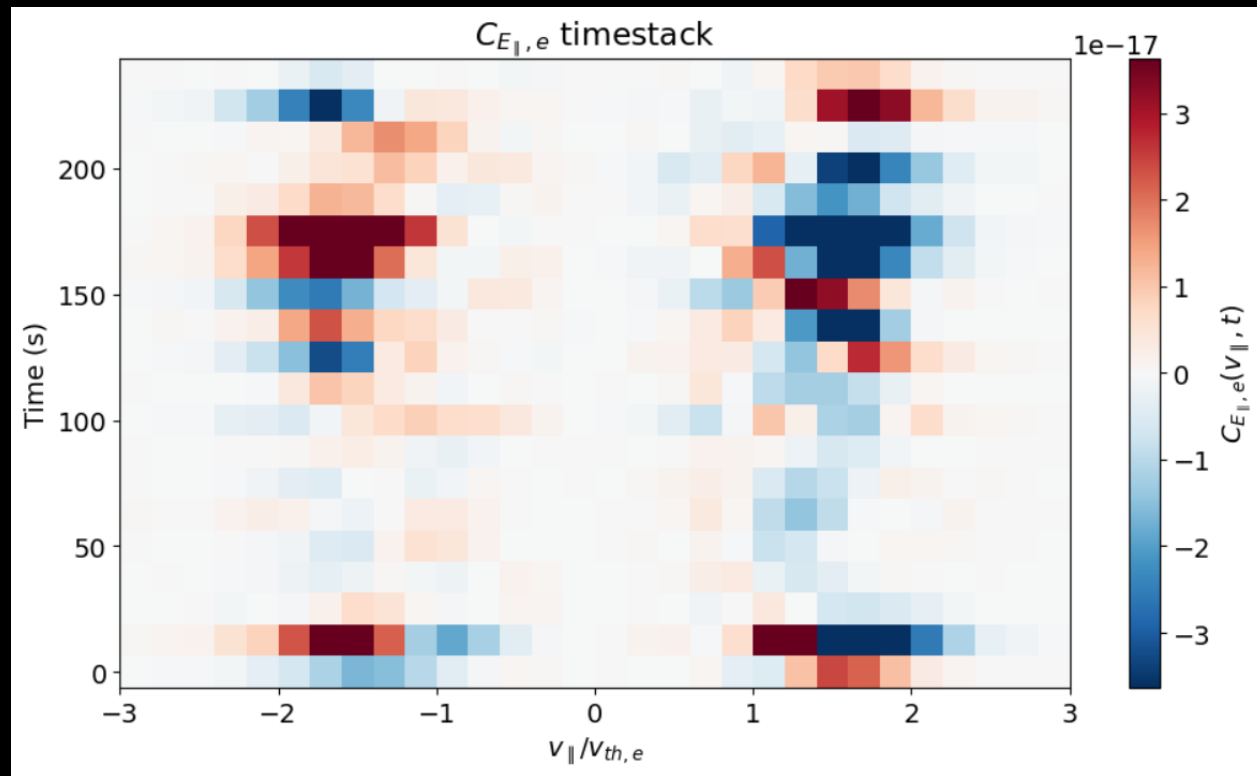


High Density Intervals

Electron Parallel

”Stawarz” Interval

”Svenningsson” Interval

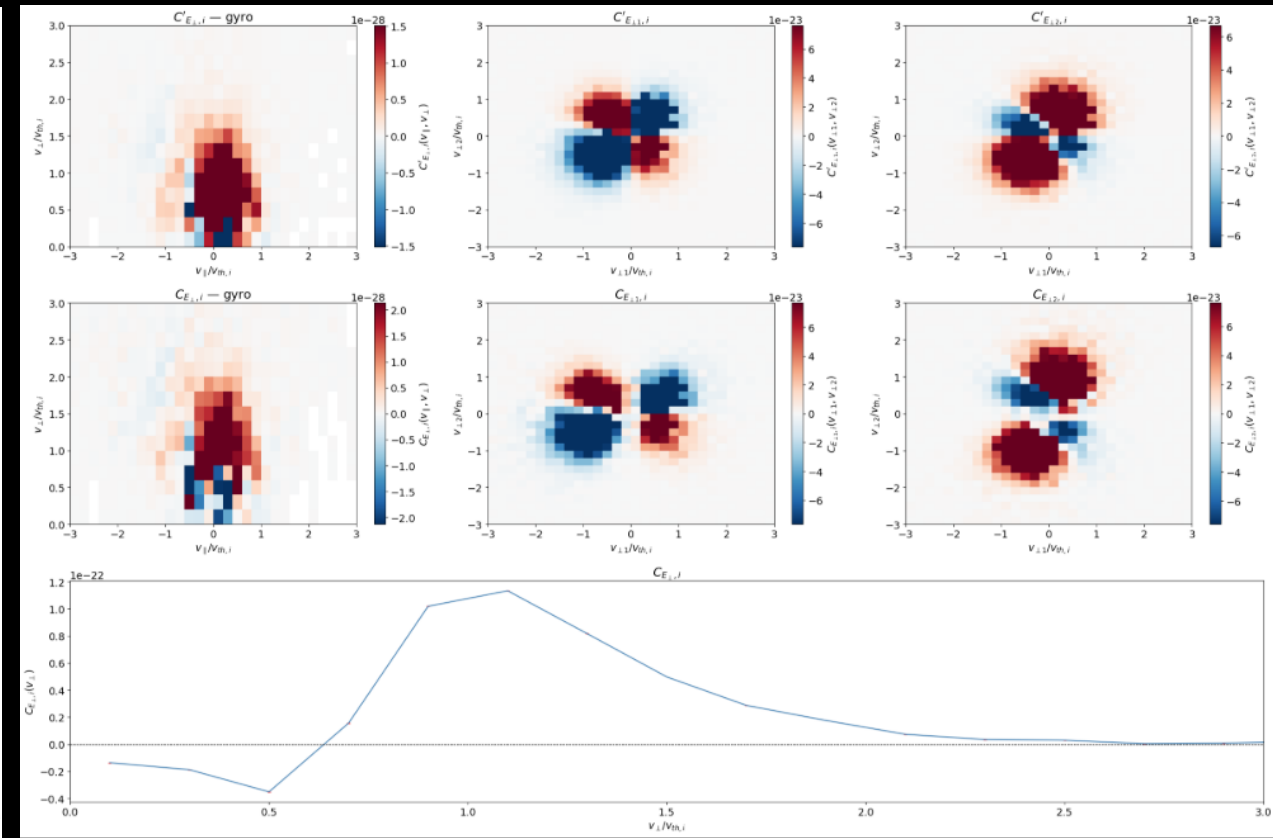
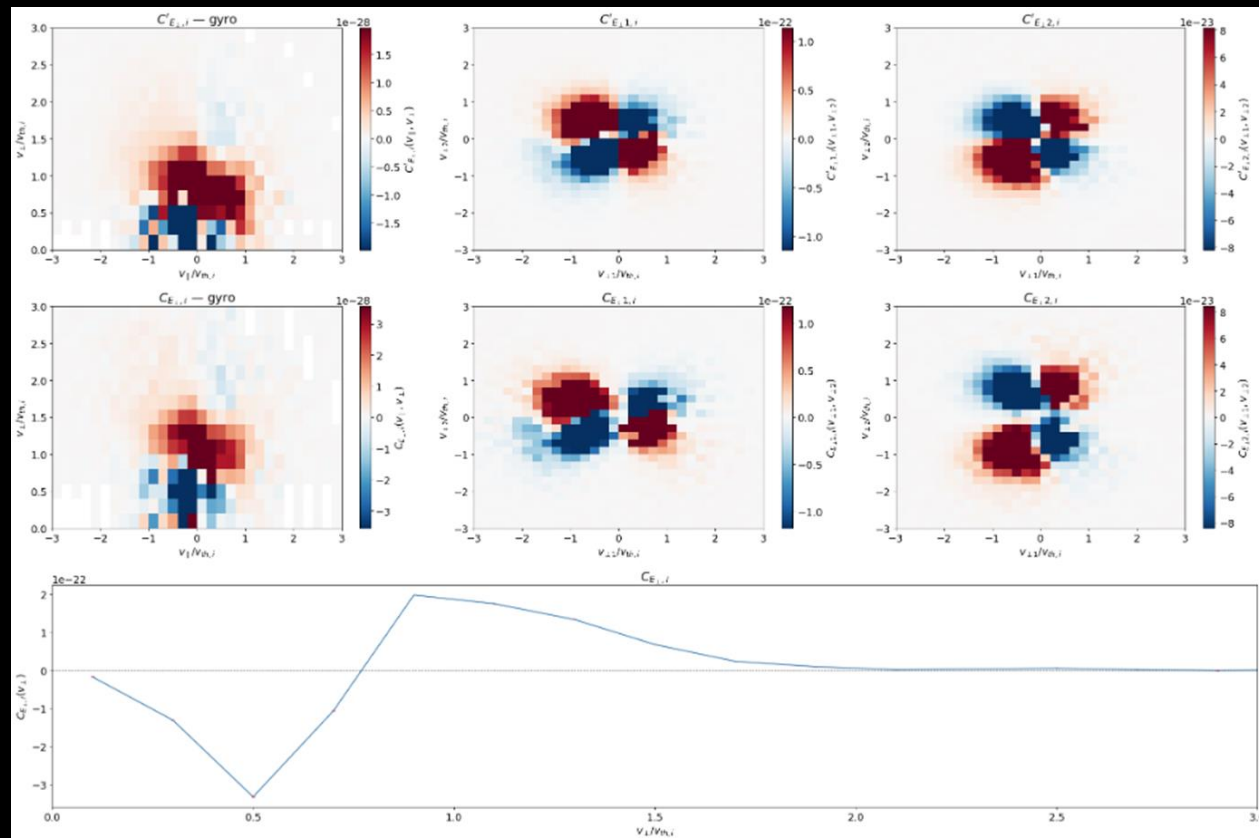


High Density Intervals

Ion Perpendicular

”Stawarz” Interval

”Svenningsson” Interval

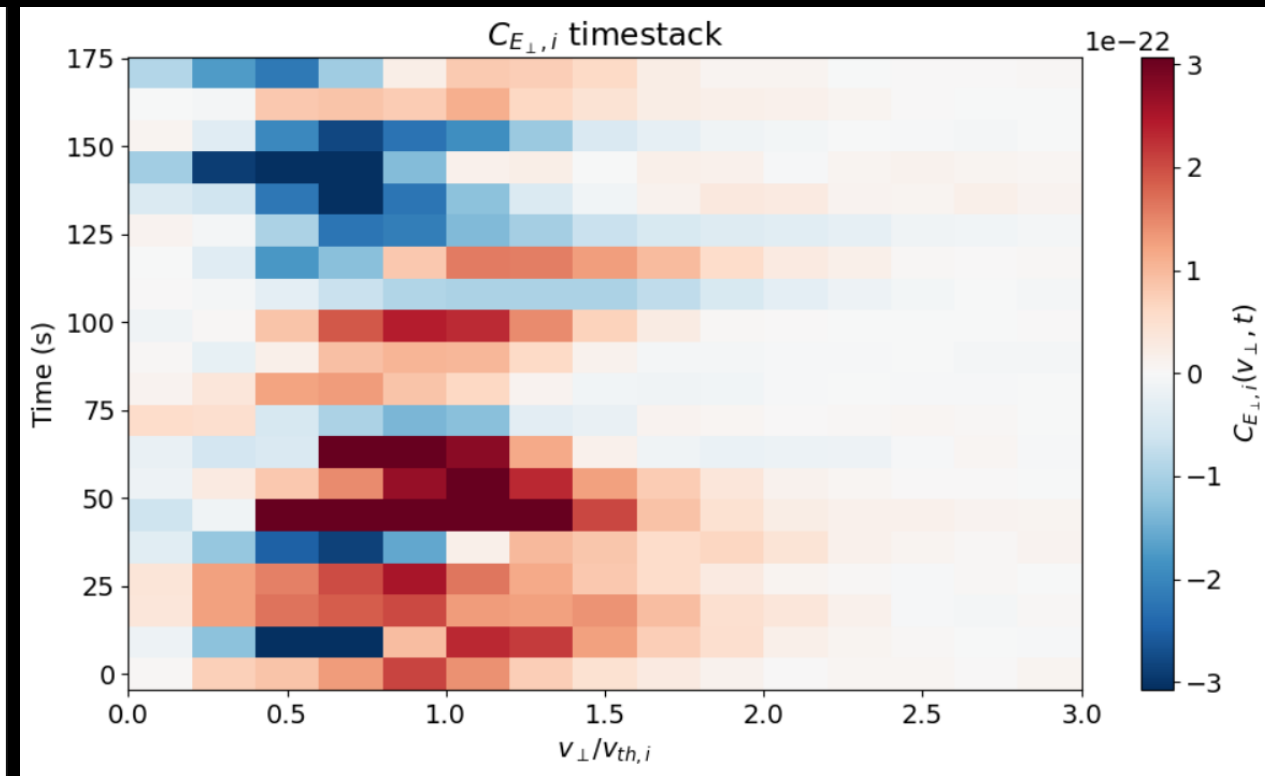
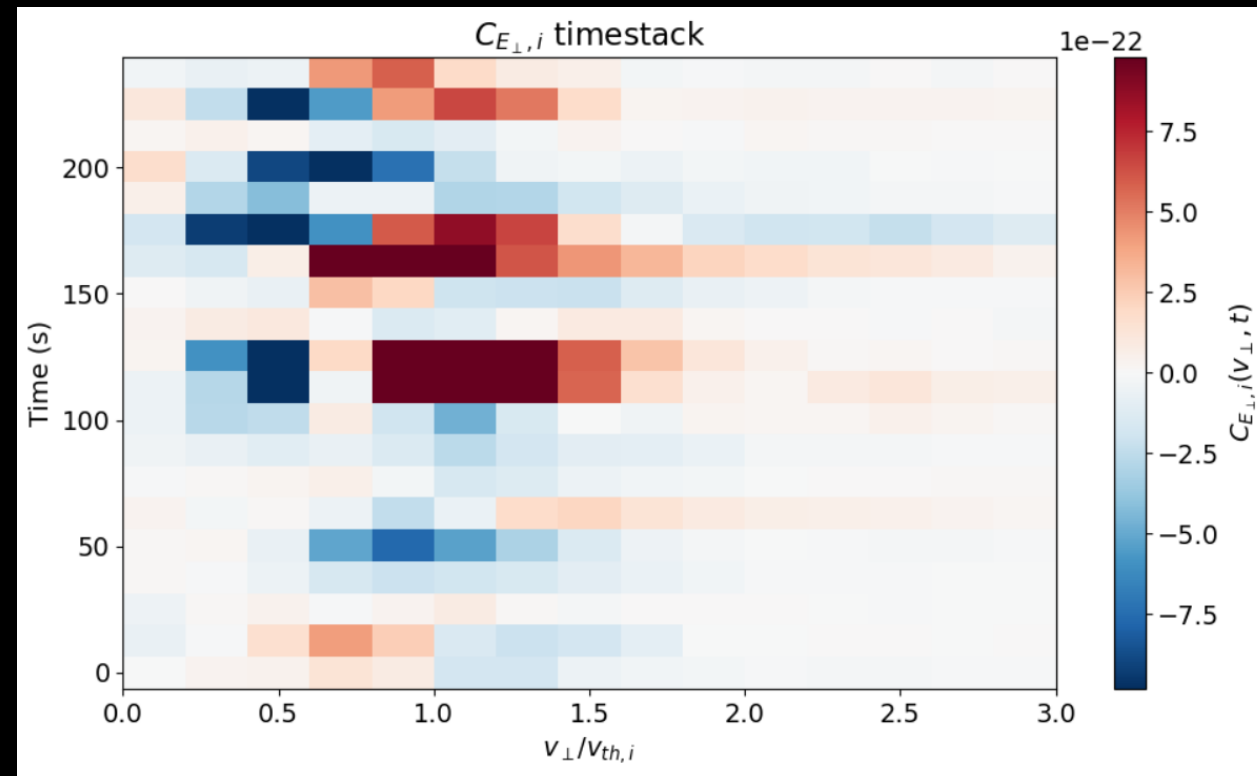


High Density Intervals

Ion Perpendicular

”Stawarz” Interval

”Svenningsson” Interval



Synergies

- Results are obtained utilising high resolution VDF and electric field measurements
- Any other ideas are welcome



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Questions/Comments?

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